HW2. P (Tom am) = Count (am, Tom) Count (am) = Total count of ram Tom Total count of 'am 3 4 ≈ 0.75 Add smoothing to bi-gram model, P (Tom am) P(Tom am) = C:+1: = C(Wn+.Wn)+1 C (Wn-1) C(am Tom)+1 c (am) + Vocabulary (1+8=) 44 (2=5) (19 unique woo Jane (1 Kg) = 1 = 0.25 X Count (June x 187)

with tout

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$$= \frac{5}{7} \times \frac{2}{63} \times \frac{1}{3} \times \frac{2}{7} = \frac{5}{63}$$

$$\approx 0.0794$$

$$\bigcirc \langle S > T \text{ like Jane } \langle S > \rangle = P(T | \langle S >) \text{ P(like|T) P(Jane|like)}$$

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$$P(\langle S \rangle T) \text{ like Jane } \langle S \rangle = \left[\lambda, P(T) + \lambda_2 P(T) \right].$$

$$\left[\lambda, P(A|S \rangle) + \lambda_2 P(A|S \rangle) +$$

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