Lecture: Contest 2

Agenda

— complicated numbers

— Unset bits in a range

— Building height.

## <u>Out</u> compicated numbers

Given arr[n]. Return the complicated numbers in the varray. in same relative ordering as original array.

compuicated numbers! et which have at least 2

numbers greater than themselves.

Ex:  $an(1) = \begin{bmatrix} 2 & 3 & 1 & 4 & 3 \end{bmatrix} = cons = \begin{bmatrix} 2 & 1 \end{bmatrix}$  3.4.3 + 2.3.4.3 + 4

constraints: | <= n < = 10 5.

 $0 (n^2) \longrightarrow 12^2$  max = 6.3  $5.7 \quad 5.9 \quad 6.1 \quad 6.3 \quad 5.11$ 

All people having at least one person greater than him/her self.

i=1[3] -> 3 not less than smax

never be complicated

```
Logic find smax in the array.

Iterate i from 0 to n-1 —

if arr(i) < smax — complicated

arr[] = [6.6.6.6.3] — max = 6, solved

smax = 3

arr[i] not less than 3 [complicated]

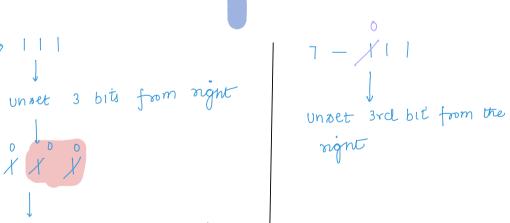
arr[i] < 6 \rightarrow complicated

arr[i] = [2, 2, 2] — max = 2, smax = 2.
```

Given three numbers A.B. and C. You would unset the c bits of A from the right. Your friend would then restore the B bits from right to their initial configuration. Return the resultant integer.

2. Restore B(1) bit from right

$$0 \quad 0 \quad 1 \quad 1 \quad = \quad 1 \quad \text{Ans}$$



rectore 2 bits from right

Given awrin) representing height of the buildings.

find the product of height of all buildings that

are shorter than the building immediately to their

right.

since, product of these height can be very large, return product 1/109+7.

$$arr() = \begin{bmatrix} 2 & 3 & 1 & 6 & 9 \end{bmatrix}$$
 | product = 2 \* 1 \* 6 = 12.  
2 (3 3>1 | 16 6 6 6 9

$$ar(1) = \begin{bmatrix} 2 & 5 & 3 & 6 \end{bmatrix}$$
 product =  $2 * 3 * * = 0$   
 $2(5 5)3 3(6)$ 

$$i$$

$$am(i') \langle am(i'+1) \rightarrow contribute to product$$

Thankyou (3)

