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S. No.	Date	Title	Page No.	Teacher's Sign / Remarks
1)	24-09-2024	TIC-TAC-TOE IMPLEMENTATION	10	8
2)	01-10-2024	VACUUM CLEANER AGENT	10	8
3)	08-10-2024	8-Puzzle Problem	10	8
4)	15-10-2024	ITERATIVE DEEP SEARCH ALGORITHM A* ALGORITHM (Solution for 8-puzzle problem)	9	8
5)	22-10-2024	SIMULATED ANNEALING	10	8
6)	29-10-2024	NOUGENS PROBLEM → A* ALGORITHM → HILL CLIMBING ALGORITHM	10	8
7)	12-11-2024	KNOWLEDGE BASE ENTAILMENT	10	8
8)	19-11-2024	FIRST ORDER LOGIC	10	8
9)	3-12-2024	FORWARD CHAINING BACKWARD CHAINING ALPHA-BETA PRUNING (Clarification questions correct)	9	8
10)	17-12-2024	ADDITIONAL QUESTIONS → for, ALPHA-BETA PRUNING, Forward & Backward Chaining		8

24th September, 2024 Tuesday — Laboratory 1

- 1) Implement the Tic-Tac-Toe Game, after having written an algorithm for the same.

Algorithm for the Tic-Tac-Toe Game

Step 1: Initialize the Game Board:

Create a 3×3 matrix (two-dimensional array) with empty values

Step 2: Display Board Function

Function prints the current state of the board.

Step 3: User Input Function

Function allows the user to input their move.

Step 4: Win Checker Function

Function to check if a player has won the game

Step 5: Draw Checker Function

Function to check if there is a condition for draw — the board is full and there can be no winner.

Step 6: Algorithm for the Computer's Move:

Conditions of draw.

X	O	O
X	O	X
O	X	O

similarly.

Step 7: Main Game Loop:

while the game is going on.

{ Step ② ; Step ③ ; Step ④ , Step ⑤ , Step ⑥ , Step ⑦ }

Source code (in python):

```
import random  
board = [[0, 0, 0, 0], [1, 1, 1, 1], [1, 1, 1, 1], [1, 1, 1, 1]]  
  
def print_board():  
    for row in board:  
        print(" | ".join(cell if cell != 0 else " " for cell in row))  
        print("- * 4")  
  
def start():  
    print("Welcome to tic-tac-toe!")  
    random_num = random.randint(0, 1)  
    if random_num == 0:  
        print("Player plays first.")  
    else:  
        print("Computer plays first.")  
        computer_plays()  
  
    while True:  
        if random_num == 0:  
            player_plays()  
            if check_won('X'): return  
                print("Player won!")  
                return  
            random_num = 1  
        else:  
            computer_plays()  
            if check_won('O'): return  
                print("Computer won!")  
                return  
            random_num = 0
```

```
if board_full():
    print_board()
    print("Draw!")
    return
```

```
def check_win(player):
```

```
win = [
```

```
[(0, 0), (0, 1), (0, 2)],
```

```
[(1, 0), (1, 1), (1, 2)],
```

```
[(2, 0), (2, 1), (2, 2)],
```

```
[(0, 0), (1, 0), (2, 0)],
```

```
[(0, 1), (1, 1), (2, 1)],
```

```
[(0, 2), (1, 2), (2, 2)],
```

```
[(0, 0), (1, 1), (2, 2)],
```

```
[(0, 2), (1, 1), (2, 0)],
```

```
]
```

```
for win in wins:
```

```
    if all([board[x][y] == player for x, y in win]):
```

```
        return True
```

```
return False
```

```
def player_plays():
```

```
    print_board()
```

```
    while True:
```

```
        try:
```

```
            a, b = map(int, input("Enter the co-ordinates (row and  
column 0-2, e.g. '0 1'): ").split())
```

```
            if board[a][b] == ' ':
```

```
                board[a][b] = 'X'
```

```
                break
```

```
        else:
```

```
            print("Cell already taken. Try again")
```

```
    except (ValueError, IndexError):
```

print('Invalid Input. Please enter co-ordinates in the format
row-column!')

def computer_plays():

 move = algo(board, 'O')

 board[move[0]][move[1]] = 'O'

def algo(board, current_player):

 if check_win('X'):

 return -1, None

 if check_win('O'):

 return 1, None

 elif board_full():

 return 0, None

 if current_player == 'O':

 best_score = -float('inf')

 best_move = None

 for i in range(3):

 for j in range(3):

 if board[i][j] == ' ':

 board[i][j] = 'O'

 score = algo(board, 'X')

 board[i][j] = ' '

 if score > best_score:

 best_score = score

 best_move = (i, j)

 return best_score, best_move

 else:

 best_score = float('-inf')

 best_move = None

 for i in range(3):

 for j in range(3):

 if board[i][j] == ' ':

 board[i][j] = 'X'

score, - = eval(board, 'O')

best[i][j] = ''

If score < best score

best score = score

best move = (i, j)

return best score, best move

def board_full():

return all(all[i] == '' for row in board for col in row)

start()

me do

(row 0 = board[0].split(' '))

(row 1 = board[1].split(' '))

(row 2 = board[2].split(' '))

(row 3 = board[3].split(' '))

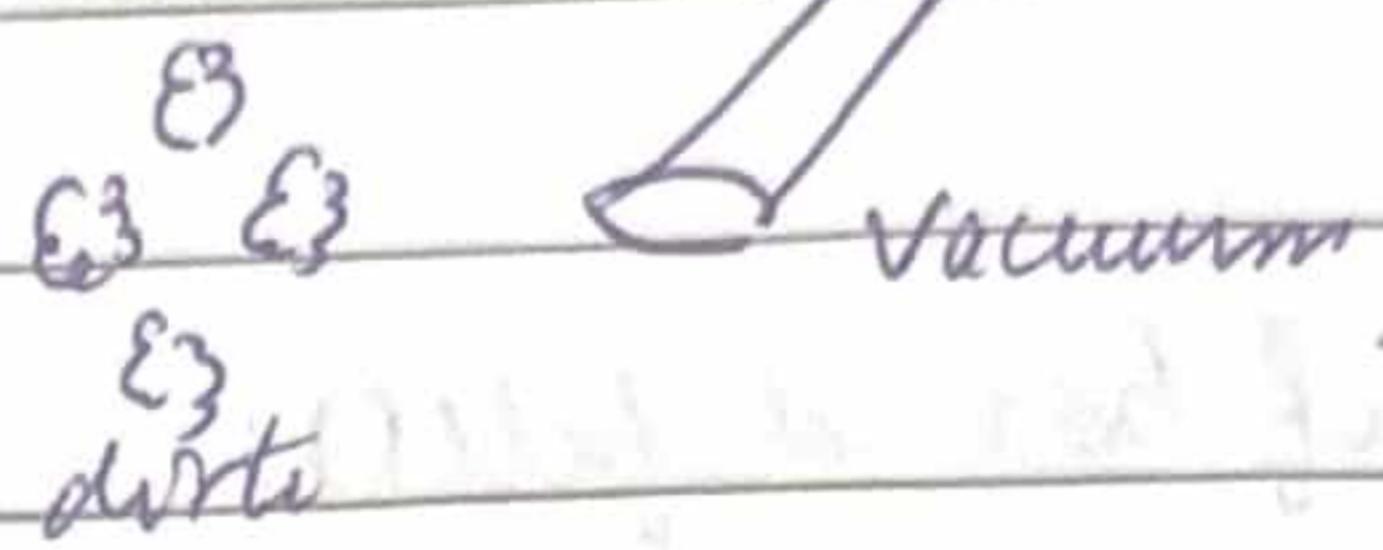
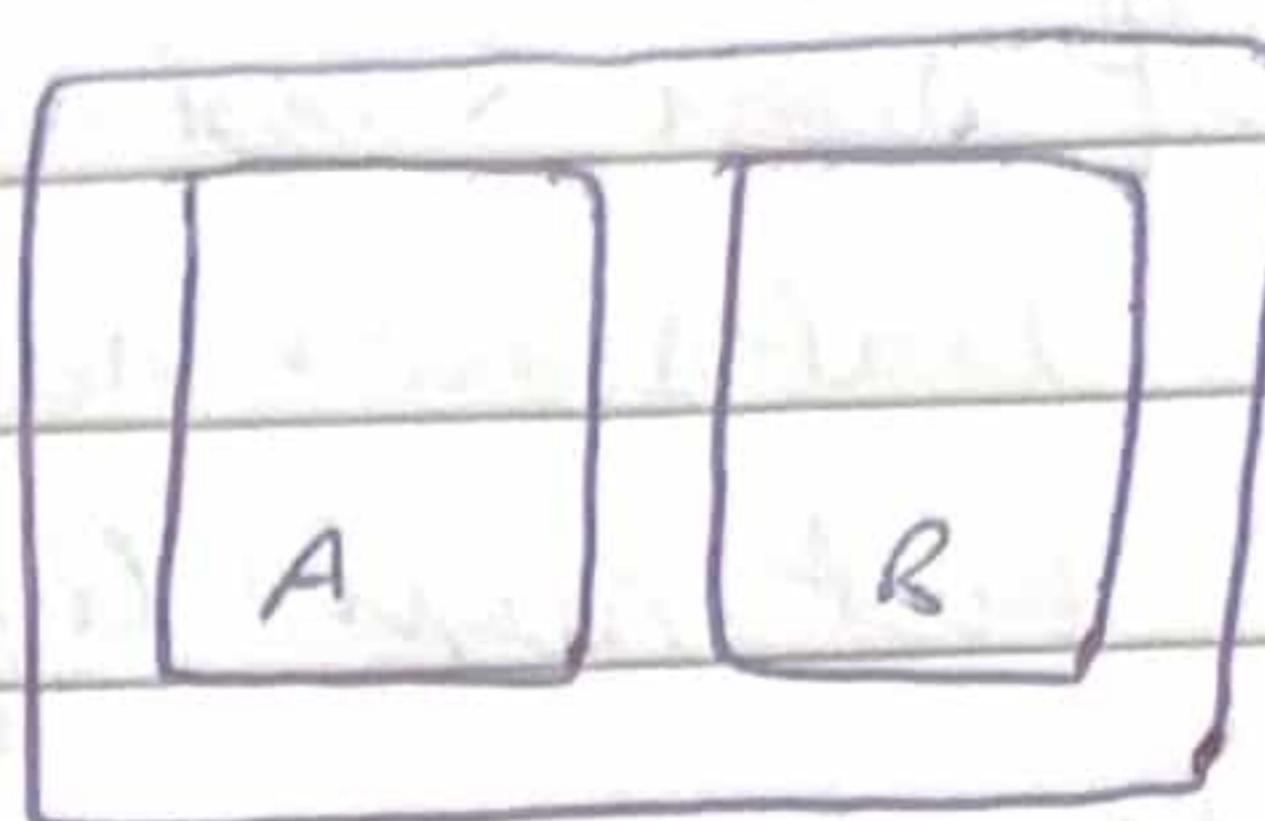
(row 4 = board[4].split(' '))

that's it

conditional cases for white and black

1st October, 2024 Tuesday Laboratory - 2

2) Implement the working of vacuum cleaner agent for two rooms.



Algorithm for implementing the vacuum cleaning for two rooms
A and B

Step 1: Input the data from sensors whether the room is dirty or clean

Step 2: while (room != clean)

{

 if (current room = dirty)

 clean();

 else if (current room = clean)

 {

 if (agentpresentin = room A)

 move right;

 else if (agentpresentin = room B)

 move left;

}

}

Step 3: Output the status of room cleanliness

Percept Sequence

[A, clean]

right



[A, dirty]

suck

[B, clean]

left

[B, dirty]

suck

[A, clean]	[A, clean]	left
[A, clean]	[A, dirty]	suck
[B, clean]	[B, clean]	right
[B, clean]	[B, dirty]	suck
[A, clean]	[B, clean]	exit

~~8/11/10/24~~

Source Code (in python)

class VacuumCleaner:

def __init__(self):

self.rooms = {'A': 'dirty', 'B': 'dirty', 'C': 'dirty', 'D': 'dirty'}

All rooms start dirty

self.position = 'A' # start from A

self.room_order = ['A', 'B', 'C', 'D'] # order of the rooms

self.current_index = 0 # start with first room in list

def states(self):

print(f"Current Position: {self.position}")

for room, state in self.rooms.items():

print(f"Room {room}: {state}")

def suck(self):

if self.rooms[self.position] == 'dirty':

self.rooms[self.position] = 'clean'

print(f"Sucking in room {self.position}. Room {self.position} is now clean.")

else:

print(f"Room {self.position} is already clean.")

def move_clockwise(self):

self.current_index = (self.current_index + 1) % len(self.rooms)
self.position = self.room_order[self.current_index]
print(f"moved clockwise to room {self.position}.")

def move_cantclockwise(self):

self.current_index = (self.current_index - 1) % len(self.rooms)
self.position = self.room_order[self.current_index - 1]
print(f"Moved counterclockwise to room {self.position}.")

def run(self):

while 'dirty' in self.rooms_values():

self.suck()

if self.rooms['self.position'] == 'dirty'

self.suck()

else

if self.position == 'D'

self.move_clockwise()

else

self.move_clockwise() #

otherwise:

print("All rooms are clean!")

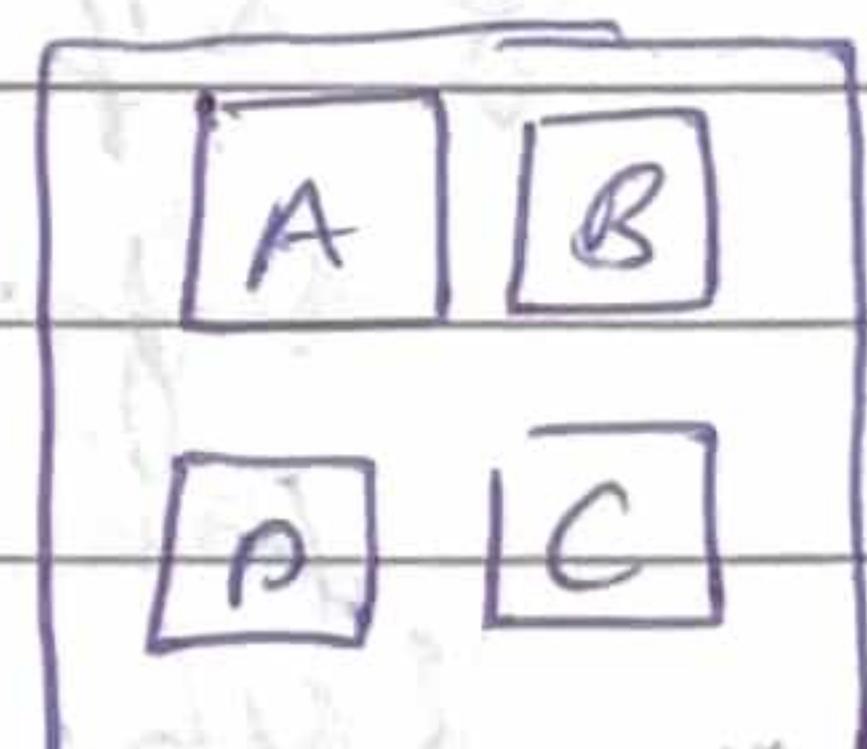
You can move the vacuum cleaner based on your preference
of choice.

if -name == '-main':

vacuum = VacuumClass()

vacuum.run()

Solved
-1/10/24



rooms

3) Solve the 8 puzzle problem using

- (a) Depth First Search
- (b) Manhattan Distance

Algorithm for the 8 puzzle problem using Depth First Search
& Manhattan Distances

Step 1: Initialize the start and goal states:

Refine the initial puzzle configuration and two goal configuration.

Step 2: Find the blank/empty tile:

Locate the position of the blank/empty tile.

Rough work:

8	2	6
3		7
1	4	5

Blank tile is in Number of moves
middle : 4
edge : 3
column : 2

Step 3: Check if the current state is the goal state:

Comparison of the current puzzle state with the goal configuration. If they match, the puzzle is solved.

Step 4: Explore possible moves as shown in the rough work
(Right, down, left, up)

Step 5: Recursively Explore the new states:

DFS:

- Explore each branch before backtracking
- Generates moves by sliding tiles and explores possible moves
- Manhattan Distance:
 - Heuristic: calculates the sum of absolute differences between the current positions of the tile versus the final position tile

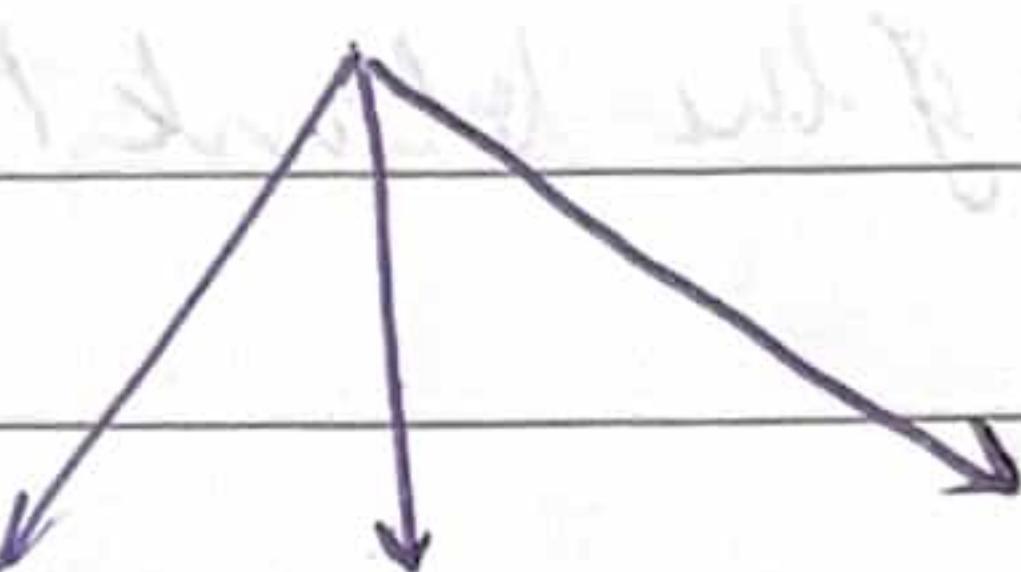
Step 6: Backtracking if and only if no solution is found

Step 7: End when the goal state is reached or all possibilities are exhausted.

Example:

Depth First Search

5	8	3
0	2	1
7	6	4



0 8 3	5 8 3	5 8 3
5 2 1	7 2 1	2 0 1
7 6 4	0 6 4	7 6 4

8 0 3	5 8 3
5 2 1	0 2 1
7 6 4	7 6 4

All possible cases are checked and verified.

Manhattan Distance

3	1	2
4	0	8
5	7	6

3	0	2	3	1	2	8	1	2
4	1	8	4	8	0	4	7	8
5	7	6	5	7	6	5	0	6

All possible cases are checked and verified.

~~Some P/B~~

15th October, 2024. Tuesday Laboratory - 4

4) Implement the following algorithms:

(i) Iterative deepening search algorithm

(ii) A*

Algorithms:

Iterative Deepening Search algorithm / Iterative Deepening

Depth first search Algorithm.

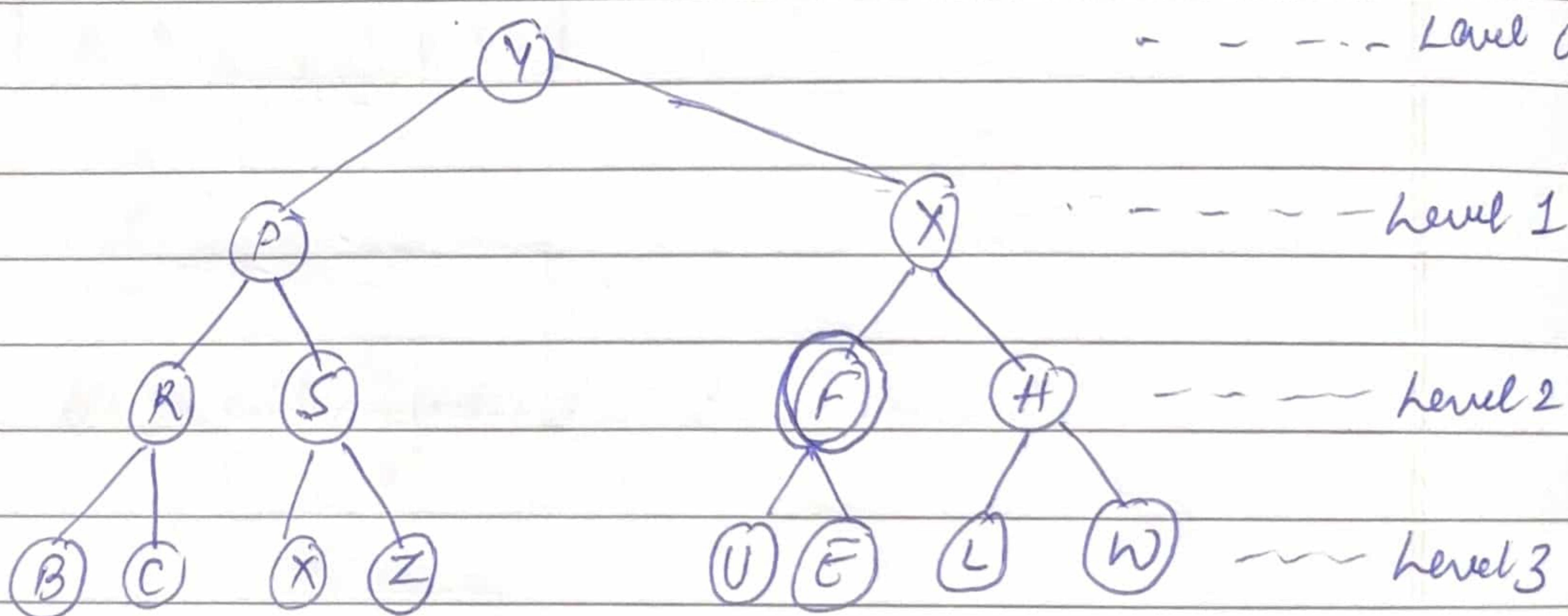
Step 1: Initialize with depth limit = 0

Step 2: Perform Depth First Search algorithm upto the current level / depth limit.

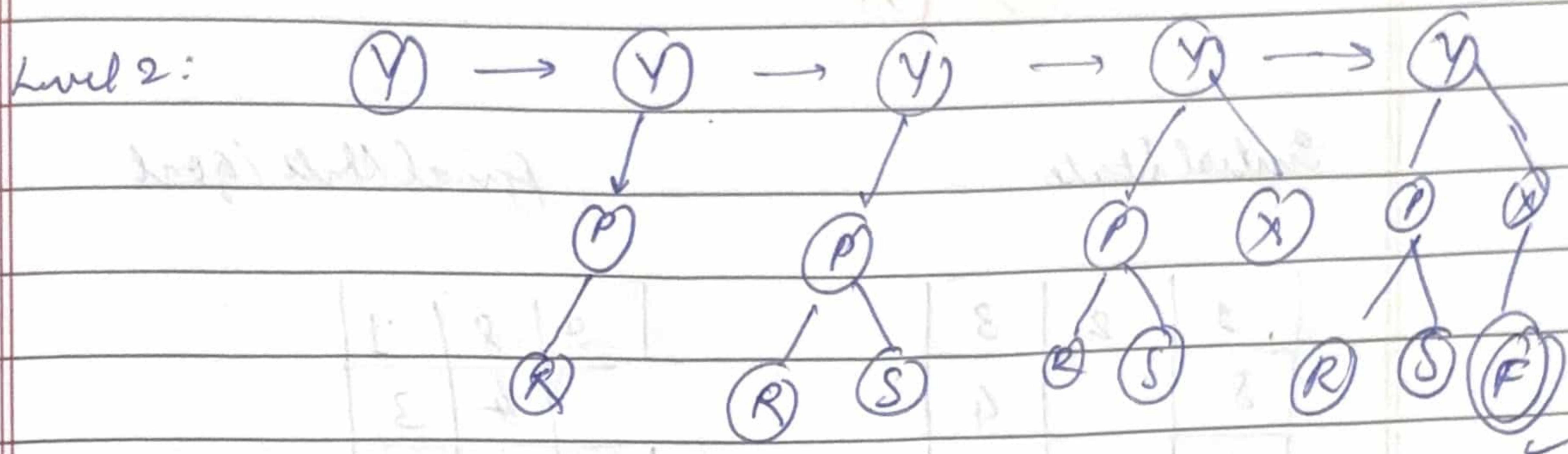
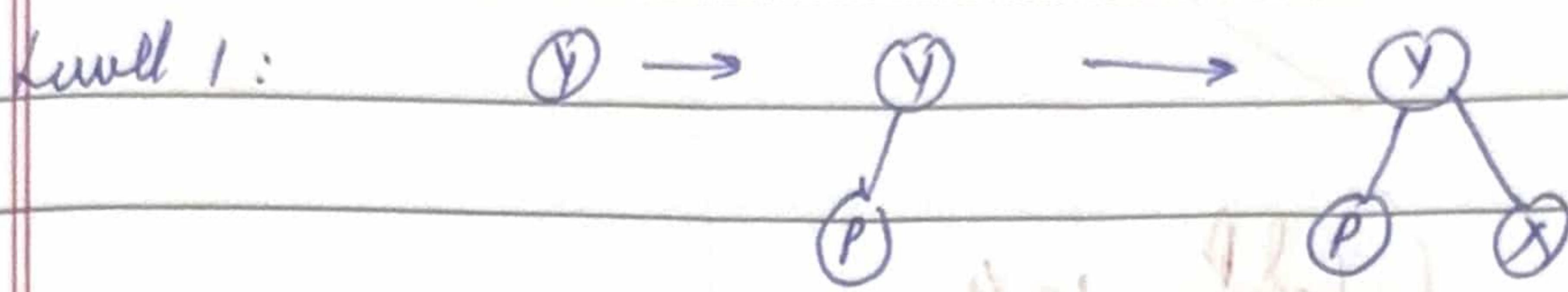
Step 3: If a solution is found, return it.

Step 4: If no solution is found, increment the depth limit and repeat the depth first search algorithm from the start

Step 5: Continue until a solution is found or all the levels are explored.



level 0: 



Found final state A.

A* Algorithm

- Step 1: Initialize the open list: the set of all nodes to be evaluated with the start node and closed list: set of already evaluated nodes a/c
- Step 2 while (open list != empty)
- select the node with the lowest f(n) value from the open list
 - If the selected node is goal, reconstruct and the path is returned
 - else, move it to the closed list
 - for every neighbour of the current node:
 - If the neighbour is in the closed list, ignore it.
 - If the neighbour is not in the open list, add it and compute its f(n) score
 - If the neighbour is in the open list but a better f(n) value is found, update its score & parent

Write a program to implement Simulated Annealing Algorithm.
 Write the complete program and define the objective function.
 Also, execute a program considering the temperature and include
 valid comment lines to indicate the flow of the program.

Simulated Annealing Algorithm :- Optimization Tech

Step 1: Initialize Parameters:

- Set an initial solution S
- Define an initial temperature T
- Set cooling rate α ($0 < \alpha < 1$) and minimum temperature T_{min}
- Define a maximum number of iterations per temperature

Step 2: Evaluate Initial/Solution:

Calculate the cost/energy $E(S)$ of the initial solution

Step 3: while ($T > T_{min}$)

For each iteration i in the maximum iterations:

- Generate a new solution S' by making a small random change to S .
- Calculate the $E(S')$ of the new solution.
- If $E(S') < E(S)$:

Accept the new solution S' as the current solution
 (set $S = S'$)

- Else, calculate the probability of accepting S' :

$$P = e^{-\frac{E(S) - E(S')}{kT}}$$

If a random number ' r ' from uniform distribution $[0, 1]$
 is less than P .

- Cool the temperature:

$$T' = \alpha T$$

Step 4: Return the Best Solution found.

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Output:

Iteration 0, Temperature 10.000, Best Evaluation 23.63658

Iteration 100, Temperature 0.099, Best Evaluation 9.01327

Iteration 200, Temperature 0.050, Best Evaluation 8.95493

Iteration 300, Temperature 0.033, Best Evaluation 8.95493

Iteration 400, Temperature 0.025, Best Evaluation 8.95493

Iteration 500, Temperature 0.020, Best Evaluation 8.95493

Iteration 600, Temperature 0.017, Best Evaluation 8.95493

Iteration 700, Temperature 0.014, Best Evaluation 8.95493

Iteration 800, Temperature 0.012, Best Evaluation 8.95493

Iteration 900, Temperature 0.011, Best Evaluation 8.95493

Best Solution: [-0.001933905593371077, 2.9843731809163994]

Best Err: 8.9549229764884854.

✓ Dr. Bal B
Dr. - 28/10/24

For the ($N=8$) Queens Puzzle, implement this using the following algorithms:

(i) A*

(ii) Hill Climbing Algorithm

A* Algorithm to solve the ($N=8$) queens Problem.

Step 1: Create a 8×8 chessboard in the initial state

Setup an open set to explore configurations

Setup a visited state to display different sets visited

Step 2: Calculate the number of attacking pairs that Queens should not be in the same row or same column or same diagonal

if $state[j] == state[j]$ or $abs(state[i] - state[j]) = j - i$

$state[j] = j - i$ // diagonal

attacks + = 1

Then we increment the variable attacks to determine attacking pairs.

open set : []

Step 3: Assign initial state to open state for the first iteration.

If the node is not visited, then first put it iteration. If the open set and will push the node to heap q (priority q)
 $heap\ q = heap_push(open\ set, Node(new\ state, q, h))$

Step 4: Total estimated cost $f = g + h$,

$g \rightarrow$ cost to reach the current state

$h \rightarrow$ number of attacks to reach goal state

Step 5: Main loop { remove the mode with lowest f

Step 6: Determination of the next row to place the queen

Step 7: Update g and calculate h

Hill climbing algorithm

Step 1: Create an array where each index x represents a column and the value represents the row position of the queen in that row.

```
int q[8];
```

$q = [\quad |]$

0 1 2 3 4 5 6 7

Step 2: Initialize a random state

$q = [\boxed{0} \boxed{2} \boxed{3} \boxed{4} \boxed{5} \boxed{6} \boxed{7}]$

0 1 2 3 4 5 6 7

Step 3: Store a heuristic value $h(n)$ where n represents the number of conflicting pairs in each state.

Step 4: Check for conflicting pairs:

```
conflict()
```

{

conflict = 0

for i ← 0 to 7 do

for j ← i + 1 to 7 do

if (board[i] == board[j])

conflict += 1

return conflict

Step 5: amount = conflict(board)

Step 6: for i ← 0 to 7 do

for j ← 0 to 7 do

board[i] = j

C = conflict(board)

```
if (c < current)
    { temp = current
      current = c,
    }
```

```
if (c == temp)
    return No Solution
```

```
if (c == 0)
    return current state
```

~~Done yet~~

Output:

First Solution found (with 0 attacking pawns)

```
... . . . ♗ . . .
. . . . . . . ♗ .
. ♗ . . . . . .
. . . . . . . ♗ .
. . ♗ . . . . .
. . . . ♗ . . .
. . . . . . . . ♗
```

~~Sleep~~
21/10/24

12th November, 2024. Tuesday Laboratory - 7

Entailment is a deduction or implication which follows by in accordance and accuracy with logic.

To derive these implications, rules of inference and logical equivalences are used (to derive relationships) between rules of truth functional values.

① Modus Ponens (MP)

$$P \rightarrow Q \quad (\text{If } P \text{ then } Q)$$

P is true, then Q is true

Example: $P \Rightarrow$ It is raining

$Q =$ Playground wet

If it is raining then playground will be wet.

② Modus Tollens (MT)

$$P \rightarrow Q, \neg Q \text{ Conclusion: } \neg P$$

(If p then q), (q is false)

If it is rainy, the ground will be wet, ground is not wet

It is not rainy.

③ Hypothetical Syllogism (HS)

$$P \rightarrow Q, Q \rightarrow R \therefore P \rightarrow R$$

R = Grass will grow

If it is rainy, the ground will be wet, the grass will grow

④ Disjunctive Syllogism (DS)

$$P \vee Q, \neg P \text{ Conclusion: } Q \text{ is true}$$

Q = If it is sunny

Either it is raining or sunnny

It is raining X

Then, it is sunnny

⑤ Bi-conditional:

If $P \rightarrow Q$ true, $P \rightarrow Q$ and $Q \rightarrow P$

(Conclusion)

$P \rightarrow Q$

$Q \rightarrow P$

⑥ Contradiction

P leads to a contradiction, $\neg P$ must be true

Raining & ground not wet.

(Conclusion): $\neg(P \wedge \neg Q)$

Solutions to the question given:

① Premises from the knowledge base:

P1: $M(A, B)$ Alice is the mommy of Bob

P2: $F(B, C)$ Bob is the daddy of Charlie

P3: $\forall x (F(x, y) \rightarrow P(x))$ if x is dad of y , x is parent of y

P4: $\forall x (M(mom)) \rightarrow P(x))$ " — " mom — , — \rightarrow ,

P5: All parents have children

$\forall x (P(x)) \rightarrow \exists y (C(x, y))$

$\forall x \forall y (P(x) \wedge C(x, y) \rightarrow S(y, z))$ (If x is a parent

P6: x has children y, z , sunny & goes to work

P7: Alice is named Linda

$Mom(A, o)$

② Hypothesis:
 $S(B, C)$

③ Entailment Process

$\hookrightarrow M(A, B) \quad P_1$

$\hookrightarrow F(B, C) \quad P_2$

$F(B, C) \rightarrow P(B) \quad P_3$ Conclusion

$M(A, B) \rightarrow P(A) \quad P_4$

$\hookrightarrow P(A) \rightarrow \exists y (C(A, y))$

Alice, a parent has children.

\hookrightarrow If someone is a parent, their children are siblings.

A and B are parents. Bob and Charlie are children
 Bob and Alice.

Hence, Bob and Charlie are siblings

④ Conclusion

$S(B, C)$ is entailed by knowledge base

~~checked~~
 18/11/2020

19th November, 2024 Thursday Laboratory - 8

Explanation of the Algorithm -

1) John is a human
Human (John)

2) Every Human is mortal.

$\forall x (\text{Human}(x) \rightarrow \text{Mortal}(x))$

3) Joseph loves Mary
Lover (Joseph, Mary)

4) There is someone who loves Mary
 $\exists x (\text{Lover}(x, \text{Mary}))$

5) All dogs are animals
 $\forall x (\text{Dog}(x) \rightarrow \text{Animal}(x))$

6) Some dogs are black
 $\exists x (\text{Dog}(x) \wedge \text{Black}(x))$

Unification: $Eats(x, \text{Apple})$

$Eats(\text{Riya}, y)$

= $Eats(\text{Riya}, \text{Apple})$

~~Proceeded~~
Sample:

Enter a sentence like

1) John is a human

2) Every Human is mortal

3) John loves Mary

4) There exists someone who loves Mary

~~False~~
Enter a sentence: Mary is the mother of Jesus

False

3rd December, 2024. Tuesday. Laboratory - 9

- Q: Create a knowledge base consisting of first order logic statements and prove the given query using forward reasoning.

Forward Chaining is one of the two methodologies using an inference engine which starts with a base state and uses the inference rules and available knowledge in the forward direction till it reaches the goal state.

As per law, it is crime for an American to sell weapons to hostile nation. Country A, enemy of America, has some missiles, and all the missiles were sold it by Robert, who is an American citizen."

Prove that "Robert is criminal."

Solution: / Proof

→ It is a crime for an American to sell weapons to hostile nation.
Let say p, q, and r are variables.

American(p) \wedge weapon(q) \wedge sells(p, q, r) \wedge
Hostile(n) \Rightarrow Criminal(p)

→ Country A has some missiles

$\exists x \text{ owns}(A, x) \wedge \text{missile}(x)$

Existential Instantiation thus introducing a new constant i
Gives (*i*, p)
missile (*t1*)

→ All of the missiles were sold to country A by Robert
 $\forall x \text{ Missile}(x) \wedge \text{owns}(A, x) \Rightarrow \text{sells}(\text{Robert}, x)$

→ Missiles are weapons
 $\text{Missile}(x) \Rightarrow \text{weapon}(x)$

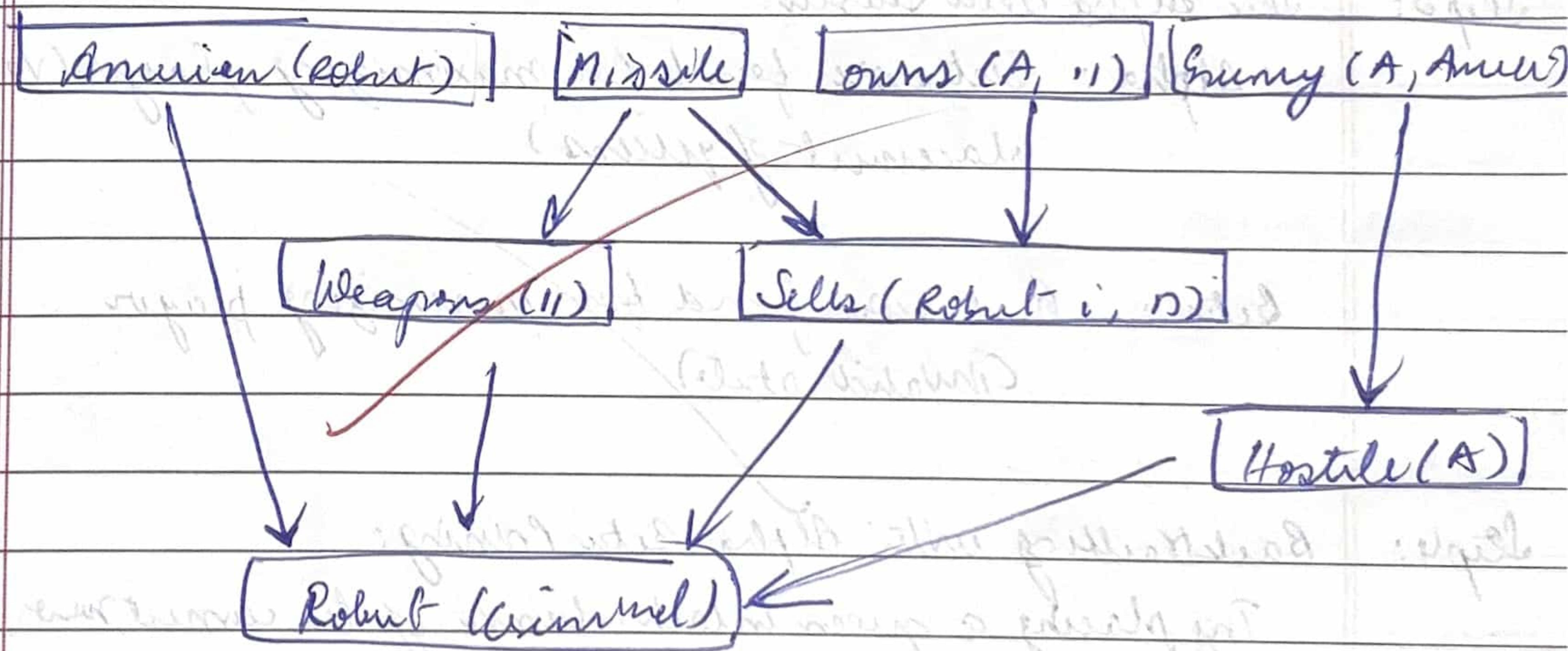
→ Enemy of America is known as hostile

$\text{Enemy}(x, \text{America}) = \text{Hostile}(x)$

→ Robert is an American

$\text{American}(\text{Robert})$

→ The country A, an enemy of America
 $\text{Enemy}(A, \text{America})$



8:

8 Queens Problem: Alpha Beta Pruning.

Algorithm:

Step 1: Initialize the board: Create an 8×8 board where each row will hold the column number of the queen placed in that row. Start with no queens placed: Board = $\{-1\}^8 \times 8$

Step 2: Define 'is-safe' function: check if the placing of a queen at (row, column) is safe; i.e. no two queens threaten each other.

Step 3: The Alpha Beta Search:

• Alpha: Best score found for maximizing player (valid placement of queen)

Beta: Best score found for minimizing player
(invalid state)

Step 4: Backtracking with Alpha Beta Pruning:

Try placing a queen in each column of the current row. Recursively place queens in subsequent rows.

Prune branches where further exploration is unnecessary (based on alpha and beta values)

Step 5: Return Solution: If solution is found, return the solution

Q: Minimax Algorithm for Tic Tac Toe

Step 1: Check if the game is over:

- If a player wins, return the score
 - * +1 for 'X' win
 - 1 for 'O' win
 - * 0 for a draw

If the board is full and no one has won, return (0) draw

Step 2: Maximizing player (X)

- Initialize the best score to -∞
- For each available move on the board
 - Make the move (place 'X')
 - Call the minimax function recursively, switching to the minimizing player (O)
 - Undo the move
 - Update the best score with the maximum value from the recursive call.
 - Return the best score

Step 3: Minimizing Player (O)

- Initialize the best score to ∞
- For each available move on the board.
 - Make the move (place 'O')
 - Call the minimax function recursively

} Similar to Step 2

*Sohail SB
3/12/24*

Step 4: Find the best move for the maximizing player (X)

- For each available move, evaluate move using minimax
- Return the move with highest score

17th December, 2024. Tuesday Lab no 10 pg - 80

1) Consider the following English statements

1. If someone suffers from allergies, then he/she sneezes
2. If someone lives with a cat and is allergic to cat, then he/she will suffer from allergies.
3. Tom is a cat
4. Mary is allergic to cats

Represent the above sentences in FOL and prove by FOL resolution

"Mary sneezes"

Or representation of the above premises in first order logic

1. allergic(x) \rightarrow sneeze(x)
2. cat(y) \wedge allergic_to_cats(x) \rightarrow allergic(x)
3. cat(Tom)
4. allergic_to_cats(Mary)

The goal state is sneeze(Mary)

- ~~allergic(x) \rightarrow sneeze(x)~~
- \neg allergic(x) \vee sneeze(x)
 - \neg (cat(y) \wedge allergic_to_cats(x)) \rightarrow \neg allergic(x)
 - \neg (cat(y) \wedge allergic_to_cats(x)) \rightarrow \neg allergic(x)
 - \neg (cat(y) \vee allergic_to_cats(x)) \rightarrow \neg allergic(x)

State Program to reach goals:

$\neg \text{Allergies}(w) \vee \text{Sneeze}(w)$

$\neg \text{Cat}(y) \vee \neg \text{Allergic to cat}(y)$
 $\vee \text{allergies}(y)$

w/z

$\neg \text{Cat}(y) \vee \text{Sneeze}(y) \quad \text{①} \quad \neg \text{Allergic to cat}(y) \quad \text{cat (Tom)}$

y/Tom

allergic to cats (May) Sneeze (y) \vee Allergic to cats (y)

z/May

Sneeze (May)

$\neg \text{Sneeze}(May)$

$$\begin{aligned} \therefore x + \bar{x} &= 1 \\ x \cdot \bar{x} &= 0 \end{aligned}$$

{ }

- Q) Consider the first order logic (FOL) representations for the following sentences
- Every real number has its corresponding negative
 - Everybody loves somebody
 - There is somebody whom no one loves
 - See an brought everything that Ronaldo brought
 - Pavot is green while rabbit is not.

Q) Find a most general unifier for the set

$$W = \{ p(a, \alpha, f, (g(y))), p(z, f(y), f(u)) \} -$$

$$W = \{ g(f(a), g(x)), g(y, y) \}$$

(9)

 $\forall x \text{ real}(x) \rightarrow \text{negative}(x)$

(n)

 ~~$\forall x \text{ real}(x) \exists y (\text{negative}(y))$~~

(10)

 $\forall x \exists y \text{ loves}(x, y)$

(11)

 $\forall x \exists y \forall z \text{ loves}(x, y)$

(12)

 $\forall x \text{ brings}(\text{Susan}, x) \rightarrow \text{light}(\text{Ronald}, x)$

(13)

 $\text{green}(\text{parrot}) \wedge \neg \text{green}(\text{rabbit})$

(rx)

 $\forall x \forall y (\text{Parrot}(x) \rightarrow \text{green}(x) \wedge \text{Rabbit}(y) \rightarrow \text{Green}(y))$

P

(1)

 $P(a, x, f(g(y))) \quad P(z, f(z), f(u))$ Substitute z for a $P(a, x, f(g(y))) \quad P(a, f(a), f(a))$ on substituting a by $g(y)$ ① ~~$P(a, x, f(g(y))) \quad P(a, f(a), f(g(y)))$~~ on substituting x by $f(a)$ $P(a, f(a), f(g(y))) \quad P(a, f(a), f(f(y)))$ ~~$x / f(a)$~~ The General Unifier $g/a, w/g(y)$
 $x/f(a)$

(2)

 $g(f(a), g(w)) \quad g(g(y))$ (vx)This isn't unifiable as y cannot accept two values

3)

Convert the following sentences into FOL statements and prove the following statements using both forward & backward chaining.

John likes all kinds of foods

$\forall x \text{ food}(x) \rightarrow \text{like}(John, x)$

Apples are food
 $\text{food}(\text{Apples})$

Chicken is food
 $\text{food}(\text{chicken})$

Anything anyone eats and isn't killed by is food

$\forall x \forall y \text{ eats}(x, y) \wedge \neg \text{killedBy}(x) \Rightarrow \text{food}(y)$

Bill eats peanuts and is still alive

$\text{eats}(\text{Bill}, \text{peanuts}) \rightarrow \text{alive}(\text{Bill})$

Sue eats peanuts Bill eats

$\forall x \text{ eats}(Sue, x) \rightarrow \text{eats}(\text{Bill}, x)$

→ An additional record fact: $\neg \text{killed}(x) \rightarrow \text{alive}(x)$

The forward chaining

$x(\text{Bill}, y) / \text{peanuts}$ $\text{alive}(\text{Bill})$
 $\text{eats}(\text{Bill}, \text{peanuts})$ $\neg \text{killed}(\text{Bill})$



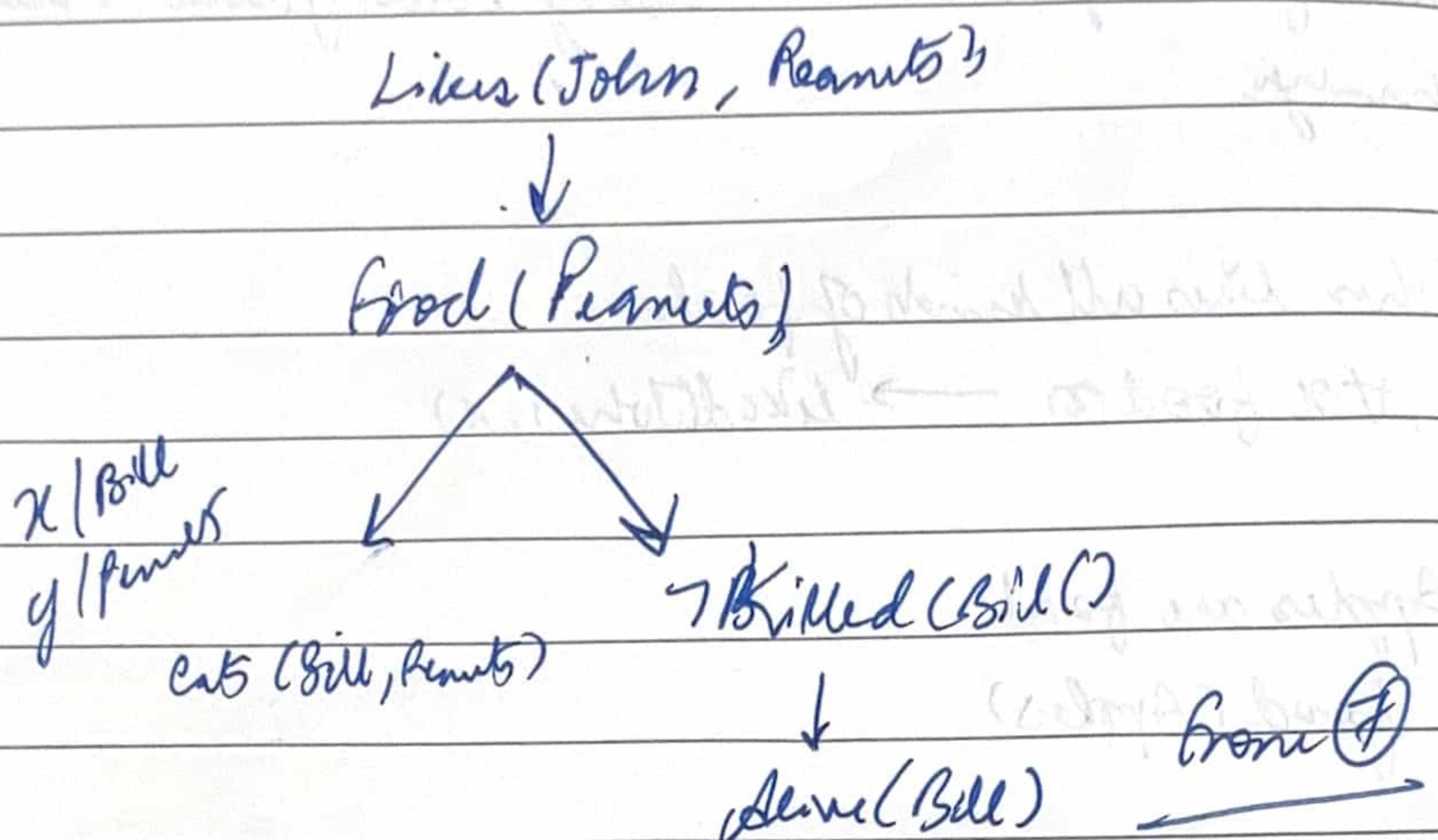
$\text{food}(\text{Peanuts})$

$\downarrow x / \text{peanuts}$

From ①

$\text{likes}(\text{John}, \text{peanuts})$

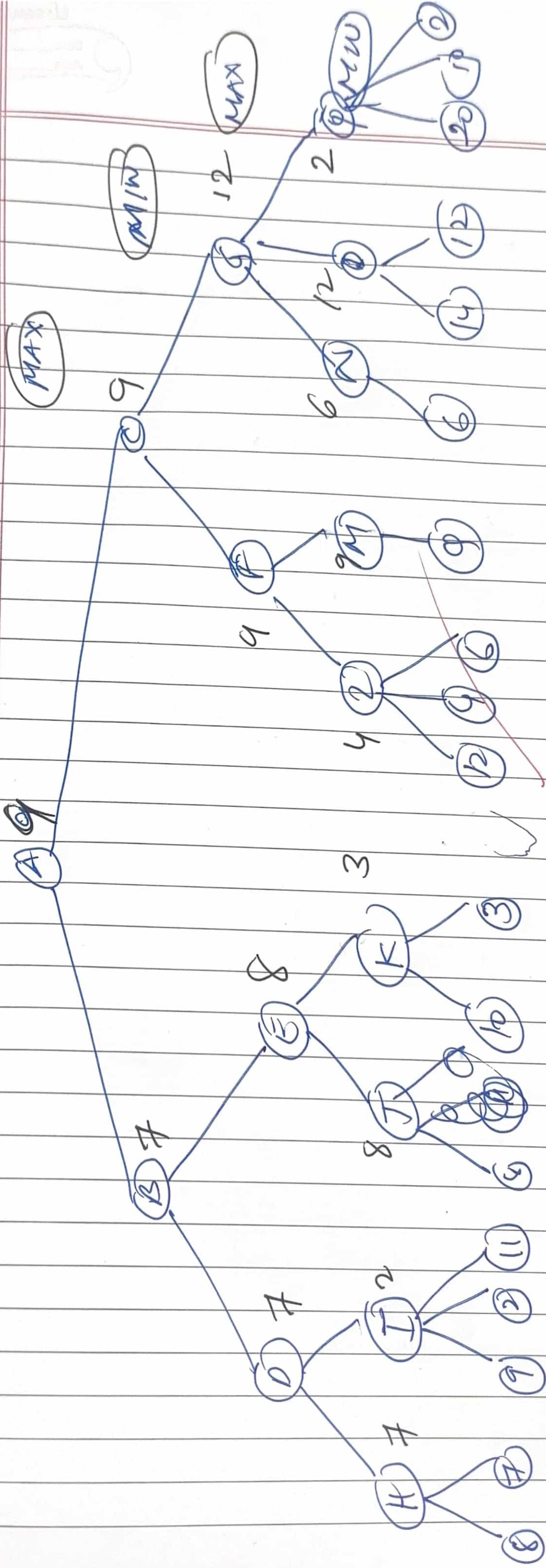
Backward Drawing:



4) function MINMAX-DECISION (state) returns (an action)
return arg max_a ∈ actions_(s) MIN-VALUE(RESULT(s,a))

function MAX-VALUE (state) returns a utility value
if TERMINAL TEST (state) then return UTILITY (state)
 $v \leftarrow -\infty$
for each a in actions (state) do
 $v \leftarrow \text{MAX} (v, \text{MIN-VALUE}(\text{RESULT}(s, a)))$
return v

function MIN-VALUE (state) returns a utility value
if TERMINAL TEST (state) then return UTILITY (state)
 $v \leftarrow \infty$
for each a in ACTIONS (state) do
 $v \leftarrow \text{MIN} (v, \text{MAX-VALUE} (\text{RESULT}(s, a)))$
return v



CLASSMATE

Date _____
Page _____

~~Sohail B~~

17/12/24