



Fisher Vector Faces (FVF) in the Wild

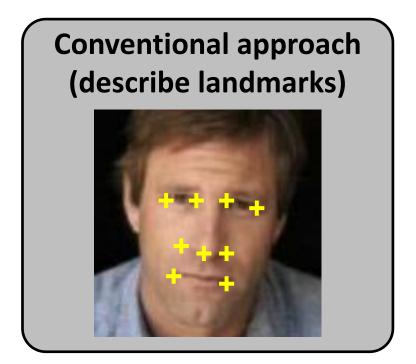
Karén Simonyan, Omkar Parkhi, Andrea Vedaldi, Andrew Zisserman

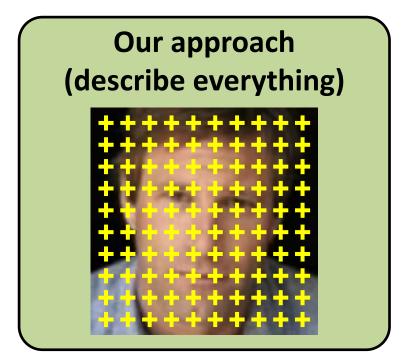
Visual Geometry Group, University of Oxford

Objective

Face descriptor for recognition:

- dense sampling
- relevant face parts learnt automatically
- compact and discriminative





Motivation

- State-of-the-art image recognition pipeline:
 - dense SIFT → Fisher vector encoding → linear SVM
 - very competitive on (generic) image recognition tasks:
 Caltech 101/256, PASCAL VOC, ImageNet ILSVRC
- Can it be applied to faces? Yes!







Application – Face Verification

«Is it the same person in both images?»



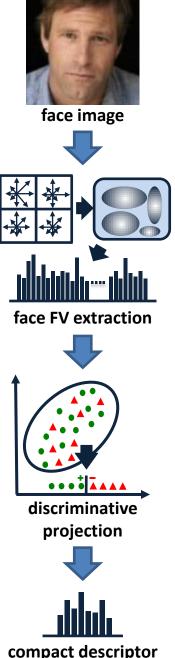


Labelled Faces in the Wild (LFW) dataset

- large-scale: 13K images, 5.7K people
- collected using Viola-Jones face detector
- high variability in appearance
- several evaluation settings (restricted, unrestricted)

Pipeline Overview

- Input: face image, e.g.
 - LFW + face alignment¹
 - pre-aligned: LFW-funneled, LFW-a
 - no alignment: just Viola-Jones detection!
- Output: Fisher Vector Face descriptor (FVF)
 - discriminative
 - compact



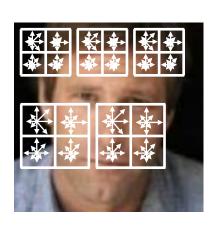
[1] "Taking the bite out of automatic naming of characters in TV video", M. Everingham, J. Sivic, and A. Zisserman. IVC 2009.

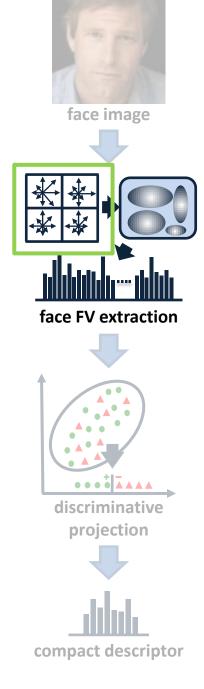
Dense Features

face image → set of local features

Dense SIFT

- dense scale-space grid:1 pix step, 5 scales
- 24x24 patch size
- rootSIFT¹ explicit Hellinger kernel map
- 64-D PCA-rootSIFT
- augmented with (x,y): 66-D





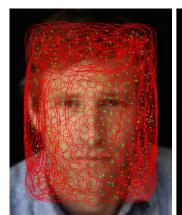
[1] "Three things everyone should know to improve object retrieval", R. Arandjelovic and A. Zisserman. CVPR, 2012.

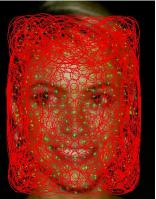
set of local features → high-dim Fisher vector

Fisher Vector (FV) encoding¹

- describes a set of local features in a single vector
- diagonal-covariance GMM as a codebook
 - appearance: SIFT
 - location: (x,y)
- GMM can be seen as a face model

ellipses – means & variances of GMM's (x,y) components

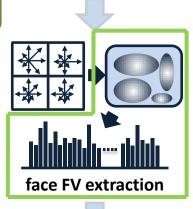


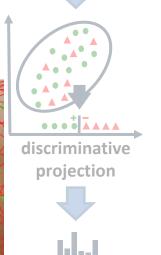






face image





[1] "Improving the Fisher kernel for large-scale image classification", Perronnin et al., ECCV 2010

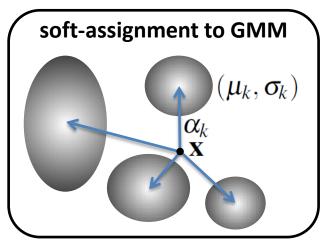
Face Fisher Vector

set of local features → high-dim Fisher vector

- Image FV normalised sum of feature FVs
- Feature FV feature space location statistics:

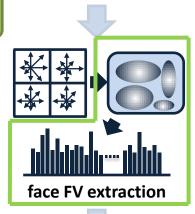
1st order stats (k-th Gaussian):
$$\Phi_k^{(1)} \sim \alpha_k \left(\frac{\mathbf{x} - \mu_k}{\sigma_k} \right)$$

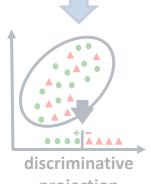
2nd order stats (k-th Gaussian): $\Phi_k^{(2)} \sim \alpha_k \left(\frac{(\mathbf{x} - \mu_k)^2}{\sigma^2} - 1 \right)$





face image











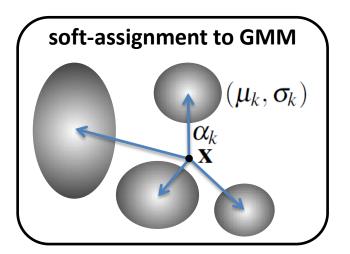
Face Fisher Vector

set of local features → high-dim Fisher vector

- Image FV normalised sum of feature FVs
- Feature FV feature space location statistics:

1st order stats (k-th Gaussian):
$$\Phi_k^{(1)} \sim \alpha_k \left(\frac{\mathbf{x} - \mu_k}{\sigma_k} \right)$$

2nd order stats (k-th Gaussian): $\Phi_k^{(2)} \sim \alpha_k \left(\frac{(\mathbf{x} - \mu_k)^2}{\sigma_k^2} - 1 \right)$



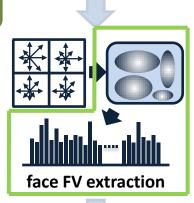


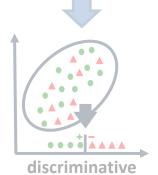
$$\phi(\mathbf{x}) = \left[\Phi_1^{(1)}, \Phi_1^{(2)}, \dots, \Phi_K^{(1)}, \Phi_K^{(2)}\right]$$

FV dimensionality: 66×2×512=67,584 (for a mixture of 512 Gaussians)



face image





discriminative projection





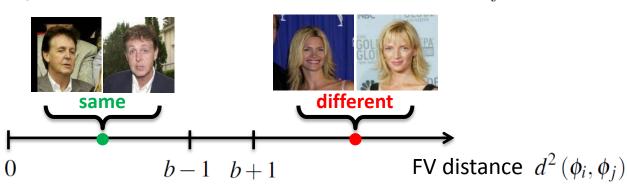
Distance Learning

high-dim FV → low-dim face descriptor

Large-margin distance constraints:

$$y_{ij}\left(b-d^2(\phi_i,\phi_j)\right)>1$$

 $y_{ij} = 1$ iff (i,j) is the same person, $\phi_i, \phi_j - FV$



- Distance models:
 - low-rank Mahalonobis
 - joint distance-similarity
 - weighted Euclidean

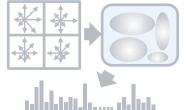


$$U = (----)$$

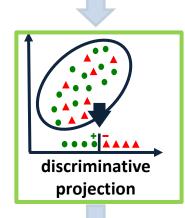


face image





face FV extraction





compact descriptor

Projection Learning

Low-rank Mahalanobis distance (projection W):

$$d_W^2(\phi_i, \phi_j) = \|W\phi_i - W\phi_j\|_2^2 = (\phi_i - \phi_j)^T W^T W(\phi_i - \phi_j)$$

$$W = \begin{bmatrix} & & & \\ & & & \\ & & & \end{bmatrix}$$

- Large-margin objective: $\arg\min_{W} \sum_{i,j} \max \left[1 y_{ij} \left(b d_W^2(\phi_i, \phi_j)\right), 0\right]$
 - regularisation by $W \in \mathbb{R}^{p \times d}, \, p \ll d$
 - stochastic sub-gradient solver
 - initialised by PCA-whitening
- +
- Models dependencies between FV elements
- Explicit dimensionality reduction
- Non-convex

Fisher

Joint Distance-Similarity Learning

Difference of low-rank distance and inner product¹:

$$d_{W,V}^{2}(\phi_{i},\phi_{j}) = ||W\phi_{i} - W\phi_{j}||_{2}^{2} - \langle V\phi_{i}, V\phi_{j} \rangle = W = (-\phi_{i})^{T}W^{T}W(\phi_{i} - \phi_{j}) - \phi_{i}V^{T}V\phi_{j} V = (-\phi_{i})^{T}W^{T}W(\phi_{i} - \phi_{j}) - \phi_{i}V^{T}W(\phi_{i} - \phi_{j}) -$$

- Large-margin objective: $\arg\min_{W,V} \sum_{i,j} \max \left[1 y_{ij} \left(b d_{W,V}^2(\phi_i, \phi_j)\right), 0\right]$
 - stochastic sub-gradient solver (as before)
- +
- Models dependencies between FV elements
- More complex decision (distance) function
- Two low-dim representations (W & V projections)
- Non-convex

^{[1] &}quot;Blessing of dimensionality: high dimensional feature and its efficient compression for face verification", D. Chen, X. Cao, F. Wen, and J. Sun. CVPR, 2013.

Distance Learning

Weighted Euclidean distance (diagonal Mahalanobis)

$$d_u^2(\phi_i, \phi_j) = \sum_k u_k \left(\phi_i^{(k)} - \phi_j^{(k)}\right)^2, \quad u_k \ge 0 \,\forall k$$

$$U = \mathbf{U}$$

Large-margin (SVM-like) objective:

$$\arg\min_{u_k \ge 0} \sum_{i,j} \max \left[1 - y_{ij} \left(b - d_u^2(\phi_i, \phi_j) \right), 0 \right]$$
Fisher vectors

- +
- Convex, fast to train
- Less parameters → less training data needed
- Doesn't model dependencies between FV elements
- No dimensionality reduction

SIFT	GMM	Spatial	Desc.	Distance	Hor.	ROC-
density	Size	Aug.	Dim.	Function	Flip.	EER,%
2 pix	256		32768	diag. metric		89.0
2 pix	256	✓	33792	diag. metric		89.8
2 pix	512	√	67584	diag. metric		90.6
1 pix	512	✓	67584	diag. metric		90.9
1 pix	512	✓	128	low-rank PCA-whitening		78.6
1 pix	512	√	128	low-rank Mah. metric		91.4
1 pix	512	✓	256	low-rank Mah. metric		91.0
1 pix	512	√	128	low-rank Mah. metric	√	92.0
1 pix	512	√	2×128	low-rank joint metric-sim.		92.2
1 pix	512	√	2×128	low-rank joint metric-sim.	√	93.1

Effect of FV parameters on accuracy @ ROC-EER¹ (LFW-unrestricted)

[1] "Is that you? Metric learning approaches for face identification", Guillaumin et al., ICCV 2009.

	SIFT	GMM	Spatial	Desc.	Distance	Hor.	ROC-
	density	Size	Aug.	Dim.	Function	Flip.	EER,%
	2 pix	256		32768	diag. metric		89.0
	2 pix	256	✓	33792	diag. metric		89.8
4	2 pix	512	√	67584	diag. metric		90.6
	1 pix	512	✓	67584	diag. metric		90.9
	1 pix	512	√	128	low-rank PCA-whitening		78.6
	1 pix	512	✓	128	low-rank Mah. metric		91.4
	1 pix	512	✓	256	low-rank Mah. metric		91.0
	1 pix	512	√	128	low-rank Mah. metric	√	92.0
	1 pix	512	✓	2×128	low-rank joint metric-sim.		92.2
	1 pix	512	✓	2×128	low-rank joint metric-sim.	√	93.1

Effect of FV parameters on accuracy @ ROC-EER¹ (LFW-unrestricted)

Performance increases with:

spatial augmentation, more Gaussians, higher density

	SIFT	GMM	Spatial	Desc.	Distance	Hor.	ROC-
	density	Size	Aug.	Dim.	Function	Flip.	EER,%
	2 pix	256		32768	diag. metric		89.0
	2 pix	256	✓	33792	diag. metric		89.8
	2 pix	512	√	67584	diag. metric		90.6
Λ	1 pix	512	\checkmark	67584	diag. metric		90.9
4	1 pix	512	√	128	low-rank PCA-whitening		78.6
	1 pix	512	\checkmark	128	low-rank Mah. metric		91.4
	1 pix	512	✓	256	low-rank Mah. metric		91.0
	1 pix	512	✓	128	low-rank Mah. metric	√	92.0
	1 pix	512	✓	2×128	low-rank joint metric-sim.		92.2
	1 pix	512	✓	2×128	low-rank joint metric-sim.	√	93.1

Effect of FV parameters on accuracy @ ROC-EER¹ (LFW-unrestricted)

Performance increases with:

- spatial augmentation, more Gaussians, higher density
- discriminative projection (also 500-fold dimensionality reduction)

	SIFT	GMM	Spatial	Desc.	Distance	Hor.	ROC-
	density	Size	Aug.	Dim.	Function	Flip.	EER,%
	2 pix	256		32768	diag. metric		89.0
	2 pix	256	✓	33792	diag. metric		89.8
	2 pix	512	✓	67584	diag. metric		90.6
	1 pix	512	✓	67584	diag. metric		90.9
	1 pix	512	√	128	low-rank PCA-whitening		78.6
1	1 pix	512	✓	128	low-rank Mah. metric		91.4
Y	1 pix	512	√	256	low-rank Mah. metric		91.0
	1 pix	512	✓	128	low-rank Mah. metric	\checkmark	92.0
	1 pix	512	√	2×128	low-rank joint metric-sim.		92.2
	1 pix	512	√	2×128	low-rank joint metric-sim.	√	93.1

Effect of FV parameters on accuracy @ ROC-EER¹ (LFW-unrestricted)

Performance increases with:

- spatial augmentation, more Gaussians, higher density
- discriminative projection (also 500-fold dimensionality reduction)
- averaging across 4 combinations of horizontally flipped faces

SIFT	GMM	Spatial	Desc.	Distance	Hor.	ROC-
density	Size	Aug.	Dim.	Function	Flip.	EER,%
2 pix	256		32768	diag. metric		89.0
2 pix	256	✓	33792	diag. metric		89.8
2 pix	512	√	67584	diag. metric		90.6
1 pix	512	√	67584	diag. metric		90.9
1 pix	512	✓	128	low-rank PCA-whitening		78.6
1 pix	512	✓	128	low-rank Mah. metric		91.4
1 pix	512	\checkmark	256	low-rank Mah. metric		91.0
1 pix	512	\checkmark	128	low-rank Mah. metric	\checkmark	92.0
1 pix	512	√	2×128	low-rank joint metric-sim.		92.2
1 pix	512	√	2×128	low-rank joint metric-sim.	\checkmark	93.1

Effect of FV parameters on accuracy @ ROC-EER1 (LFW-unrestricted)

Performance increases with:

- spatial augmentation, more Gaussians, higher density
- discriminative projection (also 500-fold dimensionality reduction)
- averaging across 4 combinations of horizontally flipped faces
- combined distance-similarity score function

Effect of Face Alignment

Robust w.r.t. alignment and crop:

• LFW \rightarrow align & crop¹: 92.0%

• LFW-deep-funneled² \rightarrow 150×150 crop: 92.0%

• LFW-funneled³ \rightarrow 150×150 crop: 91.7%

• LFW → Viola-Jones crop (**no alignment**): 90.9%

- Good results without alignment
 - just run Viola-Jones and compute FVF!
 - might not hold for other datasets
- Setting: LFW-unrestricted, projection learning, horiz. flipping

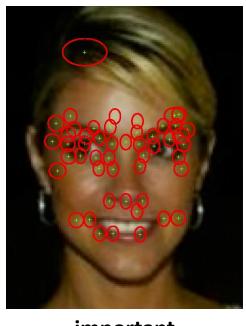
^{[1] &}quot;Taking the bite out of automatic naming of characters in TV video", Everingham et al., IVC 2009.

^{[2] &}quot;Learning to align from scratch", Huang et al., NIPS 2012

^{[3] &}quot;Unsupervised joint alignment of complex images", Huang et al., ICCV 2007

Learnt Model Visualisation





important (top-50 Gaussians)



irrelevant (bottom-50 Gaussians)

Gaussian ranking (for visualisation):

GMM component \rightarrow FV sub-vector \rightarrow W sub-matrix \rightarrow its energy

dimensionality reduction projection

$$W =$$

Gaussian

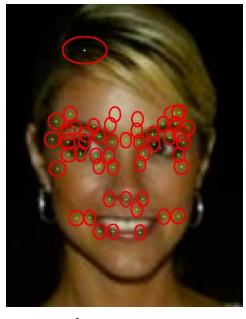
2nd Gaussian

512th Gaussian

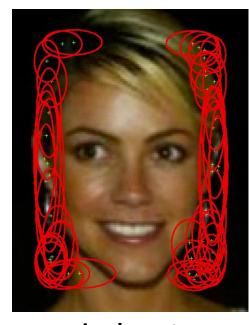
Learnt Model Visualisation



all Gaussians



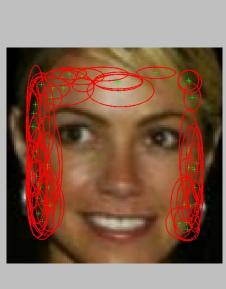
important (top-50 Gaussians)

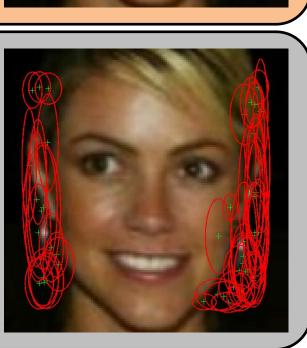


irrelevant (bottom-50 Gaussians)

- High-ranked Gaussians (centre)
 - match facial features (weren't explicitly trained to do so)
 - fine localisation (low spatial variance)
- Low-ranked Gaussians (right)
 - cover background areas
 - loose localisation (high spatial variance)





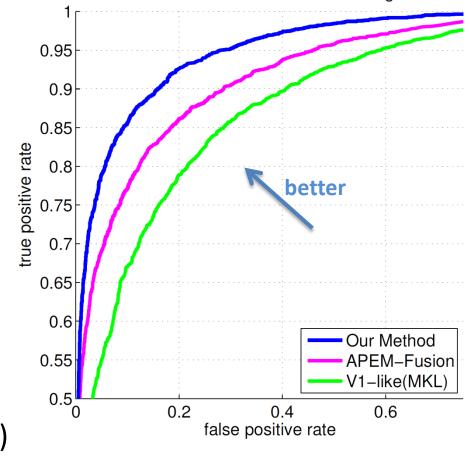


Results: LFW-restricted

Method	Mean Acc.
V1-like/MKL [26]	0.7935 ± 0.0055
PEM SIFT [19]	0.8138 ± 0.0098
APEM Fusion [19]	0.8408 ± 0.0120
Our Method	0.8747 ± 0.0149

verification accuracy

- no outside training data
- LFW-funneled images
 - 150×150 centre crop
- limited training data
 - just 5400 fixed image pairs
 - used diagonal metric (SVM)



ROC Curves – Restricted Setting

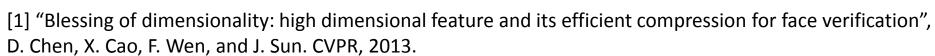
• state-of-the-art accuracy: 87.47% vs 84.08%¹

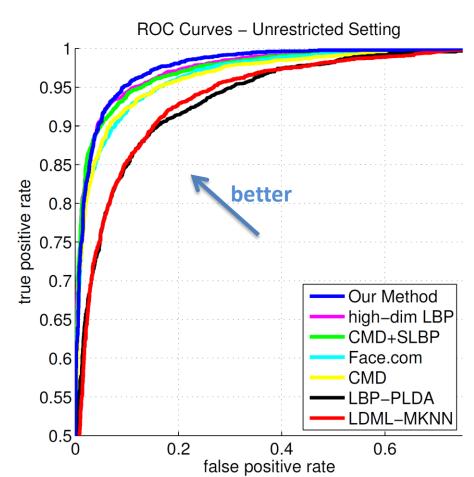
Results: LFW-unrestricted

Method	Mean Acc.
LDML-MkNN [10]	0.8750 ± 0.0040
Combined multishot [32]	0.8950 ± 0.0051
Combined PLDA [20]	0.9007 ± 0.0051
face.com [31]	0.9130 ± 0.0030
CMD + SLBP [12]	0.9258 ± 0.0136
LBP multishot [32]	0.8517 ± 0.0061
LBP PLDA [20]	0.8733 ± 0.0055
SLBP [12]	0.9000 ± 0.0133
CMD [12]	0.9170 ± 0.0110
High-dim SIFT [6]	$0.9177 \pm N/A$
High-dim LBP [6]	0.9318 ± 0.0107
Our Method	0.9303 ± 0.0105

verification accuracy

- outside training data only for alignment [Everingham '09]
- any number of training image pairs
- matches state-of-the-art accuracy: 93.03% vs 93.18%¹





Summary

- Fisher Vector Face (FVF) representation
 - achieves state-of-the-art on LFW (restricted & unrestricted)
 - performs very well on top of different alignment schemes
- FVF is based on off-the-shelf techniques
 - dense SIFT (no need for sophisticated landmark detectors)
 - Fisher vector
 - discriminative dimensionality reduction