

Puzzle – 10

Q- 2014 Bulbs Logical Puzzle

On a circle there are 2014 light bulbs, 2 are ON, and remaining 2012 are in OFF state. You can choose any bulb and change the neighbour's state from ON to OFF or from OFF to ON. remember if you select any bulb, you can change the state of the neighbouring bulbs only. Doing so, can we get all 2014 light bulbs on ? If yes, How?

My Approach and Solution –

Here, in this puzzle I would assume the bulbs which are in ON state are adjacent. Then, I would name the bulbs as $B_1, B_2, \dots, B_{2014}$ where B_1 and B_2 are the bulbs in ON state.

Now, take a group of 4 adjacent bulbs i.e., B_3, B_4, B_5 and B_6 . What we will do is select B_4 and turn ON B_3 and B_5 and then select B_5 and turn ON B_4 and B_6 . In this way, all 4 of the selected bulbs are switched on.

We repeat this pattern for a number of times as the number of bulbs given to us switched OFF were = $2014 - 2 = 2012$ which is divisible by 4.

$$2012 / 4 = 503.$$

Therefore, we would repeat the above mentioned steps 503 times to get all the 2014 light bulbs ON.