

ES 215: Assignment - 2

Q1

Ans → In C++, a function can return atmost 1 variable/value
So, we can't write a single function returning both highest value
and index. So, I'll be writing a function, which will return
the maximum value index. And, for value we can find $A[i]$ directly
from main function.

Function to find highest element in an array $a[100]$

```
int highest (int a[], int n){  
    int max = -2147483648;  
    int index = 0;  
    int i = 0;  
    while (i < n){  
        if (a[i] > max){  
            max = a[i];  
            index = i;  
        }  
        i++;  
    }  
    return index;  
}
```

We are getting base address of array and size of array as arguments.

\therefore $\boxed{\$a_0 = \text{base address of array } a}$, $\boxed{\$a_1 = n}$

highest:

```

addi $sp, $sp, -16    # Shift down $sp by 16
sw $s0, 0($sp)        # Saving callee saved
sw $s1, 4($sp)         # registers
sw $s2, 8($sp)
sw $ra, 12($sp)
addi $s0, $0, INT_MIN  # $s0 = max [INT_MIN - 2147
                        # 48 3648]
addi $s1, $0, 0        # $s1 = index
addi $s2, $0, 0        # $s2 = i
    
```

while:

```

beq $s2, $a1, exit    # If i==n, go to exit
lw $t1, 0($a0)        # $t1 = base address of array
add $t1, $t1, $s2      # $t1 = address of ai
lw $t0, 0($t1)        # $t0 = value of ai
slt $t2, $s0, $t0      # $t2 = 1 if max < ai
bne $t2, $0, do        # If t2 == 1, go to do
    
```

```

do: add $s0, $0, $t0    # max = max a[i]
     add $s1, $0, $s2    # index = i
     j    Continue      # Jump to Continue
    
```

Continue:

```

addi $s2, $s2, 1        # i++
j    while               # Jump to while
    
```

Exit:

```
lw $v0, 0($s1)
lw $s0, 0($sp)
lw $s1, 4($sp)
lw $s2, 8($sp)
lw $ra, 12($sp)
addi $sp, $sp, 12
jr $ra
```

(Exit)

loading return value

} → # Loading all callee saved
register's value before returning

Incrementing \$sp [stack frame removal]

Return.

Note: For Max^m & Min^m values, we only need these regis-
ters, then we can easily call a(i) in main
function.

That can be done by ^{addi} offset value i to
base address of a.

```
{ addi $a0, $a0, i }  
{ li $t0, 0($a0) }
```

So we only need to return index from func^s.

For lowest element; [\$a0 = base address of array, \$a1 = size of array]

```
int lowest (int a[], int n) {
```

```
    int min = 2147483647;
```

```
    int index = 0;
```

```
    int i = 0;
```

```
    while (i < n) {
```

```
        if (a[i] < min) {
```

```
            min = a[i];
```

```
            index = i;
```

```
        }
```

```
        i++;
```

```
    }
```

```
    return min;
```

```
}
```

Assembly Code:

lowest:

```
addi $sp, $sp, -12
```

```
sw $s0, 0($sp)
```

```
sw $s1, 4($sp)
```

```
sw $s2, 8($sp)
```

```
addi $s0, $0, INT_MAX
```

```
addi $s1, $0, 0
```

```
addi $s2, $0, 0
```

```
# shift down $sp by 12
```

```
# saving callee saved  
registers
```

```
# $s0 = min
```

```
# $s1 = index
```

```
# $s2 = i
```

```
(while loop)
```

```
# If i == n, go to exit
```

```
# $t1 = base address of array a.
```

```
# $t1 = address of a[i]
```

```
# $t0 = value of a[i]
```

while:

```
beq $s2, $a1, exit
```

```
lw $t1, 0($a0)
```

```
add $t1, $t1, $s2
```

```
lw $t0, 0($t1)
```

```

slt $t2, $t0, $s0
bne $t2, $0, do

```

```

# $t2 = 1 if a[i] < min
# if t2 == 1, go to do

```

do:

```

add $s0, $0, $t0
add $s1, $0, $s2
j continue

```

```

# min = a[i]
# index = i
# Jump to continue

```

Continue:

```

addi $s2, $s2, 1
j while

```

```

# i++
# jump to while

```

exit:

```

lw $v0, 0($s4)
lw $s0, 0($sp)
lw $s1, 4($sp)
lw $s2, 8($sp)
addi $sp, $sp, 12
jr $ra

```

(exit)

```

# Loading return value

```

```

# Loading all callee saved
# registers' values before return

```

```

# Incrementing $sp (stack frame
# remove)

```

```

# Return

```


for Average

```
int average (int a[], int n){  
    int sm = 0;  
    int i = 0;  
    while (i < n){  
        sm = sm + a[i];  
        i++;  
    }  
    return sm/n;  
}
```

Assembly Code

average:

```
addi $sp, $sp, -8  
sw $s0, 0($sp)  
sw $s1, 4($sp)  
addi $s0, $0, 0  
addi $s1, $0, 0
```

while:

```
beq $s1, $a1, exit  
lw $t1, 0($a0)  
add $t1, $t1  
lw $t0, 0($t1)  
add $s0, $s0, $t0  
addi $s1, $s1, 1  
j while
```

exit:

```
div $s0, $s0, $a1  
lw $v0, 0($s0)  
lw $s0, 0($sp)  
lw $s1, 4($sp)  
jr $ra
```

shift down \$sp

} # saving callee saved registers

s0 = sm

s1 = i

if i == n, go to exit

t1 = base address of array a

t1 = address of a[i]

t0 = value of a[i]

sm = sm + a[i]

i++

Jump to while

divide sm/n

Loading return value

} # Loading callee saved registers
Return.

Q2
→ A program A will take 6 seconds on Core 1
with $CPI = 6$

and Same program A will take 5 seconds on Core
2 with $CPI = 5$.

→ Both cores runs at a clock rate of 1 GHz

→ We need to find combined throughput of processors

We know that Throughput of any system is
the total work done per unit time.

Here, in CPU Processors, it is the Total no. of
Instruction done in 1 sec

① For Core 1,

$$\text{Total no. of instruction} = \text{CPI} \times \text{CR} = \text{CR}$$

$$\text{Total time} = \frac{CPI \times IC}{CR}$$

$$\text{Instruction count} = I_1 = \frac{6 \times 10^9}{6} = \boxed{10^9}$$

② For Core 2,

$$\text{Total time} = \frac{5 \times I.C \times 5}{10^9}$$

$$\therefore \text{Instruction Count} = I_2 = \boxed{10^9}$$

So, Combined, Total of $I_1 + I_2$ instructions have been done
in Total of 6 seconds, [Both are happening in parallel]

$$\text{So } t = \max(t_1, t_2) \\ I_1 + I_2 = 2 \times 10^9 \text{ instructions}$$

$$\therefore t = 6 \text{ seconds}$$

$$\therefore \text{Combined throughput} = \frac{I_1 + I_2}{t}$$

$$= \frac{2 \times 10^9}{6}$$

$$\Rightarrow 0.33333 \times 10^9$$

$$\boxed{\text{Combined Throughput} \Rightarrow 333.33 \times 10^6 \frac{\text{Instructions}}{\text{Second}}}$$

~~Q3~~

Q3

for Processor-X which runs at 2 GHz.

for Program A: No. of Instructions = 10 billion

avg. CPI = 3

$$\begin{aligned} \therefore t_x &= \frac{\text{Instruction} \times \text{CPI}}{\text{Rate}} \\ &= \frac{10 \times 10^9 \times 3}{2 \times 10^9} = 15 \end{aligned}$$

$$\therefore \boxed{t_x = 15}$$

for Processor-Y which runs at 4 GHz

for Program A:

No. of Instructions = 7 billion

avg. CPI = 5

$$\therefore t_y = \frac{\text{Instructions} \times \text{CPI}}{\text{Rate}} = \frac{7 \times 10^9 \times 5}{4 \times 10^9} = 8.75$$

$$\therefore \boxed{t_y = 8.75}$$

Speedup of A on processor Y over processor X

$$\text{Speedup } (S_x) = t_x / t_y = \frac{15}{8.75} \Rightarrow 1.714$$

Q4 Processor has Rate of 1 GHz
runs Program A, ~~with~~ with

9 billion Instructions

avg. CPI = 1.5

$$t = \frac{9 \times 10^9 \times 1.5}{10^9} \Rightarrow 13.5$$

Now, new Processor with Rate = 2 GHz

$$t' = t/4 = \frac{13.5}{4} = \frac{9 \times 10^9 \times 1.5}{2 \times 10^9}$$

$$U = 0.75$$

$$\boxed{(\text{avg. CPI})' = 0.75}$$

Q5

We have not given the proportion of actual dynamic & static power.

Let ratio of dynamic & static power be $t:1$

$$\therefore \text{Dynamic Power} = \left(\frac{t}{t+1}\right) 80 \text{ watts}$$

$$\text{Static Power} = \left(\frac{1}{t+1}\right) 80 \text{ watts}$$

Given, frequency = 2 kHz and operating voltage = 5V

a) If frequency becomes 5 kHz \Rightarrow

We know that dynamic power $= \frac{1}{2} C V^2 f \Rightarrow K f$

where $C = \text{capacitive Load}$

$V = \text{Voltage}$

$f = \text{freq.}$

$$\frac{\text{Initial Dynamic Power}}{\text{final Dynamic Power}} = \frac{2}{5} = \frac{2}{5}$$

$$\therefore \text{final dynamic power} = \frac{5}{2} \times \frac{t}{t+1} \times 80$$

$$= \left[\frac{200t}{t+1} \text{ watts} \right]$$

b) Voltage changes to 2V.

We know that Static power = IV ,

$I =$ Leakage current

$V =$ Voltage

We also know that I_{leakage} is almost constant

\therefore Static power $\propto V$

$$\frac{(\text{Static Power})_i}{(\text{Static Power})_f} = \frac{5}{2}$$

$$\frac{(\text{Dynamic Power})_i}{(\text{Dynamic Power})_f} \Rightarrow \frac{(2)^2}{(5)^2} = \frac{4}{25}$$

$$\text{final static Power} = \frac{32}{t+1} \text{ watts}$$

$$\text{final Dynamic Power} = \left(\frac{t}{t+1} \times 80 \right) \times \frac{4}{25}$$

\therefore Total power = Dynamic Power + Static Power

$$= \frac{32}{t+1} + \frac{12.8t}{t+1}$$

$$\boxed{\text{Total Power} = \frac{32 + 12.8t}{t+1}}$$

$$\left(\% \text{ of Static Power} \Rightarrow \frac{12.8t \times 100}{32 + 12.8t} \right)$$

$$\left(\text{fraction} = \frac{12.8t}{32 + 12.8t} \right)$$

According to, book \Rightarrow Computer Organization & Design By

DAVID A. PATTERSON & JOHN L. HENNESSY, Page No: 42

Even when a server is off, some leakage current is still present & that constitutes on an average 40%.

On an average static power is 40% total power, \therefore we may take $[t \Rightarrow 3/2]$

Grace Question

b) ① fib_x86.i [Preprocessed]

Size: 3.5 MB

Observation

- Structure \Rightarrow
 - templates
 - classes
 - Object

}
include /x86_64-linux-gnu/c++/11/bits/stdc++.h
using namespace std.

Rest is
the same
code.

- Various kind of templates, classes were written after that x86_64-linux-gnu/c++/11/bits/stdc++.h was included

② fib_mips.i [Preprocessed]

Size: 2.9 MB

Same Structure except the templates & classes were different also in mips /mips-linux-gnu/c++/10/mips-linux-gnu/bits/stdc++.h

was included.

③ fib-x86.obj [Assembled]

Size: 5.6 KB

Observation →

It was a kind of paragraph made by some symbols like \diamond .

That single paragraph was also not readable. that was the way we've studied in class.

④ fib-mips.obj [Assembled]

Size: 3.7 KB

Observation →

Same as fib-x86.obj, it was not readable.

⑤ fib-x86.out [Binary code]

Size: 18.1 Kb

⑥ fib-~~x86~~^{mips}.out [Binary code]

Size: 8.7 KB

Both were same as above in appearance, not readable.

⑦ fib-x86.s [Compiled code]

Size: 9 KB

Observation :

It was huge code starting with something

-ZNB -pst 9-

• zero 1

• local

..

} → Several times

Then there was actual ~~the~~ compiled code

like we've studied in class in MIPS,

the dummies were different as it is x86.

→ in place of \$ → %

Several mnemonic → movq, subq, xorl, leaq etc.

⑧ fib.mips.s [compiled code]

Size:- 6.4 KB.

Observations

It was almost same as we've done in class

Although, not whole code was understandable, but main part was clear, various chunks of SW, LW was there showing the process of saving & loading callee & caller saved registers values. Jsr was there & by focus I was able to understand the main crux of code.