Computer Organization and Architecture Laboratory

KGP MiniRISC Processor

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Instruction Set Architecture

Instruction Format:

a. R-Type Instructions:

Fields:

	opcode	rs	rt	shamt	not used	funct
size	6 bits	5 bits	5 bits	5 bits	6 bits	5 bits

Encoding:

Instruction	opcode	func
1. add 2. comp 3. and 4. xor 5. shll	000000 000000 000000 000000 000000	00001 00101 00010 00011 01011
6. shrl 7. shllv 8. shrlv 9. shra 10. shrav 11. diff	000000 000000 000000 000000 000000	01001 11111 01101 01000 01100 00100

b. I-Type Instructions:

Fields:

	opcode	rs	not used	const or address
size	6 bits	5 bits	5 bits	16 bits

Encoding:

Instruction	opcode
12. addi	001000
13. compi	001001

c. Memory access Instructions:

Fields:

	opcode	rt	rs	const or address
size	6 bits	5 bits	5 bits	16 bits

Encoding:

Instruction	opcode
14. lw	010000
15. sw	011000

d. Jump Instructions: PC relative addressing

Fields:

	opcode	rs	not used	label register
size	6 bits	5 bits	5 bits	16 bits

Encoding:

Instruction	opcode
16. bltz	110000
17. bz	110001
18. bnz	110010

e. Jump Instructions: Register Addressing

Fields:

	opcode	rs	not used
size	6 bits	5 bits	21 bits

Encoding:

Instruction	opcode	
19. br	100000	

f. Jump Instructions: (Pseudo) Direct Addressing

Fields:

	opcode	Label address
size	6 bits	26 bits

Encoding:

Instruction	opcode
20. b	101000
21. bl	101011
22. bcy	101001
23. bncy	101010

Lookup Table for ALU Control:

Input: opcode, function code
Output: 4-bit ALUop code

ALU allows the following operations: add, and, xor, shift, diff, and a complement. To generate ALUop code, we can decode function code as follows:

Operation	ALUop[3]	ALUop[2]	ALUop[1]	ALUop[0]	
add	0	0 - no complement 1 - complement	0	1	
and	0	0	1	0	
xor	0	0	1	1	
shift	1	0 - shamt 1 - register	1 - left 0 - right	1 - logical 0 - arithmetic	
diff	0	1	0	0	

Based on the above encoding we can embed ALUop code in the 5 bit function code using it's 4 least significant bits, using this embedding we will get following lookup table for ALU control:

Operation	Opcode	Funct code	ALUop[3]	ALUop[2]	ALUop[1]	ALUop[0]
add	000000	00001	0	0	0	1
comp	000000	00101	0	1	0	1
addi	001000	-	0	0	0	1
compi	001000	-	0	1	0	1
and	000000	00010	0	0	1	0
xor	000000	00011	0	0	1	1
shll	000000	01011	1	0	1	1
shrl	000000	01001	1	0	0	1
shllv	000000	11111	1	1	1	1

shrlv	000000	01101	1	1	0	1
shra	000000	01000	1	0	0	0
shrav	000000	01100	1	1	0	0
lw	010000		0	0	0	0
sw	011000	-	0	0	0	0
b	101000	-	0	0	0	0
br	100000	-	0	0	0	0
bltz	110000	-	0	0	0	0
bz	110001	-	0	0	0	0
bnz	110010	-	0	0	0	0
bl	101011	-	0	0	0	0
bcy	101001	-	0	0	0	0
bncy	101010	-	0	0	0	0
diff	001111	-	0	1	0	0
		_				

Datapath and control signals:

Given below is the complete data paths and control signals for the Instruction set. For simplicity the controller lines have not been joined to the modules themselves and are left open for better visual clarity.

The ISA contains 3 primary control modules:

- Controller: handles the primary signals to all modules.
- **ALU-Controller:** handles the ALU-specific control signals.
- **Branch-Controller**: handles the logic for branch on flag-signals and produces the output if it has to branch or not.

There are 3 standard ways in which instruction memory can be referenced in the Instruction set:

- **Direct addressing:** This addressing takes place in case of `br` instruction in which case the argument register contains the exact address to jump to.
- **PC-relative addressing:** This addressing takes in case of any 16-bit Label instruction such as bz, bnz, bltz in which case the absolute address is calculated using this formula:

 Address = (PC + 4) + SignExtended(Label)

• **Pseudo Direct addressing:** This addressing takes in case of any 26-bit label instruction such as b, bl, bcy, bncy in which case the absolute address is calculated using this formula:

$$Address = \{(PC+4)[31:28], \{Label, 2b'00\}\}$$

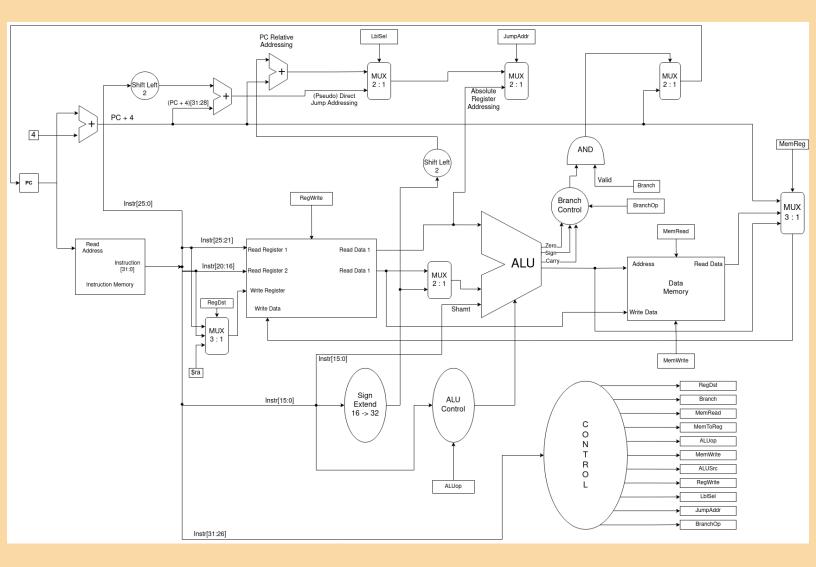
Control signals:

- RegWrite: whether to write into the register file or not
- RegDest[1:0]: destination register for the write-register (can be \$ra, rs, rt)
- ALUsrc: Source for the 2nd input to the ALU (can be rt, sgn-extend(imm))
- MemRead: whether to read from Data-memory or not
- MemWrite: whether to write into the Data-memory or not
- MemToReg[1:0]: write-data for the register files (can be PC+4, mem[], result_ALU).
- LblSel: select type of addressing for PC-relative and PseudoDirect
- JumpSel: whether the jump address comes from a source reg (rs) or from a label.

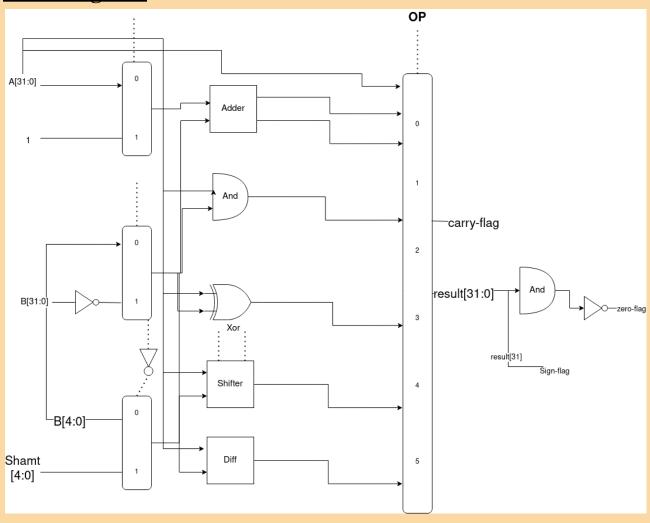
Lookup table for Datapath Control:

Op	opcode	reg Dest	RegWrite	ALUsrc	MemRead	MemWrite	MemToReg	Lbl Sel	Jump Sel
add	000000	00	1	0	0	0	00	X	X
comp	000000	00	1	0	0	0	00	X	X
addi	001000	00	1	1	0	0	00	X	X
compi	001001	00	1	1	0	0	00	X	X
and	000000	00	1	1	0	0	00	X	X
xor	000000	00	1	1	0	0	00	X	X
shll	000000	00	1	1	0	0	00	X	X
shrl	000000	00	1	1	0	0	00	X	X
shllv	000000	00	1	1	0	0	00	X	X
shrlv	000000	00	1	1	0	0	00	X	X
shra	000000	00	1	1	0	0	00	X	X
shrav	000000	00	1	1	0	0	00	X	X
lw	010000	01	1	1	1	0	01	X	X
sw	011000	X	0	1	0	1	X	X	X
b	101000	X	0	X	0	0	X	0	0
br	100000	X	0	X	0	0	X	X	1
bltz	110000	X	0	X	0	0	X	1	0
bz	110001	X	0	X	0	0	X	1	0
bnz	110010	X	0	X	0	0	X	1	0
bl	101011	10	1	X	0	0	10	0	0
bcy	101001	X	0	X	0	0	X	0	0
bncy	101010	X	0	X	0	0	X	0	0

Datapath Diagram:



ALU Diagram:



Running Bubble Sort:

To test the given architecture, Bubble Sort has been implemented. The semantics for functional call and stack remain the same from MIPS with similar register convention mentioned in the source assembly code. A pseudocode for the implemented algorithm is as follows:

```
BubbleSort(list):
   for all elements of list
     if list[i] > list[i+1]:
        swap(list[i], list[i+1])
   return list
```

The MIPS code for the given algorithm is as follows:

```
main:
      xor $20, $20
                        \# base address of array = 0 ($20)
      xor $21, $21
                        # $21 = n = 10
      addi $21, 10
      xor $8, $8
                        # $8 = i = 0
      xor $9, $9
                        # $9 = j = 0
for_i:
      xor $10, $10
      add $10, $8
      comp $11, $21
      add $10, $11
      addi $10, 1
                       # $10 = i - (n - 1) = i - n + 1
      bz $10, end for i \# if i == n - 1, jump to end for i
      xor $9, $9
                        # j = 0
for j:
      xor $11, $11
      add $11, $9
      add $11, $10
                       # $11 = j + i - n + 1
      bz $11, end for j \# if j == n - i - 1, jump to end for j
      xor $12, $12
      add $12, $9
      shll $12, 2
                        # 4 * j
      add $12, $20
                       # arr + 4 * j
      lw $13, 0($12)
                       # $13 = arr[j]
      xor $4, $4
      add $4, $12
      addi $12, 4
      lw $14, 0($12)
                       # $14 = arr[j + 1]
      xor $5, $5
      add $5, $12
      comp $15, $14
      add $13, $15
                        # arr[j] - arr[j + 1]
      bltz $13, inc j
      bz $13, inc j
      bl swap
                         \# swap if arr[j] > arr[j + 1]
inc j:
      addi $9, 1
                        # j = j + 1
      b for_j
swap:
      lw $18, 0($4)
      lw $19, 0($5)
      sw $18, 0($5)
      sw $19, 0($4)
      br $31
```

```
end_for_j:
        addi $8, 1  # i = i + 1
        b for_i

end_for_i:
        xor $16, $16
        addi $16, 1
```

And corresponding binary code is given as:

```
memory_initialization_radix=2;
memory_initialization_vector=
00000010100101000000000000000011,
000000101011010100000000000000011,
001000101010000000000000000001010.
0000001000010000000000000000011,
0000001001010010000000000000011,
0000001010010100000000000000011.
0000001010010000000000000000001,
000000010111010100000000000000101,
0000001010010110000000000000001,
110001010100000000000000000011110,
0000001001010010000000000000011,
0000001011010110000000000000011,
0000001011010010000000000000001.
0000001011010100000000000000001,
1100010101100000000000000000010111,
00000001100011000000000000000011,
0000001100010010000000000000001.
00000001100000000001000000001011.
0000001100101000000000000000001,
0000000100001000000000000000011,
0000000100011000000000000000001,
000000010100101000000000000011,
00000001010110000000000000000001.
000000011110111000000000000000101,
```

0000000110101111100000000000000001, 110001011010000000000000000000001, 101011000000000000000000000100010, 001000010010000000000000000000001, 10100000000000000000000000001100, 101000000000000000000000000000101, 00000010000100000000000000000011,