

1940223_CIA3.R

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```
data = read.csv("NTCA - TIGERNET.csv")  
#ABOUT THE DATASET  
#Records: Mortalities and seizures of tigers.  
#Country: India  
#Year: 2018
```

```
#Libraries
```

```
library(ggplot2)
```

```
library(ggcorrplot)
```

```
library(dplyr)
```

```
##
```

```
## Attaching package: 'dplyr'
```

```
## The following objects are masked from 'package:stats':
```

```
##
```

```
## filter, lag
```

```
## The following objects are masked from 'package:base':
```

```
##
```

```
## intersect, setdiff, setequal, union
```

```
attach(data)
```

```
head(select(data, 4:8), 6)
```

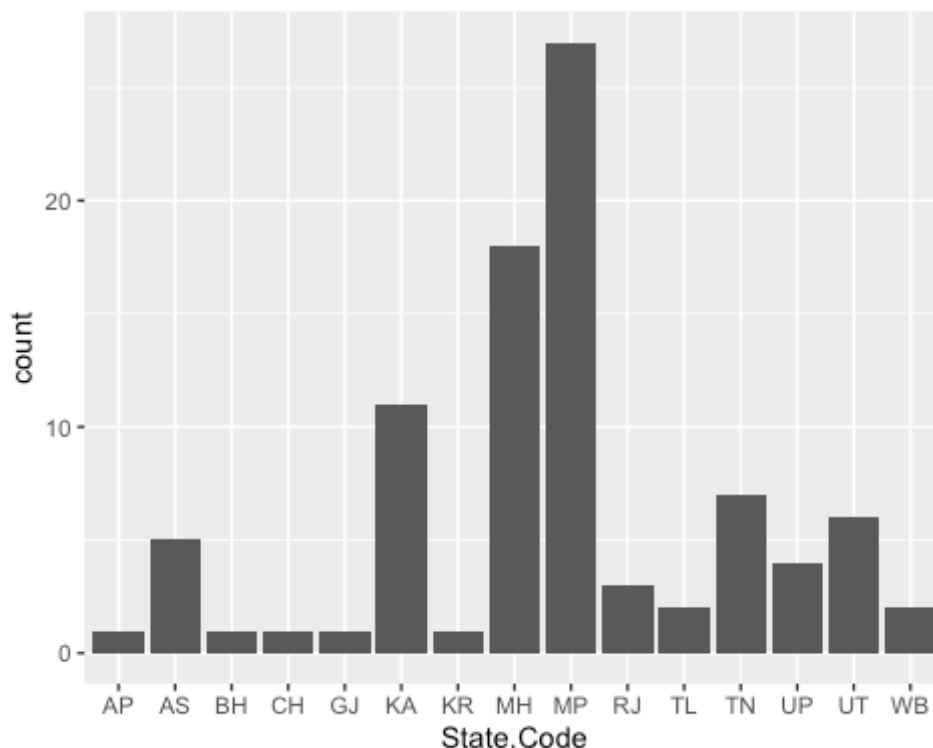
```
## Mortality.Seizure State.Code      State Sex Age  
## 1      Mortality      MH  Maharashtra <NA> NA  
## 2      Mortality      MH  Maharashtra <NA> 2.3  
## 3      Mortality      MP  Mahya Pradesh <NA> 7.8  
## 4      Mortality      MH  Maharashtra <NA> 4.0  
## 5      Mortality      KR    Kerala Male 10.4  
## 6      Mortality      MP  Madhya Pradesh Male 2.0
```

```
#1.1
```

```
#Bar chart of observations according to state
```

```
bp1 = ggplot(data, aes(x = State.Code))
```

```
bp1 + geom_bar()
```



```
#INTERPRETATIONS
```

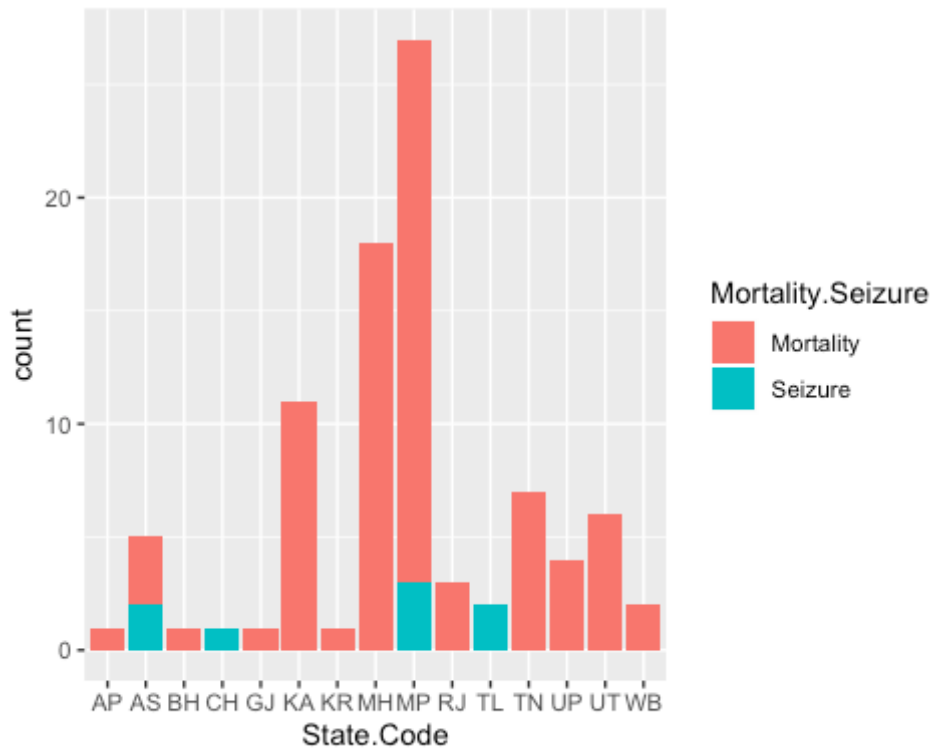
```
#a. Maximum observations are from Madhya Pradesh, followed by Maharashtra and Karnataka
```

```
#b. The range of frequencies is large
```

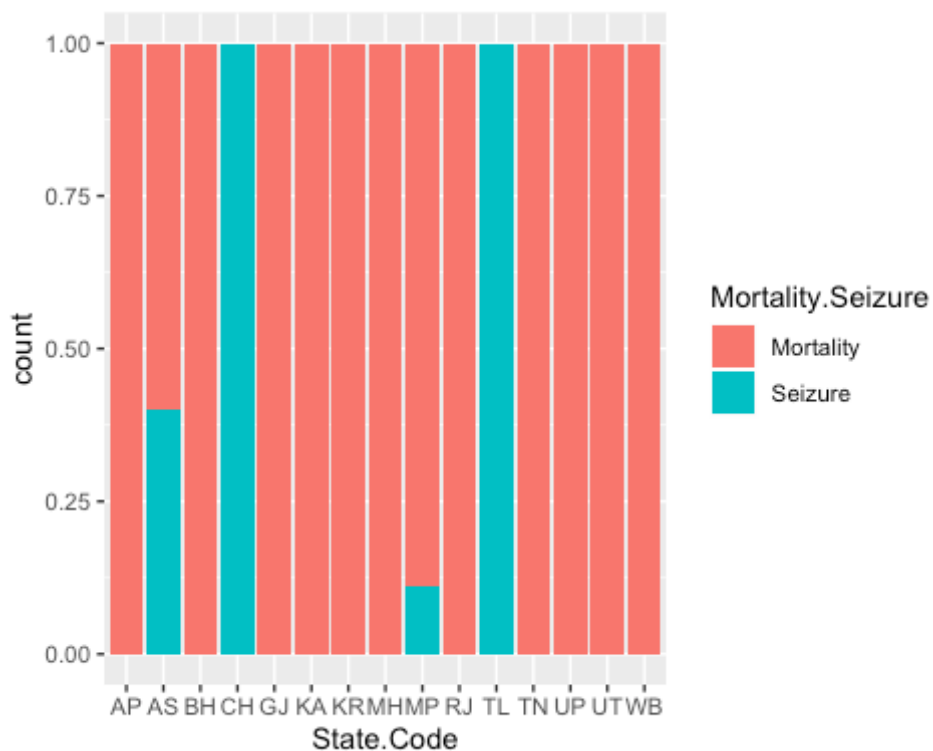
```
# i.e. difference between least no. of observations and most no. of observations is large
```

```
#1.2
```

```
#1.2
#Segmented bar chart to see mortalities and seizure per state
bp2 = ggplot(data, aes(x = State.Code, fill = Mortality.Seizure))
#1. In absolute values
bp2 + geom_bar()
```



```
#INTERPRETATION
#a. Seizures recorded are very few compared to mortalities
#b. Seizures are recorded only in 4 states
#2. In proportion to the total observations from the state
bp2 + geom_bar(position = "fill")
```



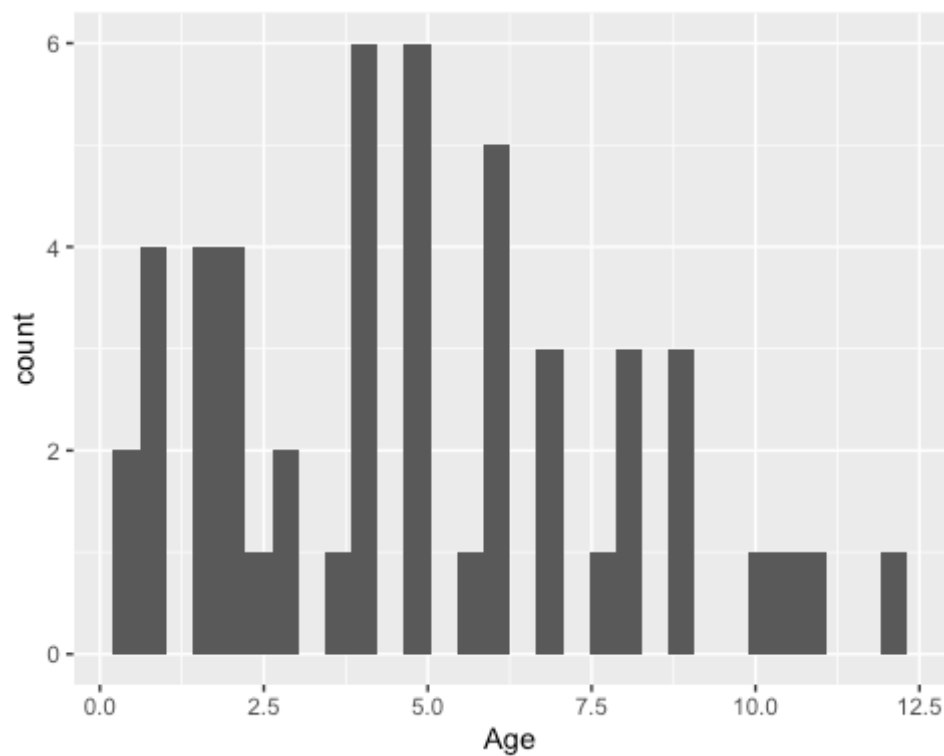
```
#INTERPRETATION
#a. Chandigarh and Telangana recorded seizures in 100% of the observations
#b. Most states recorded mortalities in 100% of the observations
```

```
#2.1
#Density plot and histogram according to tiger ages
dp1 = ggplot(data, aes(x = Age))
dp1 + geom_density(na.rm = TRUE)
```





```
dp1 + geom_histogram(na.rm = TRUE)
## `stat_bin()` using `bins = 30`. Pick better value with `binwidth`.
```



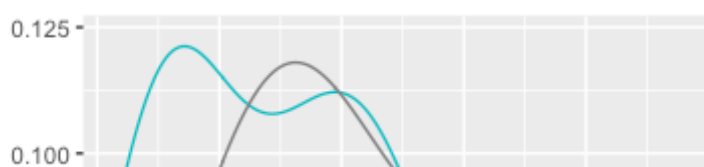
#INTERPRETATION

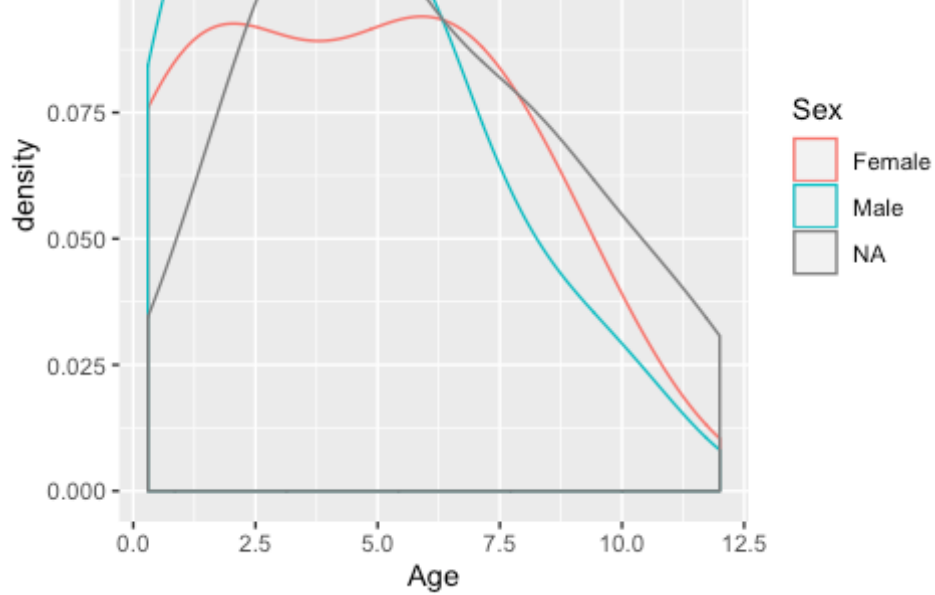
- #a. Ages around 5 years is most highly recorded
- #b. The observations get almost linearly fewer as the age rises beyond 4-5 years
 - # i.e. after around 4-5 years, the number of observed tigers is inversely proportional to age
- #c. Observations at the lower extreme of the ages are more numerous than at the higher extreme
 - # i.e the density curve is positively skewed
- # This may indicate some combination of the following factors
 - # -Infant mortality has risen
 - # -Birth rate has fallen
- # (However, due to the significant number of unknown ages, the above conclusions are far from definitive)

#2.2

#Density plot of age considering the two sexes

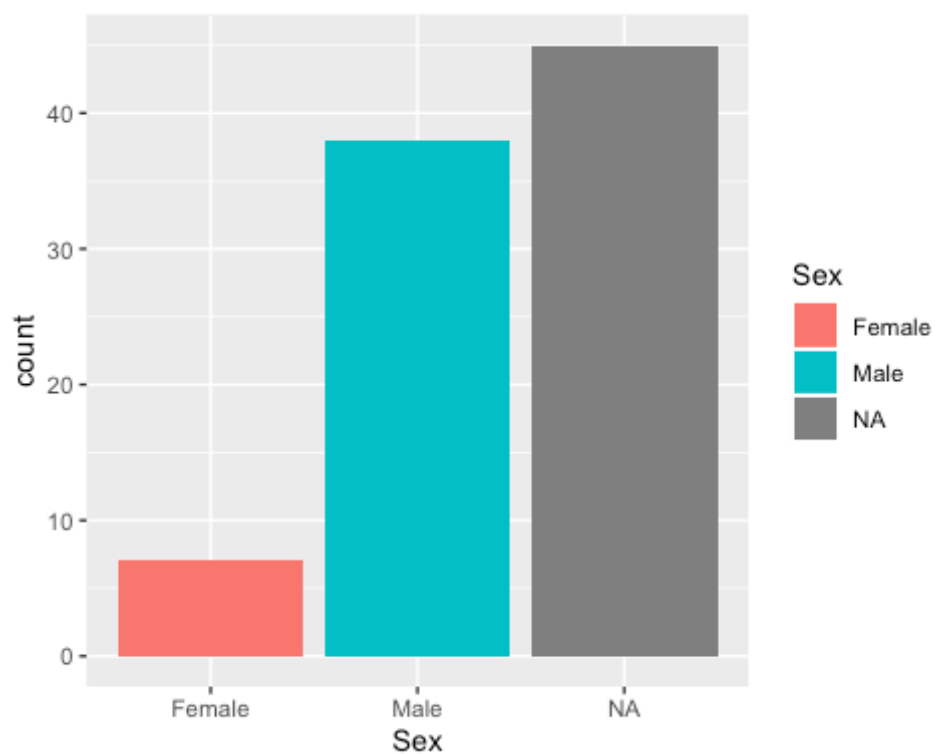
```
dp2 = ggplot(data, aes(x = Age, colour = Sex))
dp2 + geom_density(na.rm = TRUE)
```





#Supporting graph

```
bp3 = ggplot(data, aes(x = Sex, fill = Sex))
bp3 + geom_bar()
```



#INTERPRETATION

#The supporting graph shows that the different density plots do not represent absolute values, only proportions

*#a. There are many more males with lower ages than with higher ages
i.e. between 0 and 7*

#b. The maximum number of males are with ages around 1.5

#c. The female records follow a similar pattern to male records

#d. The ages are more flatly spread than they are for males

*# Hence, a larger proportion of the female population has higher ages
i.e. between 7 and 12.5*

#e. The maximum number of females are with ages around 7

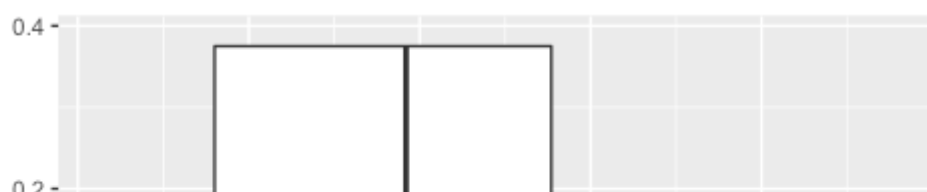
#3.1

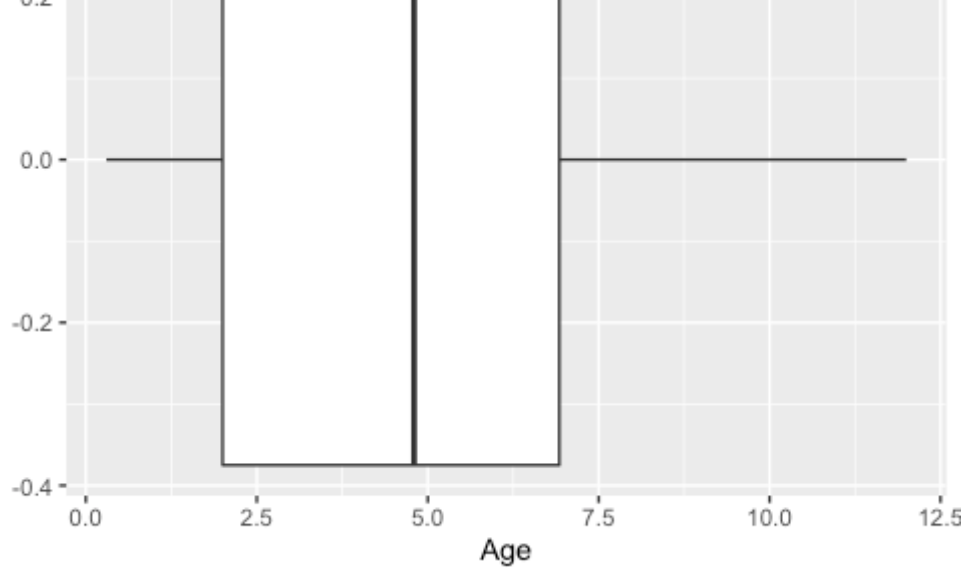
#Boxplot for ages

```
bxp1 = ggplot(data, aes(y = Age))
```

```
bxp1 + geom_boxplot() + coord_flip()
```

Warning: Removed 40 rows containing non-finite values (stat_boxplot).





#INTERPRETATION

#We can see that

#a. The mean is between 4 to 5

#b. There are no outliers

i.e. every value is within an interquartile range from the previous quartile

#c. The 1st quartile is between 2 and 2.5

#d. The 3rd quartile is between 7 and 7.5

#e. The minimum is about 0.25

#f. The maximum is about 12

#3.2

#Boxplot for ages with regard to 4 states

tmp = data

s1 = `filter`(data, State.Code == "MH")

s2 = `filter`(data, State.Code == "KA")

s3 = `filter`(data, State.Code == "MP")

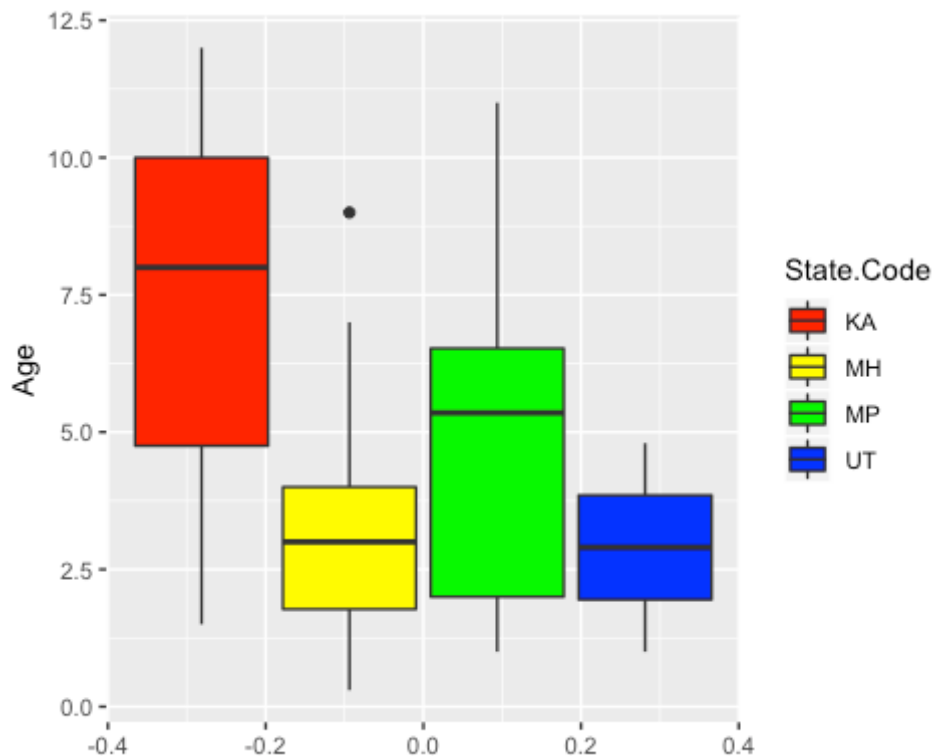
s4 = `filter`(data, State.Code == "UT")

tmp = `union`(`union`(`union`(s1, s2), s3), s4)

bxp2 = `ggplot`(tmp, `aes`(y = Age, fill = State.Code))

bxp2 + `geom_boxplot`() + `scale_fill_manual`(values = c("red", "yellow", "green", "blue"))

Warning: Removed 25 rows containing non-finite values (stat_boxplot).



#INTERPRETATION

#Among these four states

#a. Tigers observed Karnataka have the highest median, minimum and maximum ages

#b. Karnataka and Madhya Pradesh would have negatively skewed distributions

This means that

1) Tigers below median age are more scattered across the age spectrum

2) Tigers above median age are more concentrated in a smaller range of ages

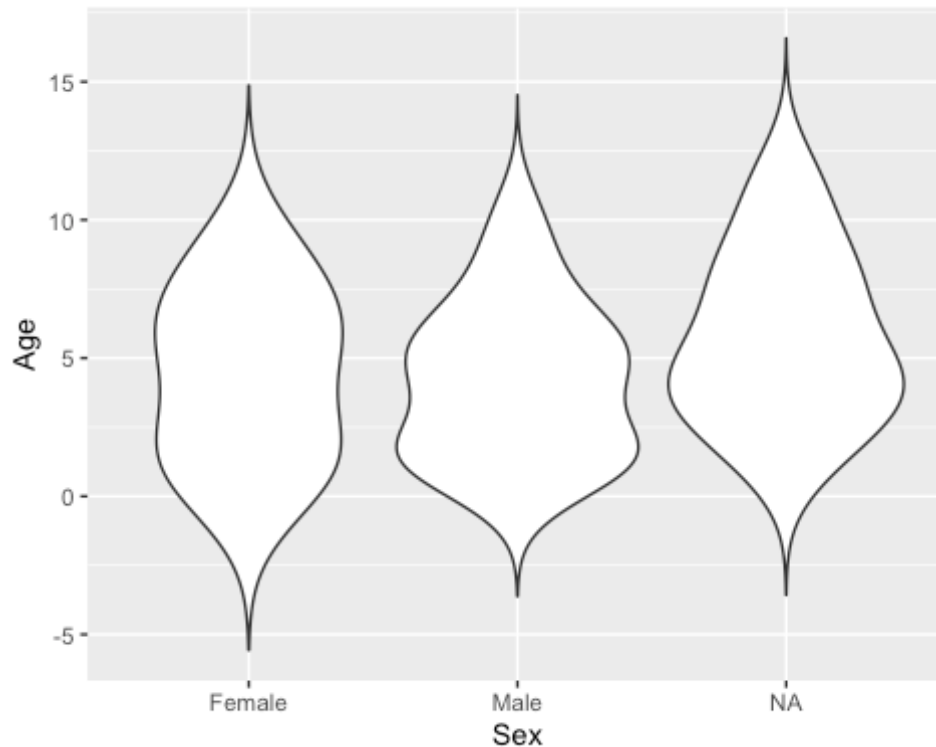
#4.1

#Violin plot for age per sex

vp1 = **ggplot**(data, **aes**(x = Sex, y = Age))

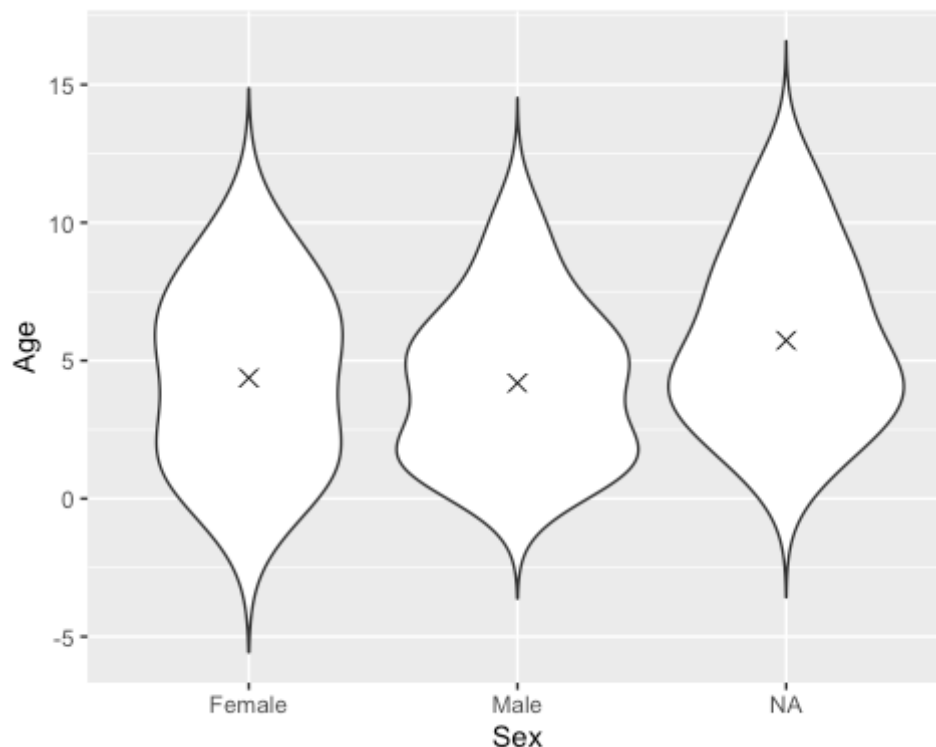
vp1 + **geom_violin**(trim = **FALSE**)

Warning: Removed 40 rows containing non-finite values (stat_ydensity).



vp1 + **geom_violin**(trim = **FALSE**) + **stat_summary**(fun.y = mean, geom = "point", na.rm = **TRUE**, shape = "cross", size = 3)

Warning: Removed 40 rows containing non-finite values (stat_ydensity).



#INTERPRETATION

#The interpretations are similar to the density plot.

#a. As seen with the density plot, females are distributed similar to males accross ages

(They are also more evenly spread accross ages)

#b. The means of males, females and unrecorded genders are very similar

#c. The population is more concentrated around the young to mid-range ages

#4.2

#Violin and box plot for age with regard to mortalities and sex

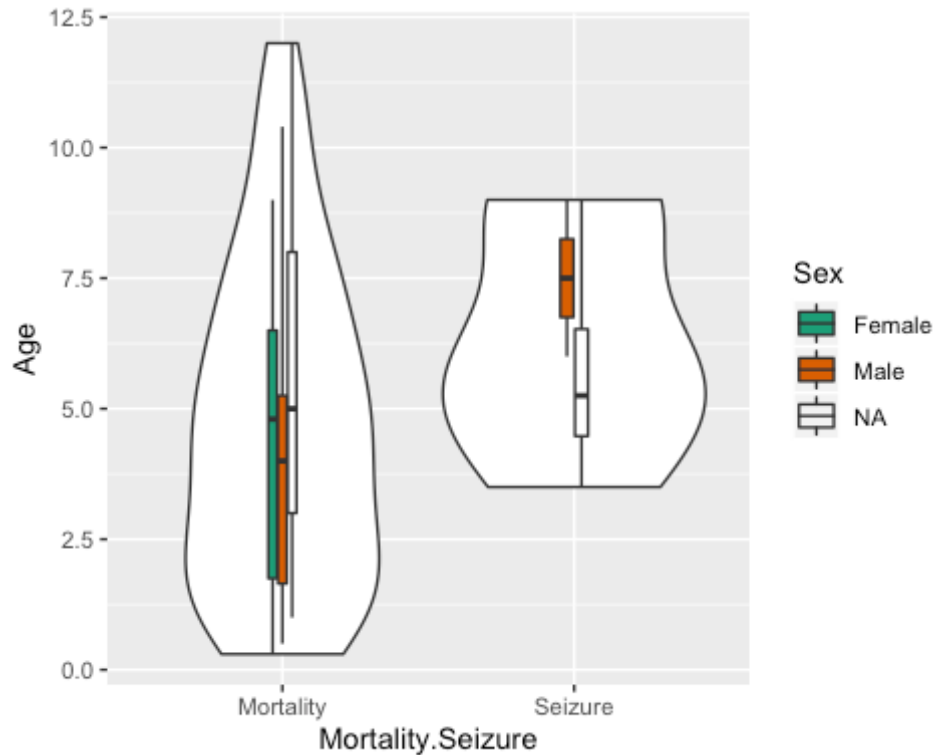
vp2 = **ggplot**(data, **aes**(x = Mortality.Seizure, y = Age))

vp2 + **geom_violin**(trim = **TRUE**) + **geom_boxplot**(width = 0.1, **aes**(y = Age, fill = Sex)) +

scale_fill_brewer(palette = "Dark?")

```
## Warning: Removed 40 rows containing non-finite values (stat_ydensity).
```

```
## Warning: Removed 40 rows containing non-finite values (stat_boxplot).
```



#INTERPRETATION

#a. Recorded mortalities are higher at lower to mid-range ages

#b. Recorded seizures are only around mid-range ages

#c. No female seizures recorded

#d. From the box plot, the recorded ages of mortalities of females is lower on average than males

#5.1

#Classifying tigers as mature and cubs

```
data = mutate(data, Age.Group = factor(Age > 2, labels = c("Cub", "Mature")))
```

#6.1

#Finding age-wise data for each sex and mortality / seizure class

#Mean and standard deviation of ages

```
group_by(data, Sex, Mortality.Seizure) %>% summarise(mean(Age, na.rm = TRUE), sd(Age, na.rm = TRUE))
```

```
## Warning: Factor `Sex` contains implicit NA, consider using
```

```
## `forcats::fct_explicit_na`
```

```
## Warning: Factor `Sex` contains implicit NA, consider using
```

```
## `forcats::fct_explicit_na`
```

```
## # A tibble: 5 x 4
```

```
## # Groups:   Sex [3]
```

```
##   Sex   Mortality.Seizure `mean(Age, na.rm = TRUE)` `sd(Age, na.rm = TRUE)`
```

```
##   <fct> <fct>           <dbl>           <dbl>
```

```
## 1 Female Mortality      4.37            3.20
```

```
## 2 Male   Mortality      3.86            2.71
```

```
## 3 Male   Seizure        7.5             2.12
```

```
## 4 <NA>   Mortality      5.72            3.33
```

```
## 5 <NA>   Seizure        5.75            2.35
```

#Minimum and maximum of ages

```
group_by(data, Sex, Mortality.Seizure) %>% summarise(min(Age, na.rm = TRUE), max(Age, na.rm = TRUE))
```

```
## Warning: Factor `Sex` contains implicit NA, consider using
```

```
## `forcats::fct_explicit_na`
```

```
## Warning: Factor `Sex` contains implicit NA, consider using
```

```
## `forcats::fct_explicit_na`
```

```
## # A tibble: 5 x 4
```

```
## # Groups:   Sex [3]
```

```
##   Sex   Mortality.Seizure `min(Age, na.rm = TRUE)` `max(Age, na.rm = TRUE)`
```

```
##   <fct> <fct>           <dbl>           <dbl>
```

```
## 1 Female Mortality      0.3             9
```

```
## 2 Male   Mortality      0.5            10.4
```

```
## 3 Male   Seizure        6             9
```

```
## 4 <NA>   Mortality      1             12
```

```
## 5 <NA>   Seizure        3.5            9
```

```
## 5 <NA> Seizure 3.5 9
#7.1
#Correlation may not be meaningful or accurate as there are many unknown values, hence we may
not have sufficient to indicate relations.
#Also, I am calculating correlation for binary variables, and the available correlation methods may
not be appropriate.
```

#Correlation between age and mortality

```
j = 1
tmp.age = c(0)
tmp.mortality = c(0)
for(i in 1:90)
{
  if(!is.na(Age[i]) && !is.na(Mortality.Seizure))
  {
    tmp.age[j] = Age[i] > 10
    tmp.mortality[j] = Mortality.Seizure[i] == "Mortality"
    j = j + 1
  }
}
cor(tmp.age, tmp.mortality)
## [1] 0.09329556
#INTERPRETATION
#We see a very weak correlation between age being above 10 and mortality
#However, this could be because of the many missing values
```

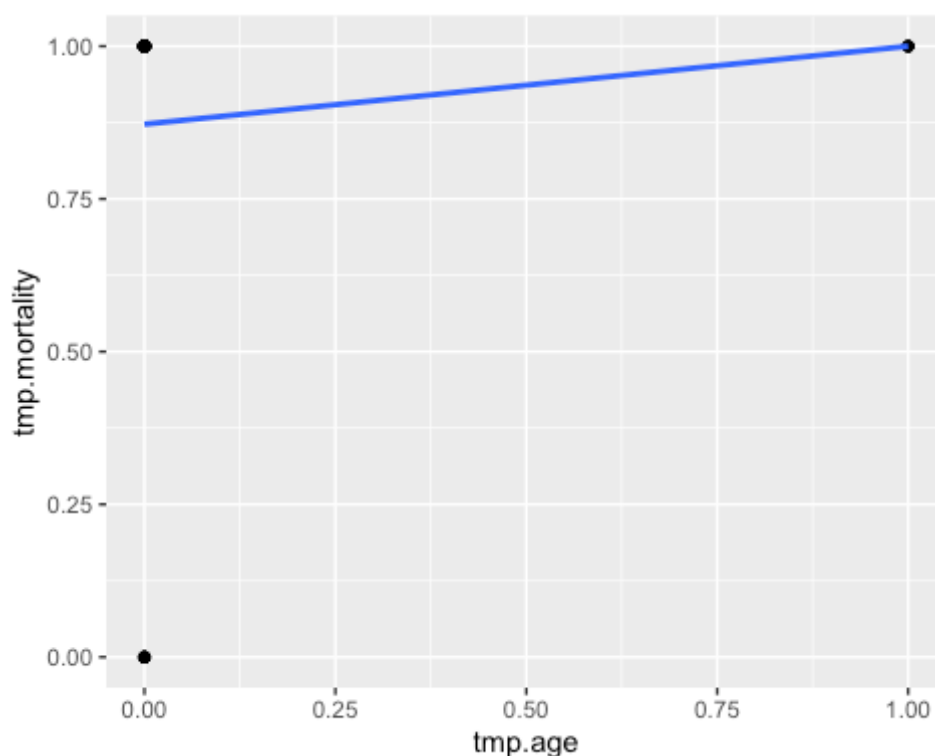
#7.2

#Confirming that the vectors are of the same size

```
length(tmp.age)
## [1] 50
length(tmp.mortality)
## [1] 50
#Making a dataframe from the vectors
df = data.frame(tmp.age, tmp.mortality)
#Finding the regression
lm(tmp.mortality~tmp.age, data = df)
##
## Call:
## lm(formula = tmp.mortality ~ tmp.age, data = df)
##
## Coefficients:
## (Intercept) tmp.age
## 0.8723 0.1277
```

*#According to the result, mortality = 0.8723 + 0.1277*age*

```
ggplot(df, aes(x = tmp.age, y = tmp.mortality)) + geom_point() + geom_smooth(method = "lm",
se = FALSE)
```



#INTERPRETATION

#The above result is not meaningful, and is done mainly to show off my skills

#It is not meaningful, as it is not between two continuous variables

#It is not meaningful, as it is not between two continuous variables