

WIND EX

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IBM22.CS356

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Labs

DDVH

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Genetic algorithm

adaptive heuristic search technique inspired
of natural selection

1) Initialization:

Define parameters such as pop size
no of generation and mutation
rate

2) Fitness evaluation eg $f(x) = x^2$

3) Selection of Individuals on their fitness score . fitter individual have higher chance

4) crossover → to produce offspring

⑤ Mutation (eg 0.1) → Introduce random changes to offspring and mutation.

⑥ Iteration: repeat evaluation

⑦ Termination: end process

26/9/24

3/10/24

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PSO particle swarm optimization



{ Population
Based
stochastic
Algo }

{ * application
inspired by
social behavior of
bird flocking or
fish schooling }

- random population
- fitness value
- update population

- robotics
- finance
- image processing
- telecommunication

def PSO(np, nD, IT)

 Initialize particles with random position and velocity

 set PB-pos = position

 set PB-Score = fitness of each particle

 set GB-pos = best PB-pos

 set GB-Score = best PB-Score

{ for each t from 1 to IT

 for each p from 1 to NP:

 calculate fitness

 if fitness PB-Score [p] then

 update PB-score [p] and PB-pos [p]

 update GB-pos and GB-Score if necessary

 for each p from 1 to np

 update

return GB-pos, GBscore.

~~Applications~~

Implement A genetic Algorithm to MAXimize
 A fn ($f(x) = x^2$)

```
import numpy as np
def objective_fn(x)
    return (x**2)
```

population_size = 100

mutation_size = 0.01

crossover_rate = 0.7

num_generation = 50

x_min = -10

x_max = 10

def initialize(size)

return np.random.uniform(x_min, x_max, size)

def evaluate(population)

return objective_fn(population)

def select(population, fitness)

selected_indices = np.random.choice(len(population),

size=2, replace=False)

return population[selected_indices]

np.array(fitness)[selected_indices]

def crossover (parent, parent2):
 if np.random.rand() < crossover_rate:
 return (parent + parent2)/2
 return parent

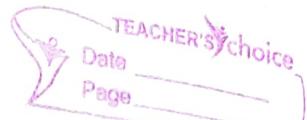
def mutate (individual):
 if np.random.rand() < mutation_rate:
 return Individual + np.random.uniform (-1, 1)
 return Individual

def genetic_algorithm():
 population = initialize (population_size)
 best_soln = None
 best_fitness = -np.inf
 return best_fitness, best_soln

Best x
o/p = 9.96203495
Best value. 9.92534684

~~2/10/24~~

Lab-4



particle Swarm Algorithm

Initialize particles

Evaluate fitness of each particle

modify velocities base on pB and
global best sol

Next
Iteration

terminate criteria

stop
personal influence

$$v_{i+1} = w v_i + C_1 \cdot \text{rand}() \cdot (pB - x_i) \\ + C_2 \cdot \text{rand}() \cdot (gB - x_i)$$

↳ global inputs

$$x_{i+1} = x_i + v_{i+1}$$

import numpy as np
import matplotlib.pyplot as plt

def objective_fn(x):
 return np.sum(x**2 + x)

Initialize parameters

np, np, n_I, c1, c2 = 30, 2, 20, 0.5

Initialize global value

global_best_position = personal_best_position
(personal-best)

global_best_value = np.min (-value)
personal-best-val

plt.figure(figsize=(10,8))

plt.xlim(-10,10)

plt.ylim(-10,10)

plt.xlabel("x axis")

plt.ylabel("y axis")

plt.title("PSO")

for i in range (num_particles)

$$r1r2 = np.random.rand(2)$$

inertia = inertia_weight * particles_velocity[i]

cognitive = $c1 * r1 * (\text{personal_best_pos}[i] - \text{particle_pos}[i])$

social = $c2 * r2 * (\text{gbp} - \text{pp}[i])$

particles_velocity[i] = inertia + cognitive
+ social

$\text{pp}[i] += \text{particles_velocity}[i]$

II Evaluate fitness

fitness = objective_fn(particles_position[i])

if fitness < personal_best_value[i]:

personal_best_value[i] = fitness

personal_best_position[i] = particles_position[i]

if fitness < global_best_value:

global_best_value = fitness

global_best_position = particles_pos[i]

plt.show()

print(global_best_position)
or
print(global_best_value)

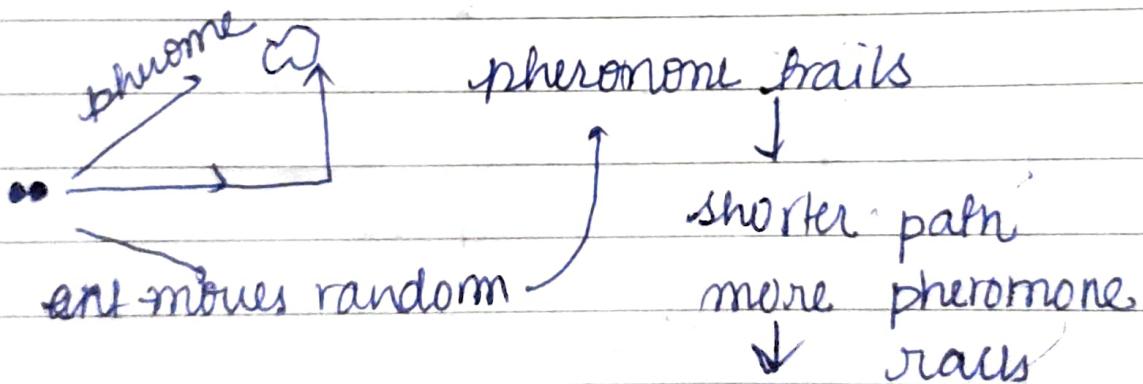
NP-hard

The whole concept of ant colony optimization is to minimize the path and power consumption

2)

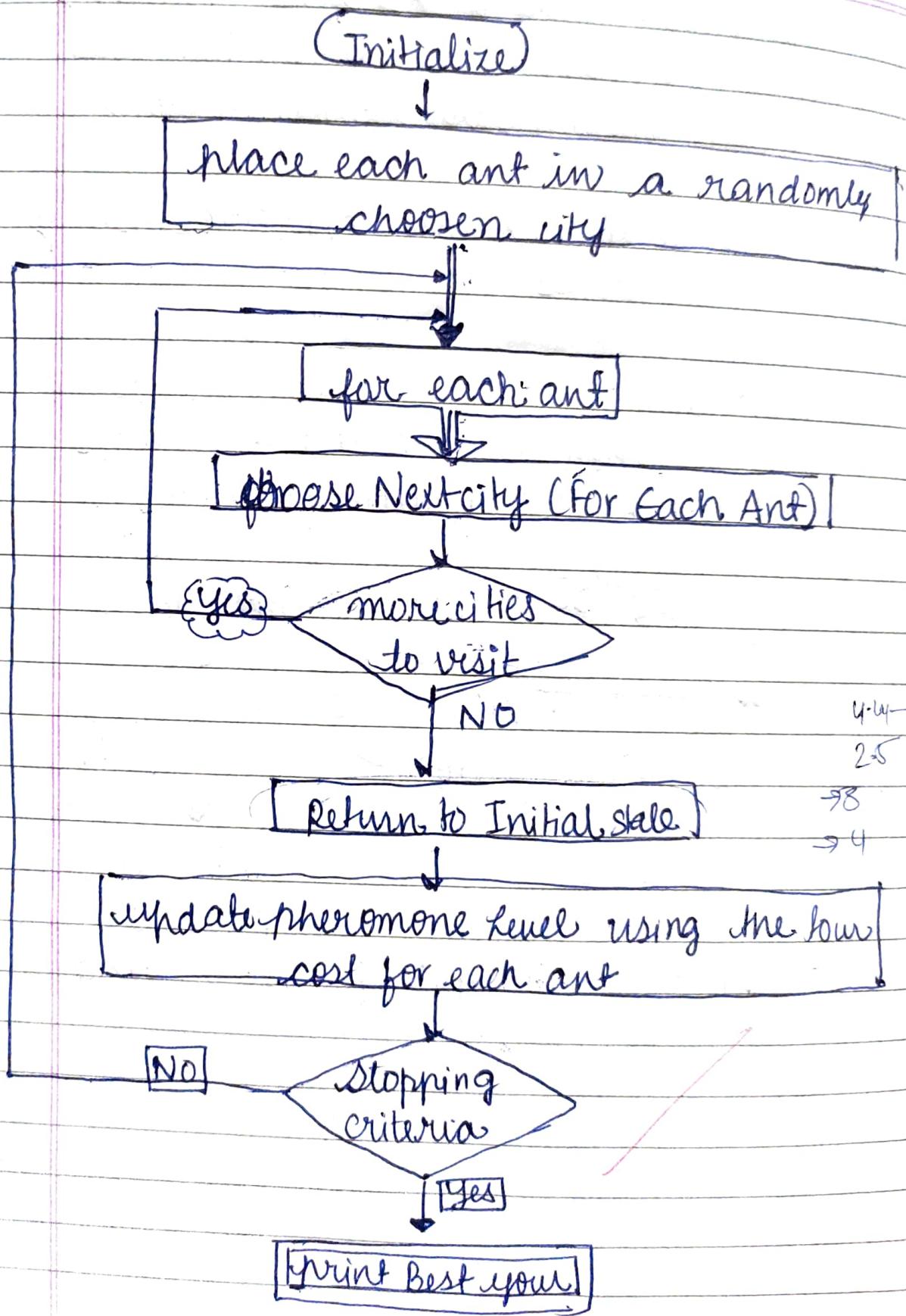
Less dependence on preexisting networks

ACO studies Artificial system and take Inspiration from real ant colonies
 → discrete optimization problems



Ant follow Intense pheromone trails

Autocatalytic & feedback algo



import numpy as np

import random

import matplotlib.pyplot as plt

cities = np.array([[0,0], [1,3], [4,3], [6,1], [3,0]])

num_ants, num_iteration = 5, 100

alpha, beta, rho, initial_pheromone = 1.0, 2.0, 0.1, 0.0

def choose_next_city (current_city, visited):

probs = [(pheromones[current_city][j] * alpha) / (1 / distance[current_city][j] * beta)]

~~+ (alpha)~~

Algorithm:

best_route, best_distance = None, float('inf')

routes, distance = [], []

for _ in range (num_iteration):

routes, distance_list = [], []

for _ in range (num_ants):

route = [random.randint(0, num_cities - 1)]

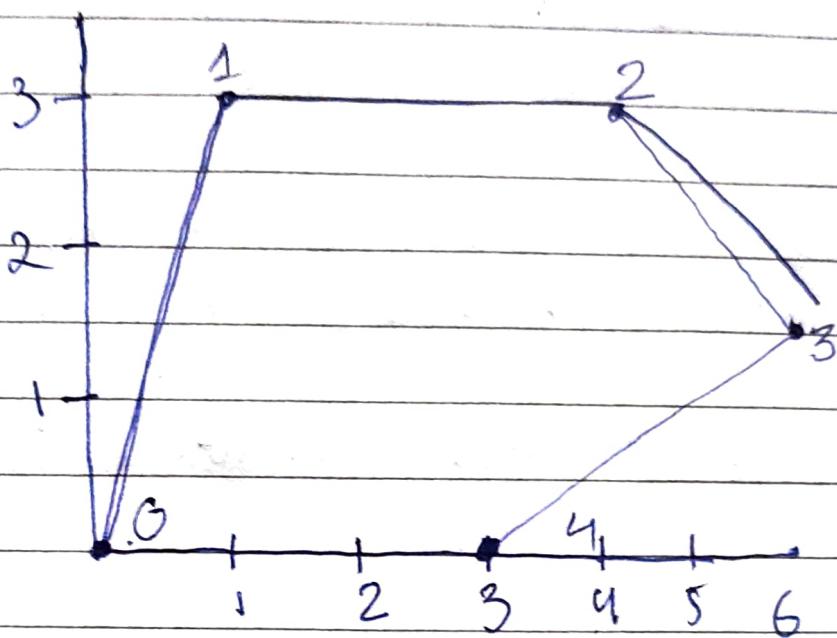
while len(route) < num_cities (0, num_cities - 1):

d = sum [distance[route[i]]]

route[i+1]]

routes.append(route)
distance_list.append(distance)

- # update pheromones
- H plotting.



Best route ACO : 15+15 ~~on~~ units

Score
14.11

update

$$\text{pheromones}^* = (1 - \eta_0)$$

for route, dist in zip(routes, distance_list):

for i in range(num_cities):

$$\text{pheromones}[\text{route}[i]] [\text{route}[i+1]] \\ = 1 / \text{dist}$$

plotting

plt.scatter(cities[:, 0], cities[:, 1], color='red')

for p, (x, y) in enumerate(cities):

plt.text(x, y, f'{i}', fontsize=12, ha='right')

for i in range(num_cities):

plt.plot([cities[best_route[i]][0], cities[best_route[i+1]][0]

, cities[best_route[i+1]][0]]

plt.show()

cuckoo search:

- import numpy as np
from scipy.special import gamma,
import random

// Rastrigin function

- def Rastrigin(x)

$$A=10$$

return $(A * \ln(n) + \sum_{i=1}^n (x_i^2 - A \cos(2\pi x_i))$
for (x_i) in x)

$$\text{f}(x) = A \cdot n + \sum_{i=1}^n (x_i^2 - A \cdot \cos(2\pi x_i))$$

// create random sol

- def initialize_nest (num_nests, dim, lb, ub)
nests = np.random.uniform(lb, ub, num_nests)

returns nest

- def levy_flight (x, alpha=1.5, beta=10, delta=0.1)
 $\Sigma = (\gamma(1+\alpha) \cdot \frac{\sin(\alpha \cdot \pi)}{\alpha \cdot \pi})^{1/\alpha}$
 $\gamma((1+\alpha)/2) \cdot \alpha^{\alpha/2} \cdot ((\alpha+2)^{-(\alpha+2)})$
 $\cdot \alpha^{1/\alpha}$

$$u = np.random.normal(0, 1, len(x))$$

$$v = np.random.uniform(0, \Sigma, len(x))$$

$$\text{step} = u / \text{np.abs}(v)^{1/\alpha} (1/\alpha)$$

$$\text{newposition} = z + \text{delta} * \text{step}$$

return new position

```
def cuckoo_search (ob_fn, num_nests, num_iters,
                   alpha=0.25, dim, lb, ub) alpha=0.25
```

```
// nest = initialize_nest (num_nest, dim, lb, ub)
```

```
// fitness = np array (objective_fn (nest) for nest in nests)
```

best_nest_idx = np.argmax (fitness) ;

best_nest = nest [best_nest_idx] ;

best_fitness = fitness [best_nest_idx] ;

for iteration in range (num_iters):

 for i in range (num_nest):

 n_n = levy_fights (nest[i], alpha=alpha)

 n_n = np.clip (n_n, lb, ub)

 n_f = objective_fn (newnest)

 if new_fitness < fitness [i]:

 nest [i] = n_n

 fitness [i] = n_f

worst_nest_indices = np.argsort(fitness[-int
pa * num_test]:)

for idn in worst_nest_indices

nest[idn] = np.random.uniform(lb, ub, plm)

fitness[idn] = objective_fn(nest[idn])

current_best_idx = np.argmin(fitness)

current_best_fitness = fitness[current_best_idx]

if current_best_fitness < best_fitness:

best_fitness = current_best_fitness

best_nest = nests[current_best_idx]

printf("Iteration: %d / sum-iteration
%d",

"best fitness:": best_fitness)

return best_nest, best_fitness



num_nest = 25

num_iteration = 100

dim = 2

lb = -5.12

ub = +5.12

pa = 0.25

alpha: 65

bestsol, best_val = cuckoo-search (rastnrm,
num_nest, num_iteration,

dim, lowerbound

upperbound, pa, alpha)

- ✓ print(best solution)
- ✓ print (best value)

Output

• [-0.00047078, 0.00177189]

[0.000666831225405073]

$$T(z) = \int_0^\infty t^{z-1} e^{-t} dt$$

$$\sigma = \left(\frac{T(1+\alpha) \cdot \sin(\pi\alpha/2)}{\Gamma(\frac{1+\alpha}{2}) \cdot \alpha \cdot 2^{\alpha-1}} \right)^{1/\alpha}$$

$u \rightarrow$ random variable from ND $\bar{x}=0$ to σ

$v \rightarrow$

0 to 1

$$\text{Step} = \frac{u}{|v|^1/\alpha}$$

$$\text{new_pos} = x + \delta \times \text{step}$$

Good
21.11

28/11

Grey wolf Algorithm:

Algorithm : Grey wolf optimization

① set the initial value of population size

n , parameter α , coefficient vector A ,

C and the max no of iteration MaxItn

② set $t = 0$ {counter Initialization}

③ for ($i = 1$; $i \leq n$) do

④ → Generate an initial population $x_{il}(t)$
randomly

⑤ → Evaluate the fitness fn of each

search agent (sol.) $f(x_i)$

⑥ → end for

⑦assing the value of 1st, 2nd 3rd best
sol as x_a , x_b and x_c respectively

⑧ repeat

for ($i = 1$; $i \leq n$) do

update each search agent in population
as shown in eqn 12

Decrease the parameter α from 2 to 0.6

update the coeffice. A and C shown on

evaluate fitness fn for Eqn

search agent

15) update x_A x_B x_Y

16) set $t = t + 1$ { If counter increases }

⑬ until ($t < \text{MaxIt}$) { }

⑭ produce the best solution x_A

import numpy as np

def obj_fn(x)
 return np.sum(x**2)

def grey_w_o(obj_fn, dim, n_wolves=5
 max_itr=50, lb=-10, ub+10):

wolves = np.random.uniform(lb, ub, (n_wolves, dim))

alpha = np.inf

beta = np.inf

delta = np.inf

X_a = None

X_b = None

X_s = None

for it in range(max_itr):

fitness = np.array([objective_fn(wolf)
 for wolf in wolves])

sorted_index = np.argsort(fitness)

X_a, X_b, X_s = wolves[sorted_index[:3]]

$$a = 2 - \alpha + (2 / \max(\|r\|))$$

new_wolves[]

for j in range (n -wolves):

$$r_1, r_2 = np.random.rand(dim),$$

$$\gamma_2 = np.random.rand(dim),$$

$$A1 = 2^\alpha a^\alpha r_1 - a$$

$$C1 = 2^\alpha \gamma_2$$

$$D_alpha = abs(C1 + \alpha - wolves[i])$$

$$X1 = \alpha - A1 * D_alpha$$

$$r_1, r_2 = np.random.rand(dim),$$

$$\gamma_2 = np.random.rand(dim)$$

$$A2, C2 = 2^\alpha a^\alpha r_1 - a, 2^\alpha \gamma_2$$

$$D_beta = abs(C2 + \beta - wolves[j])$$

$$X2 = \beta - A2 * D_beta$$

$$r_1, r_2 = np.random.rand(dim)$$

$$\gamma_2 = np.random.rand(dim)$$

$$A3, C3 = 2^\alpha a^\alpha r_1 - a, 2^\alpha \gamma_2$$

$$D_delta = abs(C3 + \delta - wolves[i])$$

$$X3 = \delta - A3 * D_delta$$

$$new_wolf = (x1 + x2 + x3) / 3$$

new_wolves.append(np.array(new_wolf))

print('best sol', best sol)
 print('best Value:', best val)

{ hunting:

→ During hunting, the grey wolves encircle prey

$$D = |C - x_p(t) - A \cdot x(t)|$$

$$x(t+1) = x_p(t) - A \cdot D$$

coeff vector

$$\left\{ \begin{array}{l} A = 2\alpha \cdot r_1 \cdot a \\ C = 2 \cdot r_2 \end{array} \right\}$$

component linearly decreased

$$\Rightarrow D_x = |C_1 \cdot x_d - x|$$

$$D_B = |C_2 \cdot x_B - x|,$$

$$D_S = |C_3 \cdot x_S - x|$$

$$x_1 = x_d - A_1 \cdot (D_x)$$

$$x_2 = x_B - A_2 \cdot (D_B)$$

$$x_3 = x_S - A_3 \cdot (D_S)$$

$$x(t+1) = x_1 + x_2 + x_3$$

3 2 1

20
15

Best sol : [0.20051618

-0.15838312

-0.23782372

-0.06212103

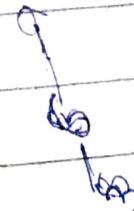
0.20312013

Best value : 0.16696254

✓ Set m.!!

1)

2) ✓



Lab 8

(parallel cellular automation-based algorithm for optimal robot route planning grid-based environment, ensuring collision free navigation while minimizing travel distance and computational time)

```
import random
```

```
import numpy as np
```

```
def initialize_grid(N, M):
```

```
    np.random.choice([0, 1], size=(N, M))
```

```
def count_live_neighbours(grid, i, j, N, M):
```

```
    return sum(
```

```
        grid[ni, nj] for ni in range(i-1, i+2)
```

```
        for nj in range(ni != i or nj != j)
```

```
def update_cell(grid, new_grid, i, j, N, M):
```

```
    live_neighbours = count_live_neighbours
```

```
(grid, i, j, N, M)
```

```
    if grid[i, j] == 1:
```

```
        new_grid[i, j] = 1 if live_neighbours
```

```
else:
```

else:

$\text{new_grid}[i][j] = 1$ if live_neighbours ($\text{grid}[i][j]$)

```
def printgrid(grid)
    for row in grid:
        print(''.join(map(str, row)))
    print()
```

```
def parallel_game(N, M, steps)
    grid = initialize_grid(N, M)
    for _ in range(steps):
        printgrid()
        for j in range(N):
            grid = new_grid
    print_grid(grid)
```

$N, M = 5, 5$

steps = 5

final grid = 5

= parallel_game(N, M, steps)

Output

00000

01000

00011

01011

11001

00000

00000

00011

11000

11101

00000

00000

00000

10001

10100

00000

00000

00000

00000

Lab 9 :- BiSLab :-

```
import random

# Def knapsack problem (objective fn)
def knapsack_problem (items, capacity, solution):
    total_weight = sum([items[i][0] for i in range(len(solution)) if solution[i]==1])
    total_value = sum([items[i][1] for i in range(len(solution)) if solution[i]==1])

    # If total weight exceeds the capacity return
    if total_weight > capacity:
        return 0
    return total_value
```

```
# Gene expression algorithm (GEA)
clf_init - (self.population_size, num_items, mutation_rate, crossover_rate, generation, capacity)
```

self.population_size = population size

self.num_items = num-items

self.mutation_rate = mutation-rate

self.crossover_rate = crossover-rate

self.capacity_rate = capacity

self.population = []

Initialize population with random sol (binary representation)

def initialize_population(self):

 self.population = [[random.randint(0,1) for _ in range(self.population_size)]

Evaluate fitness of population

def evaluate_fitness(self):

 return [knapsack_fitness(self.items,
 self.capacity, individual) for
 individual in self.population]

Select individuals based on fitness (roulette wheel selection)

def selection(self):

 fitness_values = self.evaluate_fitness()

 total_fitness = 0 # Avoid division by zero

 return random.choices(self.population, k=
 self.population_size)

crossover

```
def crossover(self, parent 1, parent 2):
    if random.random() < self.crossover_rate:
        crossover_point = random.randint(1, self.num_items - 1)
        return individual
```

evolve population over generation

def evolve(self):

self.initialize_population()

best_solution = None

best_fitness = 0

for gm in range(self.generation):

selection

selected = self.selection()

get user Input for geo parameters

def get_user_input

print("Enter population size")

best_solution = geo.evolve()

print(best_solution)

Enter the no of Items : 5

Enter weight and value of each item

Item 1: 10 20

Item 2: 30 40

Item 3: 50 60

Item 4: 90 100

Item 5: 70 80

Enter knapsack capacity : 90

population size : 100

mutation rate : 0.2

crossover rate : 0.9

Best solution (items selected): [1, 1, 1, 0, 0]

Best fitness (total value) : 120