Experiment 1

Title: Generate and plot the following signals in time domain and also sketch its amplitude and phase spectrum. Verify the result:

- a) Impulse
- b) Unit Step
- c) Exponential
- d) Unit ramp
- e) Sinc
- f) Rectangular

Learning Objectives

- i) To understand basic standard signals
- ii) To have hands on simulation using python language

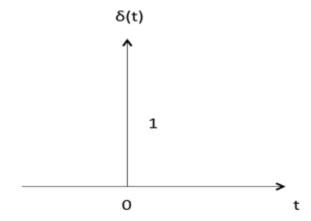
Prerequisites

- i) Basic understanding of mathematics
- ii) Basic understanding of Python language

Theory

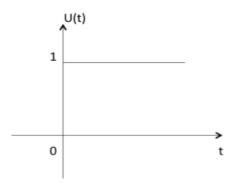
A. Unit Impulse Function

Impulse function is denoted by $\delta(t)$. and it is defined as $\delta(t) = \begin{cases} 1 & t = 0 \\ 0 & t \neq 0 \end{cases}$



B. Unit Step Function

Unit step function is denoted by u(t). It is defined as u(t) = $\begin{cases} 1 & t \ge 0 \\ 0 & t < 0 \end{cases}$

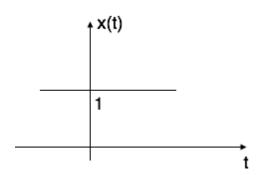


- It is used as best test signal.
- Area under unit step function is unity.

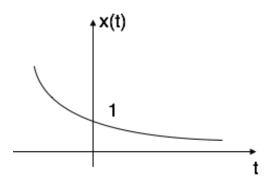
C. Exponential Signal

Exponential signal is in the form of $x(t) = e^{-\alpha t}$ The shape of exponential can be defined by α

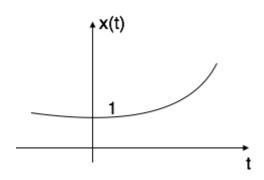
Case i: if $\alpha = 0 \rightarrow x(t) = e^0 = 1$



Case ii: if $\alpha < 0$ i.e. -ve then $x(t) = e^{-\alpha t}$. The shape is called decaying exponential.

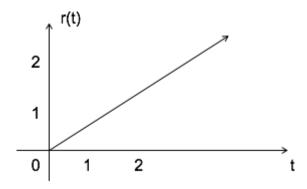


Case iii: if $\alpha > 0$ i.e. +ve then $x(t) = e^{-\alpha t}$. The shape is called raising exponential.



D. Ramp Signal

Ramp signal is denoted by r(t), and it is defined as r(t) = $\begin{cases} t & t \ge 0 \\ 0 & t < 0 \end{cases}$



E. Sinc Function

It is denoted as sinc(t) and it is defined as

$$sinc(t) = \frac{sin\pi t}{\pi t}$$

$$= 0 \text{ for } t=\pm 1, \pm 2, \pm 3...$$

$$Sinc(t)$$

$$-2$$

$$-1$$

$$0$$

$$1$$

$$2$$

$$3$$

$$t$$

F. Rectangular Signal

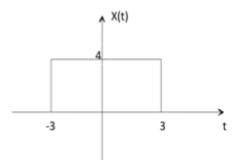
Let it be denoted as x(t) and it is defined as

$$x(t) = A \ rect \left[\frac{r}{T}\right]$$

$$A \longrightarrow X(t)$$

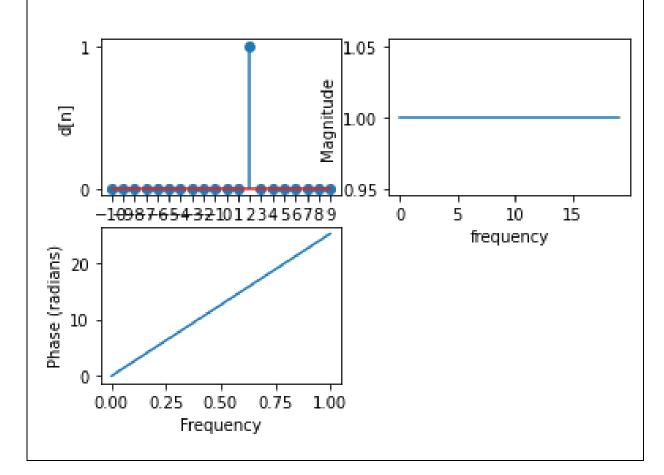
$$T/2 \longrightarrow T$$

ex:
$$4 rect \left[\frac{r}{6} \right]$$



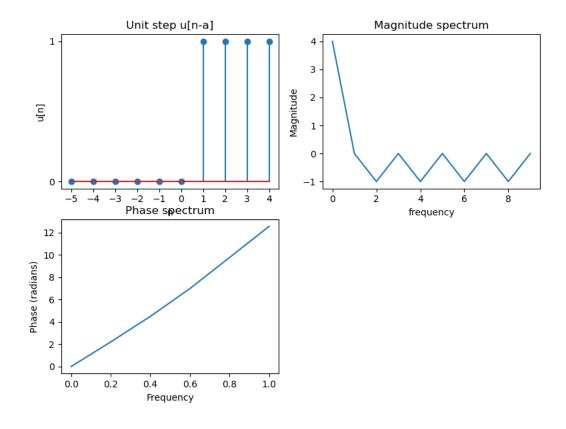
Simulation Code

A. Impulse Function



```
import numpy as np
import matplotlib.pyplot as plt
# Function to plot Impulse signal d(a)
def unit_impulse(a, n):
  delta = []
  for sample in n:
     if sample == a:
       delta.append(1)
     else:
       delta.append(0)
  return delta
a = 2 # Enter delay or advance
UL = 10
LL = -10
n = np.arange(LL, UL, 1)
d = unit_impulse(a, n)
#calculating amplitude spectrum usinf fft
y = np.fft.fft(d)
Y_mag = abs(y) #this gives magnitude of spectrum
plt.subplot(2,2,1)
plt.stem(n, d)
plt.xlabel('n')
plt.xticks(np.arange(LL, UL, 1))
plt.yticks([0, 1])
plt.ylabel('d[n]')
plt.subplot(2,2,2)
plt.xlabel('frequency')
plt.ylabel('Magnitude')
plt.plot(Y_mag)
plt.subplot(2,2,3)
plt.phase_spectrum(d) # this shows phase of signal
plt.show()
```

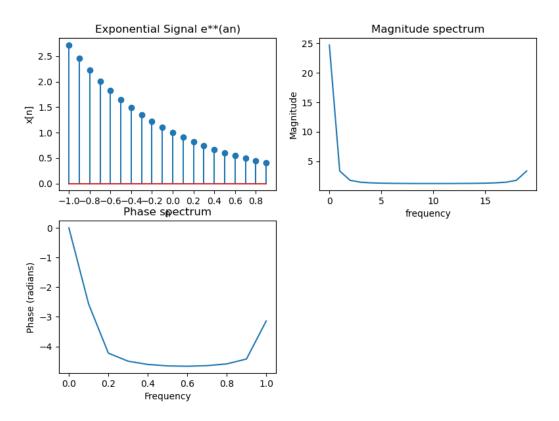
B. Unit Step



```
import numpy as np
import matplotlib.pyplot as plt
# function to generate unit step u[n-a]
# LL and UL are lower and upper limits of discrete time line
def unit_step(a, n):
  unit =[]
  for sample in n:
     if sample<a:
       unit.append(0)
     else:
       unit.append(1)
  return(unit)
# plot unit step function u[n-a]
a = 1 # Enter delay or advance
UL = 5
LL = -5
n = np.arange(LL, UL, 1)
unit = unit\_step(a, n)
plt.subplot(2,2,1)
```

```
plt.stem(n, unit)
plt.xlabel('n')
plt.xticks(np.arange(LL, UL, 1))
plt.yticks([0, 1])
plt.ylabel('u[n]')
plt.title('Unit step u[n-a]')
y = np.fft.fft(unit)
plt.subplot(2,2,2)
plt.xlabel('frequency')
plt.ylabel('Magnitude')
plt.plot(y)
plt.title('Magnitude spectrum')
plt.subplot(2,2,3)
plt.phase_spectrum(unit)
plt.title('Phase spectrum')
plt.show()
```

C. Exponential

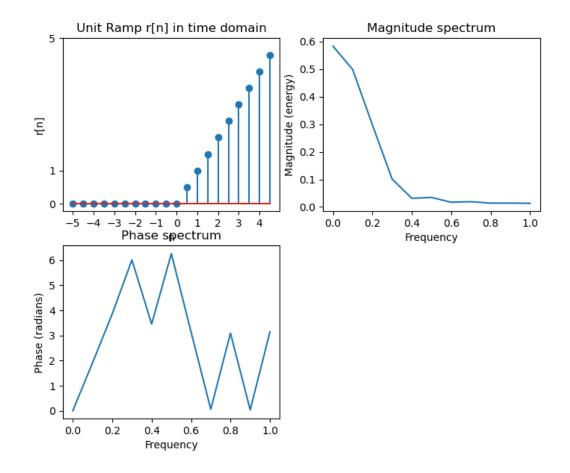


import numpy as np import matplotlib.pyplot as plt

sample=[] a = -1 UL = 1

```
LL = -1
n = np.arange(LL, UL, 0.1)
# Function to generate exponential signals e**(at)
def exponential(a, N):
  expo =[]
  for sample in n:
     expo.append(np.exp( a*sample))
  return (expo)
x = exponential(a, n)
plt.subplot(2,2,1)
plt.stem(n, x)
plt.xlabel('n')
plt.xticks(np.arange(LL, UL, 0.2))
plt.ylabel('x[n]')
plt.title('Exponential Signal e**(an)')
y = np.fft.fft(x)
plt.subplot(2,2,2)
plt.xlabel('frequency')
plt.ylabel('Magnitude')
plt.plot(y)
plt.title('Magnitude spectrum')
plt.subplot(2,2,3)
plt.phase_spectrum(x)
plt.title('Phase spectrum')
plt.show()
```

D. Unit Ramp



```
import numpy as np
import matplotlib.pyplot as plt
# Function to generate unit ramp signal r(n)
\# r(n)= n for n>= 0, r(n)= 0 otherwise
def unit_ramp(n):
  ramp =[]
  for sample in n:
    if sample<0:
       ramp.append(0)
    else:
       ramp.append(sample)
  return ramp
UL = 5
LL = -5
n = np.arange(LL, UL, 0.5)
r = unit\_ramp(n)
plt.subplot(2,2,1)
plt.stem(n, r)
plt.xlabel('n')
```

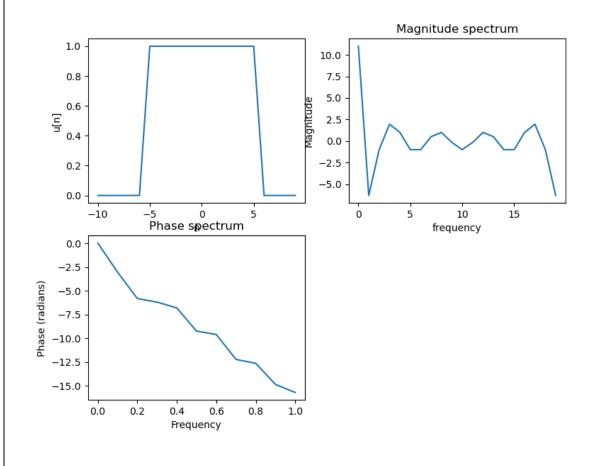
```
plt.xticks(np.arange(LL, UL, 1))
plt.yticks([0, UL, 1])
plt.ylabel('r[n]')
plt.title('Unit Ramp r[n] in time domain')

plt.subplot(2,2,2)
plt.xlabel('frequency')
plt.ylabel('Magnitude')
plt.magnitude_spectrum(r)
plt.title('Magnitude spectrum')

plt.subplot(2,2,3)
plt.phase_spectrum(r)
plt.title('Phase spectrum')

plt.show()
```

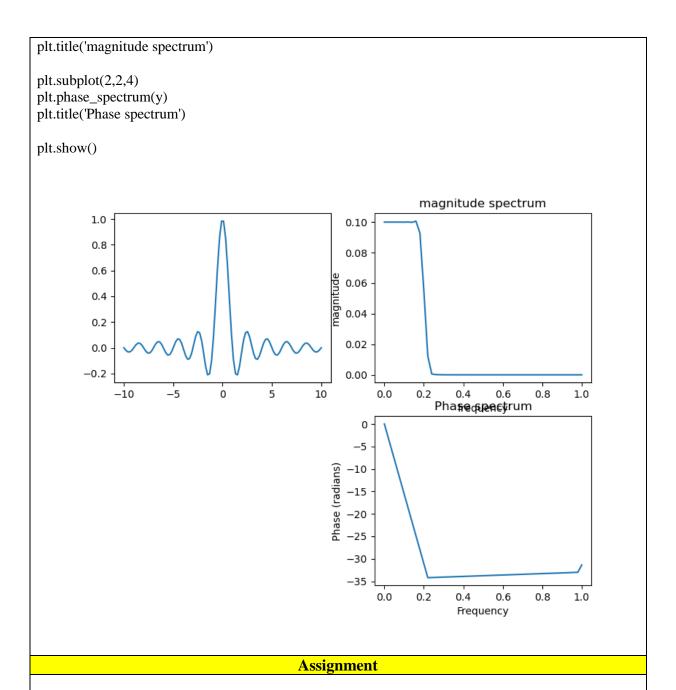
E. Rectangular



import numpy as np import matplotlib.pyplot as plt

LL and UL are lower and upper limits of discrete time line

```
def rect_angular(a, T):
  mag = []
  UL = T + 5
  LL = (-T) - 5
  n = np.arange(LL, UL, 1)
  for sample in n:
     if (\text{sample} \ge (-T)) and (\text{sample} \le T):
       mag.append(a)
     else:
       mag.append(0)
  return(mag, n)
a = 1 \# Amplitude
T = 5 \# Time period
rect, n = rect_angular(a, T) # calling rect angular fun
plt.subplot(2,2,1)
plt.plot(n, rect)
plt.xlabel('n')
plt.ylabel('u[n]')
plt.title(")
y = np.fft.fft(rect)
plt.subplot(2,2,2)
plt.xlabel('frequency')
plt.ylabel('Magnitude')
plt.plot(y)
plt.title('Magnitude spectrum')
plt.subplot(2,2,3)
plt.phase_spectrum(rect)
plt.title('Phase spectrum')
plt.show()
            F. Sinc
import matplotlib.pyplot as plt
import numpy as np
Fs = 10
x = np.linspace(-Fs, Fs, 100)
y = np.sinc(x)
plt.subplot(2,2,1)
plt.plot(x, y)
plt.subplot(2,2,2)
plt.magnitude_spectrum(y)
plt.xlabel('frequency')
plt.ylabel('magnitude')
```



Task1: Write description for codes of 2 signals
Task2: Vary the parameters of the signals and observe the magnitude and phase
spectrum