

PRESS: PREDICTED ERROR SUM OF SQUARES

It explains us how my model is going to explain the variability i.e accuracy with future observations(New observations)

Y_i = i^{th} observation is deleted from the model (Actual observation)

\hat{Y}_i = Predicted value of i^{th} observation and i^{th} observation is excluded from model

$$e_i = Y_i - \hat{Y}_i$$

Statistical software calculates predicted R-squared using the following procedure:

- . It removes a data point from the dataset.
- . Calculates the regression equation.
- . Evaluates how well the model predicts the missing observation.
- . And, repeats this for all data points in the dataset.

Let us work on the Cases, Distance, Delivery time example.

I removed the first observation from the data set and fitted the linear regression with remaining observations only.

DeliveryTime	Cases	Distance
16.68	7	560

Now the predicted model is **$Y = 2.53838 + 1.5485 \text{ Cases} + 0.01589 \text{ Distance}$**

Calculate the \hat{Y}_1 value using the above model and will get the value as 22.27797

$\hat{Y}_1 = 22.27797$

$Y_1 = 16.68$

$e_i = 16.68 - 22.27797 = -5.59797$

Similarly we are calculating for all the observations.

- **$R^2_{\text{Press}} = 0.9206438$** . That means 92% of variability on new observations. This is nothing but predicted power as well
- We are enough confident to say that our model is going to be work well not only in historical data but also it works well on future data as well.
- That means, it is very good model.
- **R^2_{Press}** is better measure than **R^2_{Adj}** .
- Since **R^2_{Adj}** measures only on past data not sure of Future data.
- **R^2_{Press}** is the predicted measure, So it is more accurate.