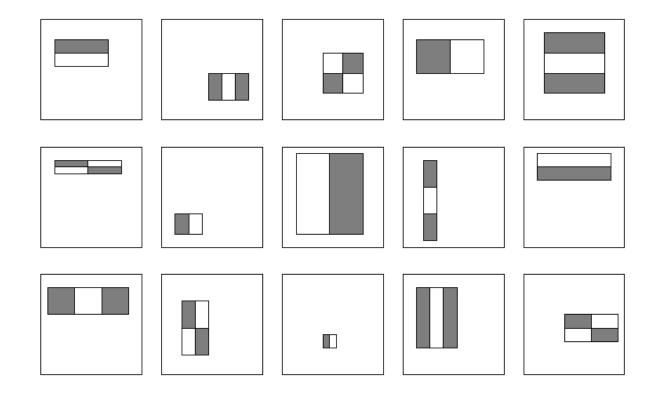
## **Pedestrian Detection**

Vinay P. Namboodiri

• Slide credits to Navneet Dalal

## Feature selection

 For a 24x24 detection region, the number of possible rectangle features is ~160,000!

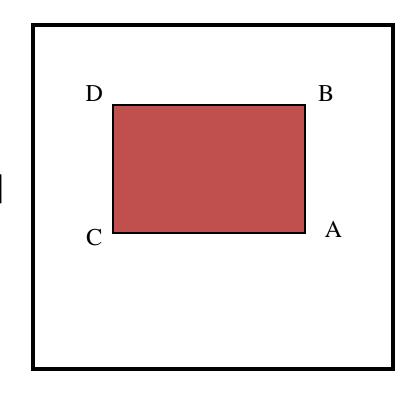


## Computing sum within a rectangle

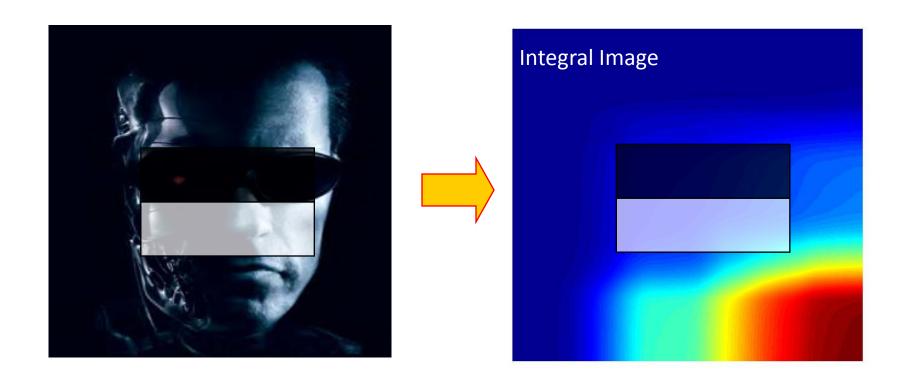
- Let A,B,C,D be the values of the integral image at the corners of a rectangle
- Then the sum of original image values within the rectangle can be computed as:

$$sum = A - B - C + D$$

 Only 3 additions are required for any size of rectangle!

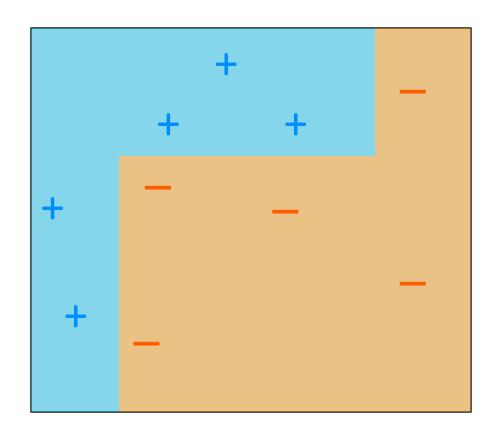


# Example

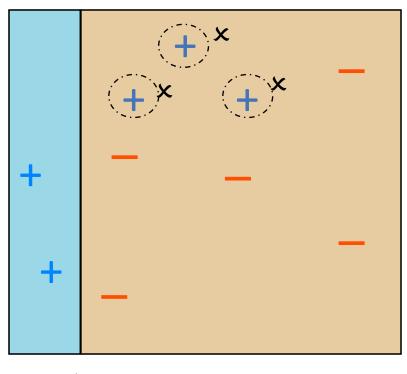


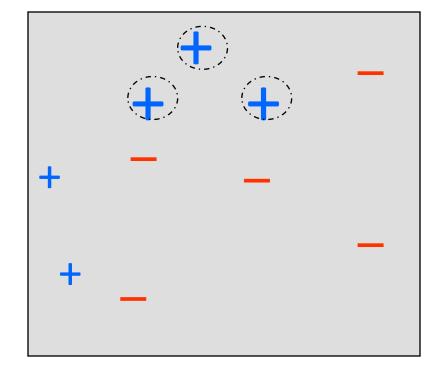
**Last Class** 

# Example of a Good Classifier



## Round 1 of 3

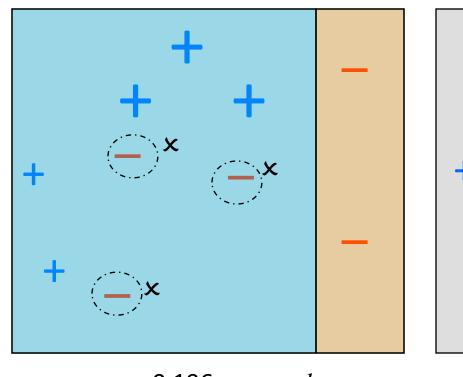


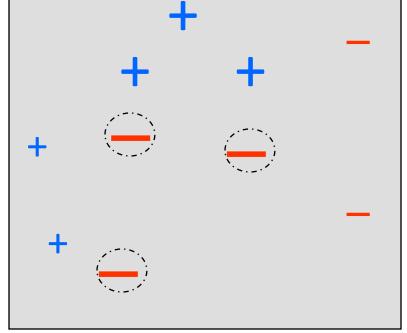


 $h_1$   $\epsilon_1 = 0.300$   $\alpha_1 = 0.424$ 

 $D_2$ 

## Round 2 of 3





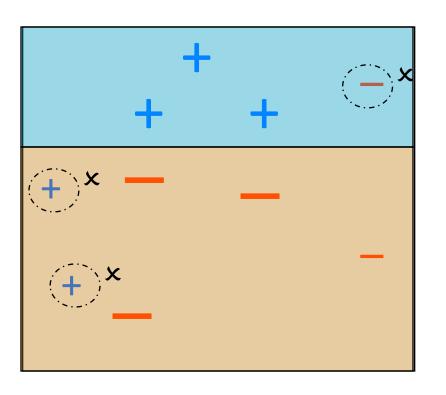
 $\varepsilon_{2} = 0.196$ 

 $h_2$ 

 $\alpha_2$ =0.704

 $D_2$ 

# Round 3 of 3



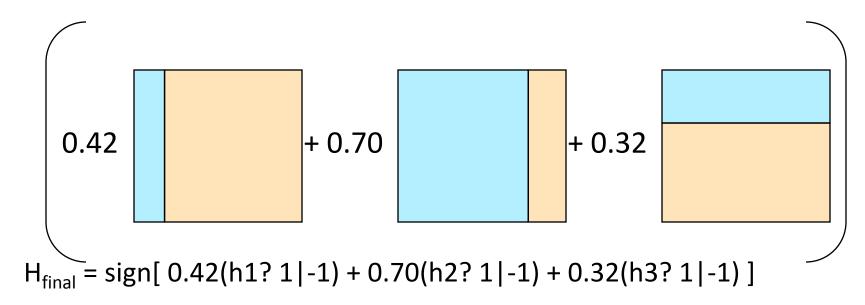
 $h_3$ 

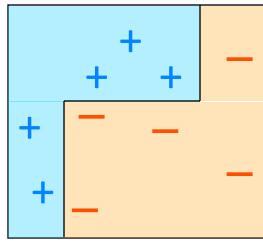
**STOP** 

$$\varepsilon_{3} = 0.344$$

$$\alpha_2$$
=0.323

# Final Hypothesis





## AdaBoost

Given: m examples  $(x_1, y_1), ..., (x_m, y_m)$  where  $x_i \in X, y_i \in Y = \{-1, +1\}$ 

Initialize  $D_1(i) = 1/m$ 

For t = 1 to T

The goodness of  $h_t$  is calculated over  $D_t$  and the bad guesses.

- 1. Train learner  $h_t$  with min error  $\varepsilon_t = \Pr_{i \sim D_t}[h_t(x_i) \neq y_i]$
- 2. Compute the hypothesis weight  $\alpha_t = \frac{1}{2} \ln \left( \frac{1}{2} \right)$
- 3. For each example i = 1 to m

 $\alpha_t = \frac{1}{2} \ln \left( \frac{1 - \varepsilon_t}{\varepsilon_t} \right)$  The weight <u>Ada</u>pts. The bigger  $\varepsilon_t$  becomes the smaller  $\alpha_t$  becomes.

$$D_{t+1}(i) = \frac{D_t(i)}{Z_t} \times \begin{cases} e^{-\alpha_t} & \text{if } h_t(x_i) = y_i \\ e^{\alpha_t} & \text{if } h_t(x_i) \neq y_i \end{cases}$$

Boost example if incorrectly predicted.

Output

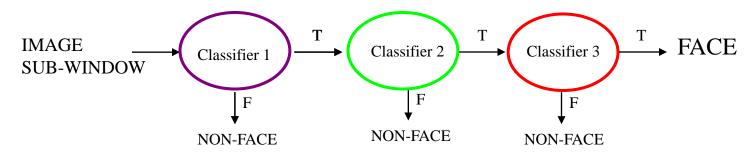
$$H(x) = \operatorname{sign}\left(\sum_{t=1}^{T} \alpha_t h_t(x)\right)$$

Z<sub>t</sub> is a normalization factor.

Linear combination of models.

## Attentional cascade

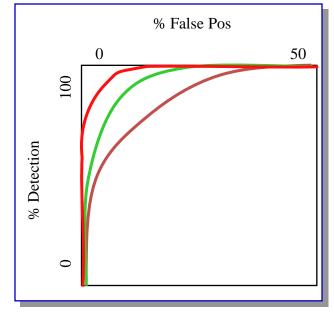
- We start with simple classifiers which reject many of the negative sub-windows while detecting almost all positive sub-windows
- Positive response from the first classifier triggers the evaluation of a second (more complex) classifier, and so on
- A negative outcome at any point leads to the immediate rejection of the sub-window

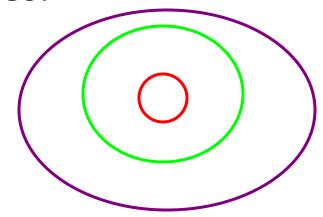


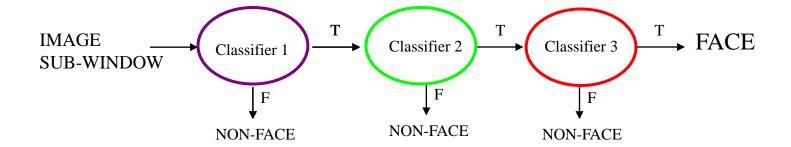
## Attentional cascade

 Chain classifiers that are progressively more complex and have lower false positive rates:

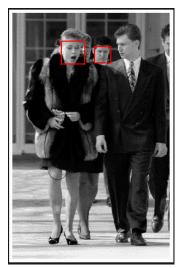
Receiver operating characteristic

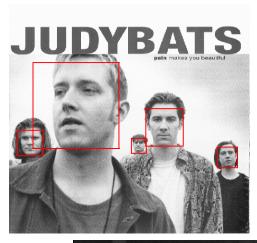




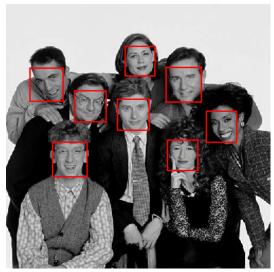


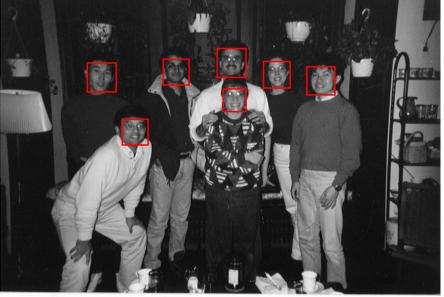
# Output of Face Detector on Test Images Last Class











# Summary: Viola/Jones detector

- Rectangle features
- Integral images for fast computation
- Boosting for feature selection
- Attentional cascade for fast rejection of negative windows

# Finding People in Images

This Class

Method by Dalal and Triggs, CVPR 2005

# Goals & Applications

### Goal: Detect and localise people in images and videos

### Applications:

Images, films & multi-media analysis

Pedestrian detection for smart cars

Visual surveillance, behavior analysis









## **Difficulties**

Wide variety of articulated poses
Variable appearance and clothing
Complex backgrounds
Unconstrained illumination
Occlusions, different scales

Videos sequences involves motion of the subject, the camera and the objects in the background

Main assumption: upright fully visible people



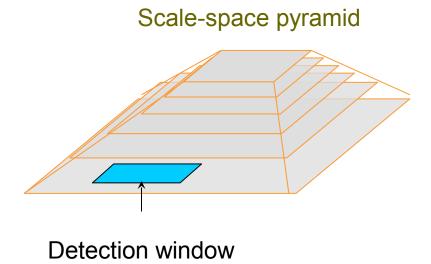




# Overview of Methodology

#### **Detection Phase**

Scan image(s) at all scales and locations **Extract features over** windows Run linear SVM classifier on all **locations Fuse multiple** detections in 3-D position & scale space Object detections with bounding boxes



Focus on building robust feature sets (static & motion)

# Finding People in Images

## **Existing Person Detectors/Feature Sets**

### **Current Approaches**

Haar wavelets + SVM:

Papageorgiou & Poggio, 2000; Mohan et al 2000

Rectangular differential features + adaBoost:

Viola & Jones, 2001

Edge templates + nearest neighbour:

Gavrila & Philomen, 1999

Model based methods

Felzenszwalb & Huttenlocher, 2000; Ioffe & Forsyth, 1999

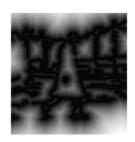
Other works

Leibe et al, 2005; Mikolajczyk et al, 2004

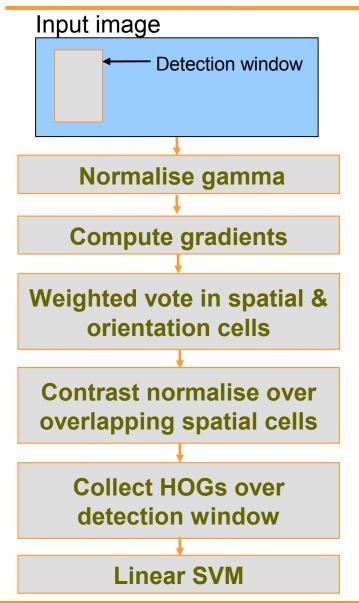
### Orientation histograms

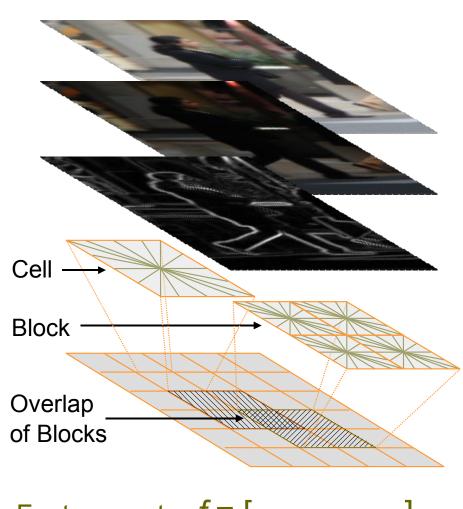
Freeman et al, 1996; Lowe, 1999 (SIFT); Belongie et al, 2002 (Shape contexts)





## Static Feature Extraction





# Overview of Learning Phase

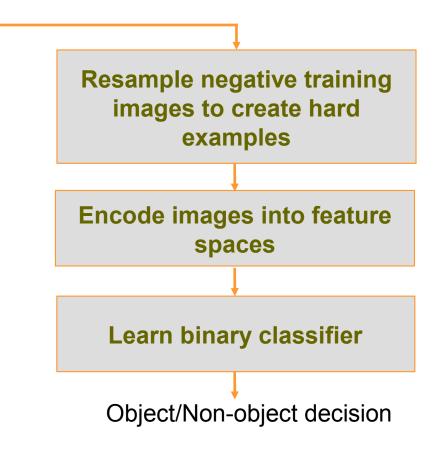
### Learning phase

Input: Annotations on training images

Create fixed-resolution normalised training image data set

**Encode images into feature** spaces

Learn binary classifier



Retraining reduces false positives by an order of magnitude!

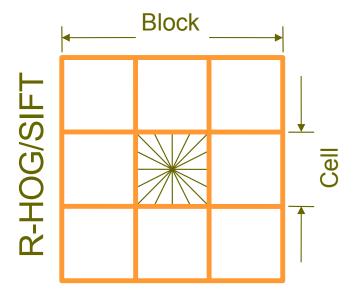
# **HOG Descriptors**

#### **Parameters**

Gradient scale

Orientation bins

Percentage of block overlap



#### Schemes

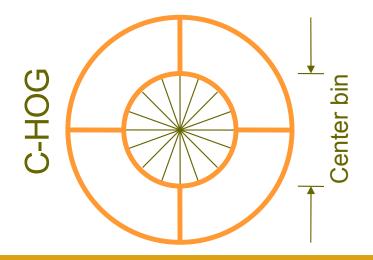
RGB or Lab, colour/gray-space Block normalisation

or

L1-norm,

$$v \leftarrow v / \sqrt{\|v\|_2^2 + \varepsilon}$$

$$v \leftarrow \sqrt{v/(\|v\|_1 + \varepsilon)}$$

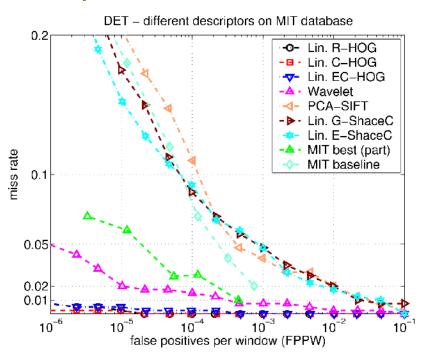


# **Evaluation Data Sets**

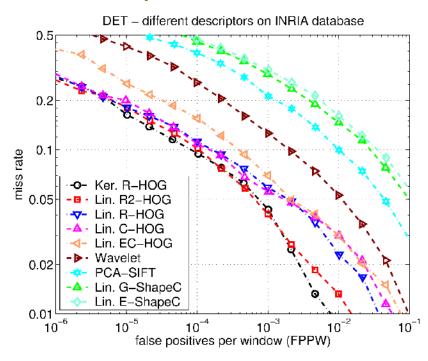
MIT pedestrian database	INRIA person database					
.⊑ 507 positive windows Negative data unavailable	1208 positive windows 1218 negative images					
200 positive windows  Negative data unavailable	566 positive windows 453 negative images					
Overall 709 annotations+ reflections	Overall 1774 annotations+ reflections					

## **Overall Performance**

### MIT pedestrian database

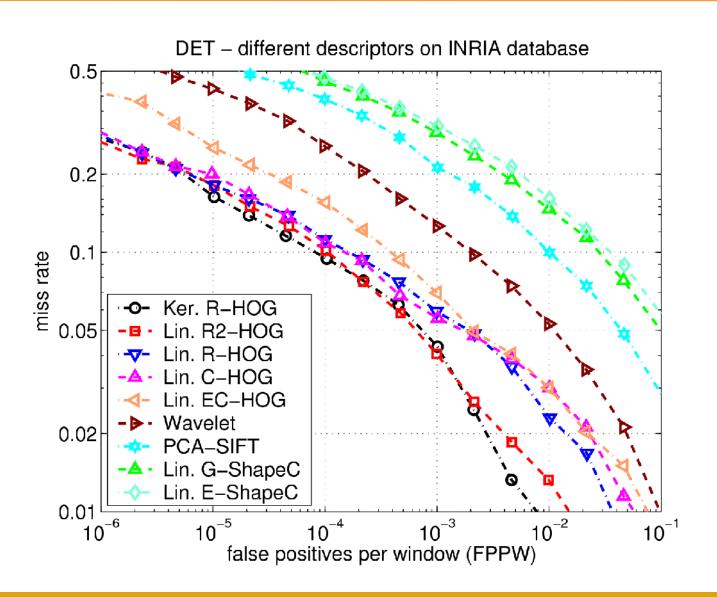


### INRIA person database



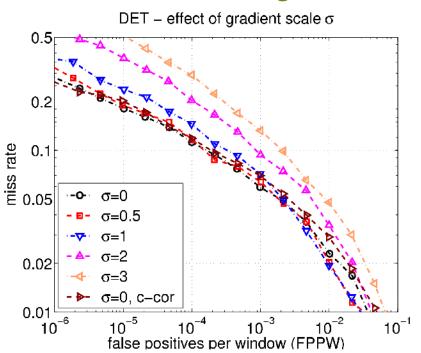
R/C-HOG give near perfect separation on MIT database Have 1-2 order lower false positives than other descriptors

## Performance on INRIA Database



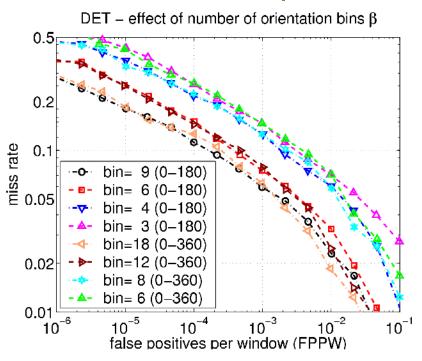
## **Effect of Parameters**

### Gradient smoothing, $\sigma$



Reducing gradient scale from 3 to 0 decreases false positives by 10 times

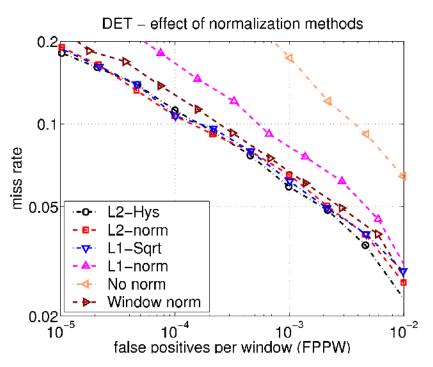
### Orientation bins, $\beta$



Increasing orientation bins from 4 to 9 decreases false positives by 10 times

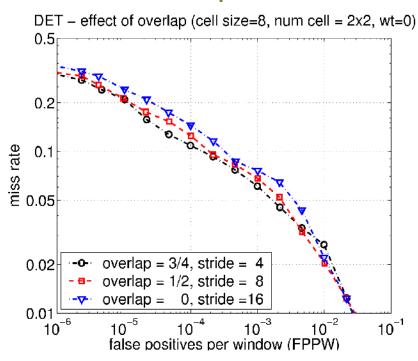
## Normalisation Method & Block Overlap

#### Normalisation method



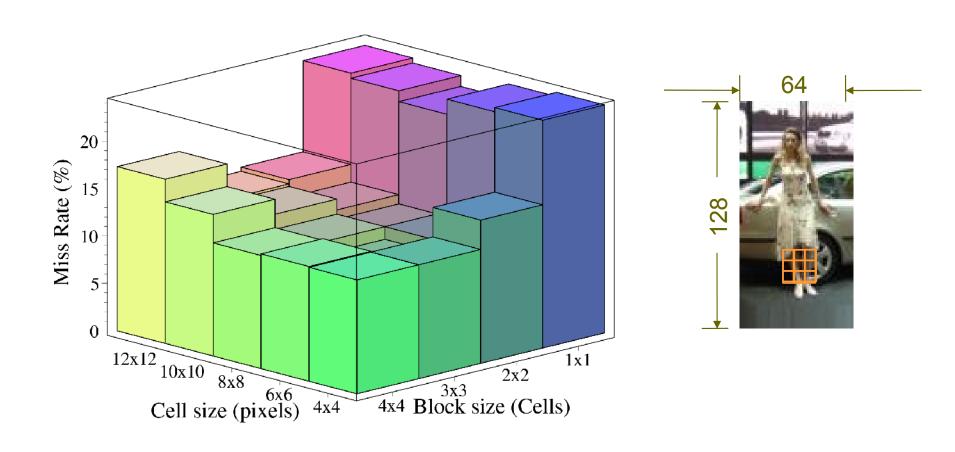
Strong local normalisation is essential

### Block overlap



Overlapping blocks improve performance, but descriptor size increases

## Effect of Block and Cell Size



Trade off between need for local spatial invariance and need for finer spatial resolution

# **Descriptor Cues**



Input example



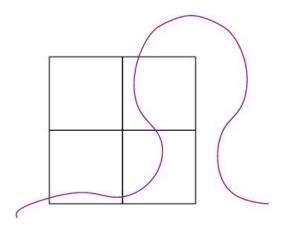
Average gradients



Weighted pos wts



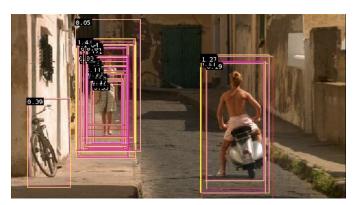
Weighted neg wts



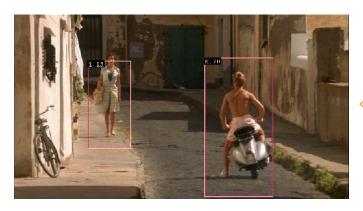
Outside-in weights

Most important cues are head, shoulder, leg silhouettes Vertical gradients inside a person are counted as negative Overlapping blocks just outside the contour are most important

# Multi-Scale Object Localisation

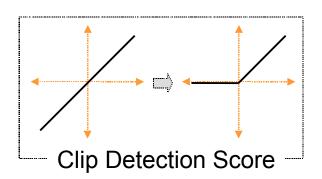


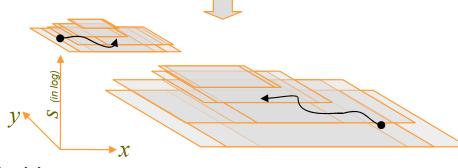
Multi-scale dense scan of detection window



Final detections







**Threshold** 



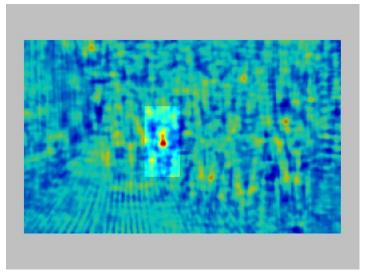
$$\mathbf{H}_i = [\exp(s_i)\boldsymbol{\sigma}_x, \exp(s_i)\boldsymbol{\sigma}_y, \boldsymbol{\sigma}_s]$$

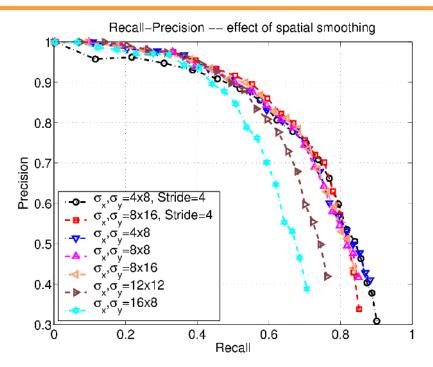
$$f(\mathbf{x}) = \sum_{i=1}^{n} w_{i} \exp\left(-\left\| (\mathbf{x} - \mathbf{x}_{i}) / \mathbf{H}_{i}^{-1} \right\|^{2} / 2\right)$$

Apply robust mode detection, like mean shift

# Effect of Spatial Smoothing



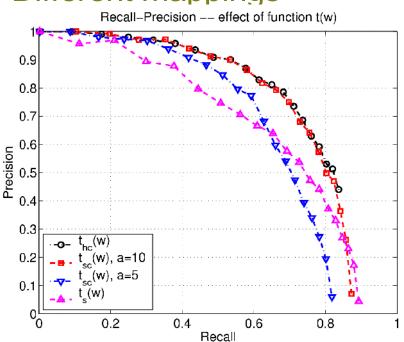




Spatial smoothing aspect ratio as per window shape, smallest sigma approx. equal to stride/cell size Relatively independent of scale smoothing, sigma equal to 0.4 to 0.7 octaves gives good results

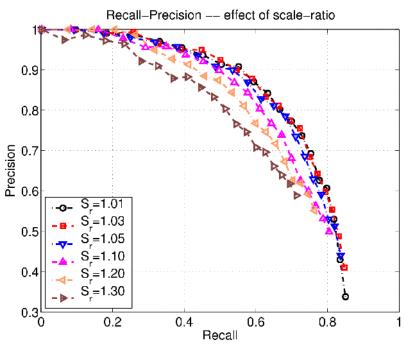
## Effect of Other Parameters

#### Different mappings



### Hard clipping of SVM scores gives the best results than simple probabilistic mapping of these scores

### Effect of scale-ratio



Fine scale sampling helps improve recall

# Results Using Static HOG

No temporal smoothing of detections



## Conclusions for Static Case

### Fine grained features improve performance

Rectify fine gradients then pool spatially

- No gradient smoothing, [1 0 -1] derivative mask
- Orientation voting into fine bins
- Spatial voting into coarser bins

Use gradient magnitude (no thresholding)

Strong local normalization

Use overlapping blocks

Robust non-maximum suppression

Fine scale sampling, hard clipping & anisotropic kernel

Human detection rate of 90% at 10<sup>-4</sup> false positives per window Slower than integral images of Viola & Jones, 2001

# **Applications to Other Classes**





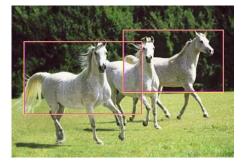






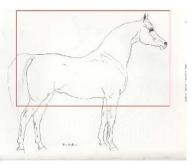












# Parameter Settings

Most HOG parameters are stable across different classes

Parameters that change

Gamma compression

Normalisation methods

Signed/un-signed gradients

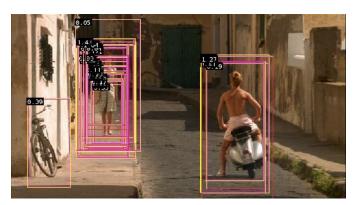
## Results from Pascal VOC 2006

	Person	Car	Motorbike	Bicycle	Bus	Sheep	Horse	Cow	Cat	Dog
Cam bridge	0.030	0.254	0.178	0.249	0.138	0.131	0.091	0.149	0.151	0.118
ENSMP	_	0.398	-	-	-	-	-	0.159	-	-
HOG	0.164	0.444	0.390	0.414	0.117	0.251	-	0.212	-	-
Laptev= HOG+ Ada- boost	0.114	-	0.318	0.440	-	-	0.140	0.224	-	-
TUD	0.074	-	0.153	-	-	-	-	-	-	-
TKK	0.039	0.222	0.265	0.303	0.169	0.227	0.137	0.252	0.160	0.113

HOG outperformed other methods for 4 out of 10 classes
Its adaBoost variant outperformed other methods for 2 out of 10 classes

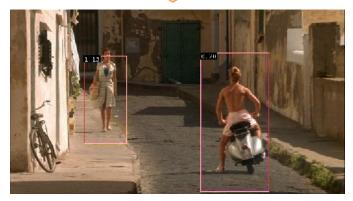
# Thank You

# Multi-Scale Object Localisation



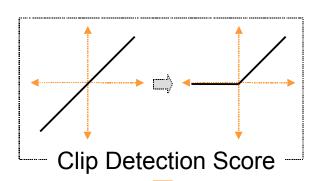
Multi-scale dense scan of detection window

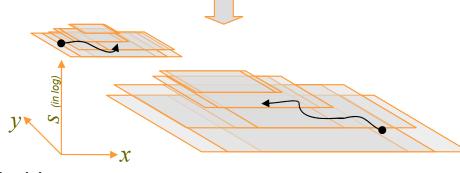




Final detections







**Threshold** 



$$\mathbf{H}_i = [\exp(s_i)\boldsymbol{\sigma}_x, \exp(s_i)\boldsymbol{\sigma}_y, \boldsymbol{\sigma}_s]$$

$$f(\mathbf{x}) = \sum_{i=1}^{n} w_{i} \exp\left(-\left\| (\mathbf{x} - \mathbf{x}_{i}) / \mathbf{H}_{i}^{-1} \right\|^{2} / 2\right)$$

Apply robust mode detection, like mean shift