

Lab Assignment 11

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Question 1:

Initials-

- Downloaded dataset using **wget** command called using **os.system**
- Loaded the **.csv** file into **df** using **pd.read_csv** and set **columns=['variance','skewness','curtosis','entropy','classes']**
- Printed **df**

Part 1-

- Checked for not filled rows using **df.isnull().sum()**
- Used **df.dtypes** to find data type of **df**
- Used **df.describe()** to get insights about the dataset
- Plotted correlation matrix
- Applied **MinMaxScaler()** to every column to normalise data
- Converted **df** to **X,y**
- Split dataset into train,test,val in ratio 70:20:10

Part 2-

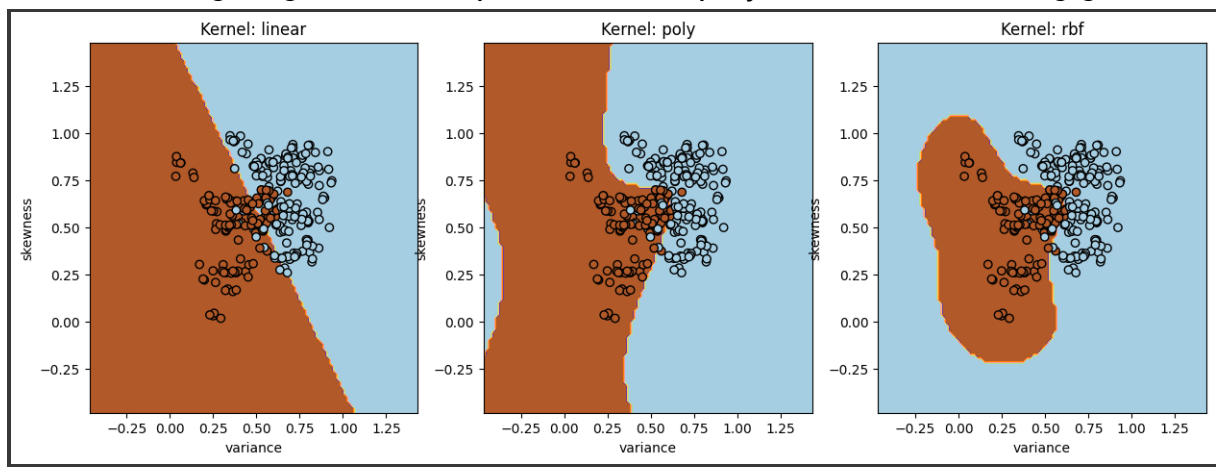
- Took **c_vals = [0.0001, 0.01, 1, 100, 1000, 10000]**
- Trained model on each **C** in **c_vals**
- ```
Classification accuracy for C = 0.0001: 0.5876
Classification accuracy for C = 0.01: 0.8978
Classification accuracy for C = 1: 1.0000
Classification accuracy for C = 100: 1.0000
Classification accuracy for C = 1000: 1.0000
Classification accuracy for C = 10000: 1.0000
```
- The accuracy increase with increase in **C** (the **C** specify how much can error is allowed low value of **C** means high error is allowed, this **C** can be used to remove overfit and underfit)
- **“Variance”** and **“Skewness”** feature has the highest correlation with **y**
- For different values of **C** plotted the decision boundary with data points
- Training again on these two features

```
Classification accuracy for C = 0.0001: 0.5554
Classification accuracy for C = 0.01: 0.7179
Classification accuracy for C = 1: 0.8812
Classification accuracy for C = 100: 0.8754
```

```
Classification accuracy for C = 1000: 0.8754
Classification accuracy for C = 10000: 0.8754
```

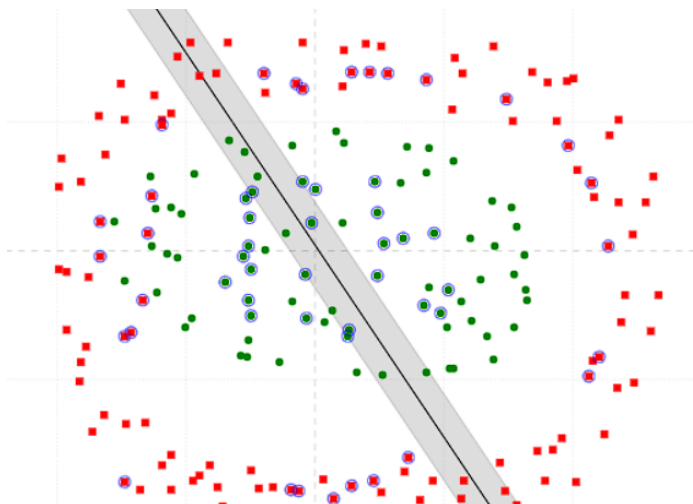
## Part 3-

- Used **kernels = ['linear', 'poly', 'rbf']**
- Plotted decision boundary with dataset with different kernels considering the best feature **“Variance”** and **“Skewness”**
- **Classification accuracy for linear kernel: 0.8759**  
**Classification accuracy for poly kernel: 0.9270**  
**Classification accuracy for rbf kernel: 0.9234**
- RBF is giving the best , apart from that polynomial is also doing good

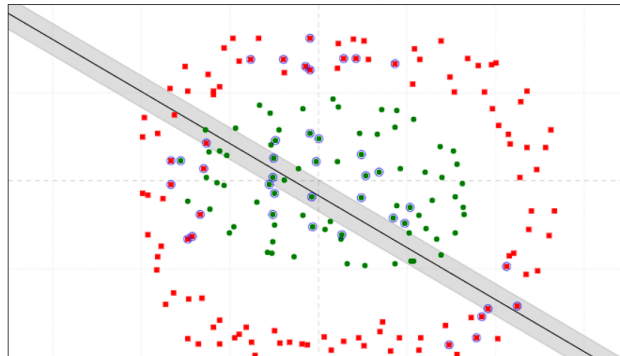


## Part 4-

### ❖ Subpart 1(First dataset)-



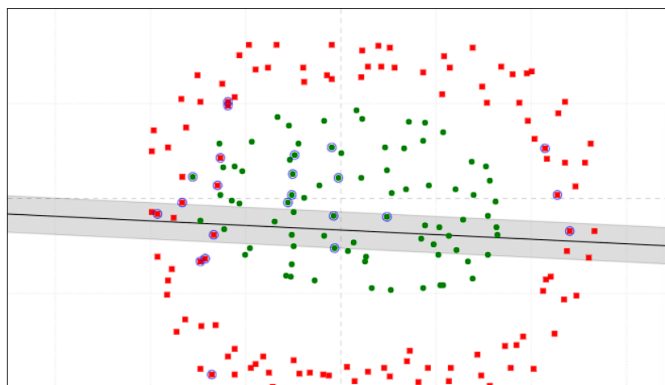
- **$\nu=0.15$ (Linear)**



☒ Toggle       $\nu = 0.19$

Kernel: Linear    $\gamma = 1.0$     $c_0 = 0.0$   
 $K(\mathbf{x}, \mathbf{y}) = \mathbf{x} \cdot \mathbf{y}$

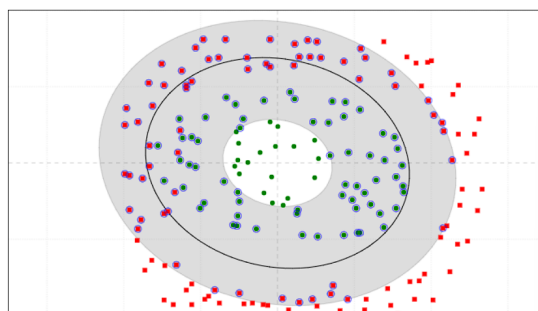
- **$\nu=0.1$ (Linear)**



☒ Toggle       $\nu = 0.1$

Kernel: Linear    $\gamma = 1.0$     $c_0 = 0.0$   
 $K(\mathbf{x}, \mathbf{y}) = \mathbf{x} \cdot \mathbf{y}$

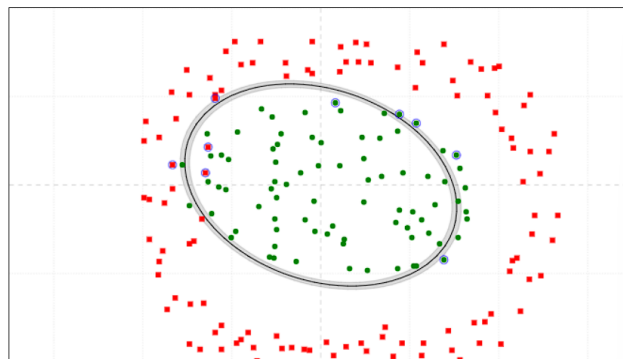
- **$\nu=0.63$ (Quadratic)**



☒ Toggle       $\nu = 0.63$

Kernel: Quadratic    $\gamma = 1.0$     $c_0 = 0.0$   
 $K(\mathbf{x}, \mathbf{y}) = (\gamma \mathbf{x} \cdot \mathbf{y} + c_0)^2$

- $\nu=0.012$ (Quadratic)

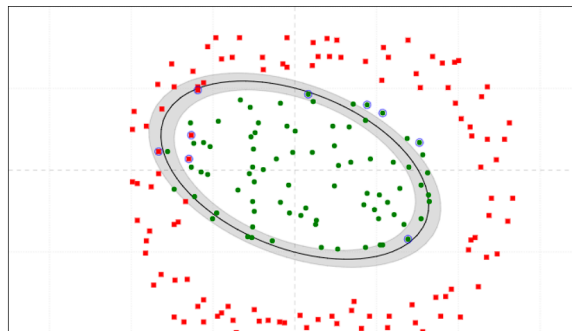


☒ Toggle   $\nu = 0.012$

Kernel:   $\gamma = 1.0$   $c_0 = 0.0$

$K(\mathbf{x}, \mathbf{y}) = (\gamma \mathbf{x} \cdot \mathbf{y} + c_0)^2$

- $\gamma=20$ (Quadratic)

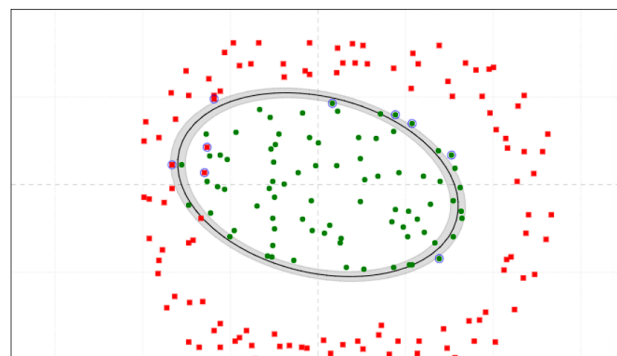


☒ Toggle   $\nu = 0.012$

Kernel:   $\gamma = 20$   $c_0 = 0.0$

$K(\mathbf{x}, \mathbf{y}) = (\gamma \mathbf{x} \cdot \mathbf{y} + c_0)^2$

- $\gamma=2$ (Quadratic)

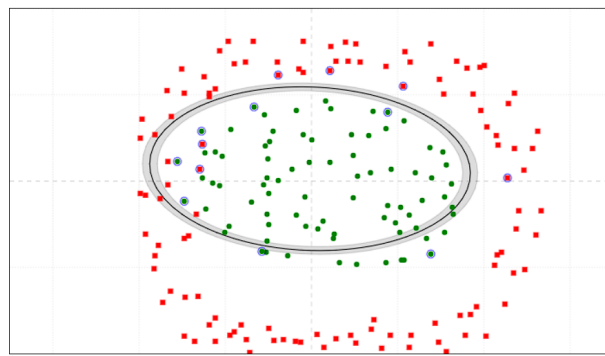


☒ Toggle   $\nu = 0.012$

Kernel:   $\gamma = 2$   $c_0 = 0.0$

$K(\mathbf{x}, \mathbf{y}) = (\gamma \mathbf{x} \cdot \mathbf{y} + c_0)^2$

- **$c_0=50$ (Quadratic)**

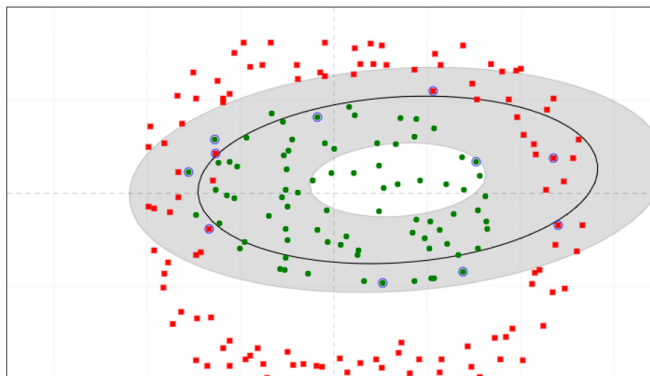


☐ Toggle   $\nu = 0.012$

Kernel:   $\gamma = 2$   $c_0 = 50$

$K(\mathbf{x}, \mathbf{y}) = (\gamma \mathbf{x} \cdot \mathbf{y} + c_0)^2$

- **$c_0=50$ (Quadratic)**

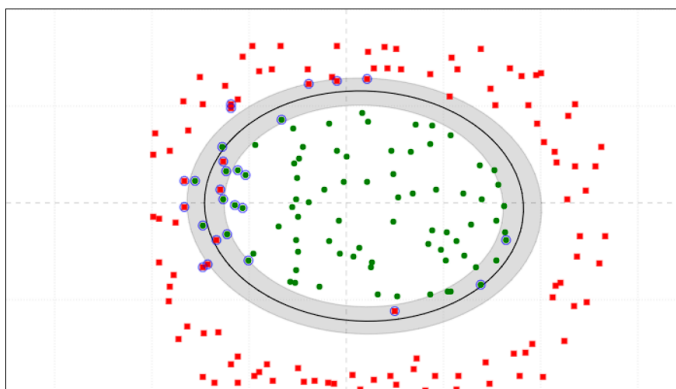


☐ Toggle   $\nu = 0.012$

Kernel:   $\gamma = 2$   $c_0 = 150$

$K(\mathbf{x}, \mathbf{y}) = (\gamma \mathbf{x} \cdot \mathbf{y} + c_0)^2$

- **$\nu=0.1$ (Radial Basis Function)**

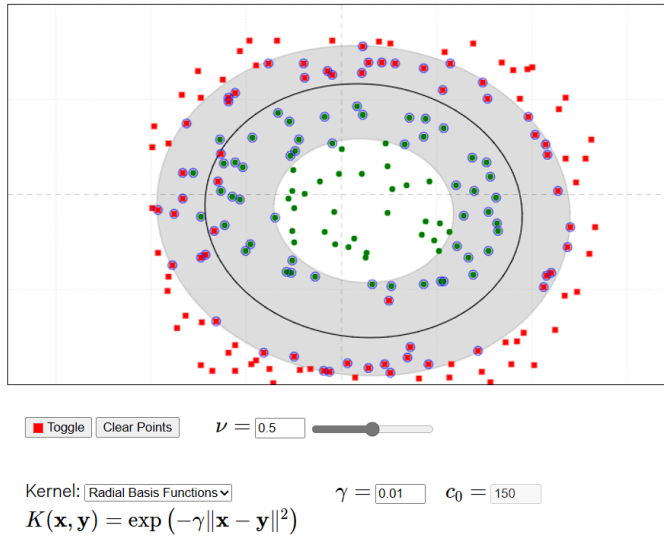


☐ Toggle   $\nu = 0.1$

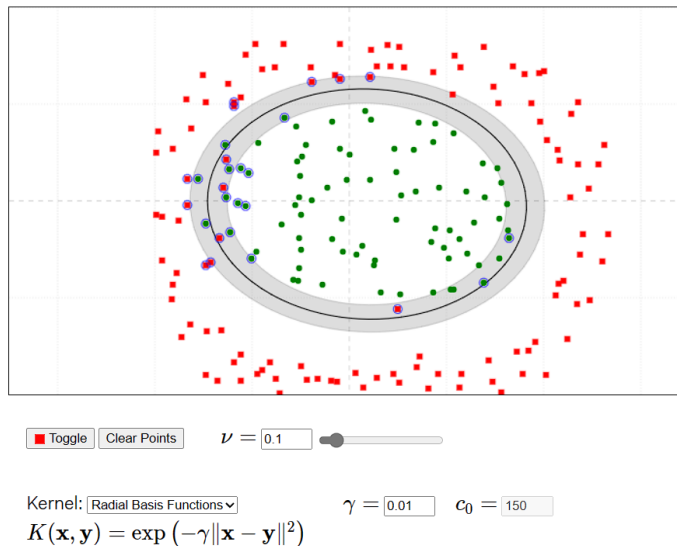
Kernel:   $\gamma = 0.01$   $c_0 = 150$

$K(\mathbf{x}, \mathbf{y}) = \exp(-\gamma \|\mathbf{x} - \mathbf{y}\|^2)$

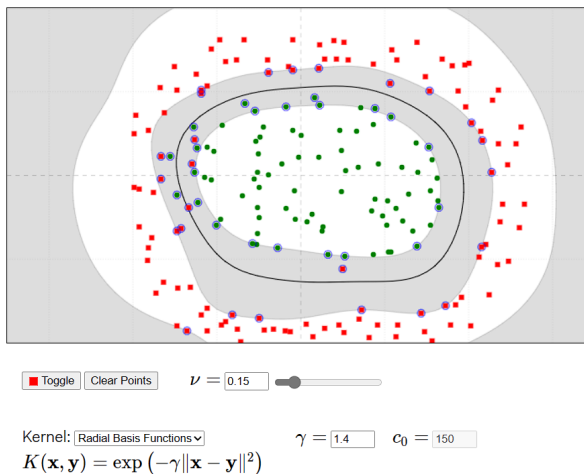
- **$\nu=0.5$ (Radial Basis Function)**



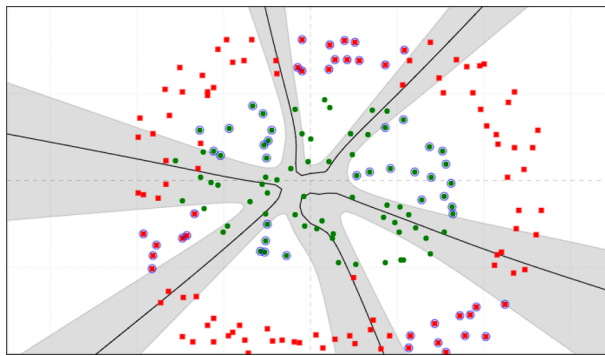
- **$\nu=0.01$ (Radial Basis Function)**



- **$\nu=0.15$ (Radial Basis Function)**

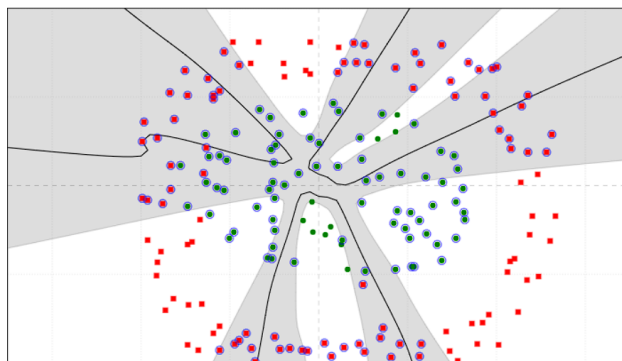


- **$\nu=0.3(\text{Sigmoid})$**



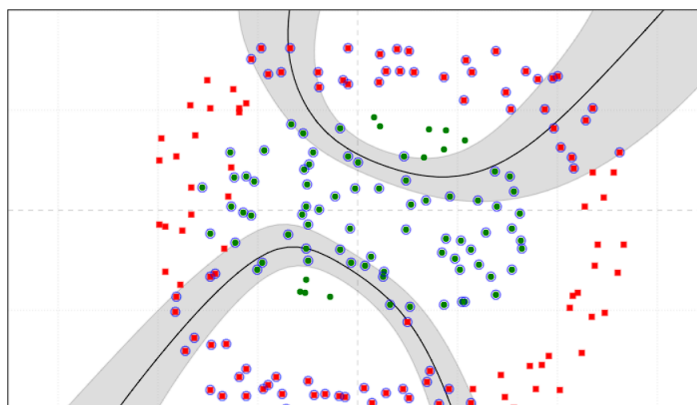
☒ Toggle   $\nu = 0.3$    $\gamma = 5$   $c_0 = 1$   
 Kernel: Sigmoid  
 $K(\mathbf{x}, \mathbf{y}) = \tanh(\gamma \mathbf{x} \cdot \mathbf{y} + c_0)$

- **$\nu=0.71(\text{Sigmoid})$**



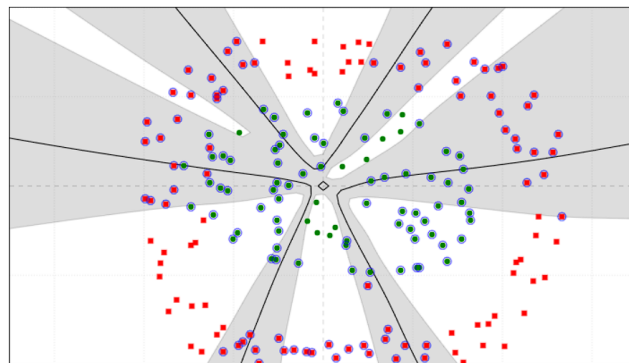
☒ Toggle   $\nu = 0.71$    $\gamma = 5$   $c_0 = 1$   
 Kernel: Sigmoid  
 $K(\mathbf{x}, \mathbf{y}) = \tanh(\gamma \mathbf{x} \cdot \mathbf{y} + c_0)$

- **$\nu=1(\text{Sigmoid})$**



☒ Toggle   $\nu = 0.71$    $\gamma = 1$   $c_0 = 1$   
 Kernel: Sigmoid  
 $K(\mathbf{x}, \mathbf{y}) = \tanh(\gamma \mathbf{x} \cdot \mathbf{y} + c_0)$

- **$\gamma=10(\text{Sigmoid})$**

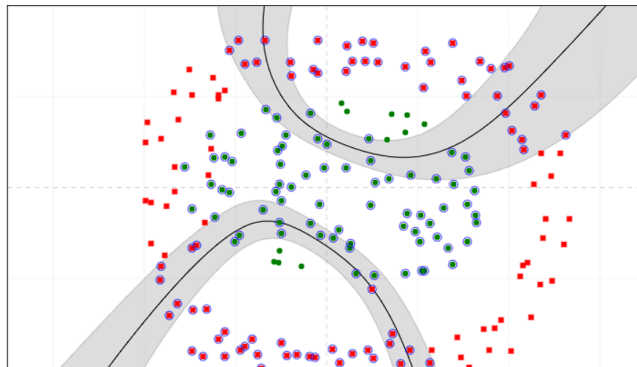


☒ Toggle
 
 $\nu = 0.71$

Kernel: 
 $\gamma = 10$ 
 $c_0 = 1$

$$K(\mathbf{x}, \mathbf{y}) = \tanh(\gamma \mathbf{x} \cdot \mathbf{y} + c_0)$$

- **$c_0=1(\text{Sigmoid})$**

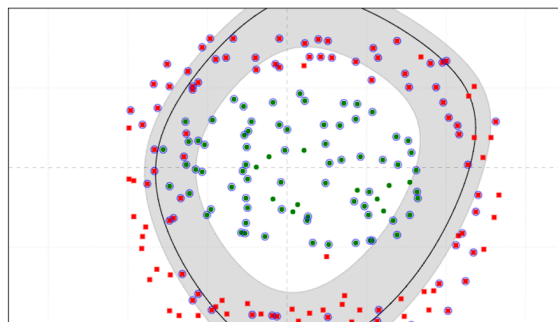


☒ Toggle
 
 $\nu = 0.71$

Kernel: 
 $\gamma = 1$ 
 $c_0 = 1$

$$K(\mathbf{x}, \mathbf{y}) = \tanh(\gamma \mathbf{x} \cdot \mathbf{y} + c_0)$$

- **$c_0=10(\text{Sigmoid})$**



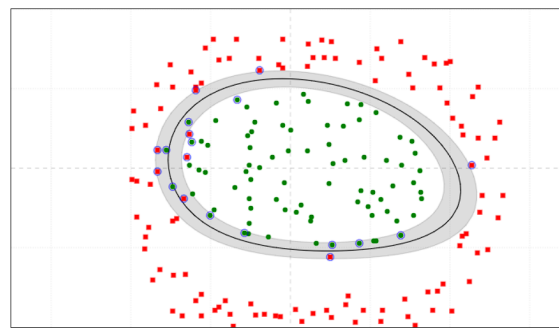
☒ Toggle
 
 $\nu = 0.71$

Kernel: 
 $\gamma = 1$ 
 $c_0 = 10$

$$K(\mathbf{x}, \mathbf{y}) = \tanh(\gamma \mathbf{x} \cdot \mathbf{y} + c_0)$$



## ##Best Decision Boundary

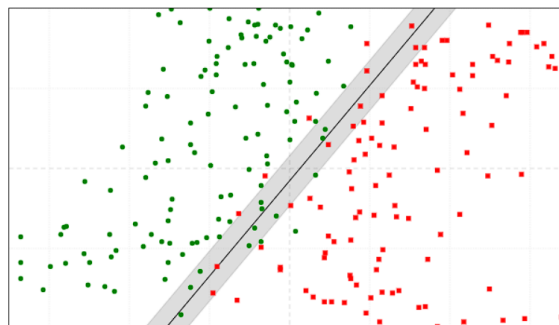


☐ Toggle   $\nu = 0.05$    
 Kernel:   $\gamma = 0.1$   $c_0 = 10$   
 $K(\mathbf{x}, \mathbf{y}) = \exp(-\gamma \|\mathbf{x} - \mathbf{y}\|^2)$

**Radial Basis Function( $\nu=0.05, \gamma=0.1$ )** is performing good after hyperparameter tuning

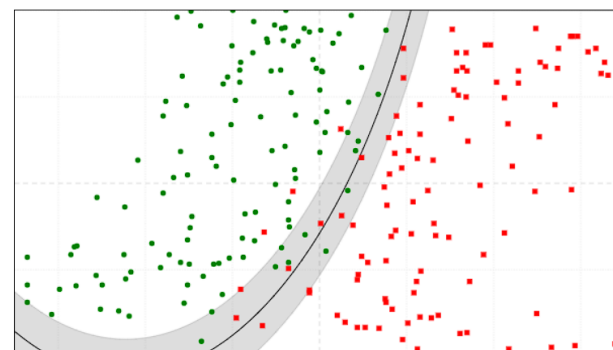
### ❖ Subpart 2(Second dataset)-

- Best Decision boundary (Linear)



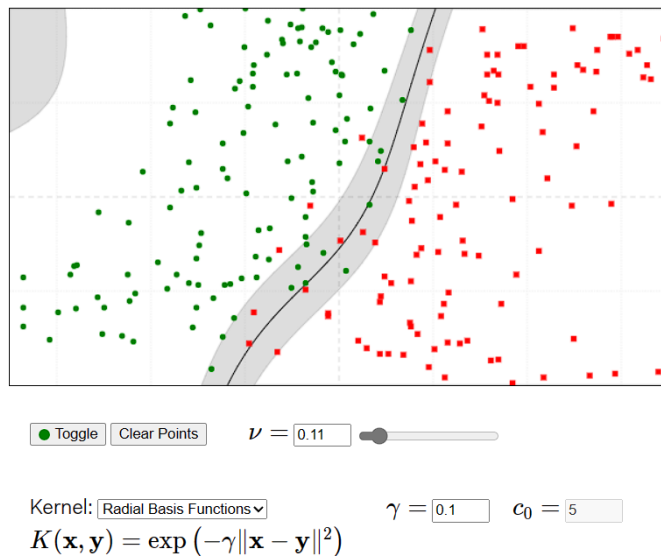
☐ Toggle   $\nu = 0.1$    
 Kernel:   $\gamma = 1.0$   $c_0 = 0.0$   
 $K(\mathbf{x}, \mathbf{y}) = \mathbf{x} \cdot \mathbf{y}$

- Best Decision boundary (Quadratic)

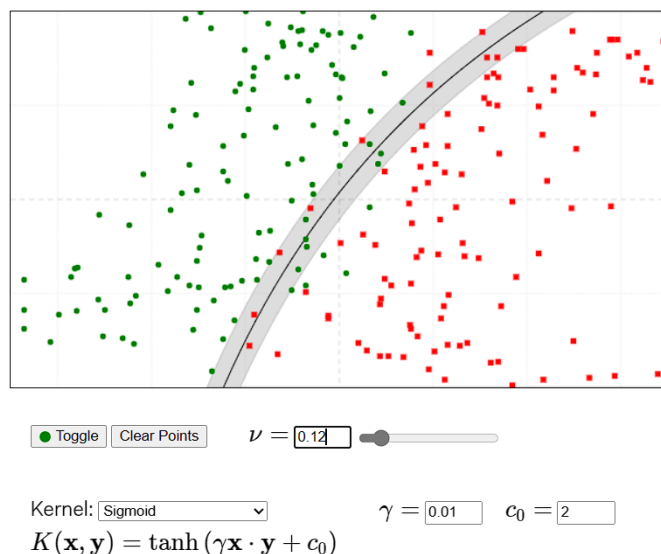


☐ Toggle   $\nu = 0.11$    
 Kernel:   $\gamma = 8$   $c_0 = 5$   
 $K(\mathbf{x}, \mathbf{y}) = (\gamma \mathbf{x} \cdot \mathbf{y} + c_0)^2$

- Best Decision boundary (Radial Basis Function)



- Best Decision boundary (Sigmoid)



**## Quadratic, Radial Basis Function and Sigmoid all are performing good after hyperparameter tuning**

When using SVM to classify datasets, the choice of kernel and hyperparameters can significantly impact the algorithm's performance. I created two types of datasets, one being linearly separable, and the other not.

For linearly separable data, the linear kernel is a suitable choice as it is computationally efficient and can handle a large number of features. However,

for non-linear data, other kernels such as RBF, sigmoid, or quadratic are more appropriate.

The RBF kernel is a popular choice for handling non-linear data. It utilises the gamma parameter, which controls the shape of the decision boundary. A smaller gamma value results in a smoother boundary, while a larger gamma value produces a more complex boundary that may lead to overfitting.

The sigmoid and quadratic kernels are other options for non-linear classification, but they may not perform as well as the RBF kernel. The sigmoid kernel utilises the  $\nu$  parameter, which controls whether it is a hard margin or soft margin classification. A smaller  $\nu$  produces a flatter slope, while a larger  $\nu$  results in a steeper slope. On the other hand, the quadratic kernel is computationally more expensive than the linear or sigmoid kernels as it requires pairwise feature products.

The  $C_0$  hyperparameter controls the tradeoff between the margin size and the number of training errors allowed. A smaller  $C_0$  allows for more errors, while a larger  $C_0$  enforces a smaller margin and potentially overfits the data. Generally, a good starting point for  $C_0$  is 1.

In conclusion, selecting the appropriate kernel and hyperparameters is crucial for achieving optimal SVM performance. For linearly separable data, the linear kernel is a good option. For non-linear data, the RBF kernel with an appropriate gamma value is good, while the sigmoid and quadratic kernels are also good options.