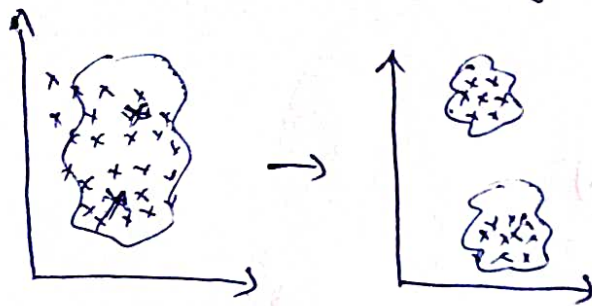


3Q4/22 K-means :- Hierarchical clustering [Point Matrix]

1. Random initialization of centroid.
2. Find out distance to all the point and make cluster [min dist]
3. Update the centroid.

K-means algorithm is centroid based algorithm.

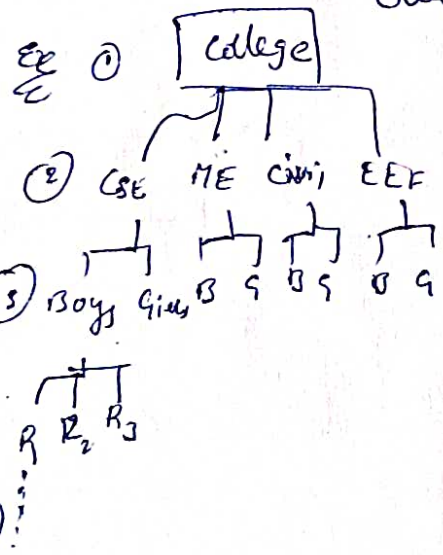
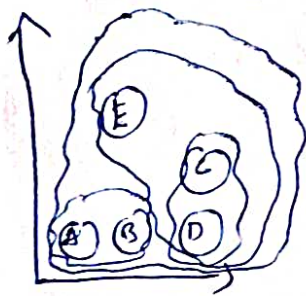


Hierarchical clustering :-

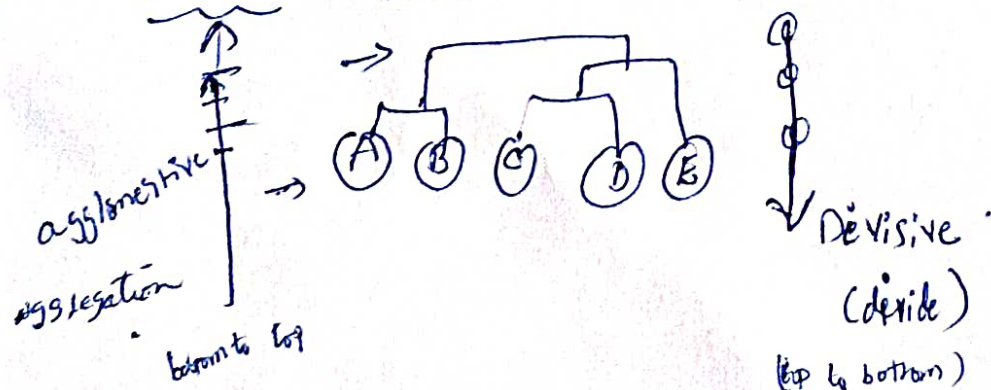
each + every possibility w.r. to clustering

(A) (B) (C) (D) (E) → each + every possibility to make -

cluster.



Dendrogram :- Just a Representation of hierarchical clustering



Agglomerative :- 1. Each Point is cluster

2. Bottom to top approach.

3. Combining all the Point as a single cluster.

①

②

③

④

⑤

⑥

↳ means
Agglomerative
DB scan

DB Scan :- Density Based Spatial Clustering of applications with noise

Density Based Approach



1. Epsilon distance

2. Core point

3. Border point

4. Noise point

5. Minimum point to be consider in a circle.

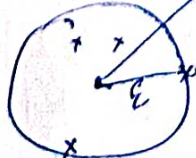
based on these
Points, we need 2

Create the cluster

(Outlier)

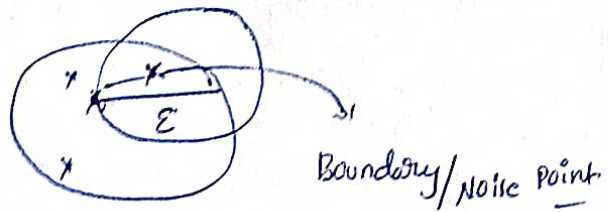
1. Eps. distance = ϵ
min-Point = 4

↳ this much point should be inside circle
(Core point) min point

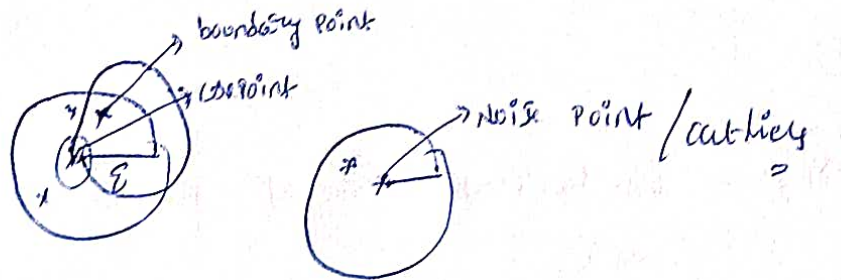


A point is a core point if there are at least
min pt's number of points in its surrounding area

Hyper Parameter \rightarrow 1. EPS dist
2. min point



if any point, which is nearer to core point is called Border Point.



each & every point will treat as core point
epsilon distance, hyper parameter.

Hierarchical clustering

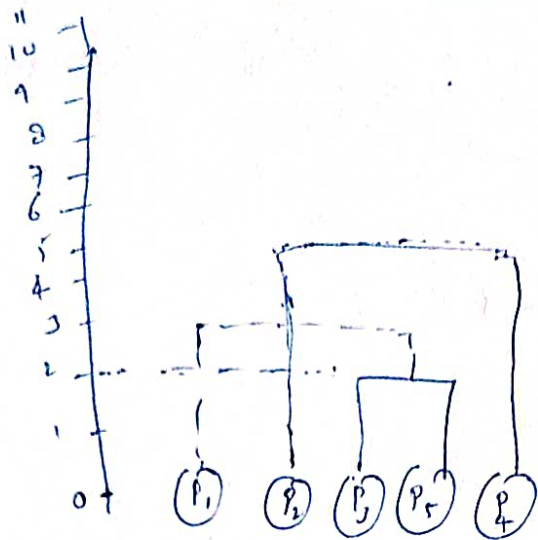
5 Point \rightarrow

find out the distance b/w the point
and create clusters.

| | P_1 | P_2 | P_3 | P_4 | P_5 |
|-------|-------|-------|-------|-------|-------|
| P_1 | 0 | | | | |
| P_2 | 9 | 0 | | | |
| P_3 | 3 | 7 | 0 | | |
| P_4 | 6 | 5 | 9 | 0 | |
| P_5 | 4 | 10 | 2 | | 0 |

min dist point = 2.

min point



| | P_1 | P_2 | (P_3, P_5) | P_4 |
|------------|-------|-------|--------------|-------|
| P_1 | 0 | | | |
| P_2 | 9 | 0 | | |
| P_3, P_5 | 13 | 7 | 0 | |
| P_4 | 6 | 5 | 8 | 0 |

$$d(P_1, (P_3, P_5))$$

$$\min. [d(P_1, P_3), d(P_1, P_5)]$$

$$\min [3, 11]$$

$$= \boxed{3}$$

Here min distance is with, $[P_1, (P_3, P_5)]$

$$d(P_2, (P_3, P_5))$$

$$= [d(P_2, P_3), d(P_2, P_5)]$$

$$\min [7, 10]$$

$$= \boxed{7}$$

| | (P_1, P_3, P_5) | P_2 | P_4 |
|-----------------|-------------------|-------|-------|
| P_1, P_3, P_5 | 0 | | |
| P_2 | 7 | 0 | |
| P_4 | 6 | 5 | 0 |

$$D\{P_2, (P_1, P_3, P_5)\}$$

$$[d(P_2, P_1), d(P_2, P_3), d(P_2, P_5)]$$

* Diff b/w K-means, & K-medians ++

↓

It's all about Centroid initialization.

K means → Randomly / is many cases.

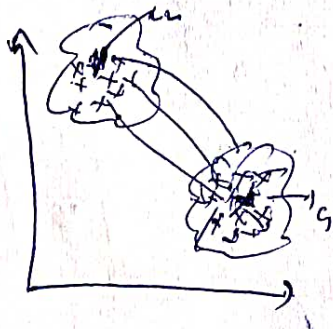
↓

K medians ++.

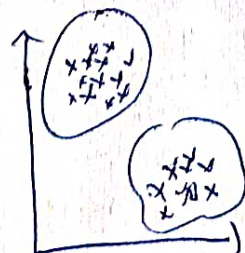


$C^d \rightarrow x_i$
Best.

Cluster :- (1) Intra cluster distance (inside same cluster)
 (2) Inter " " (Between a cluster)



Dunn Index :- $\frac{\max d(i, j)}{\max d(k)}$
 $= \frac{\max \text{ inter cluster dist}}{\max \text{ intra cluster distance}}$



\uparrow as much as possible \uparrow max (Inter)
 \downarrow as low as possible \downarrow max (Intra)

$$\text{my best dum Index} :- = \frac{\max(\text{Intel})}{\max(\text{Intra})}$$

$[0, 26]$