CS663, Assignment 3 Instructor: Prof. Suyash Awate Harris Corner Detection

### Problem Statement

### (30 points) Harris Corner Detection.

Input image: 2/data/boat.mat.

Assume the pixel dimensions to be equal along both axes, i.e., assume an aspect ratio of 1:1 for the axes. Shift and rescale the intensities in the image to lie within the range [0, 1]. Implement the Harris corner detector algorithm. The parameters underlying this algorithm are: two Gaussian smoothing levels involved in computing the structure tensor, the constant k in the corner-ness measure. Tune these three parameters to get the best results.

- 1. Write a function myHarrisCornerDetector.m to implement this.
- 2. Display the derivative images, corresponding to the derivatives along the X and Y axes.
- 3. Display the images (along with a colormap) of the two eigenvalues of the structure tensor, evaluated at each pixel.
- 4. Display the image (along with a colormap) of the Harris corner ness measure. Positive values in this image must correspond to a corner structure in the image.
- 5. Report all three parameter values used.

#### Code

#### Harris Corner Detection Code

```
function [outputImage, H, Ix, Iy, A,B,C] =
      myHarrisCornerDetection(inputImage, sigma1, sigma2, k)
2
            W = 5;
3
4
            h = fspecial('gaussian', [2, 2], sigma1);
5
            inputImage = imfilter(inputImage, h);
6
       FilterX = \begin{bmatrix} -1 & 0 & 1; -2 & 0 & 2; -1 & 0 & 1 \end{bmatrix};
       FilterY = FilterX';
8
       Ix = imfilter(inputImage, FilterX);
9
       Iy = imfilter(inputImage, FilterY);
10
11
12
13
            Ix2 = Ix .^2;
14
            Ixy = Ix .* Iy;
            Iy2 = Iy \cdot ^2;
16
```

```
17
           h = fspecial('gaussian', [W, W], sigma2);
18
19
           A = imfilter(Ix2, h);
20
           B = imfilter(Ixy, h);
21
           C = imfilter(Iy2, h);
22
23
           M1 = (A .* C) - B .^{\hat{}}
24
           M2 = (A + C) \cdot \hat{2};
25
           H = M1 - (k * M2);
26
27
           \% imregional max used for non-maximal supression and the
28
                product for the cornerness measure
           corners = imregionalmax(H) .* (H > 0.1);
29
           outputImage = corners;
30
  end
31
  Main Script
  % MyMainScript
2
  tic;
  % Your code here
  boat_struct = load('../data/boat');
  boat = myLinearContrastStretching(boat_struct.imageOrig);
   [corners, h, Ix, Iy, A, B, C] = myHarrisCornerDetector(boat,
      0.66, 1, 0.01);
  imshow(boat, []);
  hold on;
9
   [row, col] = find(corners);
  plot(row, col, 'r*');
  figure (2)
12
  subplot (121)
13
  imshow (Ix)
14
   title ('I_x: X Derivative of Image');
15
16
  subplot (122)
17
  imshow (Iy)
18
   title ('I_y: Y Derivative of Image');
19
20
   [eig1, eig2] = myFindEigenValue(A,B,C);
21
  figure (3)
22
  subplot(121)
  imshow (eig1)
   title ('EigenValue Images (I)');
25
  subplot (122)
26
  imshow (eig2)
27
  title ('EigenValue Images (II)');
29
```

```
toc;
```

### Implementation Details

Firstly the image was smoothed with a Gaussian filter of size [W, W] and variance  $\sigma_{smooth}$ . Then the X and Y Derivatives of the image  $(I_x \text{ and } I_y)$  were calculated by filtering the image with the Sobel operators for X and Y axis respectively.

For boundary conditions i.e. the points where mask lied outside the image, the rest of the image pixels were considered zero (Dirichlet boundary conditions). Then  $I_x^2$ ,  $I_y^2$ ,  $I_{xy}$  images were calculated using the derivatives and another Gaussian window of size [W1, W1] and variance  $\sigma_{autocorrelation}$  was applied to these images. Dirichlet boundary conditions as explained above were used. Next for each pixel, cornerness was measured:

```
Cornerness = \lambda_1 \lambda_2 - k(\lambda_1 + \lambda_2)^2
Cornerness = Det(A) - k(Trace)<sup>2</sup>

Cornerness = (I_x^2 I_y^2 - I_{xy}^2) - k(I_x^2 + I_y^2)^2

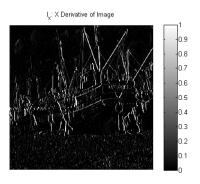
After thresholding the cornerness image with parameter \epsilon, and non maximum suppression,
```

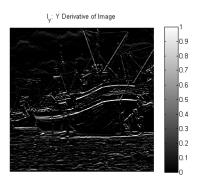
we get the resulting corners as shown in the next section.

### Result Images

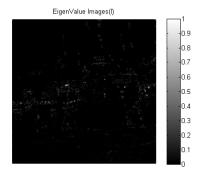


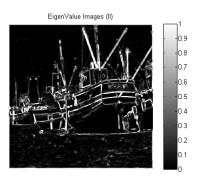
Final Corners in the image



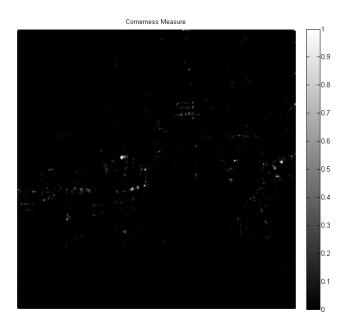


## Derivative of Image along X and Y Axis respectively





Eigenvalues of structure tensor



Cornerness Measure

# **Optimum Parameters**

Gaussian Mask for Smoothing the image: Window Size: [5 5], Variance = 0.66 Gaussian Mask for Calculating  $I_x^2, I_{xy}, I_y^2$ : Window Size: [5 5], Variance = 1 k used for Cornerness Measure: 0.01

 $\epsilon$ i.e. The shold Parameter: 0.1