1)
44 54 11 34 54 11 23 33 53 44 54 12 42 43 42 44 32 51 41 21 23 11 31 13 53 15 54 42 54 42 44 42 43 44 32 51 41 21 23 11 31 13 53 15 54 42 54 42 44 42 43 44 32 51 41 53 43 54 32 42 34 41 11 25 51 35 53 34 13 42 43 22 53 43 11 44 54 34 53 43 22 51 34 31 42 14 32 51 34 12 53 34 12 15 54 15 34 51 33 51 44 44 11 22 51 44 42 54 42 44 44 15 34 51 23 55 15 43 21 34 51 11 13 11 21 23 51 42 54 31 53 33 21 42 43 51 44 53 15 34 14 34 51 25 42 53 15 44 33 51 54 32 53 41 44 34 35 13 54

start almost finished black out it is in shed on third ave working on a stronger cipher for future messages it is surely unbreakable it combine sour previous methods rwkt

2) python script has also been attached on how i did it. 6c73d5240a948c86981bc2808548 --attack at dawn 6c73d5240a948c86981bc294814d --attack at dusk

3)

$$P(M=\alpha) = V_{1}, \qquad P(M=b) = 3/4$$

$$P(k=k_{1}) = V_{2}, \qquad P(k=k_{2}) = P(k=k_{2}) = \frac{1}{4}$$

$$P(c = 1) = P(M=a) * P(k=k_{2}) + P(M=b) * P(k=k_{1})$$

$$= \frac{1}{4} \times \frac{1}{4} + \frac{3}{4} \times \frac{1}{4}$$

$$= \frac{1}{16} + \frac{3}{8} = \frac{1}{16}$$

$$P(c = 3) = P(M=a) * P(k=k_{3}) + P(M=b) * P(k=k_{2})$$

$$= \frac{1}{4} \times \frac{1}{4} + \frac{3}{4} \times \frac{1}{4}$$

$$= \frac{1}{16} * \frac{1}{4} \times \frac{1}{4} + \frac{3}{4} \times \frac{1}{4}$$

$$= \frac{1}{16} * \frac{1}{4} \times \frac{1}{4} + \frac{3}{4} \times \frac{1}{4}$$

$$= \frac{1}{16} * \frac{1}{4} \times \frac{1}{4} + \frac{3}{4} \times \frac{1}{4}$$

$$= \frac{1}{16} * \frac{1}{4} \times \frac{1}{4} + \frac{3}{4} \times \frac{1}{4} \times \frac{1$$

$$P[M=a|c=1) = P[M=a] * P[x=k_1] = 1$$

$$P[M=a|c=4] = 0$$

$$P[M=a|c=4] = P[M=a] * P[x=k_2] = \frac{16}{16} = \frac{1}{16}$$

$$P[M=a|c=2] = P[M=a] * P[x=k_2] = \frac{16}{16} = \frac{1}{16}$$

$$P[M=a|c=2] = P[M=a] * P[x=k_2] = \frac{1}{16} = \frac{1}{16}$$

$$P[M=a|c=2] = P[M=a] * P[x=k_2] = \frac{1}{16} = \frac{1}{16}$$

$$P[M=b|c=3] = P[M=b] * P[x=k_1] = \frac{8}{8} = \frac{6}{7}$$

$$P[M=b|c=2] = P[M=b] * P[x=k_1] = \frac{8}{8} = \frac{6}{7}$$

$$P[M=b|c=2] = P[M=b] * P[x=k_1] = \frac{3}{8} = \frac{6}{7}$$

P [c = 3]