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DHARMSINH DESAI UNIVERSITY, NADIAD  
FACULTY OF TECHNOLOGY  
ONLINE SESSIONAL EXAMINATION

B.Tech (CCE) sem → 7

Subject : Image processing

Roll no. → 142

signature → Rakesh

Date : 24/10/2020

Time : 20:15 to

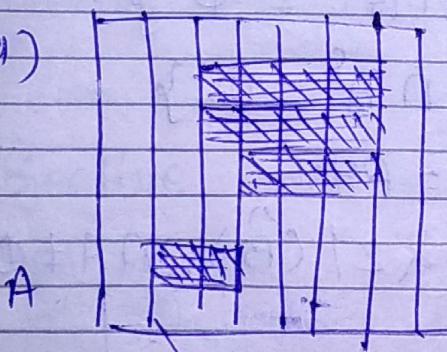
21:30

Total pages:

10

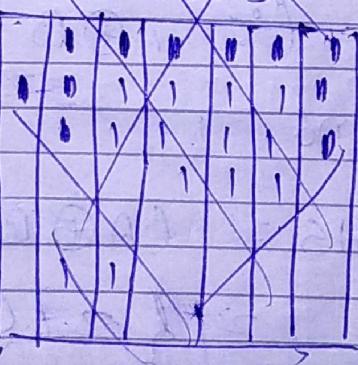
Q.1)

(a)

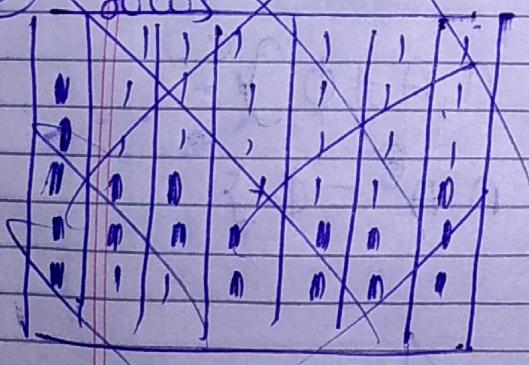


further showing shaded area by [1]

① reading in 1st row

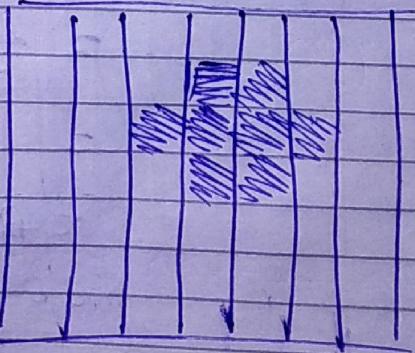
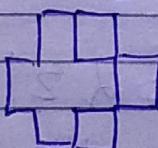


② reading in next 3 rows



Result

only  
2 fits



(2)

(b) erosion & dilation are duals of each other.

i.e. prove that

$$(A \ominus B)^c = A^c \oplus B \quad \text{and}$$

$$(A \oplus B)^c = A^c \ominus B$$

→ 1st

$$\text{LHS} = (A \ominus B)^c$$

$$= \{z | (B)_z \cap A^c\}^c = \emptyset^c$$

$$= \{z | (B)_z \cap A^c \neq \emptyset\}$$

$$= A^c \oplus B = \text{RHS}$$

$$(\therefore A \oplus B = \{z | (\hat{B})_z \cap A \neq \emptyset\})$$

→ 2nd

$$\text{LHS} = (A \oplus B)^c$$

$$= \{z | (\hat{B})_z \cap A \neq \emptyset\}^c$$

$$= \{z | (\hat{B})_z \cap A^c = \emptyset\}$$

$$= A^c \ominus B$$

$$= \text{RHS}$$

$$(\therefore A \ominus B = \{z | (B)_z \cap A^c = \emptyset\})$$

Hence proved that they are duals.

(3)

(c) morphological boundary extraction

$$\text{formula : } B(A) = A - (A \ominus B)$$

B is structural element

→ we can get Boundary of image by getting a difference of image & eroded image by element B.

→ width of boundary depends on element B

→ finding boundary in binary image may help in extracting boundary in gray image also.

(d) Objective fidelity criteria,

→ level of info. loss can be expressed as a fn of input & compressed output images.

consider  $M \times N$  image  $f(x, y)$ . its compressed & then decompressed image is  $\hat{f}(x, y)$

$$\text{then error } e(x, y) = \hat{f}(x, y) - f(x, y)$$

$$\text{total error} = \sum_{x=0}^{M-1} \sum_{y=0}^{N-1} [\hat{f}(x, y) - f(x, y)]^2$$

$$e_{avg} = \frac{1}{MN} \sum_{x=0}^{M-1} \sum_{y=0}^{N-1} [\hat{f}(x, y) - f(x, y)]^2$$

$$(4) \quad SNR_{ms} = \frac{\sum_{x=0}^{M-1} \sum_{y=0}^{N-1} f(x,y)^2}{\sum_{x=0}^{M-1} \sum_{y=0}^{N-1} [f(x,y) - f(x,y)]^2}$$

(e)

$$\text{Entropy } H = - \sum_{k=0}^{L-1} P_k(x_k) \log_2 P_k(x_k)$$

8 bit image,  $\rightarrow L = 256$

size =  $4 \times 4$   $\rightarrow 16$  pixel

$$P(215) = \frac{3}{16}$$

$$P(217) = \frac{3}{16}$$

$$P(210) = \frac{5}{16}$$

$$P(200) = \frac{5}{16}$$

$$\therefore H = - \left( \frac{3}{16} \log_2 \left( \frac{3}{16} \right) + \frac{3}{16} \log_2 \left( \frac{3}{16} \right) \right.$$

$$\left. + \frac{5}{16} \log_2 \left( \frac{5}{16} \right) + \frac{5}{16} \log_2 \left( \frac{5}{16} \right) \right)$$

$$= - \left( 2 \left( \frac{3}{16} \right) (-2.4150375) \right)$$

$$+ 2 \left( \frac{5}{16} \right) (-1.6780719) \right)$$

(g)

$$= -(-0.905839063 - 1.64879494) \\ = [1.954484]$$

(f) types of data redundancies

① coding redundancy

→ redundancy due to excess length of code to represent intensity value which is not needed & unnecessarily increases file size

② spatial / temporal redundancy.

→ due to unnecessary replication of spatially related pixels in terms of intensity.

③ irrelevant info

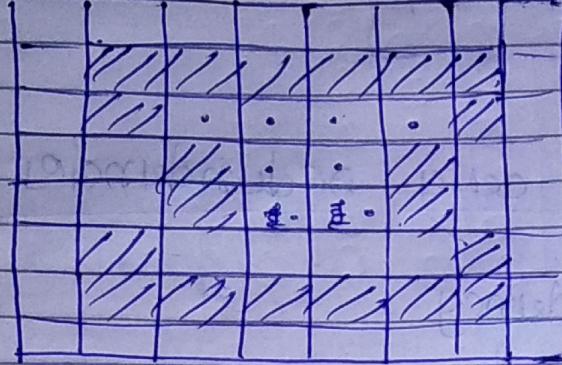
→ 2-D intensity array containing info that is ignored by human eye can't see hence it is not useful.

(6)

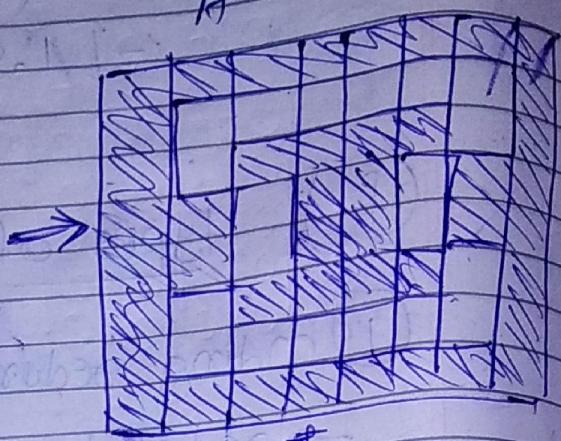
Q.2

A

(a)



AT



now denoting  by 1 & zero further.  
 $(1 \rightarrow \text{shaded})$

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	1	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	1	1	0	0	0	0	0	0
0	0	0	1	1	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0

 $x_0$ 

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	1	1	1	0	0	0	0	0
0	0	0	1	1	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0

 $x_1$ 

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	1	1	1	1	0	0	0	0
0	0	0	1	1	1	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0

 $x_2$  $x_3$

x 4

Q U A

0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
0	1	1	1	1	1	0	0	0	0	0	0	1	1	1	1	1	1	1	1	0
0	0	1	1	1	0	0	0	0	0	0	0	0	1	1	1	1	1	1	1	0
0	0	1	1	1	0	0	0	0	0	0	0	0	1	1	1	1	1	1	1	0
0	1	1	1	1	1	0	0	0	0	0	0	0	1	1	1	1	1	1	1	0
0	0	0	0	0	0	0	0	0	0	0	0	0	1	1	1	1	1	1	1	0
0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	1	1	1	1	1	0

### (c) Thinning

$$A \textcircled{X} B = A - (A^*B) = A \cap (A^*B)^c$$

## Step 1

Step 2

8

Step 3, 4

A photograph of a handwritten cursive handwriting practice sheet. The page features ten horizontal rows of handwriting lines. Each row contains a variety of letters and numbers, including 'F', '0', '1', '2', '3', '4', '5', '6', '7', '8', '9', and 'D'. The handwriting is in black ink on white paper.

9

Q.3

(9) @\\$@ \\$\\$@ \\$#@ \\$@ \\$\\$@

1 2 3 \$ #

iteration string char

1.  orientable

1.          

2 U C \$

3 u.s.d \$ @

4 ④ \$  
5 ④ \$

3 ④ \$  
6 ④ \$

6 655  
7 21.0 ④ 10 \$

संस्कृत भाषा

8  
9

10 \$② \$

10  
11 ~~② \$~~ ②

12 ② \$

13 \$ \$

14 \$9 ⑥

15 @

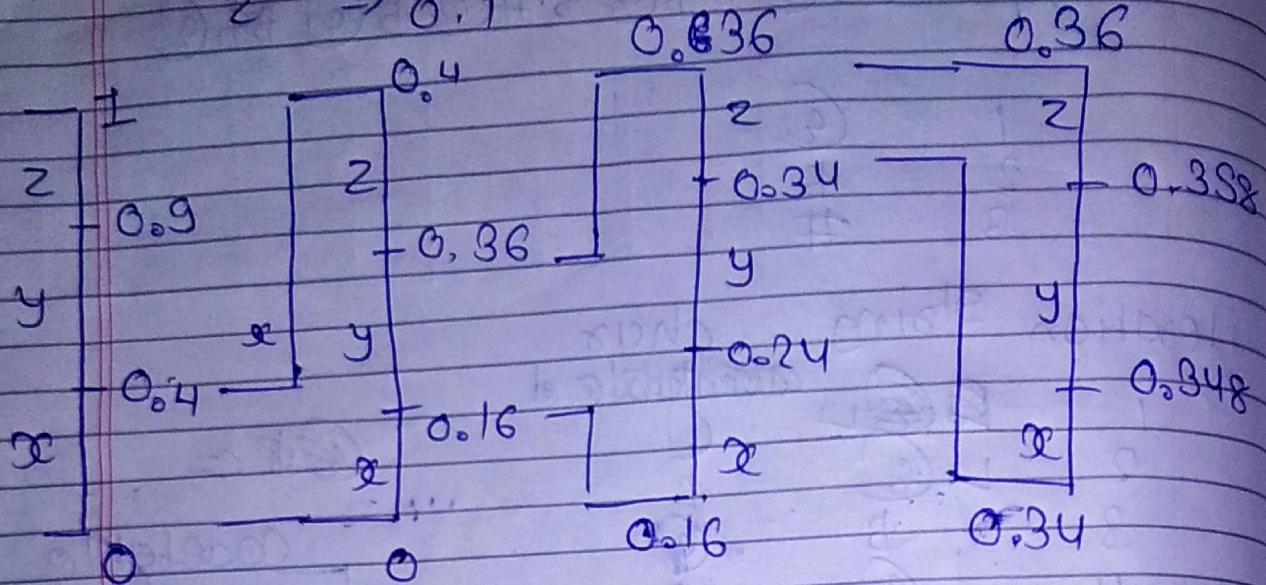
45. 5.

~~Code feasible~~

Code	Starting
1	@
2	\$
3	#
4	@ \$
5	\$ @
6	\$\$
7	\$ #
8	# @
9	@ \$\$

(b)

$$\begin{array}{l} x \Rightarrow 0.4 \\ y \Rightarrow 0.5 \\ z \Rightarrow 0.1 \end{array}$$



$0.8232 \rightarrow$  not in  $[0.34, 0.36]$   
 $\rightarrow$  not in  $[0.16, 0.36]$   
 $\rightarrow$  not in  $[0.8, 0.4]$   
 $\rightarrow$  in  $[0.4, 0.9]$

$\therefore$  decoding it as  $\boxed{y}$

— end of answer sheet —