

Batch 4:

Numpy Practice Questions: Involve the use of basic recursion and DP logic to solve the problems.

Q1. Given the number of rows and columns of a maze, find the total number of possible ways to reach top right (end point) from bottom left (start point).

Example: for rows=cols=2, there are total two ways

for rows=2, cols=3, there are total 3 ways.

Q2. Once you have implemented the above question, let's consider the presence of obstacles as well. Given a maze(matrix), filled with either 0(cell can be used) or 1 (blockage or an obstacle, cell can't be used), find total number of paths to reach top right(end point) from the bottom right(start point).

Examples: Maze: $\{ \{0, 0, 0, 0\},$
 $\{-1, 0, 0, 0\},$
 $\{0, -1, 0, 0\},$
 $\{0, 0, 0, 0\}$

Total possible ways are 4.

Q3. A number is non-decreasing if every digit (except the first one) is greater than or equal to previous digit. For example, 223, 4455567, 899, are non-decreasing numbers.

So, given the number of digits n, you are required to find the count of total non-decreasing numbers with n digits.

Q4. Given n no. Of coins, find the probability of getting atleast k heads when all n coins are tossed simultaneously.

Q5. Given a positive number n, find total number of binary numbers that can be generated. Out of these generated binary numbers, how many binary numbers do not have consecutive ones.

Example: n = 3, five binary numbers: 000, 001, 010, 100, 101

Q6. Given a value N, if we want to make change for N cents, and we have infinite supply of each of $S = \{ S_1, S_2, \dots, S_m \}$ valued coins, how many ways can we make the change? The order of

coins doesn't matter.

For example, for $N = 4$ and $S = \{1, 2, 3\}$, there are four solutions: $\{1, 1, 1, 1\}, \{1, 1, 2\}, \{2, 2\}, \{1, 3\}$.

So output should be 4. For $N = 10$ and $S = \{2, 5, 3, 6\}$, there are five solutions: $\{2, 2, 2, 2, 2\},$

$\{2, 2, 3, 3\}, \{2, 2, 6\}, \{2, 3, 5\}$ and $\{5, 5\}$. So the output should be 5.