Professor Thomas Prellberg

School of Mathematical Sciences Queen Mary, University of London

Open Day Presentation 2016



Mathematics is not

- just "doing things with numbers and letters and other symbols"
- just a collection of facts and rote recipes
- just computational and arithmetic skills

- a way of thinking
- the language of science
- a creative discipline
- a source of pleasure and wonder
- problem solving



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- Highly developed numerical skills
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7 Prize Problems, selected by Clay Mathematics Institute in 2000



- Birch and Swinnerton-Dver Conjecture
- Hodge Conjecture
- Navier-Stokes Equations
- P vs NP
- Poincaré Conjecture
- Riemann Hypothesis
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Some "recently" proved problems:

• Fermat's last theorem (1637, proved 1994): If an integer *n* is greater than 2, then the equation

$$a^n + b^n = c^n$$

has no solutions in non-zero integers a, b, and c.

For n = 2, this is of course possible, for example

$$3^2 + 4^2 = 5^2 .$$

 The four colour theorem (1852, proved 1976): Given any plane separated into regions, such as a political map of the states of a country, the regions may be coloured using no more than four colours

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Some unsolved problems:

• Goldbach's conjecture (1742): every even integer greater than 2 can be written as the sum of two primes.

For example,
$$18 = 5 + 13 = 7 + 11$$
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Goldbach's ternary conjecture, proved 2013: every odd integer greater than 5 can be written as the sum of three primes.

• The twin prime conjecture (300 BC): there are infinitely many primes p such that p + 2 is also prime.

For example, 17 and 19 are twin primes

proved 2014: there are infinitely many primes that differ by at most 246.



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What is Mathematics Some Million Dollar Problems Examples of Solved and Open Problems Mathematics at Queen Mary

"The history of mathematics is a history of horrendously difficult problems being solved by young people too ignorant to know that they were impossible."

Freeman Dyson, "Birds and Frogs", AMS Einstein Lecture 2008

MORE LATER

Three-Year BSc Degree Courses

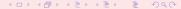
| Title | Code | Req. |
|--|------|------|
| Mathematics | G100 | 340 |
| Pure Mathematics | G110 | 340 |
| Mathematics and Statistics | GG31 | 340 |
| Mathematics with Business Management | G1N1 | 340 |
| Mathematics with Actuarial Science ¹ | G1N3 | 340 |
| Mathematics with Business Management and Finance | GN13 | 340 |
| Mathematics with Finance and Accounting | G1N4 | 340 |
| Mathematics, Statistics, and Financial Economics | GL11 | 340 |

A=120, B=100

Other Degree Courses

| Degree | Years | Title | Code | Req. |
|--------|-------|--|------|------|
| MSci | 4 | Mathematics | G102 | 360 |
| MSci | 4 | Financial Mathematics | GN1H | 360 |
| MSci | 4 | Mathematics with Statistics | G1G3 | 360 |
| BSc | 3 | Computer Science with Mathematics | GG41 | 340 |
| BSc | 3 | Economics, Statistics, and Mathematics | LG11 | 340 |
| | 1 | Science & Eng. Foundation Programme | FGH0 | 180 |

- All classified degrees are honours degrees
- Course unit system instead of joint or combined honours



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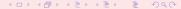
Course Unit System

Advantages:

- Flexibility
- Opportunities to take modules in other departments
- Freedom to shape your programme of study
- Specialisation in penultimate and final year

Typically,

- take 8 modules in first year (no choice)
- choose 8 of 16 modules in second year
- choose 8 of 24 modules in third year



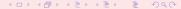
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Example: G100 Mathematics

Study Programme Structure

- Compulsory modules
- + Optional compulsory modules
- + Elective modules

Streams withing G100 include

- Algebra and Discrete Mathematics
- Analysis and Geometry
- Probability and Statistics
- Applied Mathematics



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The Academic Year

| late September | Teaching Semester A |
|----------------|---------------------|
| mid December | (12 weeks) |
| early January | Teaching Semester B |
| late March | (12 weeks) |
| late April | Examination Period |
| early June | (6 weeks) |

Teaching

- 4 modules per semester
- 3 hours lectures + 1 hour exercise class (per module and week)
- 4 × 4 = 16 timetabled hours per week

Assessment

- Modules count 1:3:6 to final degree
- 10% in-term assessment + 90% final exam
- 2 attempts at exam (one resit)

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- Personal Academic Advisers (academic matters)
- Senior Tutor, Director of Undergraduate Studies
- Student Support Officer "i² Keepin' it real"
- PASS (Peer Assisted Study Support)

College

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- Health Centre
- Disability Coordinator
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- The Students Union
- Student Accomodation



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