

## Lab-5 Stimulated Annealing Algorithm

Step 1: Initialize Parameters

- (i) Set an initial <sup>solution</sup> temperature  $T$  &  $S$
- (ii) Define an initial temperature  $T$
- (iii) Set cooling rate  $\alpha$  ( $0 < \alpha < 1$ ) and minimum temperature  $T_{min}$
- (iv) Define a maximum number of iterations per temperature

Step 2: Evaluate Initial Solution:

Calculate the cost/energy  $E(S)$  of the initial solution.

Step 3: while ( $T > T_{min}$ )

For each iteration  $i$  in the maximum iterations:

- (i) Generate a <sup>neighboring</sup> ~~new~~ solution  $S'$  by making a small random change to  $S$
- (ii) Calculate the  $E(S')$  of the new solution
- (iii) ~~Calculate~~ Calculate the difference in energy:  
 $\Delta E = E(S') - E(S)$   
 if  $\Delta E < 0$ :

Accept the new solution  $S'$  as your current solution  $S$ .

else if  $\Delta E \geq 0$ :

Calculate the probability of accepting the worse solution using:

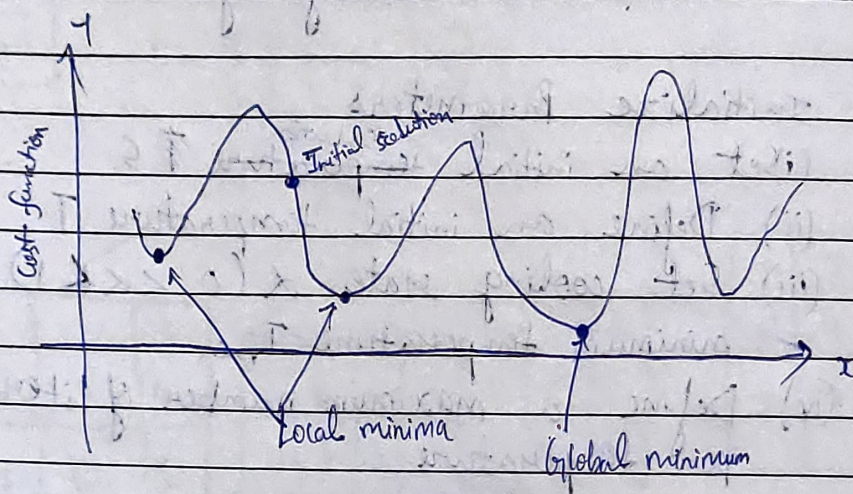
$$P = \exp\left(\frac{-\Delta E}{KT}\right) = e^{\frac{E(S) - E(S_{new})}{KT}}$$

(iv)  $T = \alpha T$

Step 4: Stop the algorithm when the maximum no. of iterations or temperature lowest temperature is found!



Step 5: Return the best solution  $S^*$  and its cost  $E(S^*)$



Feasible Solution

~~relax~~  
→ 2.2/10/24



Output:

Iteration 0, Temperature 10.000, Best Evaluation 23.63658

Iteration 100, Temperature 0.099, Best Evaluation 9.01327

Iteration 200, Temperature 0.050, Best Evaluation 8.95495

Iteration 800, Temperature 0.012, Best Evaluation 8.95493

Iteration 900, Temperature 0.011, Best Evaluation 8.95493

Best Solution :  $[-0.0011933906597371077, 2.9843731809163994]$

Best score : 8.95492976484854

Sub B  
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