Subject: Automatic Control System (EE 1505)

End Semester Theory Examination (Odd Semester, 2016-17)

Time: 3:00 Hrs.

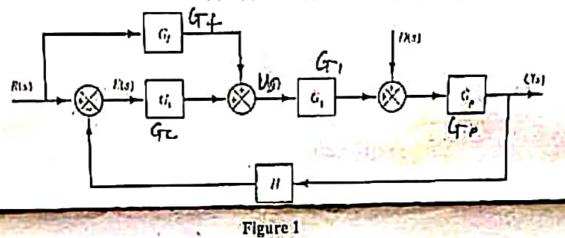
Maximum Marks: 60

[3]

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Note: Attempt all Questions. If any data is missing, assume as per requirement and mention the same.

(a) Discuss the advantages and disadvantages of open and closed loop control systems. [3]
(b) Obtain the transfer function C(s)/R(s) and C(s)/D(s) of given system as shown in Figure 1.



(c) The open loop transfer function of a unity feedback control system is given by

$$G(s) = \frac{K(s+2)}{s^3 + \beta s^2 + 4s + 1}$$

Determine the value of K and β such that the closed loop unit step response has $\omega_n = 3$ rad/sec and $\zeta = 0.2$.

- 2. Sketch the root locus for given open loop transfer function $G(s)H(s) = \frac{K(s+0.1)}{s(s-0.2)(s^2+s+0.6)}$ and determine the range of values K for which the closed loop system is stable. [10]
- 3. Construct the Bode plots for the system having

$$G(s) = \frac{80}{s(s+2)(s+20)}$$

From the plots determine:

- (i) Gain and phase crossover frequencies
- (ii) Gain and Phase margin
- (iii) Comment on stability of the system

[10]

Consider a unity feedback system given by open loop transfer function G(s)

Draw the Nyquist plot and determine

- Gain margin and phase margin (i)
- Comment on stability of the system (iii)

What do you understand by the principle of Argument? Discuss in detail the Nyquist stability criterion.

- What is the lag compensator? Obtain the transfer function of lag compensator and draw the [3] pole -zero plots. Also, discuss its effects and limitations.
 - (b) The forward path transfer function of a unity feedback control system is given by

$$G(s) = \frac{K}{s(s+2)(s+10)}$$

Design a suitable lag network using root locus to meet following specifications

- Overshoot \$16% for unit step input (i)
- Steady state error for unit ramp input $\leq \frac{2}{15}$ radian (ii)

[7]

Derive a state space model for given electrical network as shown in Figure 2 (:1)

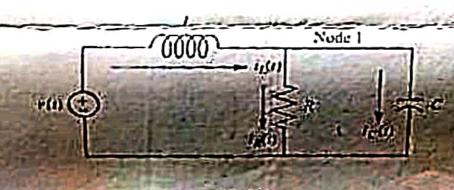


Figure 2

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Consider the system given by following state space model and initial conditions as: (b)

$$\dot{x}(t) = \begin{bmatrix} 0 & 1 \\ -6 & -5 \end{bmatrix} x(t) + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u(t) \qquad \begin{bmatrix} x_1(0) \\ x_2(0) \end{bmatrix} = \begin{bmatrix} 0 \\ 0 \end{bmatrix}$$

$$\dot{y}(t) = \begin{bmatrix} 1 & 0 \end{bmatrix} x(t)$$

Calculate the following:

- (1) State transition matrix o(t)
- (ii) x(t) and y(t)
- (III) Comment on controllability and observability of the system
- (iv) Comment on stability
- (v) Obtain the transfer function of the system