



Sri Chaitanya IIT Academy.,India.

★ A.P ★ T.S ★ KARNATAKA ★ TAMILNADU ★ MAHARASTRA ★ DELHI ★ RANCHI

A right Choice for the Real Aspirant
ICON Central Office - Madhapur - Hyderabad

Sec: Sr.Super60_STERLING BT

JEE-ADV-2023_P1

Date: 13-07-2025

Time: 09.00Am to 12.00Pm

WTA-37

Max. Marks: 180

KEY SHEET

MATHEMATICS

1	ABD	2	AB	3	ABC	4	A	5	A	6	A
7	C	8	720	9	150	10	41	11	380	12	6
13	4	14	C	15	D	16	A	17	A		

PHYSICS

18	ACD	19	BC	20	AD	21	A	22	D	23	C
24	B	25	7	26	2	27	5850	28	15	29	4
30	8	31	C	32	A	33	A	34	C		

CHEMISTRY

35	ABD	36	AC	37	AB	38	A	39	B	40	D
41	B	42	4	43	5	44	3	45	3	46	5
47	6	48	A	49	A	50	A	51	B		

SOLUTIONS

MATHEMATICS

1. A). No. of subsets of r -members

= selecting r things

$$= {}^n C_r$$

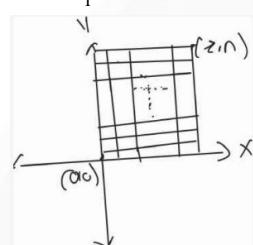
- B). Binary system is 0 & 1..... n -place

\therefore Total no. of ways

= Number of ways of selecting r place from n place

$$= {}^n C_r$$

- C).



we have to cover $r + n$ steps

Number of ways

$$= n + {}^r C_r$$

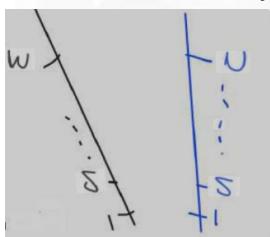
$$\neq {}^n C_r$$

- D). Number of ways of selecting r -different things from n - different things. When \perp particular thing is always chosen = ${}^{n-1} C_{r-1}$

\therefore Number of ways of selection of r different things from thing is excluded = ${}^{n-1} C_r$

$$\therefore \text{Total ways} = {}^{n-1} C_r + {}^{n-1} C_r = {}^n C_r$$

- 2.



Number of points of intersection = ${}^m C_2 \times {}^n C_2$

$$= \frac{m!}{2!(m-2)!} \times \frac{n!}{2!(n-2)!}$$

$$= \frac{(m9m-1)n(n-1)}{4}$$

3. $\rightarrow \{0,1,2,3,4\}$

$$(0,0)$$

$$\begin{array}{l} (1,2) \text{ } \& (2,1) \\ (1,3) \text{ } \& (3,1) \\ (2,4) \text{ } \& (4,3) \\ (3,4) \text{ } \& (4,3) \end{array} \left. \right\} 9 \text{ possible pairs}$$

- 4.

(7-places)

For digit 2, No. of ways to select places = ${}^7 C_2$

For remaining 5 places there are 2 choices of digits as (1 & 3)

\therefore Total no. of numbers

$$= {}^7 C_2 \times 2^5 = 672$$

5. odd digits are 1,3,5,7,9

\therefore total number of numbers

Which has all odd digits = $5 \times 5 \times 5 = 125$



Number of ways = 3^4 & for unordered pair of subsets $\frac{3^4 + 1}{2} = 41$

11. We have 6 girls & 4 boys

To select 4 members = ${}^6C_3 + {}^4C_1 + {}^6C_4$

Now selection of captain from 4 members = 4C_1

Number of ways = $({}^6C_3 + {}^4C_1 + {}^6C_4) {}^4C_1 = (20 \times 4 \times 415) \times 4 = 380$

12. Case-I

Both are bananas

Number of ways of selection = \perp

Case-II

Both are not bananas

a) both are same fruits

number of ways = ${}^2C_1 = 2$

b) both are different fruits

\therefore number of ways = \perp

Case-III

One fruit is banana

Number of ways = $1 \times {}^2C_1$

\therefore total number of ways = $1 + 2 + 1 + 2 = 6$

13. total matches between boys of both teams = ${}^2C_1 \times {}^4C_1 = 28$

Total matches between girls of both teams = ${}^nC_1 \times {}^6C_1 = 6n$

$\therefore 28 + 6n = 52 \Rightarrow n = 4.$

14. i). n- things to r objects (none or any)

i.e., $x_1 + x_2 + \dots + x_z = n$

number of ways = ${}^{n+z-1}C_{z-1}$

here n=35, r=3

number of ways = ${}^{38-1}C_2 = \frac{37!}{2!35!} = 37 \times 18 = 666$

ii) A decagon has 10 sides

\therefore there are 10 choices for common sides of triangle

Now for chosen side (AB) the third vertex of triangle must be one of remaining vertices of decagon that is not adjacent to AB

\therefore possible choices for third vertex (C)

\therefore total number of triangles = 10×6

= 60

iii) black balls = 3 & non-black balls = 6

\therefore number of ways = ${}^3C_1 \times {}^6C_2 + {}^6C_1 \times {}^3C_1 + {}^3C_3 \times {}^6C_0 = 45 + 16 + 1 = 64$



15. the number of straight line that can be drawn using 12 points out of which 8 are collinear
 is $= {}^{12}C_2 - {}^8C_2 + 1 = 39$

16. i) ${}^{n+4}C_{n+1} - {}^{n+3}C_n = 15(n+2)$
 $\Rightarrow \frac{(n+4)(n+3)(n+2)}{3 \times 2 \times 1} - \frac{(n+3)(n+2)(n+1)}{3 \times 2 \times 1} = 15(n+2)$

$$\Rightarrow \frac{(n+3)(n+4) - (n+1)(n+3)}{6} = 15$$

$$\Rightarrow (n+3)(3) = 15 \times 6$$

$$n+3 = 30$$

$$\Rightarrow n = 27$$

ii). ${}^{2n}C_3 = 11 \cdot {}^nC_3$

$$\frac{(2n)!}{3!(2n-3)!} = \frac{11 \times n!}{3!(n-3)!}$$

$$\Rightarrow \frac{(2n)(2n-1)(2n-2)}{6} = \frac{11 \times n \times (n-1) \times (n-2)}{6}$$

$$2 \times 2 \times (n-1)(2n-1) = 11 \times (n-1)(n-2)$$

$$\Rightarrow 8n - 4 = 11n - 22$$

$$\Rightarrow 3n = 18$$

$$\Rightarrow n = 6$$

31 objects

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graph TD
    A[31 objects] --> B[10 identical]
    A --> C[21 distinct]
    A --> D["10 identical + 21 distinct"]
  
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iii) 10 identical 21 distinct

possible ways

$$= 0 \text{ identical} + 10 \text{ distinct}$$

$$= \underline{I} + 3D$$

$$= 2I + 8D$$

⋮

$$= 10I + 0D$$

∴ Total number of ways

$$= {}^{21}C_{10} + {}^{21}C_9 + {}^{21}C_8 + \dots$$

$$\text{as } {}^nC_r = {}^nC_{n-r}$$

$$\therefore \text{total number of ways} = 2^{20}$$

$$\therefore x = 20$$

17. conceptual

PHYSICS

18. $I_{\max} = \left(\sqrt{I_1} + \sqrt{I_2}\right)^2 = \left(\sqrt{I} + \sqrt{\frac{I}{2}}\right)^2 < 4I$ $I_{\min} = \left(\sqrt{I_1} - \sqrt{I_2}\right)^2 > 0 = \beta = \frac{\gamma D}{d}$

For central maximum $\delta = 0$

19. $\frac{yd}{1} + y_p \frac{d}{4} = 0 = y_p = y(-4) = -4\sin \pi t$

For max Intensity $\delta = n\lambda$

$$\frac{yd}{1} + y_p \frac{d}{4} = n\lambda$$

Form first time $n=1$, $y_p = \frac{d}{2}$ $yd + \frac{d^2}{8} = \lambda \therefore t = \frac{1}{\pi} \sin^{-1} \left(\frac{54}{80} \right)$

Similarly for min intensity $\frac{yd}{1} + y_p \frac{d}{y} = \left(n - \frac{1}{2}\right)\lambda \quad t = \frac{1}{\pi} \sin^{-1} \left(\frac{27}{80} \right)$

20. concurrent waves can meet same phase (or) opposite phase also

21. $\delta = d \sin \theta$

For max $\delta = n\lambda$

$$d \sin \theta = n\lambda$$

$$\sin \theta = \frac{n\lambda}{d} = n \left[\frac{0.5}{2} \right] = \frac{n}{4}$$

$\sin \theta$ value lies between -1 to +1 so $\frac{n}{4} \leq 1$

So, for each quadrant is maximum

22. $\beta = \frac{\lambda D}{d}$ is $\beta \propto \lambda$

23. at P

$$\begin{aligned} \Delta\phi &= \frac{2\pi}{\lambda} \delta = \frac{2\pi}{\lambda} \frac{xd}{D} = I_p = 4I \cos^2 \left(\frac{\Delta\phi}{2} \right) & \sin n 4x = I_0 \\ &= I_0 \cos^2 \left[\frac{\pi xd}{\lambda D} \right] = \beta = \frac{\lambda D}{d} = I_0 \cos^2 \left[\frac{\pi x}{\beta} \right] \end{aligned}$$

24. $I = I_{\max} \cos^2 \frac{\phi}{2}$

$$\frac{I_{\max}}{2} = I_{\max} \cos^2 \frac{\phi}{2}$$

$$\phi = \frac{\pi}{2} (2n + 1)$$

$$\text{Phase diff.} = \frac{2\pi}{\lambda} \cdot \delta$$

$$\delta = \frac{\lambda}{2\pi} \phi$$



25. In the screen of YDSE

Distance of nth bright frings

$$y = \frac{n\lambda D}{d}$$

If n_1 bright of λ_1 overlaps with n_2 bright of λ_2 then

$$\frac{n_1 \lambda_1 D}{d} = \frac{n_2 \lambda_2 D}{d} = \frac{n_1}{n_2} = \frac{7}{4}$$

So 7th bright of λ_1 overlaps with 4th bright of λ_2

14th bright of λ_1 overlaps with 8th bright of λ_2

and so on so min order of λ_1 is 7

26. $I_p = I_{max} \cos^2 \phi / 2 \Rightarrow \cos \frac{\phi}{2} = \frac{1}{2} \quad \phi = \frac{2\pi}{3}$

$$\frac{2\pi}{\lambda_1} \Delta x_1 = \frac{2\pi}{3} = \Delta x_1 = \frac{\lambda_1}{3}$$

Similarly $\Delta x_2 = \frac{\lambda_2}{6}$

For same point P, $\Delta x_1 = \Delta x_2 \quad \frac{\lambda_1}{\lambda_2} = \frac{1}{2}$

27. $\beta = \frac{\lambda D}{d}$

For lens

$$u = -30 \text{ cm} \quad v = 70 \text{ cm}$$

$$m = \frac{v}{u} = \frac{d_1}{d} = \frac{h_1}{h_0}$$

$$\frac{70}{-30} = \frac{0.7}{d}$$

$$\text{Given } d_1 = 0.7 \text{ cm} \quad d = -0.3 \text{ cm}$$

$$\lambda = \frac{13d}{D} = 5850 \text{ A}^0$$

28. $S = (\mu - 1) t \frac{D}{d} \quad \beta = \frac{\lambda D}{d}$

$$S = n\beta$$

29. $I = I_1 + I_2 + 2\sqrt{I_1 I_2} \cos \phi$

$$\phi = 0 \quad I_1 = I_2 = 1$$

30. $S = \frac{\beta}{\lambda} (\mu - 1) t = \Delta S = \frac{\beta}{\lambda} (\mu_2 - \mu_1) t$

$$y_5 = \frac{5\lambda D}{d} = \frac{5\lambda D}{d} = \frac{D}{d} (\mu_2 - \mu_1) t$$

31. By introducing plate frings pattern will shifted

32. i). at P

$$\delta = d \sin \theta_0 + d \sin \theta$$

$$n\lambda = \frac{dy_0}{D_1} + \frac{dy}{D_2}$$

$$n = 280$$

ii) at 0 $\delta^1 = \frac{dy_0}{D_1}$

$$n^1 = \frac{\delta^1}{\lambda} = 80$$

iii). $\delta = (\mu - 1)t = n \delta^{11}$

$$\delta^{11} = 0.14 - 0.09 = 0.05$$

$$n = 262$$

iv). At O

$$\begin{aligned}\delta &= \delta^1 - (\mu - 1)t \\ &= (0.04 - 0.009) - 0.031\end{aligned}$$

$$n = \frac{0.031}{0.5 \times 10^{-3}} = 62$$

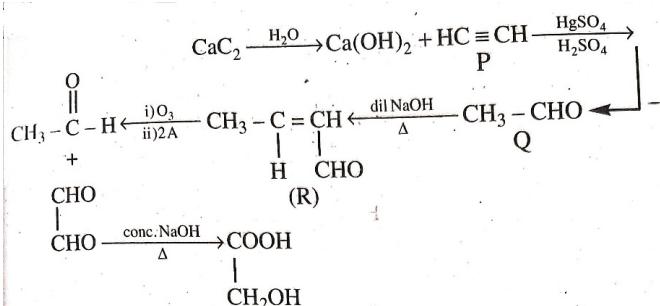
33. $\beta = \frac{\lambda D}{d} \quad \beta \propto \gamma \quad \text{and} \quad \lambda \propto \frac{1}{\mu}$

34. $\beta = \frac{\lambda D}{d} \quad \text{intensity (I)} = \frac{P}{A} \propto \frac{P}{r^2}$

CHEMISTRY

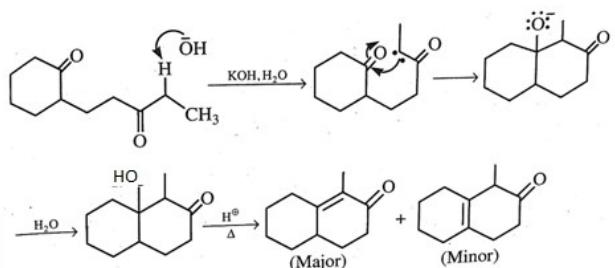
35. A new C – C bond formed in (a) Aldol (b) Friedel – Crafts alkylation, (d) Reimer Tiemann reaction

36.

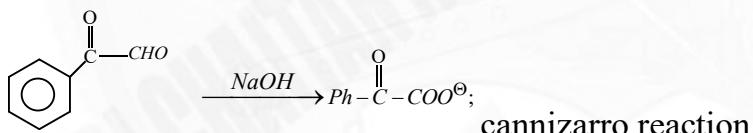


37. Mechanism of HVZ reaction

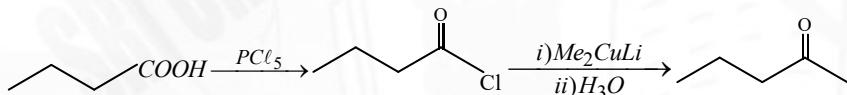
38.



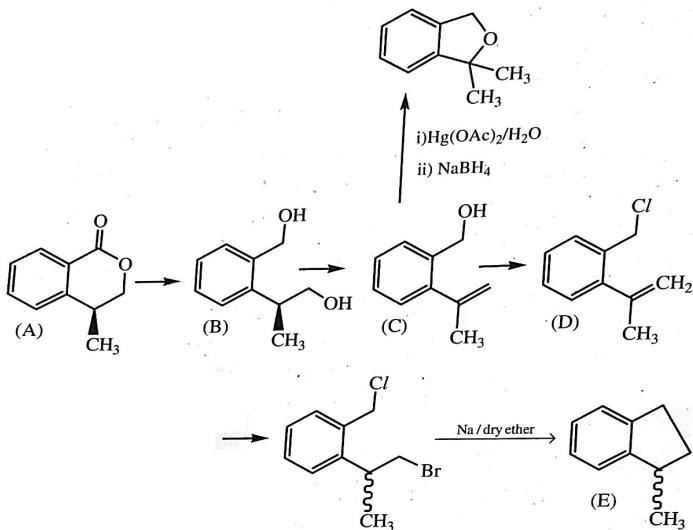
39.



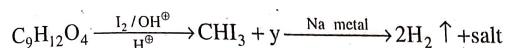
40.



41.

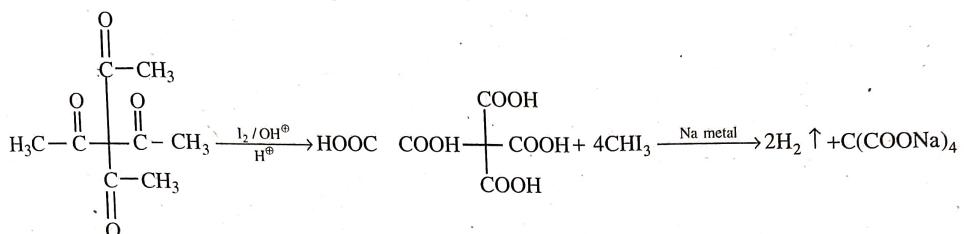


42.

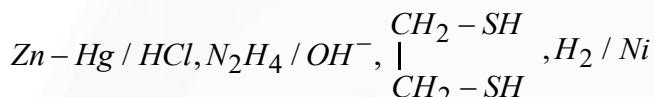


$$DU = 4$$

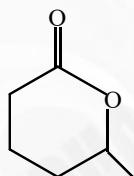
(No. of active H = 4)



43. Iodoform test, Sodium bisulfite test, Tollen's test, fehling's solution test, 2,4-DNP test

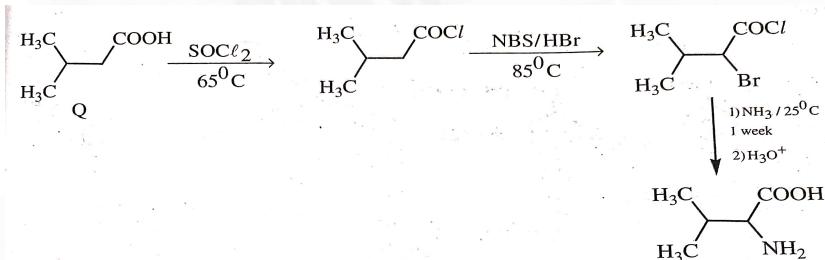


44.



45. $x = 2, y = 1$, Final product is

46.



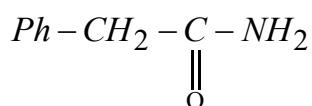
47. 3, 4, 6, 7, 8, 10 of given acids

48. Conceptual

49. Reactions between different carbonyl compounds



50.



51. A- Claisen condensation
C- F.C. acylation

B- HVZ Reaction D-Reduction with *LiAlH*₄