

Predicting Walmart Sales

MSA 8200

Meet the Team



Bennie Amani



Pranidhi Prabhat



Nimeelitha Akkiraju



Keerthi Bojja

Data Overview



Total Observations: 421,570



Feb 2010 to Oct 2012: 143 weeks



Stores: 45 | Departments: 90+



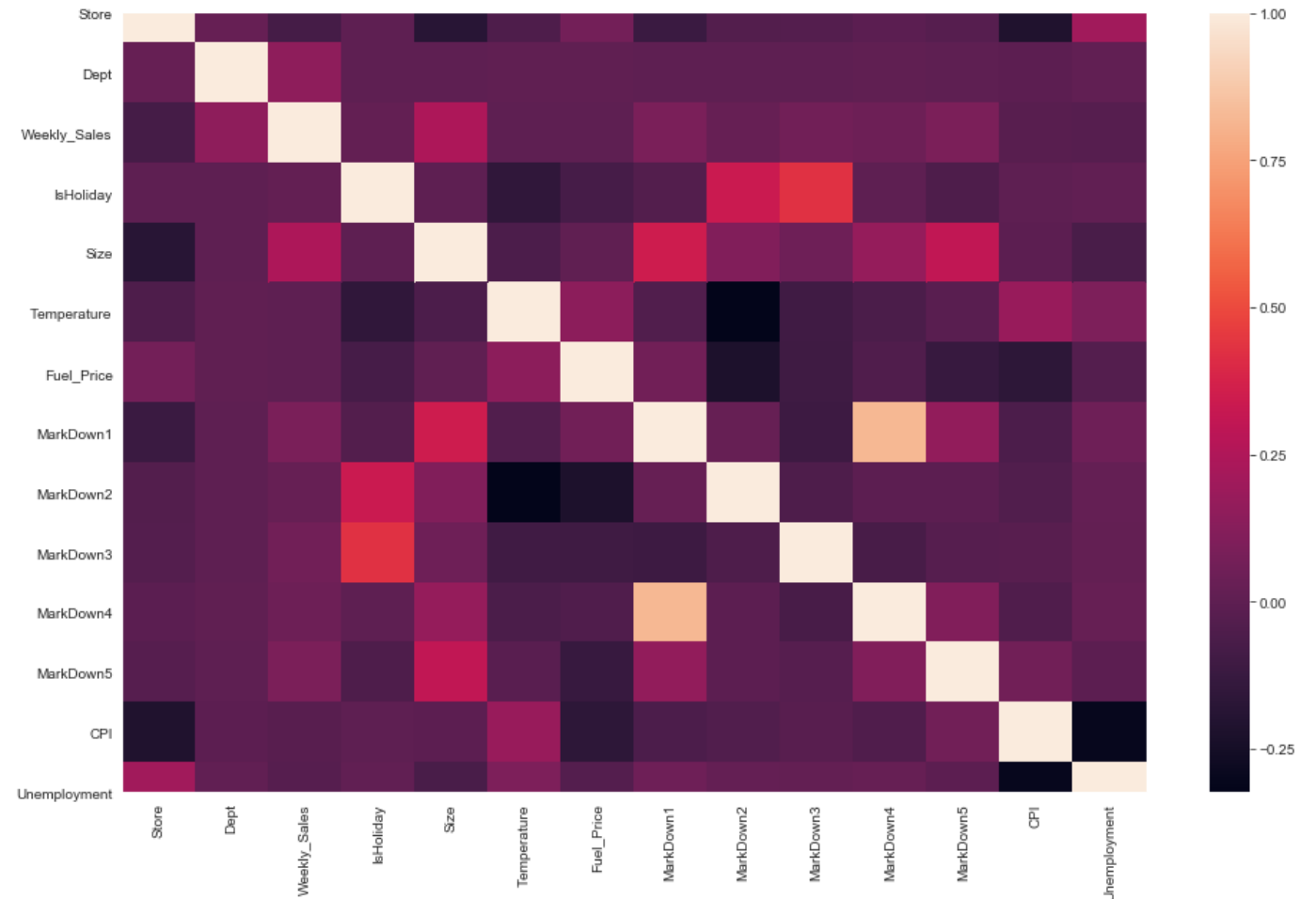
Store Types: A, B & C

Exploratory Data Analysis

Correlation Matrix

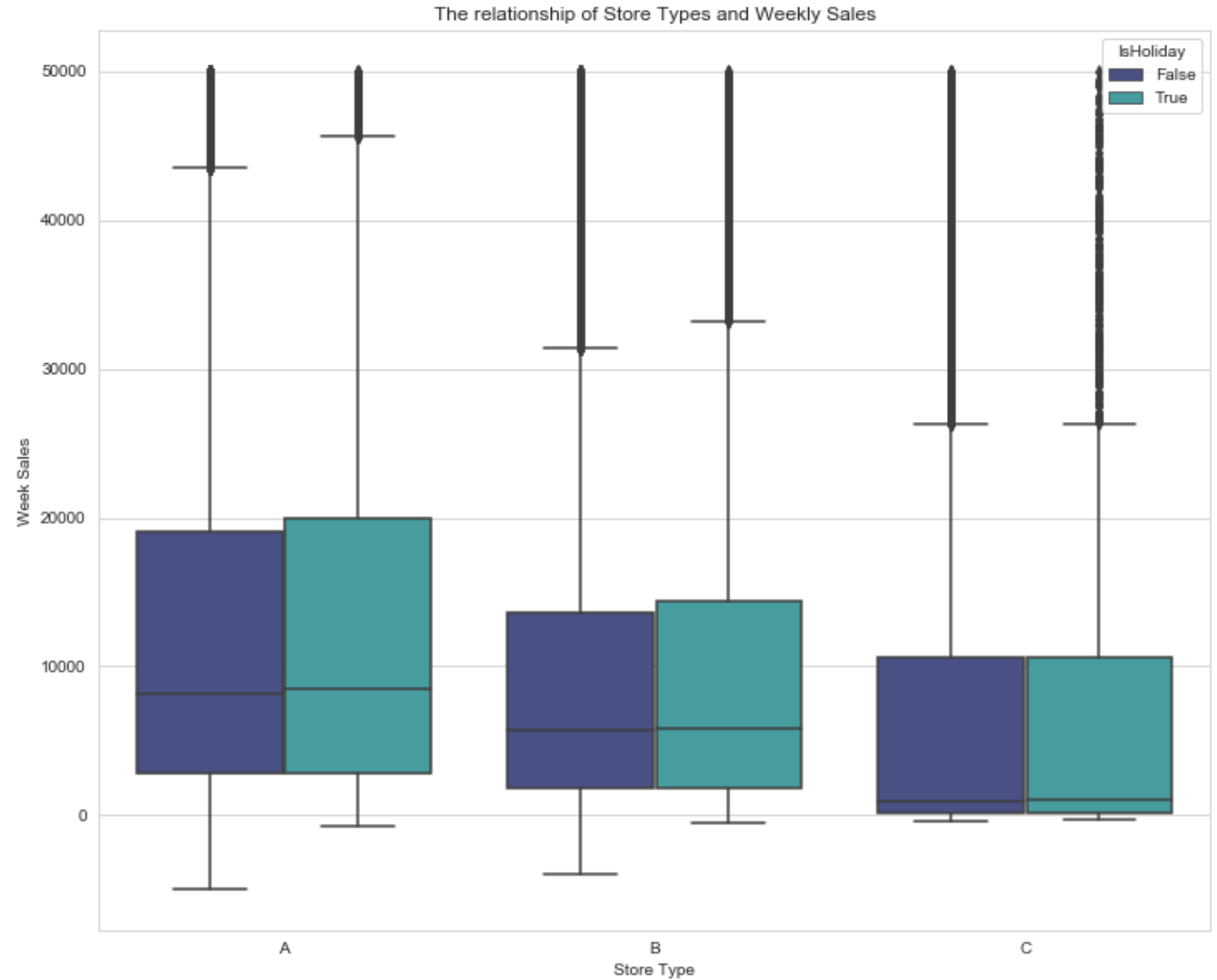
- None of the features have very strong correlation with Weekly Sales

| Features | Correlation with Target Variable |
|-----------|----------------------------------|
| Size | 0.243828 |
| Dept | 0.148032 |
| MarkDown5 | 0.090362 |
| MarkDown1 | 0.085251 |
| Store | -0.085195 |



Exploratory Data Analysis

- Avg Sales: \$15,981
- Store Type A has higher range of Weekly Sales compared to Type B & C
- Variation in Weekly Sales is almost same irrespective of whether it is a Holiday week or not



Data Selection for Prediction



Filtered data store wise



Aggregated weekly sales across department as there are more than 90 entries for each store



Out of 45 stores, we randomly selected store no's 3, 20 & 30 from different store types for prediction



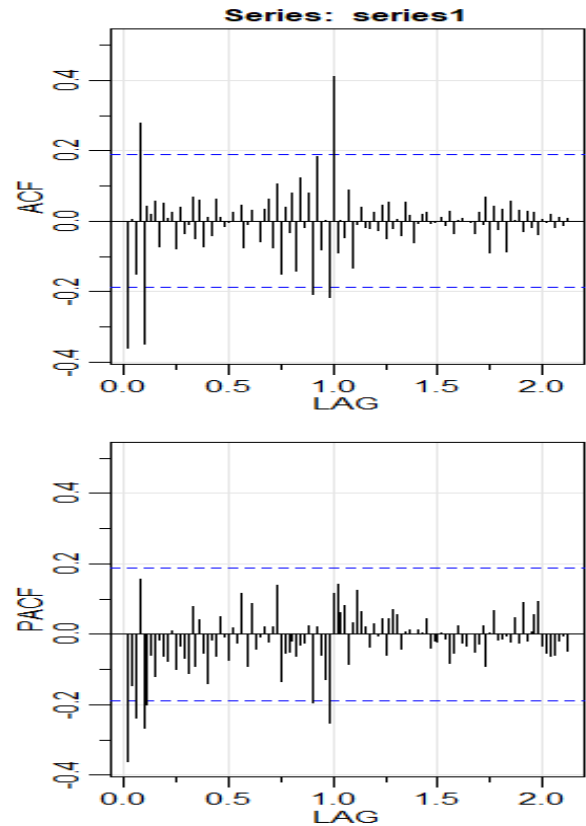
Split the data into 80-20 for train and test

SARIMA
with no additional variables

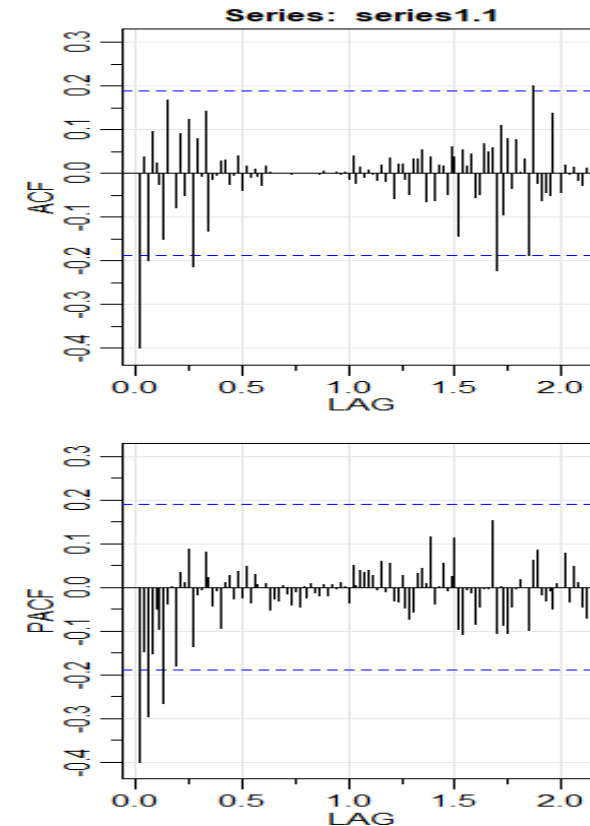
Stationarity and Model Selection

Type A /Store 20 – ARMA(1,0,1)

ACF and PACF (seasonality)



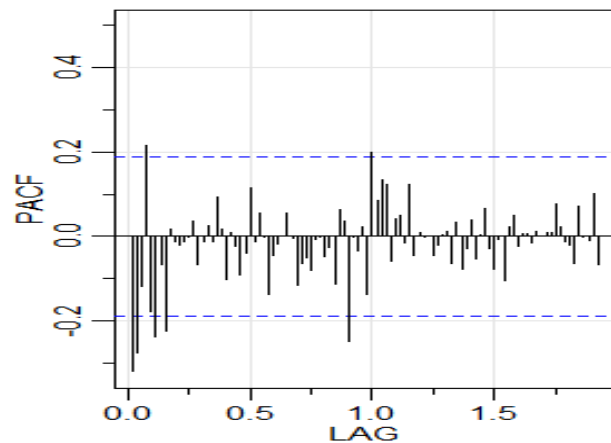
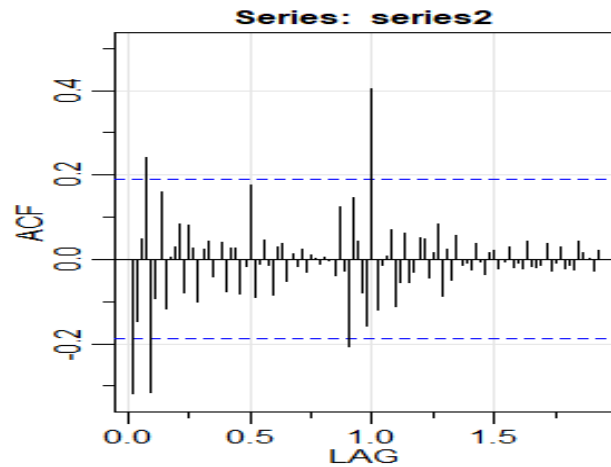
ACF and PACF (no seasonality)



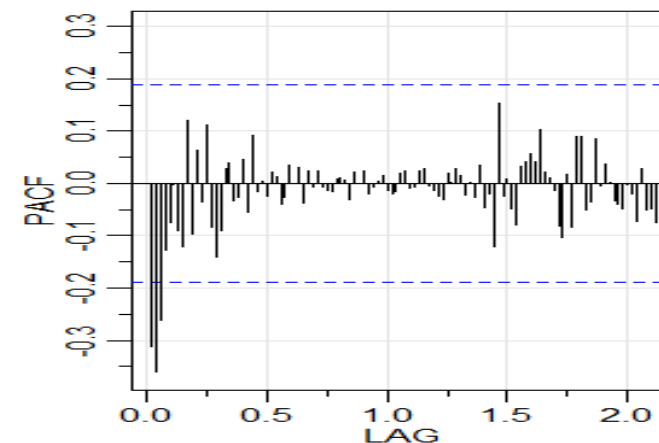
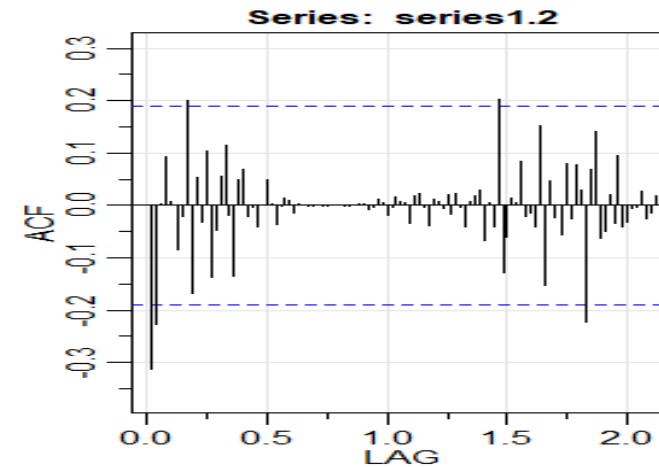
Stationarity and Model Selection

Type B/Store 3 - ARMA(3,0,2)

ACF and PACF (seasonality)



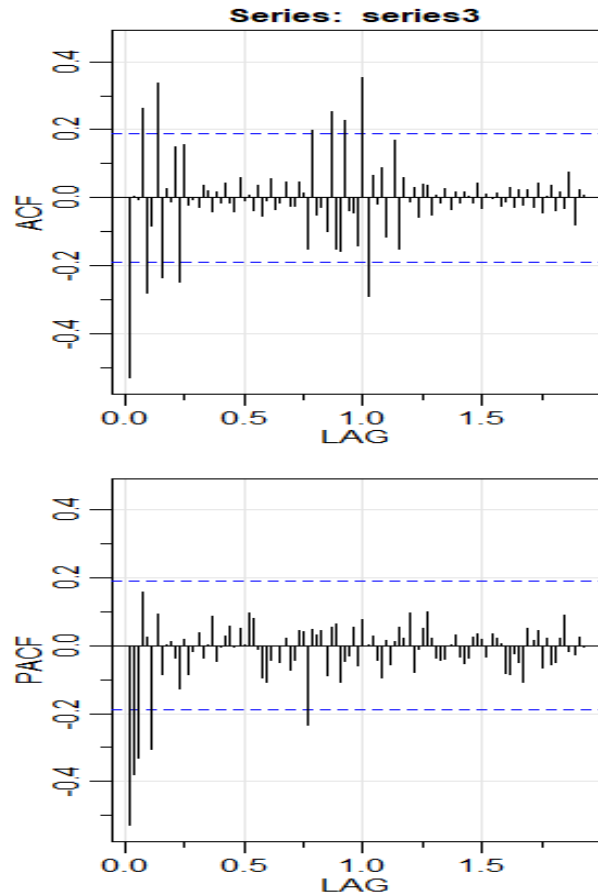
ACF and PACF (no seasonality)



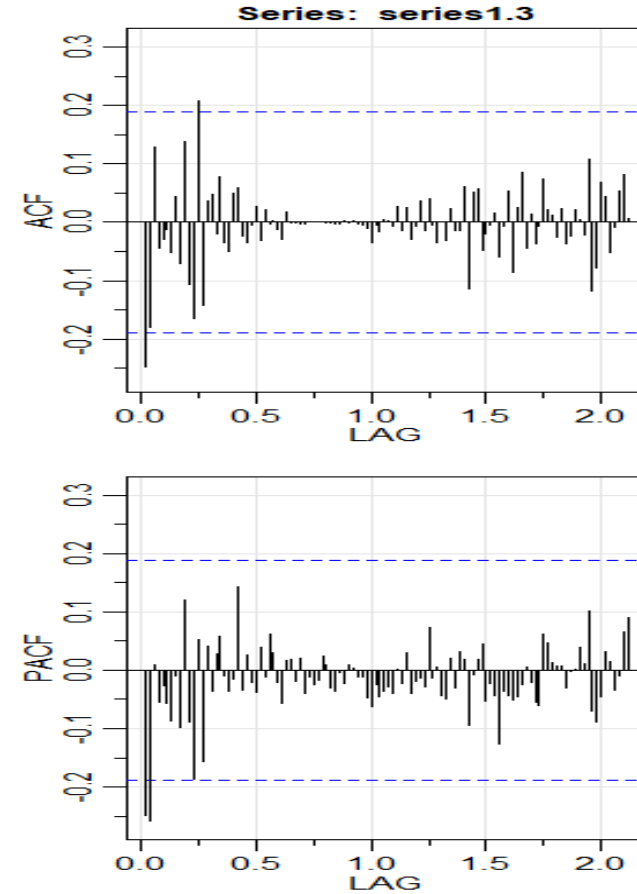
Stationarity and Model Selection

Type C/Store 30 – ARMA(2,0,1)

ACF and PACF (seasonality)

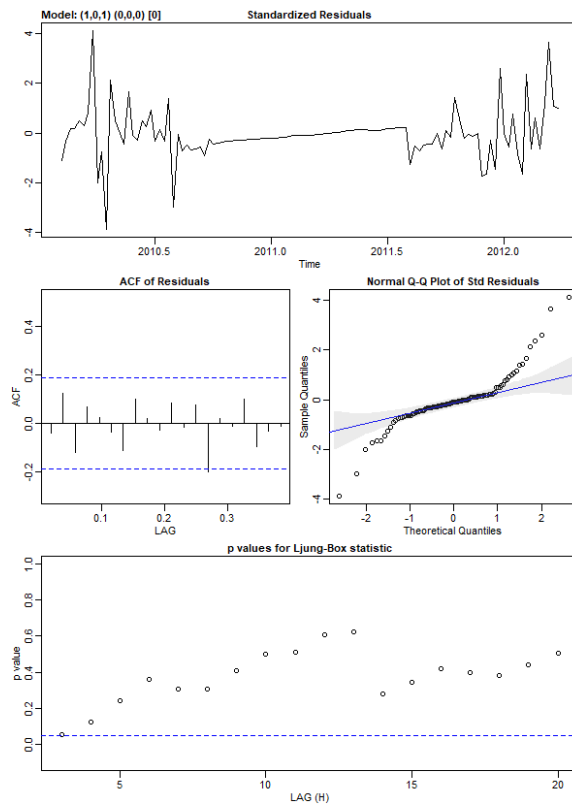


ACF and PACF (no seasonality)

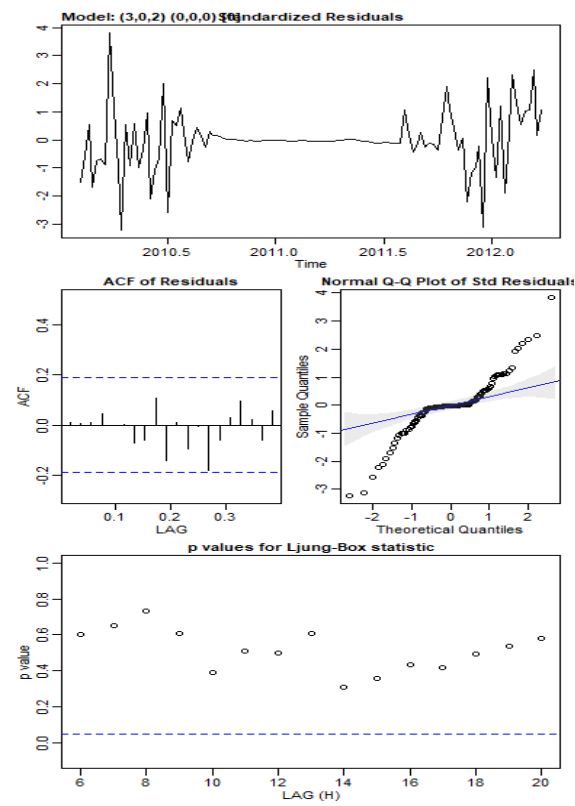


SARIMA model output

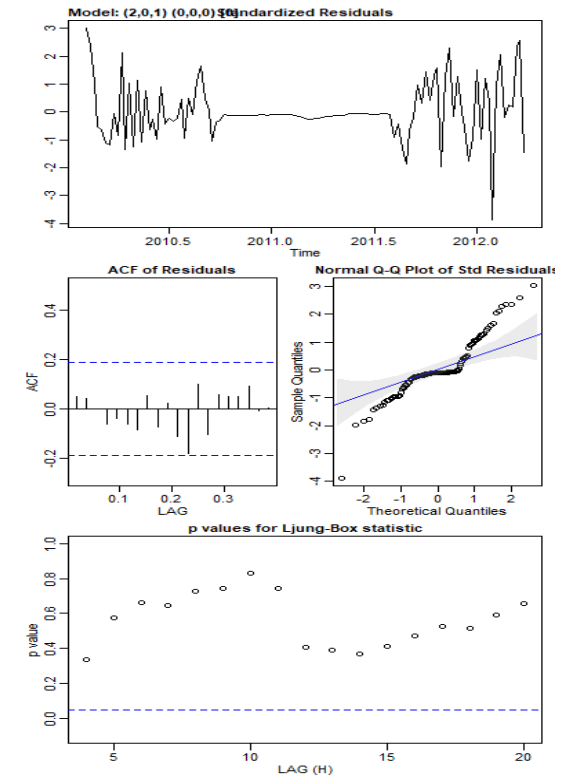
Type A



Type B



Type C



Forecast Results: MAPE

- Type A: 4.34%
- Type B: 3.68%
- Type C: 2.24%

A thin vertical line is positioned to the left of the text.

SARIMA

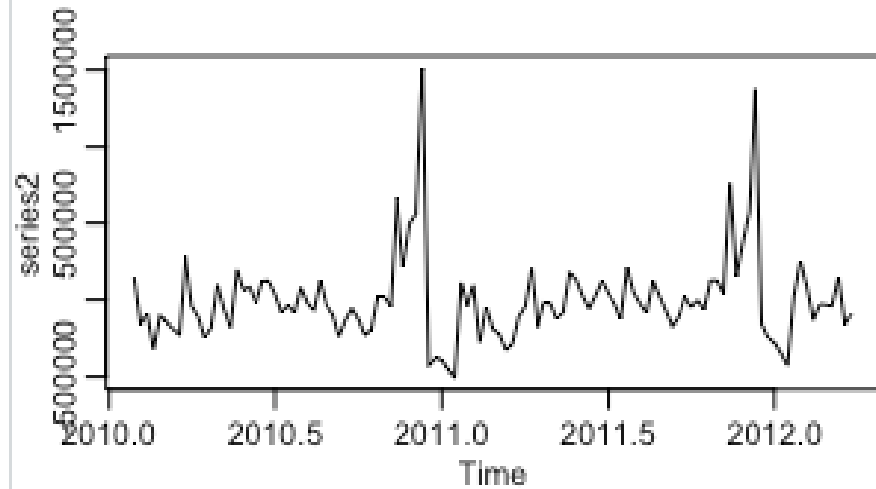
with additional variables

Regression Model

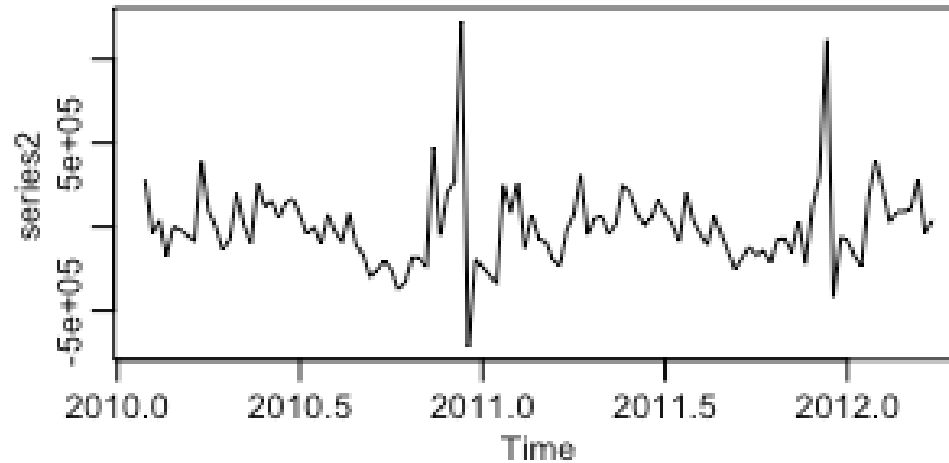
- Store Type A - 20
 - `fit1 <- lm(Total_Sales ~Temperature + Markdown3+ month, data = train_data)`
- Store Type B – 3
 - `fit <- lm(Total_Sales ~Temperature , data = train_data)`
- Store Type C – 30
 - `fit <- lm(Total_Sales ~Temperature + month + year, data = train_data)`

Residual Plots

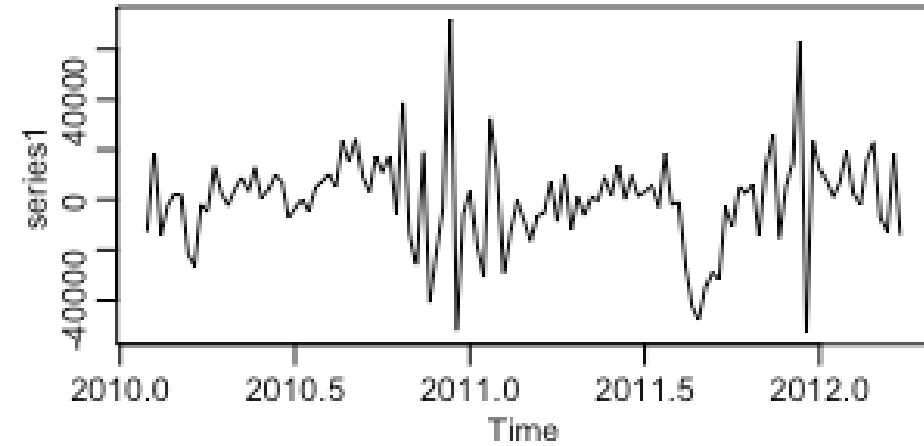
Index



Store 3



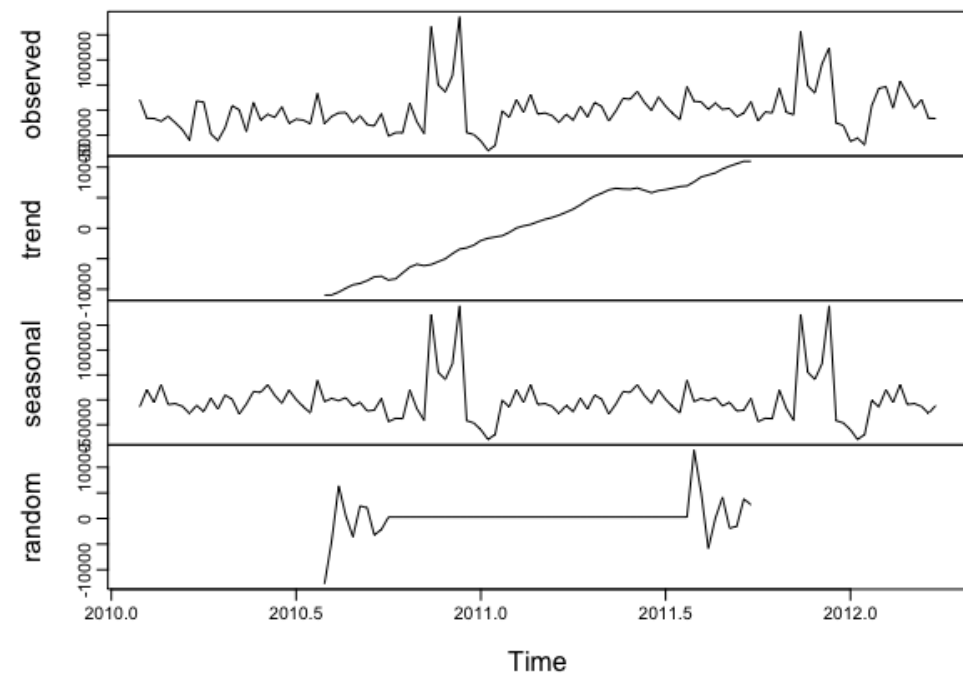
Store 20



Store 30

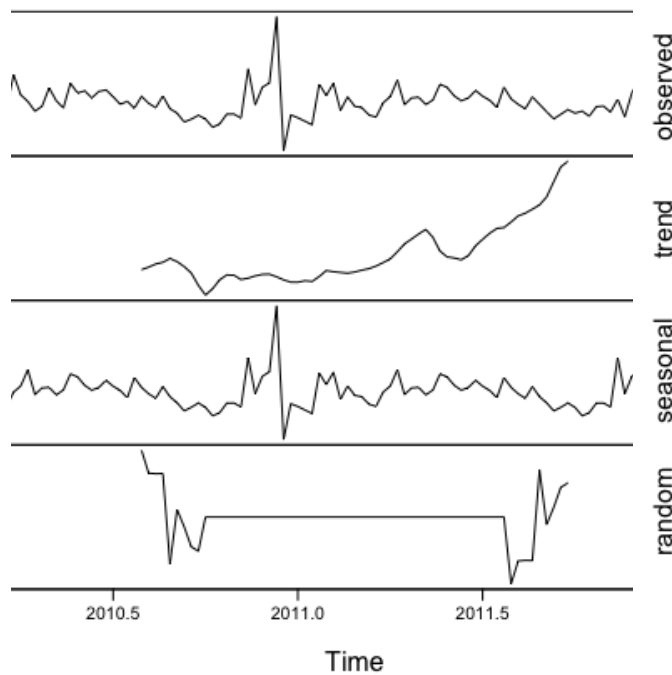
Decomposition

Decomposition of additive time series



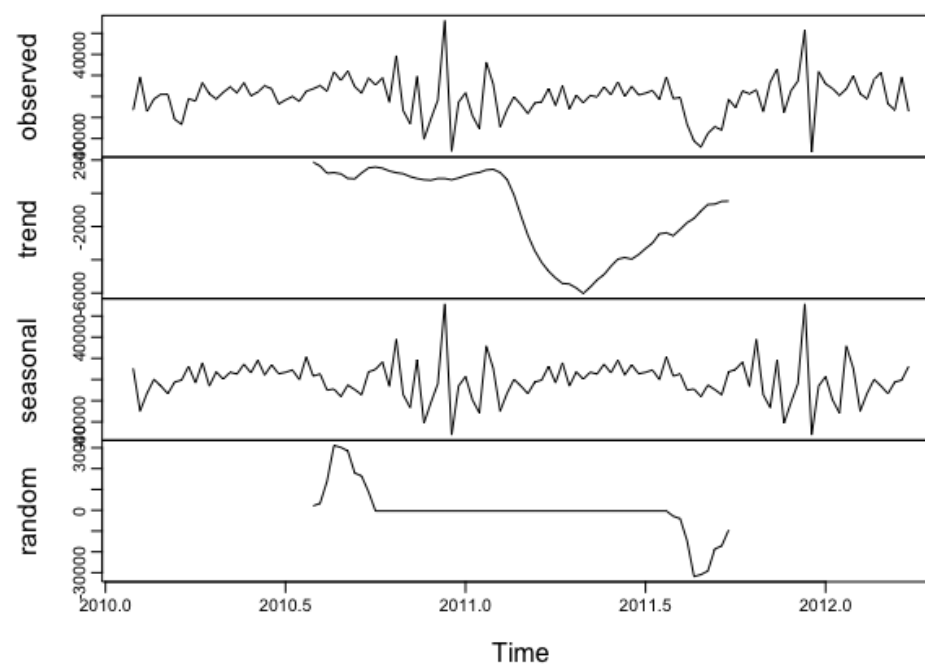
Store 3

Decomposition of additive time series



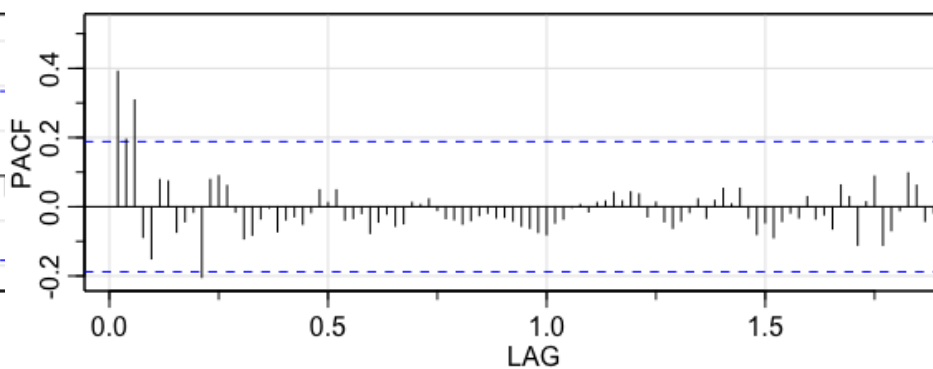
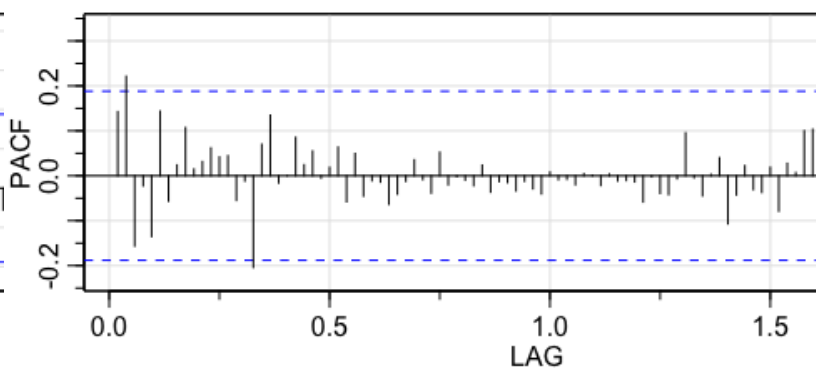
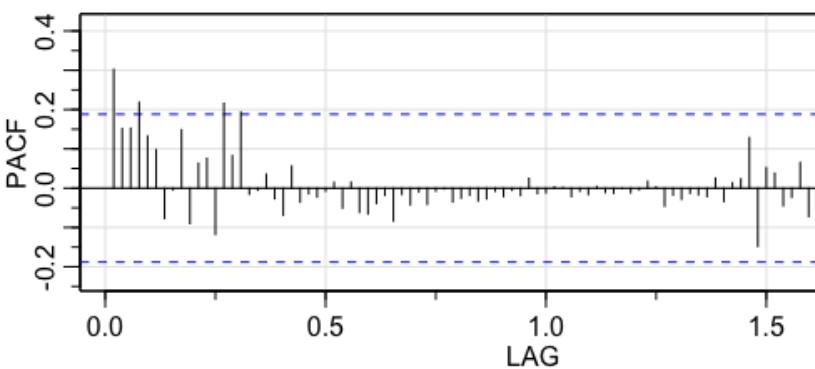
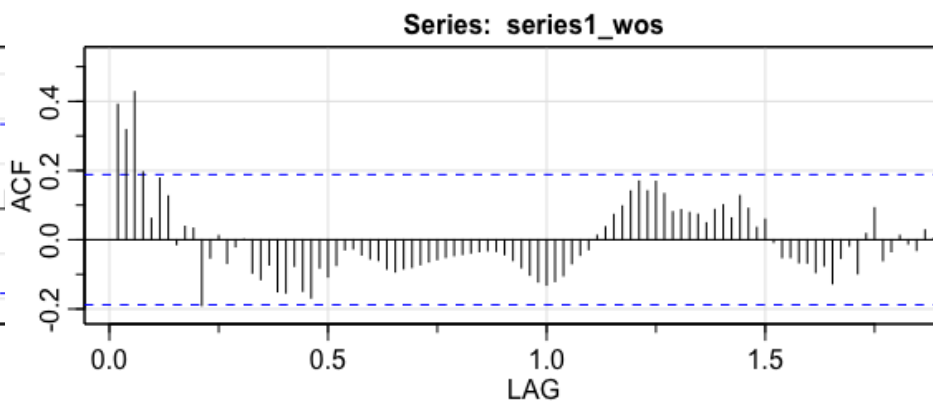
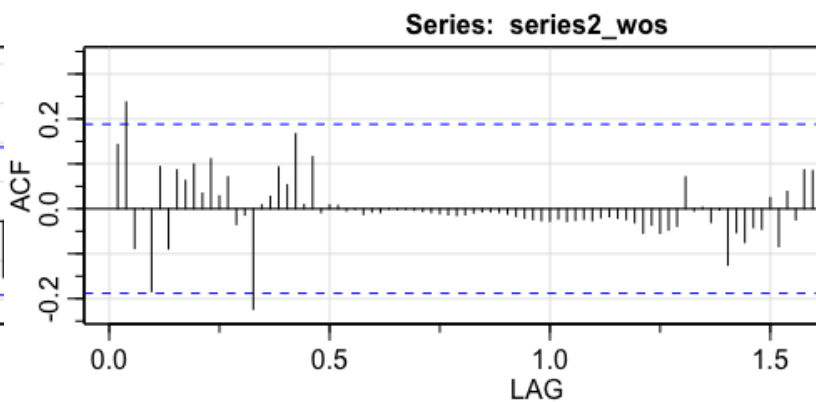
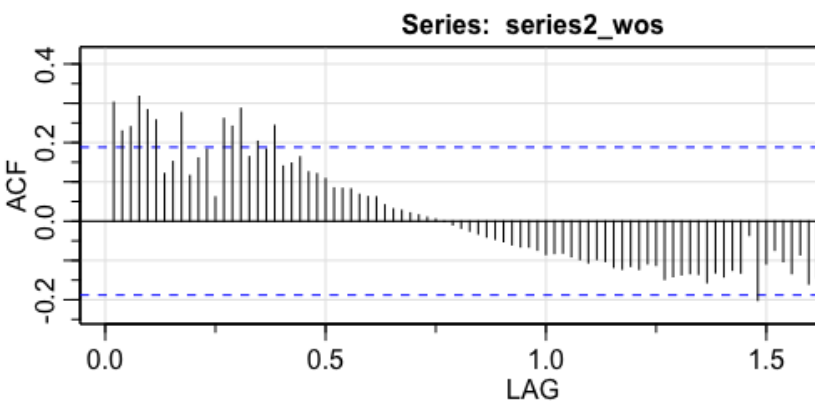
Store 20

Decomposition of additive time series



Store 30

ACF/PACF

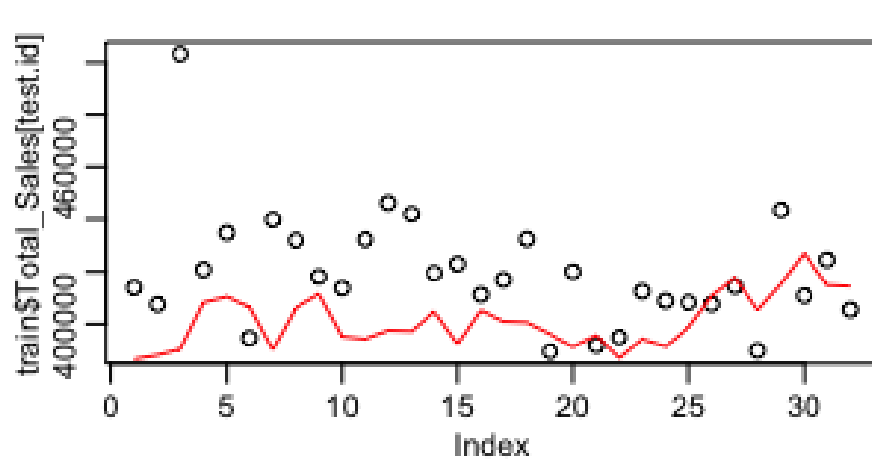


Store 3
ARIMA(1,0,1)

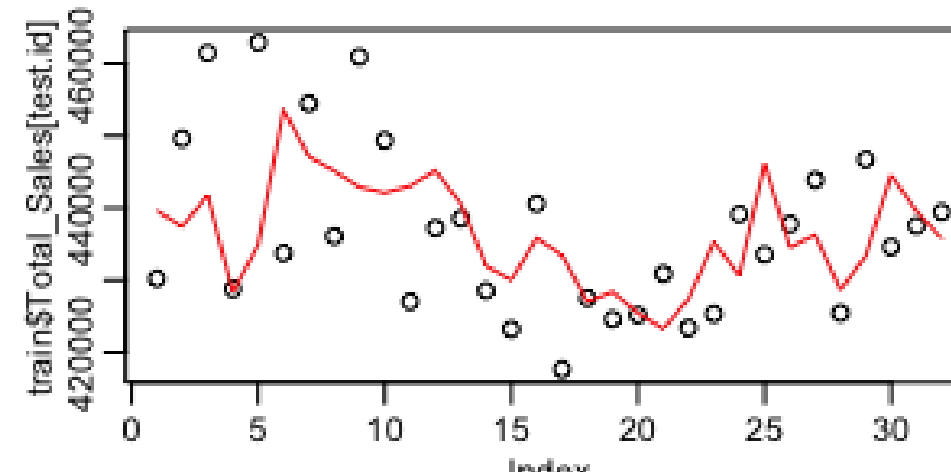
Store 20
ARIMA(1,0,1)

Store 30
ARIMA(3,0,3)

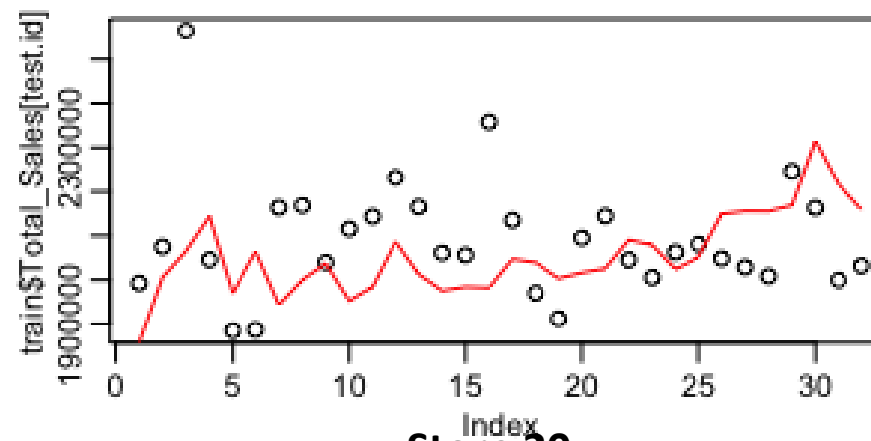
Forecast Results



Store 3
ARIMA(1,0,1)



Store 30
ARIMA(3,0,3)



Store 20
ARIMA(1,0,1)

Forecast Results: MAPE

- Store 3: 4.34%
- Store 20: 3.68%
- Store 30: 2.24%



BSTS

Why BSTS?

Handling shortage of data points

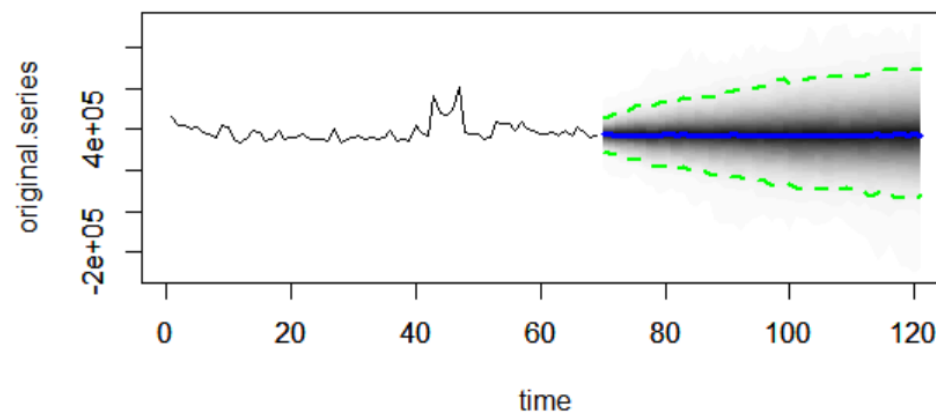
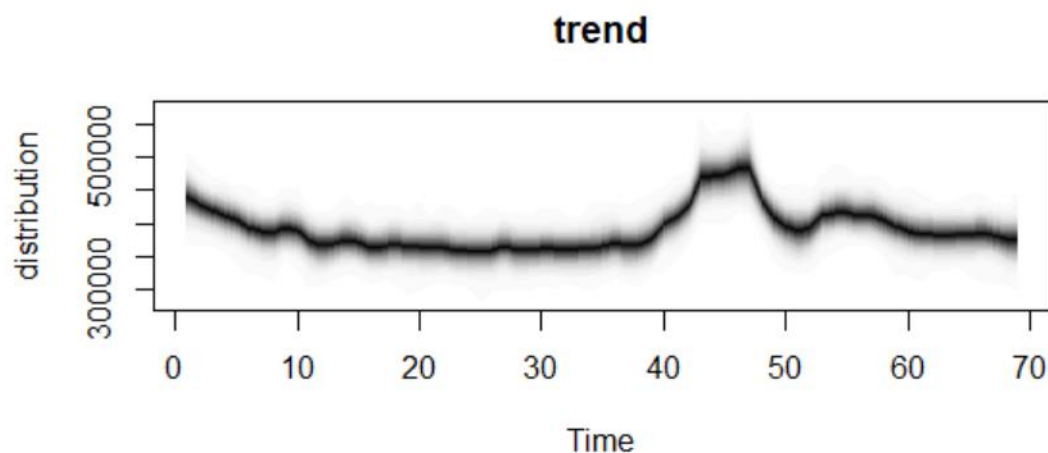
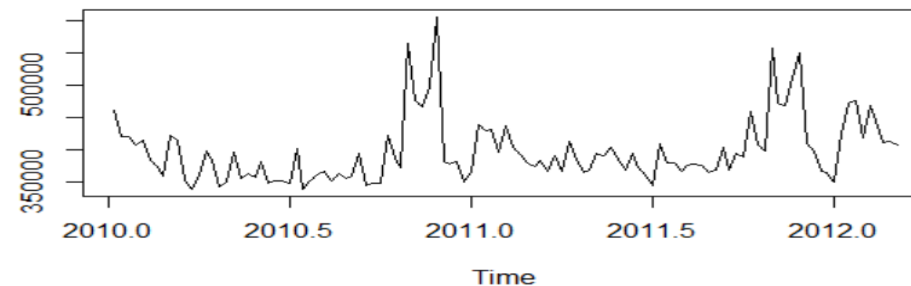
Handling Uncertainty

- Doesn't rely on differencing, lags and MA
- Combines prior and estimate parameters from posterior probability distributions of each co-variate

Store Type B – 3

Local level model

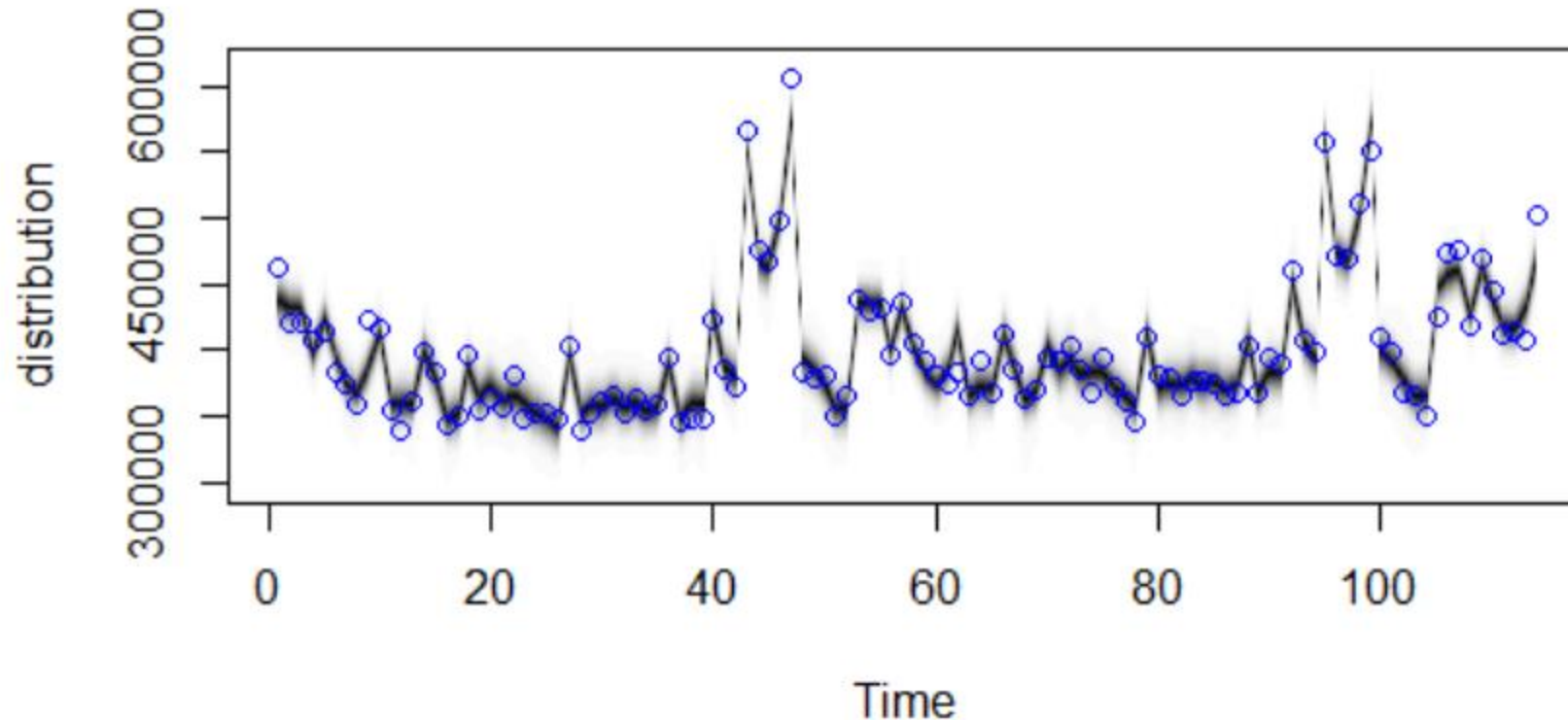
```
l1m <- ts(Store3_train$Total_Sales, start = c(2010,2,5),  
          end = c(2012,10,26), frequency = 30)  
l1ss<-AddLocalLevel(state.specification = l1ss, y=l1m)  
l1fit<-bsts(l1m, state.specification = l1ss, niter = 1000)
```



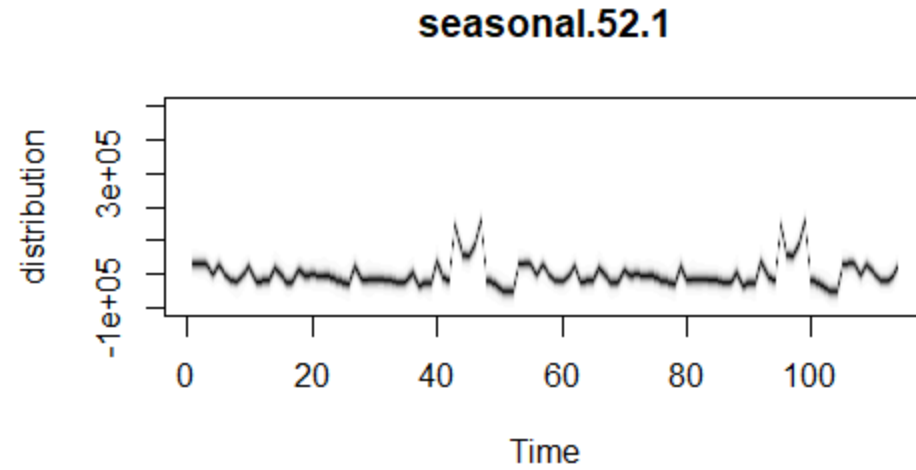
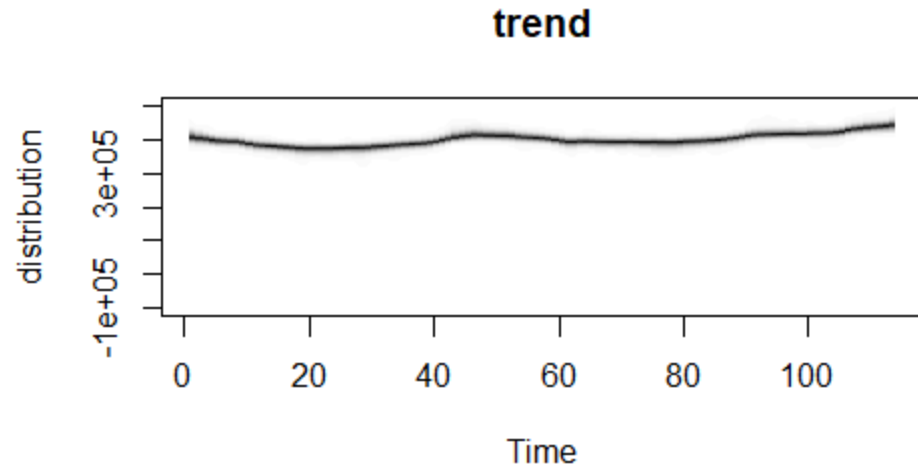
Store Type B – 3

Local trend with seasonality

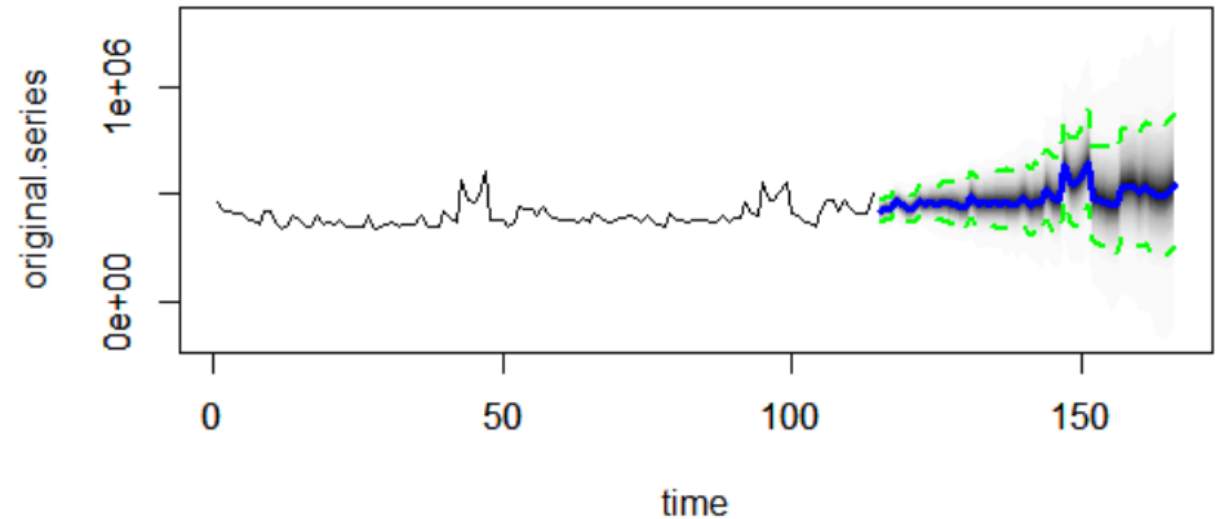
```
ss <- AddLocalLinearTrend(list(), Store3_train$Total_Sales)
ss <- AddSeasonal(ss, Store3_train$Total_Sales, nseasons = 52)
model1 <- bsts(Store3_train$Total_Sales,
               state.specification = ss, niter = 1000)
```



Local trend with seasonality – Components & Prediction



```
pred1 <- predict(model1, newdata = Store3_test,  
                  horizon = 52)  
plot(pred1, plot.original = 156)
```

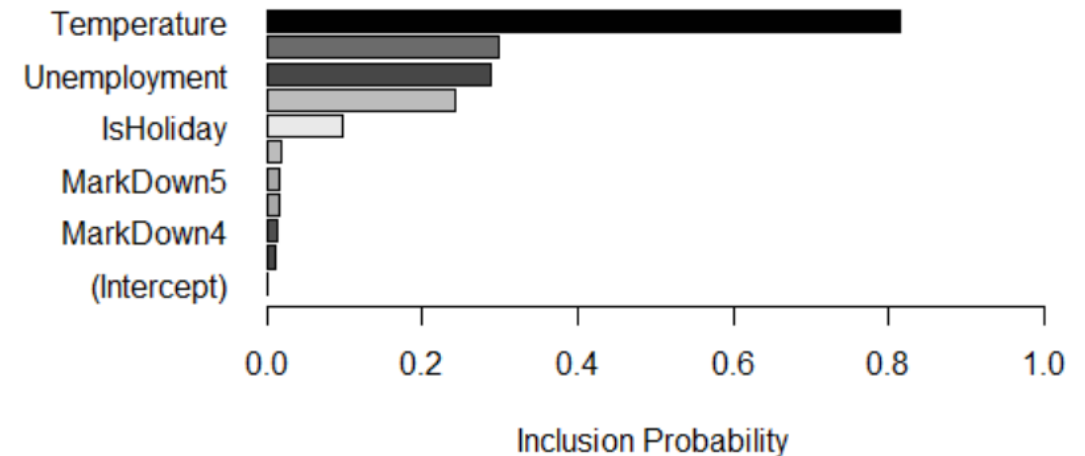
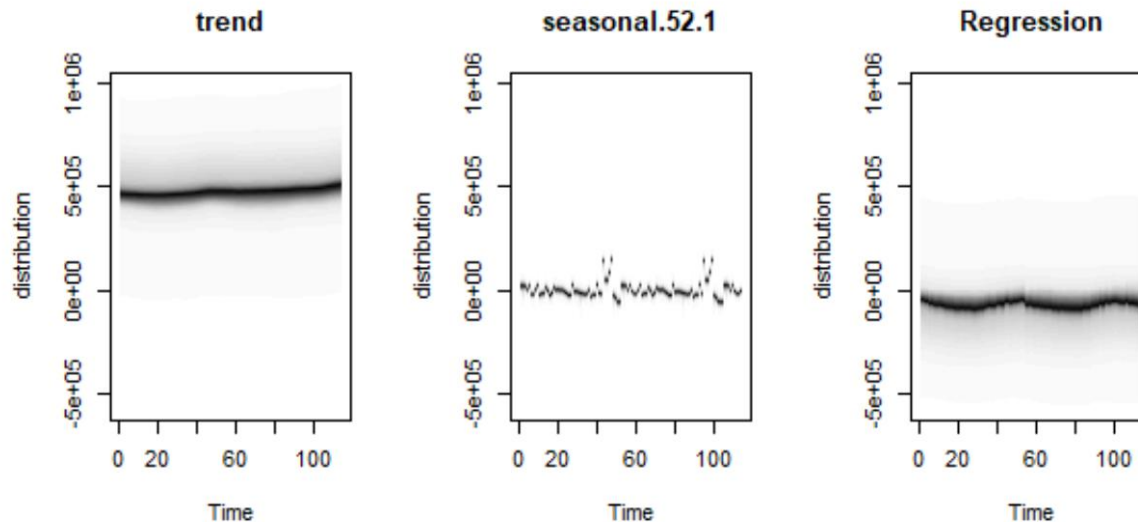


Store Type B – 3

Local trend with seasonality and Regression

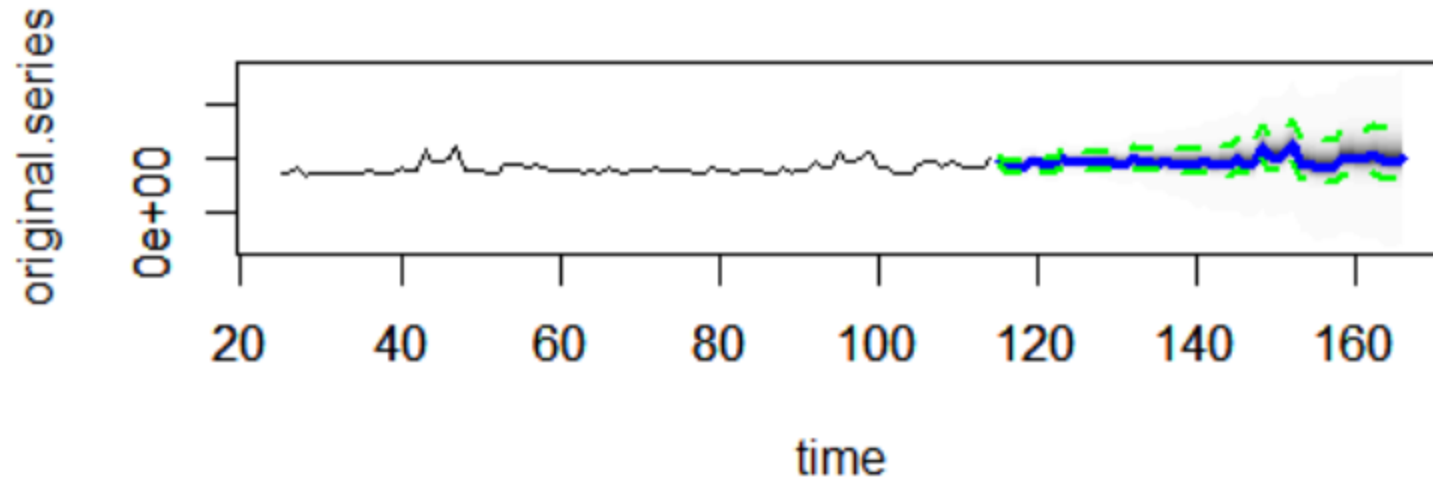
```
model3 <- bsts(Total_Sales ~ ., state.specification = ss,  
               data = Store3_train, niter = 5000,  
               expected.model.size = 5) |
```

$$y_t = \mu_t + \tau_t + \beta^T \mathbf{x}_t + \epsilon_t$$

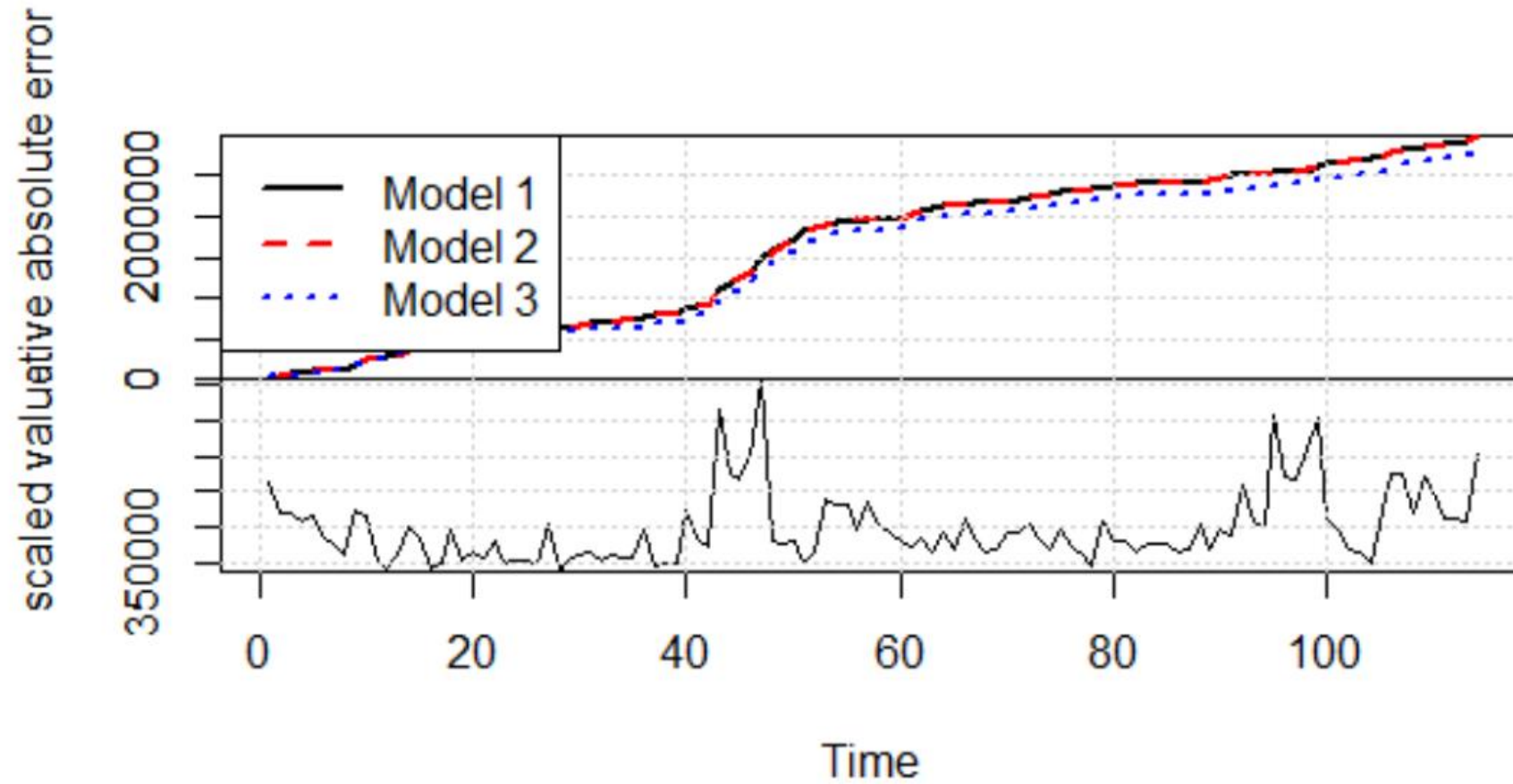


Prediction

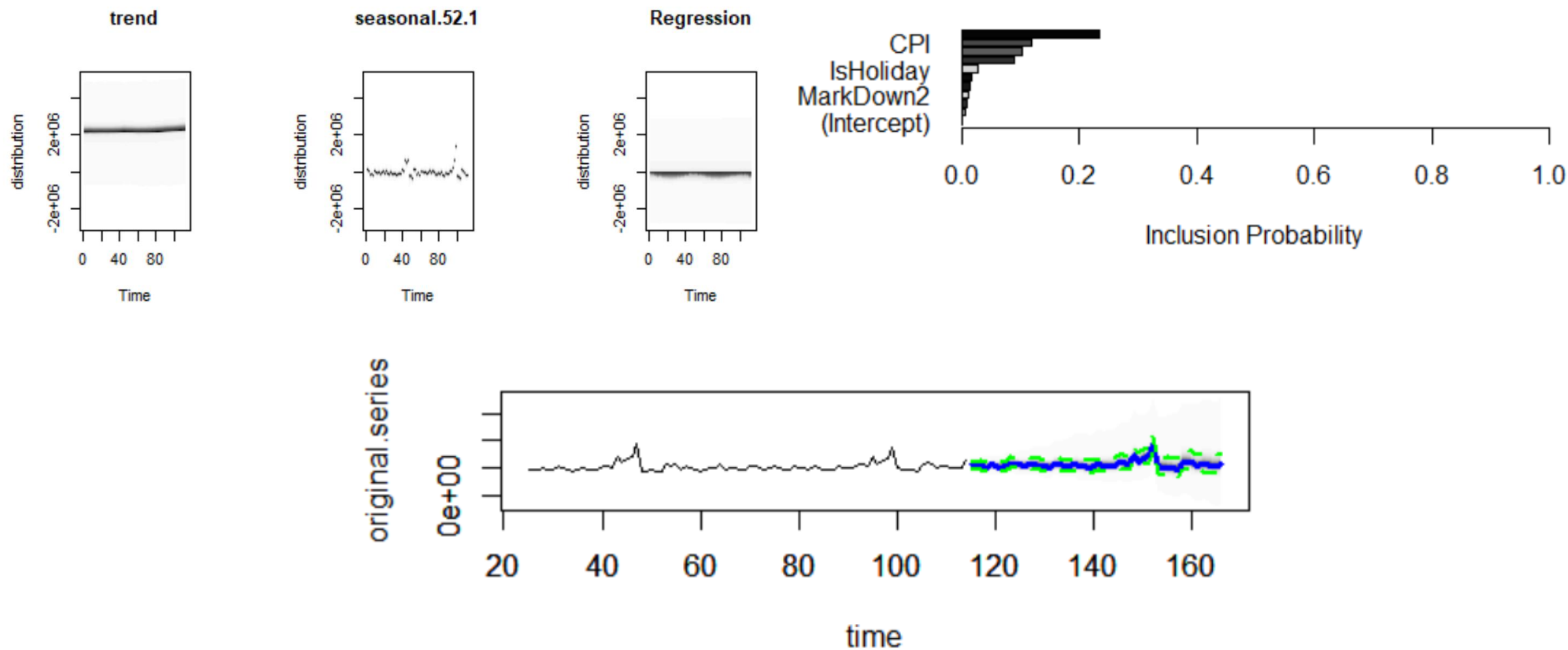
```
newpred<- predict(model3, newdata =Store3_test, horizon = 52)  
plot(newpred, plot.original =90, main = 'trend')
```



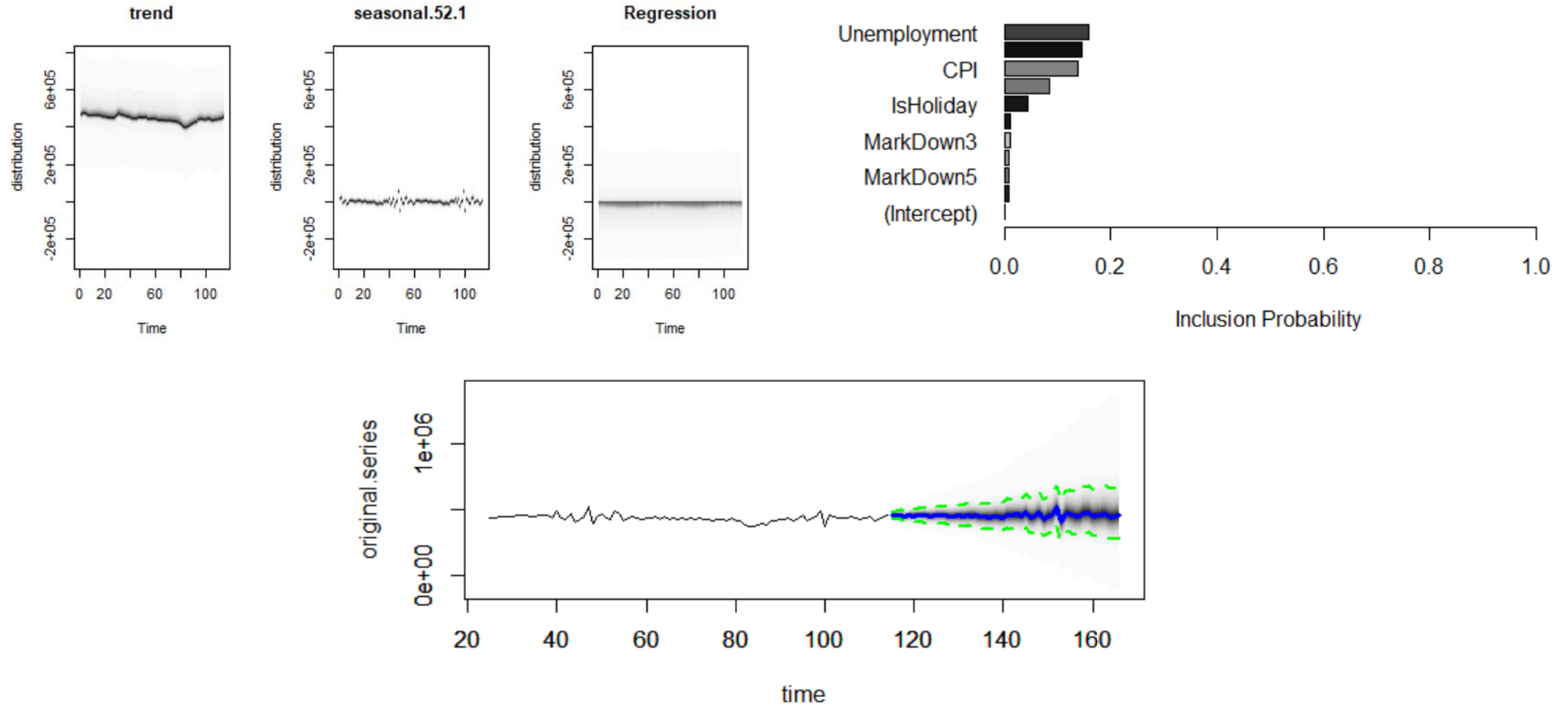
Comparison of models



Store Type A - 20



Store Type C - 30



Forecast Results: MAPE

- Store 3: 14.4%
- Store 20: 16.6%
- Store 30: 5.04%

Conclusion

- Comparing all the three methods
- Store wise conclusion

Next Steps

- Final Model Tuning
- Test one store each from the same story type category and fit the model to test accuracy
- Extend the analysis for across all stores
- Develop department wise forecast model