# Measuring the Output Responses to Fiscal Policy: U.S. Fiscal Multiplier Over the Business Cycle

Prabaning Tyas

Supervisor: Dr. Timo Henckel

September 2019



## Outline 1

Part I

Introduction
Design
Specification

Part II

Aggregate Results Shocks in Government Spending Compositions Effects on Components of  $Y_t$  Historical Multiplier

Part III

#### Introduction

- Effects of government spending on output has been studied intensively for a long time, especially for the U.S case.
- Wide variety of methods (VAR, SVAR, DSGE, narrative approach) used.
- Inconclusive results.
- Theoretically:
  - ① Neoclassical: multipliers are small (i.e. less than 1)
  - 2 Keynesian: multipliers tend to be large.
- Before Auerbach and Gorodnichenko (2012), all applied linear model.
- Fiscal multipliers may be larger in periods of slack (Parker (2011), Eggertsson (2010), Christiano et. al. (2011)).



## Design

- U.S. data in 2012 dollars (all seasonally adjusted) in 1947:I-2018:IV.
- $\bullet$  Aim for state-dependent fiscal multipliers by allowing for regime differences .

### Smooth Transition Vector Autoregression (STVAR)

$$\bullet \ \mathbf{X}_{t} = (1 - \mathbf{F}(z_{t-1})) \mathbf{\Pi}_{E}(L) \mathbf{X}_{t-1} + \mathbf{F}(z_{t-1}) \mathbf{\Pi}_{R}(L) \mathbf{X}_{t-1} + \mathbf{u}_{t}$$

- $\mathbf{Q} \ \mathbf{u}_t \sim \mathcal{N}(0, \mathbf{\Omega}_t)$
- **4**  $\mathbf{F}(z_t) = \frac{e \times p(-\gamma z_t)}{1 + e \times p(-\gamma z_t)}, \ \gamma > 0$
- **6**  $var(z_t) = 1, E(z_t) = 0$

#### Where:

- $\bullet \ X_t = [G_t \ T_t \ Y_t]',$
- $z_t$  is computed as 7-period MA of Q-to-Q growth rate of  $Y_t$
- $\gamma$  is calibrated to take value of 1.95—done to match NBER business cycle dates—that is,  $P(F(z_t) \ge 0.87) \approx 0.13$ .



## Outline 2

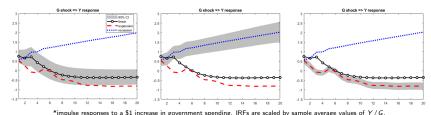
Part I

Introduction
Design

#### Part II

Aggregate Results Shocks in Government Spending Compositions Effects on Components of  $Y_t$  Historical Multiplier

#### Part III

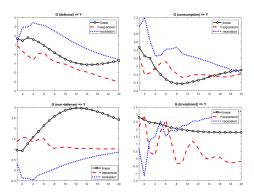


impulse responses to a \$1 merease in government spending. It is are scaled by sample average values or 7 / 6

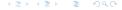
Shaded gray area depict 90 percent Confidence Interval.

- Max. size of govt. spending multiplier in the linear model is about 0.75.
- Multiplier is much larger in recessions than in expansions—evidence of countercyclical fiscal multipliers which is consistent with Auerbach & Gorodnichenko (2012).

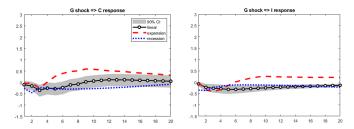




- $X_t = [D_t ND_t G_t T_t Y_t]'$
- Linear VAR: responses of output are all positive for D, ND, C, and I with varying magnitude.
- Non-linear VAR: results differ by regime and spending component.



# Effects on Components of $Y_t$



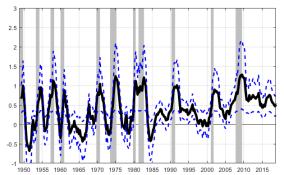
\*impulse responses to a 1 increase in government spending. IRFs are scaled by sample average values of C/G and I/G.

Shaded gray area depict 90 percent Confidence Interval.

- $X_t = [G_t T_t Y_t C_t I_t]'$
- Linear VAR: Both C and I are slightly crowded out by shocks in  $G_t$ .
- Non-linear VAR: signs of crowding-out are stronger in recessions.



# Historical Multiplier



\*Policy shock = 1 percent increase in  $G_t$  and a dollar increase in output per dollar increase in  $G_t$  over 20 quarters. Shaded gray area represent recession periods.

- Multiplier is between 0 and 0.5 in expansions and between 1 and 1.5 in recessions.
- Timing does matter.



## Outline 3

Part I

Introduction
Design

Part II

Aggregate Results
Shocks in Government Spending Compositions
Effects on Components of  $Y_t$ Historical Multiplier

Part III

- Incorporating 'expectations' into the model to purge expected shocks in  $G_t$ . This is to anticipate "fiscal foresight".
- Probably taking into account monetary policy indicator.

# References