

# Post With Code

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This is a post with executable code.

**i** Definition (Important definition)

**Definition 0.0.1** (Important definition). A number  $a$  is called *positive* if  $a > 0$ .

**Theorem 0.0.1** (Important theorem). If  $a > b$  and  $b > c$  then  $a > c$ .

**💡** Remark (Important remark)

*Remark 0.0.1* (Important remark). The property in Theorem [0.0.1](#) is called “transitivity”.

## Commutation relations

We are going to discuss now commutation relations.

This example Quarto markdown file demonstrates the use of the `callouty-theorem` filter.

### Examples

**Proposition 0.0.1.** If there exists a primitive root modulo  $n$ , then there are exactly  $\varphi(\varphi(n))$  primitive roots modulo  $n$ .

**Theorem 0.0.1** (Existence of primitive roots). Primitive roots modulo  $n$  exists if and only if  $n = 2, 4, p^k, 2p^k$  for an odd prime  $p$  and a positive integer  $k$ .

**i** Proof (Proof of Proposition [0.0.1](#))

*Proof of Proposition [0.0.1](#).* We note that the primitive roots modulo  $n$  is exactly the generators of the group of units modulo  $n$ . By the hypothesis, the group of units modulo  $n$  is cyclic, thus having  $\varphi(\varphi(n))$  generators.  $\square$

**💡** Remark

*Remark.* Group theory greatly simplifies the proof of the theorem.

**Exercise 0.0.1.** Prove that the quadratic residues modulo  $p$  form a subgroup of the group of units modulo  $p$  of index 2.

**i** Solution (Solution to Exercise 0.0.1)

*Solution 0.0.1* (Solution to Exercise 0.0.1). Use the fact that the group of units modulo  $p$  is cyclic.

## On default behaviors

**i** Note

**Corollary 0.0.1** (Default style). *If you set the metadata of a theorem type to **default**, it will be rendered like this.*

**i** Definition (Default style without title)

**Definition 0.0.1** (Default style without title). `callout` can also be set to `default` in the metadata.

**Conjecture 0.0.1** (As is). *Theorem types not specified in the metadata will be rendered as is.*