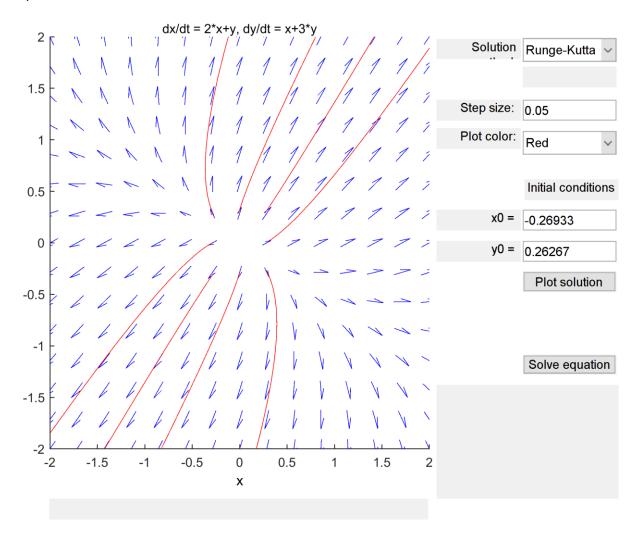
a)



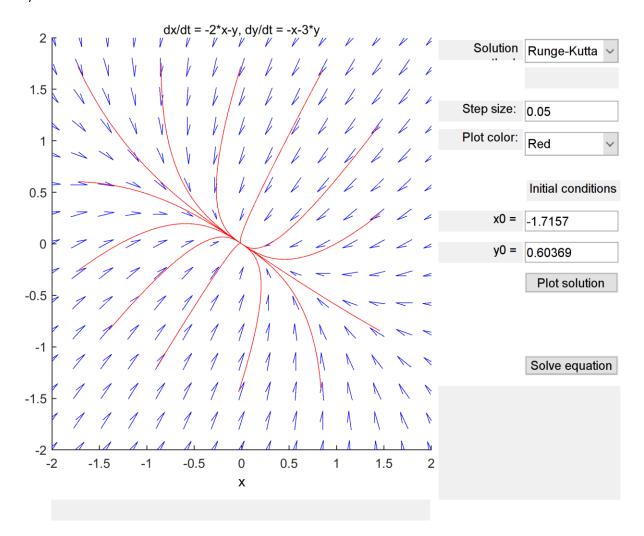
b) Nodal source, unstable

c) 
$$\lambda_1=\frac{5}{2}+\frac{sqrt(5)}{2}$$
 ,  $\;\lambda_2=\frac{5}{2}-\frac{sqrt(5)}{2}$ 

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues. (case: two positive real eigenvalues mean unstable nodal source)

a)



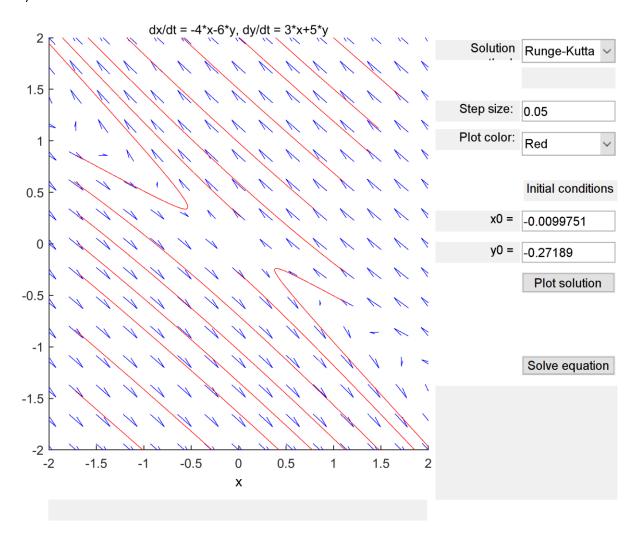
b) Nodal sink, asymptotically stable

c) 
$$\lambda_1=\frac{-5}{2}+\frac{sqrt(5)}{2}$$
 ,  $\;\lambda_2=\frac{-5}{2}-\frac{sqrt(5)}{2}$ 

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues. (case: two negative real eigenvalues mean asymptotically stable nodal sink)

a)



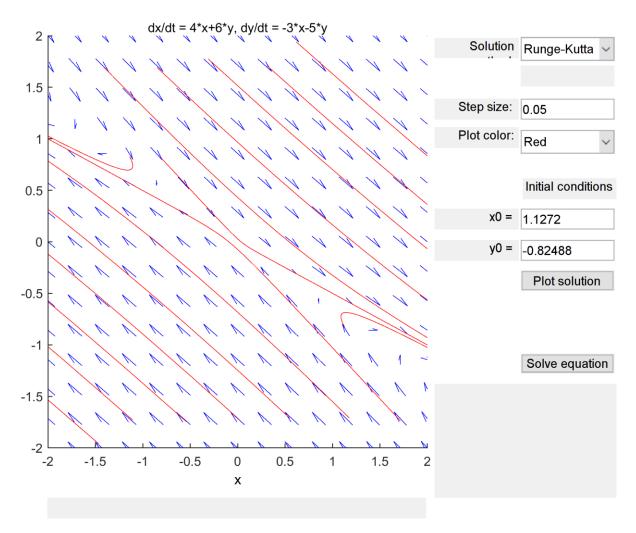
b) Saddle point, unstable

c) 
$$\lambda_1=2$$
,  $\lambda_2=-1$ 

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues. (case: one positive, one negative real eigenvalues mean unstable saddle point)

a)



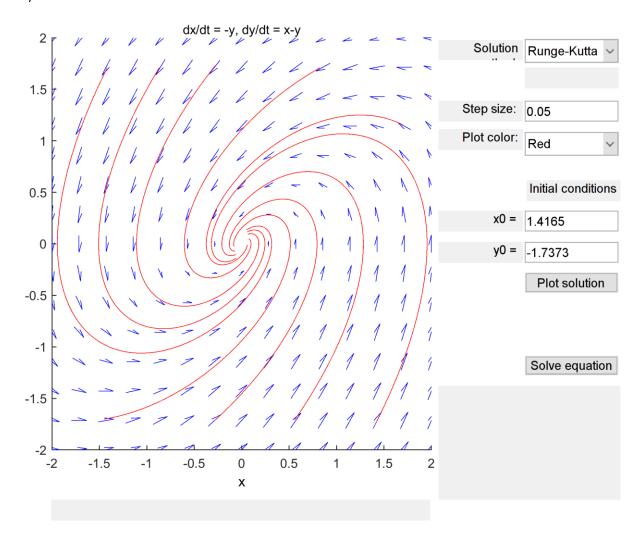
b) Saddle point, unstable

c) 
$$\lambda_1=-2$$
,  $\lambda_2=1$ 

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues. (case: one positive, one negative real eigenvalues mean unstable saddle point)

a)



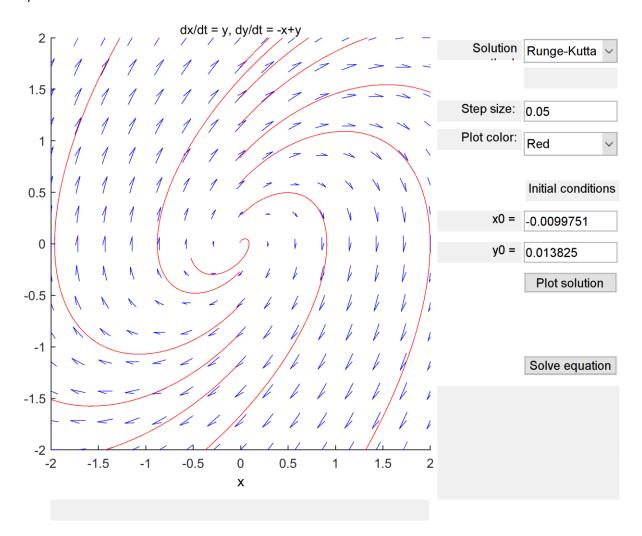
b) Counterclockwise spiral sink, asymptotically stable

c) 
$$\lambda_1 = \frac{1}{2}(-1 + 2i(\frac{sqrt(3)}{2})), \ \lambda_2 = \frac{1}{2}(-1 - 2i(\frac{sqrt(3)}{2}))$$

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues. (case: two complex eigenvalues with negative real component mean asymptotically stable spiral sink)

a)



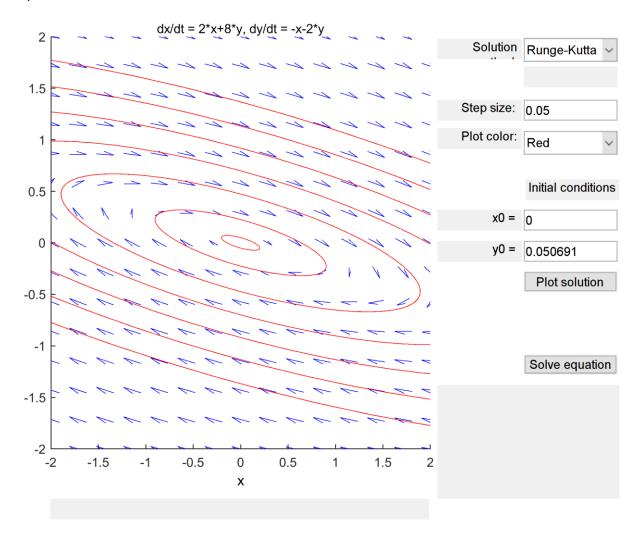
b) Clockwise spiral source, unstable

c) 
$$\lambda_1 = \frac{1}{2}(1 + 2i(\frac{sqrt(3)}{2})), \ \lambda_2 = \frac{1}{2}(1 - 2i(\frac{sqrt(3)}{2}))$$

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues. (case: two complex eigenvalues with positive real component mean unstable spiral source)

a)



b) Clockwise centre, stable

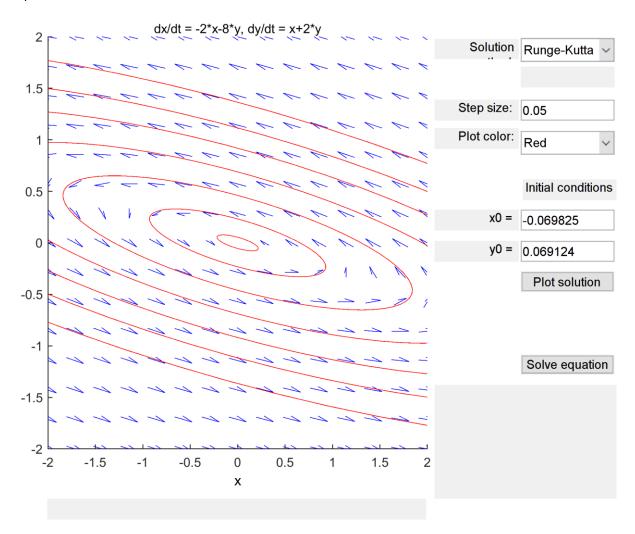
c) 
$$\lambda_1 = 2i$$
,  $\lambda_2 = -2i$ 

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues.

(case: two complex eigenvalues with no real component mean stable centre)

a)



b) Counterclockwise centre, stable

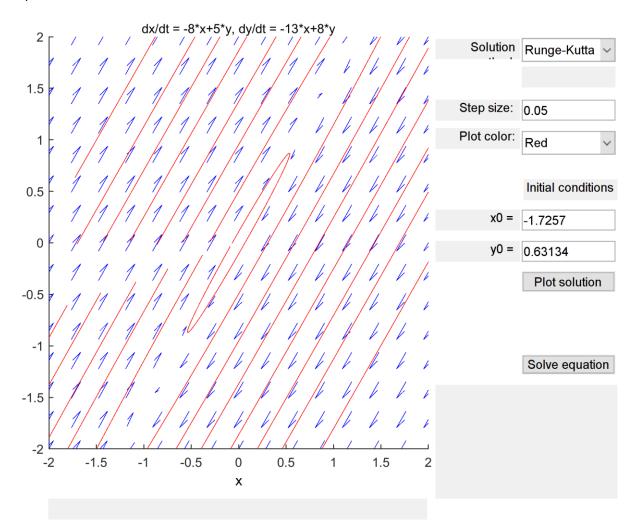
c) 
$$\lambda_1=2i$$
,  $\lambda_2=-2i$ 

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues.

(case: two complex eigenvalues with no real component mean stable centre)

a)



b) Clockwise centre, stable

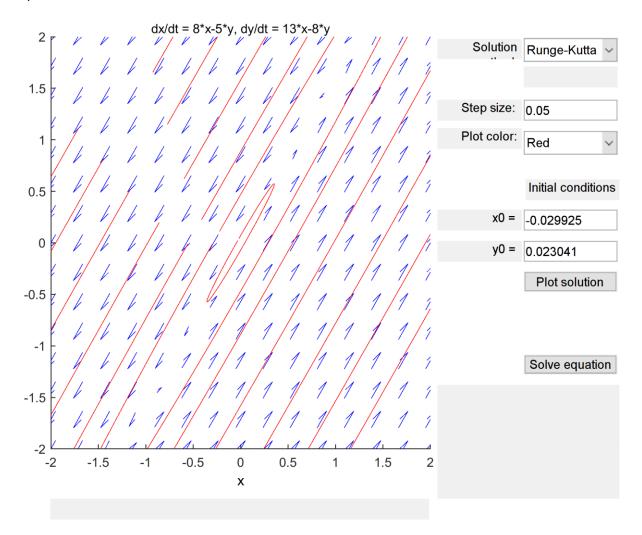
c) 
$$\lambda_1 = i$$
,  $\lambda_2 = -i$ 

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues.

(case: two complex eigenvalues with no real component mean stable centre)

a)



b) Counterclockwise centre, stable

c) 
$$\lambda_1 = i$$
,  $\lambda_2 = -i$ 

# NOTE:

For the phase portrait, the trajectory matched the expected behavior as determined by the eigenvalues. (case: two complex eigenvalues with no real component mean stable centre)