

## EXPERIMENT 7

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COMPS-B

**Complexity:** The Complexity of Dijkstra's Algorithm is  $O(n^2)$

Input:

```
V = 100
INFI = 999

def dijkstra(graph, numVertices, source):
    dist = [INFI] * numVertices
    visited = [False] * numVertices
    dist[source] = 0

    for _ in range(numVertices):
        minDist = INFI
        minVertex = -1

        # Find the vertex with the minimum distance that is not yet
        visited
        for v in range(numVertices):
            if not visited[v] and dist[v] < minDist:
                minDist = dist[v]
                minVertex = v

        visited[minVertex] = True

        # Update the distances to the neighboring vertices
        for v in range(numVertices):
            if not visited[v] and graph[minVertex][v] != INFI:
                newDist = dist[minVertex] + graph[minVertex][v]
                if newDist < dist[v]:
                    dist[v] = newDist

    print("Vertex\tDistance from Source")
    for i in range(numVertices):
        print(f"{i}\t{dist[i]}")

def main():
    adjMat = [[INFI] * V for _ in range(V)]
    vertices = int(input("Enter the number of vertices: "))
    edges = int(input("Enter the number of edges: "))

    # Input the edges and weights into the adjacency matrix
    for _ in range(edges):
        source = int(input("Enter the source for edge: "))
        destination = int(input("Enter the destination for edge: "))
        weight = int(input("Enter the weight for edge: "))
        adjMat[source][destination] = weight
        adjMat[destination][source] = weight # Assuming the graph is
    undirected

    # Print the adjacency matrix
```

```

print("Adjacency Matrix:")
for row in adjMat:
    for w in row:
        if w == INFI:
            print(".", end=" ")
        else:
            print(w, end=" ")
    print()

source_vertex = 0
dijkstra(adjMat, vertices, source_vertex)

if __name__ == "__main__":
    main()

```

Output:

```

Enter the number of vertices: 5
Enter the number of edges: 7
Enter the source for edge: 0
Enter the destination for edge: 1
Enter the weight for edge: 2
Enter the source for edge: 0
Enter the destination for edge: 2
Enter the weight for edge: 4
Enter the source for edge: 1
Enter the destination for edge: 2
Enter the weight for edge: 1
Enter the source for edge: 1
Enter the destination for edge: 3
Enter the weight for edge: 7
Enter the source for edge: 2
Enter the destination for edge: 3
Enter the weight for edge: 3
Enter the source for edge: 2
Enter the destination for edge: 4
Enter the weight for edge: 5
Enter the source for edge: 3
Enter the destination for edge: 4
Enter the weight for edge: 2

Adjacency Matrix:
0 2 4 . .
2 . 1 7 .
4 1 . 3 5
. 7 3 . 2
. . 5 2 .

Vertex Distance from Source
0 0
1 2
2 3
3 6
4 8

```

# Postlab:

# S. Tring with vertex 1 as source node	
Node	Dist from source(1)
1	0
2	2
3	8
4	$\infty$
5	$\infty$
6	$\infty$

$\Rightarrow$  Node 3: Dist to node 3 =  $\min(8, 2+5) = 7$   
 $\Rightarrow$  Node 4: Dist to node 4 =  $\infty$   
 $\Rightarrow$  Node 5: Dist to node 5 =  $\infty$   
 $\Rightarrow$  Node 6: Dist to node 6 =  $\infty$

Node	Dist from source(1)
1	0
2	2
3	7
4	$\infty$
5	$\infty$
6	$\infty$

$\Rightarrow$  Node 4: Dist to node 4:  $\min(\infty, 7+2) = 9$   
 $\Rightarrow$  Node 5: Dist to node 5:  $\min(\infty, 7+6) = 13$   
 $\Rightarrow$  Node 6: Dist to node 6:  $\min(\infty, 7+\infty) = 7$

Node	Dist
1	0
2	2
3	7
4	9
5	13
6	7

: Shortest distance

Shortest path

Node 1 = 0

1 → 1

Node 2 = 2

1 → 2

Node 3 = 7

1 → 2 → 3

Node 4 = 10

1 → 2 → 3 → 4

Node 5 = 13

1 → 2 → 3 → 4

Node 6 = 7

1 → 2 → 3 → 4 → 6

1 → 2 → 3 → 4 → 6 → 5