Business Case study: Walmart



Importing all the libraries for analyzing the case study

```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import seaborn as sns
from scipy.stats import norm
from scipy.stats import poisson
from scipy.stats import binom
import scipy.stats as stats
import math
```

Defining Problem Statement and Analyzing basic metrics

Problem Statement

The Management team in the company Inc. wants to analyze the customer purchase behavior (specifically, purchase amount) against the customer's gender and the various other factors to help the business make better decisions. They want to understand if the spending habits differ between male and female customers: Do women spend more on Black Friday than men? (Assume 50 million customers are male and 50 million are female).

```
In []:
df = pd.read_csv('walmart_data.csv')
df
Out[]:
```

| | User_ID | Product_ID | Gender | Age | Occupation | City_Category | Stay_In_Current_City_Years | Marital_Status | Product_C |
|--------|---------|------------|--------|-----------|------------|---------------|----------------------------|----------------|-----------|
| 0 | 1000001 | P00069042 | F | 0-17 | 10.0 | Α | 2 | 0.0 | |
| 1 | 1000001 | P00248942 | F | 0-17 | 10.0 | Α | 2 | 0.0 | |
| 2 | 1000001 | P00087842 | F | 0-17 | 10.0 | Α | 2 | 0.0 | |
| 3 | 1000001 | P00085442 | F | 0-17 | 10.0 | Α | 2 | 0.0 | |
| 4 | 1000002 | P00285442 | М | 55+ | 16.0 | С | 4+ | 0.0 | |
| | | | | | | | | | |
| 100170 | 1003519 | P00222842 | F | 26- 35 | 14.0 | Α | 1 | 1.0 | |
| 100171 | 1003519 | P00034442 | F | 26- 35 | 14.0 | А | 1 | 1.0 | |

```
Age Occupation City_Category Stay_In_Current_City_Years Marital_Status Product_C
       User_ID Product_ID Gender
100172
       1003519
             P00127242
                               35
                              26-
100173 1003519 P00103042
                                       14.0
                                                                                    1.0
                               35
100174 1003519
                    P0
                         NaN NaN
                                       NaN
                                                  NaN
                                                                       NaN
                                                                                   NaN
100175 rows × 10 columns
In [ ]:
df.shape
Out[]:
(100175, 10)
Above dataset contains 425735 rows and 10 columns.
In [ ]:
df.info()
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 100175 entries, 0 to 100174
Data columns (total 10 columns):
 #
   Column
                                  Non-Null Count
                                                  Dtype
   User ID
                                  100175 non-null int64
 0
 1
    Product ID
                                  100175 non-null object
                                  100174 non-null object
    Gender
    Age
                                  100174 non-null object
 3
                                  100174 non-null float64
    Occupation
 5
    City Category
                                  100174 non-null object
    Stay_In_Current_City_Years 100174 non-null object
 7
                                 100174 non-null float64
   Marital_Status
 8
                                  100174 non-null float64
   Product Category
    Purchase
                                  100174 non-null float64
dtypes: float64(4), int64(1), object(5)
memory usage: 7.6+ MB
In [ ]:
df.isna().sum()
Out[]:
                               0
User ID
                               0
Product ID
                               1
Gender
Age
Occupation
City Category
Stay_In_Current_City_Years
Marital Status
                               1
Product Category
                               1
Purchase
                               1
dtype: int64
```

Insight as follows: The above dataset contain zero Null values. No Missing values.

Converting numerical datatype to categorical datatype Changing the datatype of Occupation, Marital_Status & Product_Category

```
# Changing datatype int64 to object
columns = ['Occupation','Marital Status','Product Category']
df[columns] = df[columns].astype('object')
df.dtypes
Out[]:
User ID
                                int64
Product ID
                               object
Gender
                               object
Age
                               object
                               object
Occupation
City Category
                               object
Stay_In_Current_City_Years
                              object
Marital_Status
                               object
Product_Category
                               object
Purchase
                              float64
dtype: object
In [ ]:
df.describe(include="all")
Out[]:
```

| | User_ID | Product_ID | Gender | Age | Occupation | City_Category | Stay_In_Current_City_Years | Marital_Status | Pro |
|--------|--------------|------------|--------|--------|------------|---------------|----------------------------|----------------|-----|
| count | 1.001750e+05 | 100175 | 100174 | 100174 | 100174.0 | 100174 | 100174 | 100174.0 | |
| unique | NaN | 3320 | 2 | 7 | 21.0 | 3 | 5 | 2.0 | |
| top | NaN | P00025442 | М | 26-35 | 4.0 | В | 1 | 0.0 | |
| freq | NaN | 305 | 75659 | 39602 | 13509.0 | 42026 | 34949 | 59255.0 | |
| mean | 1.002741e+06 | NaN | NaN | NaN | NaN | NaN | NaN | NaN | |
| std | 1.683034e+03 | NaN | NaN | NaN | NaN | NaN | NaN | NaN | |
| min | 1.000001e+06 | NaN | NaN | NaN | NaN | NaN | NaN | NaN | |
| 25% | 1.001301e+06 | NaN | NaN | NaN | NaN | NaN | NaN | NaN | |
| 50% | 1.002621e+06 | NaN | NaN | NaN | NaN | NaN | NaN | NaN | |
| 75% | 1.004054e+06 | NaN | NaN | NaN | NaN | NaN | NaN | NaN | |
| max | 1.006040e+06 | NaN | NaN | NaN | NaN | NaN | NaN | NaN | |
| 4 | | | | | | | | | Þ |

Observation from above table:

- 1) The top people purchasing are in the age range of 26–35.
- 2) Males are top in purchasing.
- 3) The average purchase is 9263.96 and the maximum purchase is 23961, so the average value is sensitive to outliers, but the fact that the mean is so small compared to the maximum value indicates the maximum value is an outlier.

Non-Graphical Analysis: Value counts and unique attributes

Value Counts:

```
In [ ]:
```

```
gender_counts = df['Gender'].value_counts()
percentage_gender_counts = (gender_counts / len(df)) * 100
```

```
print(f"Gender count : \n{gender_counts} \nGender percentage : \n{percentage_gender_coun
ts}")
Gender count :
    320939
    104795
Name: Gender, dtype: int64
Gender percentage :
   75.384688
F
    24.615077
Name: Gender, dtype: float64
In [ ]:
Age counts = df['Age'].value counts()
percentage_Age_counts = (Age_counts / len(df)) * 100
print(f"Age count : \n{Age counts} \nAge percentage : \n{percentage Age counts}")
Age count :
       169750
26-35
36-45
         85211
         77465
18-25
         35226
46-50
51-55
         29836
55+
          16602
0 - 17
         11644
Name: Age, dtype: int64
Age percentage :
26-35 39.872221
36-45
        20.015033
       18.195591
18-25
46-50
        8.274161
51-55
         7.008115
55+
         3.899609
         2.735035
0 - 17
Name: Age, dtype: float64
In [ ]:
Stay In Current City Years counts = df['Stay In Current City Years'].value counts()
percentage_Stay_In_Current_City_Years_counts = (Stay_In_Current_City_Years_counts / len(d
f)) * 100
print(f"Stay In Current City Years count : \n{Stay In Current City Years counts}\nStay I
n Current City Years percentage : \n{percentage Stay In Current City Years counts}")
Stay_In_Current_City_Years count :
1
     149942
2
       78597
       73919
3
4 + 
       65640
       57636
Name: Stay In Current City Years, dtype: int64
Stay In Current City Years percentage:
1
      35.219561
2
      18.461484
3
     17.362679
     15.418042
4+
0
     13.537999
Name: Stay In Current City Years, dtype: float64
In [ ]:
Marital Status counts = df['Marital Status'].value counts()
percentage Marital Status counts = (Marital Status counts / len(df)) * 100
print(f"Marital Status count : \n{Marital Status counts} \nMarital Status percentage :\n
{percentage Marital Status counts}")
Marital Status count :
       251447
0.0
       174287
Name: Marital Status, dtype: int64
Marital Status percentage :
```

```
0.0 59.061858
1.0 40.937907
Name: Marital Status, dtype: float64
```

- 1) 75% of users are male and 25% are female.
- 2) Users ages 26–35 are 40%, users ages 36–45 are 20%, users ages 18–25 are 18%, and very low users ages (0–17 & 55+) are 5%.
- 3) 35% stay in a city for 1 year, 18% stay in a city for 2 years, 17% stay in a city for 3 years, and 15% stay in a city for 4+ years. 4) 60% of users are single, and 40% are married.

Unique attributes:

```
In []:
unique_category_count = df['Product_Category'].nunique()
print('Unique Product_Category count:',unique_category_count)

Unique Product_Category count: 18

In []:
unique_City_Category_count = df['City_Category'].nunique()
print('Unique City_Category count:',unique_City_Category_count)

Unique City_Category count: 3

In []:
unique_Product_ID_count = df['Product_ID'].nunique()
print('Unique Product_ID count:',unique_Product_ID_count)

Unique Product_ID count: 3586

In []:
unique_User_ID_count = df['User_ID'].nunique()
print('Unique User_ID count:',unique_User_ID_count)
```

Insights:

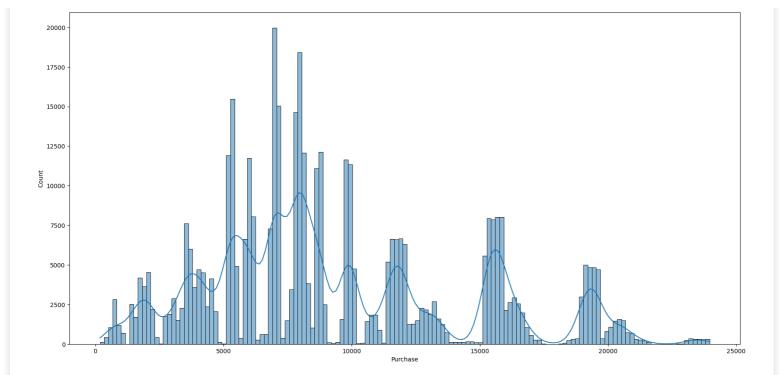
Unique User ID count: 5892

- 1) The total product category count is 20 unique products.
- 2) The total number of unique city categories is three.
- 3) The total number of unique product IDs is 3631.
- 4) The total number of unique user IDs is 5891.

Visual Analysis - Univariate & Bivariate

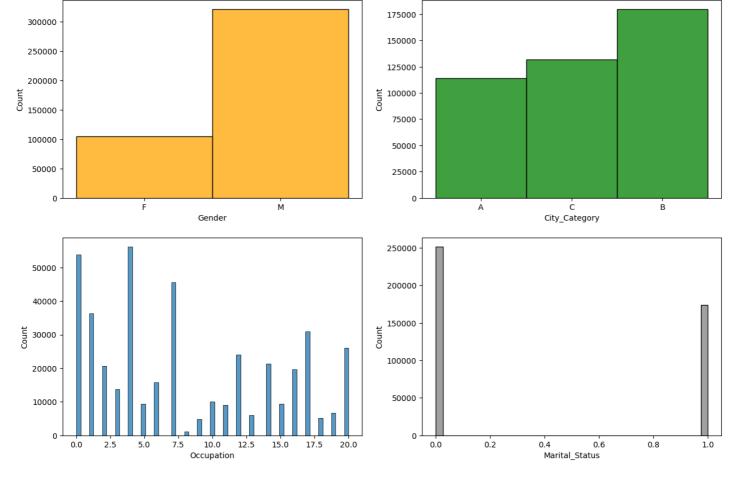
Univariate

```
In []:
plt.figure(figsize=(20,10))
sns.histplot(data=df, x='Purchase', kde=True)
plt.show()
```



In []:

```
fig, axis = plt.subplots(nrows=2, ncols=2, figsize=(15,10))
sns.histplot(data=df, x='Gender', ax=axis[0,0],color = "orange")
sns.histplot(data=df, x='City_Category', ax=axis[0,1],color = "green")
sns.histplot(data=df, x='Occupation', ax=axis[1,0])
sns.histplot(data=df, x='Marital_Status',ax=axis[1,1],color = "grey")
plt.show()
```

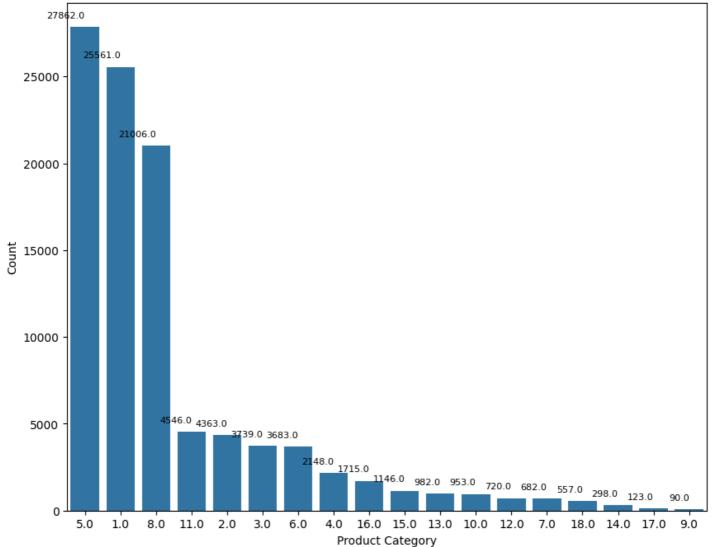


In []:

```
plt.figure(figsize=(10, 8))
sns.countplot(data=df, x='Product_Category', order=df['Product_Category'].value_counts()
.index)
plt.xlabel('Product Category')
plt.ylabel('Count')
```

```
plt.title('Count of Each Product Category')
for p in plt.gca().patches:
    plt.gca().annotate(f'{p.get_height()}', (p.get_x() + p.get_width() / 2., p.get_heigh
t()),
    ha='right', va='center', fontsize=8, color='black', xytext=(0, 10), textcoords='offs
et points')
plt.show()
```



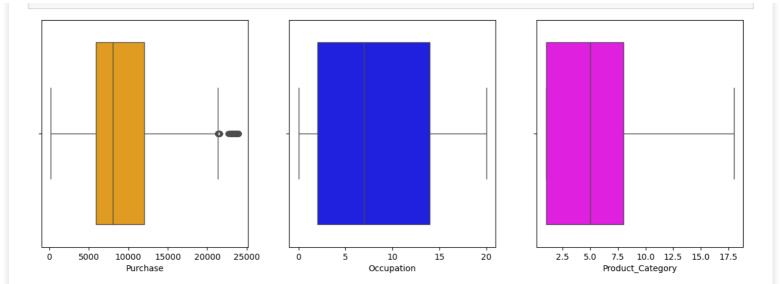


- 1) The product categories 5, 1, and 8 have the highest purchase.
- 2) Male purchasing power outnumbers female purchasing power.
- 3) More users below in the B city region
- 4) Max users are single.
- 5) The maximum purchase ranges from 5000 to 15000.

Outliers detection using BoxPlots:

```
In [ ]:
```

```
fig, axis = plt.subplots(nrows=1, ncols=3, figsize=(15,2))
fig.subplots_adjust(top=2)
sns.boxplot(data=df, x='Purchase', ax=axis[0],color = "orange")
sns.boxplot(data=df, x='Occupation', ax=axis[1],color = "blue")
sns.boxplot(data=df, x='Product_Category', ax=axis[2],color = "magenta")
plt.show()
```



- 1) Purchases have outliers.
- 2) The occupation does not have any outliers.
- 3) Product categories have some outliers, but most of the products are purchased in the range 1 to 8.

Using pie chart:

```
In [ ]:
```

```
unique_colors_age = sns.color_palette("light:#5A9", len(df['Age'].unique()))
unique_colors_city_years = sns.color_palette("Spectral", len(df['Stay_In_Current_City_Yea
rs'].unique()))

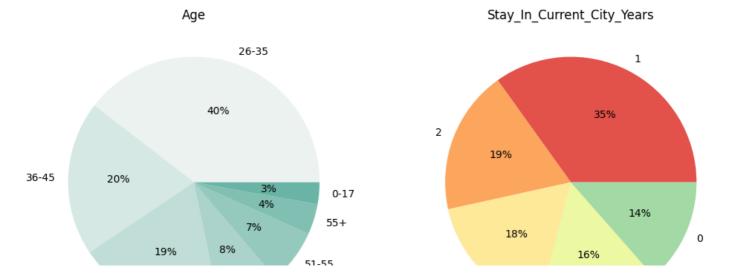
fig, axs = plt.subplots(nrows=1, ncols=2, figsize=(12, 8))

data_age = df['Age'].value_counts(normalize=True) * 100
axs[0].pie(x=data_age.values, labels=data_age.index, autopct='%.0f%%', colors=unique_col
ors_age)
axs[0].set_title("Age")

data_city_years = df['Stay_In_Current_City_Years'].value_counts(normalize=True) * 100
axs[1].pie(x=data_city_years.values, labels=data_city_years.index, autopct='%.0f%%', col
ors=unique_colors_city_years)
axs[1].set_title("Stay_In_Current_City_Years")
plt.show
```

Out[]:

<function matplotlib.pyplot.show(close=None, block=None)>



1) Users ages 26–35 are 40%, users ages 36–45 are 20%, users ages 18–25 are 18%, users ages 46–50 are 8%, users ages 51–55 are 7%, users ages 55+ are 4%, and very low users ages 0–17 are 2%.

2) 35% stay in a city for 1 year, 19% stay in a city for 2 years, 17% stay in a city for 3 years, and 15% stay in a city for 4+ years.

Bivariate Analysis:

Analyzing the variation in purchases with the following,

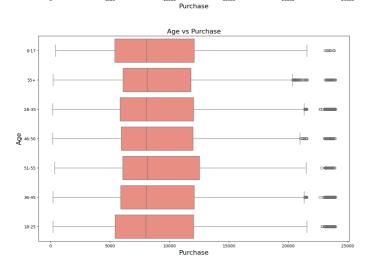
- 1. Gender vs Purchase
- 2. Martial_Status vs Purchase
- 3. Age vs Purchase
- 4. City_Category vs Purchase

In []:

```
fig1, axs = plt.subplots(nrows=2, ncols=2, figsize=(30, 20))
sns.boxplot(data=df, y='Gender', x='Purchase', orient='h', ax=axs[0, 0], color='skyblue'
axs[0, 0].set title("Gender vs Purchase", fontsize=16)
axs[0, 0].set xlabel("Purchase", fontsize=16)
axs[0, 0].set_ylabel("Gender", fontsize=16)
sns.boxplot(data=df, y='Marital Status', x='Purchase', orient='h', ax=axs[0, 1], color='
lightgreen')
axs[0, 1].set title("Marital Status vs Purchase", fontsize=16)
axs[0, 1].set xlabel("Purchase", fontsize=16)
axs[0, 1].set ylabel("Marital Status", fontsize=16)
sns.boxplot(data=df, y='Age', x='Purchase', orient='h', ax=axs[1, 0], color='salmon')
axs[1, 0].set title("Age vs Purchase", fontsize=16)
axs[1, 0].set xlabel("Purchase", fontsize=16)
axs[1, 0].set ylabel("Age", fontsize=16)
sns.boxplot(data=df, y='City Category', x='Purchase', orient='h', ax=axs[1, 1], color='g
old')
axs[1, 1].set title("City Category vs Purchase", fontsize=16)
axs[1, 1].set xlabel("Purchase", fontsize=16)
axs[1, 1].set ylabel("City Category", fontsize=16)
plt.show()
```









Purchase

Insight:

- 1) Gender vs. Purchase
- a) The median for males and females is almost equal.
- b) Females have more outliers compared to males.
- c) Males purchased more compared to females.
- 2) Martial Status vs. Purchase
- a) The median for married and single people is almost equal.
- b) Outliers are present in both records.
- 3) Age vs. Purchase
- a) The median for all age groups is almost equal.
- b) Outliers are present in all age groups.
- 4) City Category vs. Purchase

max outlier value:23961.0
min outlier value: 21317.0

- a) The C city region has very low outliers compared to other cities.
- b) A and B city region medians are almost the same.

Using pandas quantile funtion detecting number of outliers from purchase

```
In []:

q1 = df["Purchase"].quantile(0.25)
q3 = df["Purchase"].quantile(0.75)

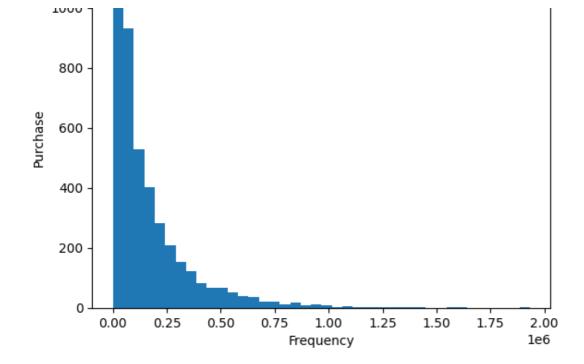
IQR = q3-q1
outliers = df["Purchase"][((df["Purchase"]<(q1-1.5*IQR)) | (df["Purchase"]>(q3+1.5*IQR))
)]
print("number of outliers: "+ str(len(outliers)))
print("max outlier value:"+ str(outliers.max()))
print("min outlier value: "+ str(outliers.min()))

number of outliers: 516
```

Are women spending more money per transaction than men?
Why or Why not?

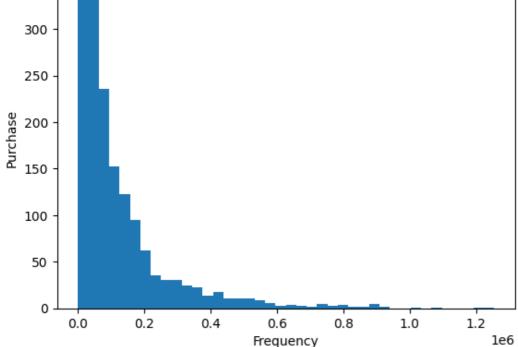
```
In [ ]:
avg by gender = df.groupby('Gender')['Purchase'].mean()
print(f'Average purchase of male and female : \n{avg by gender}')
Average purchase of male and female :
Gender
    8752.243320
F
М
    9474.479956
Name: Purchase, dtype: float64
In [ ]:
agg df = df.groupby(['User ID', 'Gender'])[['Purchase']].agg({'Purchase': ['sum', 'mean'
agg_df = agg_df.reset_index()
agg df = agg df.sort values(by='User ID', ascending=False)
print(f"Top 10 purchase from male and female\n{agg df.head(10)}")
Top 10 purchase from male and female
     User ID Gender Purchase
                          sum
                                       mean
5797 1006040
                  M 209234.0 9097.130435
5796 1006039
                  F
                     96782.0 8065.166667
5795 1006037
                 F 200648.0 10032.400000
5794 1006036
                 F 490449.0 7320.134328
                 F 85821.0 7151.750000
5793 1006035
5792 1006034
                 M 42886.0 14295.333333
5791 1006033
                 M 100640.0 16773.333333
                 M
5790 1006032
                     27517.0 6879.250000
5789 1006031
                 F 75067.0 9383.375000
5788 1006030
                 M 123264.0 13696.000000
In [ ]:
Gender wise count=agg df['Gender'].value counts()
print(f'Each gender wise count : \n{Gender wise count}')
Each gender wise count :
    4171
М
F
    1627
Name: Gender, dtype: int64
In [ ]:
sum by gender = df.groupby(['User ID', 'Gender'])['Purchase'].sum()
sum_by_gender = sum_by_gender.reset_index()
sum_by_gender = sum_by_gender.sort_values(by='User_ID', ascending=False)
# MALE data representation through a histogram
male data = sum by gender[sum by gender['Gender']=='M']['Purchase']
plt.hist(male data, bins=40)
plt.ylabel('Purchase')
plt.xlabel('Frequency')
plt.title('Histogram of Purchase for Males')
plt.show()
# FEMALE data representation through a histogram
Female_data = sum_by_gender[sum_by_gender['Gender'] == 'F']['Purchase']
plt.hist(Female data, bins=40)
plt.ylabel('Purchase')
plt.xlabel('Frequency')
plt.title('Histogram of Purchase for Females')
plt.show()
```

....y ory



Histogram of Purchase for Females





In []:

```
Mean by gender = df.groupby(['User ID', 'Gender'])['Purchase'].sum()
Mean by gender = Mean by gender.reset index()
Mean_by_gender = Mean_by_gender.sort_values(by='User_ID', ascending=False)
Male cust avg = Mean by gender[Mean by gender['Gender'] == 'M']['Purchase'].mean()
Female_cust_avg = Mean_by_gender[Mean_by_gender['Gender'] == 'F']['Purchase'].mean()
print(f'Male customer average spent amount: {Male_cust_avg}')
print(f'Female customer average spent amount: {Female cust avg}')
```

Male customer average spent amount: 171860.38815631744 Female customer average spent amount: 131875.38106945297

Insight

- 1) Male customers spend more money than female customers.
- 2) The highest purchase has been made from this user id: 1006040, and the gender is male.

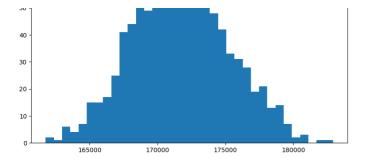
70

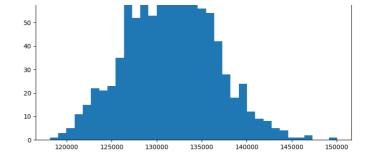
60

Confidence intervals and distribution of the mean of the expenses by female and male customers.

```
In [ ]:
# filtering gender wise dataframe
male df = sum by gender[sum by gender['Gender'] == 'M']
female df = sum by gender[sum by gender['Gender'] == 'F']
# Taking random sample size from dataframe
male sample size = 3000
female sample size = 1000
num\_repitions = 1000
# Taking random sample from male and female dataframe
random sample male = male df.sample(n=male sample size)
random sample female = female df.sample(n=female sample size)
# Taking mean value from random sample male and female dataframe
male means = random sample male['Purchase'].mean()
print(f'Population mean: random male samples mean purchase value: {male means}')
female means = random sample female['Purchase'].mean()
print(f'Population mean: random Female samples mean purchase value : {female means}')
# Taking sample mean from filtered male dataframe
Male sample mean = round(male df['Purchase'].mean(),2)
print(f'Sample means of Male purchase : {Male sample mean}')
Male std value = round(male df['Purchase'].std(),2)
print(f'Sample STD of Male purchase : {Male std value}')
# Taking sample mean from filtered female dataframe
Female sample mean = round(female df['Purchase'].mean(),2)
print(f'Sample means of Female purchase : {Female sample mean}')
Female std value = round(female df['Purchase'].std(),2)
print(f'Sample STD of Female purchase : {Female std value}')
# taking blank list to creat histogram
male means1 = []
female means1 = []
# using for loop to create again mean value for histogram
for in range(num repitions):
   male mean2 = male df.sample(male sample size,replace=True)['Purchase'].mean()
    female mean2 = female df.sample(female sample size, replace=True)['Purchase'].mean()
   male means1.append(male mean2)
    female means1.append(female mean2)
# making histogram to check visually distribution mean for male and female
fig, axis = plt.subplots(nrows=1, ncols=2, figsize=(20, 6))
axis[0].hist(male means1, bins=35)
axis[1].hist(female means1, bins=35)
axis[0].set title("Male - Distribution of means, Sample size: 3000")
axis[1].set title("Female - Distribution of means, Sample size: 1500")
plt.show()
Population mean: random male samples mean purchase value: 169973.07833333334
Population mean: random Female samples mean purchase value: 132388.808
Sample means of Male purchase: 171860.39
Sample STD of Male purchase : 192105.85
Sample means of Female purchase: 131875.38
Sample STD of Female purchase: 157058.72
          Male - Distribution of means, Sample size: 3000
```

Female - Distribution of means, Sample size: 1500





Insight

- 1) The average amount spent by male customers is 925344.4.
- 2) The average amount spent by female customers is 712024.39.
- 3) Male customers have made more purchases than female customers

Are confidence intervals of average male and female spending overlapping? How can company leverage this conclusion to make changes or improvements?

In []:

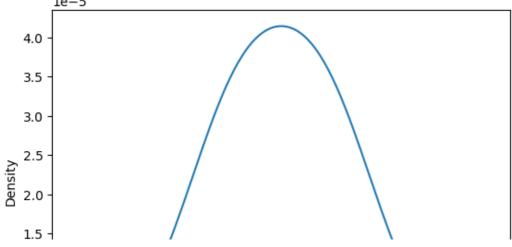
```
#sample size
sample_size = 3000
# Confidence level ( 95% confidence interval)
confidence_level = 0.95
# Calculate the margin of error using the z-distribution for male
z_critical = stats.norm.ppf((1 + confidence_level) / 2)
margin_of_error = z_critical * (Male_std_value / np.sqrt(sample_size))
# Calculate the margin of error using the z-distribution for female
z_critical = stats.norm.ppf((1 + confidence_level) / 2)
margin_of_error = z_critical * (Female_std_value / np.sqrt(sample_size))
```

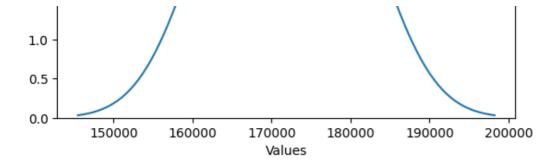
In []:

```
# Calculate the confidence interval for male and presenting it on the graph
Male_confidence_interval = (Male_sample_mean - margin_of_error, Male_sample_mean + margi
n_of_error)
print("Confidence Interval 95% Male:", Male_confidence_interval)
sns.kdeplot(Male_confidence_interval)
plt.xlabel('Values')
plt.ylabel('Density')
plt.title('Kernel Density Estimate with Confidence Interval for Male')
plt.show()
```

Confidence Interval 95% Male: (166240.21915912576, 177480.56084087427)

Kernel Density Estimate with Confidence Interval for Male



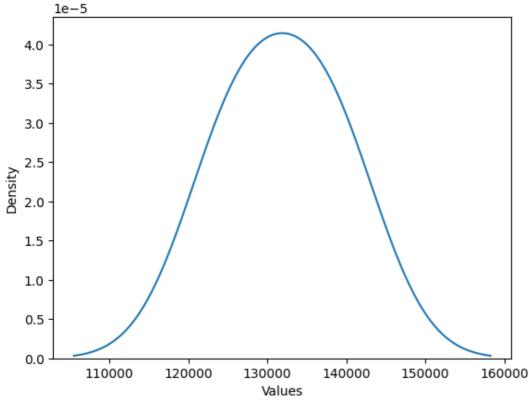


In []:

```
# Calculate the confidence interval for female and presenting it on the graph
Female_confidence_interval = (Female_sample_mean - margin_of_error, Female_sample_mean +
margin_of_error)
print("Confidence Interval 95% Female:", Female_confidence_interval)
sns.kdeplot(Female_confidence_interval)
plt.xlabel('Values')
plt.ylabel('Density')
plt.title('Kernel Density Estimate with Confidence Interval for Female')
plt.show()
```

Confidence Interval 95% Female: (126255.20915912575, 137495.55084087426)

Kernel Density Estimate with Confidence Interval for Female



Insight

- 1) With reference to the above data, at a 95% confidence interval:
- a) The average amount spent by male customers will lie between 896453.54 and 954235.25.
- b) The average amount spent by female customers will lie between 683133.53 and 740915.24.
- 2) Confidence intervals for average male and female spending are not overlapping.
- 3) With respect to the above data, company should target more male customers, as they spend a lot compared to females.

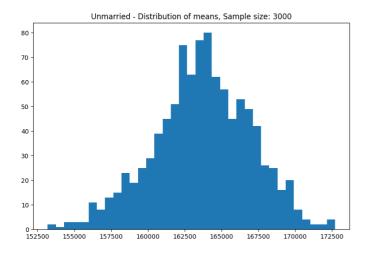
Results when the same activity is performed for Married vs

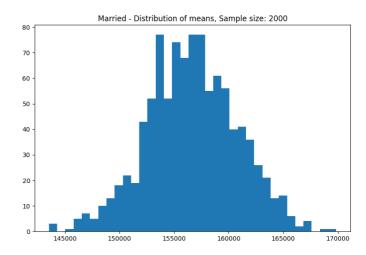
Unmarried

```
In [ ]:
sum by Marital Status = df.groupby(['User ID', 'Marital Status'])['Purchase'].sum()
sum_by_Marital_Status = sum_by_Marital_Status.reset_index()
sum_by_Marital_Status = sum_by_Marital_Status.sort_values(by='User_ID', ascending=False)
Married cust avg = sum by Marital Status[sum by Marital Status['Marital Status']==1]['Pu
rchase'].mean()
print(f'Married customer average spent amount: {Married cust avg}')
Married customer average spent amount: 156529.45544147844
In [ ]:
sum by Marital Status = df.groupby(['User ID', 'Marital Status'])['Purchase'].sum()
sum by Marital Status = sum by Marital Status.reset index()
sum by Marital Status = sum by Marital Status.sort values(by='User ID', ascending=False)
Unmarried cust avg = sum by Marital Status[sum by Marital Status['Marital Status']==0]['
Purchase'].mean()
print(f'Unmarried customer average spent amount: {Unmarried cust avg}')
Unmarried customer average spent amount: 163616.32471008028
In [ ]:
# filtering Marital Status wise dataframe
Unmarried df = sum by Marital Status[sum by Marital Status['Marital Status']==0]
Married df = sum by Marital Status[sum by Marital Status['Marital Status']==1]
# Taking random sample size from dataframe
Unmarried sample size = 3000
Married sample size = 2000
num repitions = 1000
# Taking random sample from unmarried and married dataframe
random sample Unmarried = Unmarried df.sample(n=Unmarried sample size)
random sample Married = Married df.sample(n=Married sample size)
# Taking mean value from random sample unmarried and married dataframe
Unmarried means = random sample Unmarried['Purchase'].mean()
print(f'Population mean: random Unmarried samples mean purchase value: {Unmarried means}'
Married means = random sample Married['Purchase'].mean()
print(f'Population mean: random Married samples mean purchase value : {Married means}')
# Taking sample mean from filtered unmarried dataframe
Unmarried sample mean = round(Unmarried df['Purchase'].mean(),2)
print(f'Sample means of Unmarried purchase : {Unmarried sample mean}')
Unmarried std value = round(Unmarried df['Purchase'].std(),2)
print(f'Sample STD of Unmarried purchase : {Unmarried std value}')
# Taking sample mean from filtered Married dataframe
Married sample mean = round(Married df['Purchase'].mean(),2)
print(f'Sample means of Married purchase : {Married sample mean}')
Married std value = round(Married df['Purchase'].std(),2)
print(f'Sample STD of Married purchase : {Married std value}')
# taking blank list to creat histogram
Unmarried means1 = []
Married means1 = []
# using for loop to create again mean value for histogram
for _ in range(num_repitions):
    Unmarried mean2 = Unmarried df.sample(Unmarried sample size,replace=True)['Purchase'
].mean()
   Married_mean2 = Married_df.sample(Married_sample_size, replace=True)['Purchase'].mean
()
    Unmarried means1.append(Unmarried mean2)
   Married means1.append (Married mean2)
```

```
# # making histogram to check visually distribution mean for Unmarried and Married
fig, axis = plt.subplots(nrows=1, ncols=2, figsize=(20, 6))
axis[0].hist(Unmarried_means1, bins=35)
axis[1].hist(Married_means1, bins=35)
axis[0].set_title("Unmarried - Distribution of means, Sample size: 3000")
axis[1].set_title("Married - Distribution of means, Sample size: 2000")
plt.show()
```

Population mean: random Unmarried samples mean purchase value: 164057.90966666667 Population mean: random Married samples mean purchase value: 156851.1765 Sample means of Unmarried purchase: 163616.32 Sample STD of Unmarried purchase: 185654.14 Sample means of Married purchase: 156529.46 Sample STD of Married purchase: 181206.63





Insight

- 1) Unmarried customer average sent amount: 880575.7819724905
- 2) Married customer average sent amount: 843526.7966855295
- 3) Unmarried customers spend more than married customers.

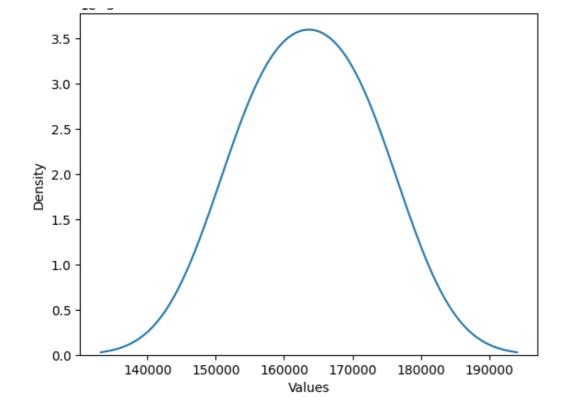
In []:

```
#sample size
sample_size = 3000
# Confidence level ( 95% confidence interval)
confidence_level = 0.95
# Calculate the margin of error using the z-distribution for male
z_critical = stats.norm.ppf((1 + confidence_level) / 2) # Z-score for the desired confidence level
margin_of_error = z_critical * (Unmarried_std_value / np.sqrt(sample_size))
# Calculate the margin of error using the z-distribution for female
z_critical = stats.norm.ppf((1 + confidence_level) / 2) # Z-score for the desired confidence level
margin_of_error = z_critical * (Married_std_value / np.sqrt(sample_size))
```

In []:

```
# Calculate the confidence interval for Unmarried and presenting it on the graph
Unmarried_confidence_interval = (Unmarried_sample_mean - margin_of_error, Unmarried_sampl
e_mean + margin_of_error)
print("Confidence Interval 95% Unmarried:", Unmarried_confidence_interval)
sns.kdeplot(Unmarried_confidence_interval)
plt.xlabel('Values')
plt.ylabel('Density')
plt.ylabel('Density')
plt.title('Kernel Density Estimate with Confidence Interval for Unmarried')
plt.show()
```

Confidence Interval 95% Unmarried: (157132.04317602556, 170100.59682397445)

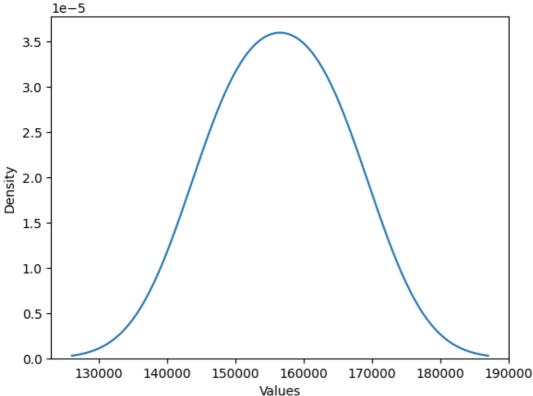


In []:

```
# Calculate the confidence interval for female and presenting it on the graph
Married_confidence_interval = (Married_sample_mean - margin_of_error, Married_sample_mean
+ margin_of_error)
print("Confidence Interval 95% Married:", Married_confidence_interval)
sns.kdeplot(Married_confidence_interval)
plt.xlabel('Values')
plt.ylabel('Density')
plt.title('Kernel Density Estimate with Confidence Interval for Married')
plt.show()
```

Confidence Interval 95% Married: (150045.18317602554, 163013.73682397444)





Insiaht

......

- 1) With reference to the above data, at a 95% confidence interval:
- a) The average amount spent by an unmarried customer will lie between 847105.2492916514 and 914046.3107083486.
- b) The average amount spent by a married customer will lie between 810056.2692916514 and 876997.3307083487.
- 2) Confidence intervals for average unmarried and married spending are overlapping.
- 3) With respect to the above data, company should target more unmarried customers, as they spend a lot compared to married customers.

Results when the same activity is performed for Age

In []:

```
def calculate age group means and confidence intervals(df):
   sum_by_age = df.groupby(['User_ID', 'Age'])['Purchase'].sum().reset_index()
   sum_by_age = sum_by_age.sort_values(by='User_ID', ascending=False)
    # Create dict and filtering data age group wise
   age groups = {
        'Age 0 17': sum by age[sum by age['Age'] == '0-17'],
        'Age 18 25': sum by age[sum by age['Age'] == '18-25'],
        'Age 26 35': sum by age[sum by age['Age'] == '26-35'],
        'Age 36 45': sum by age[sum by age['Age'] == '36-45'],
        'Age 46 50': sum by age[sum by age['Age'] == '46-50'],
        'Age_51_55': sum_by_age[sum_by_age['Age'] == '51-55'],
        'Age 55+': sum by age[sum by age['Age'] == '55+']
    # Define sample sizes and number of repetitions
   sample sizes = {
        'Age 0 17': 200,
        'Age_18_25': 1000,
        'Age_26_35': 2000,
        'Age_36_45': 1000,
        'Age_46_50': 500,
        'Age_51_55': 400,
        'Age 55+': 300
   num repitions = 1000
    # Create a dictionary to store results
   results = {}
    # Perform random sampling and calculate means for each age group
   for age group, age df in age_groups.items():
        sample size = sample_sizes.get(age_group, 0)
       sample means = []
        for in range(num repitions):
            random_sample = age_df.sample(n=sample size)
            sample mean = random sample['Purchase'].mean()
            sample means.append(sample mean)
        # Calculate the population mean, sample mean, and standard deviation
        population_mean = age_df['Purchase'].mean()
        sample mean mean = sum(sample means) / len(sample means)
        sample_mean_std = pd.Series(sample_means).std()
        # Calculate the confidence interval using the z-distribution
        confidence level = 0.95 # 95% confidence interval
        z_critical = stats.norm.ppf((1 + confidence_level) / 2) # Z-score for the desir
ed confidence level
       margin of error = z critical * (age df['Purchase'].std() / np.sqrt(sample size))
       lower bound = sample mean mean - margin of error
        upper bound = sample mean mean + margin of error
        results[age group] = {
            'Population Mean': population_mean,
            'Sample Mean Mean': sample_mean_mean,
            'Sample Mean Std': sample mean std,
            'Confidence Interval': (lower bound, upper bound)
```

```
results = calculate_age_group_means_and_confidence_intervals(df)
for age group, metrics in results.items():
   print(f'{age group} average spent value, random mean value, std value and Confidence
Interval:')
   print(f'{age group} customer average spent amount: {metrics["Population Mean"]}')
    print(f'Random Sample Mean : {metrics["Sample Mean Mean"]}')
    print(f'Sample Mean Std: {metrics["Sample Mean Std"]}')
    print(f'Confidence Interval: {metrics["Confidence Interval"]}')
    print()
Age 0 17 average spent value, random mean value, std value and Confidence Interval:
Age 0 17 customer average spent amount: 118047.17972350231
Random Sample Mean : 117889.78075500004
Sample Mean Std: 2700.733761003383
Confidence Interval: (99384.05853892406, 136395.50297107603)
Age 18 25 average spent value, random mean value, std value and Confidence Interval:
Age 18 25 customer average spent amount: 165611.4364851958
Random Sample Mean : 165628.84784300008
Sample Mean Std: 1216.145227577967
Confidence Interval: (154169.13581302844, 177088.55987297173)
Age 26 35 average spent value, random mean value, std value and Confidence Interval:
Age 26 35 customer average spent amount: 181151.6487684729
Random Sample Mean : 181127.5091669997
Sample Mean Std: 533.41354800093
Confidence Interval: (172394.2464624771, 189860.77187152227)
Age 36 45 average spent value, random mean value, std value and Confidence Interval:
Age 36 45 customer average spent amount: 162324.13850174216
Random Sample Mean : 162286.60699999987
Sample Mean Std: 2137.755541543598
Confidence Interval: (150589.2552108929, 173983.95878910684)
Age 46 50 average spent value, random mean value, std value and Confidence Interval:
Age 46 50 customer average spent amount: 140848.58508604206
Random Sample Mean : 140889.68788000016
Sample Mean Std: 1588.658060099396
Confidence Interval: (125850.3604596502, 155929.01530035012)
Age 51 55 average spent value, random mean value, std value and Confidence Interval:
Age 51 55 customer average spent amount: 143415.05084745763
Random Sample Mean : 143596.8602450001
Sample Mean Std: 3122.834941664376
Confidence Interval: (127685.23098478047, 159508.48950521974)
Age 55+ average spent value, random mean value, std value and Confidence Interval:
Age 55+ customer average spent amount: 102320.8864265928
Random Sample Mean : 102251.43979666683
Sample Mean Std: 2531.3242688430855
Confidence Interval: (90021.48418649158, 114481.39540684209)
```

Insight

return results

- 1) With reference to the above data, at a 95% confidence interval:
- a) The highest average amount spent by 26- to 35-year-old customers will lie between 944419.9990 and 1034842.9516.
- b) The average amount spent by 36- to 45-year-old customers will lie between 819003.0902 and 940678.8198.
- c) The average amount spent by 18- to 25-year-old customers will lie between 799594.4375 and 909664.7362.
- d) The average amount spent by 46- to 50-year-old customers will lie between 711215.1004 and 874125.3830.
- e) The average amount spent by 51- to 55-year-old customers will lie between 685670.0292 and 840962.3353.
- f) The average amount spent by 55+ age group customers will lie between 470454.5225 and 610200.5797.

- g) The lowest average amount spent by 0 to 17-year-old customers will lie between 524534.4423 and 714973.3156.
- 2) From the above data, it is clear that the age group 26 to 35 spends more compared to other age categories.
- 3) Age groups above 55 and below 0 to 17 spend very little compared to others.
- 4) Confidence intervals for average 26- to 35-year-old and 36- to 45-year-old spending are not overlapping.
- 5) With respect to the above data, the company should target the age category between 26 and 35, as they spend more money compared to others.

Recommendations

- 1. Men spent more money than women, So company should focus on retaining the male customers and getting more male customers.
- 2. Product_Category 1, 5, 8, & 11 have highest purchasing frequency. it means these are the products in these categories are liked more by customers. Company can focus on selling more of these products or selling more of the products which are purchased less.
- 3. Unmarried customers spend more money than married customers, So company should focus on acquisition of Unmarried customers.
- 4. Customers in the age 18-45 spend more money than the others, So company should focus on acquisition of customers who are in the age 18-45
- 5. Male customers living in City_Category C spend more money than other male customers living in B or C, Selling more products in the City_Category C will help the company increase the revenue.