



**Our Results**

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- Valid only for  $\varepsilon < 1/d^c$

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- Many other results for CountSketch,  $\|x\|_\infty$  estimation etc.

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# Main Ideas