

**EE501**

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M S RAMAIAH INSTITUTE OF TECHNOLOGY

(AUTONOMOUS INSTITUTE, AFFILIATED TO VTU)

BANGALORE - 560 054

SEMESTER END EXAMINATIONS - JANUARY 2016

Course & Branch : **B.E.- Electrical & Electronics Engg.** Semester : **V**
Subject : **Digital Signal Processing** Max. Marks : **100**
Subject Code : **EE501** Duration : **3 Hrs**

Instructions to the Candidates:

- Answer one full question from each unit.

UNIT - I

1. a) List the advantages and disadvantages of digital signal processing CO1 (06)
over analog signal processing?
b) i) Compute the N point DFT of $x(n)=2, 0 \leq n \leq N-1$. CO1 (06)
(ii) For $N=5$, compute the DFT of $x_1(n)=\{1,0,1,0,1\}$ iii) compute DFT
of $x_2(n)=\{1,1,1\}$ for $N=3$.
c) Let $x_p(n)$ be a periodic sequence with fundamental period N. Consider CO1 (08)
the following DFTs

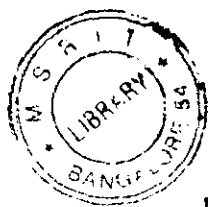
$$\begin{array}{ccc} \text{DFT} & & \text{DFT} \\ x_p(n) \leftrightarrow X_1(k), & & x_p(n) \leftrightarrow X_3(k). \\ N & & 3N \end{array}$$

What is the relationship between $X_1(k)$ and $X_3(k)$?

2. a) Given $x(n) = \left(\frac{1}{3}\right)^n [u(n) - u(n-3)]$. Determine the following without CO1 (12)
computing 4 point DFT.
i) If $G(k) = W_2^k X(k)$, find $g(n)$.
ii) $\sum_{n=0}^3 X(k) \cdot X^*(k)$
iii) $X(0) + X(2)$
b) Compute the circular convolution of the sequences $x_1(n)$ and $x_2(n)$ CO1 (08)
using DFT and IDFT method. $x_1(n) = \{-2, 3, -1, 5\}$ and $x_2(n) = \{1, 2, 3, 4\}$
and also compute the circular convolution using circular arrays.

UNIT - II

3. a) Find $y(n) = x(n) * h(n)$ for the sequences CO1 (10)
 $x(n) = \{1, 2, 3, 1, 2, 3, 1, 2, 3, 1, 2, 3\}$ and $h(n) = \{1, 2, 3\}$. Use overlap
save method. Use 4 point convolution.
b) Find the 8-point DFT of the sequence $x(n) = \{1/\sqrt{3}, 1, 1/\sqrt{3}, 0, -$ CO1 (10)
 $1/\sqrt{3}, -1, -1/\sqrt{3}, 0\}$ using Radix 2 DIF FFT algorithm.
4. a) The sequence $x(n) = \{1, -2, 2, 1, 1, -3, 3, 1, 1, -4, 4, 1, 1, 2, 3, 4\}$ is filtered CO1 (10)
through a filter impulse response $h(n) = \{1, -1, 2\}$. compute the output of
the filter using overlap add method. Use 5-point circular convolution.



- b) Given $x(n) = \{-1, -2, -3, 4, 3, 2, 1\}$, find the DFT $X(k)$ using decimation in time radix 2 FFT algorithm. Show all the intermediate steps. CO1 (10)

UNIT - III

5. a) Give the time domain sketch and the mathematical representation of the following windows: CO2 (08)
i) Rectangular window
ii) Hanning window.
b) Use the window design method to design a linear phase FIR filter of order $N=24$ to approximate the following ideal frequency response magnitude: CO2 (08)

$$|H_d(e^{j\omega})| = \begin{cases} 1, & |\omega| \leq 0.2\pi \\ 0, & 0.2\pi < |\omega| \leq \pi \end{cases}$$

- c) Write the procedure for designing FIR filter with an non-causal sequence assumption. CO2 (04)
6. a) Consider the following specifications for a filter CO2 (10)
 $0.95 \leq |H(e^{j\omega})| \leq 1.05 \quad 0 \leq |\omega| \leq 0.2\pi$
 $|H(e^{j\omega})| \leq 0.007 \quad 0.22\pi \leq |\omega| \leq 0.75\pi$
 $0.95 \leq |H(e^{j\omega})| \leq 1.05 \quad 0.8\pi \leq |\omega| \leq \pi$
i. Design a linear phase FIR filter to meet these specifications using the window design method.
ii. What is the approximate order of the equiripple filter that will meet these specifications?
b) Describe the theorem for linear phase and discuss the case when $h(n)$ is symmetric about the mid point with 'N' even. CO2 (10)

UNIT - IV

7. a) Develop bilinear transformation, what are its characteristics? CO3 (06)
b) Design a digital LPF with a passband magnitude characteristic that is constant to within 0.75 dB for frequencies below $\omega=0.2613\pi$ and stop band attenuation of at least 20dB for frequencies between $\omega=0.4018\pi$ and π . Determine the transfer function $H(Z)$ for the lowest order butterworth design which meets the specifications. Use bilinear transformation CO3 (14)
8. a) What are the advantages and disadvantages of IIR Filters? CO3 (06)
b) Find the order N of a lowpass Butterworth filter to meet the following specifications. CO3 (07)
 $\delta_p = 0.001 \quad \delta_s = 0.001$
 $\Omega_p = 1 \text{ rad/sec} \quad \Omega_s = 2 \text{ rad/sec}$
c) A second order continuous time filter has the system function CO3 (07)
 $H_a(s) = 1/(s-a) + 1/(s-b)$ where $a < 0$ and $b < 0$ are real.
(i) Determine the locations of the poles and zeroes of $H(z)$ if the filter is designed using the bilinear transformation with $T_s = 2$.
(ii) Repeat part (i) for the impulse invariance technique again with $T_s = 2$.



UNIT - V

9. a) Consider a second LTI system described by a difference equation CO2 (12)
 $y(n] = 1/16 y(n-2) + x(n]$

- i. Determine the unit sample response $h(n]$ of the system
- ii. Determine DFII, parallel form and cascade form realization of the system
- iii. Find the expression for the frequency response of the system

- b) Given CO3 (08)

$$H(z) = (1 + z^{-1}) \left(1 - \frac{1}{4} z^{-1} + \frac{1}{2} z^{-2} \right)$$

- i) Direct form realization
- ii) Cascade form realization

10. a) Realize the system function $H(Z)$ in cascade and parallel form CO2 (12)

$$H(Z) = \frac{(Z-1)(Z-2)(Z+1)Z}{\left(Z - \left(\frac{1}{2} + \frac{j}{2}\right)\right) \left(Z - \left(\frac{1}{2} - \frac{j}{2}\right)\right) \left(Z - \frac{j}{4}\right) \left(Z + \frac{j}{4}\right)}$$

- b) Realize a linear phase FIR filter with the following impulse response. CO3 (08)

$$h(n) = \delta(n) + \frac{1}{8} \delta(n-1) - \frac{1}{2} \delta(n-2) + \frac{1}{8} \delta(n-3) + \delta(n-4)$$

Give necessary equations.
