

Shram Sadhana Bombay Trust's
COLLEGE OF ENGINEERING AND TECHNOLOGY,
BAMBHORI POST BOX NO. 94, JALGAON - 425001. (M.S.)
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ISO 9001:2008

DEPARTMENT OF COMPUTER

Laboratory Manuals

Class: T.E. I.T/Comp (Term-II)

Subject: Design and Analysis of Algorithm Lab Academic

Year: 2023-24

Semester: VI

Name of the Faculty : Mayuri Chandratre

Vision of the Department

To develop technocrats as per industry technical needs and social values.

Mission of the Department

To provide conducive environment to impart technical knowledge through teaching, self-learning and skill development programs to stand out in competitive world.

Program Educational Objectives (PEOs)

1. Core Knowledge

To provide students with Core Knowledge in mathematical, scientific and basic engineering fundamentals necessary to formulate, analyze and solve engineering problems and also to pursue advanced study or research.

2. Employment/Continuing Education

To train students with good breadth of knowledge in core areas of Information Technology and related engineering so as to comprehend engineering trade-offs, analyze, design, and synthesize data and technical concepts to create novel products and solutions for the real life problems.

3. Professional Competency

To inculcate in students to maintain high professionalism and ethical standards, effective oral and written communication skills, to work as part of teams on multidisciplinary projects and diverse professional environments, and relate engineering issues to the society, global economy and to emerging technologies.

Program Outcomes (POs)

- **Engineering knowledge:** Apply the knowledge of mathematics, science, engineering fundamentals, and an engineering specialization to the solution of complex engineering problems.
- **Problem analysis:** Identify, formulate, review research literature, and analyze complex engineering problems reaching substantiated conclusions using first principles of mathematics, natural sciences, and engineering sciences.
- **Design/development of solutions:** Design solutions for complex engineering problems and design system components or processes that meet the specified needs with appropriate consideration for the public health and safety, and the cultural, societal, and environmental considerations.
- **Conduct investigation of complex problems:** Use research-based knowledge and research methods including design of experiments, analysis and interpretation of data, and synthesis of the information to provide valid conclusions.
- **Modern tool usage:** Create, select, and apply appropriate techniques, resources, and modern engineering and IT tools including prediction and modeling to complex engineering activities with an understanding of the limitations.
- **The engineer and society:** Apply reasoning informed by the contextual knowledge to assess societal, health, safety, legal and cultural issues and the consequent responsibilities relevant to the professional engineering practice.
- **Environment and sustainability:** Understand the impact of the professional engineering solutions in societal and environmental contexts, and demonstrate the knowledge of, and need for, sustainable development.
- **Ethics:** Apply ethical principles and commit to professional ethics and responsibilities and norms of the engineering practice.
- **Individual and team work:** Function effectively as an individual, and as a member or leader in diverse teams, and in multidisciplinary settings.
- **Communication:** Communicate effectively on complex engineering activities with the engineering community and with society at large, such as, being able to comprehend and write effective reports and design documentation, make effective presentations, and give and receive clear instructions.
- **Project management and finance:** Demonstrate knowledge and understanding of the engineering and management principles and apply these to one's own work, as a member and leader in a team, to manage projects and in multidisciplinary environments.
- **Life-long learning:** Recognize the need for, and have the preparation and ability to engage in independent and life-long learning in the broadest context of technological change.

Program Specific Outcomes (PSO)

IT Graduates will be able to:

1. **Software System:** To apply software engineering principles to study, Analyze, design, implement, test and maintain software system.
2. **Open Source Software:** Demonstrate familiarity and practical competence with a broad range of programming languages and open source platforms.
3. **Computer Proficiency:** Exhibit proficiency through latest technologies in demonstrating the ability for work efficacy to the industry & society.

Course Outcomes (COs)

Subject Name: Design and Analysis of Algorithms Lab

Upon successful completion of lab Course, student will be able to:

CO1: Analyze and Implement divide and conquer approach. CO2:

Implement dynamic programming approach

CO3: Implement Branch and bounding approach CO4:

Implement backtracking approach.

CO5: Implement greedy algorithm approach

CO-PO-PSO Mapping for Design and Analysis of Algorithms Lab

CO	PO 1	PO 2	PO 3	PO 4	PO 5	PO 6	PO 7	PO 8	PO 9	PO 10	PO 11	PO 12	PSO 1	PSO 2	PSO 3
CO1	3	3	2	2	2	1			1	2	1	2	3	2	1
CO2	3	3	2	2	2	1	1	1	1	2	1	2	3	2	1
CO3	3	3	2	2	2	1	1	1	1	2	1	2	3	2	1
CO4	3	3	2	2	2	1	1	1	1	2	1	2	3	2	1
CO5	3	3	2	2	2	1	1	1	1	2	1	2	3	2	1
Average	3	3	2	2	2	1	1	1	1	2	1	2	3	2	1

SSBT's College of Engineering & Technology, Bambhori, Jalgaon
Department of Computer/IT Engineering
T.E.IT Sem VI 2
022-23

Design and Analysis of Algorithms
Lab

List of Experiment

Sr.No.	Title
1	Analyze & Implement Insertion sort algorithm
2	Analyze & Implement Quick sort algorithm using Divide and Conquer
3	Implement 0/1 Knapsack using Dynamic Programming
4	Implement Travel Salesman problem using Branch and Bounding
5	Implement graph coloring Problem using backtracking
6	Implement job sequencing Algorithm using Greedy Algorithm

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DEPARTMENT OF INFORMATION TECHNOLOGY

Name

Class: T.E.

Subject: Design and analysis of algorithm

Roll

Date of

Date of

EXPERIMENT NO:

TITLE: Program for insertion sort

AIM: Write a program for sorting of numbers using insertion sort algorithm.

Hardware/Software Requirement: PC, Windows XP/7, C compiler, Editor.

Theory

Insertion sort is a simple sorting algorithm that builds the final sorted array (or list) one item at a time. It is much less efficient on large lists than more advanced algorithms such as quicksort, heap sort, or merge sort. But it is very easy to implement and efficient for small data sets.

Best, worst, and average cases:

The best case input is an array that is already sorted. In this case, insertion sort has a linear running time (i.e., $O(n)$). During each iteration, the first remaining element of the input is only compared with the right-most element of the sorted subsection of the array.

The simplest worst case input is an array sorted in reverse order. This set of all worst case inputs consists of all arrays where each element is the smallest or second-smallest of the elements before it. In these cases, every iteration of the inner loop will scan and shift the entire sorted subsection of the array before inserting the next element. This gives insertion sort a quadratic running time (i.e., $O(n^2)$).

The average case is also quadratic, which makes insertion sort impractical for sorting large arrays. However, insertion sort is one of the fastest algorithms for sorting very small arrays.

How to implement Insertion Sort?

1. Consider the first element to be sorted and the rest to be unsorted.
2. Compare with the second element: If the second element < the first element, insert the element in the correct position of the sorted portion. Else, leave it as it is.
3. Repeat 1 and 2 until all elements are sorted.

Result/Output:-

Reference Books:-

1. Aho, "Design & Analysis of Computer Algorithms", Pearson LPE.
2. Russ Miller, "Algorithms: Sequential and Parallel", Dreamtech Press.
3. Goodrich, "Algorithm Design: Foundation and Analysis", Wiley India.
4. Grama, "An Intro to Parallel Computing: Design & Analysis of Algorithms", Second Edition, Pearson LPE.
5. Baase, "Computer Algorithms: Intro to Design & Analysis", Third Edition, Pearson LPE

Questions for Viva:-

1. Explain insertion sort with example.
2. Write an pseudocode for insertion sort.
3. Explain best case, worst case and average case of insertion sort.

Name of Teacher

Miss. Mayuri Chandratre

Sign

//Cprogramforinsertionsort

#include<math.h>#include

<stdio.h>

/*Functiontosortanarrayusinginsertionsort*/

void insertionSort(int arr[], int n)

{

 inti,key,j;

 for(i= 1;i <n;i++){

 key=arr[i];

 j = i - 1;

 /*Moveelementsofarr[0..i-1],thatare
 greater than key, toone position ahead
 of their current position */

 while(j>=0&&arr[j]>key){

 arr[j + 1] = arr[j];

 j=j-1;

 }

 arr[j+1]=key;

 }

}

//Autilityfunctiontoprintanarrayofsize void

printArray(int arr[], int n)

{

 inti;

 for(i=0;i <n;i++)

```
        printf("%d",arr[i]);  
    printf("\n");  
}  
  
/*Driverprogramtotestinsertionsort*/ int  
main()  
{  
    intarr[]={ 12,11,13,5,6 };  
    intn=sizeof(arr)/ sizeof(arr[0]);  
  
    insertionSort(arr,n);  
    printArray(arr, n);  
  
    return0;  
}
```

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DEPARTMENT OF INFORMATION TECHNOLOGY

Name

Class: T.E.

Subject: Design and analysis of algorithm

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EXPERIMENT NO:

TITLE: Program for Quicksort.

AIM: Write a program for quicksort of numbers using divide and conquer approach.

Hardware/Software Requirement: PC, Windows XP/7, C compiler, Editor.

Theory

QuickSort is also based on the concept of **Divide and Conquer**, just like merge sort. But in quick sort all the heavy lifting (major work) is done while **dividing** the array into sub arrays, while in case of merge sort, all the real work happens during **merging** the sub arrays. In case of quick sort, the combine step does absolutely nothing.

It is also called **partition-exchange sort**. This algorithm divides the list into three main parts:

1. Elements less than the **Pivot** element
2. Pivot element (Central element)
3. Elements greater than the pivot element

Pivot element can be any element from the array, it can be the first element, the last element or any random element. In this tutorial, we will take the rightmost element or the last element as **pivot**.

How to implement Quick Sort?

Following are the steps involved in quick sort algorithm:

1. After selecting an element as **pivot**, which is the last index of the array in our case, we divide the array for the first time.
2. In quick sort, we call this **partitioning**. It is not simple breaking down of array into 2 sub arrays, but in case of partitioning, the array elements are so positioned that all the elements smaller than the **pivot** will be on the left side of the pivot and all the elements greater than the pivot will be on the right side of it.
3. And the **pivot** element will be at its final **sorted** position.

4. The elements to the left and right, may not be sorted.
5. Then we pick subarrays, elements on the left of **pivot** and elements on the right of **pivot**, and we perform **partitioning** on them by choosing a **pivot** in the subarrays.

Complexity Analysis of Quick Sort

For an array, in which **partitioning** leads to unbalanced subarrays, to an extent where on the left side there are no elements, with all the elements greater than the **pivot**, hence on the right side. And if keep on getting unbalanced sub arrays, then the running time is the worst case, which is $O(n^2)$. Where as if **partitioning** leads to almost equal sub arrays, then the running time is the best, with time complexity as $O(n \log n)$.

Worst Case Time Complexity [Big-O]: $O(n^2)$

Best Case Time Complexity [Big-omega]: $O(n \log n)$

Average Time Complexity [Big-theta]: $O(n \log n)$

Space Complexity: $O(n \log n)$

Result/Output:-

Reference Books:-

1. Aho, "Design & Analysis of Computer Algorithms", Pearson LPE.
2. Russ Miller, "Algorithms: Sequential and Parallel", Dreamtech Press.
3. Goodrich, "Algorithm Design: Foundation and Analysis", Wiley India.
4. Grama, "An Intro to Parallel Computing: Design & Analysis of Algorithms", Second Edition, Pearson LPE.
5. Baase, "Computer Algorithms: Intro to Design & Analysis", Third Edition, Pearson LPE

Questions for Viva:-

1. Explain quick sort with example.
2. Write an pseudocode for quick sort.
3. Explain best case, worst case and average case of quick sort.

Name of Teacher

Miss. Mayuri Chandratre

Sign

Implementing Quick Sort Algorithm

Below we have a simple C program implementing the Quicksort algorithm:

```
//simple C program for Quick Sort #
include <stdio.h>

// to swap two numbers
void swap(int*a, int* b)
{
    int t = *a;
    *a = *b;
    *b = t;
}

/*
a[] is the array, p is starting index, that is 0, and r is
the last index of array.
*/
void quicksort(int a[], int p, int r)
{
    if (p < r)
    {
        int q;
        q = partition(a, p, r);
        quicksort(a, p, q);
        quicksort(a, q + 1, r);
    }
}

int partition(int a[], int low, int high)
{
    int pivot = arr[high]; // selecting last element as pivot
    int i = (low - 1); // index of smaller element

    for (int j = low; j <= high - 1; j++)
    {
        // If current element is smaller than or equal to pivot
        if (arr[j] <= pivot)
        {
            i++; // increment index of smaller element
            swap(&arr[i], &arr[j]);
        }
    }
    swap(&arr[i + 1], &arr[high]);
}
```

```
    return(i+1);
}

// function to print the array
void printArray(inta[],intsize)
{
    inti;
    for(i=0;i <size; i++)
    {
        printf("%d", a[i]);
    }
    printf("\n");
}

int main()
{
    int arr[] = {9, 7, 5, 11, 12, 2, 14, 3, 10, 6};
    int n = sizeof(arr)/sizeof(arr[0]);

    //call quickSort function
    quickSort(arr, 0, n-1);

    printf("Sorted array: \n");
    printArray(arr, n);
    return 0;
}
```

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DEPARTMENT OF INFORMATION TECHNOLOGY

Name

Class: T.E.

Subject: Design and analysis of algorithm

Roll

Date of

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EXPERIMENT NO:

TITLE: 0/1 Knapsack problem

AIM: Write a program to solve 0/1 knapsack problem using dynamic programming approach.

Hardware/Software Requirement: PC, Windows XP/7, C compiler, Editor.

Theory

Definition of 0/1 knapsack problem is "Given a set of items, each with a weight and a value, determine the number of each item to include in a collection so that the total weight is less than or equal to a given limit and the total value is as large as possible."

Given weights and values of n items, put these items in a knapsack of capacity W to get the maximum total value in the knapsack. In other words, given two integer arrays $val[0..n-1]$ and $wt[0..n-1]$ which represent values and weights associated with n items respectively. Also given an integer W which represents knapsack capacity, find out the maximum value subset of $val[]$ such that sum of the weights of this subset is smaller than or equal to W . You cannot break an item, either pick the complete item, or don't pick it (0-1 property).

A simple solution is to consider all subsets of items and calculate the total weight and value of all subsets. Consider the only subsets whose total weight is smaller than W . From all such subsets, pick the maximum value subset.

1) Optimal Substructure:

To consider all subsets of items, there can be two cases for every item: (1) the item is included in the optimal subset, (2) not included in the optimal set.

Therefore, the maximum value that can be obtained from n items is max of following two values.

- 1) Maximum value obtained by $n-1$ items and W weight (excluding n th item).
- 2) Value of n th item plus maximum value obtained by $n-1$ items and W minus weight of the n th item (including n th item).

If weight of n th item is greater than W , then the n th item cannot be included and case 1 is the only possibility.

2) Overlapping Sub problems

Problems are evaluated again and again, this problem is called Overlapping Subproblem's property.

Time Complexity:

$O(nW)$ where n is the number of items and W is the capacity of knapsack.

Result/Output:-

Reference Books:-

1. Aho, "Design & Analysis of Computer Algorithms", Pearson LPE.
2. Russ Miller, "Algorithms: Sequential and Parallel", Dreamtech Press.
3. Goodrich, "Algorithm Design: Foundation and Analysis", Wiley India.
4. Grama, "An Intro to Parallel Computing: Design & Analysis of Algorithms", Second Edition, Pearson LPE.
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Questions for Viva:-

1. What is 0/1 knapsack problem?
2. Explain 0/1 knapsack problem with example.

Name of Teacher

Miss. Mayuri Chandratre

Sign

```
//ADynamicProgrammingbasedsolutionfor0-1Knapsackproblem
```

```
#include<stdio.h>
```

```
//Autilityfunctionthatreturnsmaximumoftwointegers int
```

```
max(int a, int b) { return (a > b)? a : b; }
```

```
//ReturnsthemaximumvaluethatcanbeputinaknapsackofcapacityW int
```

```
knapSack(int W, int wt[], int val[], int n)
```

```
{
```

```
int i, w;
```

```
intK[n+1][W+1];
```

```
//BuildtableK[][]inbottomupmanner for (i
```

```
= 0; i <= n; i++)
```

```
{
```

```
    for(w=0; w<=W;w++)
```

```
    {
```

```
        if(i==0 ||w==0)
```

```
            K[i][w]=0;
```

```
        elseif(wt[i-1]<=w)
```

```
            K[i][w]=max(val[i-1]+K[i-1][w-wt[i-1]],K[i-1][w]);
```

```
        else
```

```
            K[i][w]=K[i-1][w];
```

```
        }  
    }  
  
    return K[n][W];  
}  
  
int main()  
{  
    int val[]={ 60, 100, 120};  
    int wt[]={ 10, 20, 30};  
    int W=50;  
    int n = sizeof(val)/sizeof(val[0]);  
    printf("%d",knapSack(W,wt,val,n));  
    return 0;  
}
```

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Name

Class: T.E.

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EXPERIMENT NO:

TITLE: Program for travelling salesman problem.

AIM: Write a program for travelling salesman problem using branch and bound technique.

Hardware/Software Requirement: PC, Windows XP/7, C compiler, Editor.

Theory

Travelling salesman problem consists of "Given a set of cities and distance between every pair of cities, the problem is to find the shortest possible tour that visits every city exactly once and returns to the starting point."

Branch and bound is an algorithm design paradigm which is generally used for solving combinatorial optimization problems. These problems are typically exponential in terms of time complexity and may require exploring all possible permutations in worst case. The Branch and Bound Algorithm technique solves these problems relatively quickly.

How to implement Travelling salesman problem?

Following are the steps involved in TSP:

1. Create state space tree starting from root node.
2. Calculate cost of each node and child node.
3. Select most promising child for further expansion (gives optimal solution) kill remaining other nodes of that expansion.
4. Repeat step 3 till you reach to again starting node.

Result/Output:-

Reference Books:-

1. Aho, "Design & Analysis of Computer Algorithms", Pearson LPE.
2. Russ Miller, "Algorithms: Sequential and Parallel", Dreamtech Press.
3. Goodrich, "Algorithm Design: Foundation and Analysis", Wiley India.
4. Grama, "An Intro to Parallel Computing: Design & Analysis of Algorithms", Second Edition, Pearson LPE.
5. Baase, "Computer Algorithms: Intro to Design & Analysis", Third Edition, Pearson LPE

Questions for Viva:-

1. Explain Travelling salesman problem with example.
2. Differentiate between dynamic and branch and bound technique.

Name of Teacher

Miss. Mayuri Chandratre

Sign

TRAVELINGSALESMANUSINGBRANCHANDBOUNDTECHNIQUE

```
#include<stdio.h>#include<conio.h>

int a[10][10], visited[10], n, cost=0;

void get()
{
    int i, j;

    printf("Enter No. of Cities:");
    scanf("%d", &n);
    printf("\nEnter Cost Matrix:\n");
    for( i=0; i<n; i++)
    {
        printf("\nEnter Elements of Row#: %d\n", i+1);
        for( j=0; j<n; j++)
            scanf("%d", &a[i][j]);
        visited[i]=0;
    }
    printf("\n\nThe cost list is:\n\n");
    for( i=0; i<n; i++)
    {
        printf("\n\n");
        for( j=0; j<n; j++)
            printf("\t%d", a[i][j]);
    }
}
```

```

void mincost(int city)
{
    int i, ncity;
    visited[city]=1;
    printf("%d->", city+1);
    ncity=least(city);

    if(ncity==999)
    {
        ncity=0;
        printf("%d", ncity+1);
        cost+=a[city][ncity];
        return;
    }

    mincost(ncity);
}

```

```

int least(int c)
{
    int i, nc=999;
    int min=999, kmin;
    for(i=0; i<n; i++)
    {
        if((a[c][i]!=0)&&(visited[i]==0))
        if(a[c][i]<min)
        {
            min=a[i][0]+a[c][i];
            kmin=a[c][i];
            nc=i;
        }
    }
    if(min!=999)
    cost+=kmin;
    return nc;
}

```

```
voidput()
{
printf("\n\nMinimumcost:");
printf("%d",cost);
}
```

```
voidmain()
{
clrscr();
get();
printf("\n\nThePathis:\n\n");
mincost(0);
put();
getch();
}
```

Output

Input Sample:

No.ofNodes:6

Cost Matrix:

99	10	15	20	99	8
5	99	9	10	8	99
6	13	99	12	99	5
8	8	9	99	6	99
99	10	99	6	99	99
10	99	5	99	99	99

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DEPARTMENT OF INFORMATION TECHNOLOGY

Name

Class: T.E.

Subject: Design and analysis of algorithm

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Date of

Date of

EXPERIMENT NO:

TITLE: Program for graph coloring problem.

AIM: Write a program for graph coloring problem using backtracking technique.

Hardware/Software Requirement: PC, Windows XP/7, C compiler, Editor.

Theory

Given an undirected graph and a number m , determine if the graph can be colored with at most m colors such that no two adjacent vertices of the graph are colored with the same color. Here coloring of a graph means the assignment of colors to all vertices.

Input:

1) A 2D array $graph[V][V]$ where V is the number of vertices in graph and $graph[V][V]$ is adjacency matrix representation of the graph. A value $graph[i][j]$ is 1 if there is a directed edge from i to j , otherwise $graph[i][j]$ is 0.

2) An integer m which is the maximum number of colors that can be used.

Output:

An array $color[V]$ that should have numbers from 1 to m . $color[i]$ should represent the color assigned to the i th vertex. The code should also return false if the graph cannot be colored with m colors.

Backtracking Algorithm

Backtracking algorithm makes the process to solve the problem more efficient by avoiding much bad decision that needed to be made in the naive approach. We start by coloring a single vertex, then we move to its adjacent vertex. We color it with that color which has not been used to color any of its connected vertices. After coloring it we then move to its adjacent vertex which is uncolored. We repeat the process until all vertices of the given graph are colored.

In case we find for a vertex that all its adjacent (connected) are colored with different colors and no color is left to make it color different from them, then it means the given number of colors i.e. „ m “, is insufficient to color the graph. Hence we require more colors i.e. bigger chromatic number.

How to implement graph coloring problem?

Following are the steps involved in TSP:

1. Confirm whether it is valid to color the vertex with current color? by checking whether any of its adjacent vertices are colored with the same color?
2. If yes then color it or else try with another color.
3. If no other color is available then backtrack i.e. un-color last colored vertex and return false.
4. After each coloring check if all vertices are colored or not. If yes then end the program by returning true, else continue.
5. Now select any one of the uncolored adjacent vertices of the current colored vertex and repeat the whole process

Here backtracking means to stop further recursive calls on adjacent vertices by returning false. In this algorithm Step-2 (Continue) and Step-4 (backtracking) is causing the program to try different color option.

Continue—try a different color for current vertex.

Backtrack—try a different color for last colored vertex.

Result/Output:-

Reference Books:-

1. Aho, "Design & Analysis of Computer Algorithms", Pearson LPE.
2. Russ Miller, "Algorithms: Sequential and Parallel", Dreamtech Press.
3. Goodrich, "Algorithm Design: Foundation and Analysis", Wiley India.
4. Grama, "An Intro to Parallel Computing: Design & Analysis of Algorithms", Second Edition, Pearson LPE.
5. Baase, "Computer Algorithms: Intro to Design & Analysis", Third Edition, Pearson LPE

Questions for Viva:-

1. Explain graph coloring problem with example.
2. What is backtracking?

Name of Teacher

Miss. Mayuri Chandratre

Sign

Graphcoloring using backtracking

```
#include <stdio.h>
#include <stdlib.h>
#include <stdbool.h>

//Number of vertices
#define numOfVertices 4

//function Prototypes
bool canColorWith(int, int);

//0 -Green
//1 -Blue

char colors[][30] = {"Green", "Blue"};
int color_used = 2;
int colorCount;

//Graph connections
int graph[numOfVertices][numOfVertices] = {{0, 1, 0, 1},
                                             {1, 0, 1, 0},
                                             {0, 1, 0, 1},
                                             {1, 0, 1, 0}};

typedef struct {
    char name;
    bool colored;
    int color;
} Vertex;

//VertexList
Vertex* vertexArray[numOfVertices];

int hasUncoloredNeighbours(int idx) {
    int i;
    for (i = 0; i < numOfVertices; i++) {
        if (graph[idx][i] == 1 && vertexArray[i] -> colored == false) return i;
    }
    return -1;
}

bool setColors(int idx) {
```

```

int colorIndex, unColoredIdx;

for(colorIndex=0; colorIndex<color_used; colorIndex++){

    //Step-1: checking validity
    if(!canColorWith(colorIndex, idx)) continue; //Step-2: Continue

    //Step-2: coloring
    vertexArray[idx]->color=colorIndex;
    vertexArray[idx]->colored = true;
    colorCount++;

    //Step-4 : Whether all vertices colored?
    if(colorCount==numOfVertices) //Base Case
        return true;

    //Step-5: Next uncolored vertex
    while((unColoredIdx=hasUncoloredNeighbours(idx))!=-1){
        if(setColors(unColoredIdx))
            return true;
    }

}

// Step-3 : Backtracking
vertexArray[idx]->color = -1;
vertexArray[idx]->colored = false;
return false;
}

//Function to check whether it is valid to color with color[colorIndex] bool
canColorWith(int colorIndex, int vertex) {
    Vertex* neighborVertex;
    int i;

    for(i=0; i<numOfVertices; i++){

        //skipping if vertex are not connected
        if(graph[vertex][i] == 0) continue;

        neighborVertex=vertexArray[i];
        if(neighborVertex->colored && neighborVertex->color==colorIndex)
            return false;
    }

    return true;
}

```

```
}
```

```
intmain()
```

```
{
```

```
    inti;
```

```
    //CreatingVertex
```

```
    VertexvertexA,vertexB,vertexC, vertexD;
```

```
    vertexA.name='A';
```

```
    vertexB.name='B';
```

```
    vertexC.name='C';
```

```
    vertexD.name='D';
```

```
    vertexArray[0]=&vertexA;
```

```
    vertexArray[1]=&vertexB;
```

```
    vertexArray[2]=&vertexC;
```

```
    vertexArray[3]=&vertexD;
```

```
    for(i=0; i<numOfVertices;i++){
```

```
        vertexArray[i]->colored =false;
```

```
        vertexArray[i]->color = -1;
```

```
    }
```

```
    boolhasSolution=setColors(0); if
```

```
    (!hasSolution)
```

```
        printf("NoSolution");
```

```
    else {
```

```
        for(i=0;i<numOfVertices;i++){
```

```
            printf("%c%s\n",vertexArray[i]->name,colors[vertexArray[i]->color]);
```

```
        }
```

```
    }
```

```
    return0;
```

```
}
```

```
"C:\Program Files\Java\jdk1.8.0_131\bin\java.exe" ...
```

```
A Green
```

```
B Blue
```

```
C Green
```

```
D Blue
```

```
Process finished with exit code 0
```

SSBT's College of Engineering & Technology, Bambhori, Jalgaon
DEPARTMENT OF INFORMATION TECHNOLOGY

Name

Class: T.E.

Subject: Design and analysis of algorithm

Roll

Date of

Date of

EXPERIMENT NO:

TITLE: Program for job sequencing.

AIM: Write a program for job sequencing using greedy approach.

Hardware/Software Requirement: PC, Windows XP/7, C compiler, Editor.

Theory

Given an array of jobs where every job has a deadline and associated profit if the job is finished before the deadline. It is also given that every job takes single unit of time, so the minimum possible deadline for any job is 1. How to maximize total profit if only one job can be scheduled at a time. A Simple Solution is to generate all subsets of given set of jobs and check individual subset for feasibility of jobs in that subset. Keep track of maximum profit among all feasible subsets. The time complexity of this solution is exponential.

Greedy Algorithm

Among all the algorithmic approaches, the simplest and straightforward approach is the Greedy method. In this approach, the decision is taken on the basis of current available information without worrying about the effect of the current decision in future.

Greedy algorithms build a solution part by part, choosing the next part in such a way, that it gives an immediate benefit. This approach never reconsiders the choices taken previously. This approach is mainly used to solve optimization problems. Greedy method is easy to implement and quite efficient in most of the cases. Hence, we can say that Greedy algorithm is an algorithmic paradigm based on heuristic that follows local optimal choice at each step with the hope of finding global optimal solution.

In many problems, it does not produce an optimal solution though it gives an approximate (near optimal) solution in a reasonable time.

How to implement job sequencing problem?

Following steps are involved in job sequencing algorithm,

- 1) Sort all jobs in decreasing order of profit.
- 2) Initialize the result sequence as first job in sorted jobs.
- 3) Do following for remaining $n-1$ jobs
 - a) If the current job can fit in the current result sequence without missing the deadline, add current job to the result. Else ignore the current job.

Result/Output:-

Reference Books:-

1. Aho, "Design & Analysis of Computer Algorithms", Pearson LPE.
2. Russ Miller, "Algorithms: Sequential and Parallel", Dreamtech Press.
3. Goodrich, "Algorithm Design: Foundation and Analysis", Wiley India.
4. Grama, "An Intro to Parallel Computing: Design & Analysis of Algorithms", Second Edition, Pearson LPE.
5. Baase, "Computer Algorithms: Intro to Design & Analysis", Third Edition, Pearson LPE

Questions for Viva:-

1. Explain job sequencing with example.
2. What is greedy algorithm?

Name of Teacher

Miss. Mayuri Chandratre

Sign

//Program to find the maximum profit job sequence from a given array of jobs with deadlines and profits

```
#include<stdio.h>#def
ine MAX 100

typedef struct Job{ char
id[5];
int deadline;
int profit;
}Job;

void jobSequencingWithDeadline(Job jobs[], int n);

int minVal(int x, int y) {
if(x<y) return x;
return y;
}

int main(void){
//variables
int i, j;

//jobs with deadline and profit
Job jobs[5] = {
{"j1", 2, 60},
{"j2", 1, 100},
{"j3", 3, 20},
{"j4", 2, 40},
{"j5", 1, 20},
};

//temp
Job temp;

//number of jobs
int
n = 5;

//sort the jobs profit wise in descending order
for(i
= 1; i < n; i++) {
for(j = 0; j < n - i; j++) {
if(jobs[j+1].profit > jobs[j].profit) {
temp = jobs[j+1];
jobs[j+1] = jobs[j];
jobs[j] = temp;
}
}
}

printf("%10s%10s%10s\n", "Job", "Deadline", "Profit");
for(i = 0; i < n; i++) {
printf("%10s%10i%10i\n", jobs[i].id, jobs[i].deadline, jobs[i].profit);
}

jobSequencingWithDeadline(jobs, n);

return 0;
}

void jobSequencingWithDeadline(Job jobs[], int n) {
//variables
int i, j, k, maxprofit;

//free time slots
int timeSlot[MAX];

//filled time slots
int filledTimeSlot = 0;

//find max deadline value
int dmax = 0;
for(i = 0; i < n; i++) {
if(jobs[i].deadline > dmax){
dmax = jobs[i].deadline;
}
}
```

```

//freetimeslotsinitiallysetto-1[-1denotesEMPTY] for(i
= 1; i <= dmax; i++) {
    timeslot[i]=-1;
}

printf("dmax:%d\n",dmax);

for(i = 1; i <= n; i++) {
    k=minValue(dmax,jobs[i-1].deadline); while(k
>= 1) {
        if(timeslot[k]==-1){
            timeslot[k] = i-1;
            filledTimeSlot++;
            break;
        }
        k--;
    }

    //ifalltimeslotsarefilledthenstop
    if(filledTimeSlot == dmax) {
        break;
    }
}

//required jobs
printf("\nRequiredJobs:"); for(i
= 1; i <= dmax; i++) {
    printf("%s",jobs[timeslot[i]].id);

    if(i < dmax) {
        printf("-->");
    }
}

//requiredprofit
maxprofit = 0;
for(i = 1; i <= dmax; i++)
    {maxprofit+=jobs[timeslot[i]].profit;
}
printf("\nMaxProfit:%d\n",maxprofit);
}

```

Output

Job	Deadline	Profit
j2	1	100
j1	2	60
j4	2	40
j3	3	20
j5	1	20

dmax:3

RequiredJobs:j2--> j1 ---- >j3

MaxProfit: 180