



# Welcome to Intermediate Portfolio Analysis in R

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### What you will learn:

- Build on fundamental concepts from "Introduction to Portfolio Analysis in R"
- Explore advanced concepts in the portfolio optimization process
- Use the R package PortfolioAnalytics to solve portfolio optimization problems that mirror real world problems



### Modern Portfolio Theory

Modern Portfolio Theory (MPT) was introduced by Harry Markowitz in 1952.

MPT states that an investor's objective is to maximize portfolio expected return for a given amount of risk.

#### Common Objectives:

- Maximize a measure of gain per unit measure of risk
- Minimize a measure of risk



### Mean - Standard Deviation Example: Setup

```
> library(PortfolioAnalytics)
> data(edhec)
> data <- edhec[,1:8]</pre>
# Create the portfolio specification
> port_spec <- portfolio.spec(colnames(data))</pre>
> port_spec <- add.constraint(portfolio = port_spec,</pre>
                                type = "full_investment")
> port_spec <- add.constraint(portfolio = port_spec,</pre>
                                type = "long_only")
> port_spec <- add.objective(portfolio = port_spec,
                               type = "return",
                               name = "mean")
> port_spec <- add.objective(portfolio = port_spec,
                               type = "risk",
                               name = "StdDev")
```

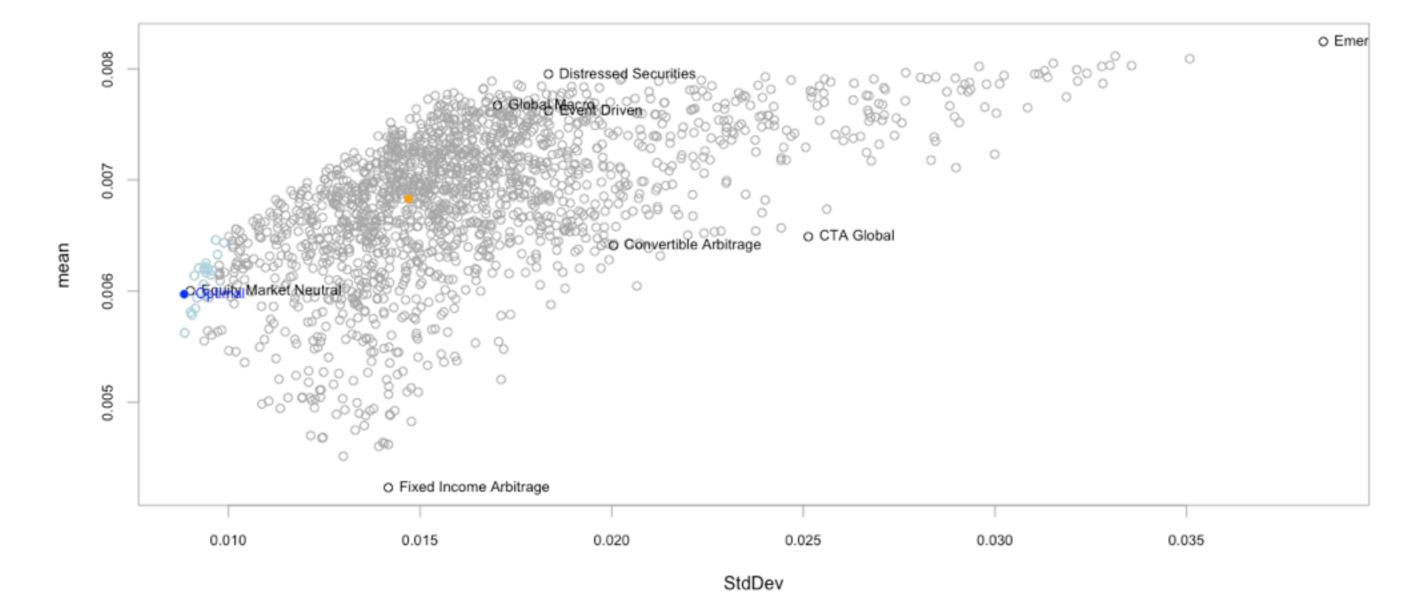


### Mean - Standard Deviation Example: Output

```
> print(port_spec)
*************
PortfolioAnalytics Portfolio Specification
***************
Call:
portfolio.spec(assets = colnames(data))
Number of assets: 8
Asset Names
[1] "Convertible Arbitrage" "CTA Global"
                                              "Distressed Securities"
[4] "Emerging Markets" "Equity Market Neutral" "Event Driven"
[7] "Fixed Income Arbitrage" "Global Macro"
Constraints
Enabled constraint types
    - full_investment
    - long_only
Objectives:
Enabled objective names
    - mean
    - StdDev
```



### Mean - Standard Deviation Example: Optimize







## Let's practice!





# Challenges of Portfolio Optimization



### Challenges:

- Many solvers are not specific to portfolio optimization
- Understanding the capabilities and limits of solvers to select the appropriate solver for the problem or formulate the problem to fit the solver
- Difficult to switch between solvers
- Closed-Form solver (eg. quadratic programming)
- Global solver (eg. differential evolution optimization)



### Quadratic Utility

Maximize:  $w^T * \mu - \lambda * w^T * \Sigma * w$ 

#### Subject To:

- $w_i > = 0$   $\sum_{n=1}^{n} w_i = 1$

#### Where:

- is the weight vector
- is the expected return vector
- ullet is the risk aversion parameter
- $\Sigma$  is the variance covariance matrix



### Quadratic Programming Solver

Use the R package quadprog to solve the quadratic utility optimization problem.

solve.QP() solves quadratic programming problems of the form:

$$\bullet \quad min(-d^Tb + \frac{1}{2}b^TDb)$$

Subject to the constraint:

• 
$$A^T b >= b_0$$





### Quadratic Utility Optimization

```
# Load quadprog
> library(quadprog)
> data(edhec)
> dat <- edhec[,1:4]
# Create the constraint matrix
> Amat <- cbind(1, diag(ncol(dat)), -diag(ncol(dat)))</pre>
# Create the constraint vector
> bvec <- c(1, rep(0, ncol(dat)), -rep(1, ncol(dat)))</pre>
# Create the objective matrix
> Dmat <- 10 * cov(dat)
# Create the objective vector
> dvec <- colMeans(dat)</pre>
# Specify the number of equality constraints
> meq < - 1
# Solve the optimization problem
> opt <- solve.QP(Dmat, dvec, Amat, bvec, meq)</pre>
```





## Let's practice!





# Introduction to PortfolioAnalytics



### PortfolioAnalytics

PortfolioAnalytics is designed to provide numerical solutions and visualizations for portfolio optimization problems with complex constraints and objectives.

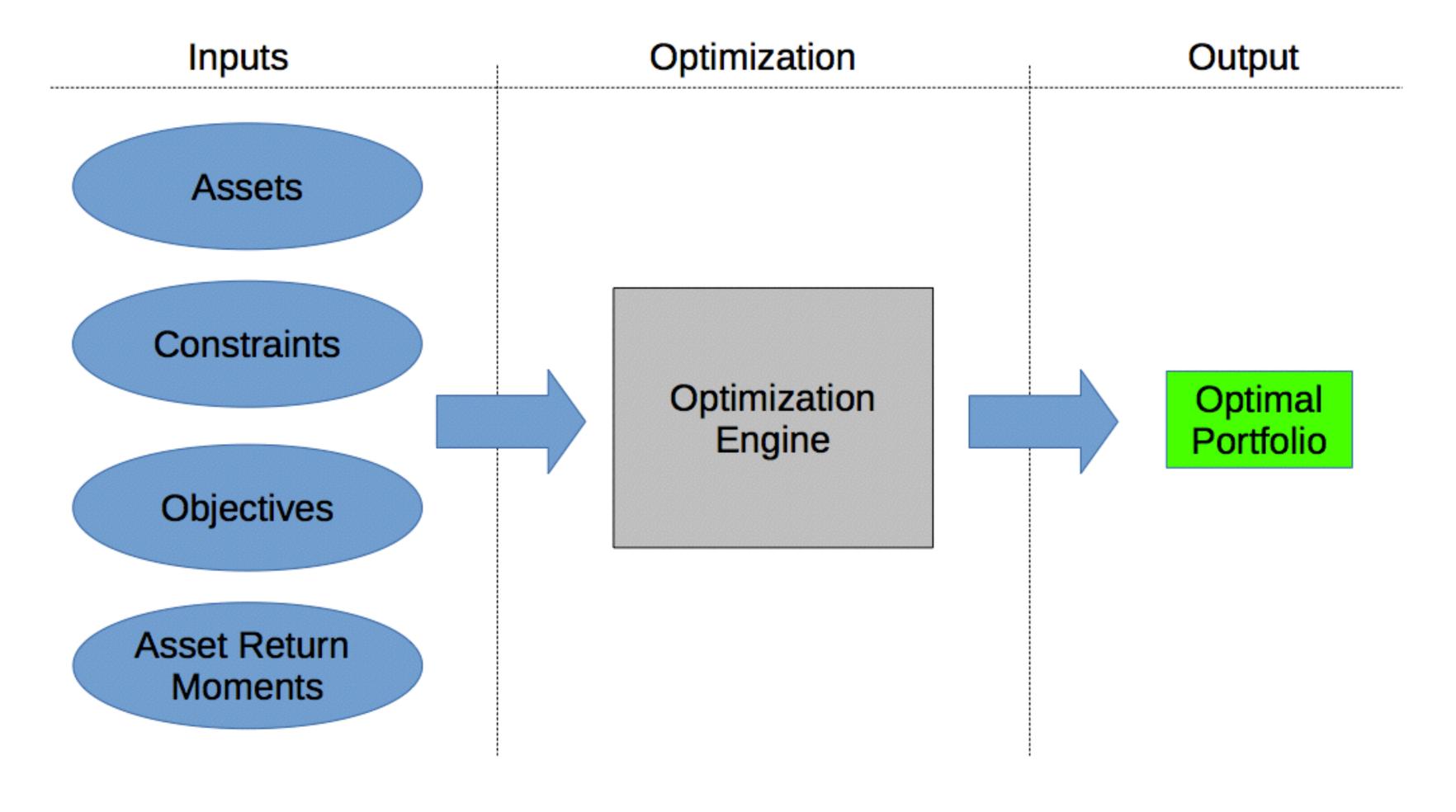
#### Supports:

- Multiple and modular constraint and objective types
- An objective function can be any valid R function
- User defined moment functions (covariance matrix, return projections)
- Visualizations
- Solver agnostic
- Parallel computing





### PortfolioAnalytics Framework







## Let's practice!