```
# Following program is the python implementation of
# Rabin Karp Algorithm given in CLRS book
# pat -> pattern
# txt -> text
# q
      -> A prime number
def search(pat, txt, q):
    m = len(pat)
    n = len(txt)
    j = 0
    p = 0 # hash value for pattern
           # hash value for txt
    h = 1
    # d is the number of characters in input alphabet
    d = 256
    # The value of h would be "pow(d, m-1)%q"
    for i in range(m - 1):
        h = (h * d) % q
    # Calculate the hash value of pattern and first window
    # of text
    for i in range(m):
        p = (d * p + ord(pat[i])) % q
t = (d * t + ord(txt[i])) % q
    # Slide the pattern over text one by one
    for i in range(n - m + 1):
        # Check the hash values of current window of text and
        # pattern if the hash values match then only check
        # for characters one by one
        if p == t:
            # Check for characters one by one
            for j in range(m):
                if txt[i + j] != pat[j]:
            # if p == t and pat[0...m-1] = txt[i, i+1, ...i+m-1]
            if j == m:
                print("Pattern found at index " + str(i))
        # Calculate hash value for next window of text: Remove
        # leading digit, add trailing digit
        if i < n - m:
            t = (d * (t - ord(txt[i]) * h) + ord(txt[i + m])) % q
            # We might get negative values of t, converting it to
            # positive
            if t < 0:
                t = t + q
# Driver program to test the above function
txt = "a hello there to you all! hello all!"
pat = "hello"
q = 101 # A prime number
search(pat, txt, q)
```

```
def find_boyer_moore(T, P):
     n, m = len(T), len(P) # introduce convenient notations
if m == 0: return 0 # trivial search for empty string
last = {} # build 'last' dictionary
     for k in range(m):
           last[P[k]] = k # later occurrence overwrites
     # align end of pattern at index m-1 of text
     i = m - 1 # an index into T
     k = m - 1 # an index into P
     while i < n:</pre>
          if T[i] == P[k]: # a matching character
                if k == 0:
                     return i # pattern begins at index i of text
                else:
                     i -= 1 # examine previous character k -= 1 # of both T and P
           else:
                j = last.get(T[i], -1) # last(T[i]) is -1 if not found i += m - min(k, j + 1) # case analysis for jump step k = m - 1 # restart at end of pattern
     return -1
```

```
import time
from collections import defaultdict, Counter
def get_suffix_array(str):
    return sorted(range(len(str)), key=lambda i: str[i:])
def sort_bucket(str, bucket, order):
    d = defaultdict(list)
    for i in bucket:
         key = str[i:i + order]
         d[key] append(i)
    result = []
for k, v in sorted(d.items()):
    if len(v) > 1:
             result += sort_bucket(str, v, order * 2)
             result_append(v[0])
    # print(d)
    return result
def suffix_array_ManberMyers(str):
    return sort_bucket(str, (i for i in range(len(str))), 1)
if __name__ == "__main__":
    str = 'Four score and seven years ago our forefathers brought forth to this
continent a new nation'
    start_time = time.time()
    x = get_suffix_array(str)
    end time = time time()
    print("Time for python sort was %g seconds" % (end_time - start_time))
    start_time = time.time()
    y = suffix_array_ManberMyers(str)
    end_time = time.time()
    print("Time for Manber Myers was %g seconds\n" % (end_time - start_time))
    # for i in y:
# print("{}\t{}".format(i, str[i:]))
```

```
"""Return the lowest index of T at which substring P begins (or else -1)."""
    n, m = len(T), len(P) # introduce convenient notations
if m == 0: return 0 # trivial search for empty string
    fail = compute_kmp_fail(P) # rely on utility to precompute
    j = 0 # index into text
    k = 0 # index into pattern
    while j < n:
    if T[j] == P[k]: # P[0:1+k] matched thus far</pre>
             if k == m - 1: # match is complete
                return j - m + 1
             j += 1 # try to extend match
             k += 1
        elif k > 0:
            k = fail[k - 1] # reuse suffix of P[0:k]
        else:
             j += 1
    return −1 # reached end without match
def compute_kmp_fail(P):
     ""Utility that computes and returns KMP 'fail' list."""
    m = len(P)
    fail = [0] * m # by default, presume overlap of 0 everywhere
    j = 1
    while j < m: # compute f(j) during this pass, if nonzero</pre>
        if P[j] == P[k]: # k + 1 characters match thus far
             fail[j] = k + 1
             j += 1
             k += 1
        elif k > 0: # k follows a matching prefix
            k = fail[k - 1]
        else: # no match found starting at j
             j += 1
    return fail
txt = "ABABDABACDABABCABAB"
pat = "ABABCABAB"
find_kmp(txt, pat)
```

```
from bisect import bisect_left, bisect_right
strls = ['a', 'awkward', 'awl', 'awls', 'axe', 'axes', 'bee']
# t = 'This is the world.$'
t = 'banana$'
suffixes = sorted([t[i:] for i in range(len(t))])
print(len(suffixes))
print(suffixes)
# Get range of elements with 'aw' as a prefix
st, en = bisect_left(strls, 'aw'), bisect_left(strls, 'ax')
print(st, en) # output: (1, 4)
```

```
An implementation of Boyer-Moore-Horspool string searching.
from collections import defaultdict
def boyer_moore_horspool(pattern, text):
      m = len(pattern)
      n = len(text)
       if m > n:
             return -1
       skip = defaultdict(lambda: m)
       found_indexes = []
       for k in range(m - 1):
             skip[ord(pattern[k])] = m - k - 1
       k = m - 1
      while k < n:</pre>
             j = m - 1
             i = k
             while j >= 0 and text[i] == pattern[j]:
                    j -= 1
i -= 1
             if j == -1:
                    found_indexes.append(i + 1)
             k += skip[ord(text[k])]
       return found_indexes
if name == ' main ':
             ts = [
  [[8, 25], 'the', 'this is the string to do the search in'],
  [[0, 2, 10], 'co', 'cocochanelco'],
  [[2, 6], 'co', 'mycocacola'],
  [[2, 4, 6, 9], 'co', 'mycococoacola'],
  [[2, 4], 'coco', 'mycococoacola'],
  [[10], 'co', 'lalalalalaco'],
  [[0], 'co', 'colalalalala'],
  [[0], 'a', 'zzzzzzzzzzzz'],
  [[0], 'a', 'a'],
  [[1], 'z', 'aa'],
  [[1], 'z', 'aa'],
  [[1], 'z', 'az'],
  [[0], 'z', 'za'],
  [[r for r in range(11)], 'z', 'zzzzzzzzzzz'],
       tests = [
              [[r for r in range(11)], 'z', 'zzzzzzzzzzz'],
[[5, 6], 'z', 'aaaaazzaaaaa'],
      ]
       for test in tests:
             assert boyer_moore_horspool(test[1], test[2]) == test[0]
```

```
def KMPSearch(pat, txt):
    m = len(pat)
    n = len(txt)
    # create lps[] that will hold the longest prefix suffix
    # values for pattern
    lps = [0] * m
    j = 0 # index for pat[]
    # Preprocess the pattern (calculate lps[] array)
    computeLPSArray(pat, m, lps)
    i = 0 # index for txt[]
    while i < n:</pre>
        if pat[j] == txt[i]:
           i += 1
            j += 1
        if j == m:
            print("Found pattern at index " + str(i - j))
            j = lps[j - 1]
        # mismatch after j matches
        elif i < n and pat[j] != txt[i]:</pre>
            # Do not match lps[0..lps[j-1]] characters,
            # they will match anyway
            if j != 0:
                j = lps[j - 1]
            else:
                i += 1
def computeLPSArray(pat, m, lps):
    length = 0 # length of the previous longest prefix suffix
    lps[0] = 0 # lps[0] is always 0
    i = 1
    # the loop calculates lps[i] for i = 1 to M-1
    while i < m:</pre>
        if pat[i] == pat[length]:
            length += 1
            lps[i] = length
            i += 1
        else:
            if length != 0:
                # This is tricky. Consier the example AAACAAAA
                \# and i = 7
                length = lps[length - 1]
                # Also, note that we do not increment i here
            else:
                lps[i] = 0
                i += 1
txt = "ABABDABACDABABCABAB"
pat = "ABABCABAB"
KMPSearch(pat, txt)
```