

## Video 1.1 Jianbo Shi

## Kodak moments



## Capturing Moment



"Rituals Enhance Consumption," Kathleen Vohs, Psychological Science 2013

#### Moments: selfie

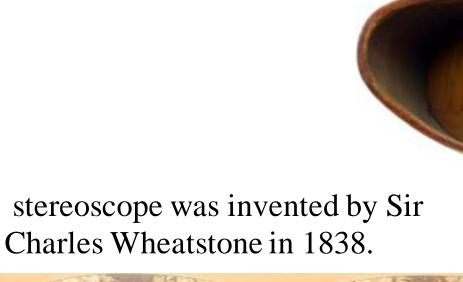


Reid Wiseman and Alexander Gerst with a Nikon D2X and a Nikkor 10.5mm fisheye lens,



DATE:1920

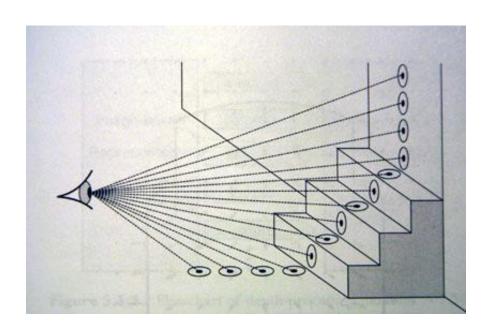
Side view of photographers posing together for a photograph on the roof of Marceau's Studio, while Joseph Byron holds one side of the camera with his right hand and Ben Falk holds the other side with his left hand.

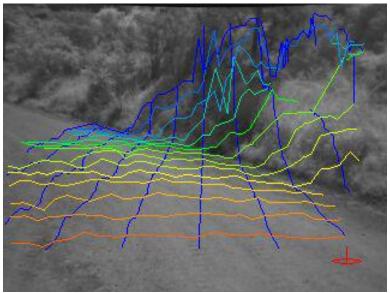




## 3D Shape perception

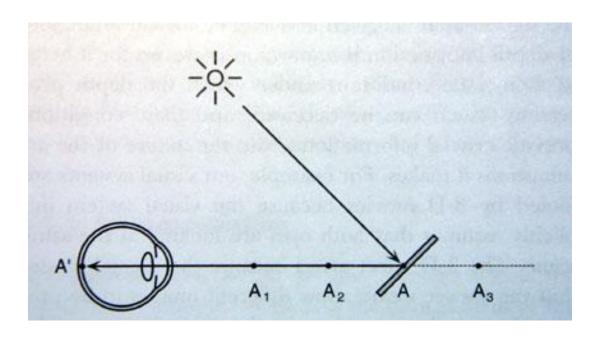
- 1) **Depth**: the distance of the surface from the observer
- 2) Surface orientation: the slant and tilt of the surface with respect to observers' sight





## Depth ambiguity

Inverse problem: multiple solution exists

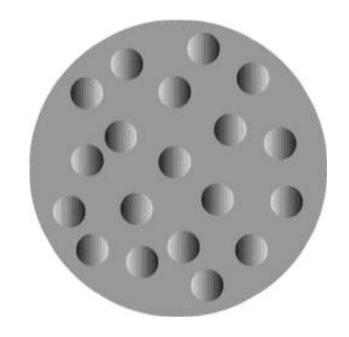


## Pictorial cues for 3D shape

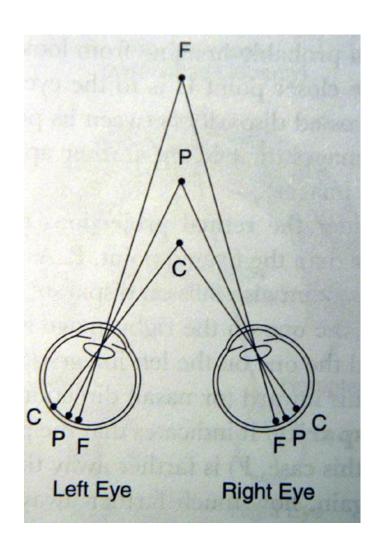
Perspective projection gives us the relative position to horizon, therefore we can deduce its physical size.

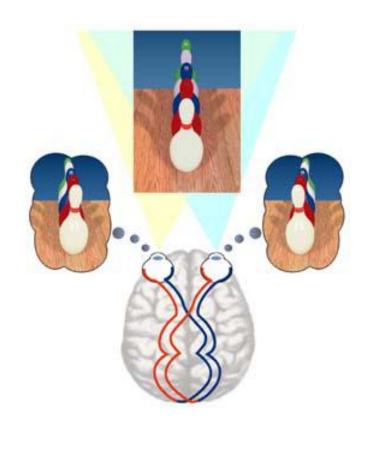
Shading also reveal shape using illumination model

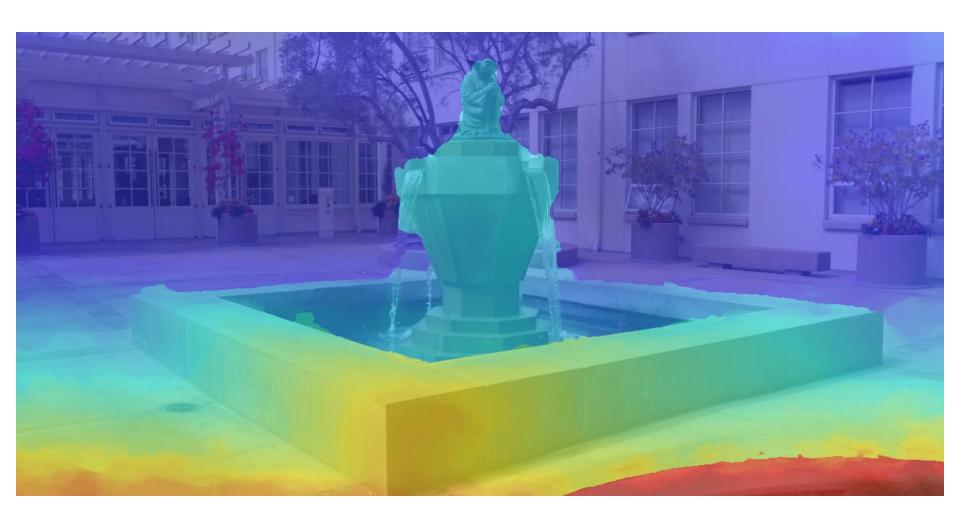


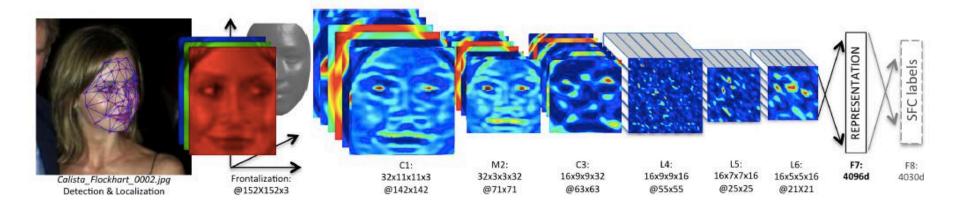


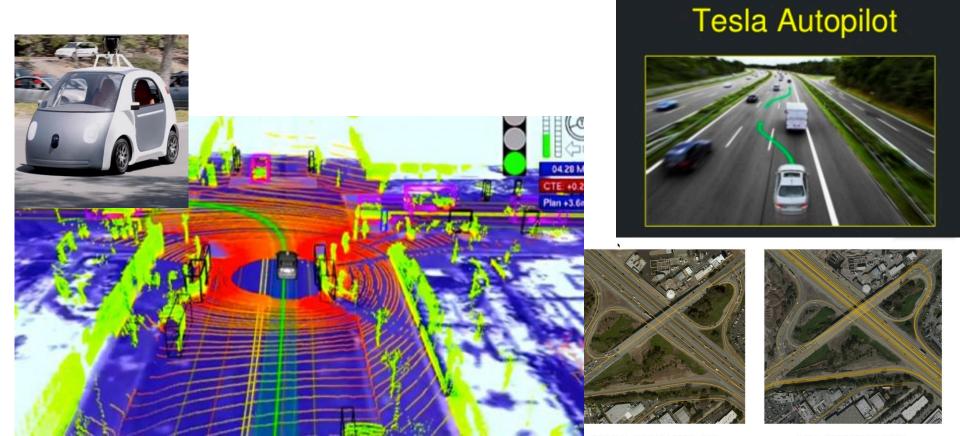
## Stereo Vision







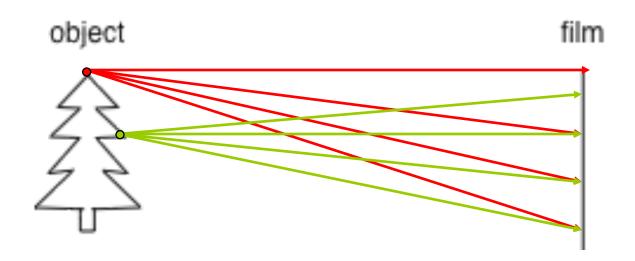




## Camera Design

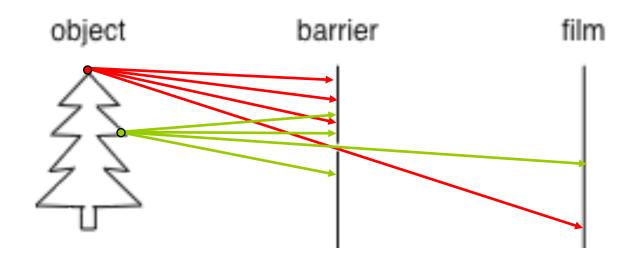
# What is a camera? Photon collecting machine

#### How do we see the world?



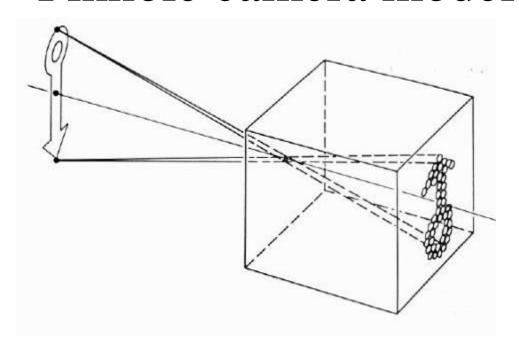
- Let's design a camera
  - Idea 1: put a piece of film in front of an object
  - Do we get a reasonable image?

#### Pinhole camera



- Add a barrier to block off most of the rays
  - This reduces blurring
  - The opening known as the aperture
  - How does this transform the image?

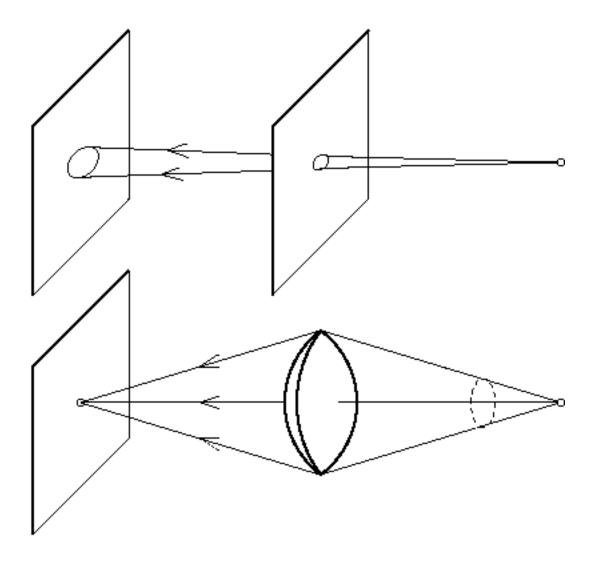
#### Pinhole camera model



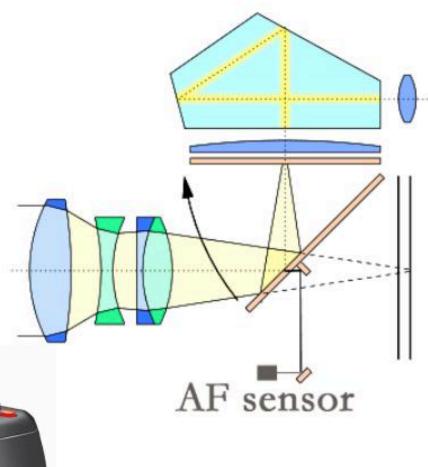
#### • Pinhole model:

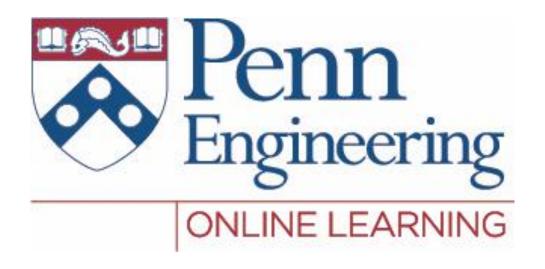
- Captures pencil of rays all rays through a single point
- The point is called Center of Projection (COP)
- The image is formed on the Image Plane
- **Effective focal length f** is distance from COP to Image Plane

## Camera with lense



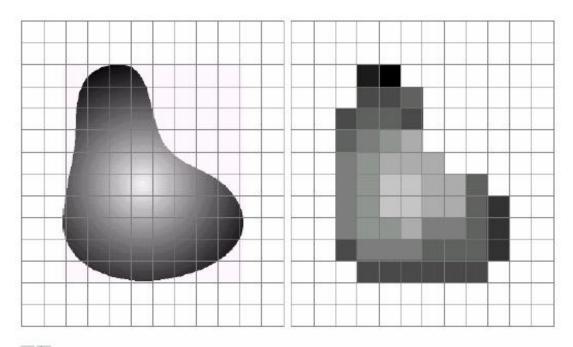
Single-lens reflex with auto-focus





## Video 1.2 Jianbo Shi

## Sensor Array

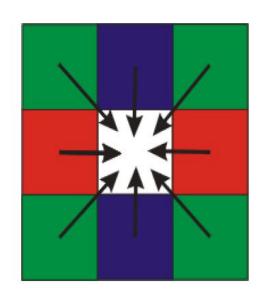


CMOS sensor

a b

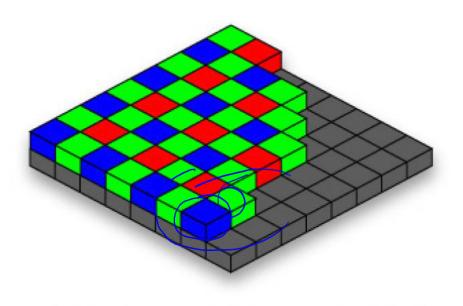
**FIGURE 2.17** (a) Continuos image projected onto a sensor array. (b) Result of image sampling and quantization.

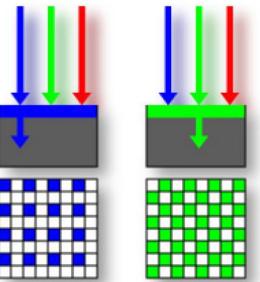
#### Practical Color Sensing: Bayer Grid

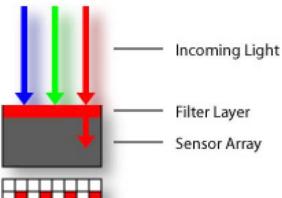


Estimate RGB at 'G' cels from neighboring values

http://www.cooldictionary.com/words/Bayer-filter.wikipedia

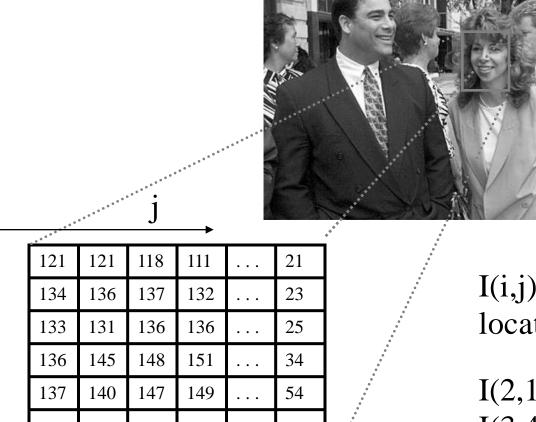






Resulting Pattern

# In a computer... an image is a 2 dimensional table of numbers, a 2D matrix



179

231

233

243

244

I(i,j) is the sensor value at location y = i, x = j

$$I(2,1) = 134$$

$$I(3,4) = 136$$

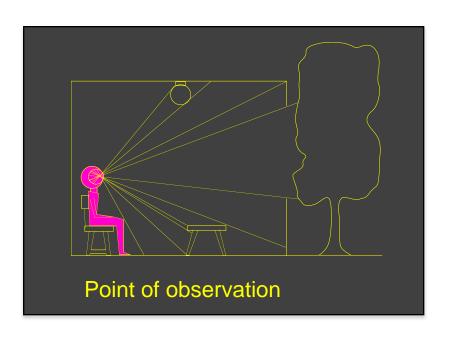
Any 2D matrix can be seen as an image

## Camera Design

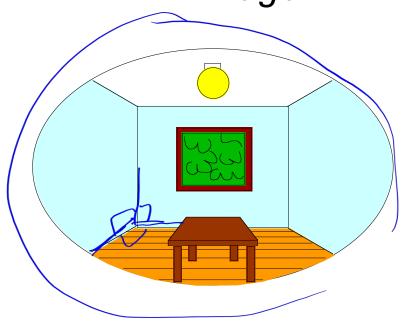
# What is a camera? Dimension Reduction Machine

### Dimensionality Reduction Machine (3D to 2D)

#### 3D world

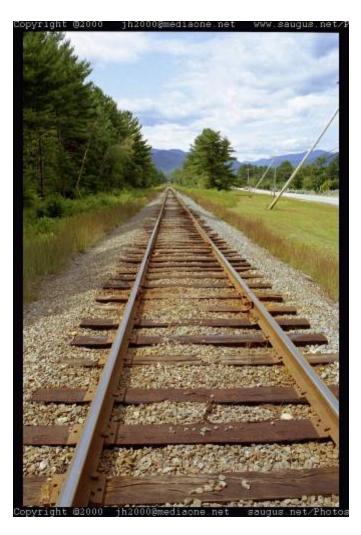


#### 2D image



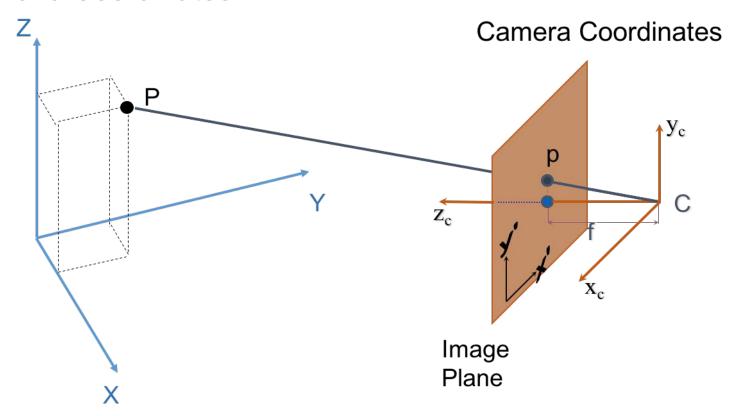
- What have we lost?
  - Angles
  - Distances (lengths)

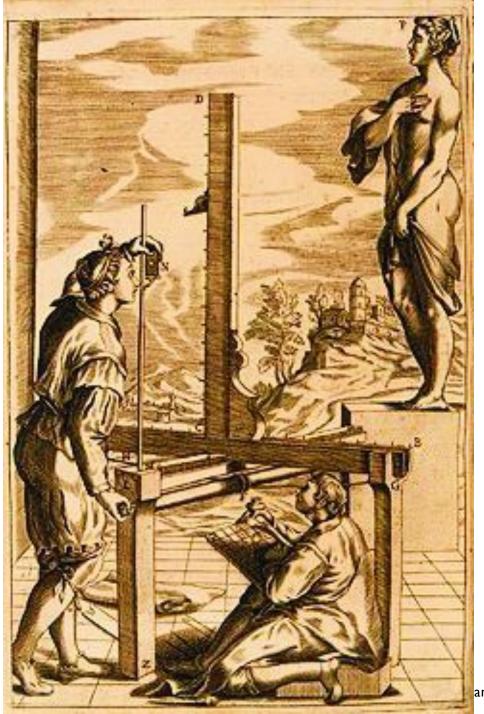
## Funny things happen...



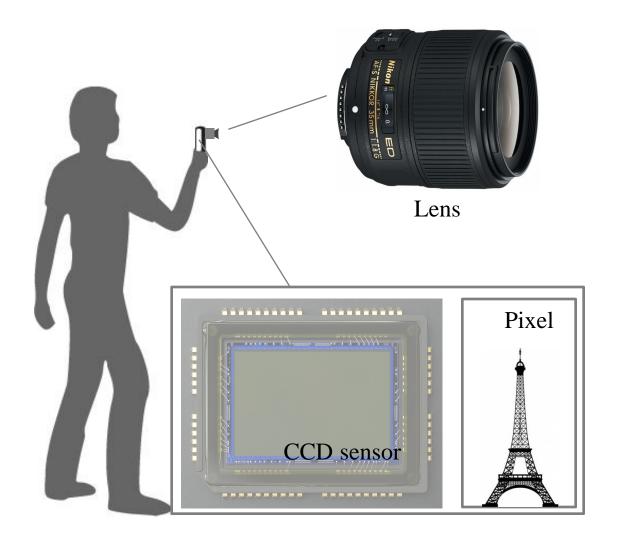
## 3D to 2D mapping

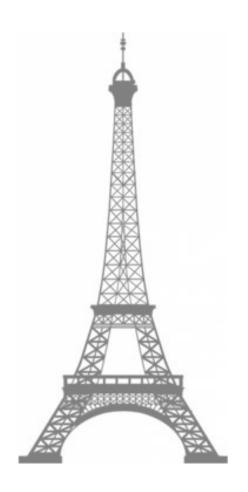
#### **World Coordinates**





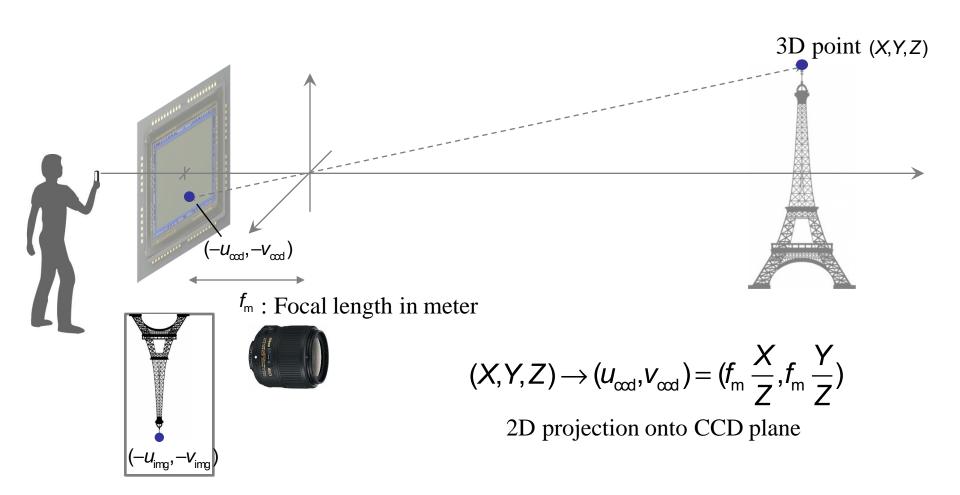
## J. Barozzi's Perspectograph



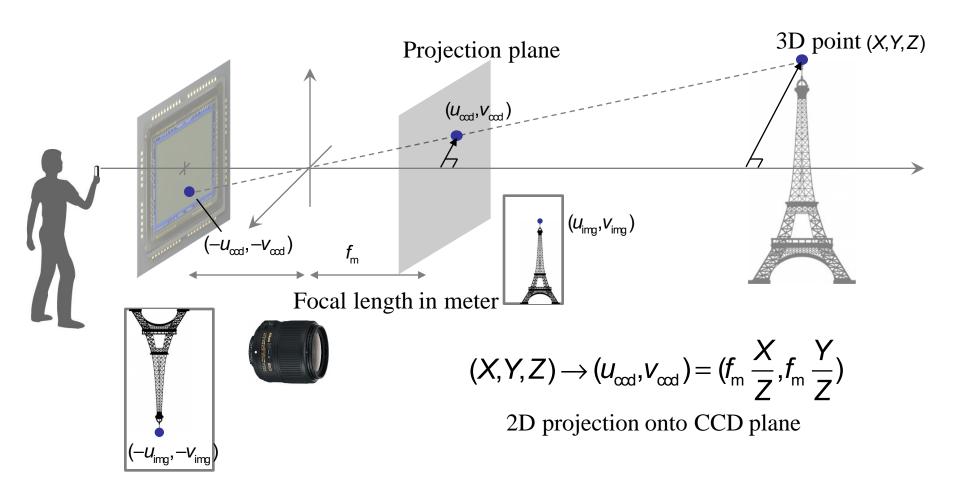


3D object

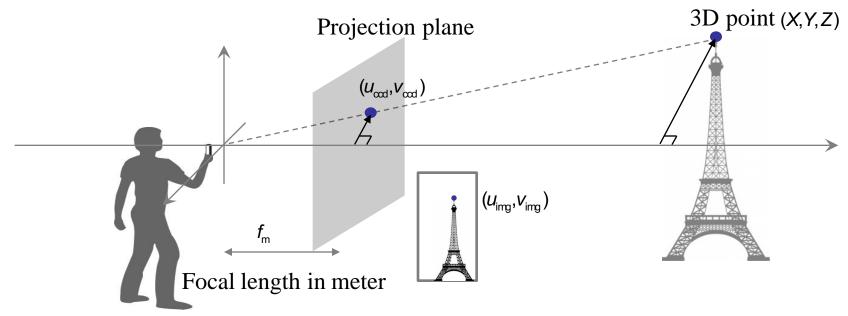
#### 3D Point Projection (Metric Space)



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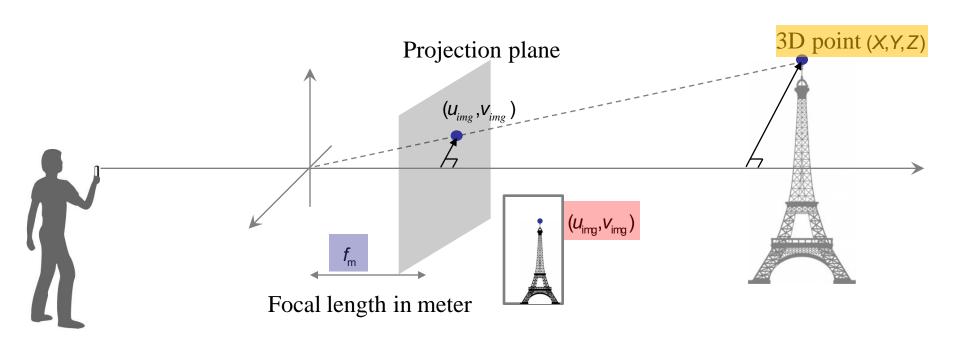
$$(X,Y,Z) \rightarrow (u_{\text{ccd}},v_{\text{ccd}}) = (f_{\text{m}} \frac{X}{Z}, f_{\text{m}} \frac{Y}{Z})$$

2D projection onto CCD plane



## Video 1.3 Jianbo Shi

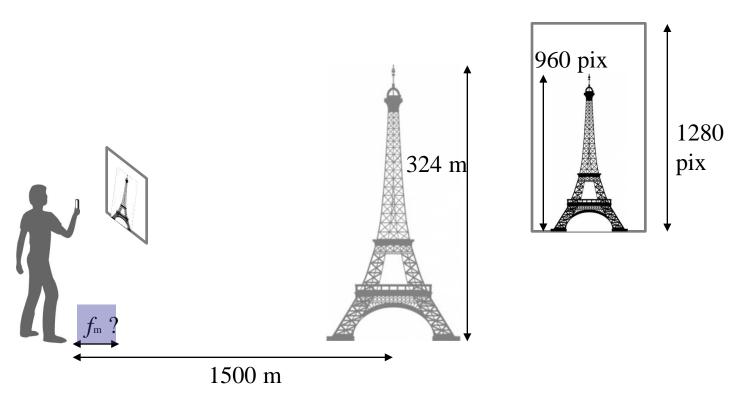
#### 3D Point Projection (Pixel Space)



$$(X,Y,Z) \rightarrow (U_{img},V_{img}) = (f_{m} \frac{W_{img}}{W_{ccd}} \frac{X}{Z}, f_{m} \frac{h_{img}}{h_{ccd}} \frac{Y}{Z})$$

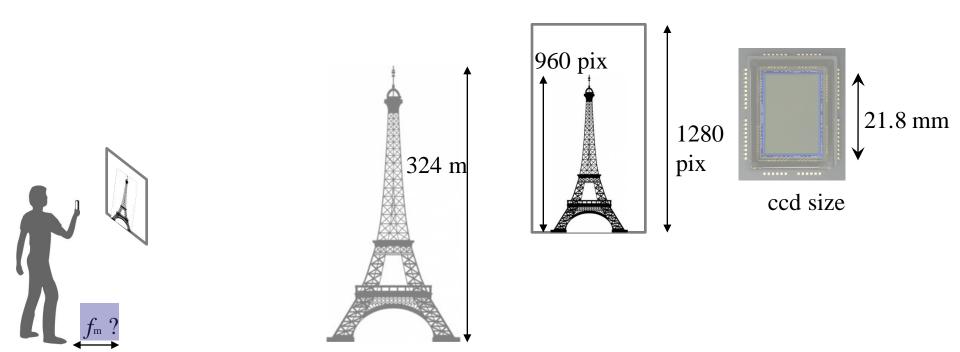
## Exercise

What f to make the height of Eifel tower appear 960 pixel distance?



## Exercise

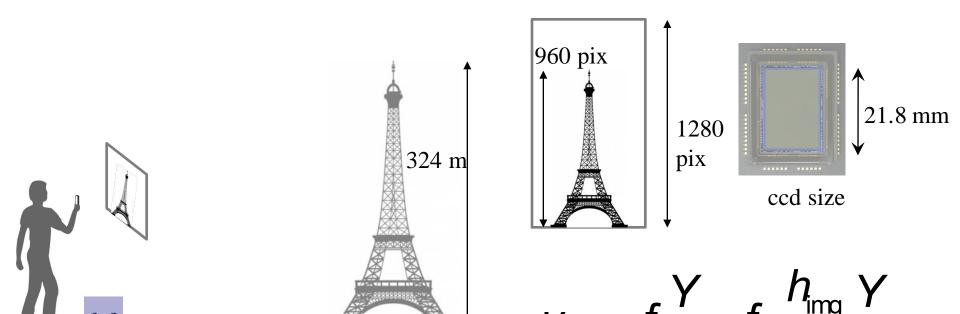
What f to make the height of Eifel tower appear 960 pixel distance?



1500 m

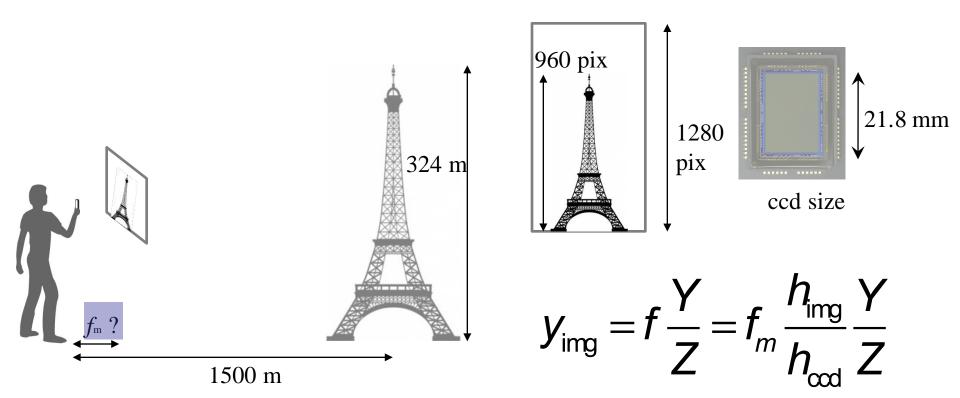
#### Exercise

What f to make the height of Eifel tower appear 960 pixel distance?



1500 m

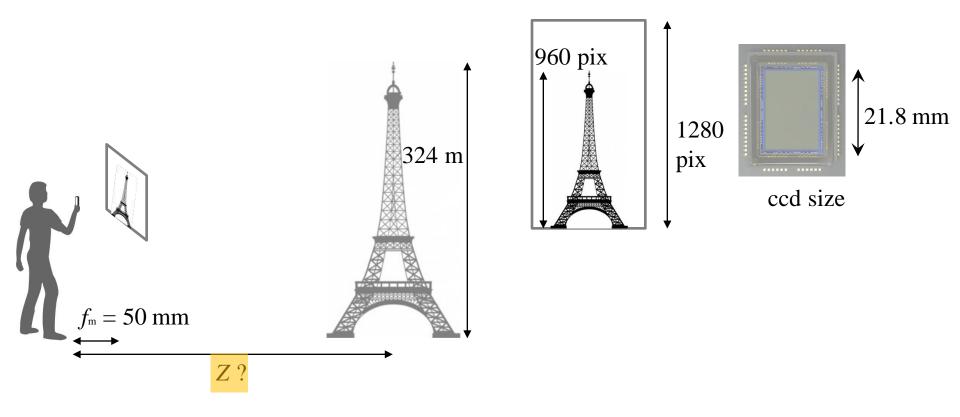
What f to make the height of Eifel tower appear 960 pixel distance?



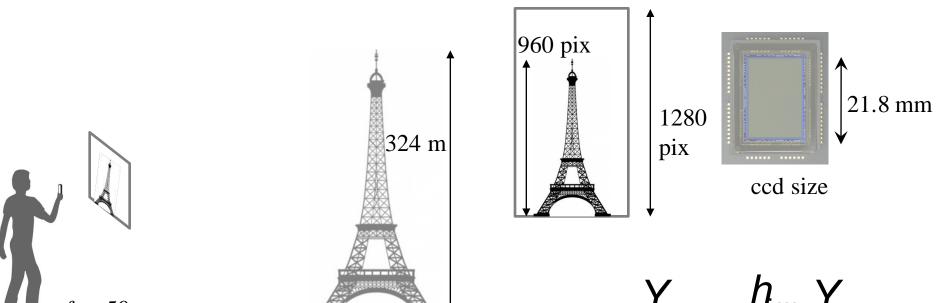
$$960 = f_m \frac{1280}{0.0218} \frac{324}{1500} \rightarrow f_m = 0.0757m$$

1500 m

What f to make the height of Eifel tower appear 960 pixel distance?

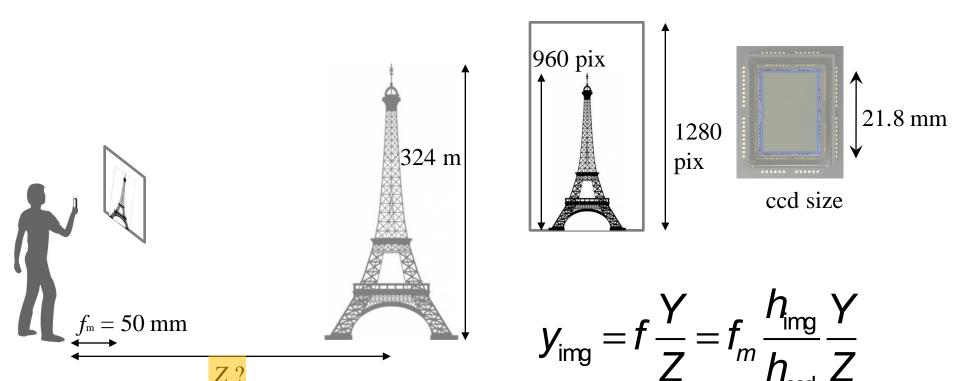


What f to make the height of Eifel tower appear 960 pixel distance?



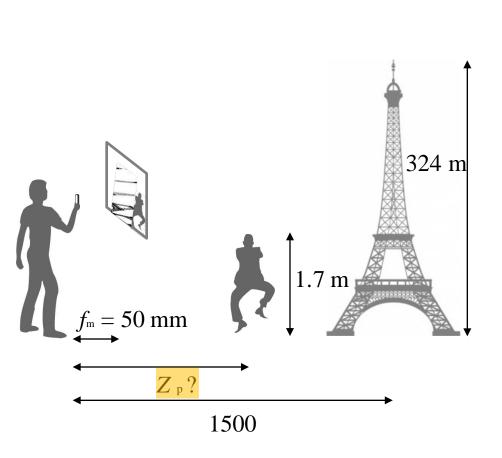
$$y_{\text{img}} = f \frac{Y}{Z} = f_m \frac{h_{\text{img}}}{h_{\text{md}}} \frac{Y}{Z}$$

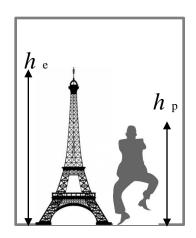
What f to make the height of Eifel tower appear 960 pixel distance?



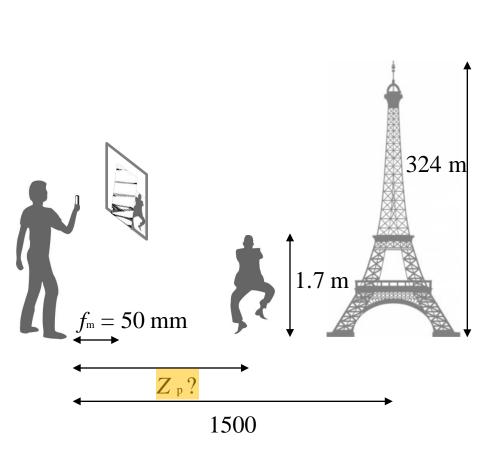
$$960 = 0.05 \frac{1280}{0.0218} \frac{324}{Z} \rightarrow Z = 990.826 \text{m}$$

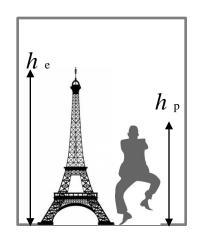
What  $Z_p$  to make the height of Eifel tower appear twice of the person?





What  $Z_p$  to make the height of Eifel tower appear twice of the person?

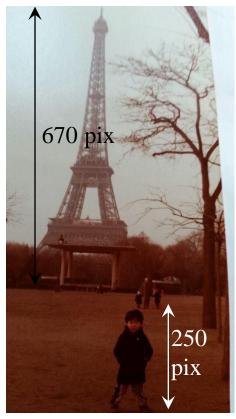




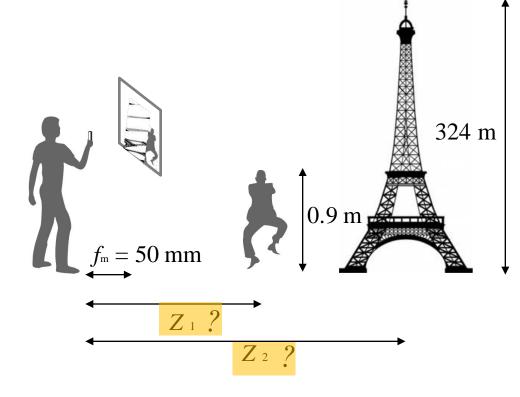
s.t.

$$h_{e} = f \frac{Y_{e}}{Z_{e}} \quad h_{p} = f \frac{Y_{p}}{Z_{p}} \quad h_{p} = \frac{h_{e}}{2}$$

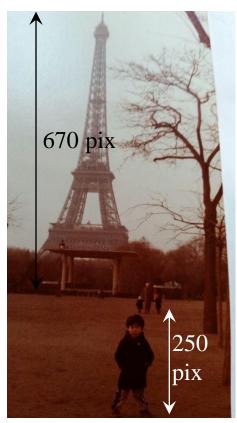
$$f \frac{Y_{p}}{Z_{p}} = f \frac{Y_{e}}{2Z_{e}} \rightarrow$$



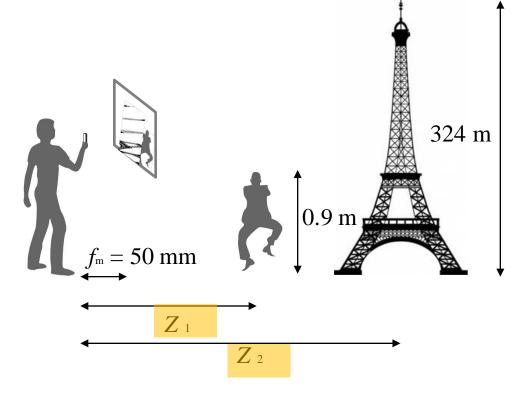
Circa 1984



$$y_1 = f \frac{Y}{Z} = f_m \frac{h_{img}}{h_{ord}} \frac{Y_1}{Z_1} \rightarrow Z_1 = f_m \frac{h_{img}}{h_{ord}} \frac{Y_1}{y_1} = 0.05 \frac{1280}{0.0218} \frac{0.9}{250} = 8.03 \text{m}$$



Circa 1984



$$y_1 = f \frac{Y}{Z} = f_m \frac{h_{img}}{h_{cod}} \frac{Y_1}{Z_1} \rightarrow Z_1 = f_m \frac{h_{img}}{h_{cod}} \frac{Y_1}{y_1} = 0.05 \frac{1280}{0.0218} \frac{0.9}{250} = 8.03 \text{m}$$

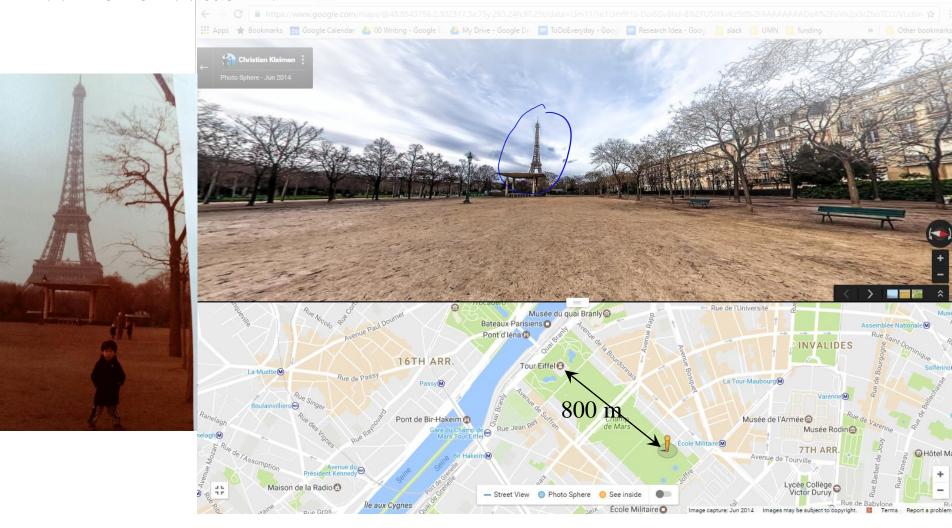
$$y_2 = f \frac{Y_2}{Z_2} = f_m \frac{h_{\text{img}}}{h_{\text{ocd}}} \frac{Y_2}{Z_2} \rightarrow Z_2 = f_m \frac{h_{\text{img}}}{h_{\text{ocd}}} \frac{Y_2}{Y_2} = 0.05 \frac{1280}{0.0218} \frac{324}{670} = 1079 \text{m}$$

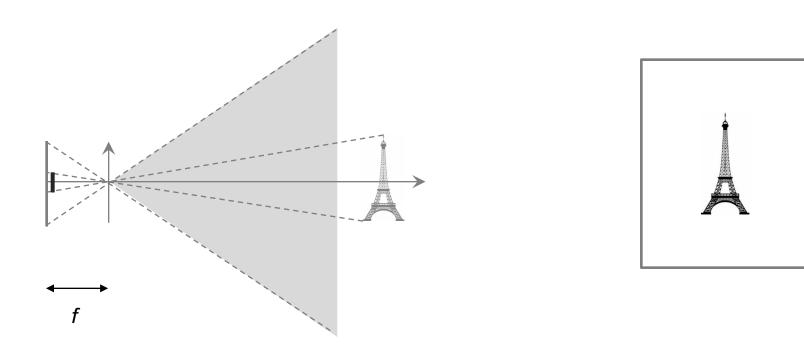
$$y_2 = f \frac{Y_2}{Z_2} = f_m \frac{h_{img}}{h_{oxd}} \frac{Y_2}{Z_2} \rightarrow Z_2 = f_m \frac{h_{img}}{h_{oxd}} \frac{Y_2}{Y_2} = 0.05 \frac{1280}{0.0218} \frac{324}{670} = 1079 \text{m}$$



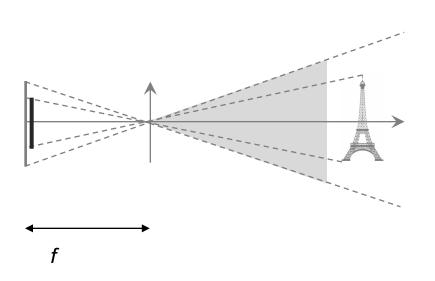
Théâtre des Place de la Concorde 🗿 arts asiatiques Guimet Musée de l'Orangerie @ INVALIDES 200m -Hakeim @ 400m Maison de la Radio 600m GRENELLE 800m **-1000m** 

Circa 1984

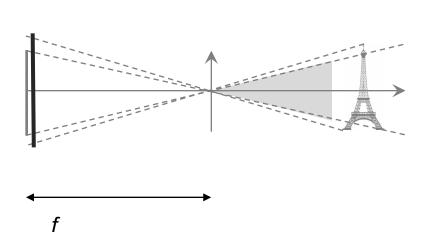


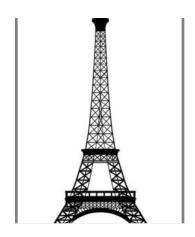


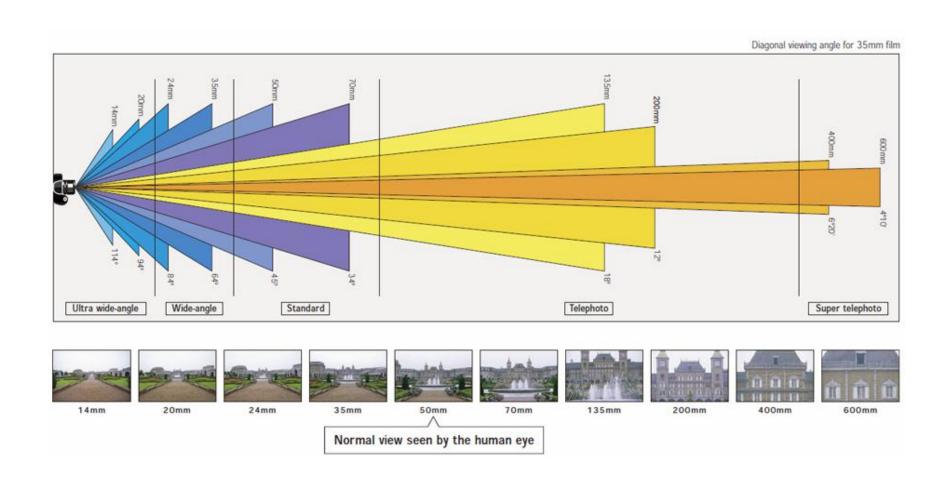
Shorter focal length, larger field of view!







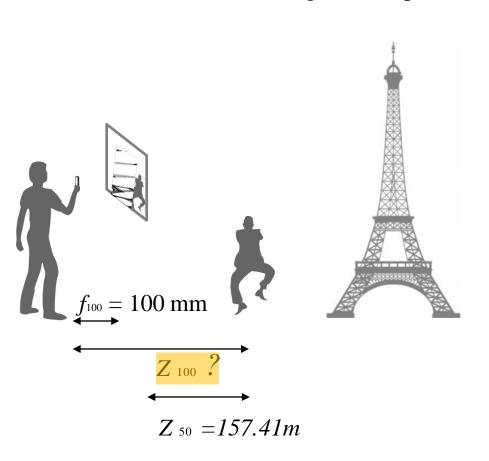


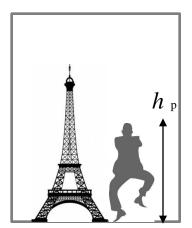


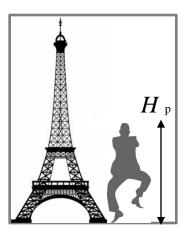


# Dolly Zoom

Given focal length ( $f_m=100$ mm), what  $Z_{100}$  to make the height of the person remain the same as  $f_m=50$ mm?

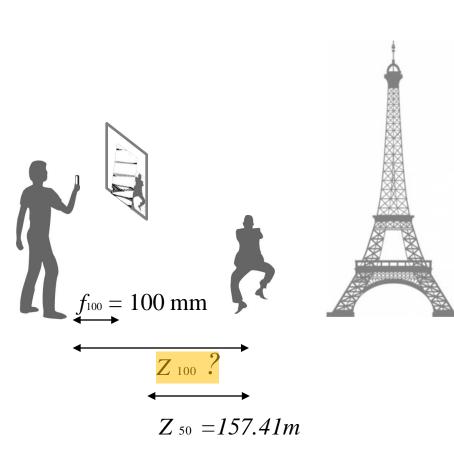


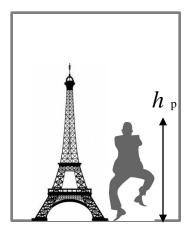


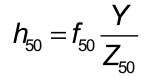


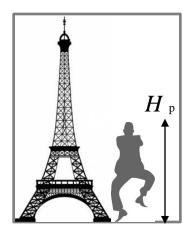
# Dolly Zoom

Given focal length ( $f_m=100$ mm), what  $Z_{100}$  to make the height of the person remain the same as  $f_m=50$ mm?







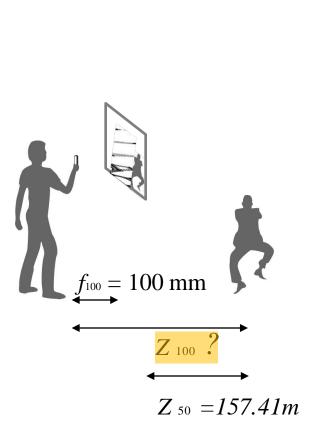


$$h_{100} = f_{100} \frac{Y}{Z_{100}}$$

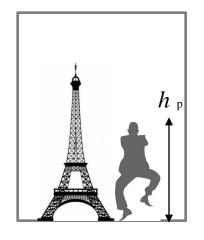
s.t. 
$$h_{100} = h_{50}$$

# Dolly Zoom

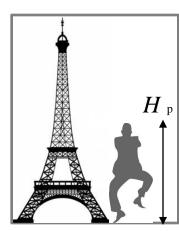
Given focal length (f<sub>m</sub>=100mm), what  $Z_{100}$  to make the height of the person remain the same as f<sub>m</sub>=50mm?







$$h_{50} = f_{50} \frac{Y}{Z_{50}}$$



$$h_{100} = f_{100} \frac{Y}{Z_{100}}$$

s.t. 
$$h_{100} = h_{50}$$

$$Z_{100} = \frac{f_{100}}{f_{50}} Z_{50}$$

$$Z_{100} = \frac{f_{100}}{f_{50}} Z_{50}$$
  $Z_{100} = \frac{100}{50} 157.41 = 314.8 m$