Machine Learning Lab 4

Logistic Regression

In machine learning, the logistic model is a widely used statistical model that, in its basic form, uses a logistic function to model a binary dependent variable; many more complex extensions exist. Logistic Regression is a classification algorithm. It is used to predict a binary outcome (1 / 0, Yes / No, True / False) given a set of independent variables. To represent binary / categorical outcome, we use dummy variables. It can also be thought of as a special case of linear regression when the outcome variable is categorical, where we are using log of odds as dependent variable. In simple words, it predicts the probability of occurrence of an event by fitting data to a logit function.

The dataset

The dataset used to perform this experiment is the wine quality dataset, it is a combination of data on two types of wine variants, namely red wine and white wine, of the portuguese "Vinho Verde" wine. The dataset contains information on the parameters for fixed acidity, volatile acidity, citric acid, residual sugar, chlorides, free sulfur dioxide, total sulfur dioxide, density, pH, sulphates, alcohol.

Experiment

In this experiment I used the sklearn's logistic regression algorithms to predict the quality of a wine.

Using the pandas library in I loaded the red wine and white wine datasets into the memory from their respective csv files and then merged the two datasets into one single pandas dataframe.

Using the pandas.Dataframe.describe() function in pandas I calculated the various statistical measures of each of the columns of the dataset.

For performing the experiment I started with plotting the scatter plot for each of the features in the dataset with every other feature, this helped to find if there were any features which were linearly separable. In the case of my dataset they were not.

Next used random forests to find the importance of features in the dataset and as to how much each feature contributes to the importance. The two most important features are the fixed acidity and the volatile acidity.

Finally, I applied logistic regression to the dataset using both I1 and I2 penalty and the using the saga and newton-cg solver. I was able to achieve and accuracy of 52 and 53 percent respectively. The reason for this low accuracy was the dataset being skewed with just 20 examples in class 3 and more than 2000 examples in class 6 and this skewness in the dataset was the reason for a bad performance of the logistic regression.

The code and plots can be found in the accompanying jupyter notebook.

Logistic Regression

November 1, 2018

1 Lab 4

2 Logistic Regression

- 2.0.1 Submitted to: Prof. Sweetlin Hemlatha
- 2.0.2 Submitted by: Prateek Singh (15BCE1091)

```
In [4]: import random
        import numpy as np
        import pandas as pd
        import seaborn as sn
        from sklearn import preprocessing
        from sklearn.metrics import confusion_matrix
        from sklearn.ensemble import ExtraTreesClassifier
        from sklearn.linear_model import LogisticRegression
        from sklearn.model_selection import train_test_split
        from sklearn.metrics import precision_score, recall_score
        import matplotlib.pyplot as plt
        from matplotlib.colors import ListedColormap
        %matplotlib inline
In [5]: white_wine = pd.read_csv('../Dataset/winequality-white.csv', sep=';')
        sn.set(style='ticks', color_codes=True, font_scale=1)
In [6]: white_wine.head()
Out [6]:
           fixed acidity volatile acidity citric acid residual sugar chlorides
        0
                     7.0
                                      0.27
                                                   0.36
                                                                    20.7
                                                                              0.045
        1
                     6.3
                                      0.30
                                                   0.34
                                                                    1.6
                                                                              0.049
        2
                                      0.28
                                                   0.40
                                                                    6.9
                     8.1
                                                                              0.050
        3
                     7.2
                                      0.23
                                                   0.32
                                                                     8.5
                                                                              0.058
        4
                                      0.23
                                                                     8.5
                     7.2
                                                   0.32
                                                                              0.058
           free sulfur dioxide total sulfur dioxide density
                                                                 pH sulphates \
        0
                          45.0
                                               170.0
                                                       1.0010 3.00
                                                                           0.45
                          14.0
                                               132.0 0.9940 3.30
                                                                           0.49
        1
```

2 3 4	30.0 47.0 47.0		97.0 186.0 186.0	0.9951 0.9956 0.9956	3.19	0.44 0.40 0.40
	alcohol	quality				
0	8.8	6				
1	9.5	6				
2	10.1	6				
3	9.9	6				
4	9.9	6				

Working with white wine dataset first, in between the assignment I realized there was no need for regression analysis. As we arealy have a dataset, we just need to apply the sklearn's logistic regression with different function.

Dividing the dataset into training and testing classes.

Rows in white wine dataset: 4898

9.9

6

Let's use the white wine dataset and we will split the dataset into training and testing

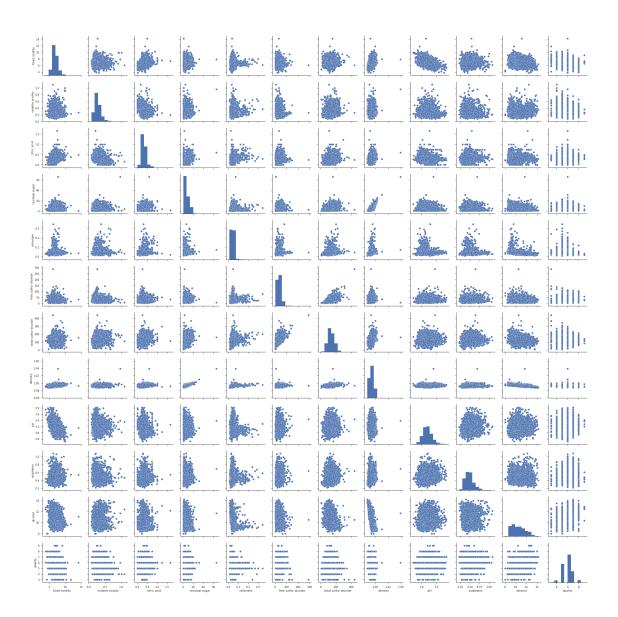
```
In [8]: # Doing some analysis over the dataset
    white_wine.head()
```

Out[8]:	fixed acid	ity volat	ile aci	dity	citric a	cid resid	lual su	ıgar	chlori	des	\
0	•	7.0		0.27	0	.36	2	20.7	0.	045	
1	1	6.3		0.30	0	.34		1.6	0.	049	
2	;	8.1		0.28	0	.40		6.9	0.	050	
3		7.2		0.23	0	.32		8.5	0.	058	
4	•	7.2		0.23	0	.32		8.5	0.	058	
	free sulfu	r dioxide	total	sulfur	dioxide	density	pН	sulp	phates	\	
0		45.0			170.0	1.0010	3.00		0.45		
1		14.0			132.0	0.9940	3.30		0.49		
2		30.0			97.0	0.9951	3.26		0.44		
3		47.0			186.0	0.9956	3.19		0.40		
4		47.0			186.0	0.9956	3.19		0.40		
	alcohol q	uality									
0	8.8	6									
1	9.5	6									
2	10.1	6									
3	9.9	6									

Each data point has 11 features in total, however, we just have around 4400 training example. Moreover the dataset is very skewed with very few examples in some classes and the major concentration of examples in the other classes.

We either need to reduce the number of features that we're dealing with, by either trying to find the importance of each feature (using decision trees) or dimensionality reduction, or we need to increase the number of examples such that the dataset is less biased towards some of the classes.

```
In [10]: sn.pairplot(white_wine.dropna(), size=2.5)
Out[10]: <seaborn.axisgrid.PairGrid at 0x7f973e68ca20>
```



```
In [11]: data, labels = white_wine.iloc[:, :11], white_wine.iloc[:, 11]

forest = ExtraTreesClassifier(n_estimators=250, random_state=0)
forest.fit(data, labels)
importances = forest.feature_importances_
std = np.std([tree.feature_importances_ for tree in forest.estimators_], axis=0)
indices = np.argsort(importances)[::-1]
cumulative_imp = np.cumsum(importances)

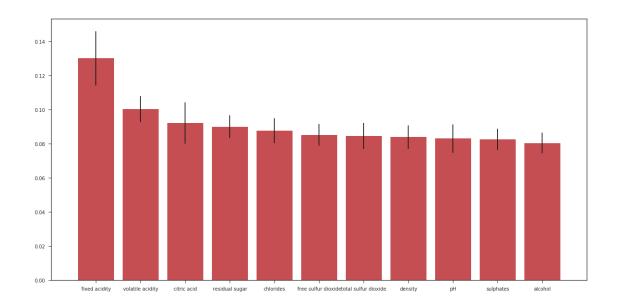
print('Feature rankings')

for f in range(data.shape[1]):
    print("%d. feature %d (%f) (%f)" % (f + 1, indices[f], importances[indices[f]], compared to the forest of the following state of the forest state of the
```

```
plt.figure(figsize=(20, 10))
plt.bar(range(data.shape[1]), importances[indices], color="r", yerr=std[indices], ali
plt.xticks(range(data.shape[1]), list(white_wine.columns.values[:11]))
plt.xlim([-1, data.shape[1]])
plt.show()
```

Feature rankings

- 1. feature 10 (0.130143) (1.000000) 2. feature 1 (0.100346) (0.180734) 3. feature 7 (0.092182) (0.701958) 4. feature 5 (0.089962) (0.522192) 5. feature 6 (0.087584) (0.609776) 6. feature 8 (0.085251) (0.787209) 7. feature 3 (0.084598) (0.349213) 8. feature 2 (0.083881) (0.264614)
- 9. feature 4 (0.083017) (0.432230) 10. feature 9 (0.082648) (0.869857) 11. feature 0 (0.080387) (0.080387)



```
In [12]: X_train, X_test, Y_train, Y_test = train_test_split(white_wine.iloc[:, :11],
                                                              white_wine.iloc[:, 11],
                                                              test_size=0.1,
                                                              random_state=42)
         print("Size of training set: ", len(X_train.axes[0]))
         print("Size of test set: ", len(X_test.axes[0]))
Size of training set: 4408
Size of test set: 490
```

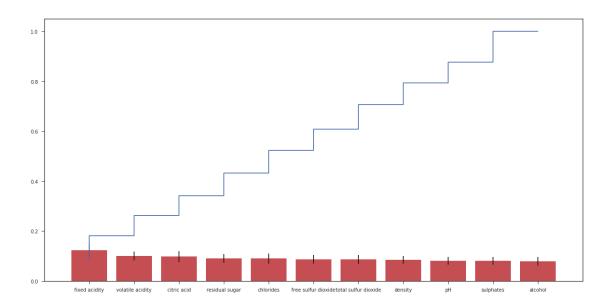
```
In [13]: X_train.head()
Out[13]:
               fixed acidity
                               volatile acidity
                                                 citric acid residual sugar
                                                                                chlorides
                         7.6
                                           0.29
                                                         0.42
                                                                          1.3
         1052
                                                                                    0.035
         3606
                         6.4
                                           0.38
                                                         0.24
                                                                          7.2
                                                                                    0.047
         1610
                         7.5
                                           0.32
                                                         0.49
                                                                          1.7
                                                                                    0.031
         621
                         6.5
                                           0.26
                                                         0.43
                                                                          8.9
                                                                                    0.083
         4750
                         6.0
                                           0.14
                                                         0.37
                                                                          1.2
                                                                                    0.032
               free sulfur dioxide
                                     total sulfur dioxide density
                                                                       pH sulphates
         1052
                               18.0
                                                      86.0
                                                            0.99080
                                                                     2.99
                                                                                 0.39
         3606
                               41.0
                                                     151.0 0.99604
                                                                     3.11
                                                                                 0.60
         1610
                               44.0
                                                    109.0 0.99060
                                                                     3.07
                                                                                 0.46
         621
                               50.0
                                                     171.0 0.99650
                                                                     2.85
                                                                                 0.50
         4750
                               63.0
                                                     148.0 0.99185
                                                                     3.32
                                                                                 0.44
               alcohol
         1052
                  11.3
         3606
                   9.2
         1610
                  12.5
         621
                   9.0
         4750
                  11.2
In [14]: # Normalizing the features in Training and testing data.
         X_tr, X_tes = X_train.values, X_test.values
         min_max_scaler = preprocessing.MinMaxScaler()
         #X_tr_scaled = min_max_scaler.fit_transform(X_tr)
         #X_tes_scaled = min_max_scaler.fit_transform(X_tes)
         X_train = pd.DataFrame(min_max_scaler.fit_transform(X_tr), index=X_train.index, column
         X test = pd.DataFrame(min_max_scaler.fit_transform(X_tes), index=X_test.index, column;
         X_train.head()
Out[14]:
               fixed acidity
                               volatile acidity
                                                              residual sugar
                                                                                chlorides
                                                citric acid
         1052
                       0.4750
                                       0.205882
                                                    0.253012
                                                                     0.010736
                                                                                 0.077151
         3606
                       0.3250
                                       0.294118
                                                    0.144578
                                                                     0.101227
                                                                                 0.112760
         1610
                       0.4625
                                       0.235294
                                                    0.295181
                                                                     0.016871
                                                                                 0.065282
         621
                       0.3375
                                       0.176471
                                                    0.259036
                                                                     0.127301
                                                                                 0.219585
         4750
                       0.2750
                                       0.058824
                                                    0.222892
                                                                     0.009202
                                                                                 0.068249
               free sulfur dioxide total sulfur dioxide
                                                             density
                                                                            pH \
         1052
                          0.052448
                                                 0.178654 0.071139
                                                                      0.245455
         3606
                                                                      0.354545
                           0.132867
                                                 0.329466
                                                           0.172161
         1610
                           0.143357
                                                 0.232019 0.067284
                                                                      0.318182
         621
                           0.164336
                                                 0.375870 0.181029
                                                                      0.118182
                                                 0.322506 0.091382 0.545455
         4750
                          0.209790
```

sulphates

alcohol

```
1052
                0.197674 0.532258
         3606
               0.441860 0.193548
         1610
                0.279070 0.725806
         621
                0.325581 0.161290
         4750
                0.255814 0.516129
In [15]: forest = ExtraTreesClassifier(n_estimators=250, random_state=0)
         forest.fit(X_test, Y_test)
         importances = forest.feature_importances_
         std = np.std([tree.feature_importances_ for tree in forest.estimators_], axis=0)
         cum_imp = np.cumsum(importances)
         indices = np.argsort(importances)[::-1]
         print('Feature rankings')
         for f in range(data.shape[1]):
             print("%d. feature %d (%f)" % (f + 1, indices[f], importances[indices[f]]))
         plt.figure(figsize=(20, 10))
         plt.bar(range(data.shape[1]), importances[indices], color="r", yerr=std[indices], ali
         plt.step(range(data.shape[1]), cum_imp, 'b')
         plt.xticks(range(data.shape[1]), list(white_wine.columns.values[:11]))
         plt.xlim([-1, data.shape[1]])
         plt.show()
Feature rankings
1. feature 10 (0.123645)
2. feature 1 (0.100660)
3. feature 7 (0.097706)
4. feature 5 (0.090431)
5. feature 4 (0.090032)
6. feature 6 (0.086664)
7. feature 8 (0.086057)
8. feature 9 (0.083790)
```

9. feature 0 (0.080790) 10. feature 2 (0.080779) 11. feature 3 (0.079445)



From the above graph it is evident that each of the feature contributes almost eqaully to the information represented by the dataset and thus omitting any of the features from the logistic regression isn't a wise choice, Hence we will keep all the features in the dataset with us.

```
model_l1.fit(X_train, Y_train)
         print("Train Score: ", model_l1.score(X_train, Y_train))
         print("Test Score: ", model_l1.score(X_test, Y_test), '\n')
         Y_pred = model_l1.predict(X_test)
         cm = confusion_matrix(Y_test, Y_pred)
         print(cm)
Train Score: 0.5410617059891107
Test Score: 0.49183673469387756
0
                    0
                        0]
        0
          11
                        07
 34 108
                        1]
   0
        0
                    1
 Γ
   0
          14 188
                   13
                        07
        0
 0
               72
                   18
                        1]
            3
 Γ
   0
        0
            0
               11
                        1]]
In [17]: model_12 = LogisticRegression(penalty='12', solver='newton-cg', max_iter=10000, multi
         model_12.fit(X_train, Y_train)
         print("Train Score: ", model_12.score(X_train, Y_train))
         print("Test Score: ", model_12.score(X_test, Y_test), '\n')
```

In [16]: model_l1 = LogisticRegression(penalty='l1', solver='saga', max_iter=100000, multi_cla

```
Y_pred = model_12.predict(X_test)
                     cm = confusion_matrix(Y_test, Y_pred)
                    print(cm)
Train Score: 0.5394736842105263
Test Score: 0.4959183673469388
0 11
                  0 0
                                     3
                                              0
                                                        07
                                                        0]
                  0 10
                                     8
                                              0
  [ 0
                                                       0]
                  0 31 113
  [ 0 0 13 193
                                                       0]
  [ 0
               0 2 73
                                          19
                                                        0]
  ΓΟ
                  0
                           0 11
                                              5
                                                        0]]
In [18]: def plot_decision_surface(X, y, classifier, test_idx=None, resolution=0.02):
                              markers = ('s', 'x', 'o', '^', 'v', '+', '.')
                              colors = ('red', 'blue', 'lightgreen', 'gray', 'cyan', 'lightblue', 'lightgreen')
                              cmap = ListedColormap(colors[:len(np.unique(y))])
                              x1_{min}, x1_{max} = X[:, 0].min() - 1, X[:, 0].max() + 1
                              x2_{min}, x2_{max} = X[:, 1].min() - 1, X[:, 1].max() + 1
                              xx1, xx2 = np.meshgrid(np.arange(x1_min, x1_max, resolution), np.arange(x2_min, x1_max, resoluti
                              plt.figure(figsize=(15, 15))
                              Z = classifier.predict(np.array([xx1.ravel(), xx2.ravel()]).T)
                              Z = Z.reshape(xx1.shape)
                              plt.contourf(xx1, xx2, Z, alpha=0.4, cmap=cmap)
                              plt.xlim(xx1.min(), xx1.max())
                              plt.ylim(xx2.min(), xx2.max())
                              plt.xlabel('fixed acidity')
                              plt.ylabel('volatile acidity')
                              X_test, y_test = X[test_idx, :], y[test_idx]
                              for idx, cl in enumerate(np.unique(y)):
                                       plt.scatter(x=X[y == cl, 0], y=X[y == cl, 1],
                                       alpha=0.8, c=cmap(idx),
                                       marker=markers[idx], label=cl)
                                        if test_idx:
                                                 X_test, y_test = X[test_idx, :], y[test_idx]
                                                 plt.scatter(X_test[:, 0], X_test[:, 1], c='',
                                                 alpha=1.0, linewidth=1, marker='o',
                                                 s=55, label='test set')
In [19]: model_12 = LogisticRegression(penalty='12', solver='newton-cg', max_iter=10000, multi
                    model_12.fit(X_train.iloc[:, [1, 10]], Y_train)
```

```
print("Test Score: ", model_12.score(X_test.iloc[:, [1, 10]], Y_test), '\n')
        Y_pred = model_12.predict(X_test.iloc[:, [1, 10]])
        cm = confusion_matrix(Y_test, Y_pred)
        print(cm)
Train Score: 0.5249546279491834
Test Score: 0.5061224489795918
0 ]]
       0 2
                       0]
               1
                   0
                       0]
 [ 0
       1 12
               5
                   0
 0 90 53
                       0]
                   1
 [ 0
      0 64 141
                       0]
                 10
 [ 0
      0 15 63 16
                       0]
 [ 0
                       0]]
       0
          1 11
In [20]: a = X_train.iloc[:, [1, 10]].values
        plot_decision_surface(X=a, y = np.array(Y_train.values), classifier=model_12)
```

print("Train Score: ", model_12.score(X_train.iloc[:,[1, 10]], Y_train))

