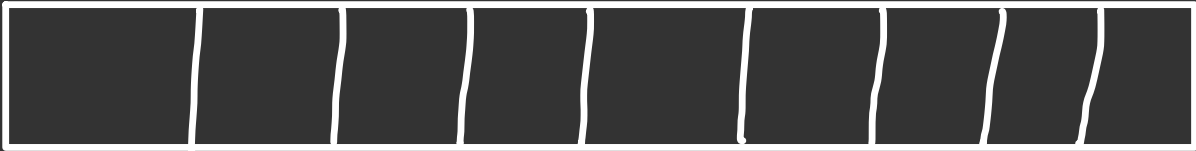


QUEUE's

Lecture 60

Queue \rightarrow FIFO
(first in, first out)

front \downarrow



\uparrow
rear

push \rightarrow rear
pop \rightarrow front

Creation \rightarrow

```
queue<int> q;  
q.push(17);  
q.pop();  
q.size();  $\rightarrow$  int  
q.empty();  $\rightarrow$  bool
```

`q.front();`

↳ first element
in the front

* You insert at rear, thus after
each push, rear shifts.

push = enqueue
pop = dequeue

Implementation using Arrays

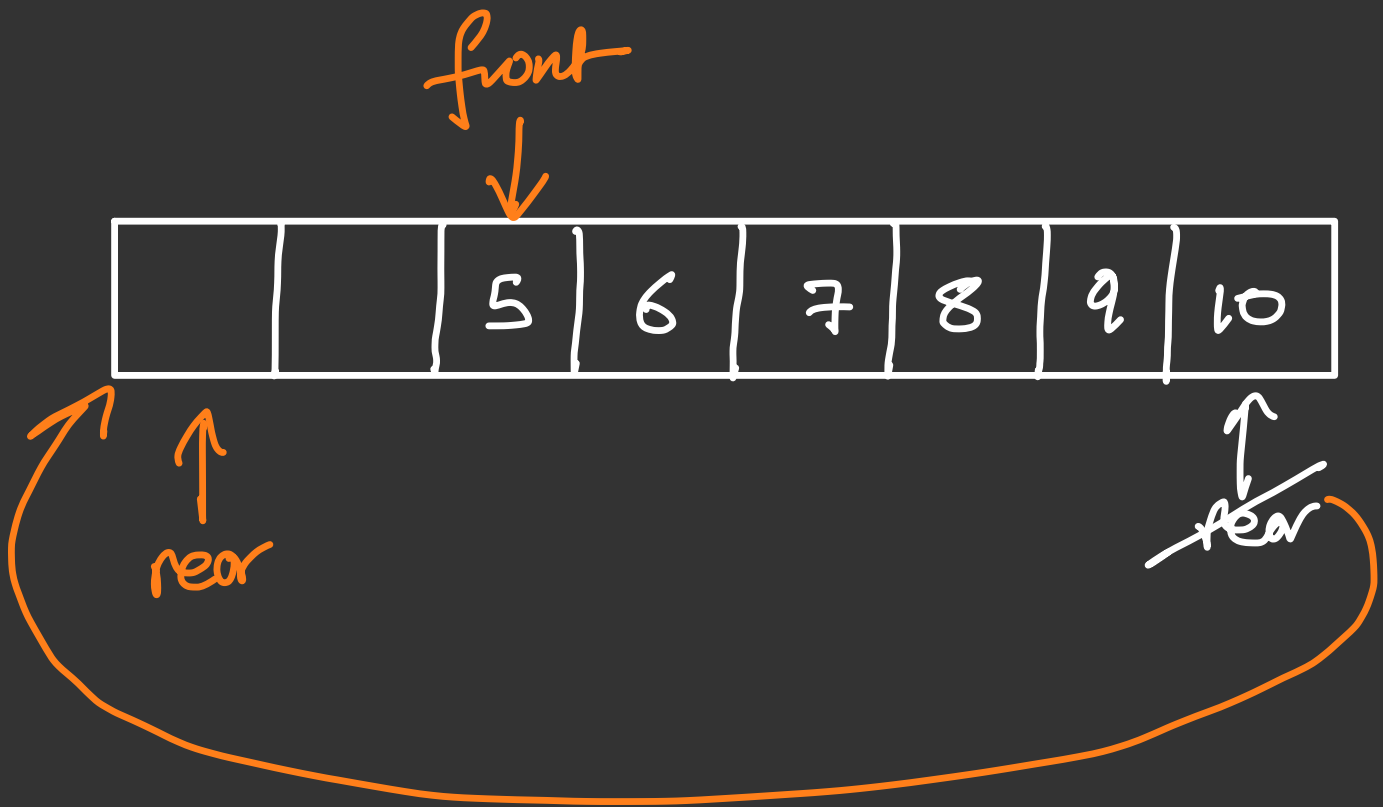
↳ `queueImplementation-Arrays.cpp`

Implementation using Linked List

↳ `queueImplementation-LL.cpp`

Circular Queue

★ If elements are stored till end of the array, rear now comes to $arr[0]$.



→ circularQueue.cpp

Input Restricted Queue

↳ input only on side (rear)
↳ pop can be both sides

(i) pop-back

(ii) pop-front

Output Restricted Queue

↳ input both sides
 (i) push-front
 (ii) push-back
↳ output / pop from only front side

Double Ended Queue

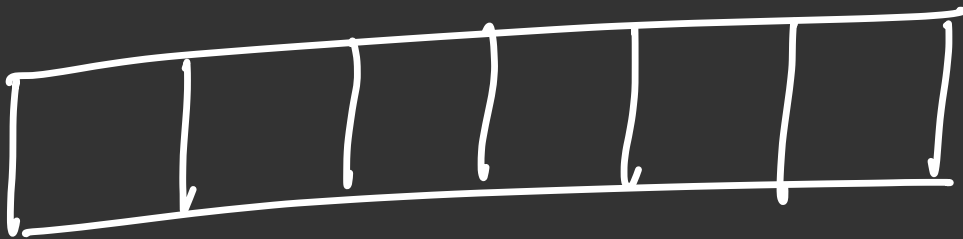
→ push-back
→ push-front

→ pop-back
→ pop-front



Initially,

front = -1
rear = -1



→ double Ended Queue.cpp

PUSH FRONT

→ if full
return -1;

→ front == -1 (first element)
front = 0
rear = 0

→ front = 0
front = s - 1;

→ front --;
insert at front

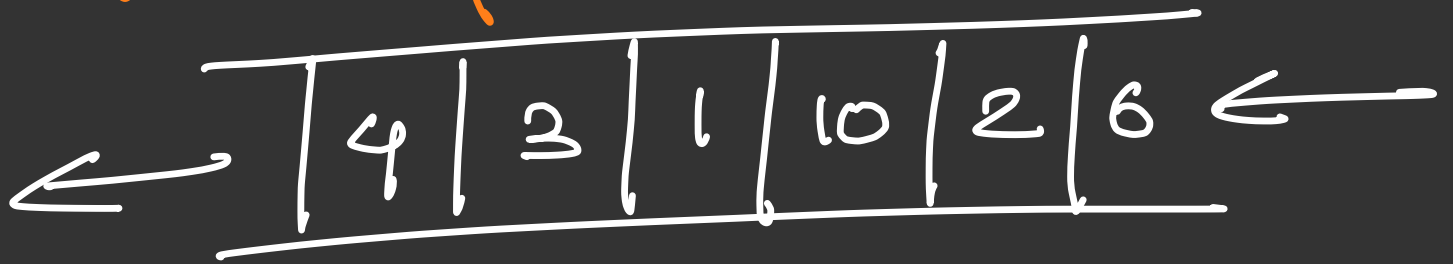
is Full

if $((\text{rear} + 1) \% s == \text{front})$
return true;

else
return false;

Lecture 61

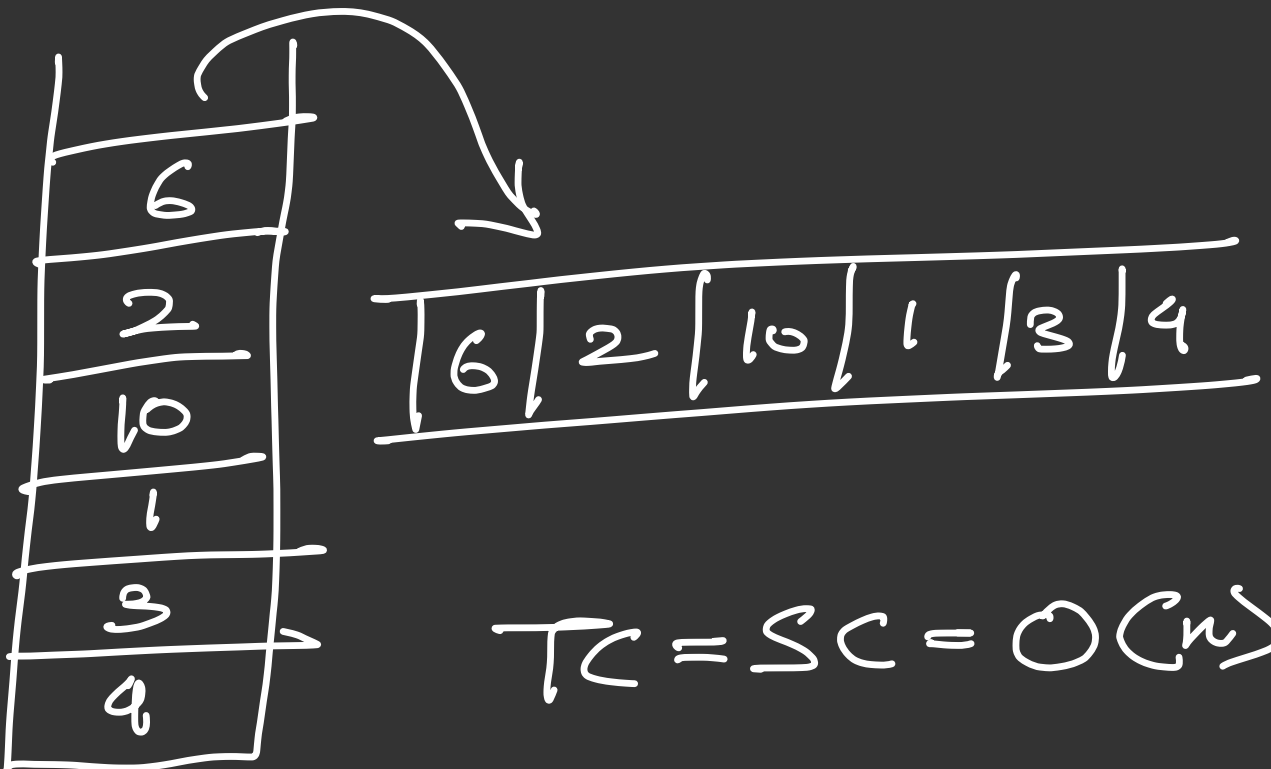
Reverse of Queue



Approach 1 →

Use Stack

→ whatever you put in stacks comes out in reverse.



$$TC = SC = O(n)$$

Approach 2 \rightarrow

Recursion

Base Condition

if (q.empty())
return;

- ① Store front element
- ② Pop front element
- ③ Recursive call
- ④ Push that element.

Find first negative integer in every window of size k .

$\{-8, 2, 3, -6, 10\}$

window size = 2

→ one element from the right is entering the window and one is exiting



① Instead of pushing all the elements in queue, only push the negative ones.

→ Do it for first k elements

② Now loop $i = K \text{ --- } < N$

if queue is empty

↳ no negative in first window

else

↳ push front as it is first negative

★ Then check if the index of that negative element is same as the first element of the last window, because that leaves the window

Thus, store only the index.

And check for $A[i] < 0$
if yes then push

→ firstNeg - windowK.cpp

Reverse but only first
K elements

→ Reverse the first K
elements using
Recursion

but now they will
be at the back
of Queue

→ So, now loop for
($i=1 \rightarrow n-k$)
we store, pop, and push.

→ reverse_Kelements.cpp

First non-repeating character Stream

→ all small case alphabets

- ① An array of 26 elements marked at 0.
- ② A queue with first character of the string
→ and first char
or $arr[ch - 97] = 1$

- ③ Loop $l \text{ --- } (s.length - 1)$
→ if $arr[ch - 97] == 0$
push in queue
and mark as
1.

→ if already I mark
as 2.

→ Now,
if $q.\text{front}() == 1$
store $q.\text{front}()$;
else
while $(q.\text{front}() == 2$
 $\wedge !q.\text{empty}())$
 $\{$
 $q.\text{pop}();$
 $\}$

(i) If q is empty
store '#'

(ii) else
store $q.\text{front}$

→ firstNonRepeatingChar_Stream.cpp

Circular Tour

A circular road has N
petrol pumps

→ litres of petrol at each
petrol pump $= A$

→ distance to the next
petrol pump. $= B$

$A > B \Rightarrow$ for each possible
solution petrol
pump

Sum of $B \leq$ Sum of A

\Rightarrow for answer to exist.

Approach 1 \longrightarrow

for all petrol pumps for
where $A > B$, we check
for them if they
can be a possible
solution

$$TC = O(n^2)$$

Approach 2 \longrightarrow

front



0 1 2 3 4 5



rear

If after starting from 0,
when $rev = 1$ some $bal \geq 0$
must have been added,
so if still there is a
problem in going from
2 to 3, that means
same would have been
if we would have
started from 1/2.

→ So if the $bal < 0$
for a starting pump, i.e.
it needed that much
($0 - bal$) to be equal
to zero or more than
zero.

(\downarrow = deficit (or) kami

Thus, we keep storing
that $(bal < 0)$ in d .

As so to check for full
circle, if $rear == n$
we check if the balance
remaining is going to
make $d \geq 0$, if yes
that is the ans, else -1 .

Remember,
we have to traverse from
 $rear = 0$ to $rear = n-1$
for $O(n)$.

So, to check the O -front
part we use d .

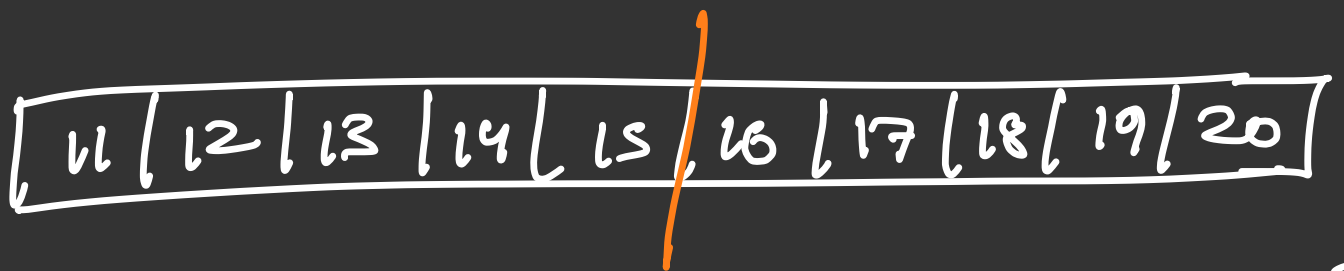
→ circular-queue.cpp

Interleave the first half of the queue with second half.
(Even number of elements)

Example:

i/p \rightarrow 1 2 3 4

o/p \rightarrow 1 3 2 4



$= \{11, 16, 12, 17, 13, 18, 14, 19, 15, 20\}$

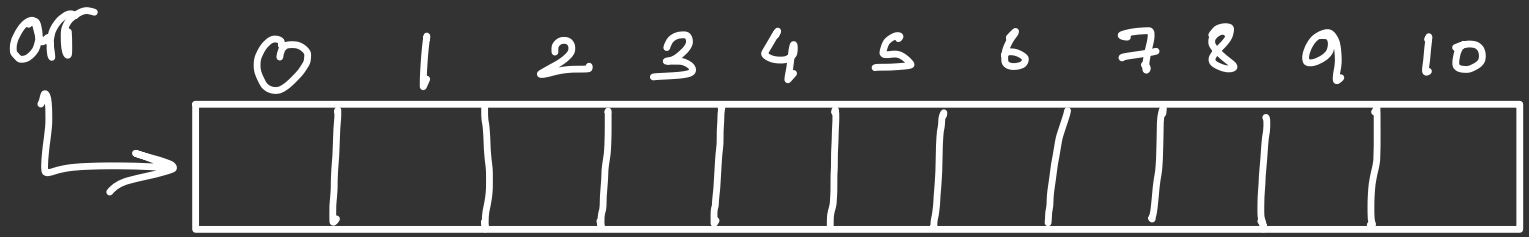
Using stack only as auxiliary space

① Store first half in stack, reverse stack

② Now push from both one by one

\rightarrow interleave - queue.cpp

'K' Queues in an Array



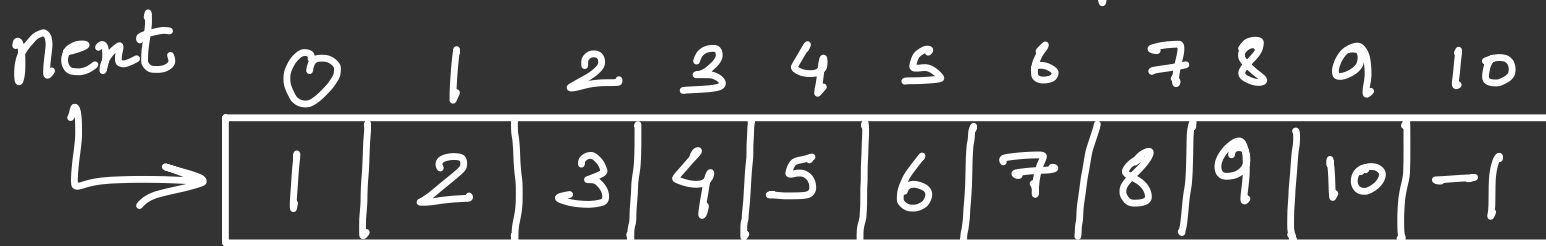
front[K] =

-1	-1	-1
----	----	----

rear[K] =

-1	-1	-1
----	----	----

free = 0;



push(x, m)

if free == -1
"Overflow"

int index = free;
free = next[index];
arr[index] = x;

if (front[m-1] == -1)
{
 front[m-1] = index;
}

else

{

 next[rear[m-1]] = index;

}

next[index] = -1;

rear[m-1] = index;

★ We have to connect
front \rightarrow next
not from (top, next) to till
bottom as in stack

front = 1

arr =

10	7	6	8	9	4	2
----	---	---	---	---	---	---

next =

	2	5			-1	
--	---	---	--	--	--	--

rear = 5

till 4 only

pop(int m)

→ Underflow

index = front[m-1];

front[m-1] = next[index];

next[index] = free

free = index;

→ N_QueueInArray.cpp

Sum of Min and Max of SubArrays of size K

→ 2 deque to store max and min

- ① Do it for first K elements
- ② Now add sum
- ③ Now

for $i = K \rightarrow i < N$

→ pop while front elements are out of range of current subarray

→ Check the i th element

→ SumMinMax-subArrays.cpp

