London Metropolitan University



CS7051- Semantic Technologies

Coursework –1

Individual Report

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1. Satisfiability

Fact:

The different Airports which are called {A1,A2,A3,A4,A5,A6} in the model

A1= Reykjavik, A2= Dublin, A3= Kiev, A4= Vienna, A5= Oslo, A6 = Rome

 $\|$ Reykjavik $\|$ = A1

Airport: { <A1>,<A2>,<A3>,<A4>,<A5>,<A6>}

Airport(x) where x is the variable

Substitute x with the logical Constant Reykjavik, we get Airport(Reykjavik) which states that the Reykjavik is an airport.

< Reykjavik > \in \parallel Airport \parallel

Therefore the fact Airport is satisfied

Universal heuristic:

Every plane in journey has a passenger

 $\forall x \ \forall y \ Planes(x) \cap Journey(y) \cap Plane_in_Journey(x,y) \rightarrow \exists z \ Passenger(z) \cap Plane_in_Journey(x,y) \rightarrow \exists z \ Passenger(x) \cap Plane_in_Journey(x) \rightarrow Plane_in_$

Person_in_Plane(x,z)

Passenger: {PS1,PS2,PS3,PS4,PS5,PS6,PS7,PS9,PS10}

Planes: {P1,P2,P3,P4}

Journey: {J1, J2, J3, J4, J5}

Person_in_Plane: { <Ps1,P1>, <Ps2,P1>, <Ps3,P1>, <Ps4,P1>, <Ps5,P1>,

<Ps6,P2>, <Ps7,P2>,}

Plane: {<P1>,<P2>,<P3>,<P4>}

Journey: {<J1>,<J2>,<J3>,<J4>,<J5>}

Passenger: {<PS1>,<PS2>,....<PS10>}

Plane_in_Journey: {<P1,J1>,<P10,J3>,<P5,J2>.....}

By substituting the respective values given above we can retrieve fact stating that the Plane x on a Journey y has at least one Passenger z is in the plane

Existential Heuristic:

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Some journeys do not have direct route \exists x \text{ Journey } (x) \rightarrow \exists y \exists z \text{ Airports } (y) \cap \text{ Airports } (z) \cap (\neg \text{ Direct} \text{ Route}(y,z))
```

Journey: {J1,J2,J3,J4,J5}

Airports: { A1, A2, A3, A4, A5, A6}

Journey: {<J1>,<J2>,<J3>,<J4>,<J5>}

Airports: {<A1>,<A2>,<A3>,<A4>,<A5>,<A6>} Direct_Route : {<A1,A3>,<A4,A5>,....}

In this existential heuristic we say that there exists one journey wherein there exist atleast one set of airport which has no direct route from starting airport to ending

In the Journey J5 it goes from A3 to A1 via A5 and A4 thus satisfying the rule.

2. Deducing Conclusions

Deducing conclusions in your theory using 3 inference rules The Airlines AL3 does not operate in Route R6

1.	Route(R6)	Fact
2.	$\exists x \ Route(x) \rightarrow Journey(x)$	Heuristic
3.	Route $(R6) \rightarrow Journey(R6)$	1, EI
4.	Journey(R6)	1,3, MP
5.	Airlines(AL3)	Fact
6.	$\exists x \ Airlines(x) \rightarrow \exists y \ \neg Journey(y)$	Heuristic
7.	¬Airlines(AL3)	4,5,6, MT

Therefore we come to the conclusion that the Journey taken on R6 is not operated by Airlines AL3.

3. Conversion to Horn-Clause

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Facts:
       Airport (A4)
       Clausal Form : {Airport (A4)}
       Plane (P1)
       Clausal Form : {Aeroplane (P1)}
       Airline (AL3)
       <u>Clausal Form</u>: {Airline (AL3)}
       Person_in_Plane (P1, PS2)
       <u>Clausal Form</u>: { Person_in_Plane (P1, PS2)}
Heuristics:
       i.
               Every plane in a journey has a passenger
       \forall x \ \forall y \ Planes(x) \cap Journey(y) \cap Plane \ in \ Jouney(x,y) \rightarrow \exists z \ Passenger(z) \cap
       Person_in_Plane(x,z)
       Eliminate Implication:
        \forall x \neg \forall y (Planes(x) \cap Journey(y) \cap Plane in Jouney(x,y)) U (\exists z Passenger(z))
       \cap Person in Plane(x,z))
       Move negation in:
       \forall x \exists y \neg Planes(x) U \neg Journey(y) U \neg Plane_in_Jouney(x,y) U (\exists z Passenger(z))
       \cap Person in Plane(x,z))
       Skolemise y and z:
       \forall x \neg Planes(x) \ U \neg Journey(F(x)) \ U \neg Plane_in\_Jouney(x,F(x)) \ U
       (Passenger(G(x)) \cap Person in Plane(x,G(x)))
       Distribute disjunctions:
       \forall x \ (\neg Planes(x) \ U \ \neg Journey(F(x)) \ U \ \neg Plane\_in\_Jouney(x,F(x)) \ U
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          Passenger(G(x)) \cap (\negPlanes(x) U \negJourney(F(x)) U \negPlane_in_Jouney(x,F(x))
           U Person in Plane(x,G(x))
           Drop Quantifiers:
           (\neg Planes(x) \cup \neg Journey(F(x)) \cup \neg Plane\_in\_Jouney(x,F(x)) \cup Passenger(G(x))
           \cap (\negPlanes(x) U \negJourney(F(x)) U \negPlane in Jouney(x,F(x)) U
          Person_in_Plane(x,G(x)))
          Clausal Form:
           \{\neg Planes(x), \neg Journey(F(x)), \neg Plane\_in\_Jouney(x, F(x)), Passenger(G(x))\},
           \{\neg Planes(x), \neg Journey(F(x)), \neg Plane\_in\_Jouney(x, F(x)), Passenger(G(x))\}
          ii.
                   Some airline do not do specific journeys
           \exists x \ Airline(x) \rightarrow \exists y \ \neg Journey(y)
           Eliminate Implication:
           \neg \exists x \ Airline(x) \ U \ \exists y \ \neg Journey(y)
          Move negation in:
          \forall x \neg Airline(x) U \exists y \neg Journey(y)
          Skolemise y:
          \forall x \neg Airline(x) U \neg Journey (F(x))
           Drop Quantifiers:
           \neg Airline(x) U \negJourney (F(x))
          Clausal Form:
           \{\neg Airline(x), \neg Journey(F(x))\}\
          iii.
                   Some journeys do not have a direct route
           \exists x \text{ Journey } (x) \rightarrow \exists y \exists z \text{ Airports } (y) \cap \text{Airports } (z) \cap (\neg \text{ Direct Route}(y,z))
          Eliminate Implication:
           \neg \exists x \text{ Journey } (x) \text{ U } (\exists y \exists z \text{ Airports } (y) \cap \text{ Airports } (z) \cap (\neg \text{ Direct Route} (y,z)))
          Move negation in:
          \forall x \neg Journey(x) U (\exists y \exists z \text{ Airports } (y) \cap \text{Airports } (z) \cap (\neg \text{ Direct Route} (y,z)))
          Skolemise y and z:
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                                     \forall x \neg Journey(x) \cup (Airports (F(x)) \cap Airports (z) \cap (\neg Direct Route(y,z)))
                                     Distribute disjunctions:
                                     \forall x (\neg Journey(x) U Airports (F(x))) \cap (\neg Journey(x) U Airports (z)) \cap (\neg
                                     Journey(x) U (\neg Direct\_Route(y,z)))
                                     Drop Quantifiers:
                                     (\neg Journey(x) \cup Airports (F(x))) \cap (\neg Journey(x) \cup Airports (z)) \cap (\neg Journey(x) \cup Airports 
                                     Journey(x) U (\neg Direct\_Route(y,z)))
                                     Clausal Form:
                                       \{\neg Journey(x), Airports(F(x))\},\
                                       \{\neg Journey(x), Airports(z)\},\
                                       \{\neg Journey(x), \neg Direct\_Route(y,z)\}\
                                                                     Some routes form a journey by itself
                                     \exists x \text{ Route}(x) \rightarrow \exists y \text{ Journey}(y)
                                     Eliminate Implication:
                                     \neg \exists x \text{ Route}(x) \text{ U } \exists y \text{ Journey}(y)
                                     Move negation in:
                                     \forall x \neg Route(x) U \exists y Journey(y)
                                     Drop universal quantifier:
                                     \neg Route(x) U \exists y Journey(y)
                                     Skolemise y:
                                     \negRoute(x) U Journey(F(x))
                                     Clausal form:
```

 ${\neg Route(x), Journey(F(x))}$

4. Resolution

Does the Airline z operate on Route r

Some routes form a journey by itself 1 ¬Route(x) U Journey(y) premise

Some Airlines do not do specific journeys

2 ¬ Airline(z) U ¬Journey (y) premise

Some Airlines do not use specific routes

3 ¬Route(x) U ¬Airline(z) 1,2, Res