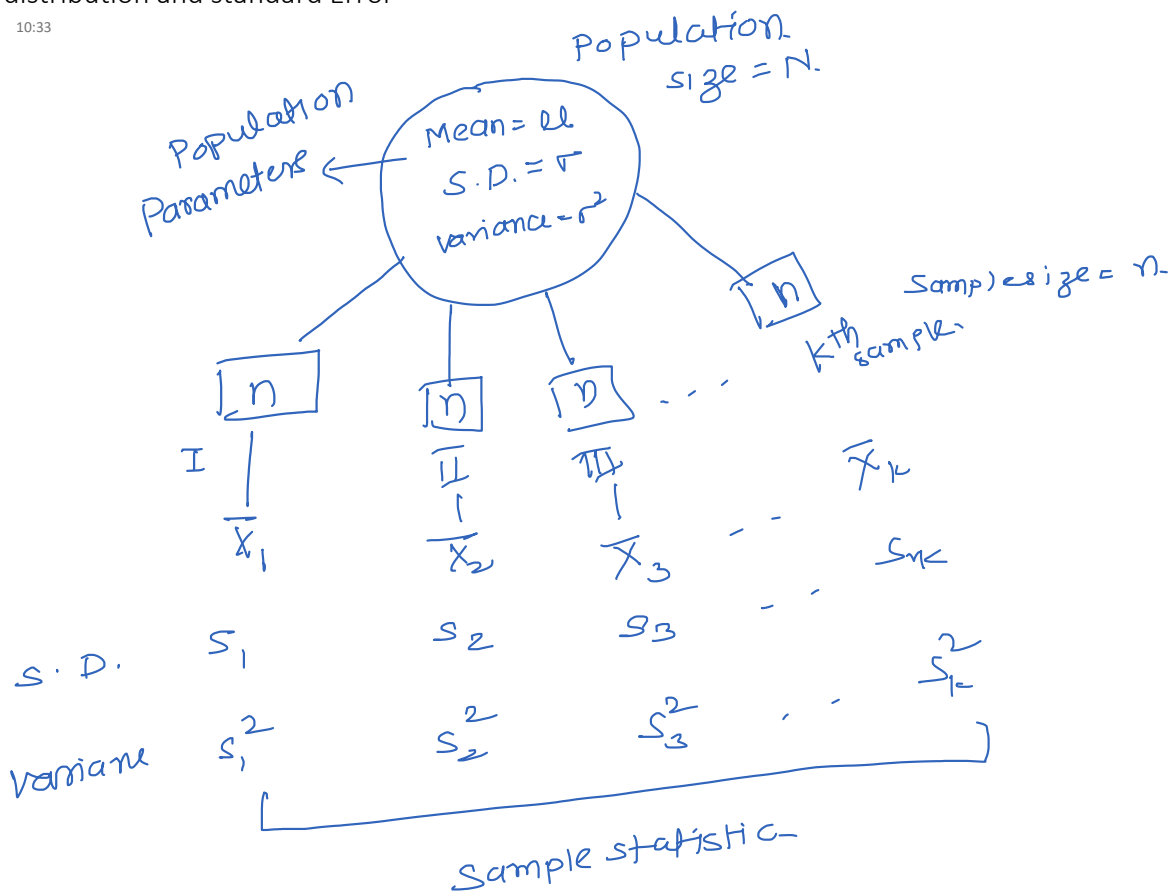


Sampling distribution and standard Error

19 January 2022 10:33

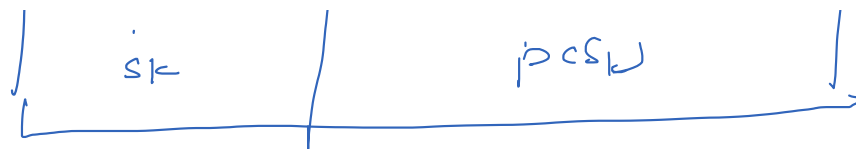


Sample Mean	probability of sample mean
\bar{x}_1	$P(\bar{x}_1)$
\bar{x}_2	$P(\bar{x}_2)$
\vdots	\vdots
\bar{x}_k	$P(\bar{x}_k)$

sampling distribution of mean

S.D.	probability S.D.
s_1	$P(s_1)$
s_2	$P(s_2)$
\vdots	\vdots
s_k	$P(s_k)$

← sampling distribution of S.D.



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Standard Error

Defn: standard deviation of sampling distribution of a statistic is known as standard error.

S.E is different for every distribution.

statistic	standard error
1) Sample Mean, \bar{X}	$\frac{\sigma}{\sqrt{n}}$ → s.d. of population \sqrt{n} → sample size
2) sample s.d. S	$\sqrt{\frac{\sigma^2}{2n}}$
3) sample variance S^2	$\sigma^2 \sqrt{2/n}$
4) p & population proportion and $q = 1 - p$	
n_1 & n_2 sizes of two independent random samples.	

sample proportion p

$$\sqrt{pq/n}$$

5) difference of two sample $(\bar{X}_1 - \bar{X}_2)$ means

$$\sqrt{\frac{\sigma_1^2}{n_1} + \frac{\sigma_2^2}{n_2}}$$

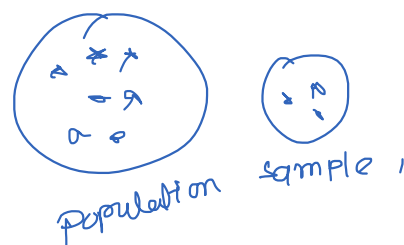
6] difference of two
Sample s.d. (s_1, s_2)

$$\sqrt{\frac{s_1^2}{2n_1} + \frac{s_2^2}{2n_2}}$$

Sampling with and without replacement

population size = N

sample size = n



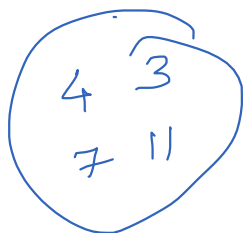
① sampling with replacement
 $s.d. = N$ sample = n
 total no. of samples = N^n

② without replacement :-
 total no of samples : $N C_n$

for example : $N = 4, n = 2$.

With replacement

total no of possible sample of size 2
 $= 4^2 = 16$



without replacement

total no of possible samples of size 2
 $4 C_2 = \frac{4!}{2!2!} = 6$

possible samples without replacement = 6

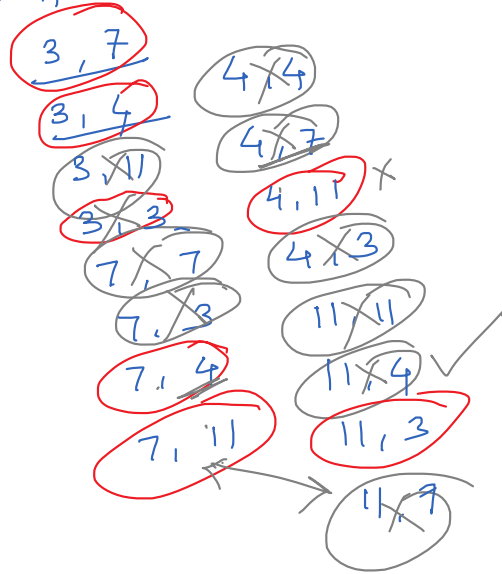
$N = 4$
 $n = 2$

possible $\rightarrow 4, 11, 11$

$$Q \quad \begin{array}{l} N = 4 \\ n = 2 \\ \hline 4^2 = 16 \end{array}$$

Sample values

3 7
4 11



Statistical Inference

