PRINCIPAL COMPONENT ANALYSIS. · (Dimensionality Reduction technique). If we have d-dimensional data & we need to reduce this d' (d'2d), then we can use PCA. > \* f, has less variability, hence it has less into. + fr has more variability, thence it has more in formation. Hence if we have to convert this 2-1 data to 1-D data then we can cossily drop f, & project points on f, without boding more information. By skipping less vanionce feature, we could took e less.

more

The find fi & f2 (s.+. spread on f; >>>>f2

Trop f2

- @After Standardization, PCA tries to find the eigen vectors which direction of maximum variance.
- Before capplying PCA, col. standardization has to be done.

  Now mean =0 & year = 1.

Then after applying PCA, each axis is notated to different directions.

(a) co-ordinated of the points also charges. (hungel)

- 3 If features are completely uncorrelated then pcA is useless.
- € Using corpsionce matrix, → Eigen vector are P.C.s
- Figer yectors corresponding to top k-eigen values are choosed which choose the yector which has mox. variance/max eigen values.