LETTERKENNY INSTITUTE OF TECHNOLOGY

ASSIGNMENT COVER SHEET

Lecturer's Name: James Connolly
Assessment Title: Prediction
Work to be submitted to: 08/01/19
Date for submission of work:James Connolly
Place and time for submitting work:
To be completed by the Student
Student's Name: PRATEEK PARASHER
Class: MSc Big Data Analytics
Subject/Module: DATA SCIENCE
Word Count (where applicable):
I confirm that the work submitted has been produced solely through my own efforts.
Student's signature: PRATEEK PARASHER Date: 08/01/19

Notes

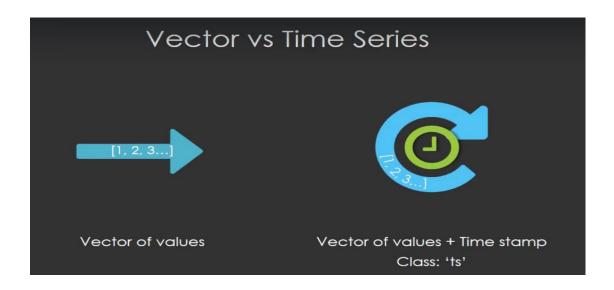
Penalties: The total marks available for an assessment is reduced by 15% for work submitted up to one week late. The total marks available are reduced by 30% for work up to two weeks late. Assessment work received more than two weeks late will receive a mark of zero. [Incidents of alleged plagiarism and cheating are dealt with in accordance with the Institute's Assessment Regulations.]

Plagiarism: Presenting the ideas etc. of someone else without proper acknowledgement (see section L1 paragraph 8).

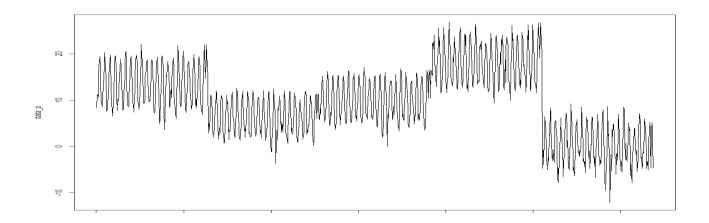
Cheating: The use of unauthorised material in a test, exam etc., unauthorised access to test matter, unauthorised collusion, dishonest behaviour in respect of assessments, and deliberate plagiarism (see section L1 paragraph 8).

Continuous Assessment: For students repeating an examination, marks awarded for continuous assessment, shall normally be carried forward from the original examination to the repeat examination.

Time series specific functions require the data to be of a specific class. Without that class models visualizations and all sorts of functions do not work.



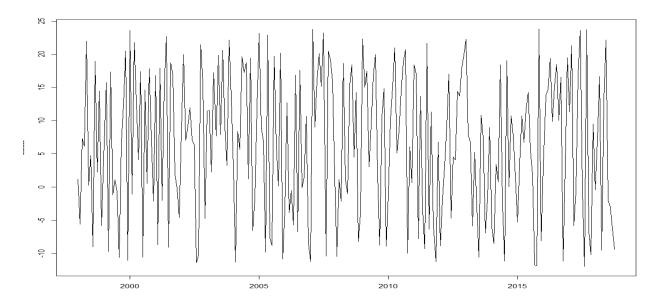
data_p <- read.csv("C:/Users/PRATEEK PARASHER/Downloads/TS_1.csv")
data_p = scan()
plot.ts(data_p)</pre>



data_p =runif(n=251, min=-12, max= 24)

using the dublin weather data set which clearly has stable seasonality and no trend.

plot(datats)



class(datats)

[1] "ts"

Decompose One Time Series into Multiple Series

Time series decomposition is a mathematical procedure which transforms a time series into multiple different time series. The original time series is often split into 3 component series:

- Seasonal: Patterns that repeat with a fixed period of time. For example in this case weather temp have fixed patterns with different seasons summer and winter.
- Trend: The underlying trend of the metrics.
- Random: Also call "noise", "irregular" or "remainder," this is the residuals of the original time series after the seasonal and trend series are removed.

Decomposing Time Series (U)

frequency(datats)

[1] 12

length(datats)

decompose(datats, type = "additive")

```
> decompose(datats, type = "additive")
$`x`
                                                            May 22.02126373
                                                                                                     Aug
-9.02887746
       1.15635370
                    -5.59150267
                                  7.29793394
                                                6.14215363
                                                                           0.28756622
                                                                                         4.72969587
                                                                                                                   18.96384646
1998
       4.37141873
                                  -9.74460006
                                                            -1.15886912
                                                                                        -0.76393949
                                                                                                     -10.65468126
                                                                                                                    6.67697724
                   15.72737134
                                               17.34293382
                                                                           1.12815701
2000
      23.60681775
                   -1.09604551
                                 21.80898242
                                               12.75387294
                                                             4.09333181
                                                                          17.39321300
                                                                                       -10.57802888
                                                                                                     14.60514068
                                                                                                                    0.55390177
2001
      16.83413563
                    -8.70079099
                                 17.95587987
                                               -2.03321739
                                                            15.11196359
                                                                          22,70949252
                                                                                        -9.06720384
                                                                                                     18.75713087
                                                                                                                   16.88057582
       8.49777586
                                                                                         6.35434438
                                                                                                    -11.41822269
                   19.96998686
                                  7.06970729
                                                                           7.07612851
                                                                                                                  -10.28244054
                                                9.13051164
                                                            11.96646513
2003 11.40941401
                   11.53560057
                                  2.22913541
                                               17.24297383
                                                             7.69284304
                                                                          19.86477546
                                                                                         7.91930355
                                                                                                     20.61773202
                                                                                                                    9.14860921
                                                                          17.26269676
                                  8.40242698
                                                5.64228431
                                                            19.63226476
                                                                                       18.74759919
                                                                                                      1.24425412
2004
       2.87899469 -11.33889299
                                                                                                                   19,46219686
                    8.97863052
                                  6.95724286
                                                -9.81183990
                                                            22.88539909
                                                                                                     19.70750814
      23.18580876
                                                                           -7.67146337
                                                                                        -8.81892116
2006
      -3.45973089
                   12.71365264
                                  -3.87053676
                                               -0.53419483
                                                             -5.73658260
                                                                          16.85146501
                                                                                        -6.73384591
                                                                                                     17.61782610
                                                                                                                   -0.08407817
2007 -11.20822625
                   23.74961209
                                  9.02179844
                                                                                        23.25133428
                                               16.14563034
                                                            20.10826041
                                                                          15.17515633
                                                                                                    -10.41070555
                                                                                                                   20.52243185
                                                                          -1.03879954
2008 -10.48411025
                    1.11879894
                                  -2.14495429
                                               18.61682931
                                                             1.04646165
                                                                                        15.32887222
                                                                                                     18.41404648
     22.34224492
2009
                   15.07335148
                                 17.48239380
                                                3.03997566
                                                              9.37818575
                                                                          16.75764808
                                                                                        19.98271141
                                                                                                      1.86689736
                                                                                                                   -8.74840497
2010
      -1.18136600
                   10.12423766
                                 15.10555409
                                               21.01405679
                                                             5.12701820
                                                                           8.41630078
                                                                                        14.51833246
                                                                                                     18.86810728
                                                                                                                   20.72927416
                                                             3.53032111
      18.44002043
                   17.03166590
                                  -7.77607582
                                               13.65671598
                                                                           9.30155696
                                                                                        21.68326130
                                                                                                     -6.34195829
                                                                                                                   11.29406460
                    -1.81191554
                                                                                                                   14.41491930
2012
       -8.89399584
                                  3 13565644
                                                9.14201247
                                                            17.04099947
                                                                          -4.72817248
                                                                                         4.53928818
                                                                                                      4.13315210
                                                             5.25377616
      22.29520466
                     7.82220199
                                  6.80408758
                                               -5.85486281
                                                                          -2.86245133
                                                                                       -10.56789707
                                                                                                     10.85281835
                                                                                                                    7.42419291
2013
      -6.05906788
                                  3.43007129
                                                0.80741637
                    -8.53316002
                                                            18.41760744
                                                                          -2.63523095
                                                                                       -11.16679828
2015
      -5.30857146
                     3.44186128
                                 10.70784955
                                                6.75032465
                                                            11.74636814
                                                                          14.25699353
                                                                                         5.52562344
                                                                                                      1.84043816 -11.75399368
```

```
$figure
[1] -0.52789200 1.30988939 0.06015542 0.64465260 3.17290886 2.22344037 -1.37653154 -0.65798286 1.72072162 -3.07048934
[11] 1.80575978 -5.30463230

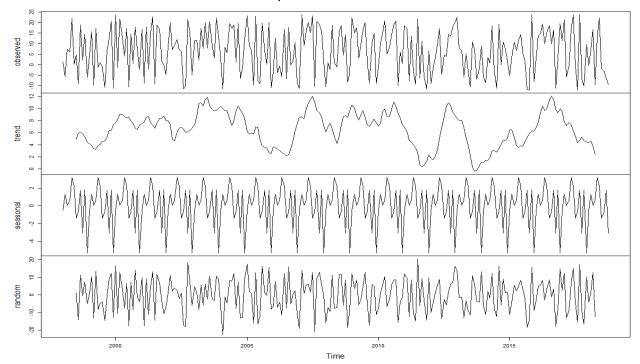
$type
[1] "additive"

attr(,"class")
[1] "decomposed.ts"
> |
```

plot(decompose(datats, type = "additive"))

using the Dublin weather data set which clearly has stable seasonality and no trend. So that can be perfectly described with an additive model. Generally, if the amplitude of the seasons stay roughly the same that means the distance between highs and lows of the season do not constantly increase over time.

Decomposition of additive time series



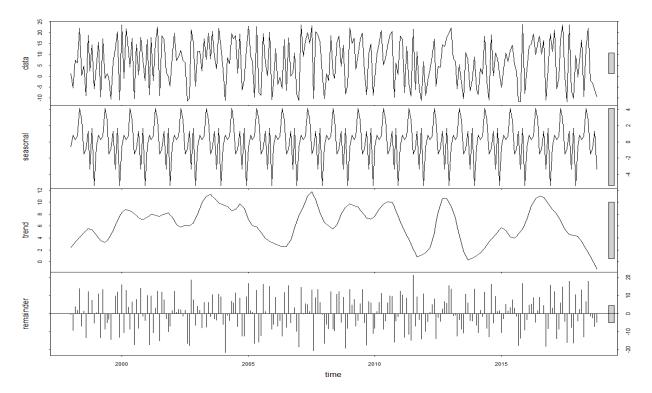
I have to evaluate for trend seasonality and white noise for each time point except some points at the beginning and the end which are needs to compute the whole model. I can also see the trend component or here and the seasonality. Now the trend line goes up and down over the 20 years there are some peaks at around 2003, 2007, 2016. But overall the main stays pretty constant and there is no clear direction of the trend curve. Hence there is no trend at all in the dataset. The seasonal part on the other side is quite clear to recognize and it stays constant over the whole time series and then just in nature of this type of decomposition. The seasonal component stays totally constant over the whole series. So again this sort of graph is very useful whenever you're working with time series data that is seasonal

library(forecast)

library(ggplot2)

library(ggplot2 and forecast)

autoplot(decompose(datats, type = "additive"))



Now as already mentioned an alternative to the rather primitive decompose is the function STL which again if I wrap it in a plot command i would get a handy visualization of your data set for this function to work however, need the argument stopped window which is the seasonal window to be used in order to calculate the seasonal part. could set it to periodic or just provide an odd number of 7 or higher.

alternatively the function stl could be used

plot(stl(datats, s.window="periodic"))
stl(datats, s.window="periodic")

seasonal adjustment

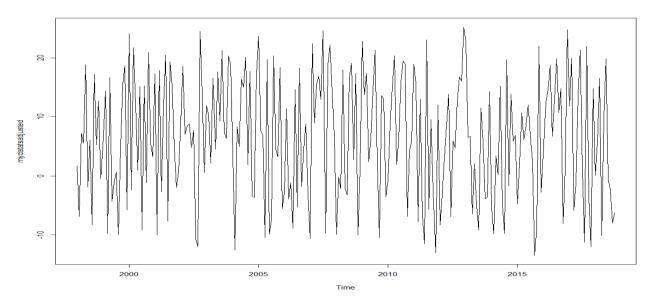
mydatats = decompose(datats, "additive")
class(mydatats)

we are subtracting the seasonal element

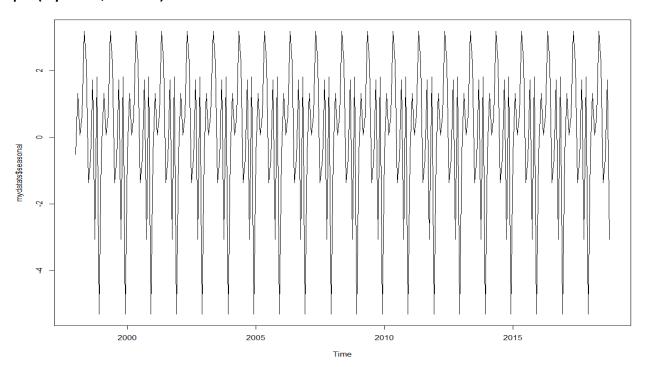
mydatatsadjusted = datats-mydatats\$seasonal

getting a plot

plot(mydatatsadjusted)



plot(mydatats\$seasonal)

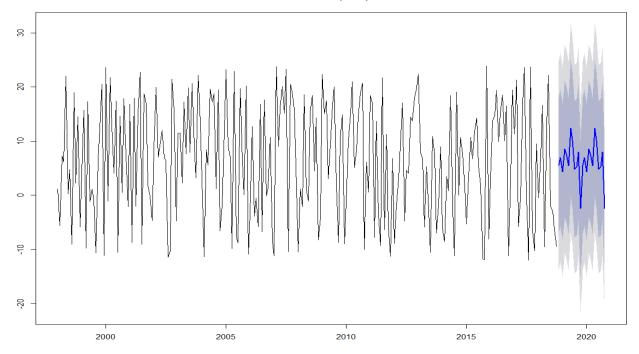


a stl forecast from the package forecast

library(forecast)

plot(stlf(datats, method = "arima"))

Forecasts from STL + ARIMA(0,0,0) with non-zero mean



The forecast is visible in the blue section like always with these forecast plots the length of the forecast the interval was auto generated by are based on the length of the already existing time series. I would routinely use an age of doubled the frequency which is two times 12. The settings for the Arima model were automatically adjusted and optimized by our. So as i can see seasonal decomposition offers some really exciting opportunities for seasonal datasets.

GitHub Link :- https://github.com/prateekparasher/web_scrap