

```
from google.colab import drive
drive.mount('/content/drive')
```

Go to this URL in a browser: https://accounts.google.com/o/oauth2/auth?client_id=9473189

Enter your authorization code:

.....

Mounted at /content/drive

```
%cd /content/drive/My Drive/
```

/content/drive/My Drive

```
!apt-get install p7zip-full
```

```
Reading package lists... Done
Building dependency tree
Reading state information... Done
p7zip-full is already the newest version (16.02+dfsg-6).
0 upgraded, 0 newly installed, 0 to remove and 28 not upgraded.
```

```
from __future__ import print_function
import matplotlib inline
import argparse
import os
import random
import torch
import torch.nn as nn
import torch.nn.parallel
import torch.backends.cudnn as cudnn
import torch.optim as optim
import torch.utils.data
import torchvision.datasets as dset
import torchvision.transforms as transforms
import torchvision.utils as vutils
import numpy as np
import matplotlib.pyplot as plt
import matplotlib.animation as animation
from IPython.display import HTML
import zipfile
import cv2
import unzip

# Set random seed for reproducibility
manualSeed = 999
#manualSeed = random.randint(1, 10000) # use if you want new results
print("Random Seed: ", manualSeed)
random.seed(manualSeed)
torch.manual_seed(manualSeed)
```

Random Seed: 000

```
# drive = '/content/sample_data/square_data/squares/'
# for i in range(5000):
#     x = random.randrange(0,5)
#     img = np.zeros((64,64,3), np.uint8)
#     color = (random.randrange(1,255), random.randrange(1,255), random.randrange(1,255))

#     img[42-x:42+x, 42-x:42+x, :] = tuple(reversed(color))
#     rotationMat = cv2.getRotationMatrix2D((32,32), random.randrange(0,90), 1)
#     img = cv2.warpAffine(img, rotationMat,(img.shape[0],img.shape[1]))
#     trans_mat = np.float32([[1,0,random.randrange(-20,20)], [0,1,random.randrange(-20,20)]])
#     img = cv2.warpAffine(img, trans_mat, (img.shape[0],img.shape[1]))
#     # cv2.war
#     file = drive + 'square'+ str(i) + '.png'
#     plt.imsave(file, img)
```

▼ Inputs

Let's define some inputs for the run:

- **dataroot** - the path to the root of the dataset folder. We will talk more about the dataset in the next section
- **workers** - the number of worker threads for loading the data with the DataLoader
- **batch_size** - the batch size used in training. The DCGAN paper uses a batch size of 128
- **image_size** - the spatial size of the images used for training. This implementation defaults to 64x64. If a larger size is desired, the structures of D and G must be changed. See [here](https://github.com/pytorch/examples/issues/70) for more details
- **nc** - number of color channels in the input images. For color images this is 3
- **nz** - length of latent vector
- **ngf** - relates to the depth of feature maps carried through the generator
- **ndf** - sets the depth of feature maps propagated through the discriminator
- **num_epochs** - number of training epochs to run. Training for longer will probably lead to better results but also take much longer
- **lr** - learning rate for training. As described in the DCGAN paper, this number should be 0.0002
- **beta1** - beta1 hyperparameter for Adam optimizers. As described in paper, this number should be 0.5
- **ngpu** - number of GPUs available. If this is 0, code will run in CPU mode. If this number is greater than 0, code will run on that number of GPUs

```
# Root directory for dataset
dataroot = "/content/sample_data/Images"
```

```
# Number of workers for dataloader
workers = 4
```

```
# Batch size during training
batch_size = 128
```

```
# Spatial size of training images. All images will be resized to this
```

```

# size using a transformer.
image_size = 64

# Number of channels in the training images. For color images this is 3
nc = 3

# Size of z latent vector (i.e. size of generator input)
nz = 100

# Size of feature maps in generator
ngf = 64

# Size of feature maps in discriminator
ndf = 64

# Number of training epochs
num_epochs = 100

# Learning rate for optimizers
lr = 0.0005

# Beta1 hyperparam for Adam optimizers
beta1 = 0.5

# Number of GPUs available. Use 0 for CPU mode.
ngpu = 1

# We can use an image folder dataset the way we have it setup.
# Create the dataset
dataset = dset.ImageFolder(root=dataroot,
                           transform=transforms.Compose([
                               transforms.Resize(image_size),
                               transforms.CenterCrop(image_size),
                               transforms.ToTensor(),
                               transforms.Normalize((0.5, 0.5, 0.5), (0.5, 0.5, 0.5)),
                           ]))

# Create the dataloader
dataloader = torch.utils.data.DataLoader(dataset, batch_size=batch_size,
                                          shuffle=True, num_workers=workers)

# Decide which device we want to run on
device = torch.device("cuda:0" if (torch.cuda.is_available() and ngpu > 0) else "cpu")

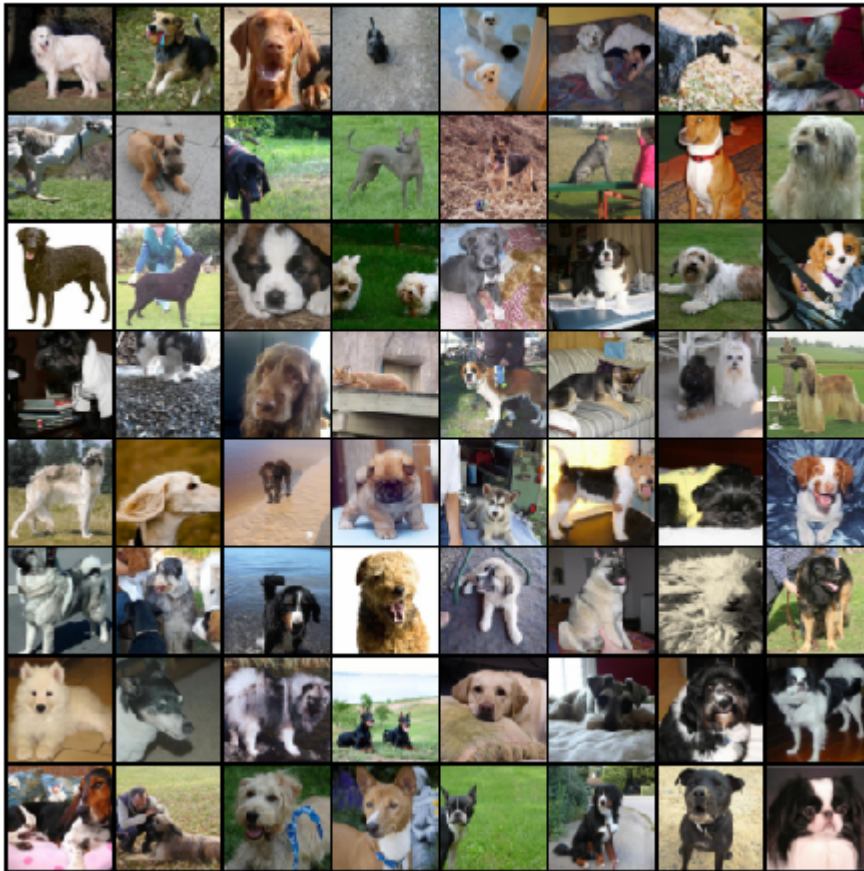
# Plot some training images
real_batch = next(iter(dataloader))
plt.figure(figsize=(8,8))
plt.axis("off")
plt.title("Training Images")
plt.imshow(np.transpose(vutils.make_grid(real_batch[0].to(device)[:64], padding=2, normalize=True)).cpu(), (1, 2, 0)))

```



<matplotlib.image.AxesImage at 0x7f44ad9bae10>

Training Images



custom weights initialization called on netG and netD

```
def weights_init(m):
    classname = m.__class__.__name__
    if classname.find('Conv') != -1:
        nn.init.normal_(m.weight.data, 0.0, 0.02)
    elif classname.find('BatchNorm') != -1:
        nn.init.normal_(m.weight.data, 1.0, 0.02)
        nn.init.constant_(m.bias.data, 0)
```

Generator Code

```
class Generator(nn.Module):
    def __init__(self, ngpu):
        super(Generator, self).__init__()
        self.ngpu = ngpu
        self.main = nn.Sequential(
            # input is Z, going into a convolution
            nn.ConvTranspose2d( nz, ngf * 8, 4, 1, 0, bias=False),
            nn.BatchNorm2d(ngf * 8),
            nn.ReLU(True),
            # state size. (ngf*8) x 4 x 4
            nn.ConvTranspose2d(ngf * 8, ngf * 4, 4, 2, 1, bias=False),
            nn.BatchNorm2d(ngf * 4),
            nn.ReLU(True),
            # state size. (ngf*4) x 8 x 8
            nn.ConvTranspose2d( ngf * 4, ngf * 2, 4, 2, 1, bias=False),
            nn.BatchNorm2d(ngf * 2),
            nn.ReLU(True),
            # state size. (ngf*2) x 16 x 16
            nn.ConvTranspose2d( ngf * 2, ngf, 4, 2, 1, bias=False),
```

```

        nn.BatchNorm2d(ngf),
        nn.ReLU(True),
        # state size. (ngf) x 32 x 32
        nn.ConvTranspose2d( ngf, nc, 4, 2, 1, bias=False),
        nn.Tanh()
        # state size. (nc) x 64 x 64
    )

    def forward(self, input):
        return self.main(input)

```

Now, we can instantiate the generator and apply the `weights_init` function. Check out the printed model of the generator object is structured.

```

# Create the generator
netG = Generator(ngpu).to(device)

# Handle multi-gpu if desired
if (device.type == 'cuda') and (ngpu > 1):
    netG = nn.DataParallel(netG, list(range(ngpu)))

# Apply the weights_init function to randomly initialize all weights
# to mean=0, stdev=0.2.
netG.apply(weights_init)

# Print the model
print(netG)

```

```

↳ Generator(
  (main): Sequential(
    (0): ConvTranspose2d(100, 512, kernel_size=(4, 4), stride=(1, 1), bias=False)
    (1): BatchNorm2d(512, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
    (2): ReLU(inplace=True)
    (3): ConvTranspose2d(512, 256, kernel_size=(4, 4), stride=(2, 2), padding=(1, 1), bias=False)
    (4): BatchNorm2d(256, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
    (5): ReLU(inplace=True)
    (6): ConvTranspose2d(256, 128, kernel_size=(4, 4), stride=(2, 2), padding=(1, 1), bias=False)
    (7): BatchNorm2d(128, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
    (8): ReLU(inplace=True)
    (9): ConvTranspose2d(128, 64, kernel_size=(4, 4), stride=(2, 2), padding=(1, 1), bias=False)
    (10): BatchNorm2d(64, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
    (11): ReLU(inplace=True)
    (12): ConvTranspose2d(64, 3, kernel_size=(4, 4), stride=(2, 2), padding=(1, 1), bias=False)
    (13): Tanh()
  )
)

```

Discriminator Code

```

class Discriminator(nn.Module):
    def __init__(self, ngpu):
        super(Discriminator, self).__init__()
        self.ngpu = ngpu
        self.main = nn.Sequential(
            # input is (nc) x 64 x 64
            nn.Conv2d(nc, ndf, 4, 2, 1, bias=False),
            nn.LeakyReLU(0.2, inplace=True),

```

```

        # state size. (ndf) x 32 x 32
        nn.Conv2d(ndf, ndf * 2, 4, 2, 1, bias=False),
        nn.BatchNorm2d(ndf * 2),
        nn.LeakyReLU(0.2, inplace=True),
        # state size. (ndf*2) x 16 x 16
        nn.Conv2d(ndf * 2, ndf * 4, 4, 2, 1, bias=False),
        nn.BatchNorm2d(ndf * 4),
        nn.LeakyReLU(0.2, inplace=True),
        # state size. (ndf*4) x 8 x 8
        nn.Conv2d(ndf * 4, ndf * 8, 4, 2, 1, bias=False),
        nn.BatchNorm2d(ndf * 8),
        nn.LeakyReLU(0.2, inplace=True),
        # state size. (ndf*8) x 4 x 4
        nn.Conv2d(ndf * 8, 1, 4, 1, 0, bias=False),
        nn.Sigmoid()
    )

    def forward(self, input):
        return self.main(input)

```

Now, as with the generator, we can create the discriminator, apply the `weights_init` function, and print structure.

```

# Create the Discriminator
netD = Discriminator(netD).to(device)

# Handle multi-gpu if desired
if (device.type == 'cuda') and (ngpu > 1):
    netD = nn.DataParallel(netD, list(range(ngpu)))

# Apply the weights_init function to randomly initialize all weights
# to mean=0, stdev=0.2.
netD.apply(weights_init)

# Print the model
print(netD)

```

```

[ ]> Discriminator(
  (main): Sequential(
    (0): Conv2d(3, 64, kernel_size=(4, 4), stride=(2, 2), padding=(1, 1), bias=False)
    (1): LeakyReLU(negative_slope=0.2, inplace=True)
    (2): Conv2d(64, 128, kernel_size=(4, 4), stride=(2, 2), padding=(1, 1), bias=False)
    (3): BatchNorm2d(128, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
    (4): LeakyReLU(negative_slope=0.2, inplace=True)
    (5): Conv2d(128, 256, kernel_size=(4, 4), stride=(2, 2), padding=(1, 1), bias=False)
    (6): BatchNorm2d(256, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
    (7): LeakyReLU(negative_slope=0.2, inplace=True)
    (8): Conv2d(256, 512, kernel_size=(4, 4), stride=(2, 2), padding=(1, 1), bias=False)
    (9): BatchNorm2d(512, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
    (10): LeakyReLU(negative_slope=0.2, inplace=True)
    (11): Conv2d(512, 1, kernel_size=(4, 4), stride=(1, 1), bias=False)
    (12): Sigmoid()
  )
)

```

```

# Initialize BCELoss function
criterion = nn.BCELoss()

```

```

# Create batch of latent vectors that we will use to visualize

```

```

# the progression of the generator
fixed_noise = torch.randn(64, nz, 1, 1, device=device)

# Establish convention for real and fake labels during training
real_label = 1
fake_label = 0

# Setup Adam optimizers for both G and D
optimizerD = optim.Adam(netD.parameters(), lr=lr, betas=(beta1, 0.999))
optimizerG = optim.Adam(netG.parameters(), lr=lr, betas=(beta1, 0.999))

# Training Loop

# Lists to keep track of progress
img_list = []
G_losses = []
D_losses = []
iters = 0

print("Starting Training Loop...")
# For each epoch
for epoch in range(num_epochs):
    # For each batch in the dataloader
    for i, data in enumerate(dataloader, 0):

        #####
        # (1) Update D network: maximize log(D(x)) + log(1 - D(G(z)))
        #####
        ## Train with all-real batch
        netD.zero_grad()
        # Format batch
        real_cpu = data[0].to(device)
        b_size = real_cpu.size(0)
        label = torch.full((b_size,), real_label, device=device)
        # Forward pass real batch through D
        output = netD(real_cpu).view(-1)
        # Calculate loss on all-real batch
        errD_real = criterion(output, label)
        # Calculate gradients for D in backward pass
        errD_real.backward()
        D_x = output.mean().item()

        ## Train with all-fake batch
        # Generate batch of latent vectors
        noise = torch.randn(b_size, nz, 1, 1, device=device)
        # Generate fake image batch with G
        fake = netG(noise)
        label.fill_(fake_label)
        # Classify all fake batch with D
        output = netD(fake.detach()).view(-1)
        # Calculate D's loss on the all-fake batch
        errD_fake = criterion(output, label)
        # Calculate the gradients for this batch
        errD_fake.backward()
        D_G_z1 = output.mean().item()
        # Add the gradients from the all-real and all-fake batches
        errD = errD_real + errD_fake
        # Update D
        optimizerD.step()

        #####
        # (2) Update G network: maximize log(D(G(z)))
        #####
        netG.zero_grad()
        label.fill_(real_label) # fake labels are real for generator cost
        # Since we just updated D, perform another forward pass of all-fake batch through D
        output = netD(fake).view(-1)
        # Calculate G's loss based on this output

```



```
# Calculate G's loss based on this output
errG = criterion(output, label)
# Calculate gradients for G
errG.backward()
D_G_z2 = output.mean().item()
# Update G
optimizerG.step()

# Output training stats
if i % 50 == 0:
    print('[%d/%d][%d/%d]\tLoss_D: %.4f\tLoss_G: %.4f\tD(x): %.4f\tD(G(z)): %.4f / %.4f'
          % (epoch, num_epochs, i, len(dataloader),
             errD.item(), errG.item(), D_x, D_G_z1, D_G_z2))

# Save Losses for plotting later
G_losses.append(errG.item())
D_losses.append(errD.item())

# Check how the generator is doing by saving G's output on fixed_noise
if (iters % 500 == 0) or ((epoch == num_epochs-1) and (i == len(dataloader)-1)):
    with torch.no_grad():
        fake = netG(fixed_noise).detach().cpu()
        img_list.append(vutils.make_grid(fake, padding=2, normalize=True))

iters += 1
```



Starting Training Loop...

```
[0/100][0/161] Loss_D: 0.8100 Loss_G: 0.9598 D(x): 0.5468 D(G(z)): 0.1011 / 0.4484
[0/100][50/161] Loss_D: 0.6963 Loss_G: 4.5809 D(x): 0.9340 D(G(z)): 0.4086 / 0.0147
[0/100][100/161] Loss_D: 0.4431 Loss_G: 3.7177 D(x): 0.9215 D(G(z)): 0.2729
[0/100][150/161] Loss_D: 0.5768 Loss_G: 3.2273 D(x): 0.8737 D(G(z)): 0.3138
[1/100][0/161] Loss_D: 0.3516 Loss_G: 3.5345 D(x): 0.7531 D(G(z)): 0.0361 / 0.0431
[1/100][50/161] Loss_D: 0.4609 Loss_G: 2.5573 D(x): 0.7198 D(G(z)): 0.0835 / 0.1096
[1/100][100/161] Loss_D: 0.5839 Loss_G: 2.6688 D(x): 0.7289 D(G(z)): 0.1752
[1/100][150/161] Loss_D: 0.4623 Loss_G: 2.9039 D(x): 0.8494 D(G(z)): 0.2287
[2/100][0/161] Loss_D: 0.3297 Loss_G: 3.8357 D(x): 0.8941 D(G(z)): 0.1747 / 0.0316
[2/100][50/161] Loss_D: 0.3638 Loss_G: 3.3285 D(x): 0.9308 D(G(z)): 0.2318 / 0.0476
[2/100][100/161] Loss_D: 0.8392 Loss_G: 1.2146 D(x): 0.5120 D(G(z)): 0.0776
[2/100][150/161] Loss_D: 1.2937 Loss_G: 5.4068 D(x): 0.9462 D(G(z)): 0.6285
[3/100][0/161] Loss_D: 0.5849 Loss_G: 3.4913 D(x): 0.8777 D(G(z)): 0.3216 / 0.0417
[3/100][50/161] Loss_D: 0.3511 Loss_G: 3.0541 D(x): 0.8938 D(G(z)): 0.1927 / 0.0659
[3/100][100/161] Loss_D: 0.7528 Loss_G: 1.2757 D(x): 0.6596 D(G(z)): 0.2001
[3/100][150/161] Loss_D: 0.4854 Loss_G: 3.4287 D(x): 0.9146 D(G(z)): 0.3031
[4/100][0/161] Loss_D: 0.4562 Loss_G: 2.4405 D(x): 0.7134 D(G(z)): 0.0842 / 0.1193
[4/100][50/161] Loss_D: 0.7954 Loss_G: 1.3949 D(x): 0.5174 D(G(z)): 0.0330 / 0.3059
[4/100][100/161] Loss_D: 1.6129 Loss_G: 0.8149 D(x): 0.2614 D(G(z)): 0.0186
[4/100][150/161] Loss_D: 0.4013 Loss_G: 3.3253 D(x): 0.8842 D(G(z)): 0.2189
[5/100][0/161] Loss_D: 0.4969 Loss_G: 2.1798 D(x): 0.7131 D(G(z)): 0.1049 / 0.1546
[5/100][50/161] Loss_D: 4.8455 Loss_G: 0.7697 D(x): 0.0148 D(G(z)): 0.0011 / 0.5658
[5/100][100/161] Loss_D: 0.5555 Loss_G: 3.1644 D(x): 0.8333 D(G(z)): 0.2747
[5/100][150/161] Loss_D: 0.6307 Loss_G: 1.9482 D(x): 0.6377 D(G(z)): 0.0845
[6/100][0/161] Loss_D: 0.4062 Loss_G: 2.7437 D(x): 0.8414 D(G(z)): 0.1796 / 0.0906
[6/100][50/161] Loss_D: 0.5699 Loss_G: 2.0237 D(x): 0.6634 D(G(z)): 0.1071 / 0.1826
[6/100][100/161] Loss_D: 0.5627 Loss_G: 3.4666 D(x): 0.8351 D(G(z)): 0.2787
[6/100][150/161] Loss_D: 0.6430 Loss_G: 1.9308 D(x): 0.6293 D(G(z)): 0.0891
[7/100][0/161] Loss_D: 0.4245 Loss_G: 1.9482 D(x): 0.7481 D(G(z)): 0.1002 / 0.1769
[7/100][50/161] Loss_D: 0.7366 Loss_G: 4.6704 D(x): 0.9202 D(G(z)): 0.4196 / 0.0135
[7/100][100/161] Loss_D: 1.2626 Loss_G: 0.2991 D(x): 0.3717 D(G(z)): 0.0202
[7/100][150/161] Loss_D: 0.7244 Loss_G: 2.6214 D(x): 0.7478 D(G(z)): 0.2983
[8/100][0/161] Loss_D: 0.4011 Loss_G: 3.3844 D(x): 0.8610 D(G(z)): 0.1993 / 0.0474
[8/100][50/161] Loss_D: 0.4771 Loss_G: 2.2528 D(x): 0.7506 D(G(z)): 0.1425 / 0.1361
[8/100][100/161] Loss_D: 0.5973 Loss_G: 2.6121 D(x): 0.8132 D(G(z)): 0.2853
[8/100][150/161] Loss_D: 0.7265 Loss_G: 1.9010 D(x): 0.5651 D(G(z)): 0.0382
[9/100][0/161] Loss_D: 0.3778 Loss_G: 2.8879 D(x): 0.8644 D(G(z)): 0.1881 / 0.0752
[9/100][50/161] Loss_D: 0.4798 Loss_G: 1.8994 D(x): 0.7270 D(G(z)): 0.1082 / 0.2057
[9/100][100/161] Loss_D: 0.3882 Loss_G: 3.2982 D(x): 0.9309 D(G(z)): 0.2509
[9/100][150/161] Loss_D: 0.6445 Loss_G: 2.2010 D(x): 0.7109 D(G(z)): 0.1894
[10/100][0/161] Loss_D: 0.3115 Loss_G: 2.7996 D(x): 0.8949 D(G(z)): 0.1630 / 0.0909
[10/100][50/161] Loss_D: 0.4068 Loss_G: 2.5914 D(x): 0.8343 D(G(z)): 0.1760
[10/100][100/161] Loss_D: 0.4239 Loss_G: 2.5728 D(x): 0.8313 D(G(z)): 0.1804
[10/100][150/161] Loss_D: 1.1135 Loss_G: 4.0758 D(x): 0.8886 D(G(z)): 0.5451
[11/100][0/161] Loss_D: 0.5972 Loss_G: 2.0738 D(x): 0.7020 D(G(z)): 0.1612 / 0.1659
[11/100][50/161] Loss_D: 0.4419 Loss_G: 2.4177 D(x): 0.7445 D(G(z)): 0.1041
[11/100][100/161] Loss_D: 0.3374 Loss_G: 2.6633 D(x): 0.8862 D(G(z)): 0.1787
[11/100][150/161] Loss_D: 0.4328 Loss_G: 2.0877 D(x): 0.7341 D(G(z)): 0.0802
[12/100][0/161] Loss_D: 0.5737 Loss_G: 1.1143 D(x): 0.6111 D(G(z)): 0.0277 / 0.4123
[12/100][50/161] Loss_D: 0.4993 Loss_G: 2.4096 D(x): 0.6807 D(G(z)): 0.0762
[12/100][100/161] Loss_D: 0.6172 Loss_G: 3.4375 D(x): 0.8630 D(G(z)): 0.3242
[12/100][150/161] Loss_D: 0.3863 Loss_G: 2.9132 D(x): 0.8467 D(G(z)): 0.1798
[13/100][0/161] Loss_D: 0.3378 Loss_G: 3.1575 D(x): 0.8989 D(G(z)): 0.1874 / 0.0574
[13/100][50/161] Loss_D: 0.4934 Loss_G: 2.0075 D(x): 0.7240 D(G(z)): 0.1176
[13/100][100/161] Loss_D: 0.7196 Loss_G: 4.5532 D(x): 0.8899 D(G(z)): 0.4082
[13/100][150/161] Loss_D: 0.9585 Loss_G: 1.0420 D(x): 0.4673 D(G(z)): 0.0555
```

```

[14/100][0/161] Loss_D: 0.3544 Loss_G: 3.8067 D(x): 0.9223 D(G(z)): 0.2091 / 0.0346
[14/100][50/161] Loss_D: 0.3162 Loss_G: 2.8970 D(x): 0.8649 D(G(z)): 0.1432
[14/100][100/161] Loss_D: 0.4305 Loss_G: 3.9975 D(x): 0.8946 D(G(z)): 0.2392
[14/100][150/161] Loss_D: 0.3893 Loss_G: 3.4480 D(x): 0.8790 D(G(z)): 0.1952
[15/100][0/161] Loss_D: 0.2914 Loss_G: 3.0229 D(x): 0.8451 D(G(z)): 0.1013 / 0.0691
[15/100][50/161] Loss_D: 0.5258 Loss_G: 1.4038 D(x): 0.6677 D(G(z)): 0.0735
[15/100][100/161] Loss_D: 0.9909 Loss_G: 1.9857 D(x): 0.5736 D(G(z)): 0.1960
[15/100][150/161] Loss_D: 0.3505 Loss_G: 3.1201 D(x): 0.8342 D(G(z)): 0.1302
[16/100][0/161] Loss_D: 0.4912 Loss_G: 1.8795 D(x): 0.7521 D(G(z)): 0.1538 / 0.1946
[16/100][50/161] Loss_D: 0.3483 Loss_G: 2.7029 D(x): 0.8274 D(G(z)): 0.1237
[16/100][100/161] Loss_D: 0.4016 Loss_G: 3.3015 D(x): 0.9240 D(G(z)): 0.2455
[16/100][150/161] Loss_D: 0.4928 Loss_G: 3.2516 D(x): 0.8821 D(G(z)): 0.2720
[17/100][0/161] Loss_D: 0.6529 Loss_G: 1.4271 D(x): 0.5850 D(G(z)): 0.0496 / 0.3023
[17/100][50/161] Loss_D: 0.4060 Loss_G: 2.6064 D(x): 0.8561 D(G(z)): 0.1943
[17/100][100/161] Loss_D: 1.5500 Loss_G: 4.1865 D(x): 0.7915 D(G(z)): 0.6107
[17/100][150/161] Loss_D: 0.5390 Loss_G: 2.2428 D(x): 0.6872 D(G(z)): 0.1031
[18/100][0/161] Loss_D: 0.4133 Loss_G: 2.2259 D(x): 0.8119 D(G(z)): 0.1512 / 0.1454
[18/100][50/161] Loss_D: 0.5940 Loss_G: 4.1822 D(x): 0.9694 D(G(z)): 0.3789
[18/100][100/161] Loss_D: 0.4309 Loss_G: 2.3518 D(x): 0.7655 D(G(z)): 0.1174
[18/100][150/161] Loss_D: 0.3315 Loss_G: 2.3597 D(x): 0.8243 D(G(z)): 0.1055
[19/100][0/161] Loss_D: 0.3602 Loss_G: 4.1574 D(x): 0.9561 D(G(z)): 0.2480 / 0.0222
[19/100][50/161] Loss_D: 1.9111 Loss_G: 5.1599 D(x): 0.9570 D(G(z)): 0.7610
[19/100][100/161] Loss_D: 0.3967 Loss_G: 2.7722 D(x): 0.8515 D(G(z)): 0.1880
[19/100][150/161] Loss_D: 0.4159 Loss_G: 1.9492 D(x): 0.7309 D(G(z)): 0.0707
[20/100][0/161] Loss_D: 0.2756 Loss_G: 3.3697 D(x): 0.9078 D(G(z)): 0.1494 / 0.0486
[20/100][50/161] Loss_D: 0.3743 Loss_G: 2.2132 D(x): 0.8164 D(G(z)): 0.1374
[20/100][100/161] Loss_D: 0.3573 Loss_G: 2.5387 D(x): 0.8442 D(G(z)): 0.1485
[20/100][150/161] Loss_D: 0.3181 Loss_G: 3.2135 D(x): 0.9115 D(G(z)): 0.1846
[21/100][0/161] Loss_D: 0.7129 Loss_G: 5.8813 D(x): 0.9637 D(G(z)): 0.4319 / 0.0046
[21/100][50/161] Loss_D: 0.4488 Loss_G: 2.8387 D(x): 0.8975 D(G(z)): 0.2469
[21/100][100/161] Loss_D: 0.4369 Loss_G: 2.9535 D(x): 0.8719 D(G(z)): 0.2241
[21/100][150/161] Loss_D: 0.3364 Loss_G: 2.0728 D(x): 0.8025 D(G(z)): 0.0941
[22/100][0/161] Loss_D: 0.3219 Loss_G: 3.3504 D(x): 0.8943 D(G(z)): 0.1714 / 0.0502
[22/100][50/161] Loss_D: 0.3870 Loss_G: 1.6277 D(x): 0.7666 D(G(z)): 0.0918
[22/100][100/161] Loss_D: 1.5678 Loss_G: 4.5470 D(x): 0.9381 D(G(z)): 0.6533
[22/100][150/161] Loss_D: 0.3485 Loss_G: 3.0940 D(x): 0.8501 D(G(z)): 0.1447
[23/100][0/161] Loss_D: 0.3104 Loss_G: 3.0113 D(x): 0.8515 D(G(z)): 0.1213 / 0.0742
[23/100][50/161] Loss_D: 0.3607 Loss_G: 2.4891 D(x): 0.8075 D(G(z)): 0.1179
[23/100][100/161] Loss_D: 0.9413 Loss_G: 5.6846 D(x): 0.9877 D(G(z)): 0.5384
[23/100][150/161] Loss_D: 0.3940 Loss_G: 2.9335 D(x): 0.8582 D(G(z)): 0.1874
[24/100][0/161] Loss_D: 0.3667 Loss_G: 3.1611 D(x): 0.8919 D(G(z)): 0.1960 / 0.0625
[24/100][50/161] Loss_D: 0.3539 Loss_G: 2.2563 D(x): 0.7904 D(G(z)): 0.0836
[24/100][100/161] Loss_D: 1.3719 Loss_G: 0.6154 D(x): 0.3823 D(G(z)): 0.0651
[24/100][150/161] Loss_D: 0.4485 Loss_G: 2.8565 D(x): 0.8454 D(G(z)): 0.2154
[25/100][0/161] Loss_D: 0.5795 Loss_G: 4.2793 D(x): 0.9461 D(G(z)): 0.3462 / 0.0204
[25/100][50/161] Loss_D: 0.3708 Loss_G: 2.6107 D(x): 0.8250 D(G(z)): 0.1413
[25/100][100/161] Loss_D: 0.4612 Loss_G: 3.5890 D(x): 0.9277 D(G(z)): 0.2787
[25/100][150/161] Loss_D: 0.3610 Loss_G: 3.4062 D(x): 0.9062 D(G(z)): 0.2079
[26/100][0/161] Loss_D: 0.2721 Loss_G: 3.5776 D(x): 0.9390 D(G(z)): 0.1711 / 0.0387
[26/100][50/161] Loss_D: 2.2831 Loss_G: 0.2214 D(x): 0.2625 D(G(z)): 0.1062
[26/100][100/161] Loss_D: 0.3730 Loss_G: 2.7806 D(x): 0.7836 D(G(z)): 0.0964
[26/100][150/161] Loss_D: 0.3297 Loss_G: 2.8581 D(x): 0.8962 D(G(z)): 0.1762
[27/100][0/161] Loss_D: 0.2885 Loss_G: 3.0864 D(x): 0.9179 D(G(z)): 0.1677 / 0.0637
[27/100][50/161] Loss_D: 0.2758 Loss_G: 3.6182 D(x): 0.8761 D(G(z)): 0.1171
[27/100][100/161] Loss_D: 0.3016 Loss_G: 2.7493 D(x): 0.8473 D(G(z)): 0.1119
[27/100][150/161] Loss_D: 1.4117 Loss_G: 7.2502 D(x): 0.9811 D(G(z)): 0.6687
[28/100][0/161] Loss_D: 1.0521 Loss_G: 3.2744 D(x): 0.6394 D(G(z)): 0.3294 / 0.0617
[28/100][50/161] Loss_D: 0.3688 Loss_G: 3.4191 D(x): 0.9232 D(G(z)): 0.2241

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[28/100][100/161] Loss_D: 0.2514 Loss_G: 3.4468 D(x): 0.9135 D(G(z)): 0.1359
[28/100][150/161] Loss_D: 0.5360 Loss_G: 1.9681 D(x): 0.6512 D(G(z)): 0.0455
[29/100][0/161] Loss_D: 0.2172 Loss_G: 3.0462 D(x): 0.9216 D(G(z)): 0.1162 / 0.0698
[29/100][50/161] Loss_D: 0.2604 Loss_G: 3.4587 D(x): 0.9033 D(G(z)): 0.1281
[29/100][100/161] Loss_D: 0.2788 Loss_G: 2.9256 D(x): 0.8774 D(G(z)): 0.1193
[29/100][150/161] Loss_D: 0.8995 Loss_G: 1.9343 D(x): 0.5767 D(G(z)): 0.1529
[30/100][0/161] Loss_D: 0.4888 Loss_G: 3.0780 D(x): 0.7877 D(G(z)): 0.1731 / 0.0736
[30/100][50/161] Loss_D: 0.4005 Loss_G: 2.9689 D(x): 0.8845 D(G(z)): 0.2156
[30/100][100/161] Loss_D: 0.3153 Loss_G: 3.0021 D(x): 0.8560 D(G(z)): 0.1279
[30/100][150/161] Loss_D: 0.5292 Loss_G: 4.1446 D(x): 0.9274 D(G(z)): 0.3191
[31/100][0/161] Loss_D: 0.3551 Loss_G: 4.3526 D(x): 0.9555 D(G(z)): 0.2341 / 0.0196
[31/100][50/161] Loss_D: 0.2579 Loss_G: 2.7767 D(x): 0.8528 D(G(z)): 0.0747
[31/100][100/161] Loss_D: 0.4186 Loss_G: 1.7467 D(x): 0.7293 D(G(z)): 0.0659
[31/100][150/161] Loss_D: 0.4153 Loss_G: 2.4227 D(x): 0.7047 D(G(z)): 0.0316
[32/100][0/161] Loss_D: 0.2435 Loss_G: 2.7260 D(x): 0.8584 D(G(z)): 0.0747 / 0.0993
[32/100][50/161] Loss_D: 0.2620 Loss_G: 3.0170 D(x): 0.8748 D(G(z)): 0.1090
[32/100][100/161] Loss_D: 0.5651 Loss_G: 2.6390 D(x): 0.7352 D(G(z)): 0.1493
[32/100][150/161] Loss_D: 0.3230 Loss_G: 3.1147 D(x): 0.8270 D(G(z)): 0.1045
[33/100][0/161] Loss_D: 0.2457 Loss_G: 3.2423 D(x): 0.9205 D(G(z)): 0.1358 / 0.0554
[33/100][50/161] Loss_D: 0.3355 Loss_G: 3.5691 D(x): 0.9191 D(G(z)): 0.1937
[33/100][100/161] Loss_D: 0.1873 Loss_G: 3.3758 D(x): 0.9116 D(G(z)): 0.0832
[33/100][150/161] Loss_D: 0.2571 Loss_G: 3.1728 D(x): 0.8919 D(G(z)): 0.1159
[34/100][0/161] Loss_D: 0.2082 Loss_G: 3.2461 D(x): 0.9140 D(G(z)): 0.1021 / 0.0596
[34/100][50/161] Loss_D: 0.3242 Loss_G: 2.2852 D(x): 0.7697 D(G(z)): 0.0315
[34/100][100/161] Loss_D: 0.3301 Loss_G: 2.2457 D(x): 0.7932 D(G(z)): 0.0702
[34/100][150/161] Loss_D: 0.4858 Loss_G: 3.3671 D(x): 0.8939 D(G(z)): 0.2676
[35/100][0/161] Loss_D: 0.2975 Loss_G: 2.9650 D(x): 0.8916 D(G(z)): 0.1429 / 0.0808
[35/100][50/161] Loss_D: 0.2808 Loss_G: 3.2691 D(x): 0.8461 D(G(z)): 0.0864
[35/100][100/161] Loss_D: 0.2661 Loss_G: 3.1920 D(x): 0.8836 D(G(z)): 0.1173
[35/100][150/161] Loss_D: 0.2650 Loss_G: 2.5467 D(x): 0.8251 D(G(z)): 0.0558
[36/100][0/161] Loss_D: 0.1729 Loss_G: 3.2838 D(x): 0.9110 D(G(z)): 0.0697 / 0.0591
[36/100][50/161] Loss_D: 0.2144 Loss_G: 3.4127 D(x): 0.8892 D(G(z)): 0.0823
[36/100][100/161] Loss_D: 0.9553 Loss_G: 3.4623 D(x): 0.8102 D(G(z)): 0.4188
[36/100][150/161] Loss_D: 0.3239 Loss_G: 3.1418 D(x): 0.8970 D(G(z)): 0.1684
[37/100][0/161] Loss_D: 0.4797 Loss_G: 4.1344 D(x): 0.9317 D(G(z)): 0.2875 / 0.0229
[37/100][50/161] Loss_D: 0.2556 Loss_G: 2.5658 D(x): 0.8550 D(G(z)): 0.0794
[37/100][100/161] Loss_D: 0.3122 Loss_G: 2.8919 D(x): 0.8711 D(G(z)): 0.1396
[37/100][150/161] Loss_D: 0.2137 Loss_G: 3.6202 D(x): 0.9253 D(G(z)): 0.1131
[38/100][0/161] Loss_D: 0.2120 Loss_G: 3.4505 D(x): 0.8878 D(G(z)): 0.0797 / 0.0516
[38/100][50/161] Loss_D: 0.8800 Loss_G: 4.8780 D(x): 0.8384 D(G(z)): 0.3912
[38/100][100/161] Loss_D: 0.2629 Loss_G: 3.0774 D(x): 0.8651 D(G(z)): 0.0963
[38/100][150/161] Loss_D: 0.2038 Loss_G: 3.3257 D(x): 0.8969 D(G(z)): 0.0824
[39/100][0/161] Loss_D: 0.1773 Loss_G: 3.6386 D(x): 0.9050 D(G(z)): 0.0679 / 0.0372
[39/100][50/161] Loss_D: 0.3131 Loss_G: 3.0762 D(x): 0.8801 D(G(z)): 0.1451
[39/100][100/161] Loss_D: 0.2293 Loss_G: 3.2647 D(x): 0.9111 D(G(z)): 0.1107
[39/100][150/161] Loss_D: 0.1456 Loss_G: 3.9095 D(x): 0.9265 D(G(z)): 0.0618
[40/100][0/161] Loss_D: 0.2754 Loss_G: 4.1447 D(x): 0.9407 D(G(z)): 0.1719 / 0.0232
[40/100][50/161] Loss_D: 0.2673 Loss_G: 3.2434 D(x): 0.8706 D(G(z)): 0.1082
[40/100][100/161] Loss_D: 0.3082 Loss_G: 1.9497 D(x): 0.7852 D(G(z)): 0.0449
[40/100][150/161] Loss_D: 1.8133 Loss_G: 1.8963 D(x): 0.5261 D(G(z)): 0.5001
[41/100][0/161] Loss_D: 2.3553 Loss_G: 0.8780 D(x): 0.2661 D(G(z)): 0.1776 / 0.5425
[41/100][50/161] Loss_D: 1.2300 Loss_G: 4.7306 D(x): 0.9013 D(G(z)): 0.5536
[41/100][100/161] Loss_D: 0.3906 Loss_G: 2.6680 D(x): 0.8464 D(G(z)): 0.1742
[41/100][150/161] Loss_D: 0.3319 Loss_G: 3.0882 D(x): 0.8757 D(G(z)): 0.1622
[42/100][0/161] Loss_D: 0.3136 Loss_G: 4.2159 D(x): 0.9494 D(G(z)): 0.2048 / 0.0213
[42/100][50/161] Loss_D: 0.2601 Loss_G: 2.7243 D(x): 0.8418 D(G(z)): 0.0668
[42/100][100/161] Loss_D: 0.2002 Loss_G: 3.2181 D(x): 0.9264 D(G(z)): 0.1082
[42/100][150/161] Loss_D: 0.2225 Loss_G: 3.6192 D(x): 0.9081 D(G(z)): 0.1082

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[42/100][150/161] Loss_D: 0.2223 Loss_G: 3.0132 D(x): 0.9081 D(G(z)): 0.1082
[43/100][0/161] Loss_D: 0.2122 Loss_G: 3.6416 D(x): 0.8799 D(G(z)): 0.0686 / 0.0416
[43/100][50/161] Loss_D: 0.2042 Loss_G: 3.2277 D(x): 0.9225 D(G(z)): 0.1025
[43/100][100/161] Loss_D: 0.2329 Loss_G: 3.9943 D(x): 0.9515 D(G(z)): 0.1482
[43/100][150/161] Loss_D: 0.6993 Loss_G: 1.9119 D(x): 0.6927 D(G(z)): 0.1881
[44/100][0/161] Loss_D: 0.5648 Loss_G: 4.6800 D(x): 0.9333 D(G(z)): 0.3230 / 0.0154
[44/100][50/161] Loss_D: 0.2111 Loss_G: 3.6193 D(x): 0.9227 D(G(z)): 0.1103
[44/100][100/161] Loss_D: 0.2505 Loss_G: 3.0106 D(x): 0.8468 D(G(z)): 0.0645
[44/100][150/161] Loss_D: 1.5893 Loss_G: 1.5647 D(x): 0.4430 D(G(z)): 0.2619
[45/100][0/161] Loss_D: 0.7991 Loss_G: 3.5663 D(x): 0.7763 D(G(z)): 0.3198 / 0.0477
[45/100][50/161] Loss_D: 0.2520 Loss_G: 3.2349 D(x): 0.8777 D(G(z)): 0.0991
[45/100][100/161] Loss_D: 0.1929 Loss_G: 3.1303 D(x): 0.9144 D(G(z)): 0.0871
[45/100][150/161] Loss_D: 0.3918 Loss_G: 2.0553 D(x): 0.7454 D(G(z)): 0.0630
[46/100][0/161] Loss_D: 0.1807 Loss_G: 3.8025 D(x): 0.9178 D(G(z)): 0.0802 / 0.0339
[46/100][50/161] Loss_D: 0.2051 Loss_G: 3.9145 D(x): 0.9370 D(G(z)): 0.1197
[46/100][100/161] Loss_D: 0.1743 Loss_G: 3.9165 D(x): 0.9308 D(G(z)): 0.0847
[46/100][150/161] Loss_D: 0.2438 Loss_G: 3.5440 D(x): 0.9143 D(G(z)): 0.1302
[47/100][0/161] Loss_D: 0.1383 Loss_G: 4.0218 D(x): 0.9329 D(G(z)): 0.0613 / 0.0294
[47/100][50/161] Loss_D: 0.1520 Loss_G: 3.8182 D(x): 0.9452 D(G(z)): 0.0850
[47/100][100/161] Loss_D: 0.2021 Loss_G: 3.4132 D(x): 0.9123 D(G(z)): 0.0914
[47/100][150/161] Loss_D: 5.2012 Loss_G: 0.0026 D(x): 0.0342 D(G(z)): 0.0079
[48/100][0/161] Loss_D: 1.7627 Loss_G: 5.5343 D(x): 0.8745 D(G(z)): 0.6765 / 0.0154
[48/100][50/161] Loss_D: 0.2045 Loss_G: 3.9913 D(x): 0.8978 D(G(z)): 0.0753
[48/100][100/161] Loss_D: 0.2457 Loss_G: 3.5835 D(x): 0.9313 D(G(z)): 0.1371
[48/100][150/161] Loss_D: 0.1757 Loss_G: 3.9380 D(x): 0.9461 D(G(z)): 0.1006
[49/100][0/161] Loss_D: 0.2756 Loss_G: 4.2279 D(x): 0.9414 D(G(z)): 0.1717 / 0.0229
[49/100][50/161] Loss_D: 0.1861 Loss_G: 3.6761 D(x): 0.9133 D(G(z)): 0.0806
[49/100][100/161] Loss_D: 0.1304 Loss_G: 3.9364 D(x): 0.9333 D(G(z)): 0.0560
[49/100][150/161] Loss_D: 0.1227 Loss_G: 3.8845 D(x): 0.9307 D(G(z)): 0.0464
[50/100][0/161] Loss_D: 0.1127 Loss_G: 4.2785 D(x): 0.9444 D(G(z)): 0.0472 / 0.0273
[50/100][50/161] Loss_D: 0.1425 Loss_G: 4.1065 D(x): 0.9546 D(G(z)): 0.0865
[50/100][100/161] Loss_D: 0.1825 Loss_G: 4.2270 D(x): 0.9599 D(G(z)): 0.1208
[50/100][150/161] Loss_D: 1.0231 Loss_G: 2.0651 D(x): 0.6397 D(G(z)): 0.2911
[51/100][0/161] Loss_D: 0.6083 Loss_G: 2.9686 D(x): 0.7926 D(G(z)): 0.2216 / 0.0784
[51/100][50/161] Loss_D: 0.3675 Loss_G: 2.5897 D(x): 0.8131 D(G(z)): 0.1150
[51/100][100/161] Loss_D: 0.2211 Loss_G: 3.5900 D(x): 0.9010 D(G(z)): 0.0985
[51/100][150/161] Loss_D: 0.3311 Loss_G: 4.8422 D(x): 0.9391 D(G(z)): 0.2073
[52/100][0/161] Loss_D: 0.2361 Loss_G: 3.1658 D(x): 0.8374 D(G(z)): 0.0417 / 0.0776
[52/100][50/161] Loss_D: 0.5582 Loss_G: 1.6389 D(x): 0.6183 D(G(z)): 0.0109
[52/100][100/161] Loss_D: 0.2725 Loss_G: 4.3042 D(x): 0.9520 D(G(z)): 0.1816
[52/100][150/161] Loss_D: 4.7542 Loss_G: 10.0843 D(x): 0.9964 D(G(z)): 0.9649
[53/100][0/161] Loss_D: 2.3075 Loss_G: 6.4784 D(x): 0.9364 D(G(z)): 0.7687 / 0.0076
[53/100][50/161] Loss_D: 0.2150 Loss_G: 3.9405 D(x): 0.9640 D(G(z)): 0.1488
[53/100][100/161] Loss_D: 0.1826 Loss_G: 3.7916 D(x): 0.9278 D(G(z)): 0.0939
[53/100][150/161] Loss_D: 0.2579 Loss_G: 2.6639 D(x): 0.8840 D(G(z)): 0.1097
[54/100][0/161] Loss_D: 0.1327 Loss_G: 4.0275 D(x): 0.9166 D(G(z)): 0.0391 / 0.0296
[54/100][50/161] Loss_D: 0.1434 Loss_G: 3.6999 D(x): 0.9522 D(G(z)): 0.0837
[54/100][100/161] Loss_D: 0.1420 Loss_G: 4.6802 D(x): 0.9661 D(G(z)): 0.0938
[54/100][150/161] Loss_D: 1.2261 Loss_G: 0.7929 D(x): 0.4816 D(G(z)): 0.1042
[55/100][0/161] Loss_D: 0.3341 Loss_G: 3.0412 D(x): 0.8035 D(G(z)): 0.0681 / 0.0909
[55/100][50/161] Loss_D: 0.2526 Loss_G: 4.2977 D(x): 0.9510 D(G(z)): 0.1598
[55/100][100/161] Loss_D: 0.2166 Loss_G: 3.0401 D(x): 0.8568 D(G(z)): 0.0460
[55/100][150/161] Loss_D: 0.1755 Loss_G: 3.6999 D(x): 0.9195 D(G(z)): 0.0781
[56/100][0/161] Loss_D: 0.1040 Loss_G: 4.0644 D(x): 0.9468 D(G(z)): 0.0451 / 0.0278
[56/100][50/161] Loss_D: 0.1747 Loss_G: 3.2306 D(x): 0.8716 D(G(z)): 0.0288
[56/100][100/161] Loss_D: 0.1492 Loss_G: 4.0860 D(x): 0.9611 D(G(z)): 0.0973
[56/100][150/161] Loss_D: 3.0611 Loss_G: 4.2588 D(x): 0.8910 D(G(z)): 0.8616
[57/100][0/161] Loss_D: 1.4793 Loss_G: 1.1818 D(x): 0.4207 D(G(z)): 0.1502 / 0.4373

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[57/100][50/161] Loss_D: 0.4034 Loss_G: 2.9087 D(x): 0.7962 D(G(z)): 0.1200
[57/100][100/161] Loss_D: 0.2057 Loss_G: 3.4774 D(x): 0.9017 D(G(z)): 0.0871
[57/100][150/161] Loss_D: 0.1689 Loss_G: 4.0520 D(x): 0.9668 D(G(z)): 0.1186
[58/100][0/161] Loss_D: 0.1937 Loss_G: 3.8698 D(x): 0.9227 D(G(z)): 0.0935 / 0.0368
[58/100][50/161] Loss_D: 0.1835 Loss_G: 3.2757 D(x): 0.8780 D(G(z)): 0.0438
[58/100][100/161] Loss_D: 0.1198 Loss_G: 3.8948 D(x): 0.9523 D(G(z)): 0.0641
[58/100][150/161] Loss_D: 0.1319 Loss_G: 3.8544 D(x): 0.9622 D(G(z)): 0.0812
[59/100][0/161] Loss_D: 0.1010 Loss_G: 4.2193 D(x): 0.9630 D(G(z)): 0.0579 / 0.0236
[59/100][50/161] Loss_D: 0.1136 Loss_G: 3.8082 D(x): 0.9385 D(G(z)): 0.0458
[59/100][100/161] Loss_D: 0.1093 Loss_G: 4.4188 D(x): 0.9834 D(G(z)): 0.0835
[59/100][150/161] Loss_D: 0.1687 Loss_G: 3.2691 D(x): 0.9110 D(G(z)): 0.0632
[60/100][0/161] Loss_D: 0.0849 Loss_G: 4.6524 D(x): 0.9502 D(G(z)): 0.0311 / 0.0165
[60/100][50/161] Loss_D: 0.2798 Loss_G: 6.4457 D(x): 0.9776 D(G(z)): 0.1940
[60/100][100/161] Loss_D: 2.4755 Loss_G: 3.1127 D(x): 0.8233 D(G(z)): 0.7698
[60/100][150/161] Loss_D: 0.6298 Loss_G: 1.3119 D(x): 0.6380 D(G(z)): 0.0578
[61/100][0/161] Loss_D: 0.3911 Loss_G: 3.9757 D(x): 0.8817 D(G(z)): 0.1703 / 0.0371
[61/100][50/161] Loss_D: 0.1980 Loss_G: 3.6707 D(x): 0.9056 D(G(z)): 0.0797
[61/100][100/161] Loss_D: 0.2287 Loss_G: 2.8302 D(x): 0.8585 D(G(z)): 0.0603
[61/100][150/161] Loss_D: 0.3453 Loss_G: 5.4239 D(x): 0.9796 D(G(z)): 0.2398
[62/100][0/161] Loss_D: 0.1686 Loss_G: 3.8938 D(x): 0.8745 D(G(z)): 0.0225 / 0.0337
[62/100][50/161] Loss_D: 0.1464 Loss_G: 3.7855 D(x): 0.9220 D(G(z)): 0.0555
[62/100][100/161] Loss_D: 0.1526 Loss_G: 3.4037 D(x): 0.9247 D(G(z)): 0.0666
[62/100][150/161] Loss_D: 0.1174 Loss_G: 3.8994 D(x): 0.9493 D(G(z)): 0.0583
[63/100][0/161] Loss_D: 0.0980 Loss_G: 4.6666 D(x): 0.9697 D(G(z)): 0.0620 / 0.0139
[63/100][50/161] Loss_D: 0.1535 Loss_G: 3.8241 D(x): 0.9349 D(G(z)): 0.0742
[63/100][100/161] Loss_D: 0.1211 Loss_G: 4.5078 D(x): 0.9646 D(G(z)): 0.0759
[63/100][150/161] Loss_D: 0.8183 Loss_G: 2.6612 D(x): 0.7447 D(G(z)): 0.2953
[64/100][0/161] Loss_D: 0.7566 Loss_G: 4.2882 D(x): 0.9124 D(G(z)): 0.3932 / 0.0275
[64/100][50/161] Loss_D: 0.2793 Loss_G: 3.8689 D(x): 0.9129 D(G(z)): 0.1456
[64/100][100/161] Loss_D: 0.1973 Loss_G: 3.3425 D(x): 0.9010 D(G(z)): 0.0712
[64/100][150/161] Loss_D: 0.1426 Loss_G: 3.7510 D(x): 0.9367 D(G(z)): 0.0657
[65/100][0/161] Loss_D: 0.1724 Loss_G: 3.5825 D(x): 0.8746 D(G(z)): 0.0281 / 0.0494
[65/100][50/161] Loss_D: 0.1062 Loss_G: 3.9866 D(x): 0.9662 D(G(z)): 0.0656
[65/100][100/161] Loss_D: 0.1066 Loss_G: 4.1841 D(x): 0.9555 D(G(z)): 0.0535
[65/100][150/161] Loss_D: 0.1224 Loss_G: 4.2504 D(x): 0.9365 D(G(z)): 0.0498
[66/100][0/161] Loss_D: 0.3571 Loss_G: 6.6641 D(x): 0.9867 D(G(z)): 0.2568 / 0.0023
[66/100][50/161] Loss_D: 0.1141 Loss_G: 4.0237 D(x): 0.9223 D(G(z)): 0.0290
[66/100][100/161] Loss_D: 0.1413 Loss_G: 4.2737 D(x): 0.9513 D(G(z)): 0.0763
[66/100][150/161] Loss_D: 3.0074 Loss_G: 0.0013 D(x): 0.1193 D(G(z)): 0.0196
[67/100][0/161] Loss_D: 1.9815 Loss_G: 3.2906 D(x): 0.8029 D(G(z)): 0.6976 / 0.0891
[67/100][50/161] Loss_D: 0.3223 Loss_G: 3.9087 D(x): 0.8683 D(G(z)): 0.1295
[67/100][100/161] Loss_D: 0.2029 Loss_G: 3.3293 D(x): 0.9150 D(G(z)): 0.0914
[67/100][150/161] Loss_D: 0.1983 Loss_G: 3.2729 D(x): 0.8805 D(G(z)): 0.0558
[68/100][0/161] Loss_D: 0.1378 Loss_G: 3.7139 D(x): 0.9317 D(G(z)): 0.0580 / 0.0431
[68/100][50/161] Loss_D: 0.1354 Loss_G: 3.6628 D(x): 0.9284 D(G(z)): 0.0527
[68/100][100/161] Loss_D: 0.1571 Loss_G: 3.7116 D(x): 0.9294 D(G(z)): 0.0726
[68/100][150/161] Loss_D: 0.1225 Loss_G: 4.4644 D(x): 0.9568 D(G(z)): 0.0682
[69/100][0/161] Loss_D: 0.0800 Loss_G: 4.1908 D(x): 0.9610 D(G(z)): 0.0377 / 0.0266
[69/100][50/161] Loss_D: 0.0998 Loss_G: 3.9751 D(x): 0.9458 D(G(z)): 0.0395
[69/100][100/161] Loss_D: 0.1126 Loss_G: 4.0938 D(x): 0.9666 D(G(z)): 0.0697
[69/100][150/161] Loss_D: 0.1572 Loss_G: 3.5554 D(x): 0.8867 D(G(z)): 0.0306
[70/100][0/161] Loss_D: 0.1594 Loss_G: 5.0148 D(x): 0.9732 D(G(z)): 0.1086 / 0.0111
[70/100][50/161] Loss_D: 0.0965 Loss_G: 4.4237 D(x): 0.9759 D(G(z)): 0.0665
[70/100][100/161] Loss_D: 2.3298 Loss_G: 0.9234 D(x): 0.3444 D(G(z)): 0.2662
[70/100][150/161] Loss_D: 1.2302 Loss_G: 3.2183 D(x): 0.7618 D(G(z)): 0.4816
[71/100][0/161] Loss_D: 0.6796 Loss_G: 1.6093 D(x): 0.6699 D(G(z)): 0.1337 / 0.2802
[71/100][50/161] Loss_D: 0.3623 Loss_G: 2.8814 D(x): 0.7774 D(G(z)): 0.0582
[71/100][100/161] Loss_D: 0.2865 Loss_G: 4.9405 D(x): 0.9774 D(G(z)): 0.2023

```

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[71/100][150/161] Loss_D: 0.1626 Loss_G: 4.0041 D(x): 0.9448 D(G(z)): 0.0879
[72/100][0/161] Loss_D: 0.1484 Loss_G: 3.6390 D(x): 0.9390 D(G(z)): 0.0726 / 0.0428
[72/100][50/161] Loss_D: 0.1798 Loss_G: 3.1706 D(x): 0.9054 D(G(z)): 0.0671
[72/100][100/161] Loss_D: 0.1403 Loss_G: 3.6506 D(x): 0.9302 D(G(z)): 0.0583
[72/100][150/161] Loss_D: 0.1044 Loss_G: 4.1882 D(x): 0.9487 D(G(z)): 0.0467
[73/100][0/161] Loss_D: 0.0902 Loss_G: 4.2956 D(x): 0.9478 D(G(z)): 0.0327 / 0.0257
[73/100][50/161] Loss_D: 0.1278 Loss_G: 4.6614 D(x): 0.9664 D(G(z)): 0.0806
[73/100][100/161] Loss_D: 0.1092 Loss_G: 4.1640 D(x): 0.9465 D(G(z)): 0.0498
[73/100][150/161] Loss_D: 0.1066 Loss_G: 4.3517 D(x): 0.9540 D(G(z)): 0.0540
[74/100][0/161] Loss_D: 0.1483 Loss_G: 5.1025 D(x): 0.9793 D(G(z)): 0.1103 / 0.0093
[74/100][50/161] Loss_D: 0.7173 Loss_G: 0.0443 D(x): 0.5692 D(G(z)): 0.0125
[74/100][100/161] Loss_D: 0.3634 Loss_G: 3.2263 D(x): 0.7917 D(G(z)): 0.0735
[74/100][150/161] Loss_D: 0.2154 Loss_G: 3.3624 D(x): 0.8929 D(G(z)): 0.0752
[75/100][0/161] Loss_D: 0.1264 Loss_G: 4.6237 D(x): 0.9157 D(G(z)): 0.0310 / 0.0221
[75/100][50/161] Loss_D: 0.1923 Loss_G: 2.7573 D(x): 0.8573 D(G(z)): 0.0262
[75/100][100/161] Loss_D: 0.1317 Loss_G: 3.9437 D(x): 0.9481 D(G(z)): 0.0669
[75/100][150/161] Loss_D: 0.1306 Loss_G: 4.4124 D(x): 0.9735 D(G(z)): 0.0868
[76/100][0/161] Loss_D: 0.0938 Loss_G: 5.0034 D(x): 0.9776 D(G(z)): 0.0655 / 0.0104
[76/100][50/161] Loss_D: 0.1915 Loss_G: 2.4002 D(x): 0.8559 D(G(z)): 0.0259
[76/100][100/161] Loss_D: 0.1026 Loss_G: 4.5317 D(x): 0.9700 D(G(z)): 0.0643
[76/100][150/161] Loss_D: 0.1147 Loss_G: 3.9053 D(x): 0.9470 D(G(z)): 0.0541
[77/100][0/161] Loss_D: 0.1011 Loss_G: 4.2633 D(x): 0.9597 D(G(z)): 0.0541 / 0.0253
[77/100][50/161] Loss_D: 0.0887 Loss_G: 4.6375 D(x): 0.9728 D(G(z)): 0.0562
[77/100][100/161] Loss_D: 0.0826 Loss_G: 4.2337 D(x): 0.9461 D(G(z)): 0.0250
[77/100][150/161] Loss_D: 0.0932 Loss_G: 4.0861 D(x): 0.9401 D(G(z)): 0.0280
[78/100][0/161] Loss_D: 0.1024 Loss_G: 5.1864 D(x): 0.9738 D(G(z)): 0.0656 / 0.0104
[78/100][50/161] Loss_D: 0.0864 Loss_G: 3.9110 D(x): 0.9388 D(G(z)): 0.0206
[78/100][100/161] Loss_D: 0.0620 Loss_G: 4.8196 D(x): 0.9710 D(G(z)): 0.0303
[78/100][150/161] Loss_D: 0.0687 Loss_G: 4.3069 D(x): 0.9664 D(G(z)): 0.0324
[79/100][0/161] Loss_D: 0.0693 Loss_G: 5.4533 D(x): 0.9729 D(G(z)): 0.0370 / 0.0084
[79/100][50/161] Loss_D: 0.0881 Loss_G: 5.2084 D(x): 0.9922 D(G(z)): 0.0715
[79/100][100/161] Loss_D: 0.0857 Loss_G: 4.2052 D(x): 0.9442 D(G(z)): 0.0251
[79/100][150/161] Loss_D: 0.1021 Loss_G: 5.9619 D(x): 0.9894 D(G(z)): 0.0817
[80/100][0/161] Loss_D: 2.4322 Loss_G: 1.2583 D(x): 0.3416 D(G(z)): 0.3336 / 0.4737
[80/100][50/161] Loss_D: 1.4974 Loss_G: 1.3617 D(x): 0.6086 D(G(z)): 0.5139
[80/100][100/161] Loss_D: 1.9370 Loss_G: 0.8662 D(x): 0.2938 D(G(z)): 0.0352
[80/100][150/161] Loss_D: 0.8040 Loss_G: 1.7487 D(x): 0.6137 D(G(z)): 0.1075
[81/100][0/161] Loss_D: 0.3952 Loss_G: 3.6449 D(x): 0.7943 D(G(z)): 0.0909 / 0.0508
[81/100][50/161] Loss_D: 0.2043 Loss_G: 3.9878 D(x): 0.9095 D(G(z)): 0.0848
[81/100][100/161] Loss_D: 0.2725 Loss_G: 3.1655 D(x): 0.8523 D(G(z)): 0.0743
[81/100][150/161] Loss_D: 0.1928 Loss_G: 3.1379 D(x): 0.8844 D(G(z)): 0.0433
[82/100][0/161] Loss_D: 0.1546 Loss_G: 4.4513 D(x): 0.9753 D(G(z)): 0.1041 / 0.0185
[82/100][50/161] Loss_D: 0.2982 Loss_G: 6.0806 D(x): 0.9774 D(G(z)): 0.2057
[82/100][100/161] Loss_D: 0.1261 Loss_G: 5.1911 D(x): 0.9868 D(G(z)): 0.0928
[82/100][150/161] Loss_D: 0.1009 Loss_G: 4.1103 D(x): 0.9341 D(G(z)): 0.0291
[83/100][0/161] Loss_D: 0.1237 Loss_G: 5.0797 D(x): 0.9802 D(G(z)): 0.0905 / 0.0111
[83/100][50/161] Loss_D: 0.0962 Loss_G: 4.6482 D(x): 0.9671 D(G(z)): 0.0568
[83/100][100/161] Loss_D: 0.1077 Loss_G: 4.1587 D(x): 0.9498 D(G(z)): 0.0503
[83/100][150/161] Loss_D: 0.2150 Loss_G: 6.8076 D(x): 0.9492 D(G(z)): 0.1279
[84/100][0/161] Loss_D: 2.1903 Loss_G: 1.1071 D(x): 0.3666 D(G(z)): 0.2890 / 0.5252
[84/100][50/161] Loss_D: 1.7990 Loss_G: 3.8496 D(x): 0.8605 D(G(z)): 0.7010
[84/100][100/161] Loss_D: 0.3043 Loss_G: 4.4955 D(x): 0.8935 D(G(z)): 0.1364
[84/100][150/161] Loss_D: 0.3915 Loss_G: 3.8761 D(x): 0.7956 D(G(z)): 0.0883
[85/100][0/161] Loss_D: 0.2173 Loss_G: 4.1857 D(x): 0.9329 D(G(z)): 0.1190 / 0.0252
[85/100][50/161] Loss_D: 0.2039 Loss_G: 3.4358 D(x): 0.9060 D(G(z)): 0.0839
[85/100][100/161] Loss_D: 0.1272 Loss_G: 4.0672 D(x): 0.9551 D(G(z)): 0.0720
[85/100][150/161] Loss_D: 0.1463 Loss_G: 4.0033 D(x): 0.9070 D(G(z)): 0.0399
[86/100][0/161] Loss_D: 0.1140 Loss_G: 4.4025 D(x): 0.9770 D(G(z)): 0.0902 / 0.0105

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[80/100][0/161] Loss_D: 0.1145 Loss_G: 4.4223 D(x): 0.9770 D(G(z)): 0.0005 / 0.0195
[86/100][50/161] Loss_D: 0.0771 Loss_G: 4.3311 D(x): 0.9720 D(G(z)): 0.0441
[86/100][100/161] Loss_D: 0.1346 Loss_G: 3.8800 D(x): 0.9330 D(G(z)): 0.0583
[86/100][150/161] Loss_D: 0.0778 Loss_G: 4.6705 D(x): 0.9557 D(G(z)): 0.0302
[87/100][0/161] Loss_D: 0.0716 Loss_G: 4.5778 D(x): 0.9589 D(G(z)): 0.0278 / 0.0207
[87/100][50/161] Loss_D: 0.1281 Loss_G: 3.4883 D(x): 0.9009 D(G(z)): 0.0188
[87/100][100/161] Loss_D: 0.0489 Loss_G: 4.6324 D(x): 0.9844 D(G(z)): 0.0314
[87/100][150/161] Loss_D: 0.0826 Loss_G: 4.6818 D(x): 0.9791 D(G(z)): 0.0549
[88/100][0/161] Loss_D: 0.0758 Loss_G: 4.9387 D(x): 0.9878 D(G(z)): 0.0583 / 0.0136
[88/100][50/161] Loss_D: 0.0985 Loss_G: 5.4013 D(x): 0.9844 D(G(z)): 0.0734
[88/100][100/161] Loss_D: 0.0822 Loss_G: 4.3424 D(x): 0.9513 D(G(z)): 0.0299
[88/100][150/161] Loss_D: 0.1266 Loss_G: 3.6090 D(x): 0.8998 D(G(z)): 0.0157
[89/100][0/161] Loss_D: 0.0435 Loss_G: 4.8609 D(x): 0.9871 D(G(z)): 0.0293 / 0.0134
[89/100][50/161] Loss_D: 0.0622 Loss_G: 4.4689 D(x): 0.9709 D(G(z)): 0.0306
[89/100][100/161] Loss_D: 0.1817 Loss_G: 6.2353 D(x): 0.9939 D(G(z)): 0.1439
[89/100][150/161] Loss_D: 1.1168 Loss_G: 1.4523 D(x): 0.6006 D(G(z)): 0.3339
[90/100][0/161] Loss_D: 0.9074 Loss_G: 2.5720 D(x): 0.6910 D(G(z)): 0.2766 / 0.1229
[90/100][50/161] Loss_D: 0.2981 Loss_G: 3.6818 D(x): 0.8707 D(G(z)): 0.1009
[90/100][100/161] Loss_D: 0.1423 Loss_G: 4.8103 D(x): 0.9774 D(G(z)): 0.0995
[90/100][150/161] Loss_D: 0.2086 Loss_G: 3.5856 D(x): 0.8570 D(G(z)): 0.0343
[91/100][0/161] Loss_D: 0.1070 Loss_G: 4.4915 D(x): 0.9500 D(G(z)): 0.0505 / 0.0216
[91/100][50/161] Loss_D: 0.0994 Loss_G: 5.0027 D(x): 0.9790 D(G(z)): 0.0698
[91/100][100/161] Loss_D: 0.1200 Loss_G: 4.1215 D(x): 0.9196 D(G(z)): 0.0309
[91/100][150/161] Loss_D: 0.0760 Loss_G: 4.5070 D(x): 0.9557 D(G(z)): 0.0281
[92/100][0/161] Loss_D: 0.0602 Loss_G: 4.7300 D(x): 0.9677 D(G(z)): 0.0255 / 0.0203
[92/100][50/161] Loss_D: 0.0678 Loss_G: 4.7170 D(x): 0.9688 D(G(z)): 0.0332
[92/100][100/161] Loss_D: 0.0812 Loss_G: 5.2247 D(x): 0.9882 D(G(z)): 0.0631
[92/100][150/161] Loss_D: 0.0717 Loss_G: 4.3838 D(x): 0.9480 D(G(z)): 0.0161
[93/100][0/161] Loss_D: 0.0728 Loss_G: 4.8076 D(x): 0.9888 D(G(z)): 0.0567 / 0.0128
[93/100][50/161] Loss_D: 0.0613 Loss_G: 4.8884 D(x): 0.9711 D(G(z)): 0.0298
[93/100][100/161] Loss_D: 0.0775 Loss_G: 4.3596 D(x): 0.9494 D(G(z)): 0.0232
[93/100][150/161] Loss_D: 2.3133 Loss_G: 0.5577 D(x): 0.2486 D(G(z)): 0.0843
[94/100][0/161] Loss_D: 0.5694 Loss_G: 2.6833 D(x): 0.7198 D(G(z)): 0.0758 / 0.1508
[94/100][50/161] Loss_D: 0.2332 Loss_G: 3.8332 D(x): 0.8611 D(G(z)): 0.0521
[94/100][100/161] Loss_D: 0.1141 Loss_G: 4.3357 D(x): 0.9201 D(G(z)): 0.0232
[94/100][150/161] Loss_D: 0.0864 Loss_G: 4.8479 D(x): 0.9688 D(G(z)): 0.0481
[95/100][0/161] Loss_D: 0.0527 Loss_G: 5.0035 D(x): 0.9758 D(G(z)): 0.0266 / 0.0148
[95/100][50/161] Loss_D: 0.0940 Loss_G: 4.5648 D(x): 0.9534 D(G(z)): 0.0416
[95/100][100/161] Loss_D: 0.0635 Loss_G: 4.9686 D(x): 0.9572 D(G(z)): 0.0182
[95/100][150/161] Loss_D: 0.1063 Loss_G: 4.8353 D(x): 0.9793 D(G(z)): 0.0735
[96/100][0/161] Loss_D: 0.0667 Loss_G: 5.0134 D(x): 0.9564 D(G(z)): 0.0198 / 0.0153
[96/100][50/161] Loss_D: 0.0652 Loss_G: 4.5096 D(x): 0.9648 D(G(z)): 0.0269
[96/100][100/161] Loss_D: 0.0843 Loss_G: 4.9425 D(x): 0.9729 D(G(z)): 0.0510
[96/100][150/161] Loss_D: 0.0773 Loss_G: 4.1287 D(x): 0.9607 D(G(z)): 0.0339
[97/100][0/161] Loss_D: 0.0507 Loss_G: 4.7642 D(x): 0.9808 D(G(z)): 0.0298 / 0.0143
[97/100][50/161] Loss_D: 0.0654 Loss_G: 4.8765 D(x): 0.9732 D(G(z)): 0.0322
[97/100][100/161] Loss_D: 0.0806 Loss_G: 4.6489 D(x): 0.9755 D(G(z)): 0.0509
[97/100][150/161] Loss_D: 0.0666 Loss_G: 4.2086 D(x): 0.9540 D(G(z)): 0.0180
[98/100][0/161] Loss_D: 0.0713 Loss_G: 4.8351 D(x): 0.9633 D(G(z)): 0.0313 / 0.0159
[98/100][50/161] Loss_D: 0.0673 Loss_G: 4.6903 D(x): 0.9570 D(G(z)): 0.0217
[98/100][100/161] Loss_D: 0.0615 Loss_G: 4.7208 D(x): 0.9559 D(G(z)): 0.0149
[98/100][150/161] Loss_D: 0.0397 Loss_G: 5.5651 D(x): 0.9794 D(G(z)): 0.0180
[99/100][0/161] Loss_D: 0.0596 Loss_G: 5.5022 D(x): 0.9899 D(G(z)): 0.0461 / 0.0072
[99/100][50/161] Loss_D: 0.0480 Loss_G: 5.4659 D(x): 0.9854 D(G(z)): 0.0309
[99/100][100/161] Loss_D: 1.6554 Loss_G: 2.0721 D(x): 0.6630 D(G(z)): 0.5826
[99/100][150/161] Loss_D: 1.4941 Loss_G: 1.1523 D(x): 0.5356 D(G(z)): 0.4741

```

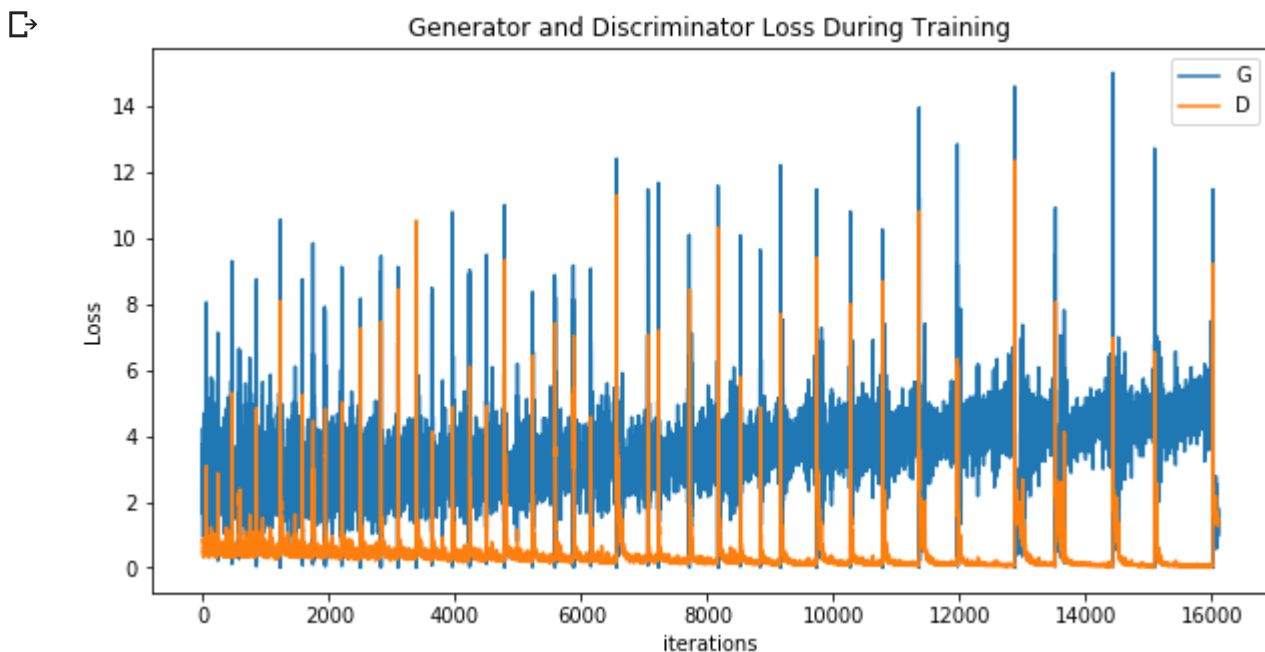

▼ Results

Finally, let's check out how we did. Here, we will look at three different results. First, we will see how D changed during training. Second, we will visualize G's output on the fixed_noise batch for every epoch. We will look at a batch of real data next to a batch of fake data from G.

Loss versus training iteration

Below is a plot of D & G's losses versus training iterations.

```
plt.figure(figsize=(10,5))
plt.title("Generator and Discriminator Loss During Training")
plt.plot(G_losses, label="G")
plt.plot(D_losses, label="D")
plt.xlabel("iterations")
plt.ylabel("Loss")
plt.legend()
plt.show()
```



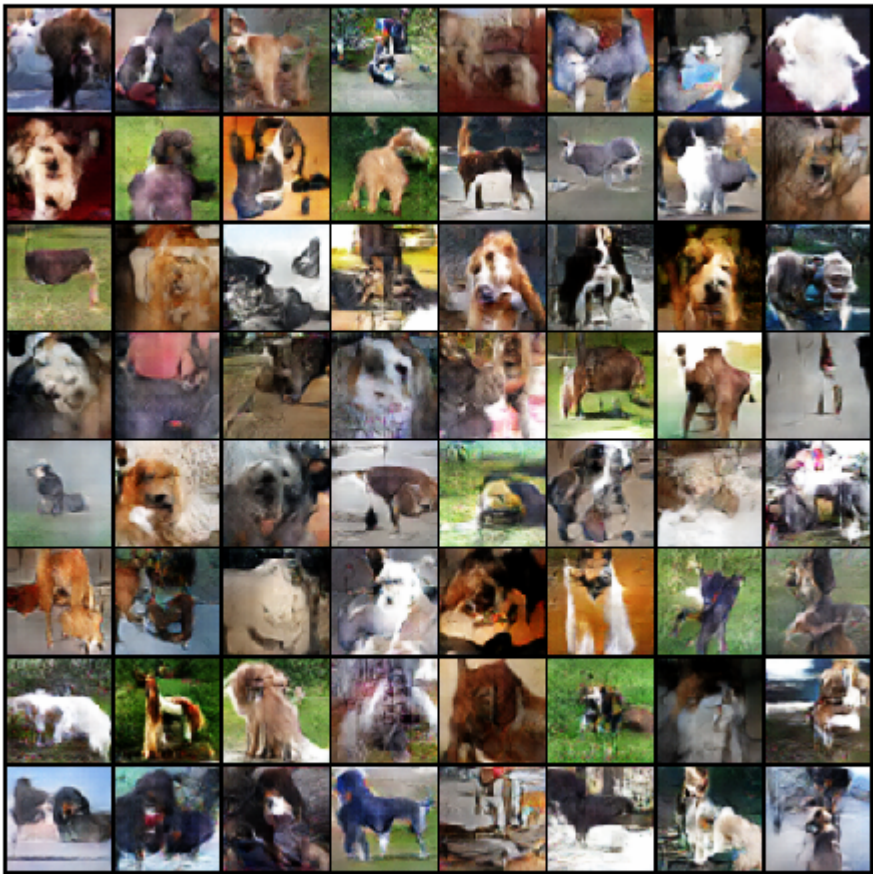
Visualization of G's progression

Remember how we saved the generator's output on the fixed_noise batch after every epoch of training. Visualize the training progression of G with an animation. Press the play button to start the animation.

```
#%%capture
fig = plt.figure(figsize=(8,8))
plt.axis("off")
ims = [[plt.imshow(np.transpose(i,(1,2,0)), animated=True)] for i in img_list]
ani = animation.ArtistAnimation(fig, ims, interval=1000, repeat_delay=1000, blit=True)

HTML(ani.to_jshtml())
```

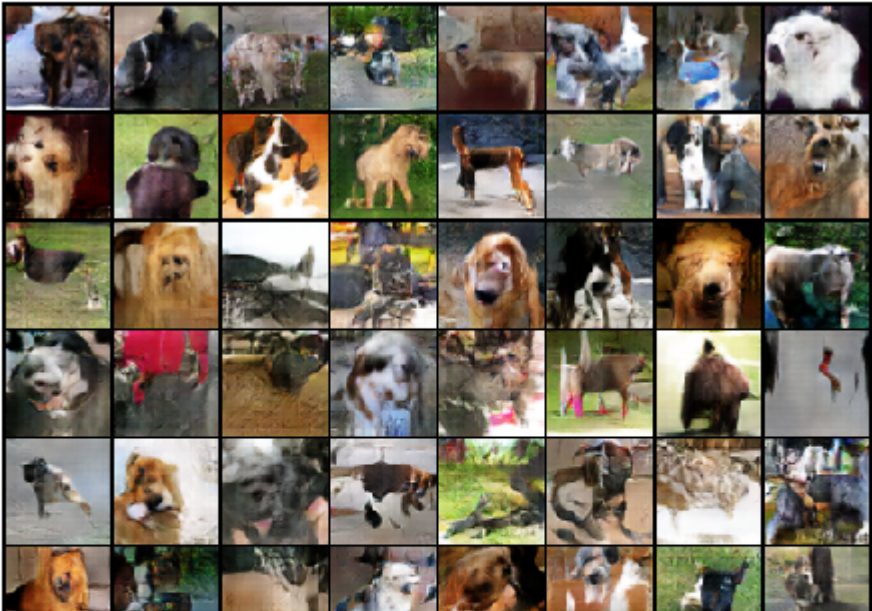




Slider control with a play button icon.

Navigation buttons: - (minus), << (previous), < (previous), < (previous), || (play/pause), > (next), > (next), >> (next), + (plus).

Radio buttons: ☐ Once ☒ Loop ☐ Reflect





Real Images vs. Fake Images

Finally, lets take a look at some real images and fake images side by side.

```
# Grab a batch of real images from the dataloader
real_batch = next(iter(dataloader))

# Plot the real images
plt.figure(figsize=(15,15))
plt.subplot(1,2,1)
plt.axis("off")
plt.title("Real Images")
plt.imshow(np.transpose(vutils.make_grid(real_batch[0].to(device)[:64], padding=5, normalize=True)).cpu().data, [0, 1, 2]))

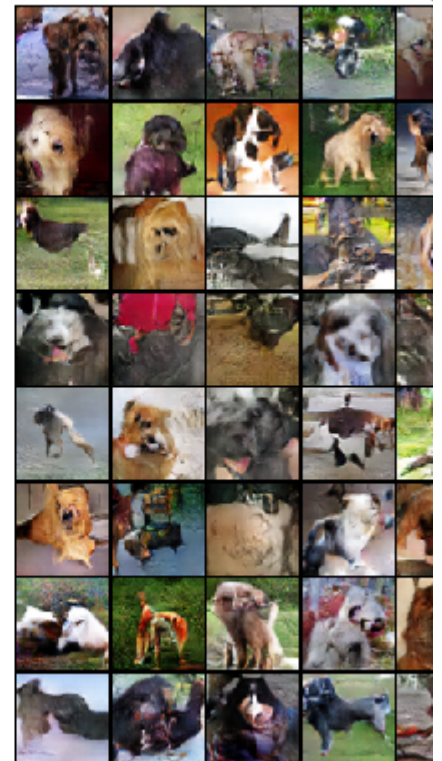
# Plot the fake images from the last epoch
plt.subplot(1,2,2)
plt.axis("off")
plt.title("Fake Images")
plt.imshow(np.transpose(img_list[-4], (1,2,0)))
plt.show()
```



Real Images



Fake Images



▼ Where to Go Next

We have reached the end of our journey, but there are several places you could go from here. You could

- Train for longer to see how good the results get
- Modify this model to take a different dataset and possibly change the size of the images and the architecture
- Check out some other cool GAN projects here <<https://github.com/nashory/gans-awesome-ai>>
- Create GANs that generate music <<https://deeprind.com/blog/generate-competitive-models>>