

1. Explain the purpose of communication system.

- To transfer the information from source to destination
- These systems are widely used in variety of applications
  - Ex: telecommunication etc.
- To co-ordinate the activities
- To build the relationship b/n source and destination.
- It can be used to control machines and devices remotely.
- This allows us to stay connected with others.
- To provide early warning of disasters.
- To promote education.
- To support scientific research.

2. Describe the need for modulation in communication system.

- To increase the range of transmission.  
Low frequency signal, such as audio signals cannot travel very far so modulation allows to shift signal to higher frequency.
- To reduce the height of Antennae.
- Avoiding mixing of signals by using carrier signal.
- Multiplexing.  
Passing of more than one signal in one channel it allows to achieve adjustment in Bandwidth.
- Noise will be reduced.
- To enable wireless communication.  
Wireless communication is only because of modulation. Modulation allows us to transmit signals through air.

3. Identify a suitable analog modulation technique to transmit an audio signal for long distance requiring minimum bandwidth, and explain with appropriate expressions and block diagram.

- The most suitable technique to transmit an audio signal for long distance is SSB AM.
- Single SSB AM is a type of AM in which only one type side band of modulator signal is transmitted.
- This reduces the BW of transmitted signal usage by half.
- SSB is more efficient in terms of power usage.

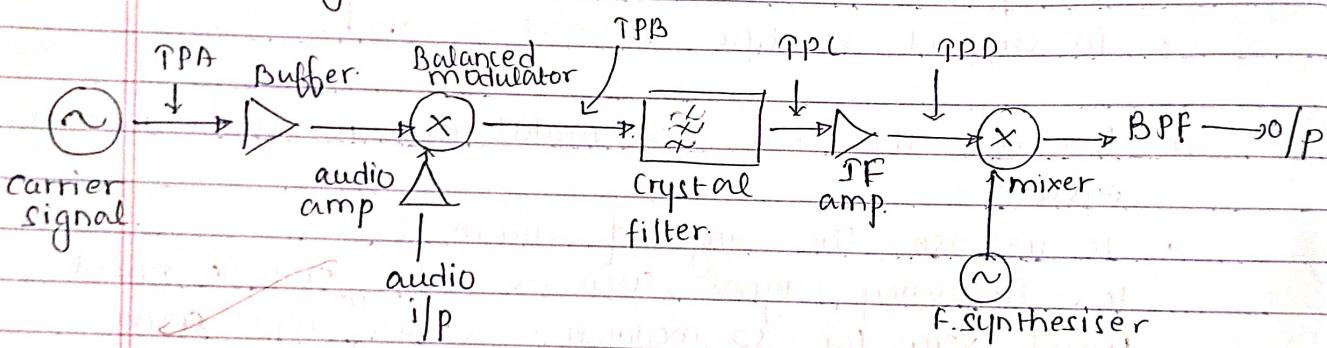
### Expressions

BW of SSB AM is given by

$$BW = 2F_m$$

$F_m$  - max frequency

### Block diagram.



### Advantages of SSB AM

- high BW efficiency / reducing the bandwidth.
- high power efficiency.
- long-distance transmission.

### disadvantage

complex to implement

Requires coherent receiver

6.

Given

$$A_c = 100 \text{ V}$$

$$R_C = 50 \Omega$$

$$\mu = 0.8$$

i) it is a narrow Band signal

$$P_C = \frac{A_c^2}{2 R_C}$$

$$P_C = 100 \text{ W}$$

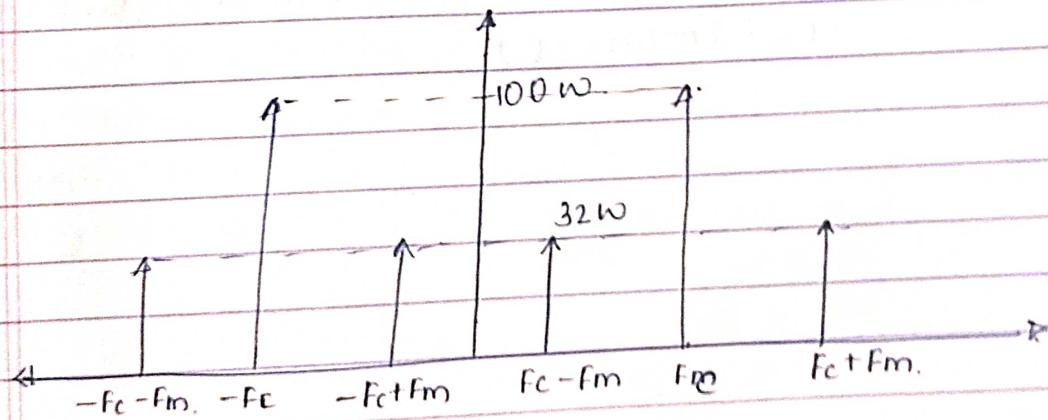
ii)  $P_{SB} = P_{CS} + P_{US}$

$$P_{CS} = P_{US} = \frac{A_c^2 \mu^2}{8 R_C}$$
$$= 16 \text{ W}$$

~~$$P_{SB} = 16 + 16 = 32 \text{ W}$$~~

~~$$iii) P_T = 100 + 32 = 132 \text{ W}$$~~

iv. Power spectrum



AM variants

for DSBSC signals

~~$$P_T = 132 \text{ W} = P_C + P_U + P_{US}$$~~

for DSBSC

~~$$P_T = 32 \text{ W}$$~~

SSB

~~$$P_T = 16 \text{ W}$$~~

For VSB

$$P_T = P_C + P_{UB}$$

$$(16 + P_{UB}) \text{ W}$$

By observing power of all AM variants we conclude that SSB AM uses less power  
 $P_{UB} = 16 \text{ W}$ .

11) A carrier signal  $v_c(t) = 5 \sin(2\pi \times 10^6 t)$  is amplitude modulated by a modulating sinusoidal signal and  $v_m(t) = \sin(4\pi \times 10^3 t)$ . Determine the amp of F of the CS and the modulating signal. Also write expression for the resulting AM signal.

$$v_c(t) = 5 \sin((2\pi \times 10^6)t)$$

$$v_m(t) = \sin(4\pi \times 10^3 t)$$

$$f_c = 10^6 \text{ Hz} = 10^6 \text{ Hz}$$

$$f_m = 20^3 \text{ Hz} = 20^3 \text{ Hz}$$

$$\frac{A_m}{A_c} = 0.2 \quad M = \frac{A_m}{A_c} = 0.2$$

$$A_c = 5 \text{ V} \quad A_c = 5 \text{ V}$$

$$A_m = 1 \text{ V} \quad A_m = 1 \text{ V}$$

$$s(t) = 5 \sin(2\pi(10^6)t) + \frac{5 \times 0.2}{2} 10 \sin(2\pi(10^3)t)$$

$$+ \frac{5 \times 0.2}{2} \cos(2\pi(312)t)$$

$$= 5 \sin(2\pi(10^6)t) + 0.5 \cos(2\pi(10^3)t) - 0.5 \cos(2\pi(312)t)$$

12.

Given

~~$P_T = 10 \text{ kW}$~~

~~$M = 0.8$~~

$$P_C = P_{CS} = P_{VS} = \frac{A_c^2 M^2}{8 R_C}$$

$$P_T = P_C \left( 1 + \frac{M^2}{2} \right)$$

$$10 = P_C \left( 1 + \frac{(0.8)^2}{2} \right)$$

$$P_C = 7.5 \text{ kW}$$

So from.

$$P_T = P_C \left( 1 + m^2 \right) / 2$$

$$P_T = \frac{10 \times 10^3}{1 + 0.3^2} / 2$$

$$P_C = 3.5 \text{ kW}$$

$$P_1 = P_{12} = P_{02} = \frac{\mu^2 P_C}{4}$$

$$= \frac{0.5^2}{4} \times 3.5 \times 10^3$$
$$= 1.25 \text{ kW}$$

$$\eta = \frac{\mu^2}{2 + \mu^2} \times 100$$

~~$$\eta = 24.26\%$$~~

$$P_{SB} = P_{02B} = \frac{P_T - P_C}{2} = 1.21 \text{ kW}$$

$$\text{Transmission eff} = \frac{P_{SB} \times 100}{P_T}$$

$$= \frac{1.21}{10} = 24.26\%$$

20

Given

$$s(t) = a \cos(\omega \pi \times 120t) \cdot \cos(\omega \pi \times 100t)$$

N = 250 samples.

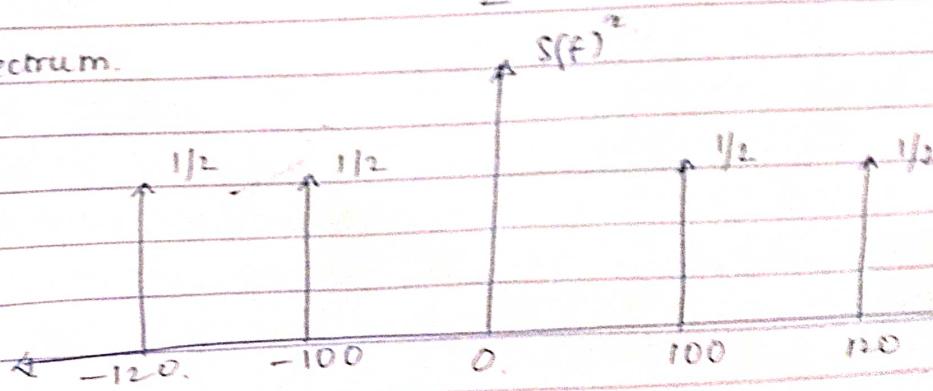
Now,

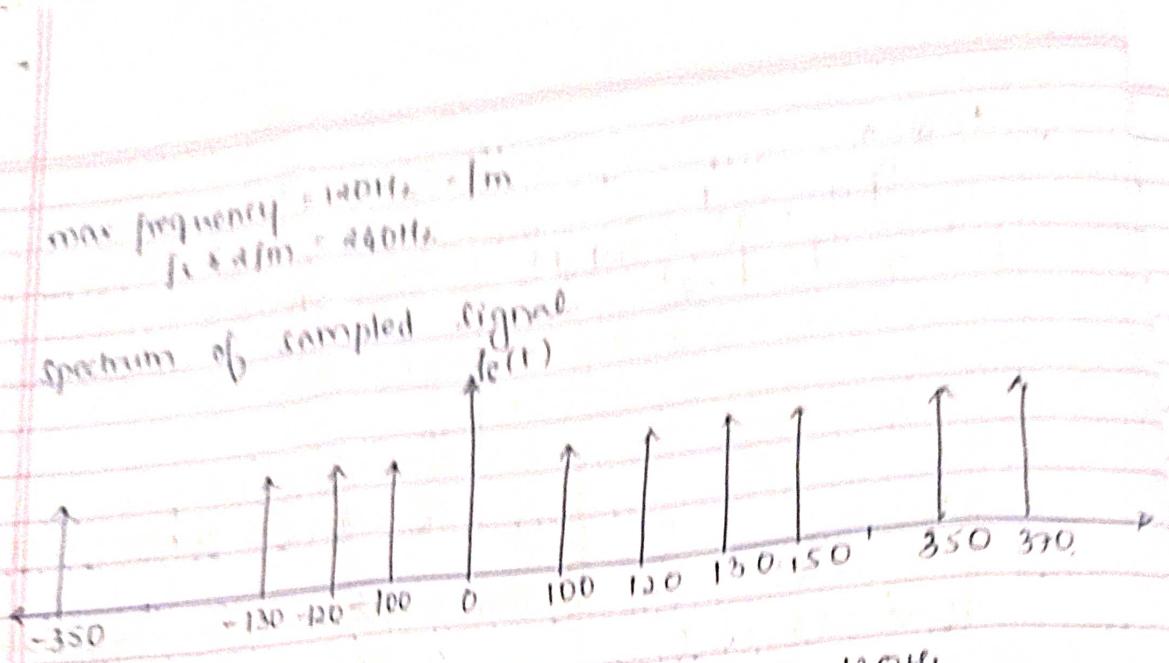
$$s(t) = a \times \frac{1}{2} [\cos(\omega \pi \times 120t) + \cos(\omega \pi \times 100t)]$$

$$= \cos(\omega \pi \times 120t) + \cos(\omega \pi \times 100t)$$

$$S(f) = \frac{1}{2} (\delta(f-120) + \delta(f+120) + \delta(f-100) + \delta(f+100))$$

Spectrum.



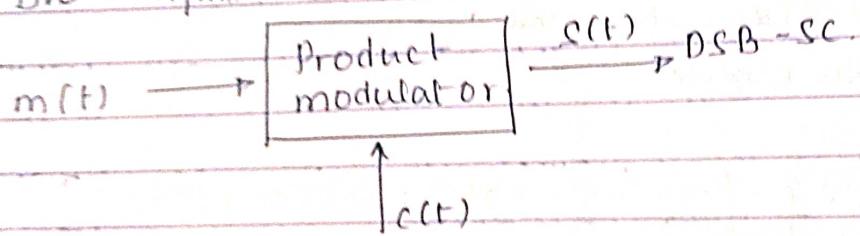


cutoff frequency of reconstruction filter = 120 Hz.

8 Define Double sideband SC wave and illustrate its generation using a balanced modulator.

~~DSBSC → 2 side bands are available.  
 carrier wave is suppressed.~~

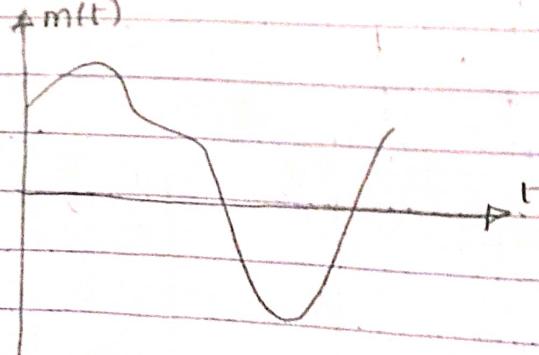
BW =  $2f_m$

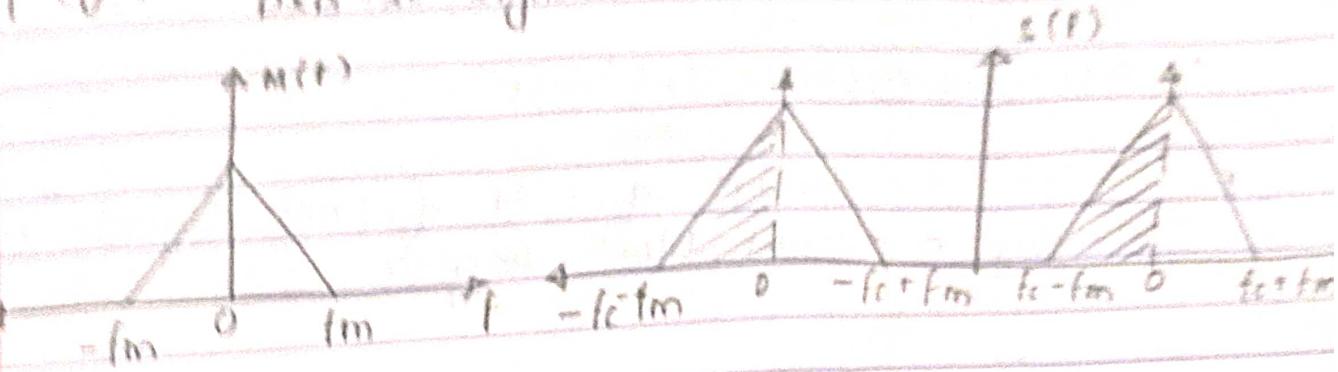
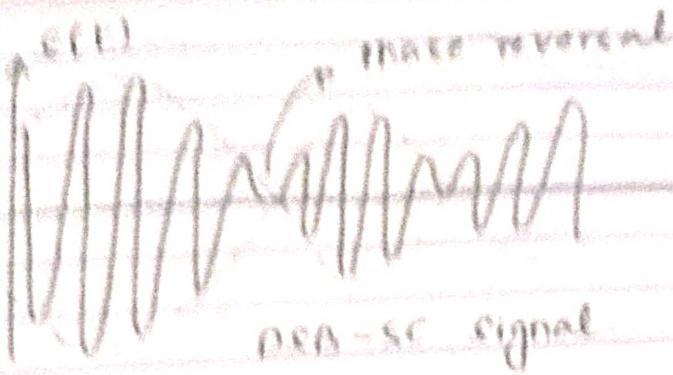


$$s(t) = m(t) c(t)$$

$$m(t) = A_m \cos(2\pi f_m t)$$

$$s(t) = \frac{1}{2} A_c [M(f - f_c) + M(f + f_c)]$$

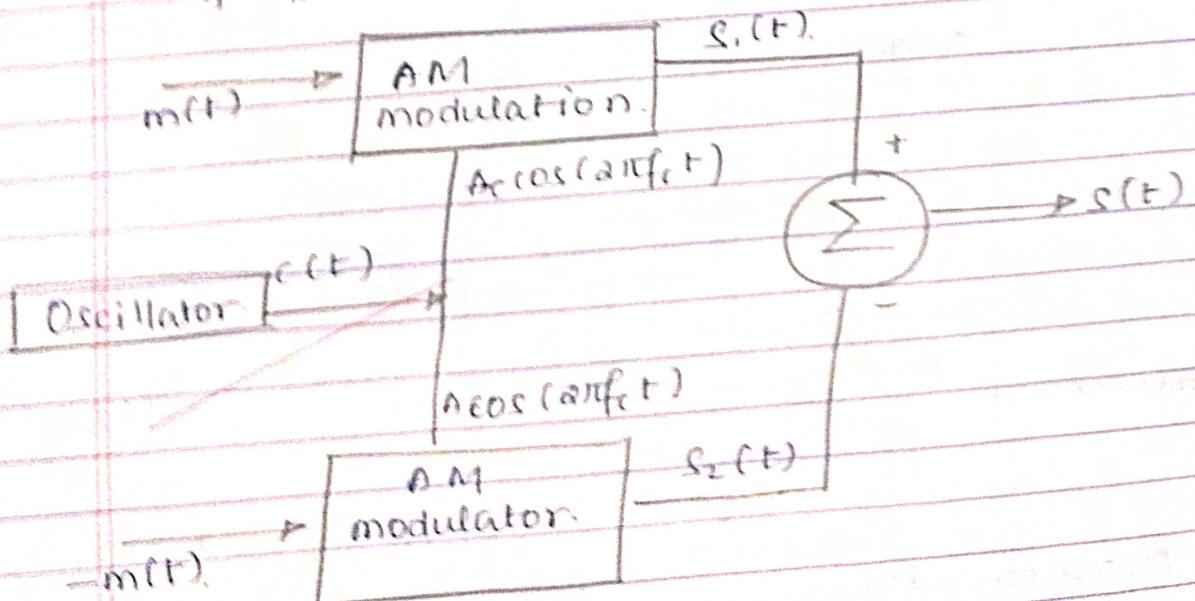




Generation of PAM-SC using Balanced modulator

- Use of a non-linear devices
- non-linear devices - diode, transistor or JFET
- A non-linear can generate carrier wave + side band
- But using a non-linear devices carrier wave is suppressed.
- Balanced modulated circuit is used to suppress the carrier from AM signal.

used in  
Principle of Balanced Modulation.



O/p of modulators can be

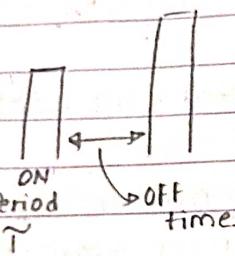
$$s_1(t) = A_c [1 + k_a m(t)] \cos(\omega_f t)$$

$$s_2(t) = A_c [1 - k_a m(t)] \cos(\omega_f t)$$

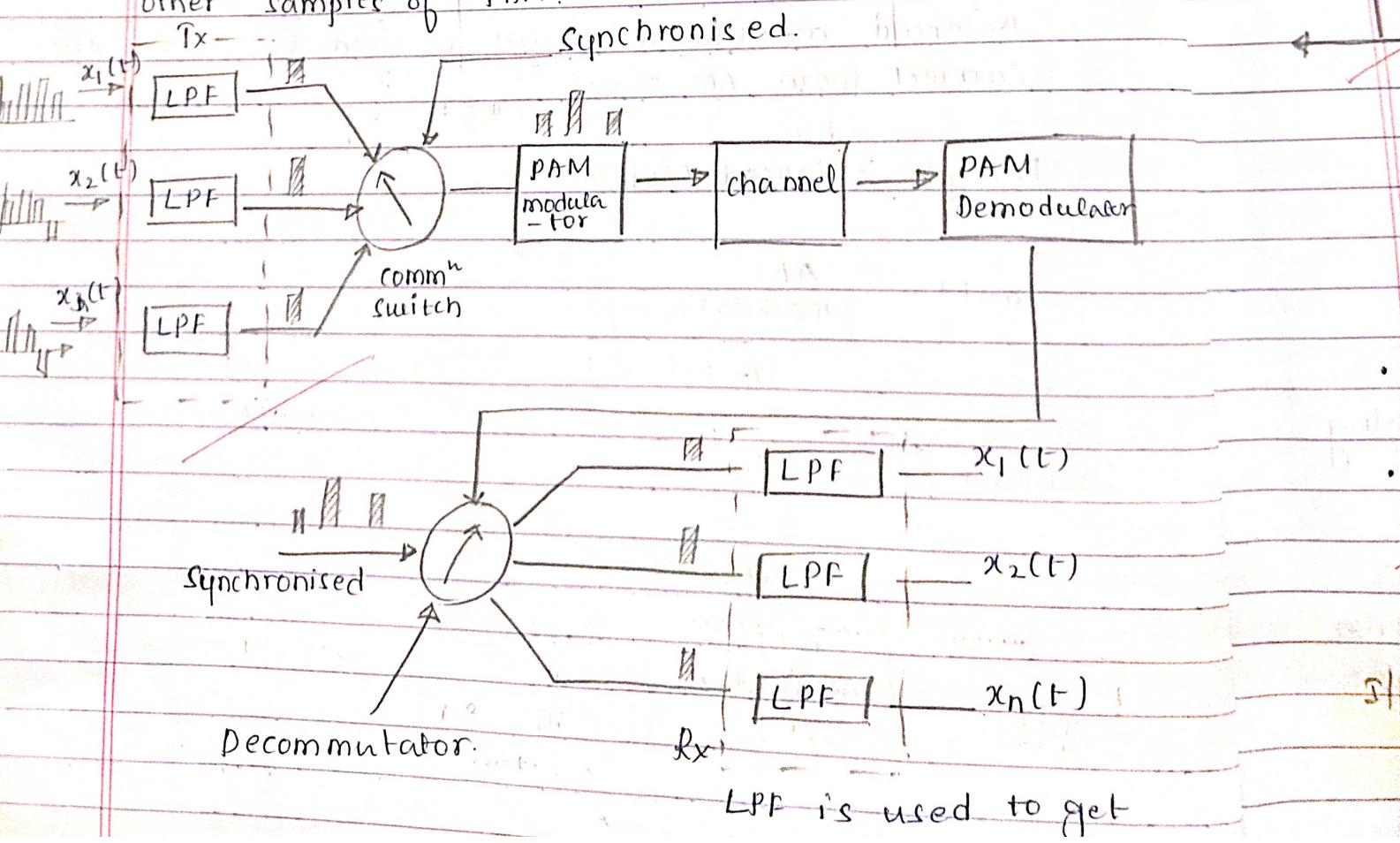
$$s(t) = s_1(t) - s_2(t)$$

$$s(t) = 2k_a A_c \cos(\omega_f t) m(t)$$

- (n) Explain the concept of TDM of PAM signals by drawing a relevant block diagram.



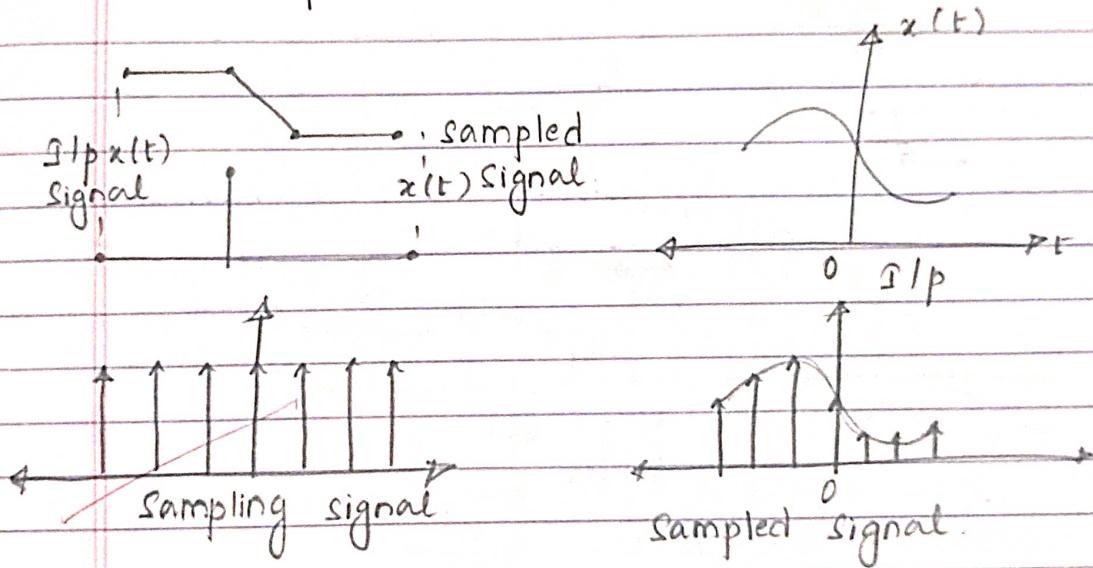
During 'off' time, the channel can be used to transmit other samples of PAM.



## 16. Compare ideal and practical sampling.

### Ideal sampling.

- also known as instantaneous or impulse train sampling
- In this method, the sampling signal is a periodic impulse train
- The area of each impulse in the signal is equal to the instantaneous value of the i/p signal  $x(t)$
- Duration of impulse is zero ( $T_s = 0$ )
- Practically it is not possible

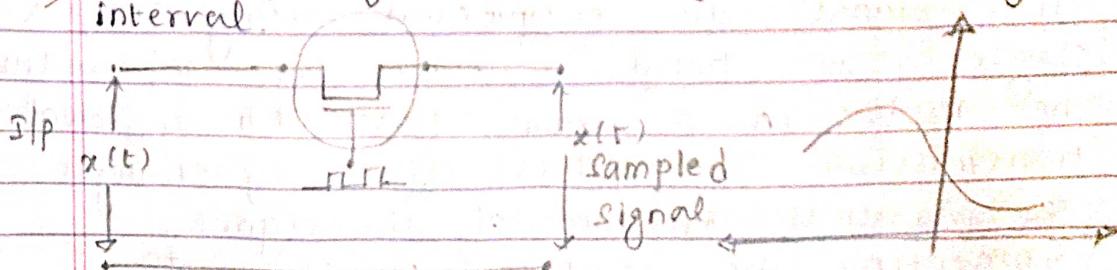


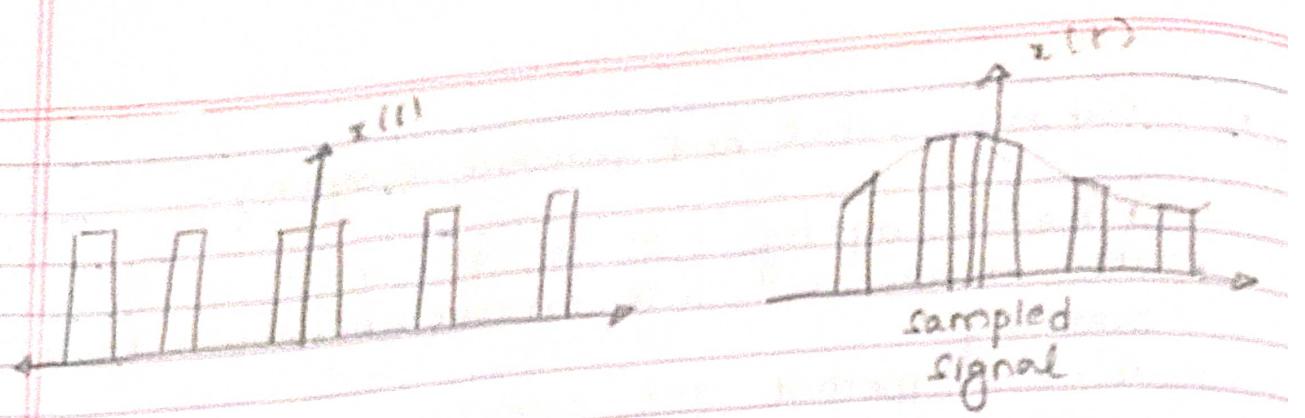
### Practical sampling.

There are 2 types of practical sampling.

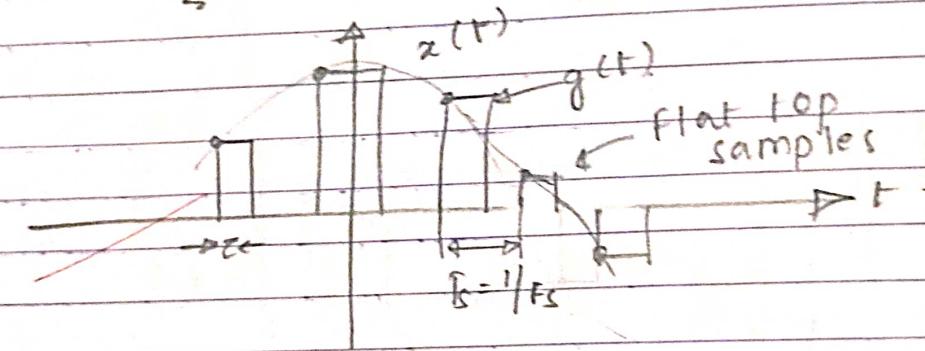
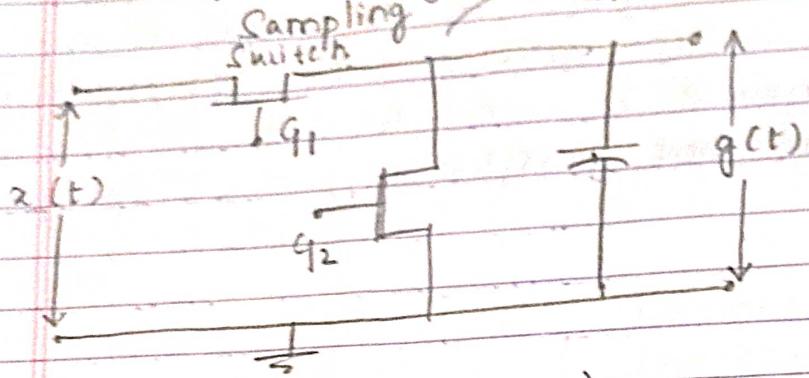
Natural sampling  $\rightarrow$  practical sampling.

- The sampling signal is a pulse train and pulse has a finite width of  $T_s$ .
- the top of each pulse in the sampled signal retains the shape of the input signal  $x(t)$  during pulse interval.



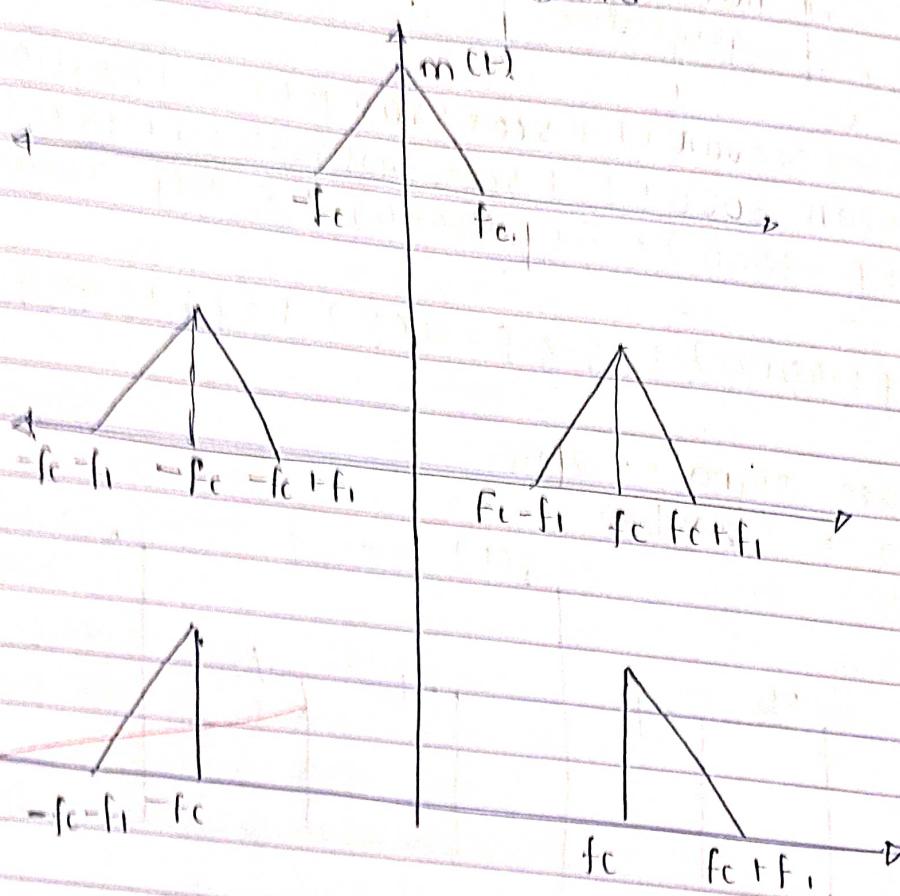
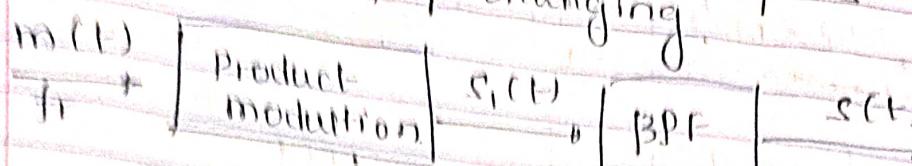


- Flat top sampling



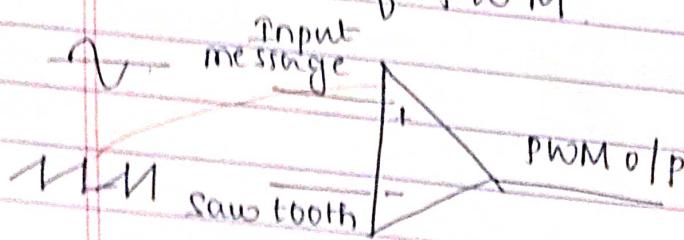
It refers to frequency changing because it involves shifting the entire information containing signal to differentiate frequency range. In SSB modulation one of the side bands and the carrier signal are suppressed leaving only a single side band to carry the information. The results in a more bandwidth-efficient transmission. The process effectively changes the frequency spectrum of the signal. Converting the signals power into

A narrow frequency range compared to traditional AM, this shift in frequency is why SSB described as freq changing.



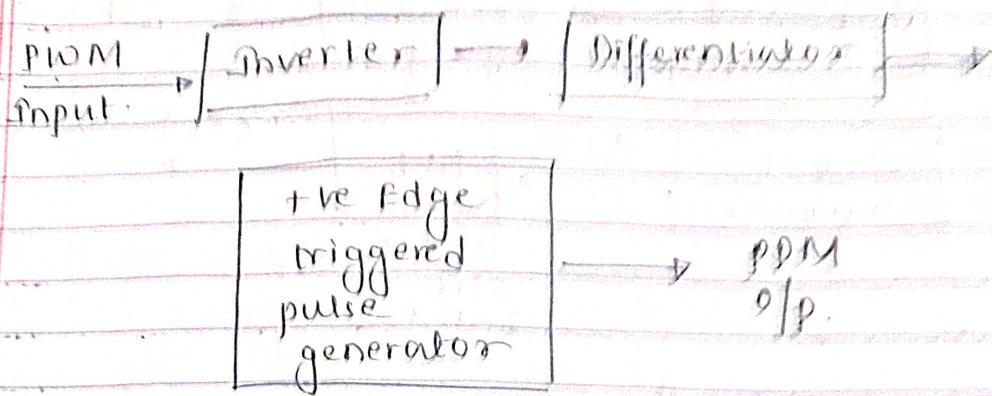
15. Write a short note on PPM, PAM & PWM.

Generation of PWM



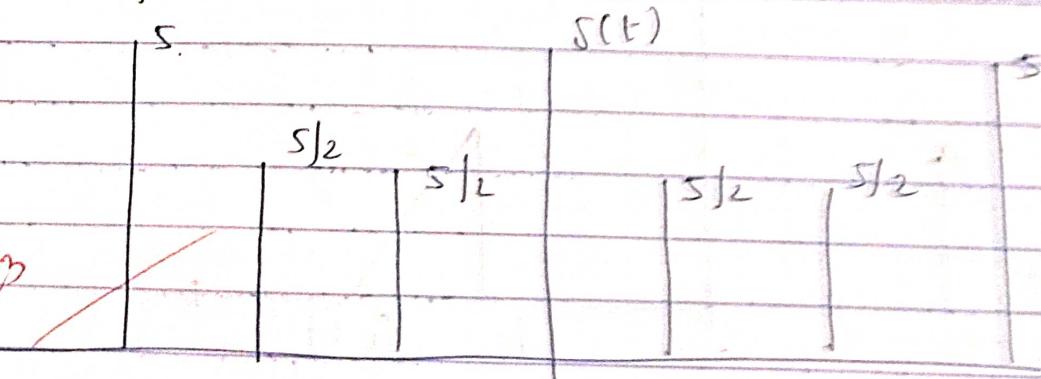
Generation of PWM by a comparator

## Generation of PPM



$$\begin{aligned}
 \text{Q2. } s(t) &= 5\cos(6000\pi t) + 5\cos(800\pi t) + 10\cos(1000\pi t) \\
 &= 5\cos(2\pi 3000t) + 5\cos(2\pi 4000t) + 10\cos(2\pi 5000t) \\
 &= \frac{5}{2} \delta(f - 3000) + \delta(f + 3000) + \frac{5}{2} \delta(f - 4000) \\
 &\quad + \delta(f + 4000) + \frac{10}{2} (\delta(f - 5000) + \delta(f + 5000))
 \end{aligned}$$

a) Low pass signal : 2 fm  
 band pass =  $2 \times \text{BW}$ .



Low pass signal :  $f_s = 2 \text{ fm} = 10000 \text{ Hz}$   
 Band pass =  $f_s = 2 \times \text{BW} = 4000 \text{ Hz}$

## Master tutorial - 2

- 7) Consider a PCM system with a signal bandwidth of 4 kHz. The sampling rate is 10 kHz, and each sample is represented using 16 bits. Calculate the following.
- Bit rate = Nyquist frequency × signal-to-quantization

Given BW = 4 kHz

fs = 10 kHz

N = 16

Bit rate  $\Rightarrow$  fs × N

$$= 10 \times 10^3 \times 16 \\ = 160 \times 10^3$$

BW = 4 kHz

fs = 10 kHz

N = 16

$2^N$

Nyquist frequency =  $\alpha f_m$   
 $= 8 \text{ kHz}$

$$(SNR)_{PCM} = 1.8 + 6N \\ = 1.8 + 6 \times 16 \\ = 1.8 + 96 \\ = 97.8 \text{ dB}$$

8. In a PCM system the input signal ranges from -5V to +5V. The quantization is performed using a 10 bit ADC. Determine the following.

- Number of quantization levels.
- Quantization step size.
- Maximum quantization error.

If  $p \Rightarrow [-5, 5]$

$$\star \text{Number of quantization} = 2^{\text{bits}} \\ = 2^{10} \\ = 1024 \text{ levels.}$$

$$\text{Quantization step size} = \frac{10}{L} \\ \Delta = \frac{10}{1024} \\ = 0.00976 \text{ V.}$$

$$\text{Maximum quantization error} = \frac{\Delta}{2} = \frac{9.76 \times 10^{-3}}{2} \\ = 4.88 \times 10^{-3}$$

9. A PCM system is used to encode an analog signal with a frequency range of 0 to 4 kHz. If the quantization error should be less than 1% of the maximum full scale signal amplitude, calculate the minimum number of bits required for quantization. Additionally, determine the bit rate if the sampling rate is 16 kHz.

Given,

$$\begin{aligned} f_s &= 16 \text{ kHz} \\ \text{error} &= 0.01 \\ A &= 2 \times \text{error} \\ &= 0.02 \end{aligned}$$

$$\text{min. no of bits} = \frac{(4 - 0) K}{0.02} = 200 K$$

$$\text{bits} = 2,000 \text{ K} //$$

$$\begin{aligned} 2^N &= 2000 \\ 2^N &= 2,00,000 \\ N \log 2 &= \log(2,00,000) \\ N &= 17.60 \approx 18 \end{aligned}$$

$$\begin{aligned} \text{levels} &= 2^N \\ N &= \log[\text{level}] \\ &= \log \frac{1}{2} [200K] \\ &= 17.60 \approx 18 \end{aligned}$$

$$\text{if } f_s = 16 \text{ kHz},$$

$$T_s = \frac{1}{16 \times 10^3}$$

$$\begin{aligned} \text{Bit Rate} &= f_s \times N \\ &= 16 \text{ K} \times 18 \\ &= 288 \text{ K bps} \end{aligned}$$

10. A speech signal has a total duration of 10s. It is sampled at the rate of 8 kHz and then encoded. The signal-to-noise ratio is required to be 40 dB. Calculate the minimum storage capacity needed to accommodate this.

digitized speech signal.

Given,  $T_0 = 10\text{s}$

$$f_s = 8\text{ kHz}$$

$$(\text{SNR})_{\text{PCM}} = 40 \text{ dB}$$

$$(\text{SNR})_{\text{PCM}} = (1.8 + 6N) \text{ dB}$$

$$40 = 1.8 + 6N,$$

$$N = 6.366 \approx 6 \text{ bits}$$

$$\text{no. of samples} = 8\text{K} * 10$$

$$= 80\text{K samples}$$

$$\text{no. of bits in 10s sample} = 80\text{K} \times 6$$

$$= 480\text{K bits}$$

$$= 60\text{K bytes}$$

13. A Delta modulation system Input applied 10 kHz, 1Vp-p. The signal is sampled ten times more than Nyquist rate. What is the minimum step size required to prevent stop overload?

WKT,

$$x(t) = A_m \sin(\omega_f m t)$$

$$\left| \frac{dx(t)}{dt} \right|_{\text{max.}} < \Delta * f_s$$

$$\frac{dx(t)}{dt} = A_m \cos(\omega_f m t) \cdot \omega_f m$$

$$= \omega_f m A_m \cos(\omega_f m t)$$

$$\left( \frac{dx(t)}{dt} \right)_{\text{max.}} = \omega_f m A_m$$

$$\text{So, } A_m = \frac{1}{2} = 0.5\text{ V}$$

$$f_m = 10\text{ kHz}$$

$$f_s = 10 * f_m = 10 \times 2 * 10\text{ K}$$

$$= 200\text{ kHz}$$

$$2\pi f_m A_m < \Delta f_s$$

$$2\pi \times 10K \times 0.5 < \Delta \times 20K$$

$$\frac{2\pi \times 0.5}{20} < \Delta$$

$$\frac{\pi}{20} < \Delta$$

$$\Delta > 0.157$$

Note: condition for slope overload  $2\pi f_m A_m < \Delta f_s$

(1)

14. A 4 kHz sinusoidal message signal having amplitude 4 V is fed to a delta modulator operating at a sampling rate of 32 kHz. The minimum step size required to avoid slope overload noise in the DM is      V.

$$A_m = 4V$$

$$f_s = 32 \text{ kHz}$$

$$f_m = 4 \text{ kHz}$$

$$2\pi f_m A_m < \Delta f_s$$

$$2\pi \times 4K \times 4 < \Delta \times 32K$$

$$\Delta \leq 3.142V$$

15. A sinusoidal signal of 2 kHz frequency is applied to a delta modulator. The sampling rate and step-size  $\Delta$  of the delta modulator are 20,000 samples per second and 0.1V respectively. To prevent slope overload, the max amp. of the sinusoidal signal (in Volts) is

$$f_m = 2 \text{ kHz}$$

$$f_s = 20K \text{ samples / second}$$

$$\Delta = 0.1V$$

$$2\pi f_m A_m < \Delta f_s$$

ANalog & digital  
Amplitude

Amplitude

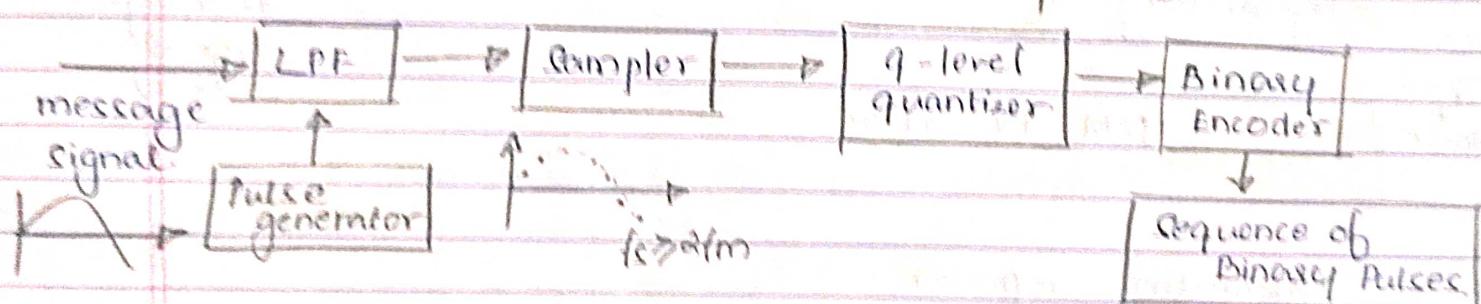
Amplitude

Amplitude

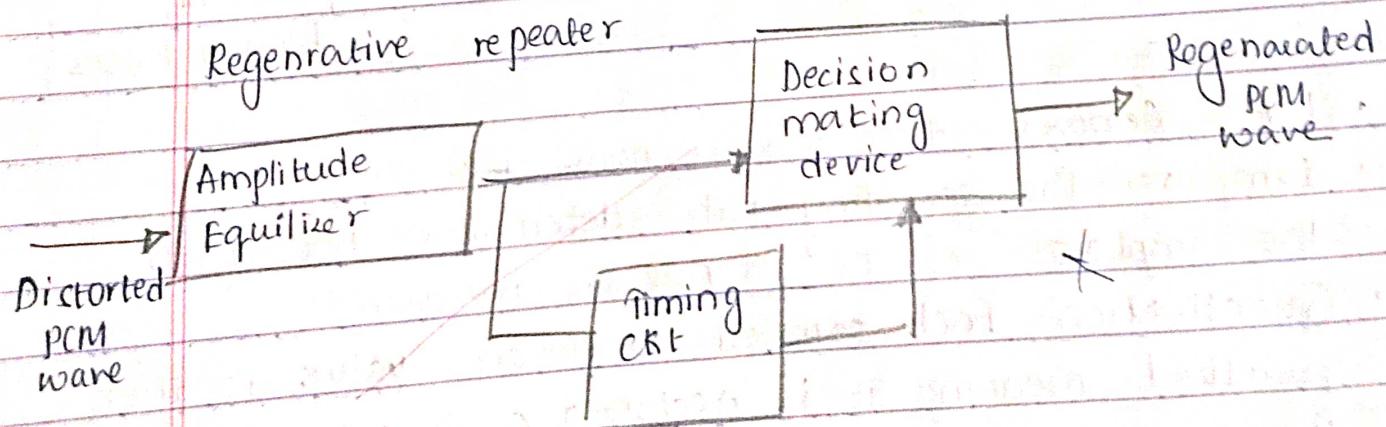
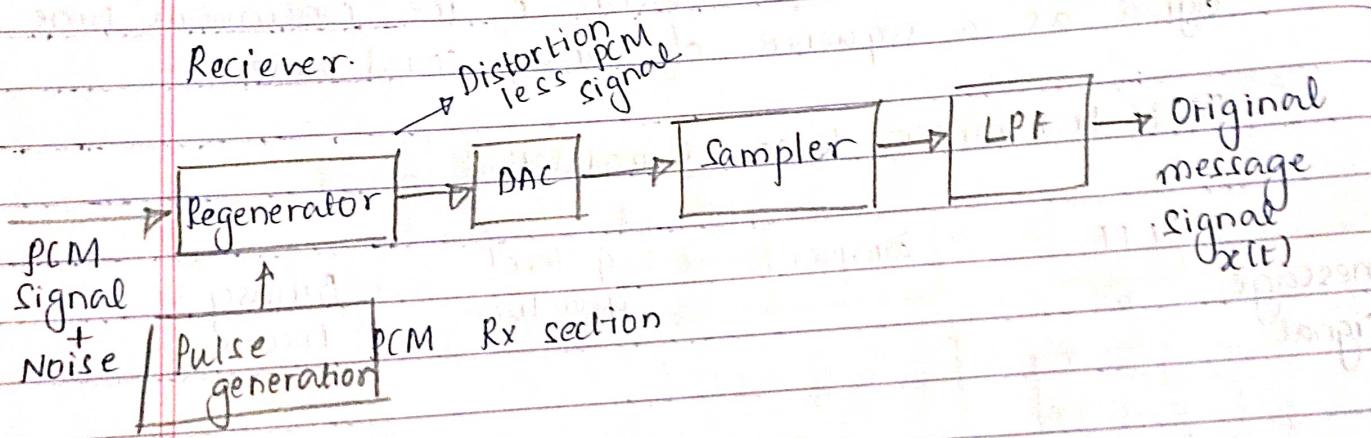
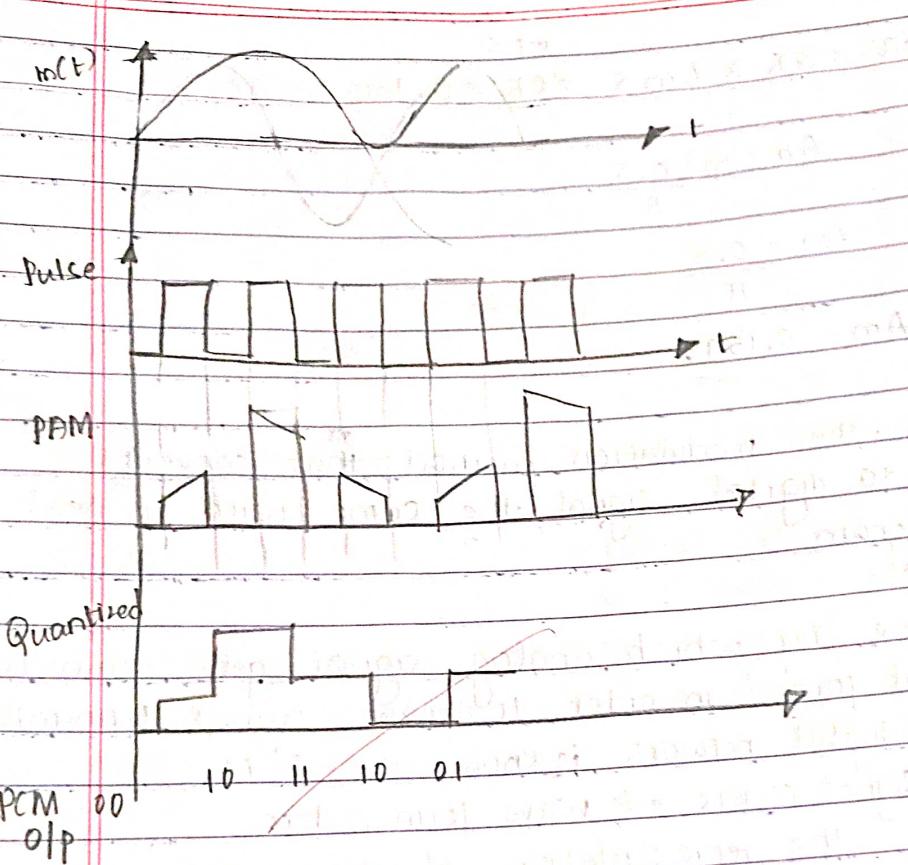
- Q. Identify the modulation method that converts analog to digital signal. The same with a neat block diagram.

- A technique by which analog signal gets converted into digital form in order to have signal transmission through a digital network is known as PCM.  
PCM → Signal coders → Wave form coders.
- PCM allows the representation of the continuous time signal as a sequence of binary coded pulse.

PCM transmitter) Pulse code modulation



- LPF - Removes the sample noise i.e.
- Sampler - The sampling rate determines how often the amplitude of the signal is measured.
- Quantization - Each sampled amplitude value is then quantized, meaning it is assigned a digital code. The number of bits used for representation quantizes determines the resolution of digital representation.
- Encoding - The quantized values are encoded into a digital bit stream.



### Advantage

- Immune to channel noise (better noise immunity)
- Encoders allow secured data transmission

### Disadvantage

- PCM increases the transmission bandwidth system
- System is complex

### Application

Digital telephone.

Digital audio appn.

Space comm.

## 5 Signal to noise Ratio Derivation.

Consider input  $M$  of continuous amplitude which is symmetrically occupies the range  $[-M_{\max}, M_{\max}]$  of uniform mid rise quantizer, then the step size is given by

$$\Delta = M_{\max} - (-M_{\max})$$

$L$

$$= \frac{2M_{\max}}{L} \quad \text{--- (1)} \quad L = \text{no. of levels}$$

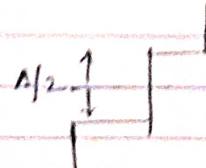
Let  $R$  denote the no. of bits/sample used to construct binary code

$$L = 2^R$$

Substitute in Eq (1)

$$\Delta = \frac{2M_{\max}}{2^R} \quad \text{--- (2)}$$

Quantization error ( $Q$ ) for uniform midrise quantizer will have samples b/n  $\frac{-A}{2}$  to  $\frac{A}{2}$



If step size is sufficiently small, then quantization error is uniformly distributed random func  
 $\therefore$  Probability density func of Quantization noise is

$$f_Q(q) = \begin{cases} 1/\Delta, & -\Delta/2 \leq q \leq \Delta/2 \\ 0, & \text{otherwise} \end{cases}$$

$$\sigma_Q^2 = E[q^2] = \int_{-\Delta/2}^{\Delta/2} q^2 f_Q(q) dq,$$

$$= f_Q(q) \int_{-\Delta/2}^{\Delta/2} q^2 dq = \frac{1}{\Delta} \left[ \left( \frac{\Delta}{2} \right)^3 - \left( -\frac{\Delta}{2} \right)^3 \right]$$

$$= \frac{1}{\Delta} \left[ \frac{\Delta^3}{8} + \frac{\Delta^3}{8} \right] = \frac{1}{\Delta} \cdot \frac{\Delta^4}{8} = \frac{\Delta^3}{8}$$

$$\sigma_Q^2 = \frac{1}{12} \Delta^2 \quad \text{--- (1)}$$

$$\text{Sub } \Delta = \frac{2M_{\max}}{2^R}$$

$$\sigma_Q^2 = \frac{4M_{\max}^2}{2^{2R} \times 12}$$

$$= \frac{M_{\max}^2}{2^{2R} \times 3}$$

Let  $P$  be the power of original message signal  
 $\therefore$  SNR signal to Noise ratio of uniform quantizer  
 $\text{ie}$

$$(\text{SNR})_0 = \frac{P}{\sigma_Q^2} = \frac{P \times 2^{2R} \times 3}{M_{\max}^2}$$

$\Leftrightarrow \text{SNR} \uparrow \text{as } R \uparrow$

$$\text{also, } P = \frac{Am^2}{2} = \frac{M_{\max}^2}{2}$$

$$\begin{aligned} (\text{SNR})_0 &= \frac{M_{\max}^2 \times 2^{2R} \times 3}{M_{\max}^2 \times 2} \\ &= \frac{3 \times 2^{2R}}{2} \end{aligned}$$

Taking log

$$\begin{aligned} 10 \log_{10} (\text{SNR})_0 &= 10 \log_{10} \left( \frac{3}{2} \right) 2^{2R} \\ &= 10 \log_{10} \frac{3}{2} + 10 \log_{10} 2^{2R} \\ &= 1.7609 + 10(2R) \log_{10} 2 \\ &= 1.7609 + 20R (301.029) \end{aligned}$$

$$10 \log_{10} (\text{SNR})_0 = 1.7609 + 6.02R$$

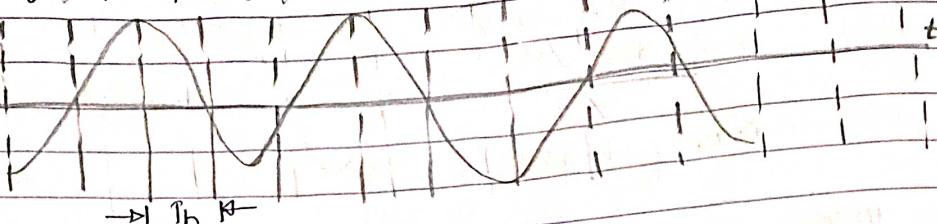
$$\Rightarrow \text{SNR} = \cancel{[1.760 + 6.02R]} \text{ dB.}$$

$$\approx [1.8 + 6R] \text{ dB}$$

18.

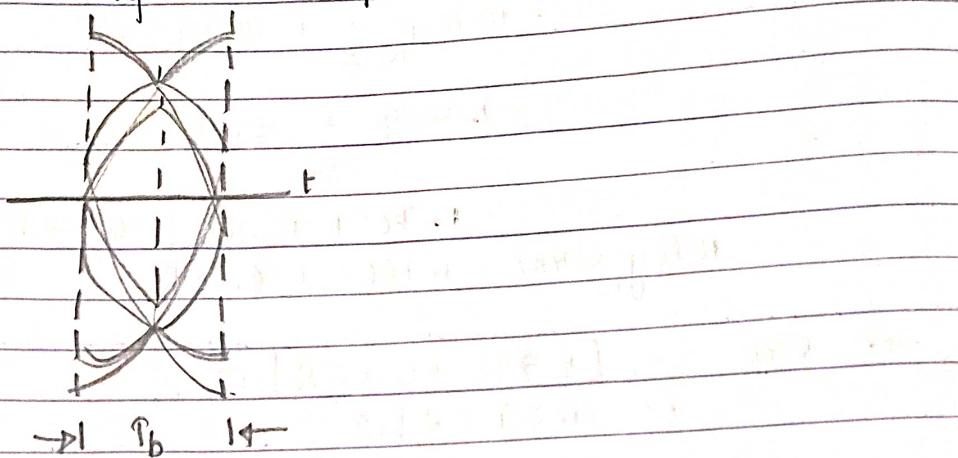
- In a bandlimited channel, the pulse spreading at the output of the system will disperse over an interval which is longer than that of the transmitted pulse.
- Eye diagram is very effective tool for digital signal analysis during real time experiment.
- Eye pattern is a practical technique for determining the severity of the degradation introduced by 1st and channel noise into the line coded digital pulses in baseband transmission.

Binary data.



(a)

Binary data sequence and its waveform.



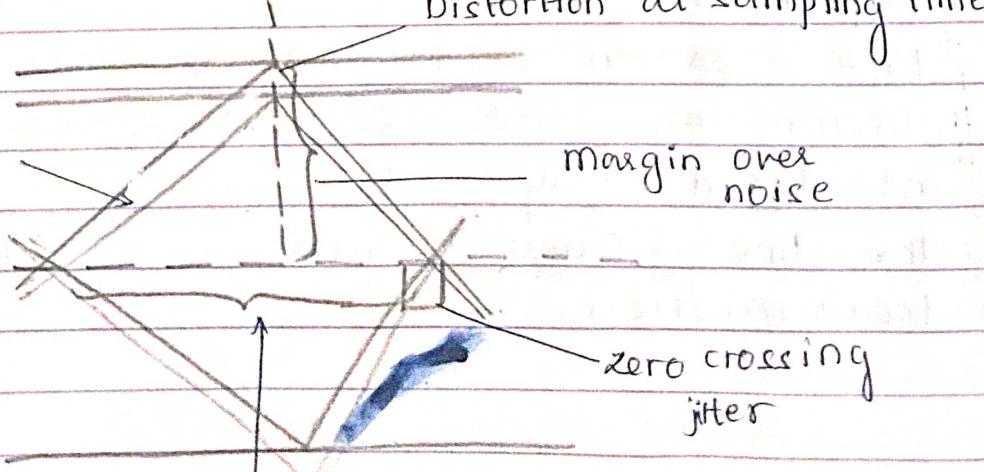
(b) Corresponding eye pattern.

the eye pattern offers 2 compelling virtues

- The simplicity of eye-pattern generation.
- The provision of a great deal of insightful information about the characteristics of the data transmission system.

Timing Features Best sampling time  
Distortion at sampling time

Slope =  
Sensitivity to  
timing error



Time interval over  
which the wave is  
best sampled

In Fig. 8.13, the horizontal axis representing time, spans the symbol interval from  $-T_b/2$  to  $T_b/2$ .

$T_b \rightarrow$  bit duration

- Optimum sampling time : The width of the eye opening defines the time interval over which the distorted binary waveform appearing at the o/p of the receive filter in the PAM system can be uniformly sampled without decision errors. Clearly, the optimum sampling time is the time at which the eye opening is at its widest.
- Zero-crossing jitter : the timing signal is extracted from the ZC of the waveform that appears at the receive-filter output. There will always be irregularities in the zero-crossings, which, in turn, give rise to jitter and, therefore, non-optimum sampling times.
- Timing sensitivity : Another timing-related feature is the sensitivity of the PAM system to timing errors. This sensitivity is determined by the rate at which the eye pattern is closed as the sampling time is varied.

#### 6. Channel noise and error probability

Probability of error :— the frequency with which a certain probabilistic testing procedure will lead to a type I error or a type II error.

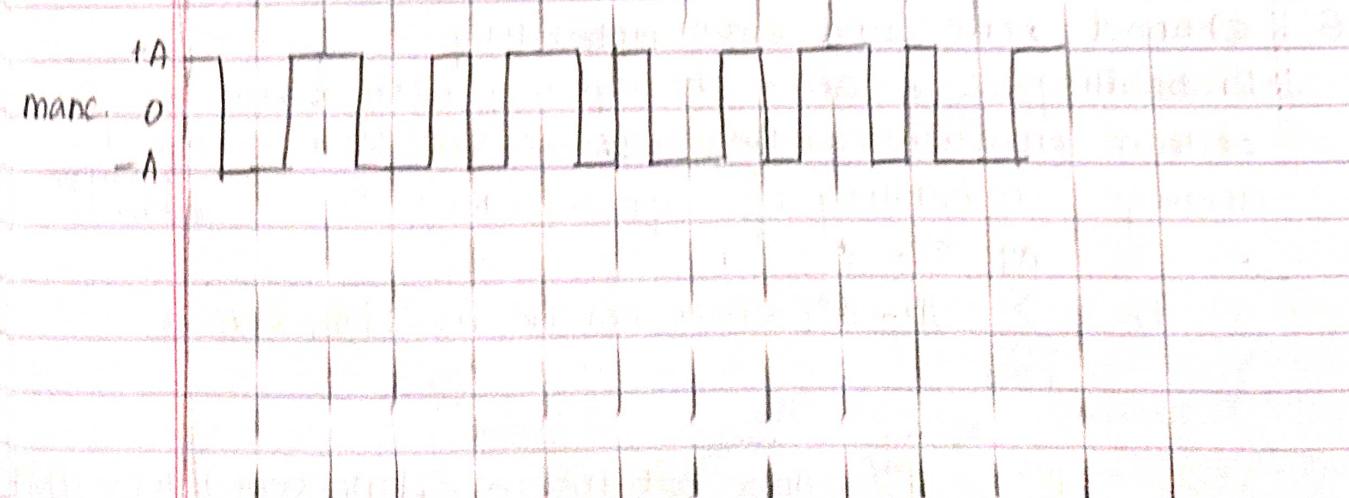
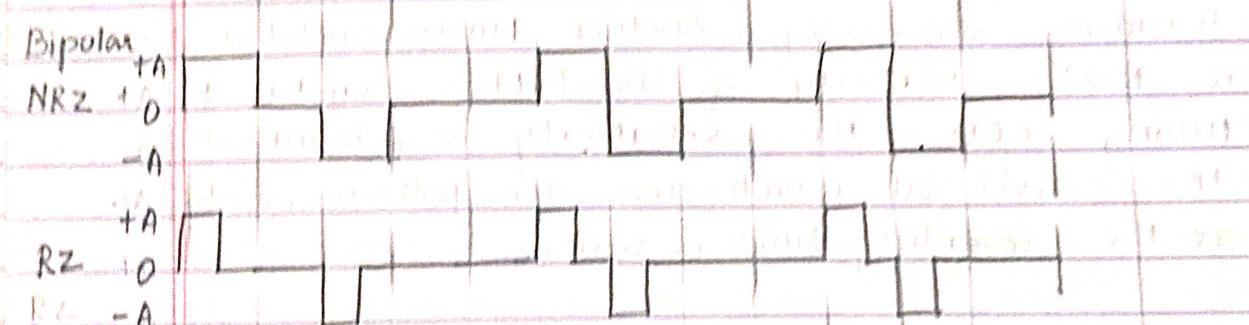
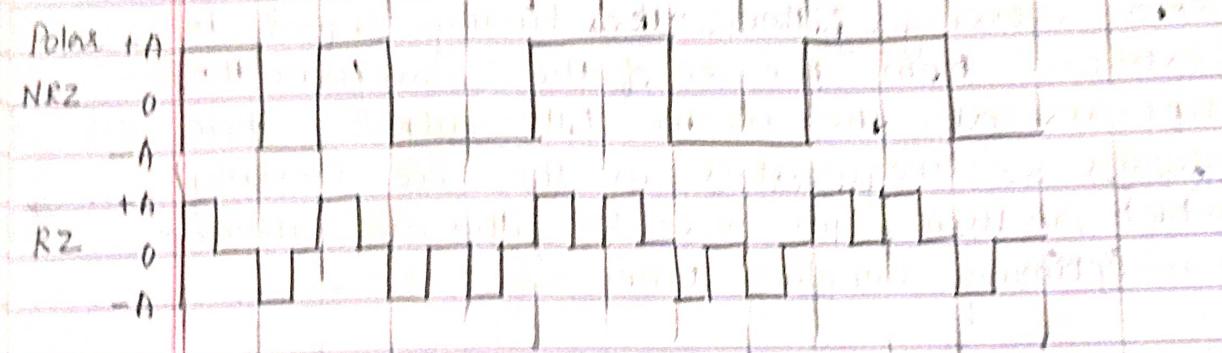
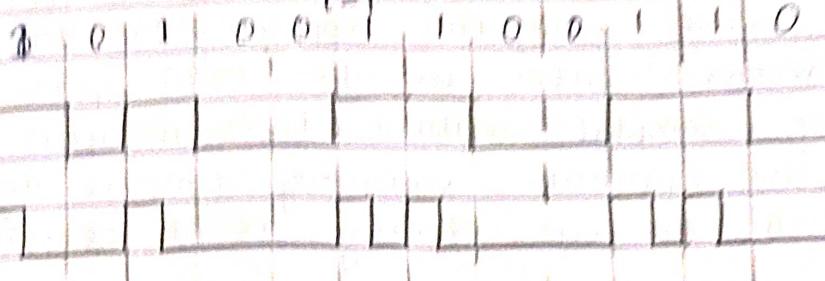
$$P_e = \sum_{i=1}^M \pi_i P(x \text{ does not lie in } z_i | m_i \text{ sent})$$

$$= \frac{1}{M} \sum_{i=1}^M P(x \text{ does not lie in } z_i | m_i \text{ sent}), \pi_i = 1/N$$

$$= 1 - \frac{1}{M} \sum_{i=1}^M P(x \text{ lies in } z_i | m_i \text{ sent})$$

since  $\hat{x}$  is the sample value of random vector  $\mathbf{x}$ ,

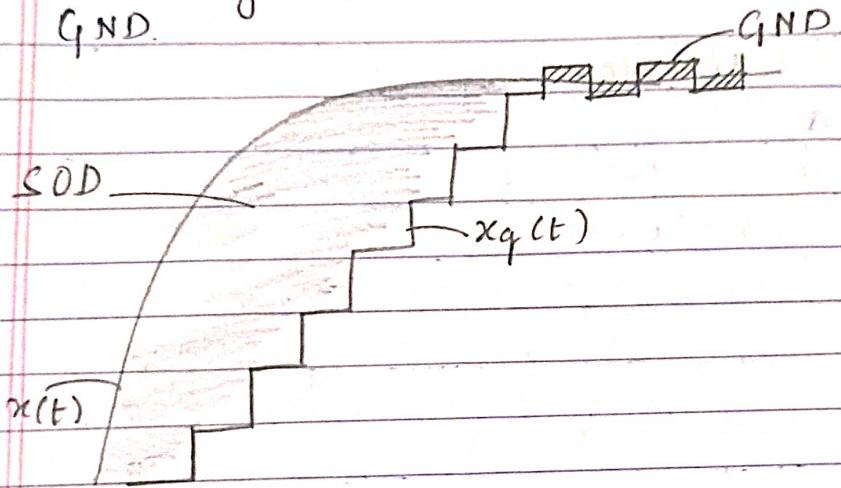
$$P_e = 1 - \frac{1}{M} \sum_{m=1}^M \int f_{\mathbf{x}}(\mathbf{x}|m) dx$$



(3). Two types of Quantization noise.

1) Slope overload distortion - when the slope of  $x(t)$  is much higher than  $x_q(t)$  over a long period of duration the  $x_q(t)$  can not follow the  $x(t)$  which forms SOD.  
i.e.  $x(t) - x_q(t)$

2) Granular noise distortion. When if p signal  $x(t)$  is relatively constant for in amplitude the  $x_q(t)$  is bouncing up and down which will cause GND.



To overcome this adaptive DM is required.

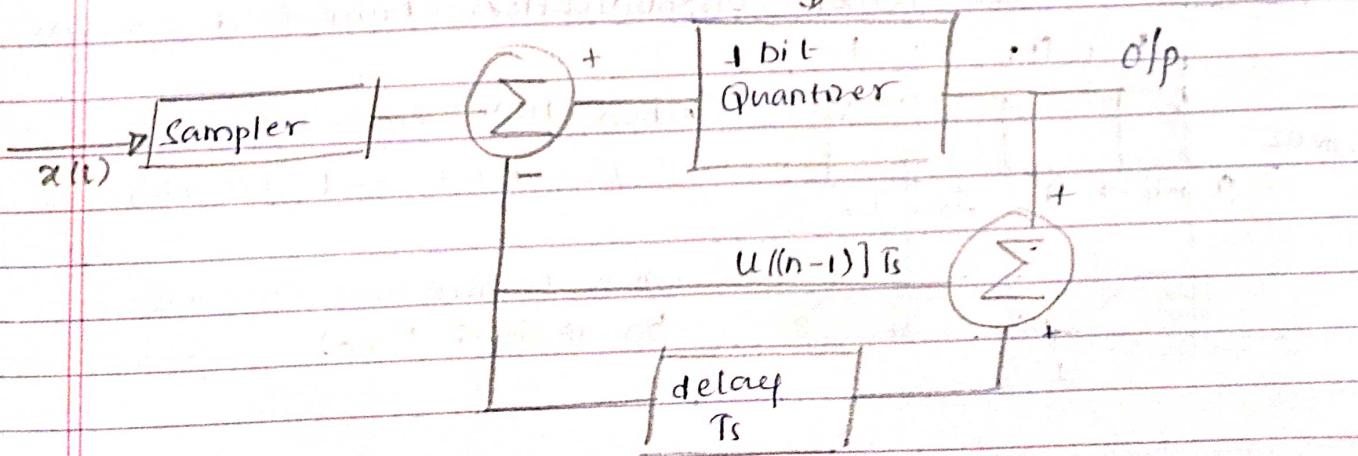
If  $x(t) \rightarrow$  high slope

then  $\Delta \rightarrow$  increase the stepsize

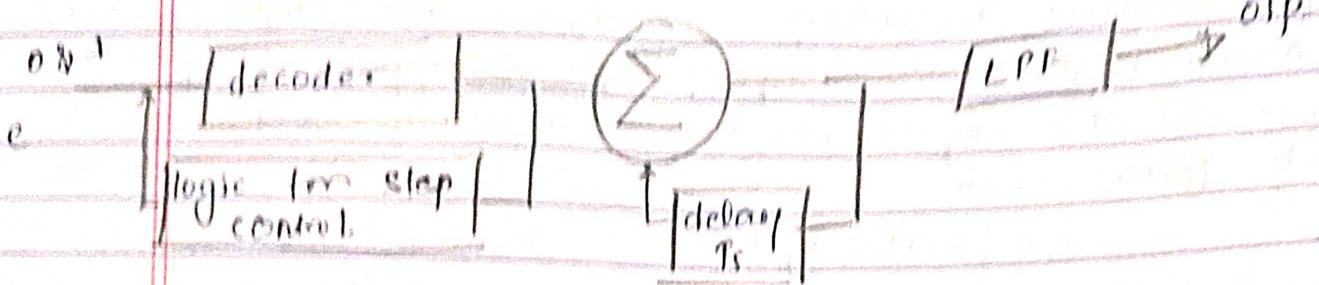
If  $x(t) \rightarrow$  less slope

then  $\Delta \rightarrow$  decrease the stepsize

Transmitter logic for stepcontrol.



## Perceptron



$$\text{Step size } \Delta(n) = \Delta(n-1) e(n) + \Delta(0) e(n-1)$$

$$\Delta(0) = \Delta \text{ (initial value, constant for all iterations)}$$

$$e(0) = 1$$

$$\Delta(1) = \Delta(0) e(1) + \Delta(0) e(0)$$

$$= \Delta + \Delta$$

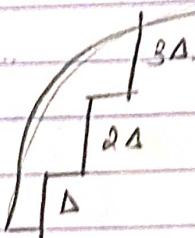
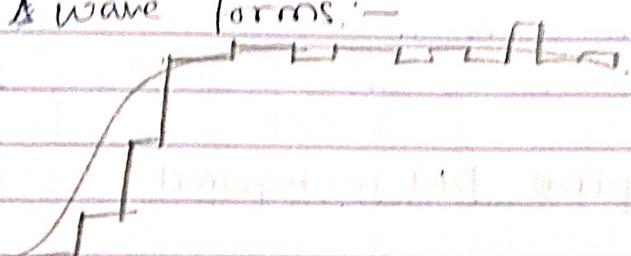
$$= 2\Delta$$

$$\Delta(2) = \Delta(1) e(2) + \Delta(0) e(1)$$

$$= 2\Delta + \Delta$$

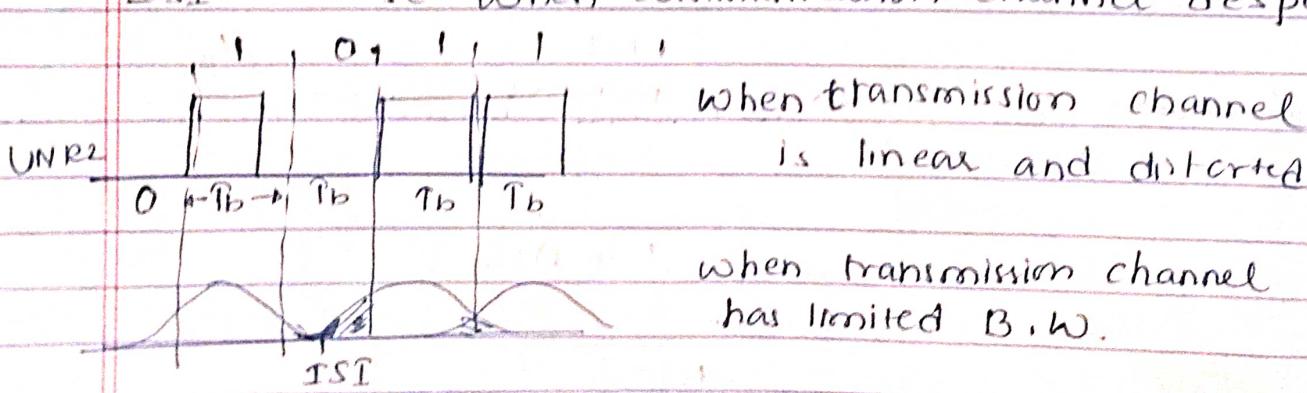
$$= 3\Delta$$

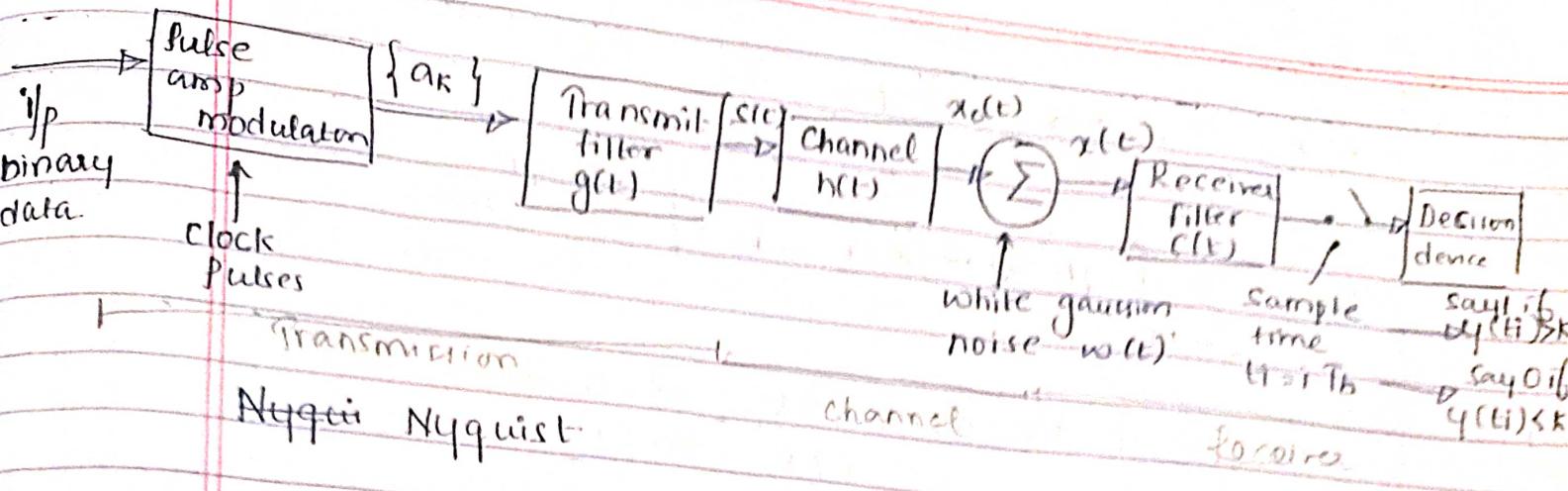
A wave forms:-



## Inter Symbol Interference

- Spreading of a pulse beyond its allotted time interval  $T_b$  will cause it to interfere with neighbouring pulses. This is known as ISI.
- ISI → arises when communication channel is dispersive





at  $TST=0$ , we get  $y(t_i) = a_i$

for extracting sample the 0/1  $y(t)$  at  $t=iT_b$

$$y(t) = \sum_k a_k p(t - kT_b) \quad \text{--- a}$$

if we do sample for above eq.

$$y(t) = \sum_k a_k p(iT_b - kT_b)$$

if we put  $i=k$  in  $p(iT_b - kT_b)$

then it will become  $p(0) = 1$  when  $i=k$

$$\therefore P(iT_b - kT_b) = \begin{cases} 1 & i \neq 0 \\ 0 & i = 0 \end{cases} \quad \text{--- (1)}$$

Eq<sup>n</sup> 1 is called Nyquist pulse, referred as creation for distortionless binary baseband data transmission.

\* FD.  $\{p(nT_b)\}$

where  $n = 0, \pm 1, \pm 2, \dots$

$$P_F(f) = F\{p(nT_b)\}$$

$$R_b - \text{bit rate} \\ = \frac{1}{T_b} \frac{\text{bit}}{\text{sec}}$$

$$P_F(f) = R_b \sum_{n=-\infty}^{\infty} P(f - nR_b) \quad \text{--- (2)}$$

$\therefore P(f)$  left hand side FT

Given as

$$P(f) = \int_{-\infty}^{\infty} \sum_{m=-\infty}^{\infty} [P(mT_s) \delta(t-mT_b)] \cdot e^{-j2\pi f t} dt$$

Let  $m=i-K$  when  $i=k$   $m=0$   
 $i \neq k$   $m \neq 0$

$$P(f) = \int_{-\infty}^{\infty} P(0) \delta(t) e^{-j2\pi f t} dt \quad (4)$$

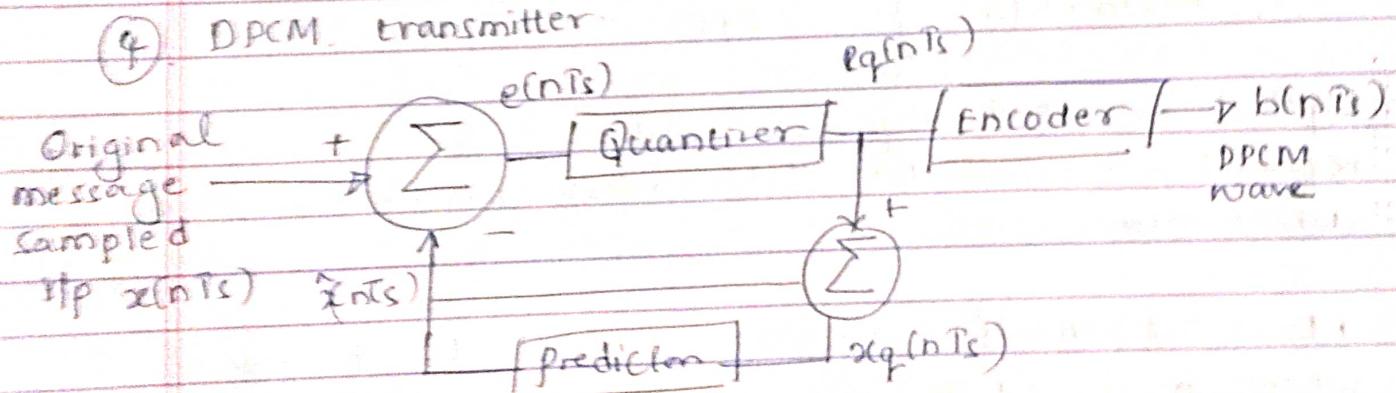
The frequency domain condition for zero ISI  
 from eq 1 we get

$$\sum_{n=-\infty}^{\infty} P(f - nT_b) = T_b \quad (5)$$

$$T_b = 1/R_b$$

The frequency  $P(f)$  eliminates intersymbol interference for samples taken at intervals  $T_b$  provided that it satisfies Eq<sup>n</sup> (5).  
 where  $P(f)$  is the overall c/m.

#### (4) DPCM transmitter



$x(t) \rightarrow$  message signal

$\hat{x}(nT_s)$  predicted o/p

$e(nT_s)$  output of adder  $\rightarrow$  predictor error

$e(nT_s)$  o/p Quantize

$x(nT_s) \rightarrow$  sampled Signal

$$e(nT_s) = x(nT_s) - \hat{x}(nT_s) \rightarrow (1)$$

$$eq(nT_s) = e(nT_s) + q(nT_s) \quad (2) \quad q(nT_s) \rightarrow Q^{\sim} \text{ error}$$

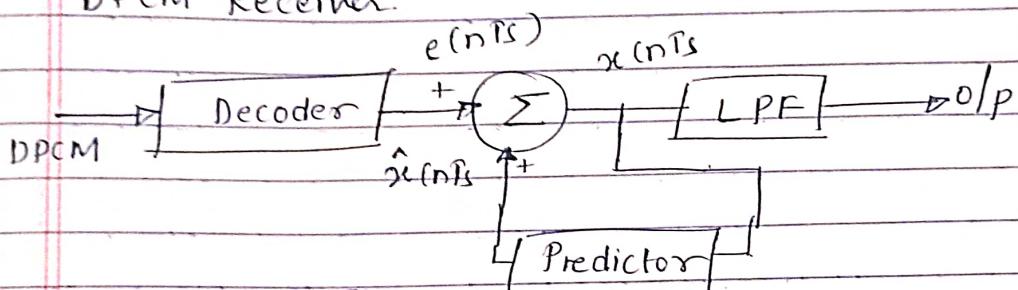
$$x_q(nT_s) = eq(nT_s) + \hat{x}(nT_s) \rightarrow (3)$$

$$x_q(nT_s) = eq(nT_s) - \hat{x}(nT_s) + \hat{x}(nT_s)$$

$$\begin{aligned} &= x(nT_s) - \hat{x}(nT_s) + q(nT_s) + \hat{n}(nT_s) \\ &= x(nT_s) - \hat{x}(nT_s) + q(nT_s) + \hat{x}(nT_s) \end{aligned}$$

$$x_q(nT_s) = x(nT_s) + q(nT_s)$$

DPCM Receiver.



$$x(nT_s) = e(nT_s) + \hat{x}(nT_s)$$

b. channel noise :

channel noise is any unwanted signal which added to the transmitted signal during the journey through the communication channel

Thermal noise

Interference

distortion noise

error

Probability

Error probability error aim to calc the probability incorrect information sent to destination & due to channel noise

Bit error rate

packet error rate

symbol " "

$$P_e = \sum_{i=1}^M \pi_i P\{x \text{ does not lie in } Z_i | m_i\}$$

$$P_e = \frac{1}{M} \sum_{i=1}^M \pi_i P\{x \text{ does not lie in } Z_i | m_i\} \quad \pi_i = 1/M$$

$$= 1 - \frac{1}{M} \sum_{i=1}^M P\{x \text{ lies in } Z_i\}$$

$x$  is the sample of any random vector  $X$ .

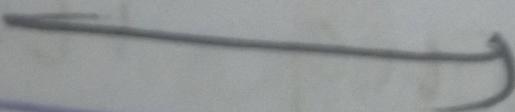
(O)

SSB QAM

(O) heterodyne

- here,

mix



decide  
use