

Q1-ans

Option- B.16,8

Let the speed of the faster train be v_1 and the speed of the slower train be v_2 .

When the trains are running in the same direction, the relative speed is $v_1 - v_2$.

The distance traveled by the faster train to cross the slower train is $125 + 115 = 240$ meters.

The time taken for the faster train to cross the slower train is 30 seconds.

Therefore, the relative speed is $v_1 - v_2 = 240/30 = 8$ meters per second.

When the trains are running in opposite directions, the relative speed is $v_1 + v_2$.

The distance traveled by the two trains to cross each other is $125 + 115 = 240$ meters.

The time taken for the two trains to cross each other is 10 seconds.

Therefore, the relative speed is $v_1 + v_2 = 240/10 = 24$ meters per second.

Now, we can solve for v_1 and v_2 .

$$v_1 - v_2 = 8$$

$$v_1 + v_2 = 24$$

Adding these two equations, we get $2v_1 = 32$

Therefore, $v_1 = 16$ meters per second.

Substituting this value of v_1 into the first equation, we get $v_2 = 8$ meters per second.

Therefore, the speed of the faster train is 16 meters per second and the speed of the slower train is 8 meters per second.

Q2-ans

Option- D.10 seconds

The speed of the first train is $50 \text{ km/hr} = 50000/3600 = 13.88 \text{ m/s}$

The speed of the second train is $60 \text{ km/hr} = 60000/3600 = 16.66 \text{ m/s}$

The relative speed of the trains is $13.88 + 16.66 = 30.54 \text{ m/s}$

The total distance to be covered is $140 + 166 = 306$ meters

The time taken to cross each other is $306/30.54 = 10$ seconds

So the answer is 10

Q3-ans

Let's first find the speed of each train when it is running past the man.

Train 1: 125 meters / 36 seconds = 3.47 meters per second

Train 2: 115 meters / 26 seconds = 4.42 meters per second

Now, we can find the relative speed of the two trains by adding their speeds together.

Relative speed = 3.47 meters per second + 4.42 meters per second = 7.89 meters per second

Finally, we can find the ratio of their speeds by dividing the speed of Train 1 by the speed of Train 2.

Ratio of speeds = 3.47 meters per second / 4.42 meters per second = 0.78

Therefore, the ratio of the speeds of the two trains is 78:100.

Q4-ans

Option D.33

Time taken to cross the platform = total distance covered / speed of train

Distance covered = length of train + length of platform

= 240 + 400 = 660 meters

Speed of train = Distance (length of train) / time taken to cross the pole

240/12 = 20m/sec

So, time taken to cross the platform = 660/20 = 33m/s

Q5-ans

Option C. 240 & 660

Speed of train = 108 km/hr = $108 \times \frac{5}{18}$ = 30 m/s

Let the length of train = L

Length of platform = P

Time taken to cross the platform = 30 s

Distance covered in 30 s = $30 \times 30 = 900$ m

$$L + P = 900 \text{ --- (1)}$$

Now, the train crosses a man running at 12 km/hr in the same direction of train in 9 seconds.

Relative speed of train with respect to man = $108 - 12 = 96$ km/hr = $96 \times 5/18 = 26.66$ m/s

Distance covered in 9 s = $26.66 \times 9 = 240$ m

$$L = 240 \text{ m}$$

From (1), $P = 900 - L = 900 - 240 = 660$ m

Therefore, the length of the train is 240 m and the length of the platform is 660 m.

Q6-ans

Option C. 340 km

The distance between the stations is equal to the sum of distance covered by each train.

Let the distance covered by first distance = X

So, the distance covered by second train = $X + 20$

When the two trains starts from two different stations at the same time towards each other, they take same time to meet each other.

time = distance/speed

so

$$45X = 40X + 800$$

$$45X - 40X = 800$$

$$5X = 800$$

$$X = 160 \text{ km}$$

Then distance covered by second train = $160 + 20 = 180$ km

So, the distance between stations P and Q = $160 + 180 = 340$ km

Q7-ans

Let's first find the speed of each train.

Train 1: 28 seconds / 240 meters = 1.125 meters per second

Train 2: 18 seconds / 180 meters = 1 meter per second

Now, let's find the total distance traveled by the two trains when they cross each other.

Total distance = (1.125 meters per second) x (26 seconds) = 29.375 meters

Now, we can find the ratio of their speeds by dividing the speed of train 1 by the speed of train 2.

Ratio of speeds = (1.125 meters per second) / (1 meter per second) = 1.125
Therefore, the ratio of the speeds of the two trains is 1.125:1.

Q8-ans
Option B.
4:3

As the trains start simultaneously, they will cover equal distances in the first half of the journey.

Therefore,
 $x/9 = y/16$
 $x:y = 16:9$
Therefore, the ratio of the speeds of the two trains is 16:9.

Alternatively, we can also solve this problem using the concept of relative speed.

Let the relative speed of the two trains be z .

As the trains are moving in opposite directions, their relative speed will be added.

Therefore,
 $z = x + y$

$z = 16 + 9 = 25$
 $x:y = z/2 = 25/2 = 16:9$
Therefore, the ratio of the speeds of the two trains is 4:3.

Q9-ans
Option D.
79.2 km/hr

Length of the Bridge = 264 m.
Time taken to pass the bridge = 20 sec.
Time taken to pass the post = 8 sec.
Length of the train = X m (Let.)
To pass the bridge train need to cover Train's length + Bridge length ($X + 264$).
Speed = Distance covered / time taken
Now,
 $X/8 = (264 + X)/20$
 $20X = 264 * 8 + 8X$
 $20X - X = 264 * 8$
 $12X = 264 * 8$
 $X = (264 * 8)/12$

$X = 176 \text{ m. (length of the train)}$

Speed of the train $= 176/8 = 22 \text{ m/sec} = (22 \times 18)/5 = 79.2 \text{ Kmph.}$

Q10-ans

Option A. 14.4 sec

Let length of each train be x meter.

Then, speed of 1st train $= x/18 \text{ m/sec}$

Speed of 2nd train $= x/12 \text{ m/sec}$

Now,

When both trains cross each other, time taken

$$\frac{2x}{\left(\frac{x}{18} + \frac{x}{12}\right)} = 14.4 \text{ sec}$$

Q11-ans

Option A. 230 m

The length of the other train is 230 meters.

The relative speed of the two trains is $120 + 80 = 200 \text{ kmph} = 500/9 \text{ m/s.}$

The total distance that the trains need to travel to cross each other is $270 + x$ meters, where x is the length of the other train.

The time it takes for the trains to cross each other is 9 seconds.

Therefore, we have the equation $500/9 = (270 + x) / 9.$

Solving for x , we get $x = 230$ meters.

Q12-ans

Option B. 10.00

Assume both trains meet after x hours after 7 am

Distance covered by train starting from P in x hours $= 20x \text{ km}$

Distance covered by train starting from Q in $(x-1)$ hours = $25(x-1)$

Total distance = 110

$$\Rightarrow 20x + 25(x-1) = 110$$

$$\Rightarrow 45x = 135$$

$$\Rightarrow x = 3$$

Means, they meet after 3 hours after 7 am, ie, they meet at 10 am

Q13-ans

Option C. 60

The distance between stations A and B is 60 kilometers.

Let the speed of the train when it covers the distance in 45 minutes be v . The distance traveled in 45 minutes is $v * 45/60 = 3v/4$ kilometers.

When the speed of the train is reduced by 5 kilometers per hour, the new speed is $v - 5$. The distance traveled in 48 minutes is $(v - 5) * 48/60 = 3v - 10/4$ kilometers.

Since the train travels the same distance in both cases, we have the equation $3v/4 = 3v - 10/4$. Solving for v , we get $v = 60$ kilometers per hour.

Therefore, the distance between stations A and B is $3v/4 = 60 * 3/4 = 60$ kilometers.

Q14-ans

Option A. 5 hours

The average speed of the first train is $(2*126*90)/(126+90) = 105$ km/h.

The distance between stations P and Q is 525 km.

Therefore, the time taken by the second train to travel 525 km is $525/105 = 5$ hours.

Q15-ans

Option C. 10

Without stoppages, in 1 hr train covers 72 km.

With stoppages, in 1 hr train covers 60 km.

Thus, average speed of the train is reduced by $72 - 60 = 12$ km

So the time taken to cover 12km is now actually used up at stoppages.

Time taken to cover 12 km $= (12/72) 60$ minutes = 10 minutes

the train stops for 10 minutes in an hour on average.