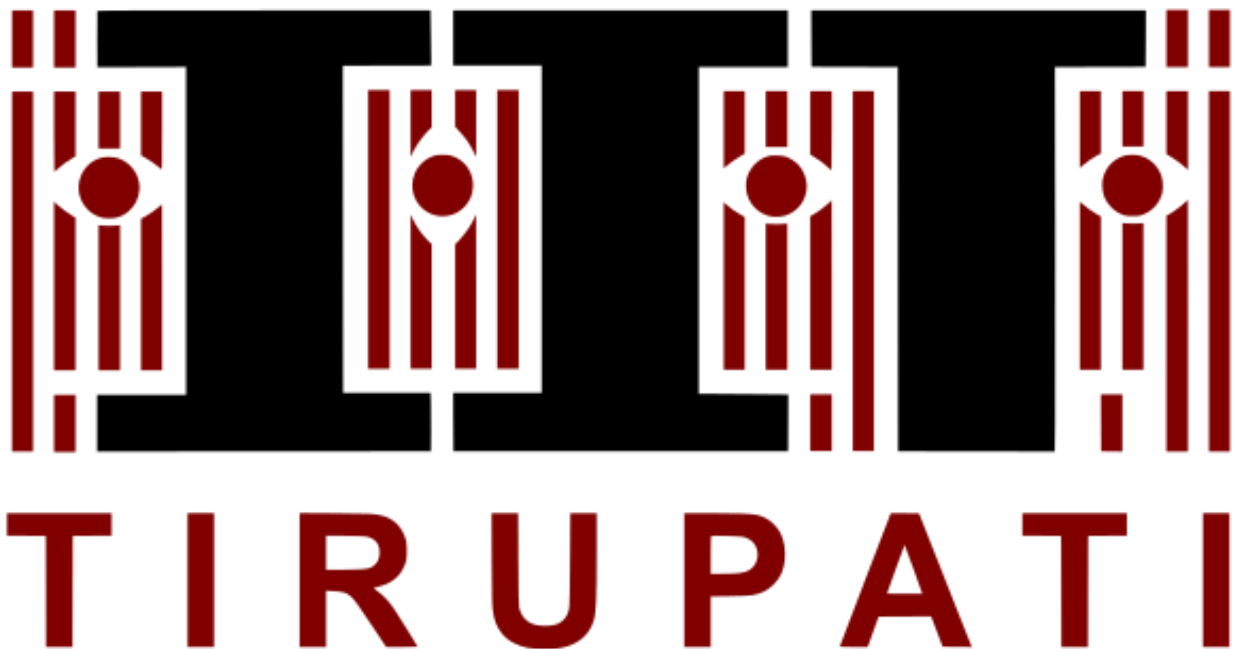


**Indian Institute of Technology
Tirupati**

Department of Electrical Engineering

M.TECH : MVLSI

भारतीय प्रौद्योगिकी संस्थान तिरुपति



Device Simulation Laboratory (EE534P)

Instructor: Dr. Bhuktare Swapnil Sopanro

Assignment: 8

Student Name: Praveen Kumar Yadav

Roll No: ee22m308

Q.1: Take an abrupt Si PN diode with equal doping on both sides, i.e. $N_a = N_d = 10^{17} \text{ cm}^{-3}$. Take the lengths of N & P regions to be equal to $5 \mu\text{m}$ and the width also equal to $5 \mu\text{m}$. Plot the IV characteristics of the device for a voltage range of -5 V to 1 V in the linear as well as log scale. Plot the energy band diagrams, carrier concentrations and electron and hole components of the currents for different voltages, namely -1 V, 0 V, 0.2 V and 1 V.

JRL FILE:

```
;;  
;; (journal:on  
"/home/students/MVLSI_2022/Group2/Praveen/assign10/assign101  
/m3d.jrl")  
;; "/home/students/MVLSI_2022/Group2/Praveen/assign1 ...  
(sdegeo:define-contact-set "a" 4 (color:rgb 1 0 0 ) "##")  
;; ()  
(sdegeo:define-contact-set "b" 4 (color:rgb 1 0 0 ) "##")  
;; ()  
(sdegeo:define-2d-contact (list (car (find-edge-id (position -5 2.5 0))))  
"a")  
  
;; ()  
(render:rebuild)  
;; ()  
(sdegeo:define-2d-contact (list (car (find-edge-id (position 5 2.5 0))))  
"b")  
  
;; ()
```

```
(render:rebuild)

;; ()

(sdedr:define-constant-profile "Constantp"
  "BoronActiveConcentration" 1e17)

;; #t

(sdedr:define-constant-profile-region "Constantp" "Constantp"
  "region_p")

;; #t

(sdedr:define-constant-profile "Constantn"
  "PhosphorusActiveConcentration" 1e+17)

;; #t

(sdedr:define-constant-profile-region "Constantn" "Constantn"
  "region_n")

;; #t

(bound? 'RefEvalWin_2)

;; #f

(sdedr:define-refeval-window "RefEvalWin_2" "Rectangle" (position
  -1 0 0) (position 1 5 0))

;; #[body 13 1]

(sdedr:define-refinement-size "Ref" 0.2 0.2 0 0.1 0.1 0 )

;; #t

(sdedr:define-refinement-placement "Ref" "Ref" (list "material"
  "Silicon" ) )

;; #t

(sdedr:define-refinement-size "Ref2" 0.2 0.2 0 0.01 0.1 0 )
```

```

;; #t

(sdedr:define-refinement-placement "ref2" "Ref2" (list "window"
"RefEvalWin_2" ) )

;; #t

(sdedr:define-refinement-size "Ref2" 0.2 0.2 0 0.01 0.1 0 )

;; #t

(sdedr:define-refinement-placement "ref2" "Ref2" (list "window"
"RefEvalWin_2" ) )

;; #t

(sde:set-project-name
"/home/students/MVLSI_2022/Group2/Praveen/assign10/assign101
/nnew")

;; ""

(sdesnmesh:iocontrols "outputFile"
"/home/students/MVLSI_2022/Group2/Praveen/assign10/assign101
/nnew")

;; #t

(sde:set-meshing-command "snmesh")

;; #t

(sde:set-project-name
"/home/students/MVLSI_2022/Group2/Praveen/assign10/assign101
/nnew")

;; "/home/students/MVLSI_2022/Group2/Praveen/assign1 ..."

(sdesnmesh:iocontrols "outputFile"
"/home/students/MVLSI_2022/Group2/Praveen/assign10/assign101
/nnew")

;; #t

```

```
(sde:build-mesh ""  
"/home/students/MVLSI_2022/Group2/Praveen/assign10/assign101/  
nnew")  
  
"Meshing successful"  
  
;; #t  
  
(system:command "svisual  
/home/students/MVLSI_2022/Group2/Praveen/assign10/assign101/  
nnew_msh.tdr &")  
  
;; 0
```

SDEVICE FILE

```
File{  
  Grid    = "nnew_msh.tdr"  
  Plot    = "@tdrdat@"  
  Current = "@plot@"  
  Output  = "@log@"  
}
```

```
Electrode{  
  { Name="a"   Voltage=0.0 }  
  { Name="b"   Voltage=0.0 }  
}
```

```
Physics{  
  
  Fermi  
  EffectiveIntrinsicDensity( OldSlotboom )
```

Mobility(
DopingDep)

Recombination(SRH (DopingDependence))

}

Plot{

eDensity hDensity

TotalCurrent/Vector eCurrent/Vector hCurrent/Vector

eQuasiFermi hQuasiFermi

eMobility hMobility

ElectricField/Vector Potential SpaceCharge

Doping DonorConcentration AcceptorConcentration

BandGap

ConductionBand ValenceBand

}

Math {

Extrapolate

RelErrControl

Digits = 5

Iterations= 20
Notdamped= 100
Method= Pardiso

}

Solve {

Coupled(Iterations=100){ Poisson }
Coupled{ Poisson Electron Hole }

NewCurrentPrefix="IV_@node@"

Quasistationary(
 InitialStep=1e-3 MinStep=1e-4 MaxStep=0.05
 Goal{ Name="a" Voltage= -5 }
) { Coupled { Poisson Electron Hole } }

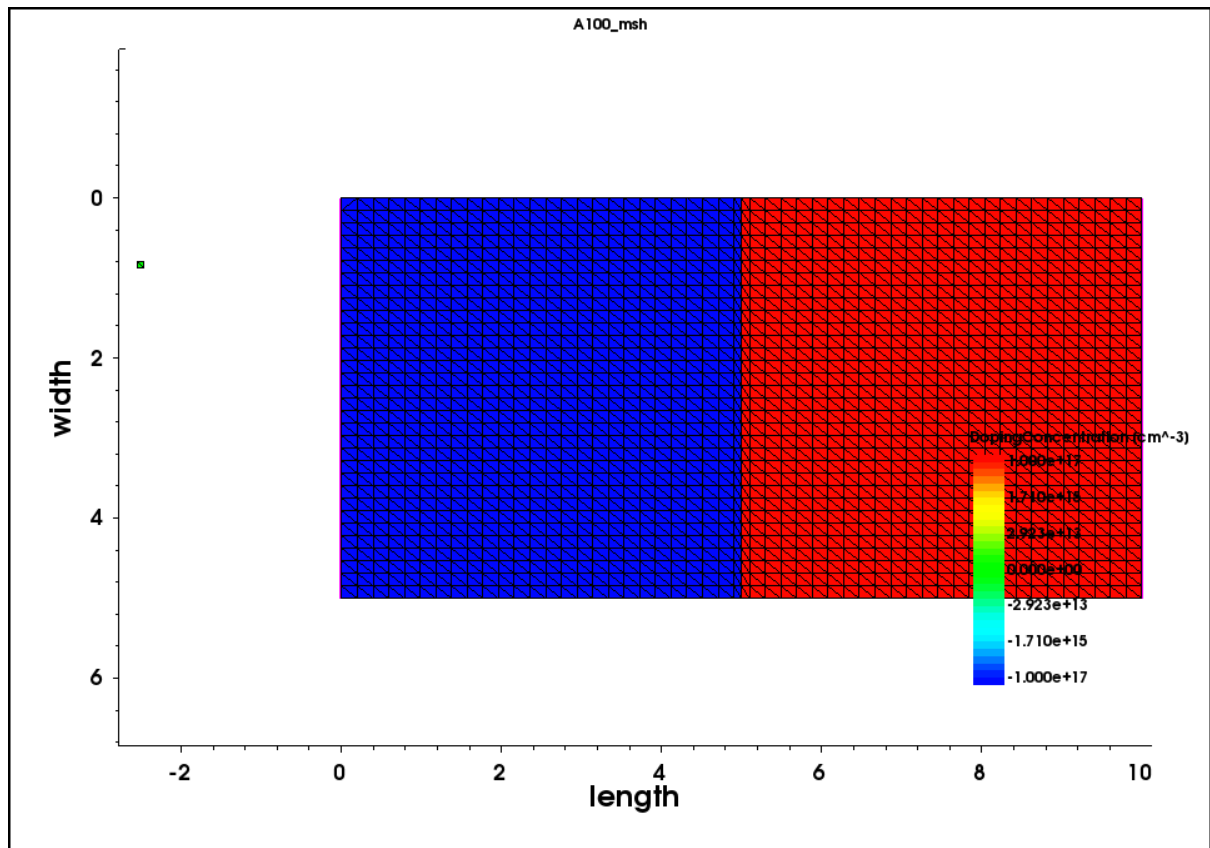
Coupled(Iterations=100){ Poisson }
Coupled{ Poisson Electron Hole }

NewCurrentPrefix="IV_@node@"

Quasistationary(
 InitialStep=1e-3 MinStep=1e-4 MaxStep=0.05
 Goal{ Name="a" Voltage= 1 }
) { Coupled { Poisson Electron Hole } }

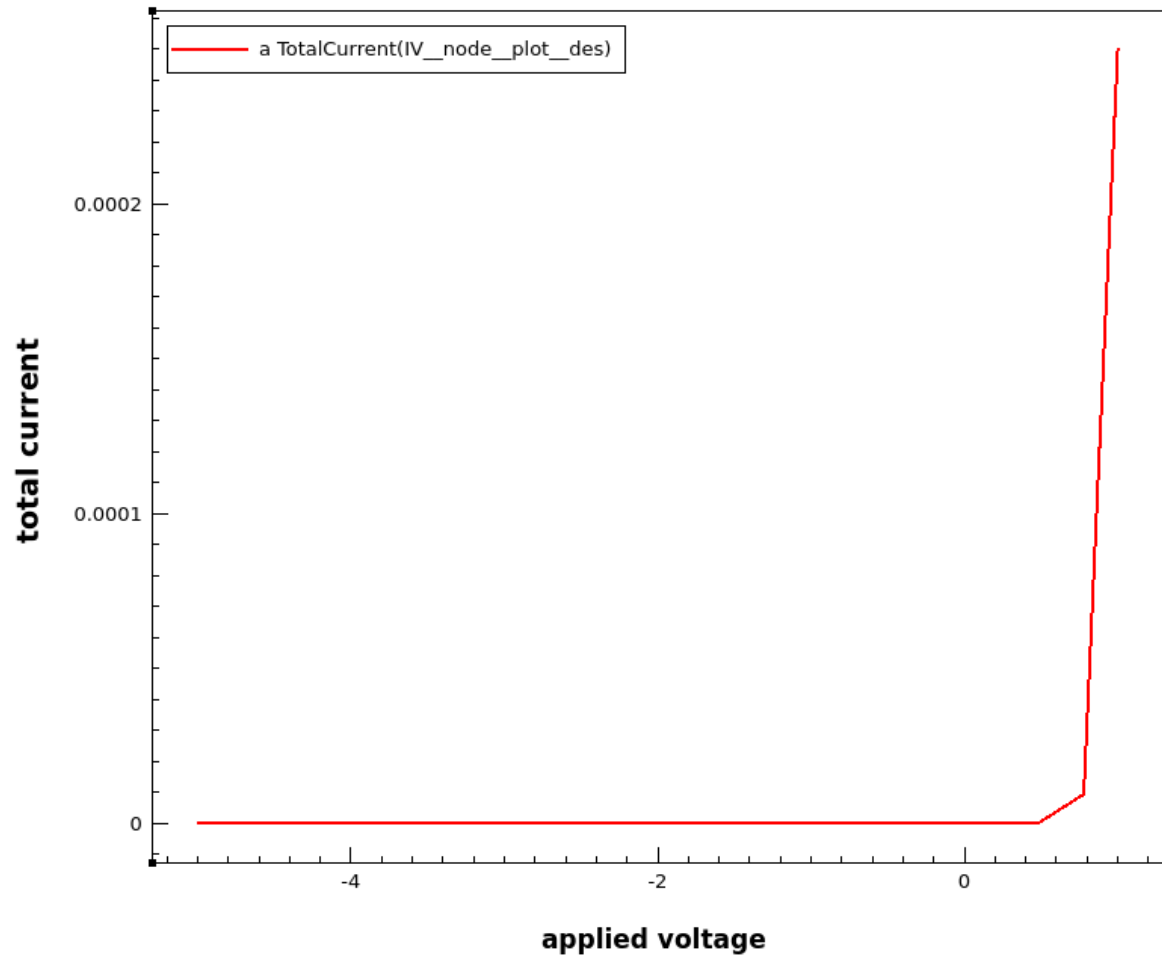
}

Si PN DIODE $N_a=N_b=10^{17}\text{cm}^{-3}$:



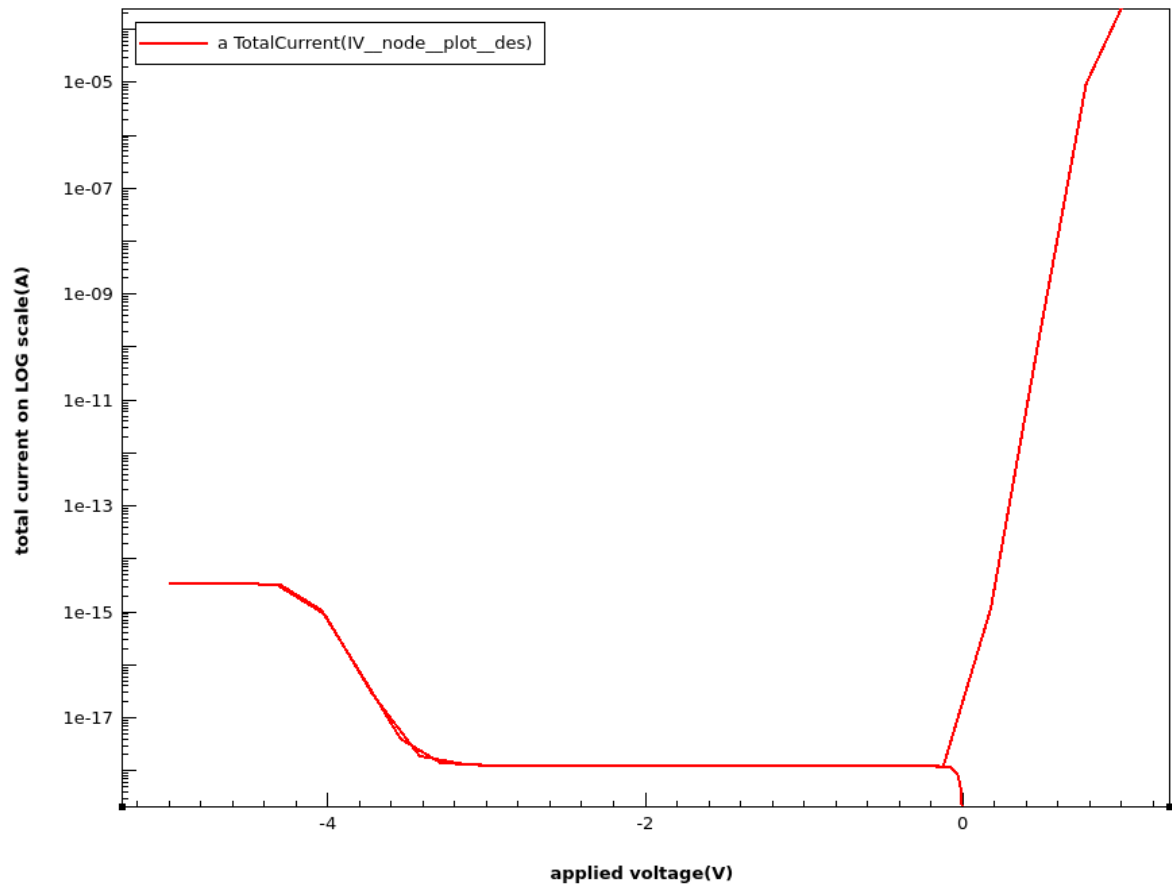
Voltage range of -5V to 1V:

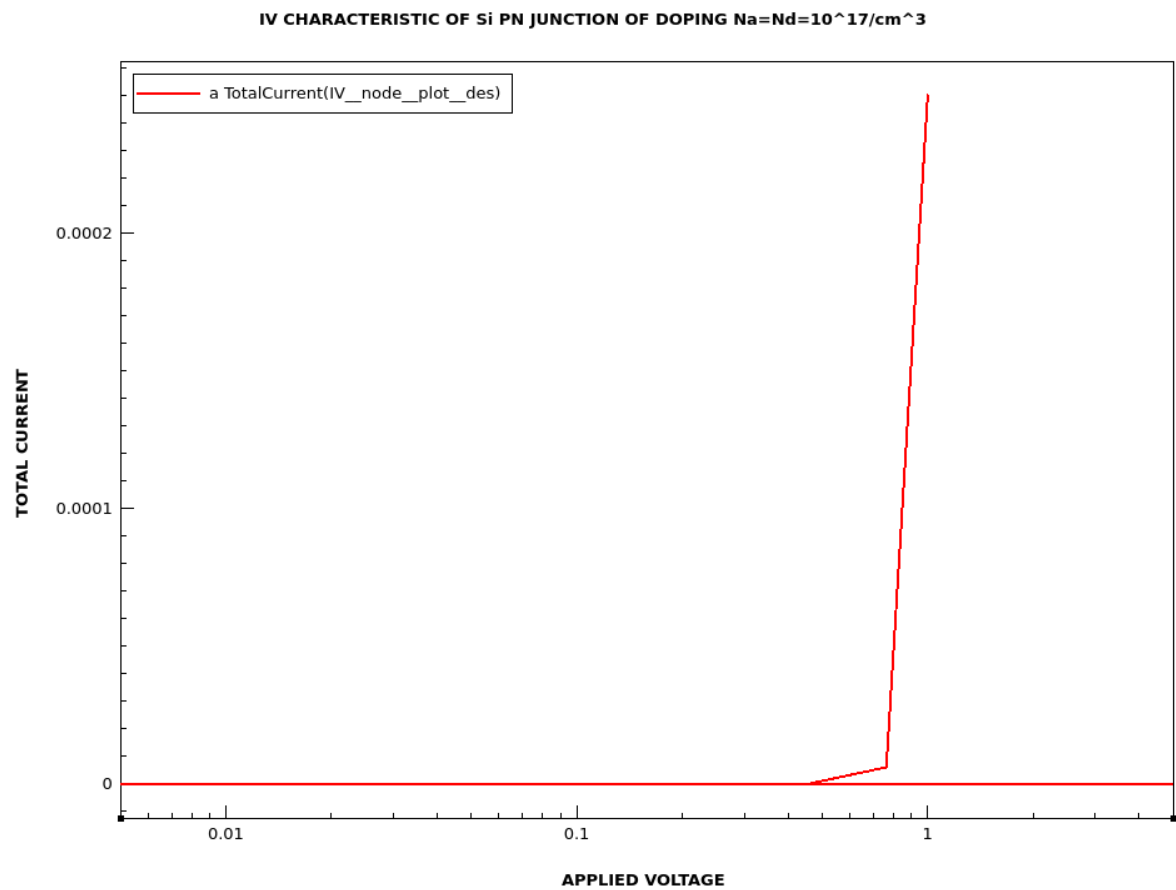
I-V Char of SiPN Junction of doping $N_a=N_d=10^{17}/\text{cm}^3$



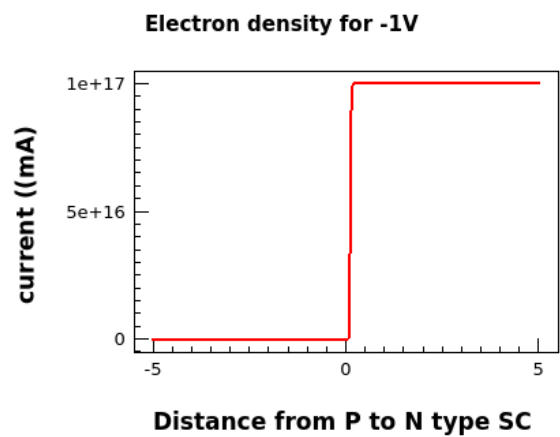
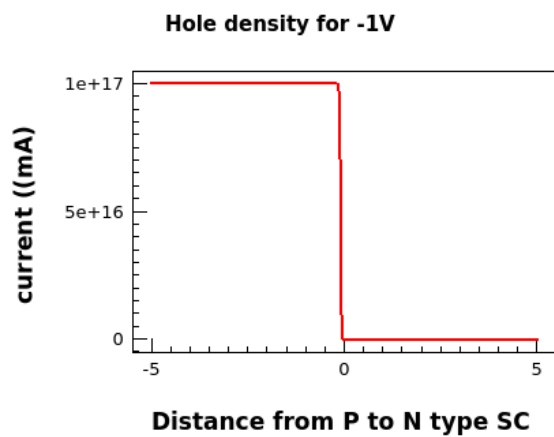
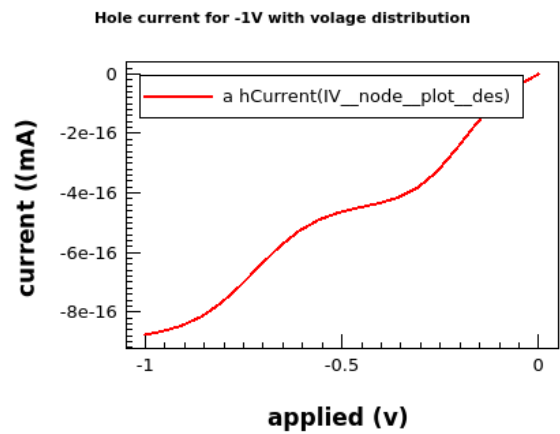
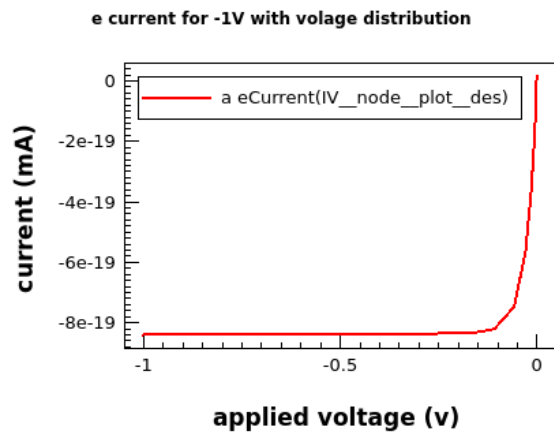
Log scale

I-V char on log scale for -5 to 1V

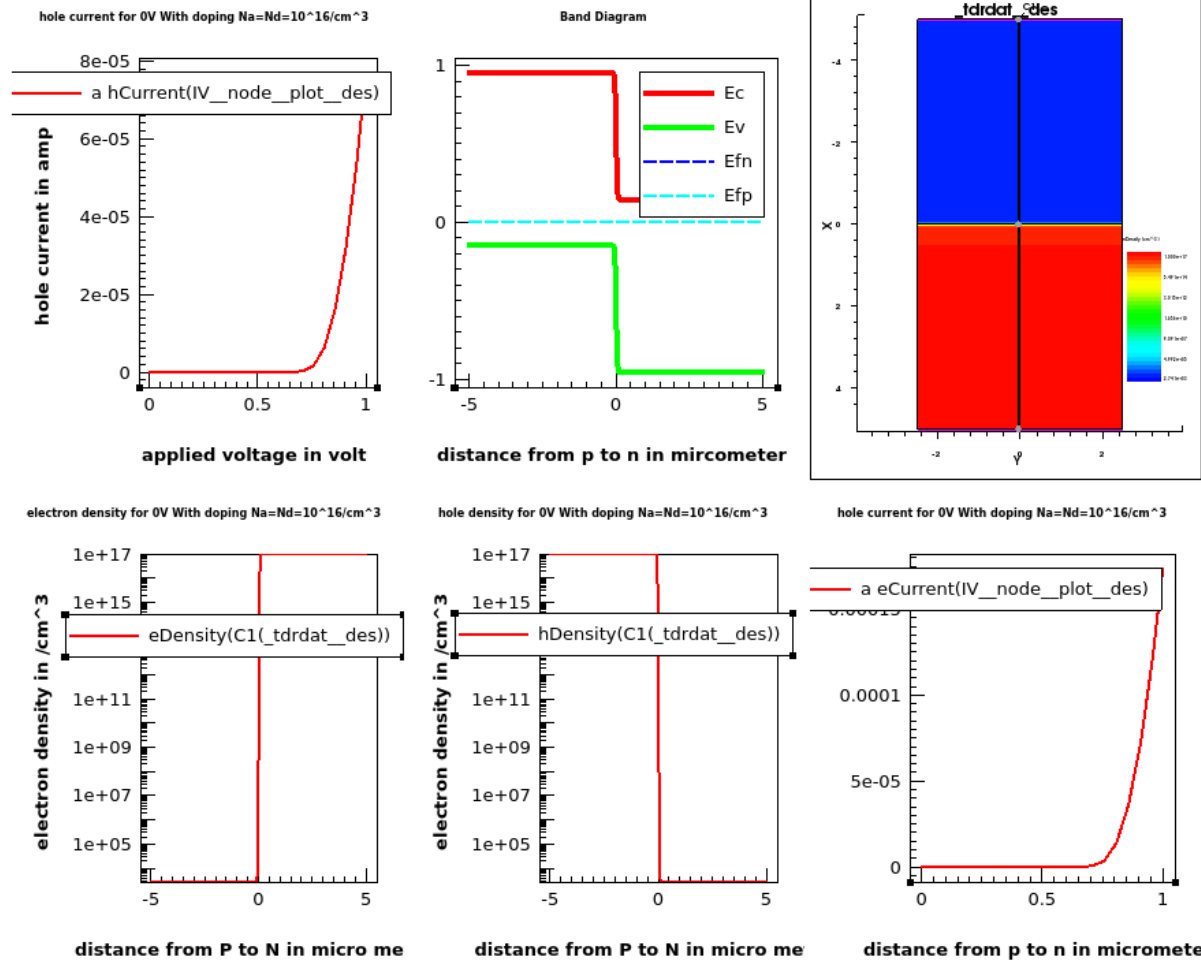




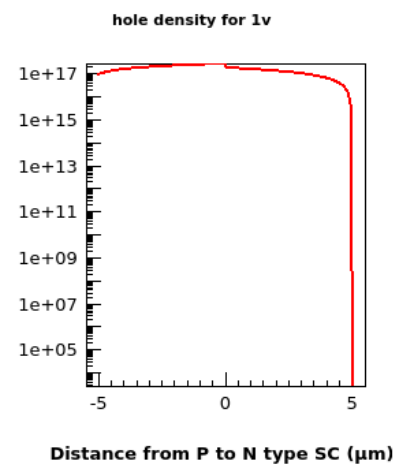
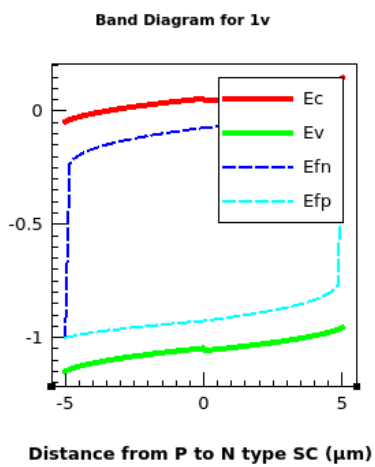
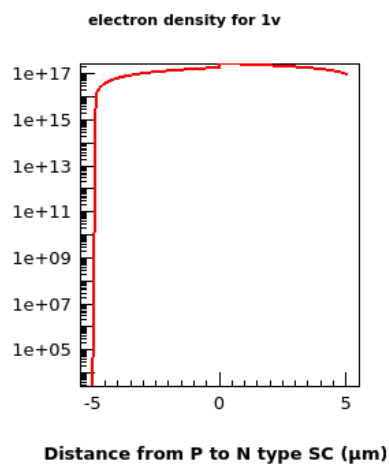
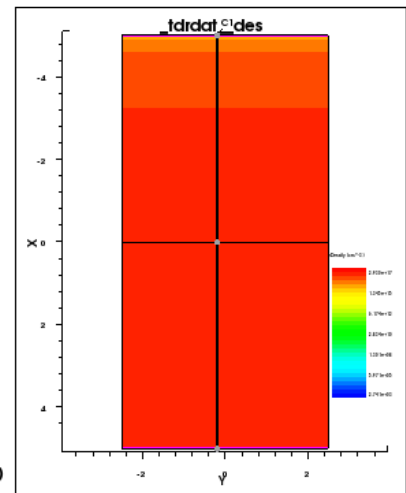
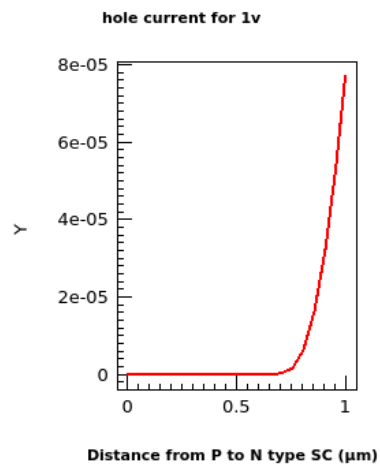
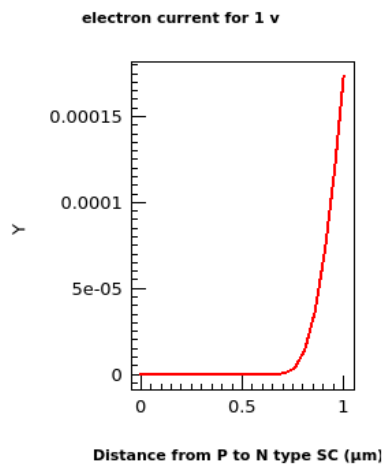
-1V :



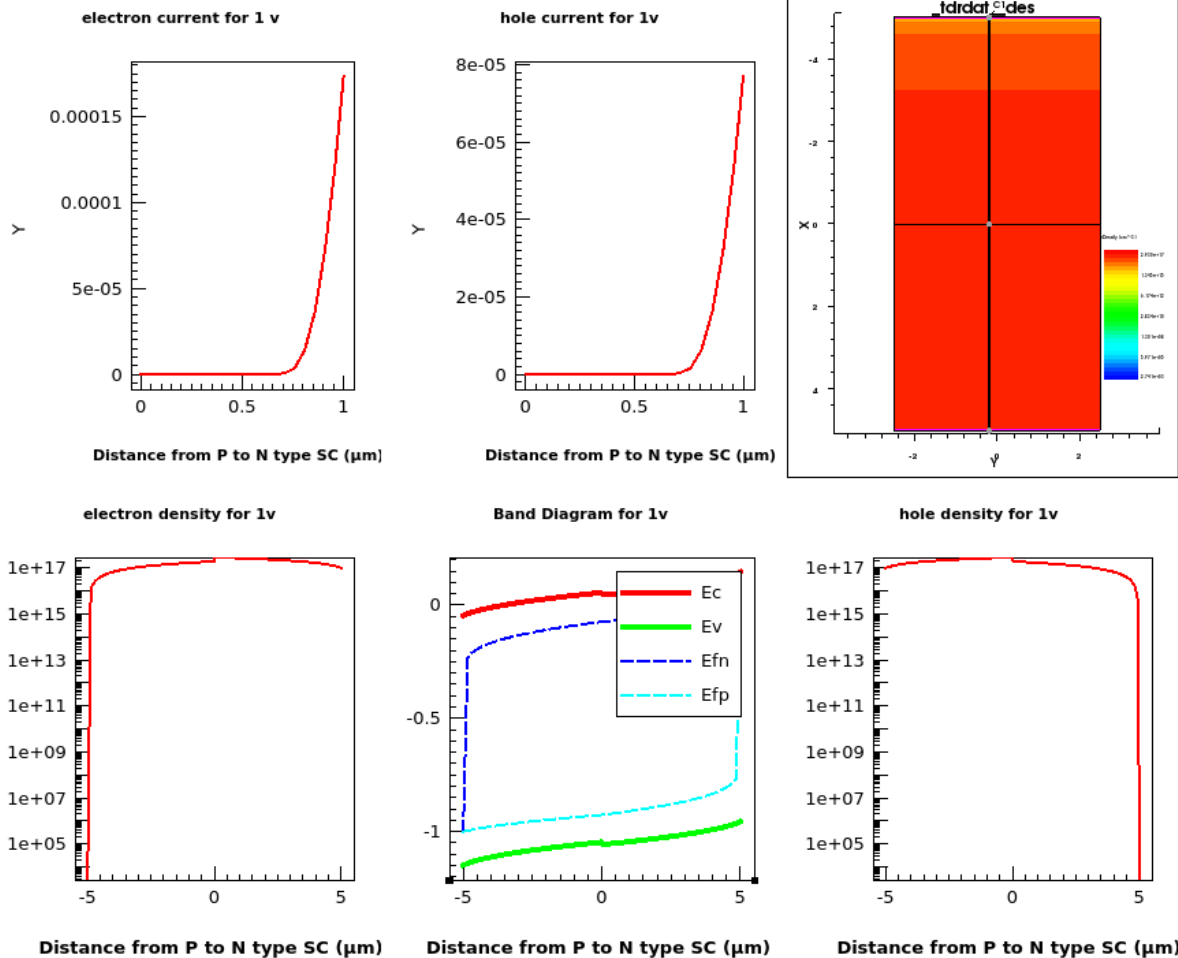
0V:



0.2V :

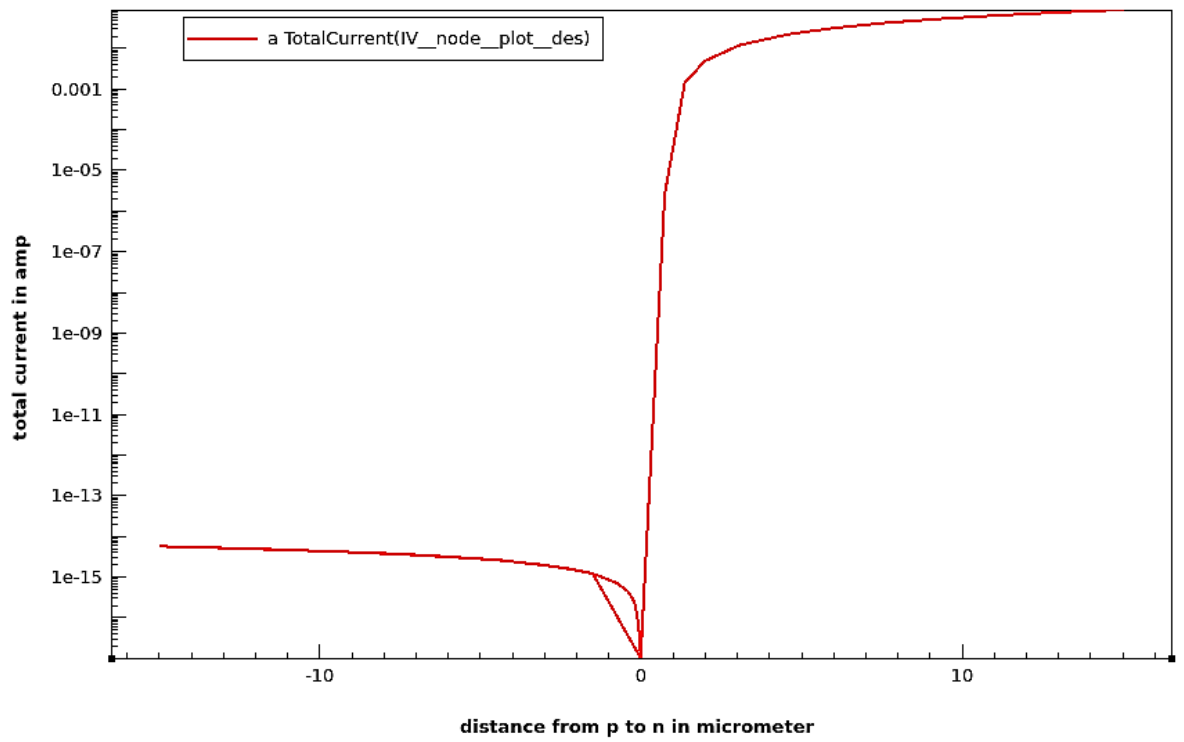


1V:



1i) Note the reverse saturation current, compare it with what you expect theoretically? Note the slope of $\log(I)$ vs V in different regions in forward bias and compare it with what you expect theoretically?

I-V plot for comparison of reverse sation current for $N_a=N_d=10^{17}/\text{cm}^3$ with Phosphorus as N type and Boron as P type



X-Axis: a OuterVoltage

X= -1.469060e+01

Y= 5.850887e-15

theoretically & from the above graph

at $V_2 = 14V$ $I_0 = 5.85 \times 10^{-15} \text{ Amp}$ for clamping

$N_A = 10^{17} / \text{cm}^3$ with phosphorus as N-type & boron as P-type SC

theoretically :-

$$I_0 = qA \left[\left(\frac{D_p}{L_p} \right) \frac{n_i^2}{N_A} + \left(\frac{D_n}{L_n} \right) \frac{n_i^2}{N_A} \right]$$

where $A = \text{length} \times \text{width}$

$L_p = \sqrt{D_p \tau_p}$, $L_n = \sqrt{D_n \tau_n}$, $\mu_p = 1.5 \times 10^5$, $\mu_n = 1417$ cm²/Vsec

$\mu_p = 470 \text{ cm}^2/\text{Vsec}$, $n_i = 1.5 \times 10^{10} / \text{cm}^3$, $\tau_p = 0.025 \text{ s}$,

$\tau_n = 1.6 \times 10^{-5}$, $N_A = N_D = 10^{17}$

$I_0 = 5.19 \times 10^{-15} \text{ A}$

Slope of $\log I$ vs applied voltage V can be given by

Region ① for P^+N (0.3, 4.22×10^{-12}) & (0.6, 3×10^{-8})

~~Slope = $\frac{1.56 \times 10^{-4} - 4.22 \times 10^{-12}}{0.6 - 0.3}$~~

Slope = 4.20×10^{-12}

Reg ② for P^+N (0.261, 2.56×10^{-4}) & (0.61, 5.31×10^{-8})

Slope = 1.36×10^{-7}

Reg ③ for N^+P (2.97, 1.14×10^{-2}) & (5.82, 3.6×10^{-2})

Slope = 0.86×10^{-2}

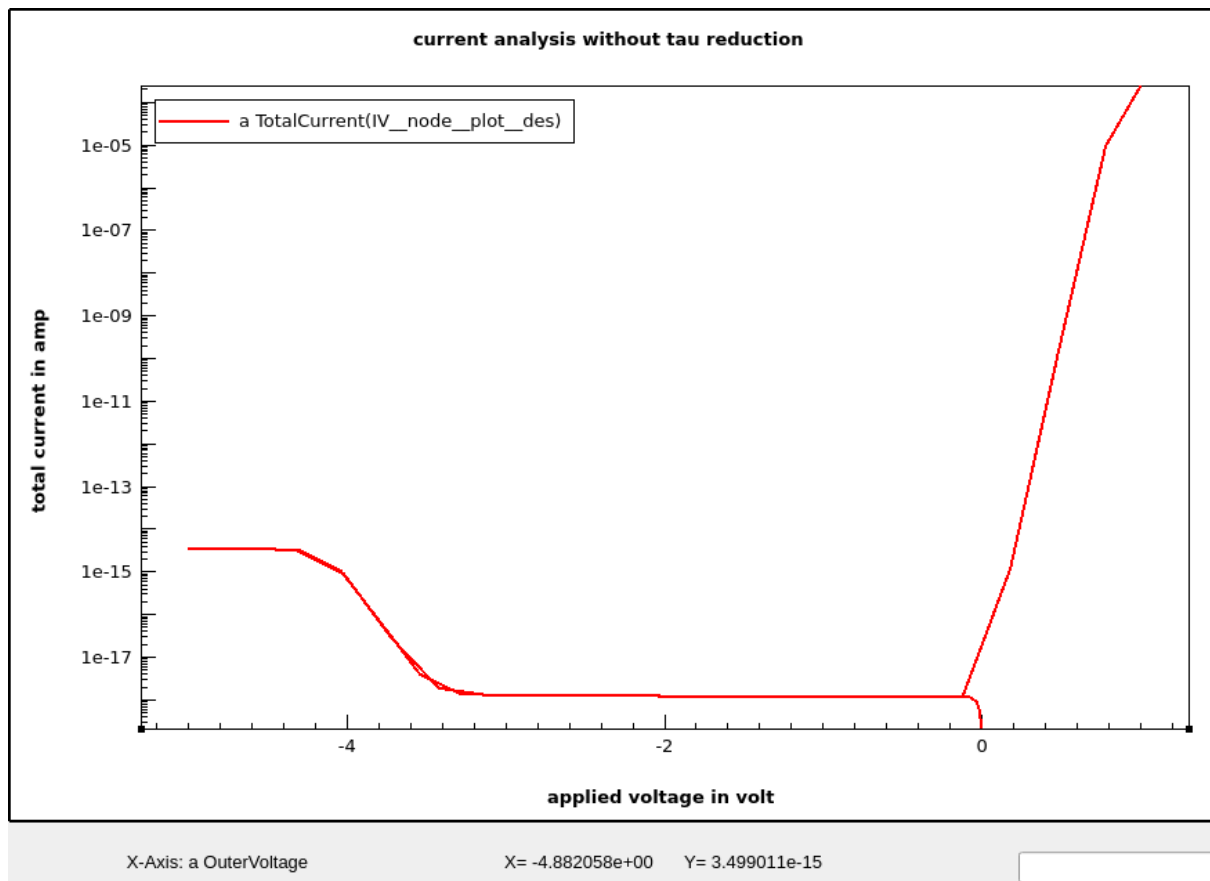
Reg ④ (18.09, 1.02×10^{-1}) & (19.39, 1.13×10^{-1})

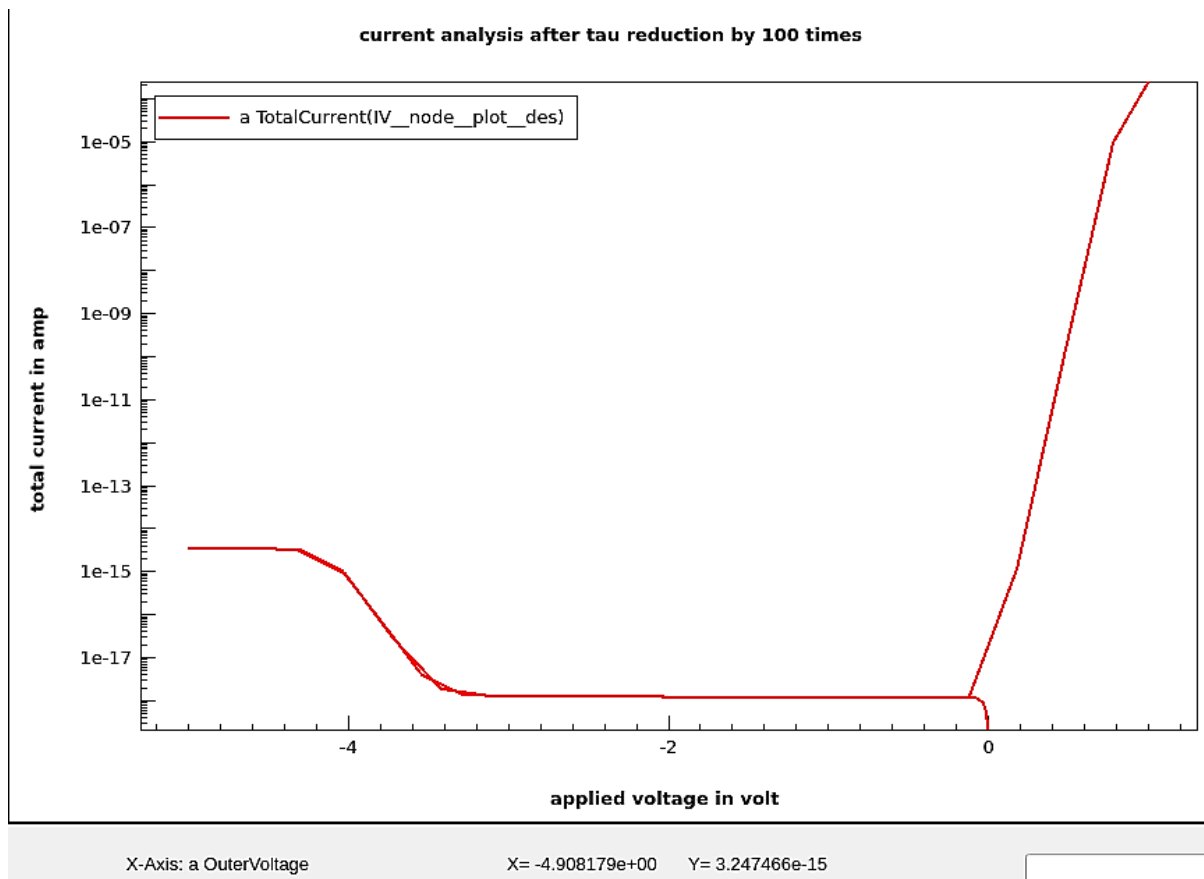
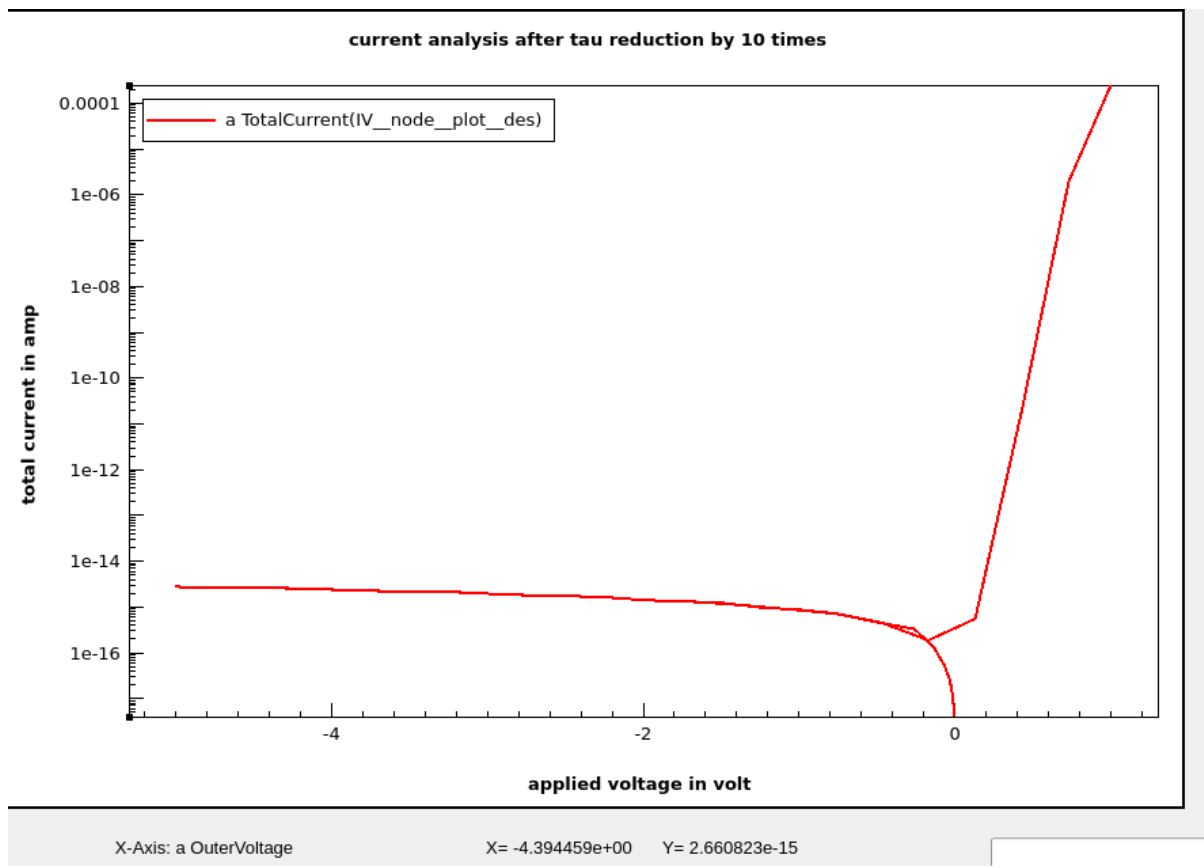
Slope = 0.73×10^{-2}

2)(ii) Repeat part (i) for reduced values of carrier lifetime. You may reduce the

values by 10 times & 100 times. What do you observe?

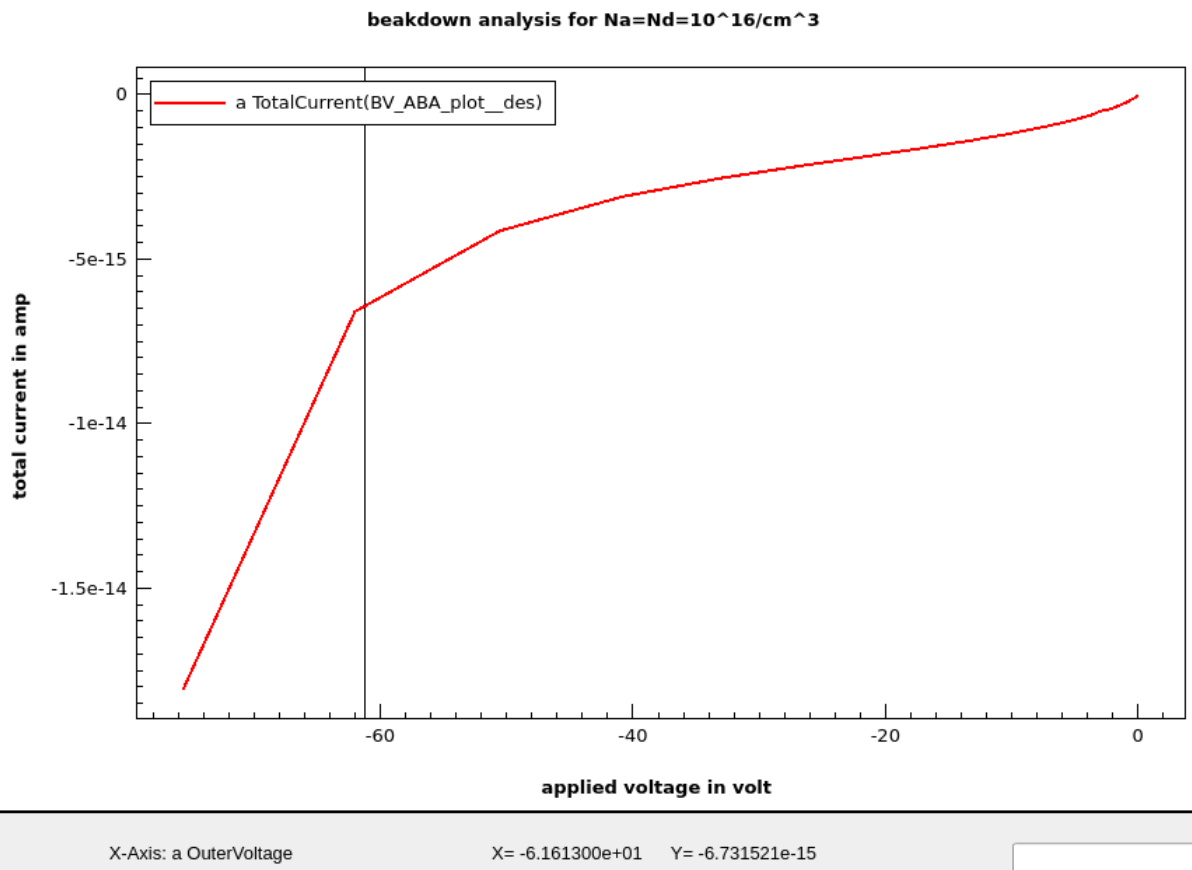
Use models. par for changing the parameters.



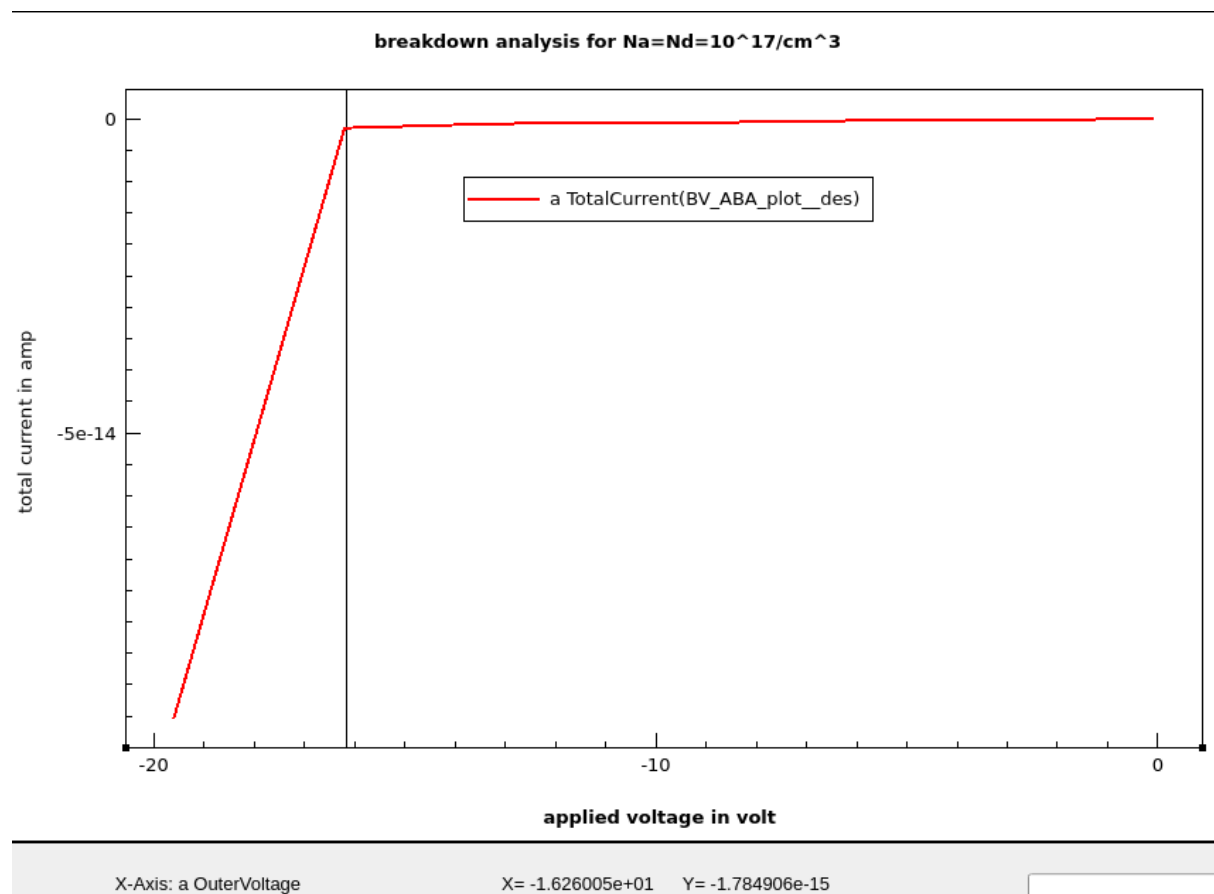


theoretically ,The reverse saturation current should be multiplied by a factor of 10 (in natural log scale by 2.3 , from above graphs you can observe by specified points) when tau values are reduced by a factor of 100. But practically it does not . it decreases when we reduce tau by 10 factor but for 100 times reduction it remains constant.

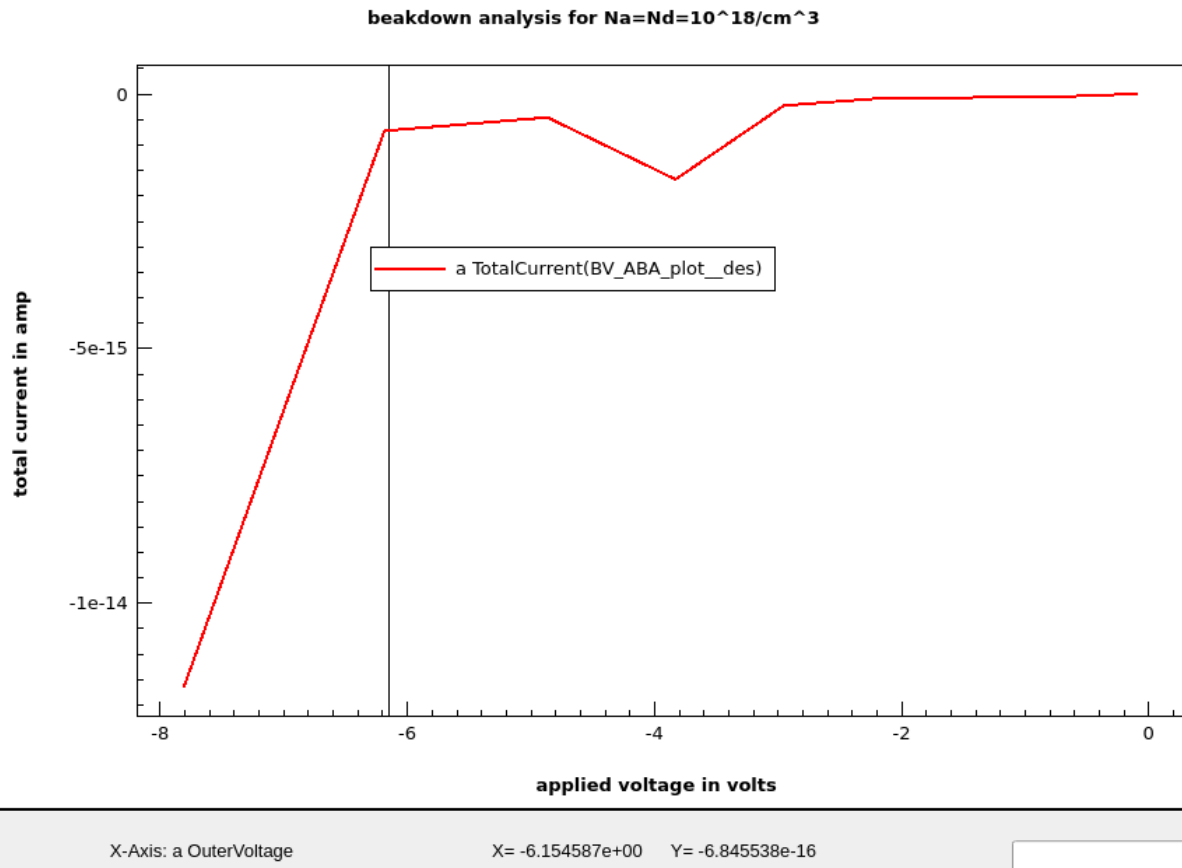
2) For the diode mentioned in Q.1, perform breakdown analysis for 3 different values of doping concentrations 10^{16} cm^{-3} , 10^{17} cm^{-3} and 10^{18} cm^{-3} . Also check VBR vs doping, where VBR is approximate breakdown voltage. Take proper meshing in each region and Si diode.



From this VBR=-61.51Volt



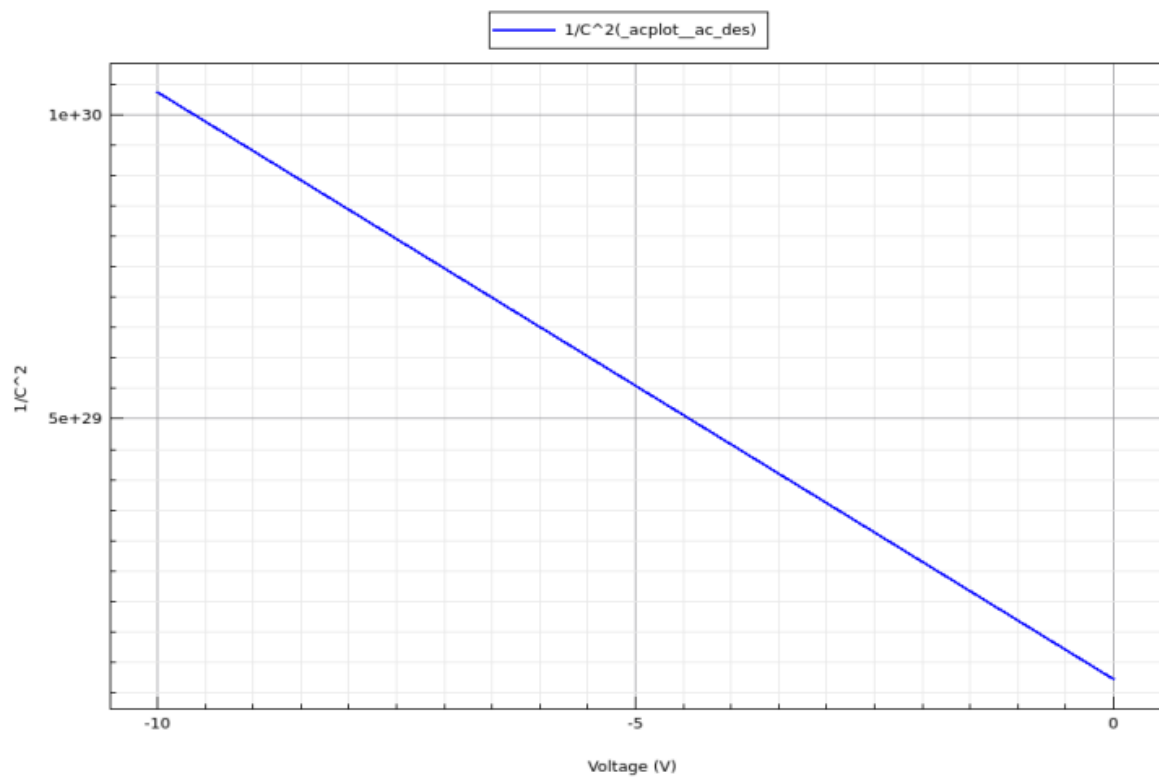
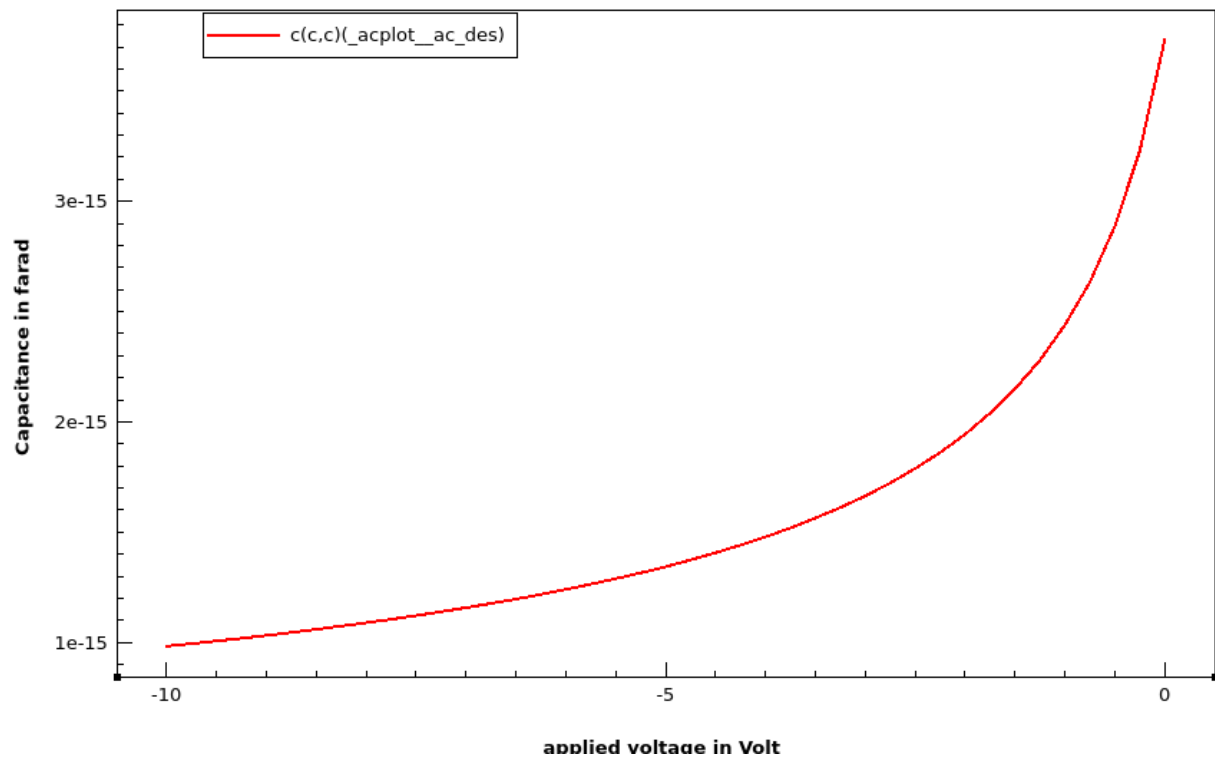
From this VBR=-16.26Volt

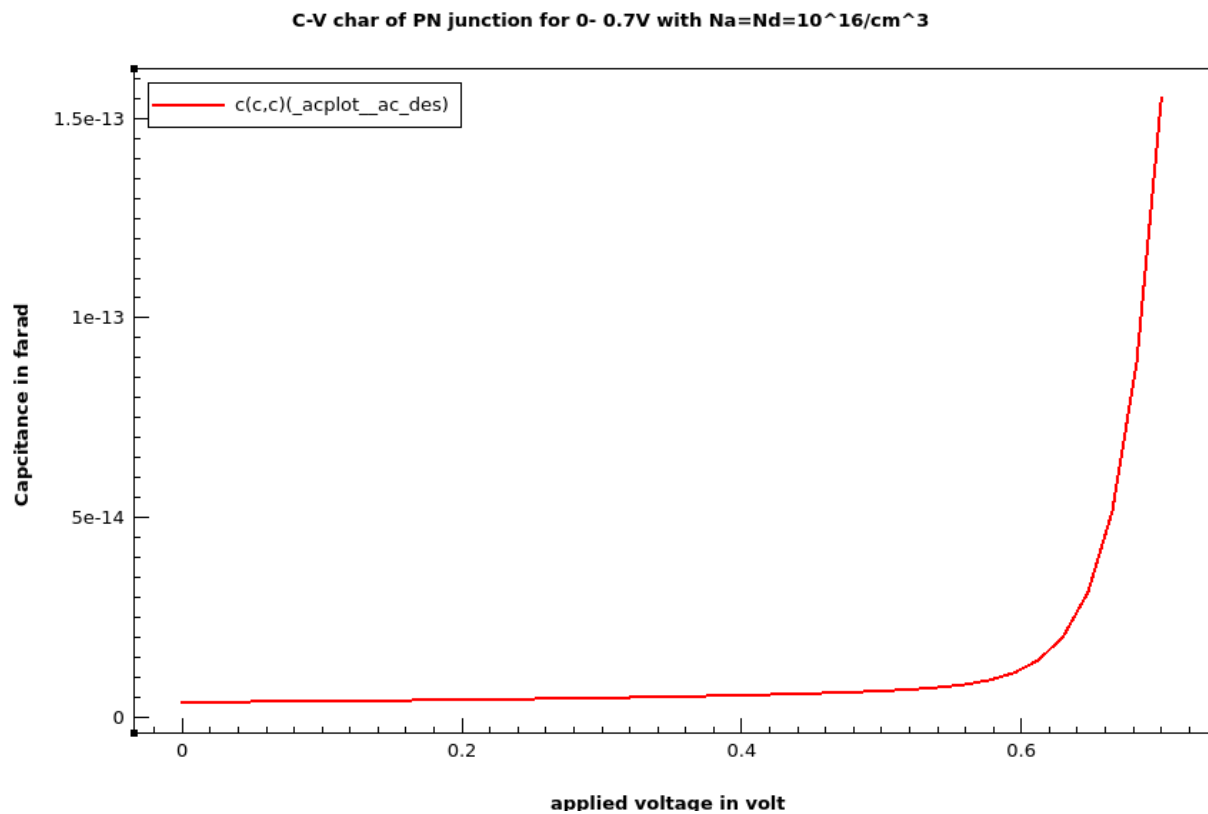


From this $V_{BR}=-6.51\text{V}$

Q.3: For the diode mentioned in Q.1, plot the CV characteristics in reverse bias for 0 to -10 V, use a low frequency of 1 KHz. Also plot $1/C^2$ vs the applied voltage and estimate doping from it. Compare it with the value used while defining the device structure. Also plot the CV characteristics in forward bias (0 to 0.7V). Note the value of the capacitance at 0.5 V from the CV plot. Compare this value with what you expect theoretically

C-V char of PN junction for Reverse bias 0 to -10V for doping $N_a=N_d=10^{16}/\text{cm}^3$





- Capacitance at 0.5 V from the plot is $6.1 \times 10^{-15} \text{ F}$

We know that

$$C = \frac{A \epsilon}{w}$$

$$C = \sqrt{\frac{2 \epsilon}{q} \left(\frac{1}{N_A} + \frac{1}{N_D} \right) (V_0 - V_A)}$$

By putting value in 'c' then we get

$$\frac{1}{C^2} = \frac{2}{q N_A N_D \epsilon_s A^2} (V_0 - V_A)$$

when $q = 1.6 \times 10^{-19}$, $N_A = 10^{17}/\text{cm}^3$, $\epsilon_r = 11.3$, $\epsilon_s = 8.85 \times 10^{-14}$

$A = \text{Length} \times \text{width}$, $V_0 = V_T \ln \frac{N_A N_D}{n_i^2}$,
 $n_i = 1.5 \times 10^{10}/\text{cm}^3$,

by simplifying we get $C = 1.18 \times 10^{-15} \text{ F}$