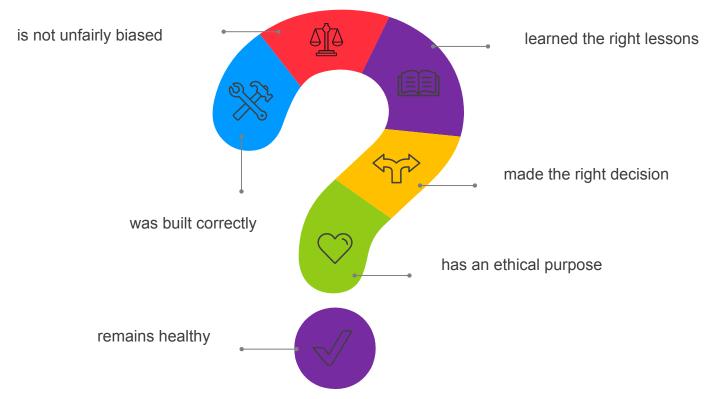






#### Trust: The big picture

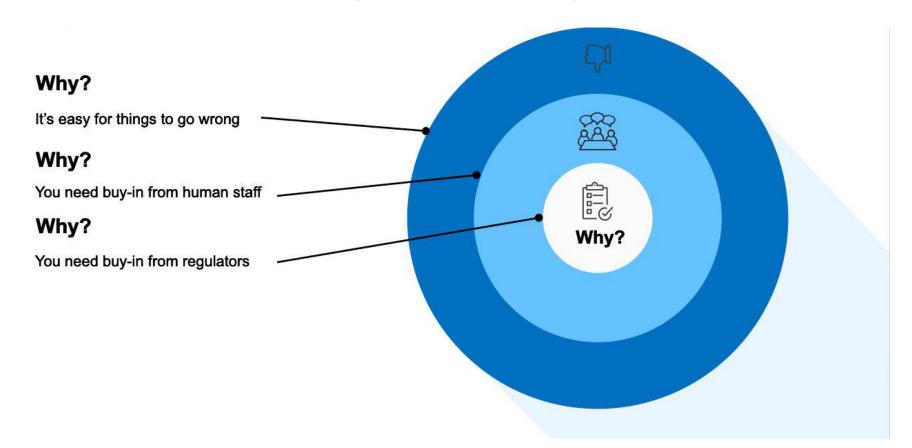


TODAY, WE ARE FOCUSING ON JUST A SMALL PART





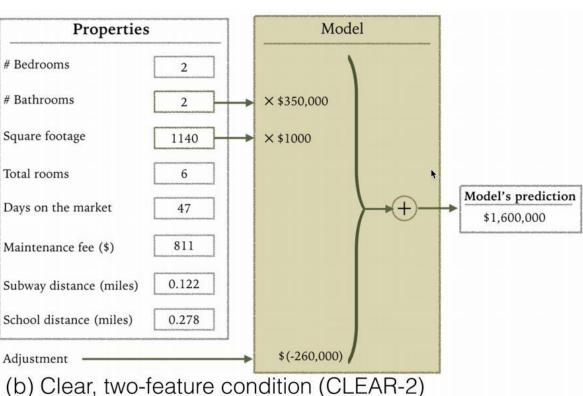
#### Why Interpretability?





#### An Understandable White Box Model

All the features and calculations are exposed



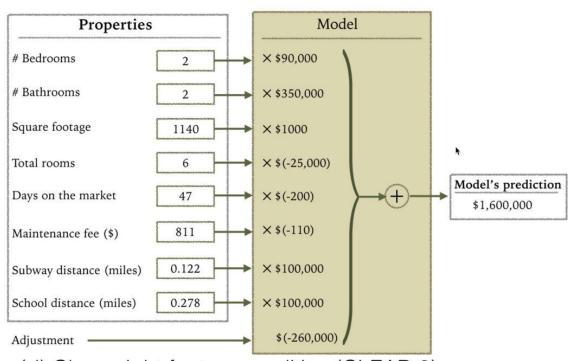
(b) Clear, two-feature condition (CLEAR-2)

Source: Poursabzi-Sangdeh 2017



#### An Understandable White Box Model? #\$@&%\*!

More features and correlated features make it difficult to understand

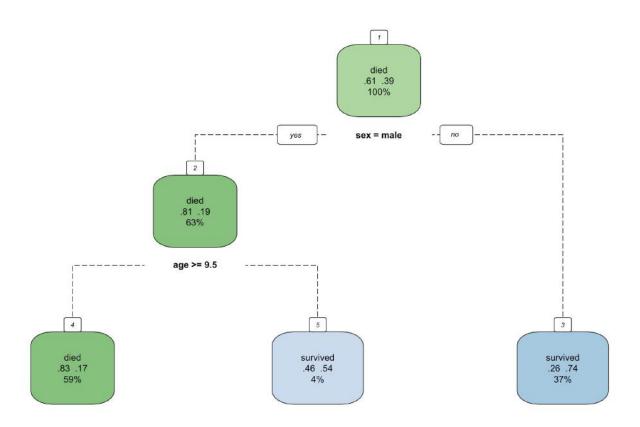


(d) Clear, eight-feature condition (CLEAR-8)

Source: Poursabzi-Sangdeh 2017



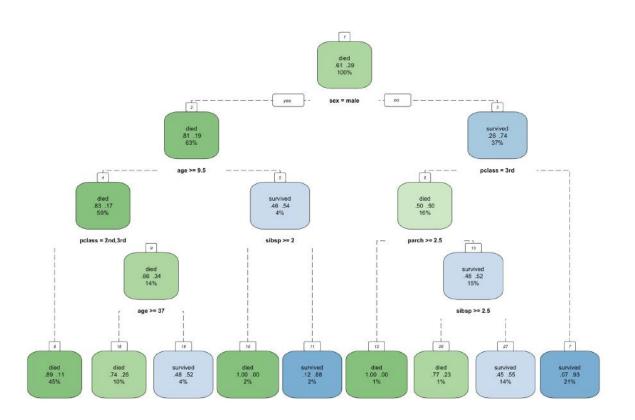
#### An Understandable White Box Model



AUC = 0.74

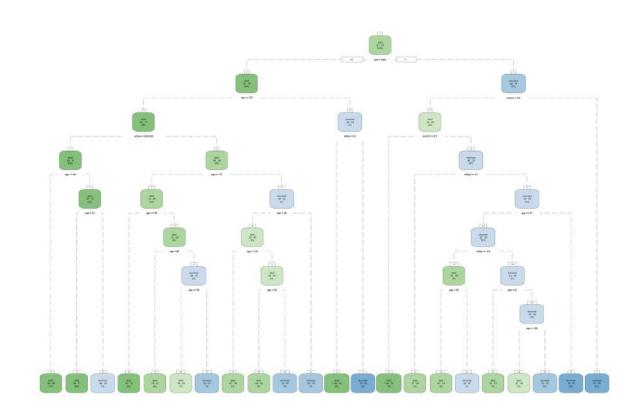


#### An Understandable White Box Model?



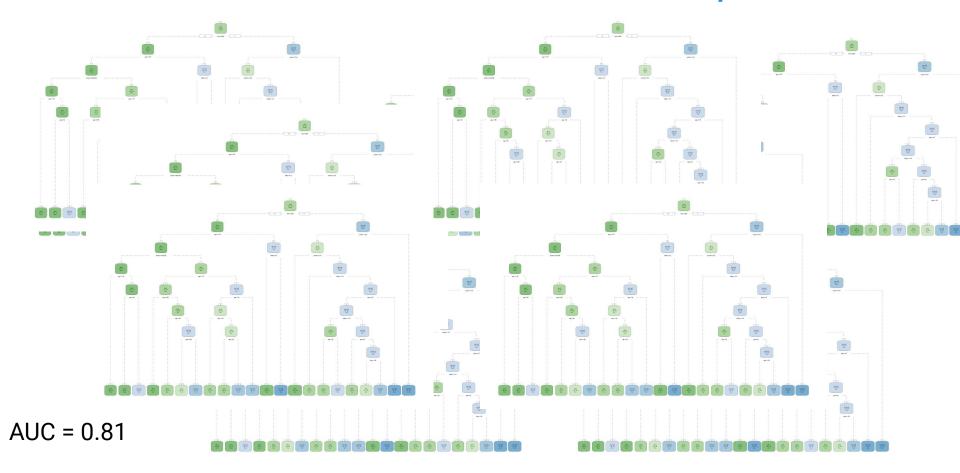


#### An Understandable White Box Model? #\$@&%\*!





#### Better Performance but too much to Comprehend





#### There are so many algorithms to try

%	out	of 16	55 da	atase	ets w	here	e mo	del A	A out	perf	orm	ed m	ode
Gradient Tree Boosting		32%			67%	72%	78%	76%	78%	82%	90%	95%	95%
Random Forest	9%		33%	23%	62%	65%	71%	69%	71%	76%	85%	95%	90%
Support Vector Machine	12%	21%		25%		65%		62%	67%	74%	79%	95%	93%
Extra Random Forest	8%	14%	30%		58%	63%	61%	64%	67%	70%	81%	93%	91%
Linear Model trained via Stochastic Gradient Descent	8%	16%	9%	15%		38%		44%		61%	66%	89%	87%
K-Nearest Neighbors	4%	8%	7%	8%	35%		42%		52%	53%	70%	88%	85%
S Decision Tree	2%	2%	20%	8%	42%			43%		57%	69%	80%	82%
AdaBoost	1%	7%	10%	15%	30%		32%			47%	59%	76%	77%
Logistic Regression	5%	10%	3%	8%	11%	31%	33%				54%	79%	81%
Passive Aggressive	2%	6%	1%	5%	0%	18%	28%	28%	13%			81%	79%
Bernoulli Naive Bayes	0%	2%	2%	4%	10%	13%	18%	15%	22%	25%		62%	68%
Gaussian Naive Bayes	0%	1%	3%	2%	6%	6%	11%	12%	9%	10%	22%		45%
Multinomial Naive Bayes	1%	1%	2%	2%	2%	5%	10%	14%	4%	5%	13%	39%	
	σтв	ŔF	svm	ERF	sĠD	KŃN I	DT osses	Α̈́Β	ĽŔ	PA	вив	GNB	MNB

Source: Olson 2018
Penn ML Benchmarks





### **Algorithms matter**

If the model is inaccurate, we are toast



#### Simple models != Accurate

#### Only very very simple models are human understandable

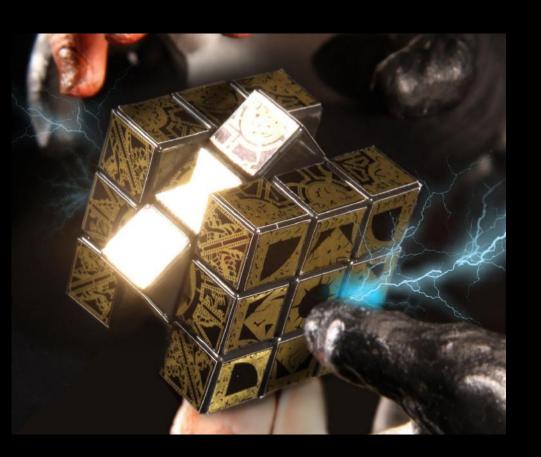
#### Further study:

Interpretability in models with multicollinearity: Brieman

Limits of human understanding: Poursabzi

Simple models are unfair: Kleinberg In defense of the black box: Holm





There are tools that can explain any black box model

#### **Model Agnostic Explanation Tools**



Most impactful features - Feature importance

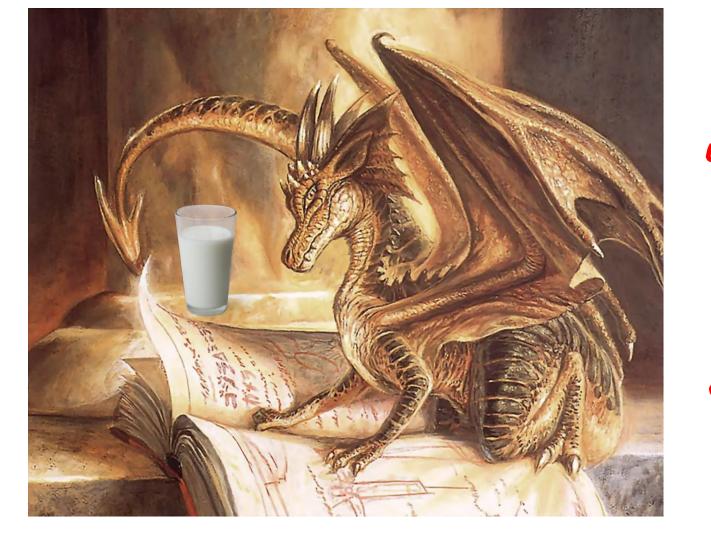
Directionality of the feature - Partial dependence

Explain a prediction - Explanation techniques (LIME, XEMP, SHAP . . .)



Age Weight Gender Color Breath Fire # of Kills Winged # of Heads Spiked tail Demeanor Children





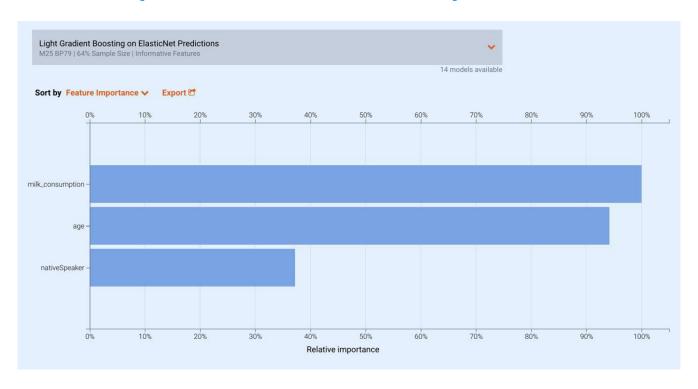
WHAT AFFECTS
READING?

AGE (IT DOES)

MILK CONSUMPTION (IT DOESNT)



#### **Split Based Variable Importance**

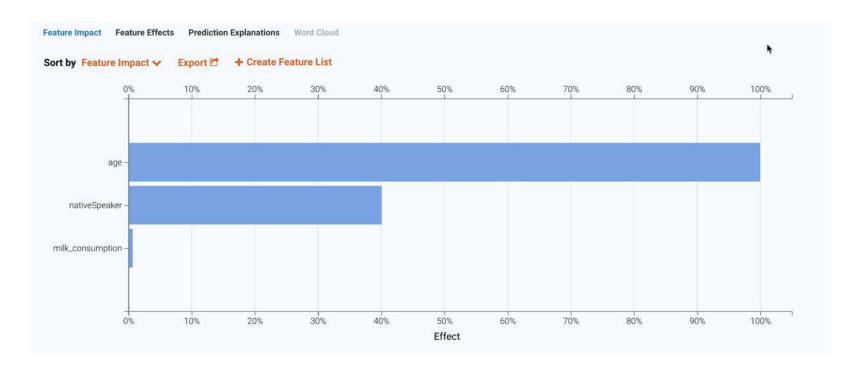


SPLIT FALLS FOR MILK CONSUMPTION

Source: Strobl 2009



#### **Permutation Based Variable Importance**



PERMUTATION RECOGNIZES THAT AGE AFFECTS READING

Source: Strobl 2009

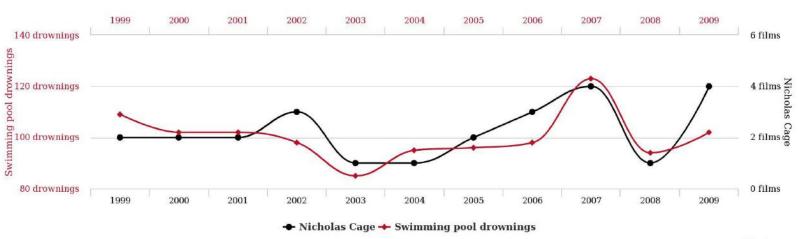


#### **Don't Fall for a Spurious Correlation**

#### Number of people who drowned by falling into a pool

correlates with

#### Films Nicolas Cage appeared in



tylervigen.com

MACHINE LEARNING CAN IDENTIFY SPURIOUS CORRELATIONS



## Feature Impact Ranking:

- # of Kills
- 2. # of Heads
- 3. Children
- 4. Age
- 5. Weight
- Demeanor
- 7. Gender
- 8. Breath Fire
- 9. Color
- 10. Spiked tail
- 11. Winged

Feature impact has consequences, so you better get it right





If your feature impact is wrong, you are toast.





Model AB A & B  $R^2$ =0.9

Model A A R<sup>2</sup>=0.7 Model B B R<sup>2</sup>=0.8

Build 3 different models based on different sets of features

FEATURE B IS MORE IMPORTANT TO THE MODEL







Compare performance with and without the features

#### 'Leave it Out' Feature Importance



Model ABC A & B &C R<sup>2</sup>=0.9

Model AB AB R<sup>2</sup>=0.7 Model BC BC R<sup>2</sup>=0.8

Model AC AC R<sup>2</sup>=0.75

Build 4 different models based on 'Leave it Out' importance

FEATURE C IS MORE IMPORTANT TO THE MODEL



#### Permutation based Feature Importance

Height at age 20 (cm)	Height at age 10 (cm)	 Socks owned at age 10			
182	155	 20			
175	147	 10			
	<i>(</i> <b>)</b>	 			
156	142	 8			
153	130	 24			

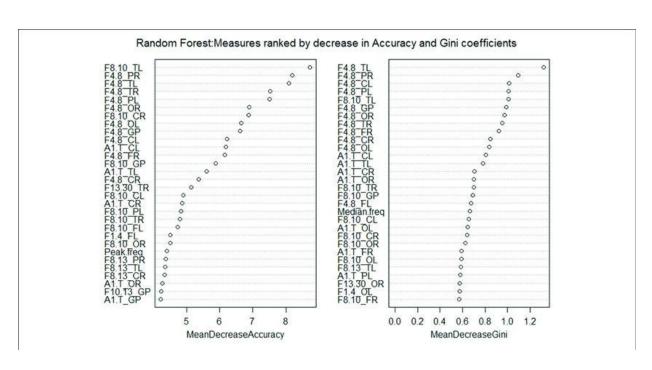
Shuffle the feature (permute) which removes the signal within the same model

Source: Breiman 2001





R randomforest shows both permutation and gini based importance

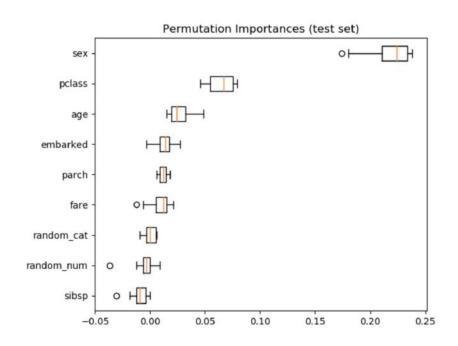


YEA, R SUPPORTS PERMUTATION!



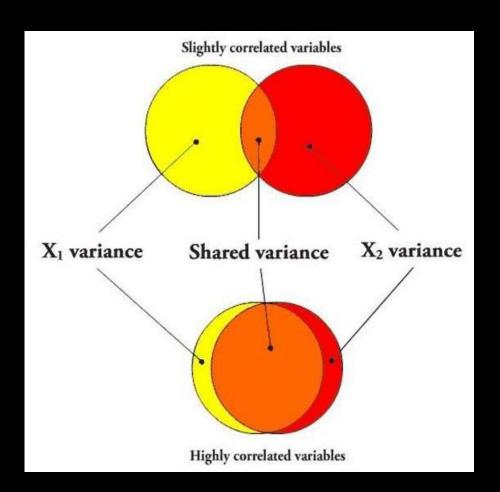
#### **Python**

Python sklearn supports permutation!



YES!, PYTHON NOW SUPPORTS PERMUTATION!

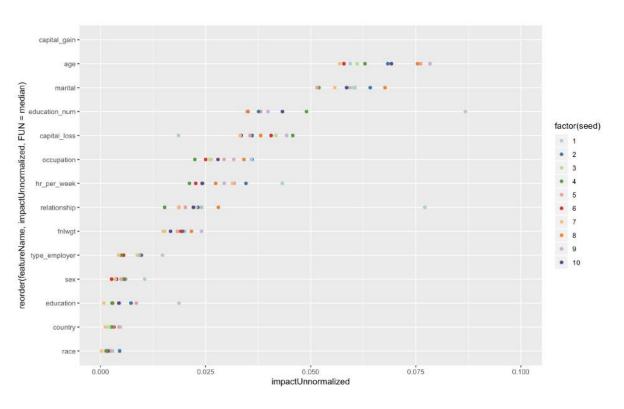




## **Multicollinearity**

#### **Run It Again**

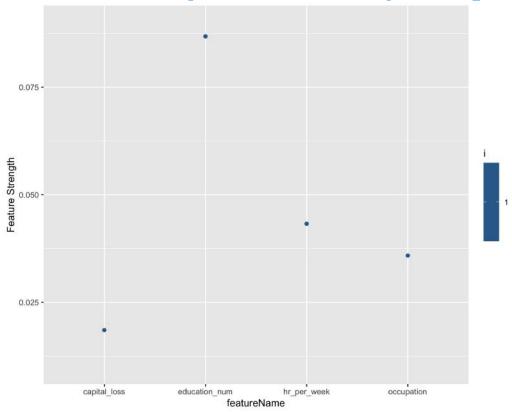




10 different models, 10 different feature importances



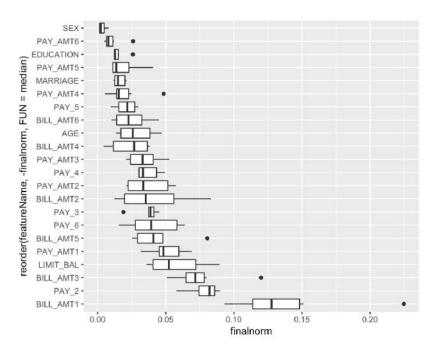
#### Multicollinearity affects Interpreting models



Features trade off against each other in different model runs

# Pro Tip: Aggregate Feature Importance to Provide a Richer Understanding

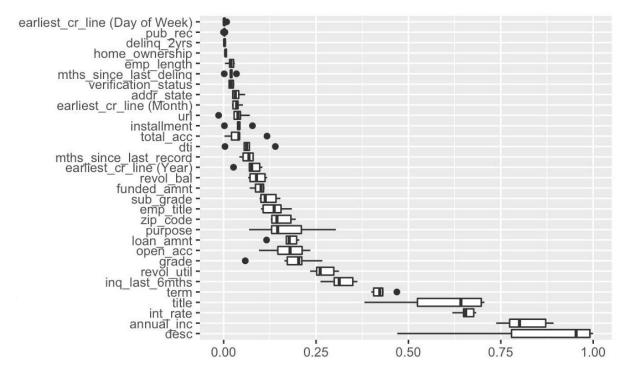




This plots show how the ranking of feature importance varies across multiple model runs of the same model

# Pro Tip: Aggregate Feature Importance to Provide a Richer Understanding

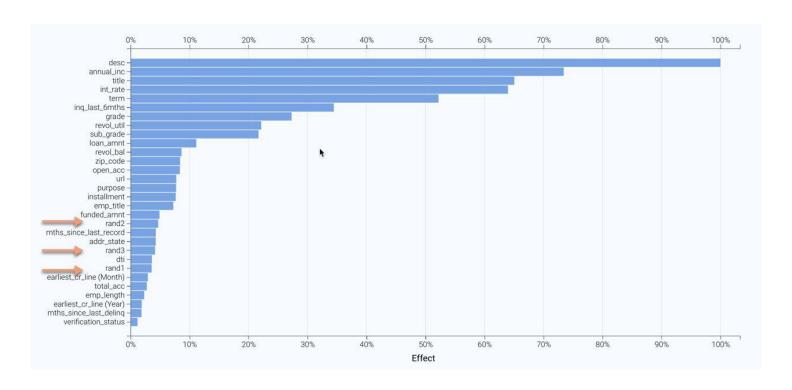




This plots show how the ranking of feature importance varies across multiple model runs of different models



#### **Pro Tips: Add Random Features**



Helps you understand the line between signal and noise



# Permutation based importance is a good balance of computation and performance for any model

Further study:

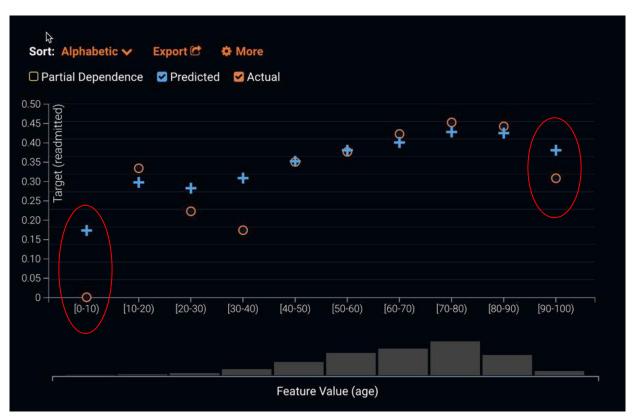
Studies on permutation based importance: <u>Strobl 2008</u> and <u>Lundberg 2018</u> and <u>explained.ai</u> and <u>datadive</u>... more advanced approaches - Party, Shap, and Boruta



Age Weight

#### **Effect of Age on our Target**





What is the average weight for each of these bins?

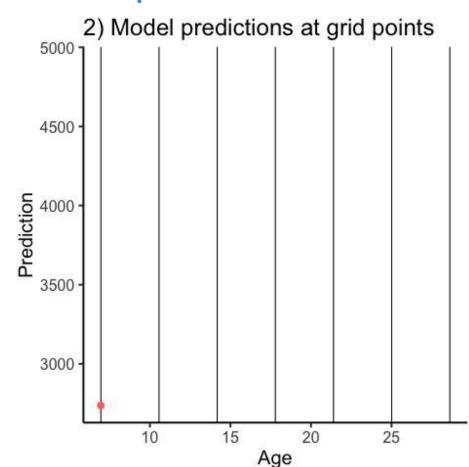
THIS PLOT DOES NOT ISOLATE THE EFFECT OF AGE



#### **Calculating Partial Dependence**



Start with an observation and get predictions for different values

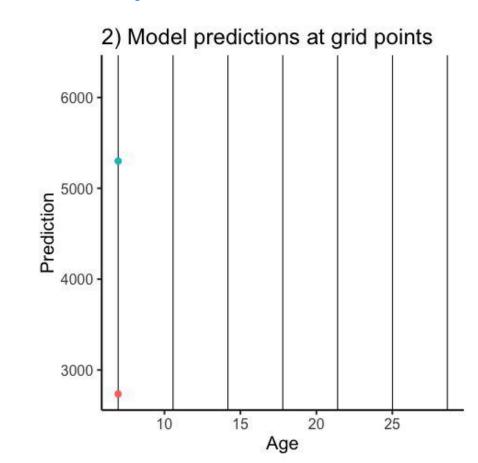




#### **Calculating Partial Dependence**



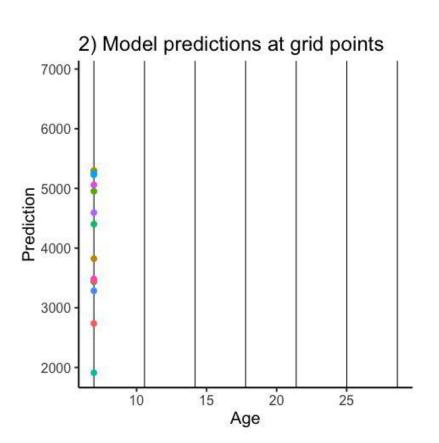
Start with another observation and get predictions for different values





#### **How Partial Dependence is Calculated**

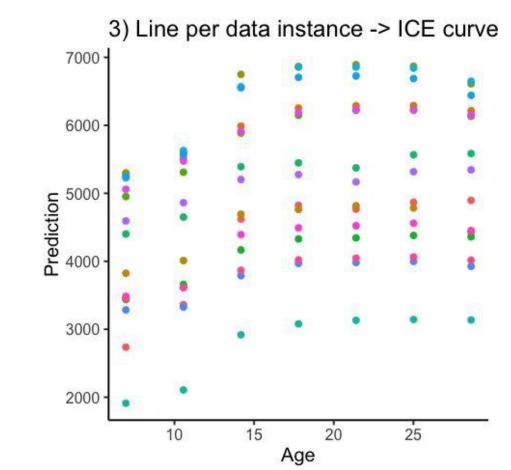
Start with a set of observations from our dataset





#### **How Partial Dependence is Calculated**

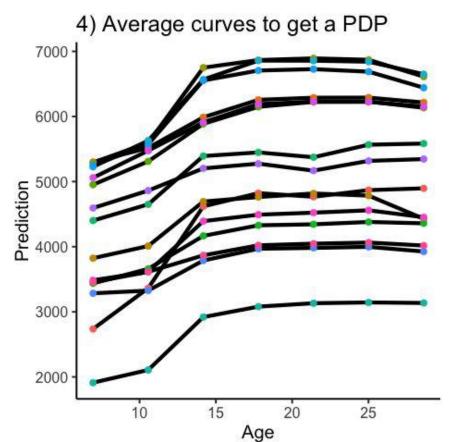
Get a line per instance





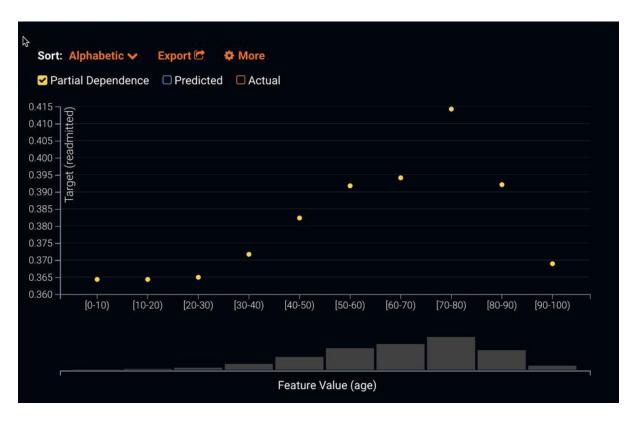
#### **How Partial Dependence is Calculated**

Average the curves to get the partial dependence curve



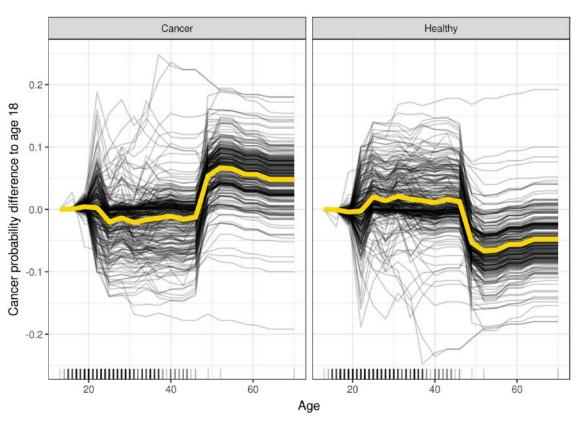


#### Partial Dependence to Isolate the Effect of Age



#### **ICE Plots**





Individual Conditional Expectation plots draw one line per instance



#### Partial Dependence to show Price Elasticity

Effect of price on sales of orange juice

#### Features include:

store location

date

coupons

advertising

prices for 10 other

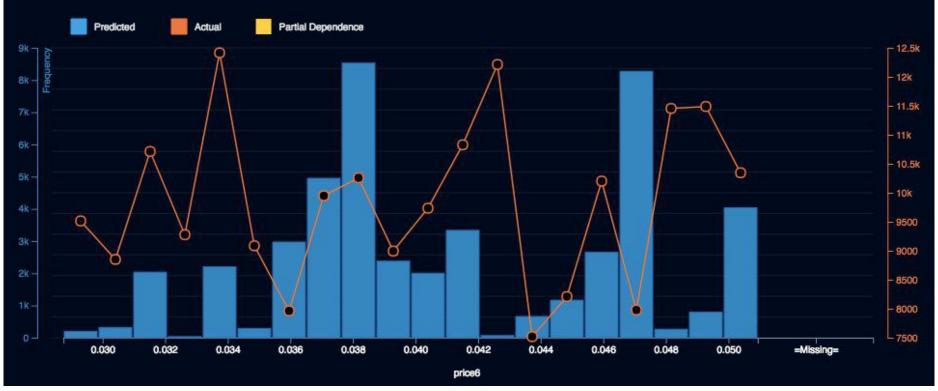
brands





#### **Change in Price Affects Sales?**







#### Ahh, Price does affect Sales!

\$3.46







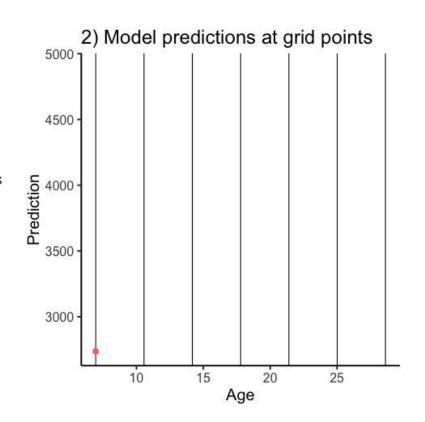
#### **Distributions and Partial Dependence**

Consider 10 year old Tommy and we want to understand the marginal effect of age. We need to hold weight and education constant.

Are there 5 year olds that are 5 feet tall? Are there 25 year olds that weigh 90 pounds with a 5th grade education?

Weight, height, and education correlate with age. Our predictions assume feature independence. That does not hold up here.

The resulting predictions fall outside of the training distribution. They aren't realistic examples. For example, the 25 year old with a 5th grade education who weighs 90 pounds.





## Partial dependence is a best practice for understanding the features in your model

Further study:

<u>Friedman, 2001</u> on PDP Goldstein, 2013 on ICE Plots







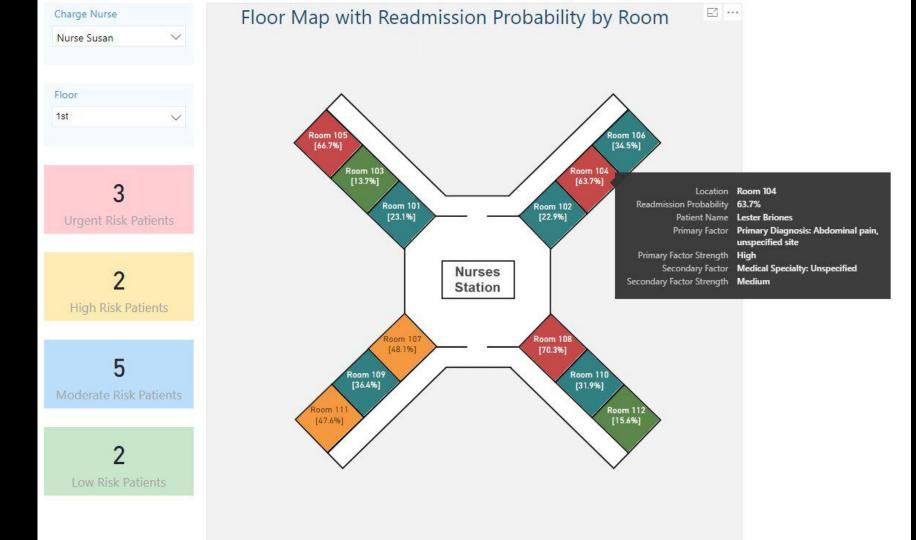
#### **Predictions**



Prediction: 9.1

Explanations:
1. # of Past
 Kills (+0.8)
2. Color (+0.3)
3. Gender (-0.2)

#### **Predictions & Explanations**

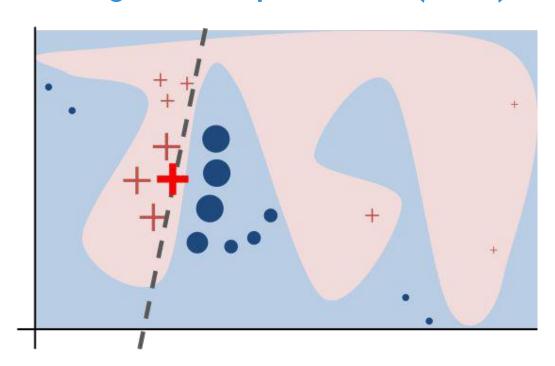


### Explanation Methods: Local Interpretable Model-Agnostic Explanations (LIME)

•••

For any prediction:

LIME gives you an ordered list of the most important features for that prediction



SPEND SOME TIME WITH LIME



#### Prediction: 9.1

```
Explanation (1)
1. # of Past
    Kills (+0.8)
2. Color (+0.4)
3. Gender (-0.2)
```

```
Explanation (2)
1. Gender (+0.5)
2. Breath Fire
(+0.3)
3. Weight (+0.1)
```

EXPLANATIONS SHOULD BE IDENTICAL



#### **Identical Explanations**

```
In [56]: i = 13
          exp = explainer.explain instance(test[i], rf.predict, num features=5)
          print (exp)
          exp.show in notebook(show table=True)
          i = 13
          exp = explainer.explain instance(test[i], rf.predict, num features=5)
          exp.show in notebook(show table=True)
          Intercept 24.51223189433816
          Prediction local [21.66593303]
          Right: 21.55850000000006
          <lime.explanation.Explanation object at 0x1a2acd6860>
                                                                        positive
                                                 negative
            Predicted value
                                                                                         Feature
                                                                                                    Value
                                              10.93 < LSTAT <= 16.37
           9.57
                                     46.36
                                                                                             LSTAT
                                                                                                       12.34
          (min)
                                     (max)
                                                  6.21 < RM <= 6.64
                    21.56
                                                                                               RM
                                                  3.18 < DIS <= 5.40
                                                                  375.47 < B <= 391.30
                                                                     0.42
                                                                  ZN \le 0.00
          Intercept 24.84927186407495
          Prediction local [21.91763542]
          Right: 21.55850000000006
          <lime.explanation.Explanation object at 0x1a1c040c50>
                                                 negative
                                                                        positive
            Predicted value
                                                                                                    Value
                                                                                         Feature
                                                  6.21 < RM <= 6.64
           9.52
                                     46.30
                                                                                               RM
                                              10.93 < LSTAT <= 16.37
          (min)
                                     (max)
                     21.56
                                                                                             LSTAT
                                                                                                       12.34
                                              330.00 < TAX <= 666.00
                                                                                              TAX
                                                                                                      398.00
                                                                  16.80 < PTRATIO <= ...
                                                                   0.45
                                                                 CRIM <= 0.08
```

SAME DATA, SAME MODEL . . . TWO DIFFERENT EXPLANATIONS!!



Prediction: 9.1

#### Explanations:

- # of Past Kills (+0.8)
- 2. Color (+0.4)
- 3. Gender (-0.2)



Prediction: 2.4

#### Explanations:

- 1. # of Past Kills (+0.8)
- 2. Color (+0.4)
- 3. Gender (-0.2)



Prediction: 8.3

#### Explanations:

- 1. # of Past Kill (+0.8)
- 2. Color (+0.4)
  - 5. Gender (-0.2)



#### **Local Fidelity**



LIME EXPLANATIONS AREN'T RESPONSIVE TO THE DATA





## Anyone relying on LIME is toast



#### What can we learn from this?

## We want consistency and accuracy ... what else ...

Further study:

Explanations affect fairness: Dodge

Shap: Lundberg

Live and Breakdown: Biecek



#### Your Model or a Surrogate Model?

#### Imagined model

# Local Surrogate Local Surrogate 10 15 20 215

Source: Mehrnoosh Sameki, Microsoft, ODSC 2019

#### Real Models

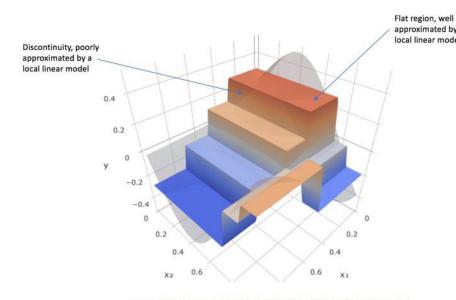
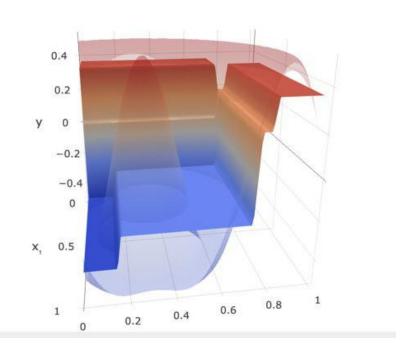


Image source: http://arogozhnikov.github.io/2016/06/24/gradient\_boosting\_explained.htm

SURROGATE MODELS ARE APPROXIMATIONS

#### What is local?



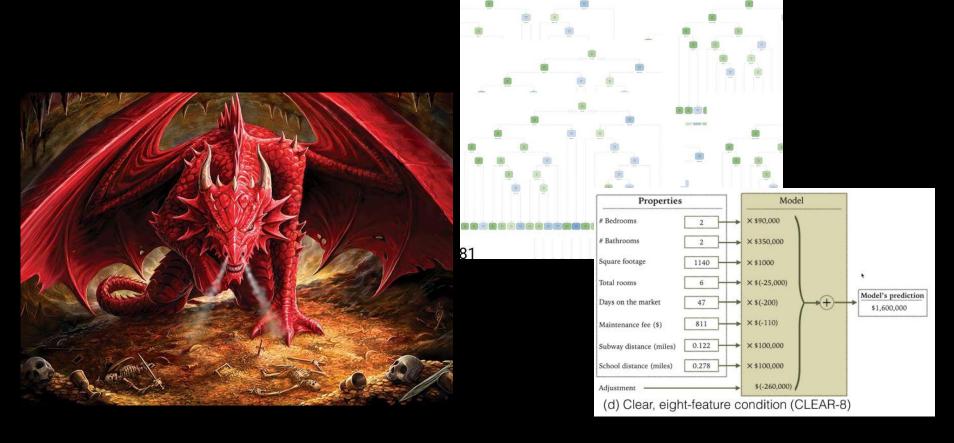




Source: Christoph Molnar

UGH!

YOU DON'T WANT HYPERPARMETERS TO DECIDE HOW TO SET



EXPLANATION METHODS SHOULD BE MODEL AGNOSTIC





Time in seconds

	LIME	
Boston Housing (100 explanations)	43	0.3
Adult (1000 explanations)	423	3

#### **Shapley Values for Explanations (Overview)**



Shapley values provide a method for machine learning models to understand the marginal effect of features from a baseline value. In the case below, we can see the magnitude and directionality for each feature in one prediction.

Shapley values have some nice theoretical properties around consistency and accuracy. They are becoming the de facto standard for feature explanation.

Exact shapley values can be calculated for linear and some tree based models. There are many shapley approximation techniques available for other types of models.

$$R_i = \sum_{S \subseteq P \setminus \{i\}} \frac{|S|!(|P| - |S| - 1)!}{|P|!} [f(S \cup \{i\}) - f(S)]$$

output value 0.70 0.7979

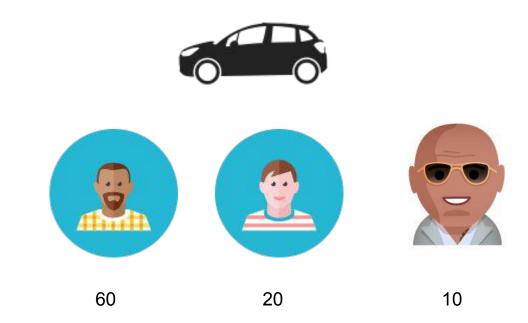






My car is stuck and needs 85 units of force to move it

Here we can understand how much each person contributed to getting the car unstuck

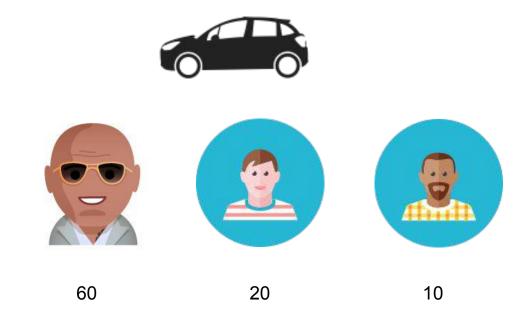






But I loaned my car to the Rock and he got it stuck, how much effort would it be to move it?

Note, the order matters when calculating Shapley value



ON AVERAGE, WHAT WOULD BE EACH PERSON'S CONTRIBUTION



#### **Subsets**

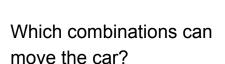








The first step is calculating the output for all the subsets



















#### **Calculating Shapley Values**





















































































#### **Calculating Shapley Values**

























































































#### **Calculating Shapley Values**



$$R_i = \sum_{S \subseteq P \setminus \{i\}} \frac{|S|!(|P| - |S| - 1)!}{|P|!} [f(S \cup \{i\}) - f(S)]$$

ALL SUBSETS

TAKING THE AVERAGE

MARGINAL CONTRIBUTIONS

"The average marginal contribution of a feature with respect to all subsets of other features"



#### **Shapley Values for Feature Attribution**

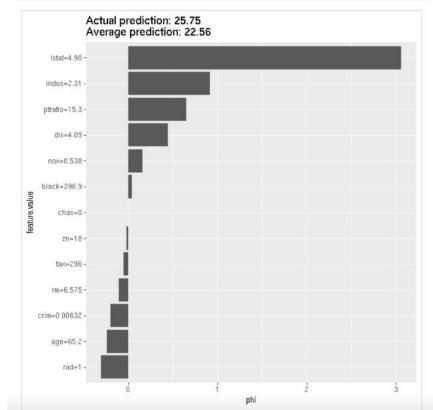
```
> X[1,]
     crim zn indus chas     nox     rm age     dis rad tax ptratio black lstat
1 0.00632 18     2.31     0 0.538 6.575 65.2 4.09     1 296     15.3 396.9 4.98
```

Apply the concept of Shapley Values to machine learning models. We want to understand the contribution of each feature for a single prediction (X1)

We start with the average prediction (22.56) and then the feature contributions (their shapley values) sum up to the actual prediction (25.75)

Example is from R - IML package





## So many methods for Shapley values: Partial List of Implementations



marcoancona / DASP



pbiecek / breakDown



<u>IML</u> - R

Shap - Python

<u>Shapper</u> - R (Wrapper of Shap)

FastShap - R

Breakdown - R

<u>GkmExplain</u> - Python

DASP - Python

Deep Explain - Python





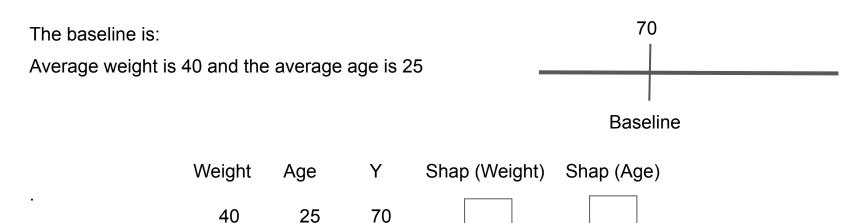




#### **Calculating Shapley Values - Linear Model**

Start with a simple linear model; Y = 0.5\*weight + 2\*age

What are the shapley values for the below example?



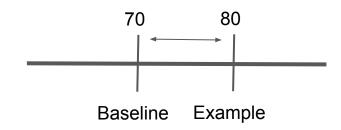
# •••

#### **Calculating Shapley Values - Linear Model**

Start with a simple linear model; Y = 0.5\*weight + 2\*age What are the shapley values for the below example?

The baseline is:

Average weight is 40 and the average age is 25



Weight	Age	Υ	Shap (Weight)	Shap (Age)
40	30	80		

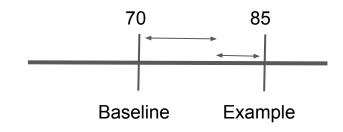


#### **Calculating Shapley Values - Linear Model**

Start with a simple linear model; Y = 0.5\*weight + 2\*age What are the shapley values for the below example?

The baseline is:

Average weight is 40 and the average age is 25



Weight	Age	Υ	Shap (Weight)	Shap (Age)
50	30	85		

SIMPLE TO GET SHAPLEY VALUES FOR A LINEAR MODEL ASSUMPTION INDEPENDENT AND ADDITIVE L'OUVINE DELERANT

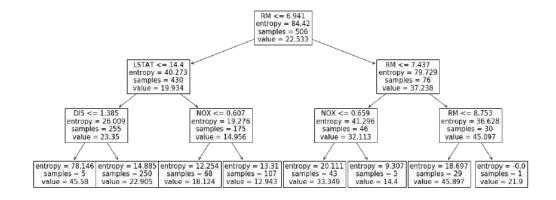


#### **Shapley Values for Trees: Tree Shap**

A fast and exact algorithm to compute SHAP values for trees and ensembles of trees.

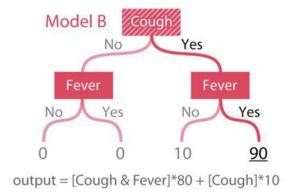
Computes in polynomial time.

Intuition is that by parsing a built tree it is possible to identify various sequences of features and their effect on predictions



E[y|LSTAT=4.98,NOX=0.538,RM=6.575] = 5/255 \* 45.58 + 250/255 \* 22.905 = 23.3496

#### **Tree Shap Calculation**



Feature combinations	{}	{F}	{C}	{F, C}

$$\phi_F = \frac{1}{2}[45 - 25] + \frac{1}{2}[90 - 50] = 30$$

$$\phi_C = \frac{1}{2}[50 - 25] + \frac{1}{2}[90 - 45] = 35$$

$$\phi = \phi_0 + \phi_E + \phi_C = 25 + 30 + 35 = 90$$





No longer have the additive and independence assumption outside of linear models

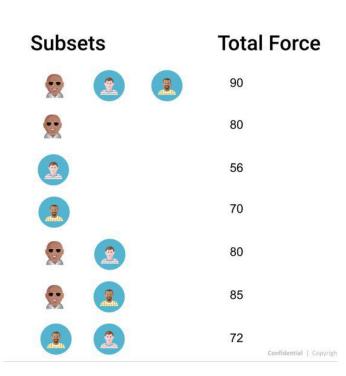
No longer have a tree structure

 $\dots$  this means there are  $2^N$  combinations for exact shapley values!

This has lead to **many** methods for approximating Shapley values

#### Partial List

- 1. Strumbelj approximation / Sampling
- 2. Kernel Shap / Local linear model
- 3. Mimic Shap (Approximates using gbm/Tree Shap)
- 4. Gradient Shap (differentiable models/deep learning)





## **Approximating Shapley Values: Strumbelj**

#### Strumbelj approximation:

Instead of calculating every sequence, use the concept of permutation to generate a sample of sequences upon which the shapley values are estimated

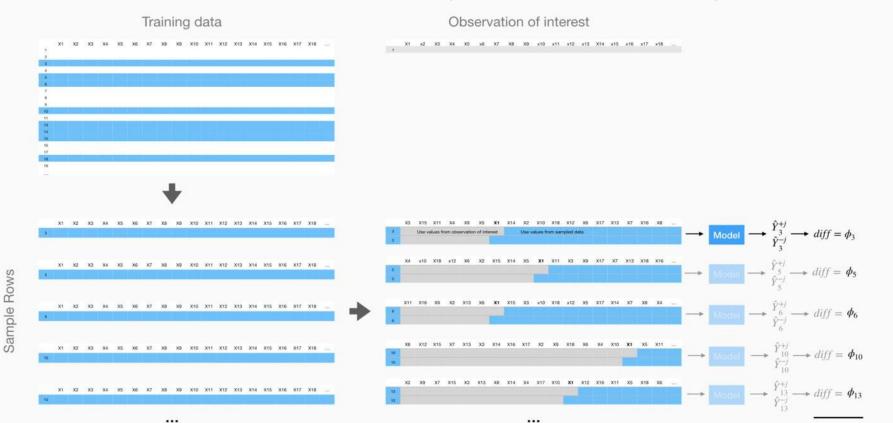
Work in polynomial time and is model agnostic.

#### An approximation

- 1. Repeat for *M* times.
- 2. Pick a feature j from the instance  $x_i$ .
- 3. Generate synthetic instances  $x_L$  and  $x_U$  using  $x_{ij}$  pivot.
- 4. Estimate individual contribution  $\phi_{ijm} = \hat{f}(x_L) \hat{f}(x_U)$
- 5. Estimate average contribution of feature j at the prediction of the i-th subject as:  $\phi_{ij}(x) = \frac{1}{M} \sum_{m=1}^{M} \phi_{ijm}$



#### **Approximating Shapley Values: Strumbelj**

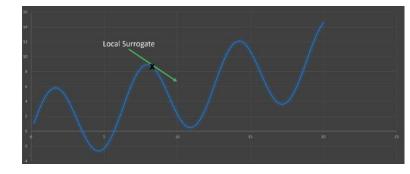




#### **Approximating Shapley Values: Shap Kernel**

Kernel Shap uses a specially-weighted local linear regression to estimate SHAP values for any prediction. It is inspired by LIME. It is model agnostic.

The intuition is we can use least squares point estimate to get the mean values, i.e., the Shapley values



## •

#### **Shap Kernel: Generating Data**

The original model's decision function is represented by the blue/pink background, and is clearly nonlinear. The bright red cross is the instance being explained (let's call it X).

- 1. Background dataset for integrating out features.
- 2. Permute values to identify the impact of features
- Learn a linear model whose coefficients provide the importance of features
- 4. Returns a matrix of the background dataset and all the features . . . each row sums to the difference between the model output for that sample and the base (expected) value of the model output

This will be the base dataset and bring the base value. The larger the dataset, then the better the approximation. Often the centers of clusters chosen by Kmeans are used.

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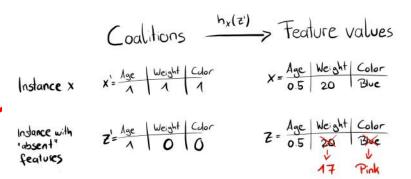
Compare the background rows to the prediction using permutation to treat value as "missing" . . . This method generates sequences necessary to calculate shapley values

### **Shap Kernel: Generating Data**



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Create coalitions and then permute

### **Shap Kernel: Generating Data**



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Linear model is an approximation of the model for this prediction

The shapley values can be obtained from this linear model





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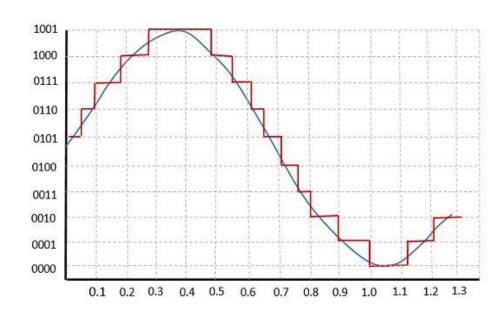
Returns the shapley value for that prediction (X)





Created an approximation model using a gradient boosted decision tree model. These types of models are so flexible we can train them to mimic any black-box model and then using Tree SHAP we can explain them.

https://github.com/slundberg/shap/blob/master/shap/explainers/mimic.py







Integrated gradients values are a bit different from SHAP values, and require a single reference value to integrate from. As an adaptation to make them approximate SHAP values,

Expected gradients reformulates the integral as an expectation and combines that expectation with sampling reference values from the background dataset.

This leads to a single combined expectation of gradients that converges to attributions that sum to the difference between the expected model output and the current output.

Shap Gradient Explainer - <a href="https://github.com/slundberg/shap/blob/master/shap/explainers/gradient.py">https://github.com/slundberg/shap/blob/master/shap/explainers/gradient.py</a>

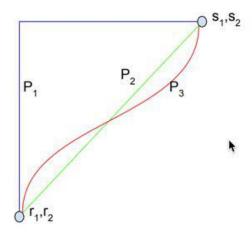


Figure 1. Three paths between an a baseline  $(r_1, r_2)$  and an input  $(s_1, s_2)$ . Each path corresponds to a different attribution method. The path  $P_2$  corresponds to the path used by integrated gradients.

## GkmExplain: Fast and Accurate Interpretation of Nonlinear Gapped k-mer Support Vector Machines



Support Vector Machines with gapped k-mer kernels (gkm-SVMs) have been used to learn predictive models of regulatory DNA sequence. However, interpreting predictive sequence patterns learned by gkm-SVMs can be challenging.

Here, we propose gkmexplain: a novel approach inspired by the method of Integrated Gradients for interpreting gkm-SVM models.

#### Source:

https://www.biorxiv.org/content/biorxiv/early/20 18/11/06/457606.full.pdf

https://github.com/kundajelab/gkmexplain

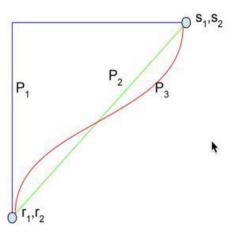


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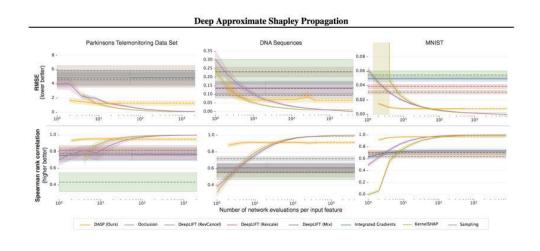
# **Explaining Deep Neural Networks with a Polynomial Time Algorithm for Shapley Values Approximation**



Deep Approximate Shapley
Propagation (DASP), a novel
perturbation-based method that
approximates Shapley values using
uncertainty propagation in DNNs.

#### Source:

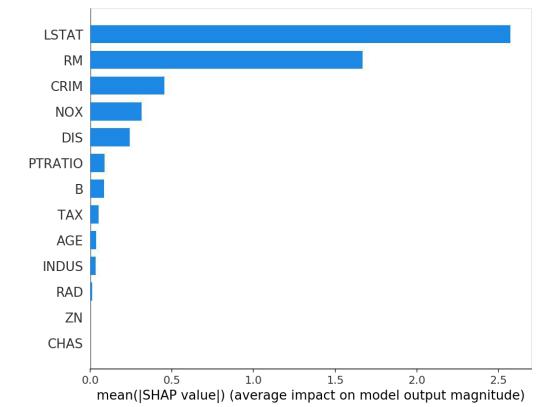
http://proceedings.mlr.press/v97/ancona19a/ancona19a.pdf





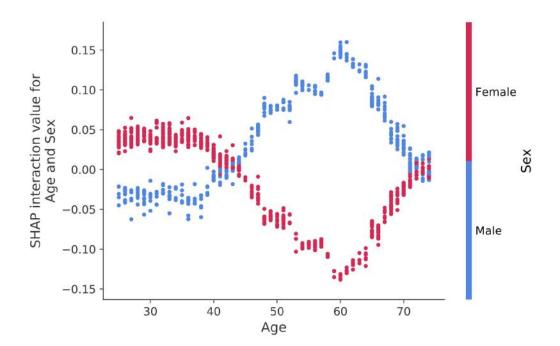
#### **Aggregating Shapley Values**

- 1. Feature Importance
- 2. Feature interactions
- 3. Feature Selection
- 4. Supervised Clustering



#### **Aggregating Shapley Values**

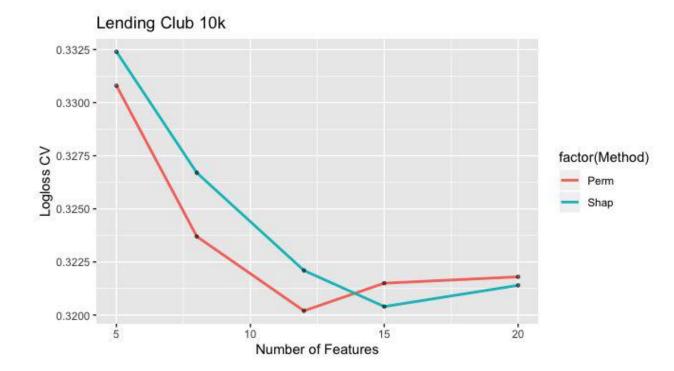
- I. Feature Importance
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#### **Feature Selection**

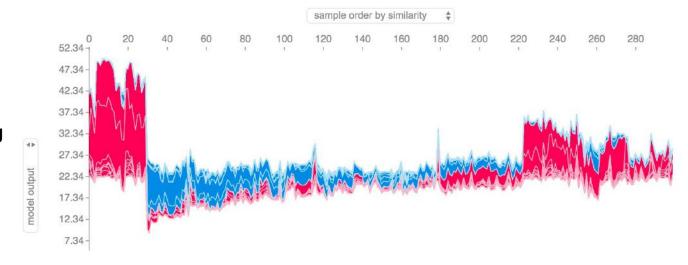
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## 4

### **Aggregating Shapley Values**

- 1. Feature Importance
- 2. Feature interactions
- 3. Feature Selection
- 4. Supervised Clustering



# Use This! Model Agnostic Explanation Tools



What are features driving the model? Feature importance

How is a specific feature driving? Partial dependence

Let's explain some examples? Prediction explanation techniques (LIME, SHAP, XEMP . . .)





## **Question time**

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https://bit.ly/inter\_workshop