

## Lab-6

## Implement A\* search algorithm for 8 Queens:

- (1) Define the initial state:
  - ⇒ Start with an empty board where no queens are placed
  - ⇒ Initialize the open list (priority queue) with this initial state.
- (2) Define the Heuristic Function ( $h$ ):
  - ⇒ For each state, calculate the number of conflicts between queens already placed.
  - ⇒ This will serve as the heuristic estimate  $h(n)$ , indicating how far the current state is from a solution.
- (3) Define the Cost function ( $g$ ):
  - ⇒ Set the cost  $g(n)$  as the number of queens placed so far. In this setup, each placement has a cost of 1.
- (4) Calculate the Evaluation Function ( $f$ ):
  - ⇒ For each state, calculate  $f(n) = g(n) + h(n)$ , where:
    - (i)  $g(n)$  is the cost to reach the current state.
    - (ii)  $h(n)$  is the heuristic estimation of conflicts.
  - ⇒ The state with the lowest  $f(n)$  value is considered the most promising to expand next.



(5) Expand Nodes:

⇒ Pop the state with the lowest  $f(n)$  from the open list.

⇒ If it has no conflicts (i.e.,  $h(n)=0$ ) and all queens are placed, the goal is achieved, and the solution is found.

⇒ Otherwise, generate child states by placing a queen in the next row in each possible column.

(6) Calculate Heuristic for each child State:

⇒ For each child state,

recalculate  $f(n) = g(n) + h(n)$  based on the new queen placements.

⇒ Add each child state to the open list.

(7) Repeat:

⇒ Continue expanding nodes with the lowest  $f(n)$  until a goal state (no conflicts) is found or the open list is empty.

(8) Goal check:

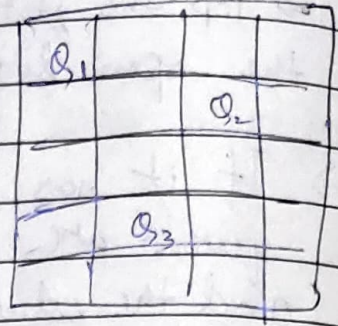
If a state where all queens are placed without conflicts is found, return it as the solution.

If no solution is found, ~~return~~ report failure.



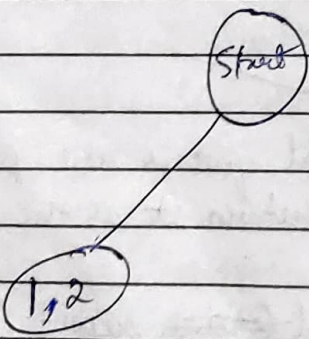
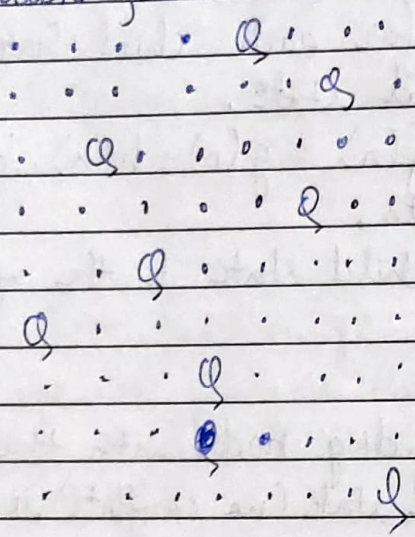
$f(n) = g(n) + h(n)$   
 no. of queens present in board →  $g(n)$   
 no. of conflicts →  $h(n)$

OL : node value  $Q_1, Q_2, Q_3$   
 ans → CL :  $Q_1, Q_2, Q_3$



Again backtrack

Output:  
 Best solution found





Implement Hill climbing Search for 8-queens:

Step 1: Create an array of where each index represents a column & the value represents the row-position of the queen in that row.

$int[] q = \text{new int}[8]$

$q =$ 

0	1	2	3	4	5	6	7

Step 2: Initiate a random state where 8 queens are placed in a different column, but in a randomly chosen row.

Step 3: Store a heuristic value  $h(n)$  where  $h$  represents

Step 3: Evaluate the current state by using  $h(n)$  to evaluate how many pairs of queens are conflicting each other.

Step 4: ~~Select~~ Generate neighbors.

For each column, try moving the queen to every possible row (except its current one) and generate neighboring states.

Step 5: ~~Now~~ Select the ~~as~~ best neighbor with lowest heuristic value ( $h(n)$ )  $\rightarrow$  total conflicts pairs

Step 6: Move to the new state if the new state's  $h(n)$  value is lower than the current one.

Step 7: If stuck, restart by backtracking.



Output : Best Solution found:

. . . . . Q . . . . .  
 . . . . . . . . . Q . . . . .  
 . Q . . . . . . . . .  
 . . . . . . . . . Q . . . . .  
 . . . . . Q . . . . .  
 Q . . . . . . . . .  
 . . . . . Q . . . . .

Q