

## Single Sample

The weights learnt were  $[-44. \quad 5.25]$

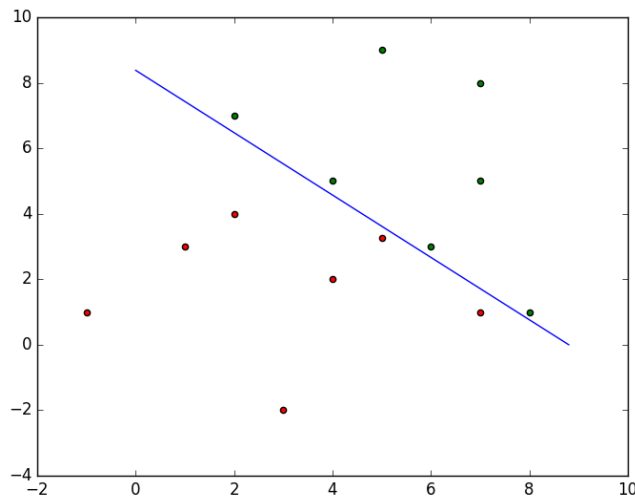
We started with  $[1,1,1]$

Convergence :  
For  $[1 \ 1 \ 1]$  took 65 steps

For  $[2 \ 2 \ 2]$  took 61 steps

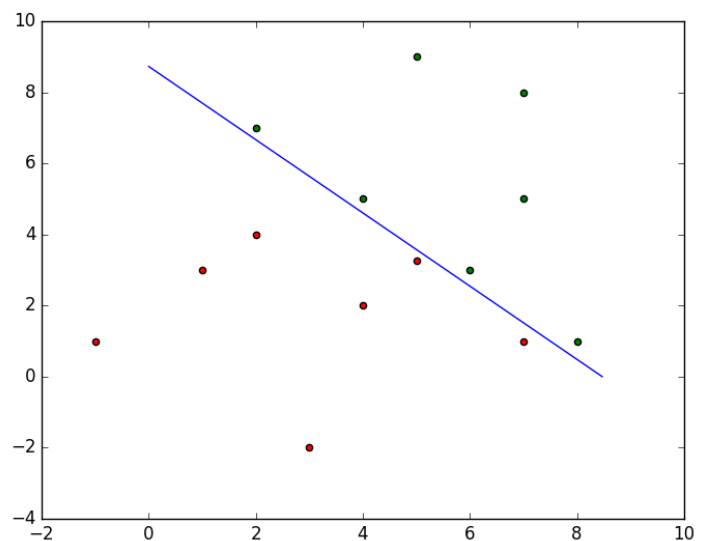
For  $[-44 \ 3 \ 3]$  took 42 steps.

So as we get nearer and nearer to the correct weights, the convergence time decreases.



## Single Sample with margin

The weights learnt were  $[-144. \quad 17.16.5]$   
with  $b=5$ .



With  $b=0.5$  we got this boundry which is very near to some points :

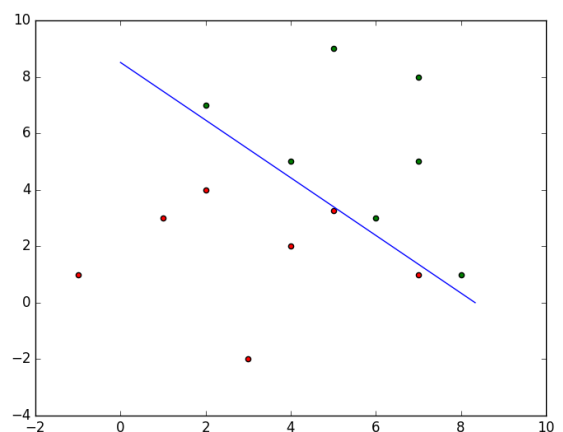
For different initial values of  $a$ , we found following results (with  $b=1$ ):

$[5 \ 5 \ 5] = 289$

$[10 \ 10 \ 10] = 286$

$[-100 \ 10 \ 10] = 30$

So as we get nearer and nearer to the correct weights,



the convergence time decreases.

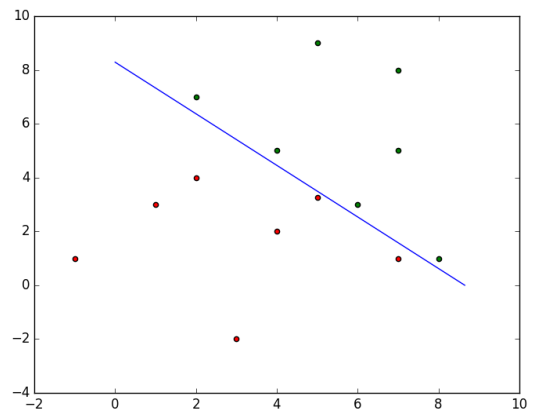
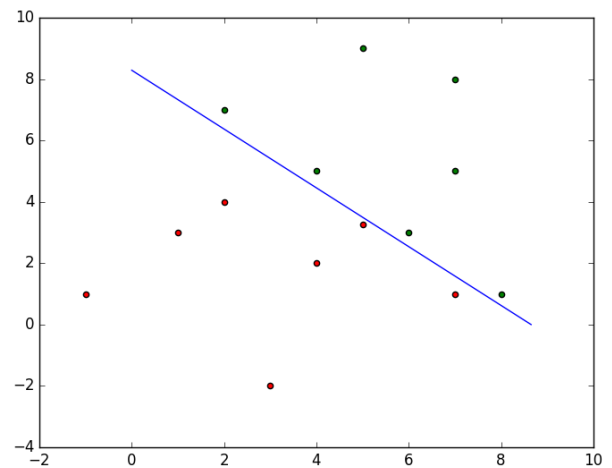
### Relaxation algorithm with margin

Ran the method with  $b=0.5$ ,  $\eta=0.7$  and we got this chart.

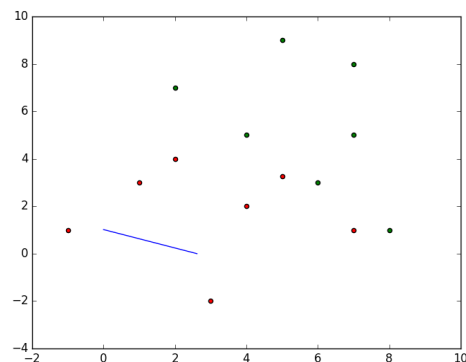
The weights taken initially were  $[1 \ 1 \ 1]$ .

As with the cases above, the nearer we initialized the weights to the correct values, the faster we converged.

For  $b=5$ , we got same boundry as shown. So large values of  $b$  didn't make a difference.



Interesting to note that at  $b=0$ , we didn't get a solution:



Widrow-Hoff or Least Mean Squared (LMS) Rule: