

Digital Systems Lab Assignment-4

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➤ OBJECTIVES:

- 1) To learn to perform Matrix Multiplication in Verilog.
- 2) To build a signed adder and subtractor in a single circuit for any n-bits number
- 3) To build a signed multiplier and unsigned multiplier in a single circuit and extend it to N bits
- 4) To build a circuit that accepts three inputs of N bits and performs addition and multiplication sequentially on them (N-bit Signed Multiplier and Adder Circuit(MAC)).
- 5) To learn to call one module in another module.

➤ Description

$$\begin{bmatrix} Y1 \\ Y2 \\ Y3 \\ Y4 \end{bmatrix} = \begin{bmatrix} A1 & A2 & A3 & A4 \\ A5 & A6 & A7 & A8 \\ A9 & A10 & A11 & A12 \\ A13 & A14 & A15 & A16 \end{bmatrix} \begin{bmatrix} X1 \\ X2 \\ X3 \\ X4 \end{bmatrix}$$

In [mathematics](#), particularly in [linear algebra](#), **matrix multiplication** is a [binary operation](#) that produces a [matrix](#) from two matrices. For matrix multiplication, the number of columns in the first matrix must be equal to the number of rows in the second matrix. The resulting matrix, known as the **matrix product**, has the number of rows of the first and the number of columns of the second matrix. The product of matrices **A** and **B** is denoted as **AB**.

Matrix multiplication was first described by the French mathematician [Jacques Philippe Marie Binet](#) in 1812, to represent the [composition](#) of [linear maps](#) that are represented by matrices.

Applications of Matrix Multiplication:

Matrix multiplication is thus a basic tool of [linear algebra](#), and as such has numerous applications in many areas of mathematics, as well as in [applied mathematics](#), [statistics](#), [physics](#), [economics](#), and [engineering](#). Computing matrix products is a central operation in all computational applications of linear algebra.

It is used widely in such areas as network theory, solution of linear systems of equations, transformation of co-ordinate systems, and population modeling, to name but a very few.

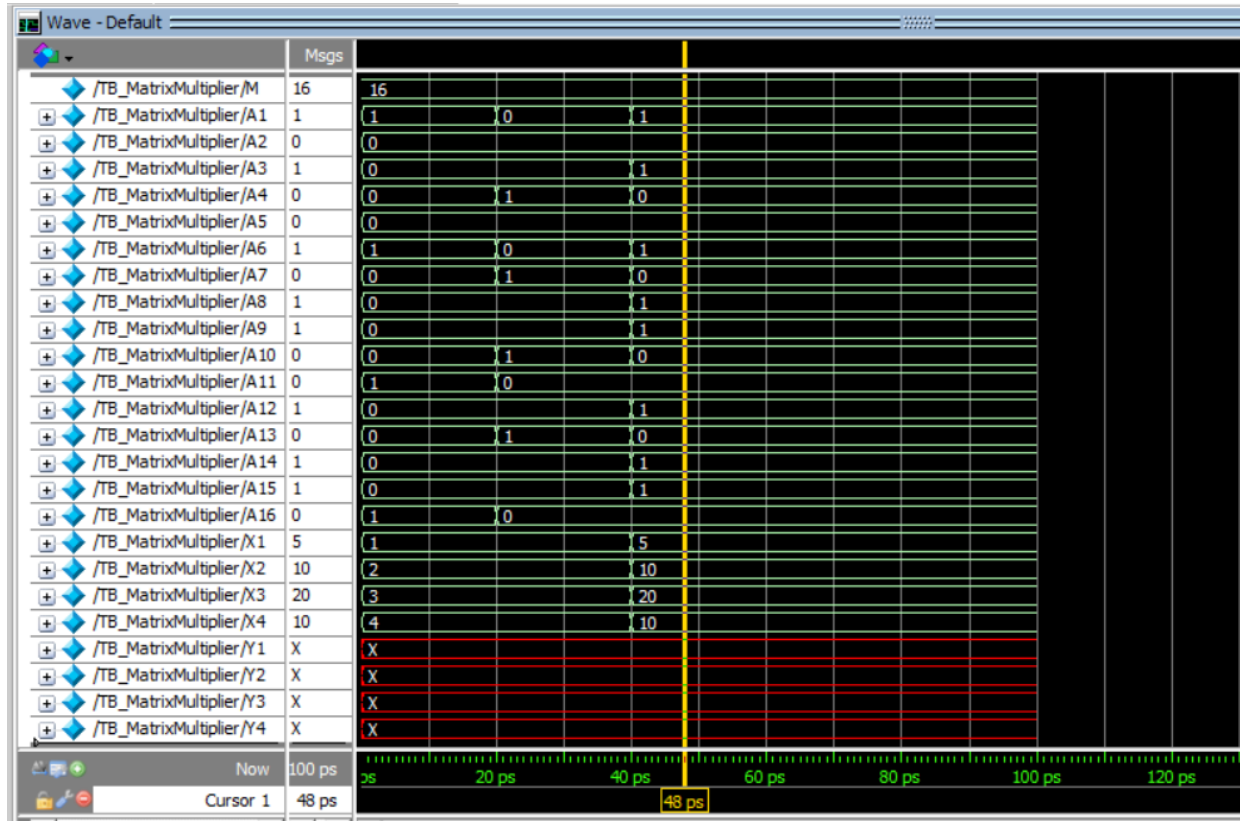
➤ **Procedure**

The following modules are used in the main module to implement the circuit.

- half_adder – It adds 2 bits and gives output in sum and carry form.
- full_adder – It extends the above operation for three bits.
- Nbit_add_sub – Adds the numbers when $k = 0$, and subtracts them when $k = 1$. The numbers are signed binary numbers.
- comparator – It tells whether the bit is greater than or lesser than or equal to another bit
- signed_multiplier – It multiplies two numbers of different size and gives the corresponding output. It can perform signed as well as unsigned multiplication. Baugh-Wooley method is used to do signed multiplication.
- MAC_signed – It performs $C = A.B + D$ operation, where all are in bit inputs in signed form.
- MatrixMultiplier – Main module that contains MAC and it performs Matrix multiplication operation

➤ Result:

Final TestModule:












FULL Adder



Signed Adder-Subtractor

[illegible]

Signed Multiplier

Wave - Default		Msgs		
 /TB_signed_multiplier/M	8	8		
 /TB_signed_multiplier/N	8	8		
  /TB_signed_multiplier/A	36	36		
  /TB_signed_multiplier/B	-127	-127		
 /TB_signed_multiplier/sg	-1			
  /TB_signed_multiplier/Y	-4572	-4572		