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Aim: Perform Multiple Linear Regression using Data Analysis Toolbox of Excel and Interpret the regression table

Multiple linear regression (MLR), also known simply as multiple regression, is a statistical technique that uses several explanatory variables to predict the outcome of a response variable. Multiple regression is an extension of linear (OLS) regression that uses just one explanatory variable

Regression models are used to describe relationships between variables by fitting a line to the observed data. Regression allows you to estimate how a dependent variable changes as the independent variable(s) change.

Multiple linear regression is used to estimate the relationship between two or more independent variables and one dependent variable. You can use multiple linear regression when you want to know:

### Formula and Calculation of Multiple Linear Regression

$$y_i = \beta_0 + \beta_1 x_{i1} + \beta_2 x_{i2} + \dots + \beta_p x_{ip} + \epsilon$$

**where, for  $i = n$  observations:**

$y_i$  = dependent variable

$x_i$  = explanatory variables

$\beta_0$  = y-intercept (constant term)

$\beta_p$  = slope coefficients for each explanatory variable

$\epsilon$  = the model's error term (also known as the residuals)

1. How strong the relationship is between two or more independent variables and one dependent variable (e.g. how rainfall, temperature, and amount of fertilizer added affect crop growth).
2. The value of the dependent variable at a certain value of the independent variables (e.g. the expected yield of a crop at certain levels of rainfall, temperature, and fertilizer addition)

## Steps:

1. Launch Excel. To begin your multivariate analysis in Excel, launch the Microsoft Excel. ...
2. Click on options. On the left side of the dialog box is a list with options. ...
3. Check the box. ...
4. Performing the Regression. ...
5. Data tab. ...
6. Regression. ...
7. Dependent Variable. ...
8. Independent Variable.

When should we use multiple linear regressions?

Multiple linear regressions is used to estimate the relationship between two or more independent variables and one dependent variable.

## Input:-

Pregnancies	Glucose	BloodPressure	SkinThickness	Insulin	BMI	DiabetesPedigreeFunction	Age	Outcome
6	148	72	35	0	33.6	0.627	50	1
1	85	66	29	0	26.6	0.351	31	0
8	183	64	0	0	23.3	0.672	32	1
1	89	66	23	94	28.1	0.167	21	0
0	137	40	35	168	43.1	2.288	33	1
5	116	74	0	0	25.6	0.201	30	0
3	78	50	32	88	31	0.248	26	1
10	115	0	0	0	35.3	0.134	29	0
2	197	70	45	543	30.5	0.158	53	1
8	125	96	0	0	0	0.232	54	1
4	110	92	0	0	37.6	0.191	30	0
10	168	74	0	0	38	0.537	34	1
10	139	80	0	0	27.1	1.441	57	0
1	189	60	23	846	30.1	0.398	59	1
5	166	72	19	175	25.8	0.587	51	1
7	100	0	0	0	30	0.484	32	1
0	118	84	47	230	45.8	0.551	31	1
7	107	74	0	0	29.6	0.254	31	1
1	103	30	38	83	43.3	0.183	33	0
1	115	70	30	96	34.6	0.529	32	1

3	126	88	41	235	39.3	0.704	27	0
8	99	84	0	0	35.4	0.388	50	0
7	196	90	0	0	39.8	0.451	41	1
9	119	80	35	0	29	0.263	29	1
11	143	94	33	146	36.6	0.254	51	1
10	125	70	26	115	31.1	0.205	41	1
7	147	76	0	0	39.4	0.257	43	1
1	97	66	15	140	23.2	0.487	22	0
13	145	82	19	110	22.2	0.245	57	0

### Tool:-

Linear Regression

Input Y Range: B1:B30

Input X Range: C1:C30

☒ Labels
☐ Constant is Zero
☒ Confidence Level: 95 %

Output Range: B60

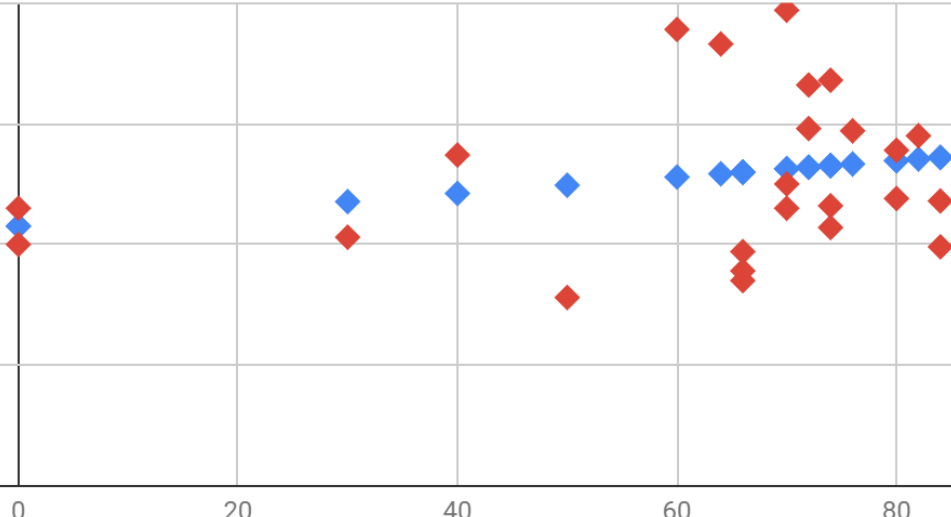
☒ Residuals
☒ Residual Plots
☐ Standardized Residuals
☒ Line Fit Plots
☒ Normal Probability Plots

OK

### Result(Output) :-

SUMMARY OUTPUT								
<i>Regression Statistics</i>								
Multiple R	0.2433882635							
R Square	0.05923784683							
Adjusted R Square	0.02439480412							
Standard Error	32.86499492							
Observations	29							
<i>ANOVA</i>								
	<i>df</i>	<i>SS</i>	<i>MS</i>	<i>F</i>	<i>Significance F</i>			
Regression	1	1836.328313	1836.328313	1.700134151	0.2032782116			
Residual	27	29162.91307	1080.107891					
Total	28	30999.24138						
	<i>Coefficients</i>	<i>Standard Error</i>	<i>t Stat</i>	<i>P-value</i>	<i>Lower 95%</i>	<i>Upper 95%</i>	<i>Lower 95%</i>	<i>Upper 95%</i>
Intercept	107.5894041	18.61310279	5.78030462	0.0000037818086	69.3984722	145.780336	69.3984722	145.780336
BloodPressure	0.3385474957	0.2596438319	1.303891925	0.203278209	-0.1941976359	0.8712926273	-0.1941976359	0.8712926273

RESIDUAL OUTPUT			PROBABILITY OUTPUT	
<i>Observation</i>	<i>Predicted Glucose</i>	<i>Residuals</i>	<i>Percentile</i>	<i>Glucose</i>
1	131.9648238	16.03517623	1.724137931	78
2	129.9335388	-44.9335388	5.172413793	85
3	129.2564438	53.74355619	8.620689655	89
4	129.9335388	-40.9335388	12.06896552	97
5	121.1313039	15.86869609	15.51724138	99
6	132.6419188	-16.64191877	18.96551724	100
7	124.5167789	-46.51677887	22.4137931	103
8	107.5894041	7.410595912	25.86206897	107
9	131.2877288	65.71227122	29.31034483	110
10	140.0899637	-15.08996367	32.75862069	115
11	138.7357737	-28.73577369	36.20689655	115
12	132.6419188	35.35808123	39.65517241	116
13	134.6732037	4.32679626	43.10344828	118
14	127.9022538	61.09774617	46.55172414	119
15	131.9648238	34.03517623	50	125
16	107.5894041	-7.589404088	53.44827586	125
17	136.0273937	-18.02739372	56.89655172	126
18	132.6419188	-25.64191877	60.34482759	137
19	117.745829	-14.74582896	63.79310345	139
20	131.2877288	-16.28772878	67.24137931	143
21	137.3815837	-11.3815837	70.68965517	145
22	136.0273937	-37.02739372	74.13793103	147
23	138.0586787	57.9413213	77.5862069	148
24	134.6732037	-15.67320374	81.03448276	166
25	139.4128687	3.587131321	84.48275862	168
26	131.2877288	-6.287728783	87.93103448	183
27	133.3190138	13.68098624	91.37931034	189
28	129.9335388	-32.9335388	94.82758621	196
29	135.3502987	9.649701269	98.27586207	197



A scatter plot showing the relationship between BloodPressure (X-axis) and Glucose (Y-axis). The X-axis ranges from 0 to 100, and the Y-axis ranges from 0 to 200. Data points are colored red and blue. Red points are generally clustered at higher BloodPressure values (60-100) and higher Glucose values (100-200). Blue points are more spread out, with some at low BloodPressure (30-40) and high Glucose (200), and others at higher BloodPressure (60-100) and lower Glucose (100-150).

BloodPressure	Glucose	Color
0	100	Red
0	110	Red
0	105	Blue
30	100	Red
30	115	Blue
40	120	Blue
40	135	Red
40	210	Blue
45	210	Red
50	75	Red
50	120	Blue
60	125	Blue
60	190	Red
65	125	Blue
65	180	Red
65	130	Blue
65	85	Red
65	90	Red
65	100	Red
70	110	Red
70	120	Blue
70	130	Blue
70	145	Red
70	165	Red
70	195	Red
72	105	Red
72	115	Red
72	130	Blue
72	165	Red
75	105	Red
75	115	Blue
75	130	Blue
75	145	Red
75	165	Red
80	115	Red
80	135	Blue
80	140	Red
82	115	Red
82	135	Blue
82	145	Red
85	95	Red
85	135	Blue
88	120	Red
88	135	Blue
90	105	Red
90	135	Blue
90	195	Red
92	135	Blue
95	110	Red
95	135	Blue
95	140	Red
98	125	Red
98	135	Blue

Normal Probability Plot

