Domain Driven Decompositional Semantics

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B.Tech - M.Tech Dual Degree

Thesis Defense

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June 15, 2015

Outline

- Introduction
- 2 Background
- 3 Datasets
- 4 Method and Experiments
- 6 Results
- 6 Conclusion and Future Work

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Introduction

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Introduction to Decompositional Semantics

Introduction

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Decompositional Semantics is a way to describe a language entity word/paragraph/document by a constrained representation that identifies the most relevant representation conveying the semantics of the whole.

For example, a document can be broken into aspects such as its tf-idf representation, distributed semantics vector, etc.

Introduction to Decompositional Semantics

Why need Decompositional Semantics?

It is language independent

Introduction

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 It decomposes language entity into various aspects that are latent in its meaning

• All aspects are important in their own ways



Introduction to Decompositional Semantics

Decompositional Semantics in Sentiment Analysis domain,

- ullet A set of documents $D = \{d_1, \dots, d_{|D|}\}$
- A set of aspects $A = \{a_1, \dots, a_{|M|}\}$
- ullet Training data for n (n < |D|) documents, $\mathcal{T} = \{\mathit{I}_{d_1}, \ldots, \mathit{I}_{d_n}\}$

Example:

Introduction

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Documents	tf-idf	Word Vector Average	Document Vector	BOW
d_1	0	0	1	0
d_2	0	1	1	0
d_3^-	1	0	0	1
d_4	×	x	x	×
d_5	1	1	1	1

Using \mathcal{T} , D and A, the supervised classifier \mathcal{C} learns a representation to predict sentiments of individual documents.



Problem Statement

Better Language Representation

- To highlight the vitality of Decompositional Semantics in language representation
- To use Distributional Semantics for under resourced languages such as Hindi
- To demonstrate the effect of various parameters on language representation

Contribution of this thesis

Hindi

Introduction 0000

- Better representation of Hindi text using Distributional semantics
- Achieved state-of-the-art results for sentiment analysis on product and movie review corpus

Paper accepted in regICON'15

New Corpus

- Released a corpus of 700 Hindi movie reviews
- Largest corpus in Hindi in reviews domain

English

- Proposed a more generic representation of English text
- Achieved state-of-the-art results for sentiment analysis on IMDE movie reviews and Amazon electronics reviews

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Bag of Words(BOW) Model

- ullet Document d_i represented by $v_{d_i} \in \mathbb{R}^{|V|}$
- Each element in v_{d_i} denotes presence/absence of each word
- Drawbacks:
 - High-dimensionality
 - Ignores word ordering
 - Ignores word context
 - Verv sparse

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Term Frequency-Inverse Document Frequency(tf-idf) Model

- ullet Document d_i represented by $v_{d_i} \in \mathbb{R}^{|V|}$
- Each element in v_{d_i} is the product of term frequency and inverse document frequency: $tfidf(t,d) = tf(t,d) \times \log(\frac{\|D\|}{df(t)})$
- Gives weights to terms which are less frequent and hence important
- Drawbacks
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Distributed Representation of Words (Mikolov et al., 2013b)

- ullet Each word $w_i \in V$ is represented using a vector $v_{w_i} \in \mathbb{R}^k$
- ullet The vocabulary V can be represented by a matrix $V \in \mathbb{R}^{k imes |V|}$
- Vectors (v_{w_i}) should encode the semantics of the words in vocabulary
- Drawbacks
 - Ignores exact word ordering
 - Cannot represent documents as vectors without composition

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Distributed Representation of Documents(Le and Mikolov, 2014)

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- Comments:
 - Can represent documents
 - Ignores contribution of indvidual word while building document vectors

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Background on Sentiment Analysis

- Pang et al.(2004) obtained 87.2% accuracy on a dataset that discarded objective sentences and used text categorization techniques on the subjective sentences
- Socher et al.(2013) used recursive neural network over sentiment treebank for sentiment classification
- Le and Mikolov (2014) use document vector model and obtained 92.6% accuracy on IMDB movie review dataset



Background on Sentiment Analysis

There has been limited work on sentiment analysis in Hindi

- Joshi et al.(2010) used In-language sentiment analysis, Machine Translation and Resource Based Sentiment Analysis to achieve 78.1% accuracy
- Mukherjee et al.(2012) presented the inclusion of discourse markers in a BOW model to improve the sentiment classification accuracy by 2-4%
- Mittal et al.(2013) incorporate hand-coded rules dealing with negation and discourse relations achieving 80.2% accuracy



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Distributed Word Representation

Skipgram

- Each current word acts as an input to a log-linear classifier with continuous projection layer, and predict words within a certain range before and after the current word
- The objective is to maximize the probability of the context given a word:

$$p(c|w;\theta) = \frac{\exp^{v_c \cdot v_w}}{\sum_{c' \in C} \exp^{v_c \cdot v_w}}$$

• v_c and $v_w \in R^d$ are vector representations for context c and word w respectively. C is the set of all available contexts. The parameters θ are v_{Ci} , v_{wi} for $w \in V$, $c \in C$, $i \in 1, ..., d$



Distributed Word Representation

- \bullet Weights between the input layer and the output layer can be represented by a $V \times N$ matrix ${\bf W}$
- Each row of ${\bf W}$ is the N-dimension vector representation v_w of the associated word of the input layer
- ullet Given a word, assuming $x_k=1$ and $x_{k'}=0$ for k'
 eq k, then

$$h = x^T W = W_{(k,.)} := v_{w_l}$$

 $u_j = v'_{w_j}^T . h$

- v_{w_l} is the vector representation of the input word w_l and u_j is the score of each word in the vocabulary
- There is a different weight matrix $\mathbf{W'} = \{w'_{ij}\}$ which is a $N \times V$ matrix between hidden and output layer
- Softmax function is used to predict probabilities and Stochastic Gradient Descent is used to update the parameters of the model



Distributed Document Representation

Motivation

- Drawbacks in BOW like sparsity, high-dimensionality, inability to encode context information and consider word ordering
- Composition models alone cannot represent documents (Blacoe and Lapata, 2012)
- Recursive Tensor Neural Networks (Socher et al.,2013) are computationally expensive and cannot be composed into document vectors when there are multiple sentences due to parsing issues
- Presence of similarity measures to deal with synonyms or semantically similar documents

Distributed Document Representation

- Every document is now mapped to a unique vector and id, represented by a matrix D
- Word vector matrix W is shared across all documents and contexts are now separately sampled for each document
- The only difference in this model is that h is now constructed with both W and D.

The *Principle of Compositionality* is that meaning of a complex expression is determined by the meaning of its constituents and the rules which guide this combination. It is also known as *Frege's Principle*. For example,

The movie is funny and the screenplay is good

In the above sentence, consider the word vectors are represented by w(x) and the sentence vector as S(x). Hence,

$$S(x) = c_1 w_1(x) \Theta c_2 w_2(x) \Theta c_3 w_3(x) \Theta c_4 w_4(x) \dots \Theta c_k w_k(x)$$
 (1)

where Θ can be any operation(e.g., addition, multiplication) and c_i s are constants.



- We describe two approaches to incorporate graded weighting into word vectors for building document vectors.
- Let v_{w_i} be the vector representation of the i^{th} word. Then document vector v_{d_i} for i^{th} document is:

$$v_{d_i} = \left\{ egin{array}{ll} 0 & w_k \in stopwords \ \sum\limits_{w_k \in d_i} v_{w_k} & w_k \notin stopwords \end{array}
ight.$$

The above equation is 0-1 step-function which ignores contribution of all stop words.

Another schema which incorporates idf weight is:

$$v_{d_i} = \left\{egin{array}{ll} 0 & idf(w_k, d_i) \leq \delta \ \sum\limits_{w_k \in d_i} idf(w_k, d_i).v_{w_k} & otherwise \end{array}
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where δ is a pre-defined threshold below which the word has no importance and above which the idf terms gives importance to that particular word.

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Composition	Accuracy	
Multiplication	50.30	
Average	88.42	
Weighted Average	89.56	

Table 1 : Results of Vector Composition with different Operations

Method	Weight	Accuracy(1)	Accuracy(2)
0-1	0	93.84	93.06
Weighting	1	93.91	93.18
Graded idf Weighting	2	93.89	93.17
	2.5	93.87	93.16
	2.8	93.86	93.16
	3	93.86	93.22
	4	93.83	93.12

Table 2: Results on IMDB Movie Reviews(Composite Document Vector);Accuracy(2) is when we exclude tf-idf features



Work Flow

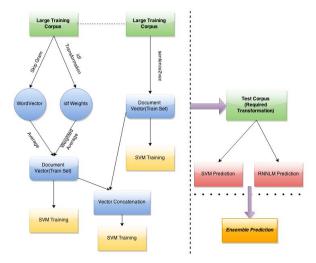


Figure 1: Work Flow



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Weightages

Song Features

- Artist similarity has been assigned a weight of 60%
- 20% each for loudness & tempo
- These values have been evaluated to good results

Similarity v/s Popularity

- 65% weightage has been assgined to similarity and 35% to popularity
- A few number of test runs suggested the above weightages to be good

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- A few number of test runs suggested the above weightages to be good

Performance Evaluation

- Most recent t tracks have been considered for testing
- Following m tracks are taken for current mood
- Recommended songs are then matched with the t tracks
- The rank of the top recommendation that appears in the test set is noted
- The similarity of the most similar mood window is also noted

Similar Users	Mood Length	Weights	Confidence	Rank
50	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	62.89 %	944
75	5	1/3, 1/3, 1/3	48.45 %	3879
100	5	1/3, 1/3, 1/3	48.45 %	84
150	5	1/3, 1/3, 1/3	51.01 %	135
200	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	52.63 %	211
50	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	45.06 %	3418
75	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	45.50 %	4751
100	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	46.93 %	1722
50	5	$\frac{1}{5}, \frac{2}{5}, \frac{2}{5}$	43.28 %	4033
50	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	70.57 %	936
75	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	60.03 %	4367
100	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	62.10 %	78
150	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	64.73 %	120

Table 3: Test Results for Last.FM user: 3en

Similar Users	Mood Length	Weights	Confidence	Rank
50	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	62.39 %	2376
75	5	1/3, 1/3, 1/3	50.43 %	N/A
100	5	1/3, 1/3, 1/3	50.43 %	7608
150	5	1/3, 1/3, 1/3	50.43 %	8828
200	5	1/3, 1/3, 1/3	52.40 %	10018
50	10	1/3, 1/3, 1/3	48.91 %	N/A
75	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	48.91 %	N/A
100	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	48.91 %	N/A
50	5	$\frac{1}{5}, \frac{2}{5}, \frac{2}{5}$	43.28 %	N/A
50	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	70.70 %	2391
75	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	66.15 %	N/A
100	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	66.15 %	7095
150	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	66.15 %	7767

Table 4: Test Results for Last.FM user: RJ

Similar Users	Mood Length	Weights	Confidence	Rank
50	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	62.59 %	59
75	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	50.43 %	607
100	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	48.37 %	736
150	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	51.94 %	1095
200	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	51.94 %	1428
50	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	48.91 %	2632
75	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	48.91 %	3736
100	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	46.91 %	4304
50	5	$\frac{1}{5}, \frac{2}{5}, \frac{2}{5}$	43.28 %	563
50	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	70.94 %	85
75	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	66.15 %	555
100	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	63.88 %	650
150	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	64.59 %	970

Table 5: Test Results for Last.FM user: eartle

Similar Users	Mood Length	Weights	Confidence	Rank
50	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	61.84 %	141
75	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	49.83 %	629
100	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	49.71 %	674
150	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	51.10 %	4351
200	5	1/3, 1/3, 1/3	51.48 %	4363
50	10	1/3, 1/3, 1/3	47.49 %	3160
75	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	47.49 %	3135
100	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	47.54 %	3225
50	5	$\frac{1}{5}, \frac{2}{5}, \frac{2}{5}$	43.28 %	4422
50	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	67.74 %	103
75	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	66.18 %	470
100	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	64.43 %	471
150	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	64.43 %	5227

Table 6: Test Results for Last.FM user: franhale

Similar Users	Mood Length	Weights	Confidence	Rank
50	5	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	62.64 %	4953
75	5	1/3, 1/3, 1/3	50.09 %	9857
100	5	1/3, 1/3, 1/3	50.09 %	11647
150	5	1/3, 1/3, 1/3	51.10 %	6587
200	5	1/3, 1/3, 1/3	51.48 %	8008
50	10	1/3, 1/3, 1/3	48.08 %	N/A
75	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	48.08 %	2584
100	10	$\frac{1}{3}, \frac{1}{3}, \frac{1}{3}$	48.08 %	2887
50	5	$\frac{1}{5}, \frac{2}{5}, \frac{2}{5}$	43.28 %	N/A
50	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	70.75 %	5005
75	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	65.97 %	7819
100	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	65.97 %	9345
150	5	$\frac{3}{5}, \frac{1}{5}, \frac{1}{5}$	68.19 %	5749

Table 7: Test Results for Last.FM user: massdosage

Optimizations

- Parallelization: Independent jobs have been forked in parallel to reduce runtime
- On-Demand Caching: Not only avoids loading the entire DB into memory, but also prevents disk access each time the same resource is called for. Also reduces multiple file accesses
- Minimal data handling: Minimal data is stored in memory in a serialized JSON format

Future Work

- Larger and newer dataset
- Machine learning to implement feedback mechanism for user specific weightages
- More features like MFCC can be included appropriately
- Code can be optimized even further by the use of distributed systems



Thank you!