# Decentralized Mnemonic

Backup System

PriFi Labs Inc.

If you do not own your private keys ...

... you do not own your crypto assets!





#### Non custodial wallets



- The private keys are stored on your device
- Problem What if your device gets lost or stolen?
- ✓ Solution During setup, you were given a "secret recovery phrase" a 12-word mnemonic phrase (BIP39 standard) that can be used as a backup or to import the wallet into another device

witch collapse practice feed shame open despair creek road again ice least

#### X

#### **Backup your Secret Recovery Phrase**

MetaMask requires that you store your Secret Recovery Phrase in a safe place. It is the only way to recover your funds should your device crash or your browser reset. We recommend you to write it down. The most common method is to write your 12-word phrase on a piece of paper and store it safely in a place where only you have access. **Note: if you lose your Secret Recovery Phrase, MetaMask can't help you recover your wallet.** Never give you Secret Recovery Phrase or your private key(s) to anyone or any site, unless you want them to have full control over your funds.

# Storing a piece of paper in a safe place is inconvenient

- Problem Where do you store your paper?
   In your cash and credit card wallet? It could get lost or stolen
   In the house? It could burn down
   In a deposit box at the bank? Good but cumbersome
- ✓ Solution How about storing it on the blockchain directly?
- → Decentralized Mnemonic Backup System to save a backup of any blockchain mnemonic to the Secret Network

#### Outline

Iteration I: User Experience

Iteration 2: Security Hardening

Iteration 3: Improving Availability

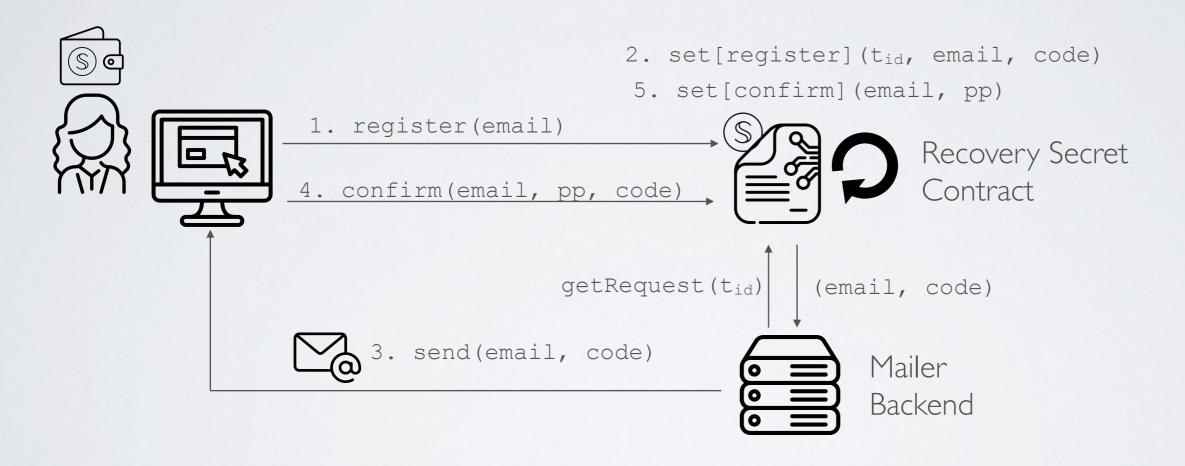
Iteration I

User Experience

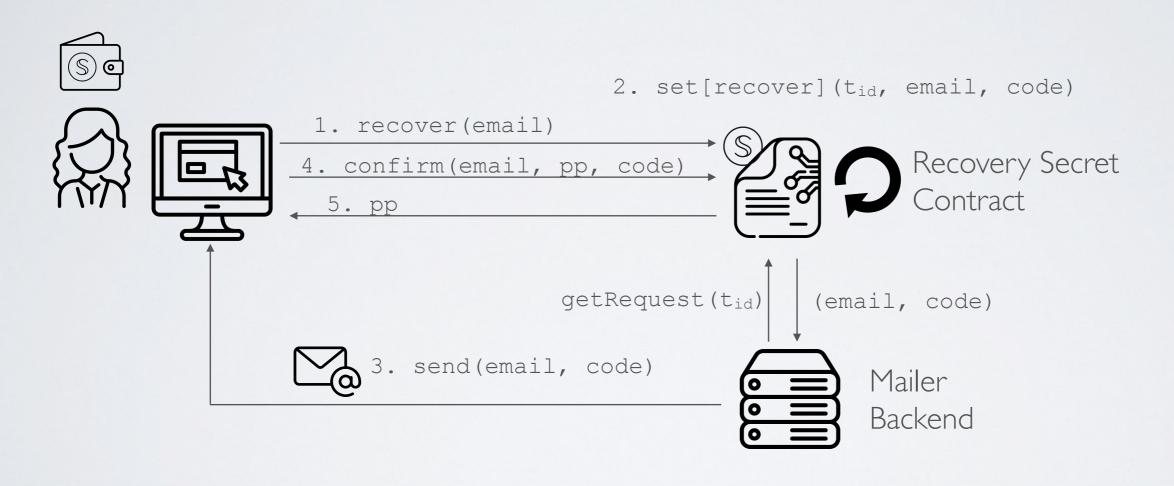
#### Basics

- 1. **Backup** Alice pushes her passphrase to the blockchain using her email and a throwaway wallet
- 2. **Recovery** Alice recovers her passphrase using her email and yet another throwaway secret wallet

#### Backup



#### Recovery



## Security Analysis

What if the attacker hacks Alice's account after registration?

He/she could get the passphrase from the transaction history

What if the attacker hacks the mailer backend?

- During backup, he/she could upload an arbitrary passphrase
- During recovery, he/she could get the verification code and retrieve the passphrase

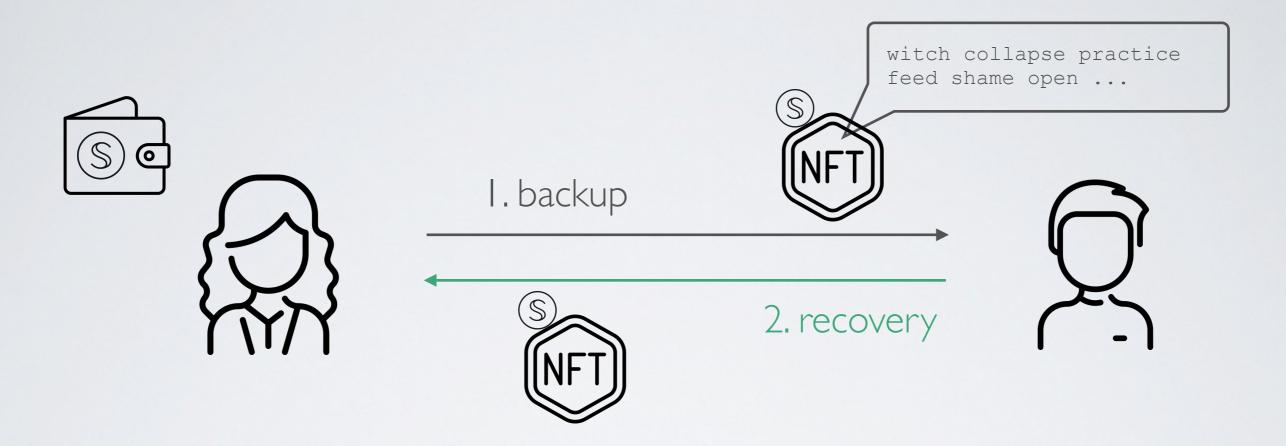
What if the attacker hacks the secret contract?

He/she will have access to all users' passphrases

Iteration 2

Security Hardening

#### By leveraging Secret NFTs (Secret Network)



- Backup Alice creates a throwaway Secret wallet to mint an NFT (with the passphrase as private metadata) and send it to Bob
- 2. **Recovery** Alice creates a new wallet and gets the NFT back to recover the passphrase

#### Protecting the passphrase

- Bob can get Alice passphrase when owning the NFT
- ✓ Solution Encrypt the passphrase using an AES symmetric key and use store that key in the Recovery Secret Contract

Backup :  $c = E_{AES}(k, m)$ 

Recovery:  $m = D_{AES}(k, c)$ 

## The problem of sending the key on the network



- ✓ Instead of sending the key directly, let's use a key agreement protocol between Alice and the Recovery Secret Contract
- → ECDH (Elliptic-curve Diffie-Hellman)

#### ECDH (Elliptic-curve Diffie-Hellman)





n, Pub<sub>A</sub>

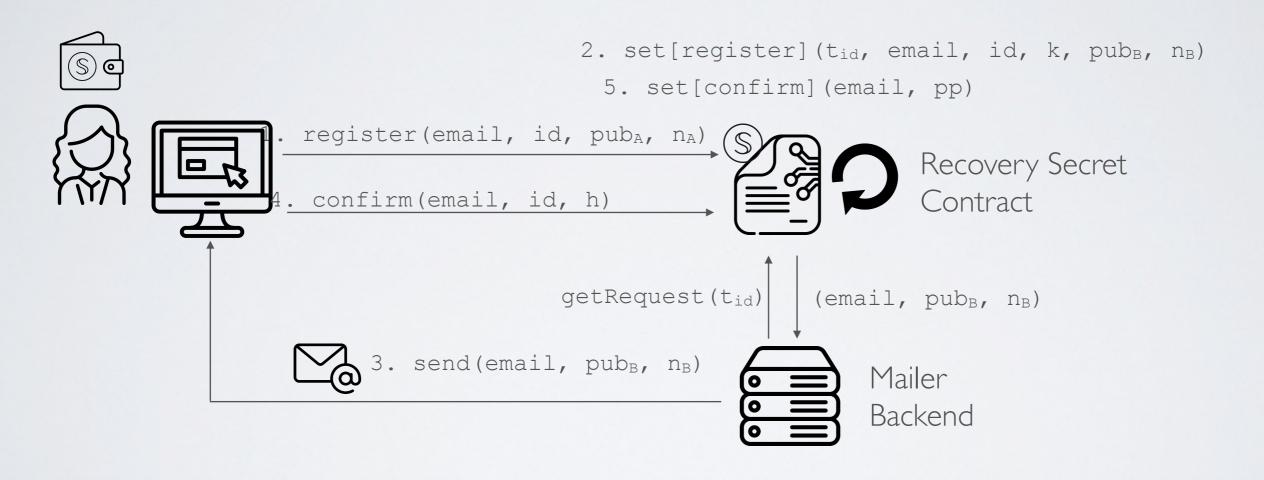
1. generates (Sec<sub>B</sub>, Pub<sub>B</sub>)



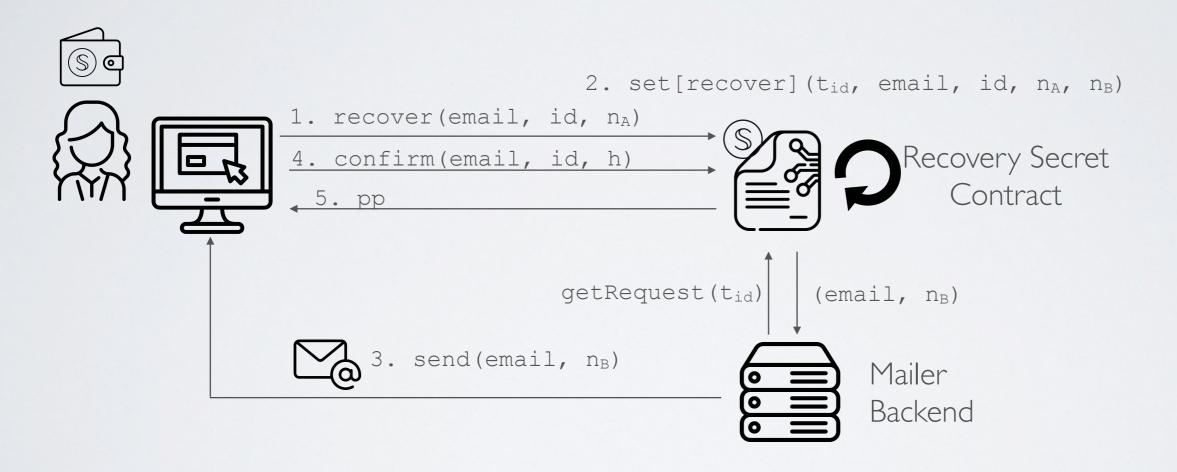
- 2. calculates  $s = ECDH(Sec_B, Pub_B, Pub_A)$
- 3. calculates k = PBKDF2(s, n)

3. calculates k = PBKDF2(s, n)

#### Backup



#### Recovery



#### Security Analysis

What if the attacker hacks Alice's account after registration?

✓ He/she cannot recover the key from the transaction history

What if the attacker hacks the mailer backend?

✓ He/she could retrieve the key with the verification code but will not be able to get the passphrase without locating the NFT

What if the attacker hacks the secret contract?

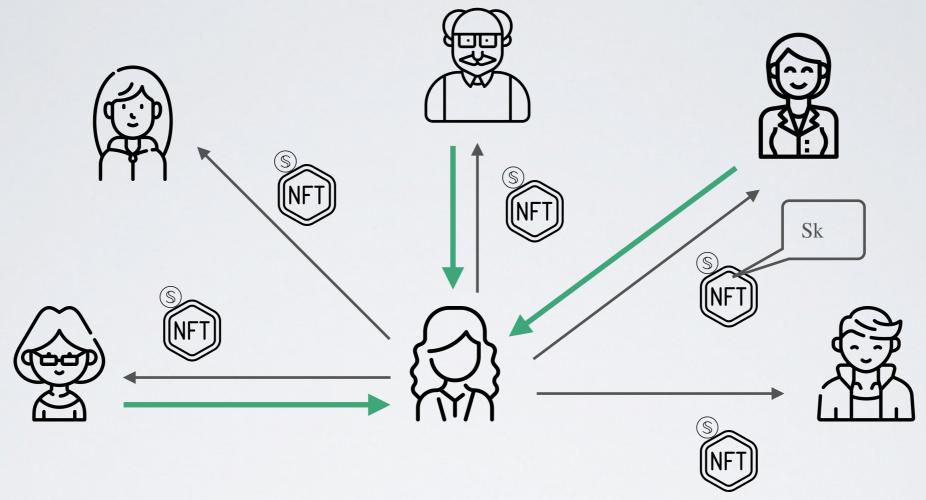
✓ He/she could get all users' keys but will not be able to get any
passphrase without locating each corresponding NFT

#### Yet another problem

 What if Bob cannot return the NFT back to Alice when needed Iteration 3

Improving Reliability

# By using Shamir's Secret Sharing scheme (SSS)



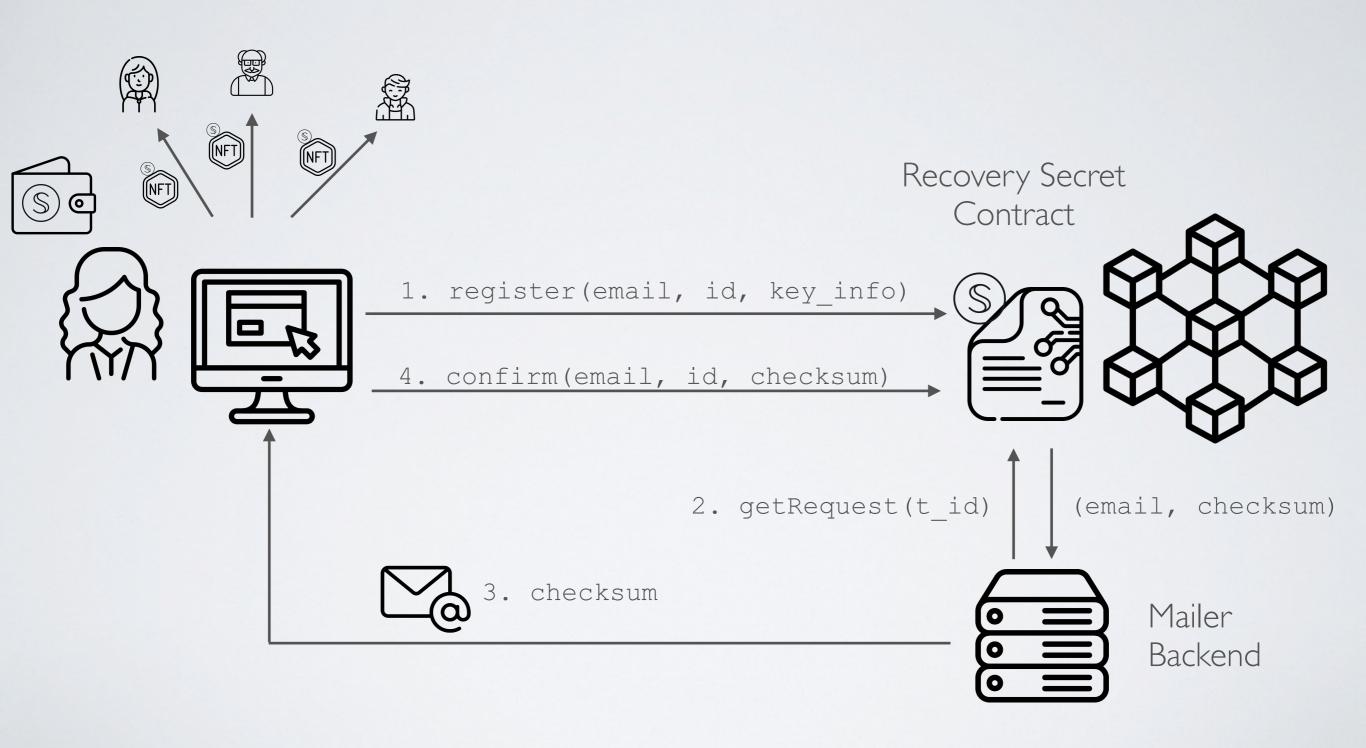
1. **Backup** - Alice splits the passphrase m into i secret shares with j threshold  $(s_1, ..., s_n) = E_{SSS}(E_{AES}(k, m), i, j)$ 

2. **Recovery** - Alice needs only k shares back (threshold) to regenerate the passphrase

 $m = D_{AES}(k, D_{SSS}(s_1, ...., s_k))$ 

# Full Protocol

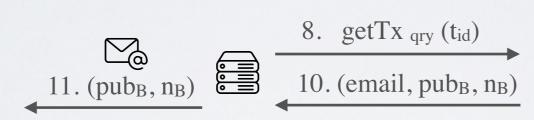
#### Backup



#### Backup (detailed)



- 1. email, id, m, i, j (inputs)
- 2. generates ( $sec_A$ ,  $pub_A$ ) and  $n_A$
- 3. register tid, bid (email, id, pubA, nA)





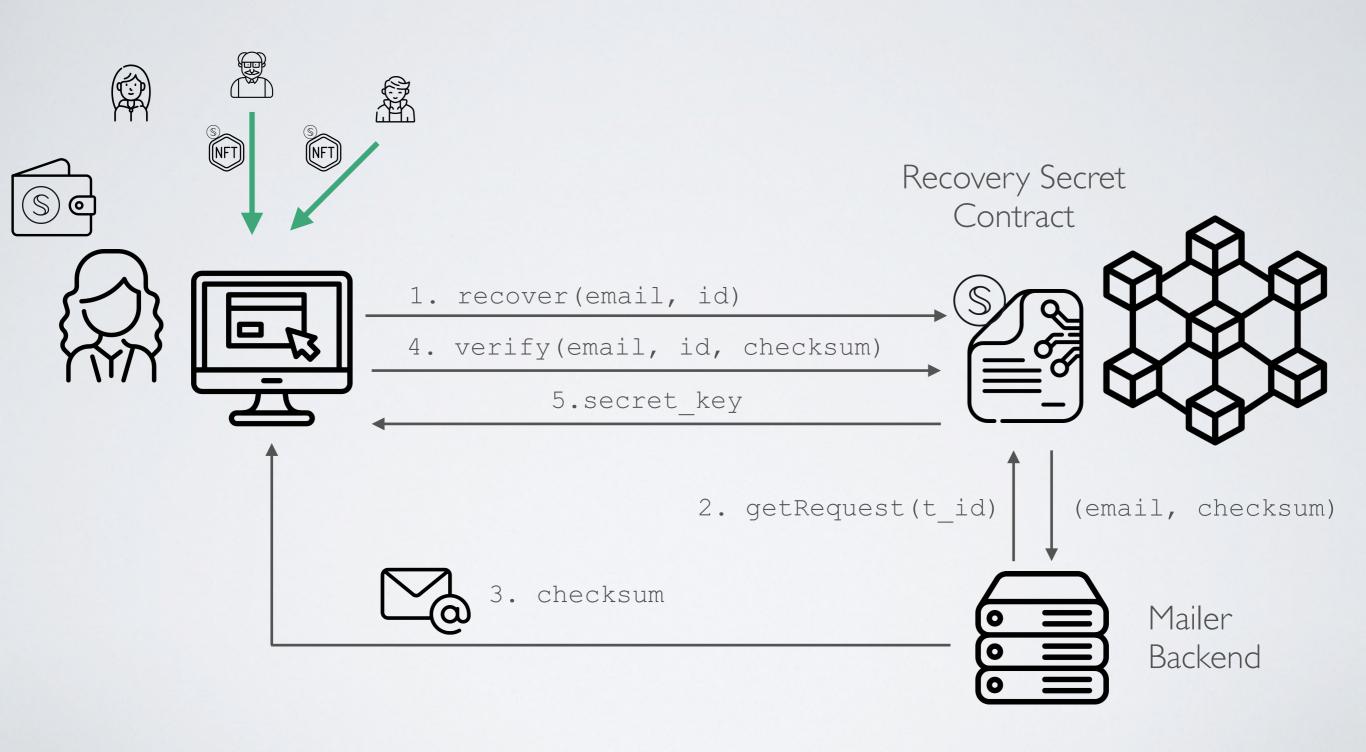
- 4. generates (sec<sub>B</sub>, pub<sub>B</sub>) and n<sub>B</sub>
- 5. calculates  $s = ECDH(sec_B, pub_B, pub_A)$
- 6. calculates  $k = PBKDF2(s, n_{1A} + n_{B})$
- 7. store register(email, id, k,  $t_{id}$ ,  $b_{id}$ ,  $pub_B$ ,  $n_B$ )
- 9. assert mailer query and  $b_{id} + t < current_{id}$

- 12. calculates  $s = ECDH(sec_A, pub_A, pub_B)$
- 13. calculates  $k = PBKDF2(s, n_A + n_B)$
- 14. calculates h = HMAC(k, email + id)

- $\longrightarrow 16. \text{ assert } b_{id} + t < \text{current}_{id}$ 
  - 17. calculates h' = HMAC(k, email + id)
  - 18. assert h == h'
  - 19. store confirm(email, id, k)

- 20. calculates  $(s_1, \ldots, s_n) = E_{SSS}(id + E_{AES}(k, m), i, j)$
- 21. for each sk, generates secret NFT

#### Recovery



#### Recovery (detailed)



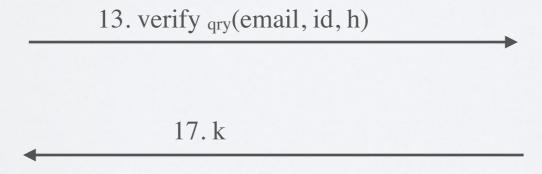
- 1. email,  $(s_1, ...., s_j)$  (inputs)
- 2. calculates id + c =  $D_{SSS}(s_1, ...., s_j)$
- 3. generates n<sub>A</sub>

- 4. recover tid, bid (email, id, n<sub>A</sub>)
- 8. getTx <sub>qry</sub> (t<sub>id</sub>)
  11. n<sub>B</sub>
  10. (email, n<sub>B</sub>)



- 5. assert confirm(email, id, k)
- 6. generates n<sub>B</sub>
- 7. store recover( $t_{id}$ ,  $b_{id}$ , email, id, k,  $n_A$ ,  $n_B$ )
- 9. assert mailer query and  $b_{id} + t < current_{id}$

12. calculates  $h = HASH(n_A + n_B)$ 



- 14. assert  $b_{id} + t < current_{id}$
- 15. calculates  $h' = HASH(n_A + n_B)$
- 16. assert h == h'

18. calculates  $m = D_{AES}(k, c)$